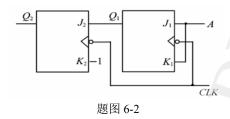
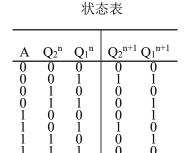
第六章 时序电路 作业

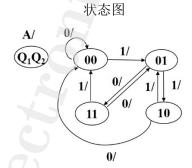
6-2 分析题图 6-2 所示的同步时序电路, 画出状态图。



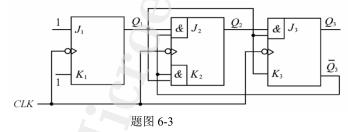
解: 各触发器的状态方程:

$$J_1=K_1=A$$
 , $J_2=Q_1^n$, $K_2=1$, $Q_2^{n+1}=Q_1^n\overline{Q_2^n}$, $Q_1^{n+1}=A\oplus Q_1^n$ 写出状态表,根据状态表画出状态图。





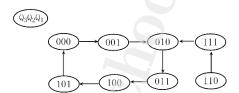
6-3 分析题图 6-3 所示的同步时序电路, 画出状态图和波形图。



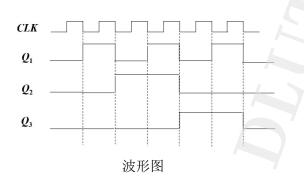
解: 各触发器的状态方程:

$$\begin{split} J_1 &= K_1 = T_1 = 1 \text{ , } J_2 = K_2 = Q_1^n \overline{Q_3^n} = T_2 \text{ , } J_3 = Q_2^n Q_1^n \text{ , } K_3 = Q_1^n \\ Q_3^{n+1} &= J_3 \overline{Q_3^n} + \overline{K_3} Q_3^n = Q_2^n Q_1^n \overline{Q_3^n} + \overline{Q_1^n} Q_3^n \\ Q_2^{n+1} &= T_2 \oplus Q_2^n = Q_1^n \overline{Q_3^n} \oplus Q_2^n \\ Q_1^{n+1} &= T_1 \oplus Q_1^n = 1 \oplus Q_1^n = \overline{Q_1^n} \end{split}$$
 状态表

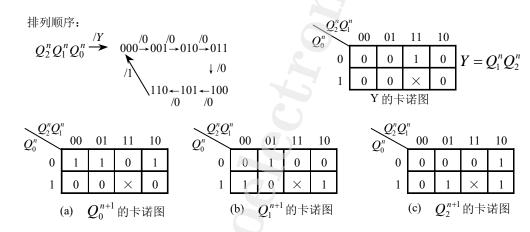
由状态表得到状态图



Q_3^n	Q_2^n	Q_1^n	Q_3^{n+}	Q_2^{n+1}	$^{1}Q_{\mathrm{l}}^{n+1}$
0	0	0	0	0	1
0	0	1	0	1	0
0	1	0	0	1	1
0	1	1	1	0	0
1	0	1	$\begin{bmatrix} 1\\0\\1\\0 \end{bmatrix}$	0	0
1	1	0		1	1
1	1	1		1	0



- 6-8 设计一个七进制的加法器,规则是逢七进一,并产生一个进位。
- 解: 写出状态图。因需用 3 位二进制代码,选用 3 个 CLK 下降沿触发的 JK 触发器,分别用 FF_0 、 FF_1 、 FF_2 表示。时钟方程是 $CLK_0 = CLK_1 = CLK_2 = CLK$



化简卡诺图得到:

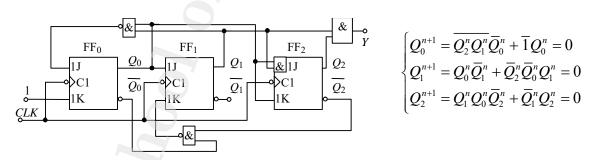
$$\begin{cases} Q_0^{n+1} = \overline{Q}_2^n \overline{Q}_0^n + \overline{Q}_1^n \overline{Q}_0^n \\ = \overline{Q}_2^n \overline{Q}_1^n \overline{Q}_0^n + \overline{1} Q_0^n \\ Q_1^{n+1} = Q_0^n \overline{Q}_1^n + \overline{Q}_2^n \overline{Q}_0^n Q_1^n \\ Q_2^{n+1} = Q_1^n Q_0^n \overline{Q}_2^n + \overline{Q}_1^n Q_2^n \end{cases}$$

与 JK 触发器的特征方程比较得到:

$$Q^{n+1} = J\overline{Q}^n + \overline{K}Q^n$$

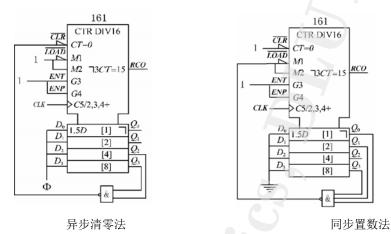
$$\begin{cases} J_0 = \overline{Q_2^n Q_1^n} & K_0 = 1\\ J_1 = Q_0^n & K_1 = \overline{\overline{Q_2^n Q_0^n}}\\ J_2 = Q_1^n Q_0^n & K_2 = Q_1^n \end{cases}$$

将无效状态 111 带入状态方程计算:

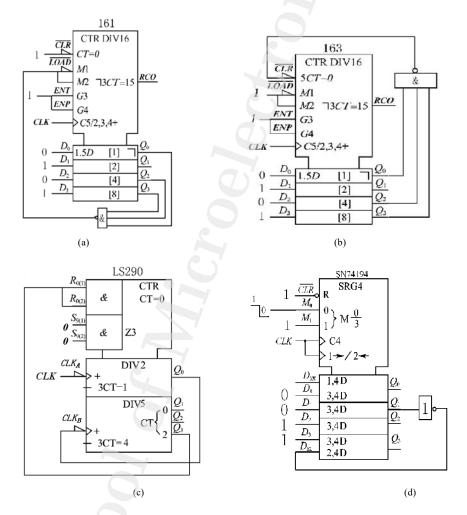


可见 111 的次态是有效状态 000, 电路能够自启动。

6.12 试用 74LS161 分别用异步清零法和同步置数法实现模 12 加法计数器。解:

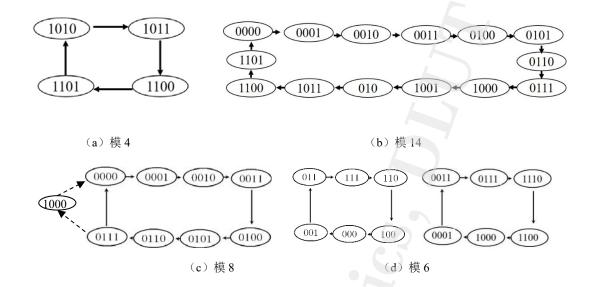


6.15 分析如题图 6.15 所示的各芯片功能,分别画出状态图。

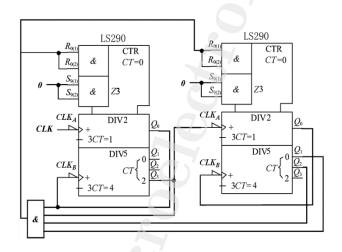


题图 6.15

解:



6.19 请指出 74290 如题图 6.19 所示电路图的模值为多少?



题图 6.19

解: 模69