

Operating Systems:

Chap3

Page Tables

CS400

Week 6: 20th Feb

Spring 2020

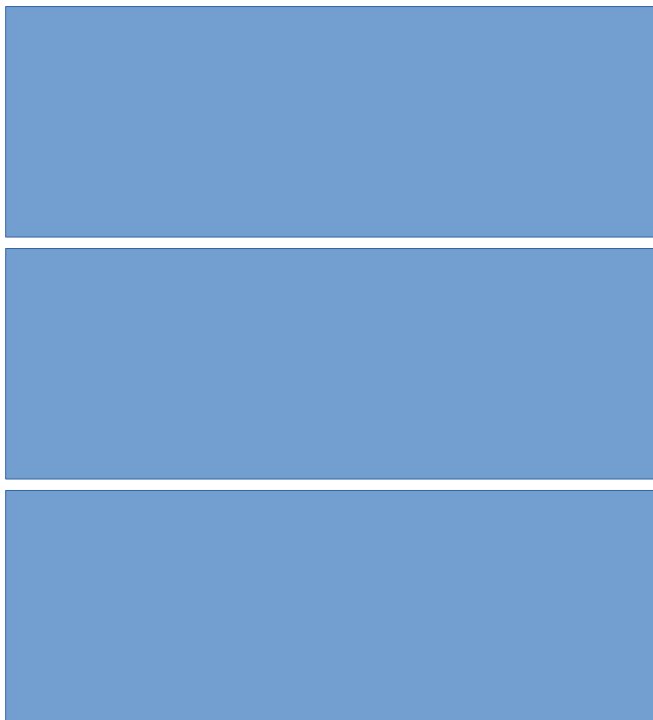
Oliver BONHAM-CARTER

Paging Systems

- A paging system is a table to keep track of where blocks of programs are stored in memory.
 - Page (program in memory) \leftrightarrow Frame (physical memory)
- Page – The program in memory
 - Loaded in memory as a continuous stream of bits
 - Logical address space
- Frame – Memory space where program will be loaded
 - physical address space

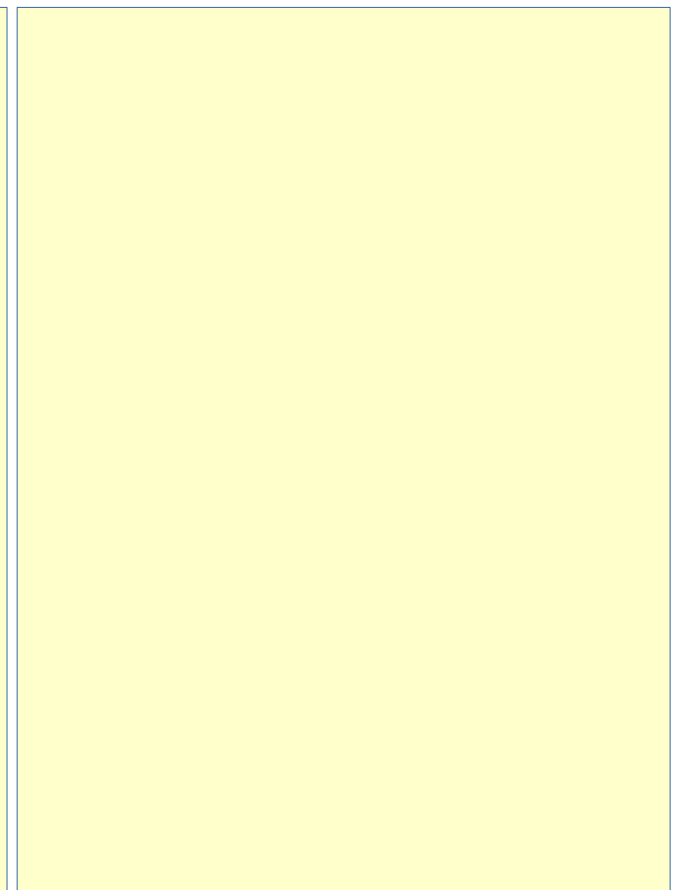
Paging

Pages: Logical addresses



addresses **Frames:** Physical addresses

0 x 00
0 x 01
0 x 02
0 x 03
0 x 04
0 x 05
0 x 06
0 x 07
0 x 08
0 x 09
0 x 0a
0 x 0b
0 x 0c
0 x 0d
0 x 0e
0 x 0f



Similar to a memory map,
the paging system allows physical
addresses of a process to be non-continuous

