## Part(1):Storing claims as facts and rules.

The way claims have been broken down into facts and rules, I believe, need to be re-visited. Because whenever there is a claim with an outermost implication either the consequent or the antecedent is constructed of conjuncts and/or other implication(s).

```
?- doItAll(all men love food.',X). <--couldn't parse this example even after adding 'food' to dictionary
 ?- doItAll(all men love women.',X).
({[man>plural],A}
  => ({[tense(B)],#0(A)}
       & ({(C,#0(A)),#1(A)}
           & ({(member, #1(A)), D}
               => ({woman>plural, #2(D,A)}
                     & [[love, {dobj,#2(D,A)}, {subject,A}],
                       D])))))
?- listing(fact).
fact({salient, }).
| ?- listing(=>).
{[name, 'John'], A}=>{he, A}.
{[man>plural],A}=>{[tense()],'#0'(A)}.
{[man>plural],A}=>{(,'#0'(A)),'#1'(A)}.
{[man>plural],A}=>({(member,'#1'(A)),B}=>{woman>plural,'#2'(B,A)}&[[love,{dobj,'#2'(B,A)},{subject,A}],B]
So I changed the way we deal with rules as following:
setProblem1(A => (B & C)) :-
    !,
    setProblem1(A \Rightarrow B),
    setProblem1(A => C).
```

```
setProblem1(A => (B => C)) :-
    !,
    setProblem1(A \Rightarrow B),
    setProblem1(B => C).
setProblem1(A => B) :-
    !,
    assert(A \Rightarrow B).
and now we get this:
| ?- listing(=>).
{[name, 'John'], A}=>{he, A}.
{[man>plural],A}=>{[tense()],'#0'(A)}.
{[man>plural],A}=>{( ,'#0'(A)),'#1'(A)}.
{[man>plural],A}=>{(member,'#1'(A)), }.
{(member, '#1'(A)),B}=>{woman>plural, '#2'(B,A)}.
{(member, '#1'(A)),B}=>[[love, {dobj, '#2'(B,A)}, {subject,A}],B].
I am not sure of this right!—thinking of transitivity rules—but this is what I attempted to do when SATCHMO
failed to prove 'all men like women?'. Which was because, at first, I couldn't match [[like, {dobj,E},
{subject, #3}], #4(D, B)] to [[love, {dobj, '#2'(B,A)}, {subject, A}], B] as it was a part of a conjuncted
consequent of a rule that was a consequent of a rule itself . Then after tearing that rule apart it worked.
On the other hand, when the antecedent of a rule was the complicated part, I wasn't sure what to do about
it.
  ?- doItAll('John does not love Mary.',X).
  ?- listing(=>).
fact({salient, }).
fact({[name, 'John'], '#1'}).
fact({[name, 'Mary'], '#2'}).
| ?- listing(=>).
{[name, 'John'], A}=>{he, A}.
{tense(),A}&({(simple,A),B}&({(member,B),'#0'(B,A)}=>[[love,{dobj,'#2'},{subject,'#1'}],'#0'(B,A)]))=>ab
surd.
```

## Part(2):Polarity

-in the current version of matching algorithm will allow the folloing:

'every man loves a woman.' -> 'every human likes a woman.' although (every) is a downward monotone on its
1st argument. (so this is wrong, we need mark 'man' with a negative polarity to ensure downward monton
matching, but when to do the marking?)

So, we discussed this and we agreed to re-visit it with more examples. Thus, according to [MacCartney and Manning, 2006], most linguistic expressions may be regarded as upward-monotone semantic functions. However, a number of important linguistic constructions are downward-monotone, including

- the antecedent of a conditional. Example: If stocks rise, we win -> If stocks soar, we win
- **negation:** not
- restrictive quantifiers: no, few, at most n. Example: few athletes -> few sprinters.
- restrictive verbs: lack, fail, prohibit. Example: lack weapons -> lack guns
- certain adverbs: without, except. Example: without clothes v without pants, a

A few expressions must be considered non-monotone, including **superlative adjectives** 'prettiest' and quantifiers such as 'most'.

Certain generalized quantifiers must be treated as binary functions having different monotonicities in different arguments such as 'every' and 'all' they are bot  $(\downarrow\uparrow)$ 

all $(\downarrow\uparrow)$	every (↓↑)
some $(\uparrow\uparrow)$	no $(\downarrow\downarrow)$
not ( $\downarrow$ )	most (-↑)

```
I played with (qff) to see what a qff from marked with polarity may look like, and here what I have got:
?- doItAll('John loves Mary.',X).
name(A::{[John:NP],A},
     name(B::{[Mary:NP],B},
          claim(({([tense(present)],#0),(+)}
                  & ({((simple,#0),#1),(+)}
                      & ({((member,#1),C),(-)}
                          => [[love, {dobj,B}, {subject,A}], C]))))))
after anchoring names
claim(({([tense(present)],#0),(+)}
        & ({((simple,#0),#1),(+)}
            & ({((member, #1), A), (-)}
                => [[love, {dobj,#3}, {subject,#2}], A]))))
?- doItAll('John does not love Mary.',X).
name(A::{[John:NP],A},
     name(B::{[Mary:NP],B},
          claim((({(tense(C),D),(-)}
                   & ({((simple,D),E),(-)}
                       & ({((member,E),#4(E,D)),(+)}
                           => [[love, {dobj,B}, {subject,A}],
                               #4(E, D)])))
                  => absurd))))
after anchoring names
claim((({(tense(A),B),(-)}
         & ({((simple,B),C),(-)}
             & ({((member,C),#4(C,B)),(+)}
                 => [[love, {dobj, #3}, {subject, #2}],
                     #4(C, B)])))
```

```
?- doItAll('every man loves a woman.',X).
claim((({([man>singular],A),(-)}
 => ({([tense(present)],#19(A)),(+)}
       & ({((simple, #19(A)), #20(A)), (+)}
          & ({([woman>singular],#21(A)),(+)}
               & ({((member,#20(A)),B),(-)}
                   => [[love, {dobj,#21(A)}, {subject,A}], B])))))))
?- doItAll('not every man loves a woman.',X).
claim((({([man>singular],#22),(+)}
         => ({([tense(present)],A),(-)}
              & ({((simple,A),B),(-)}
                  & ({([woman>singular],C),(-)}
                      & ({((member,B),#23(C,B,A)),(+)}
                          => [[love, {dobj,C}, {subject,#22}],
                              #23(C, B, A)]))))
       => absurd))
| ?- doItAll('no man loves a woman.',X).
claim(({([man>singular],A),(-)}
       => (({([tense(present)],B),(-)}
              & ({((simple,B),C),(-)}
                  & ({([woman>singular],D),(-)}
                      & ({((member,C),#5(D,C,B,A)),(+)}
                          => [[love, {dobj,D}, {subject,A}],
                              #5(D, C, B, A)]))))
             => absurd)))
```

The above examples just to show what a marked tree may look like. This marking process lacks the use of polarity table where words like 'without' are places and lacks the application of polarity compositional operator.

## Part(3):Technical

last week I had a form for 'John is a human?', but not anymore; no parse tree although we have 'human' as nroot and aroot in the dictionary. 'John is human.' works though!