

Problem 1b. Enter the Time and compute the Ratio of Times to two decimal places (x.xx)

Graph Size	Time for Computing Spanning Tree	Ratio of Time: Size 2N/Size N
1,000	0.06	No ratio for first graph size
2,000	0.13	$0.13/0.06 = 2.17$
4,000	0.27	$0.27/0.13 = 2.08$
8,000	0.57	$0.57/0.27 = 2.11$
16,000	1.41	$1.41/0.57 = 2.47$
32,000	3.60	$3.60/1.41 = 2.55$
64,000	8.20	$8.2/3.6 = 2.28$
128,000	18.24	$18.24/8.2 = 2.22$

Approximate the complexity class for the `spanning_tree` function based on the data above. Briefly explain your reasoning.

Answer: The complexity class for 'spanning_tree' is $O(N \log N)$. This is because the ratios of time are, on average, 2.26. This is slightly higher than $O(N)$'s ratio, thus it is $O(N \log N)$.

Problem 2b. Answer each of the following question based on the profiles produced when running `spanning_tree` : use the `ncalls` information for parts 2 and 3; use the `tottime` information for parts 1 and 4.

1) What function/method takes the most tottime to execute?

Answer: **{built-in method builtins.sorted}**

2) What non-built in function/method is called the most times?

Answer: **equivalence.py:28(_compress_to_root)**

3) What method defined in `graph.py` is called the most times?

Answer: **graph.py:23(__getitem__)**

4) What percent of the entire execution time is spent in the 5 functions with the most tottime?

Answer: **76%**