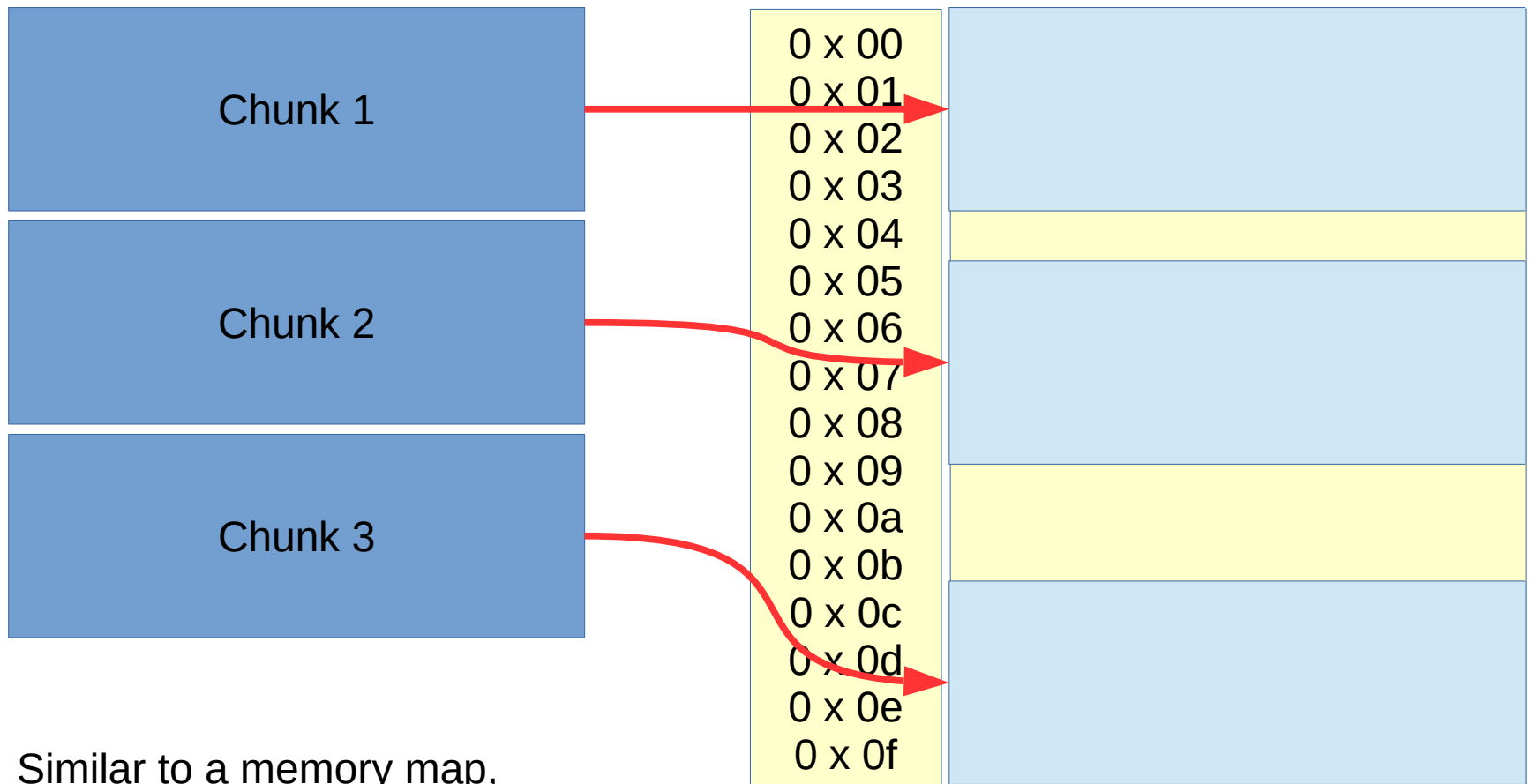
Loading programs into memory

- The entire program will be loaded into memory in a continuous fashion.
- Logical addresses – addresses used in programs
- Physical addresses – addresses used in RAM memory
- How do we convert logical addresses to physical addresses?
 - Similar to a mapping system that we have studied earlier

Paging: Placing the logical into the physical

Pages: Logical addresses

addresses **Frames:** Physical addresses



Similar to a memory map,
the paging system allows physical
addresses of a process to be non-continuous

Paging:

Placing the logical into the physical

Pages: Logical addresses

0 : a
1 : h
2 : k
3 : n
4 : l
5 : e
6 : d
7 : j
8 : j
9 : v
10 : x
11 : s
12 : u
13 : y
14 : o
15 : p

Program

Frames: Physical addresses

0 x 00
0 x 01
0 x 02
0 x 03
0 x 04
0 x 05
0 x 06
0 x 07
0 x 08
0 x 09
0 x 0a
0 x 0b
0 x 0c
0 x 0d
0 x 0e
0 x 0f

0 x 10
0 x 11
0 x 12
0 x 13
0 x 14
0 x 15
0 x 16
0 x 17
0 x 18
0 x 19
0 x 1a
0 x 1b
0 x 1c
0 x 1d
0 x 1e
0 x 1f

Memory space

Loading Programs

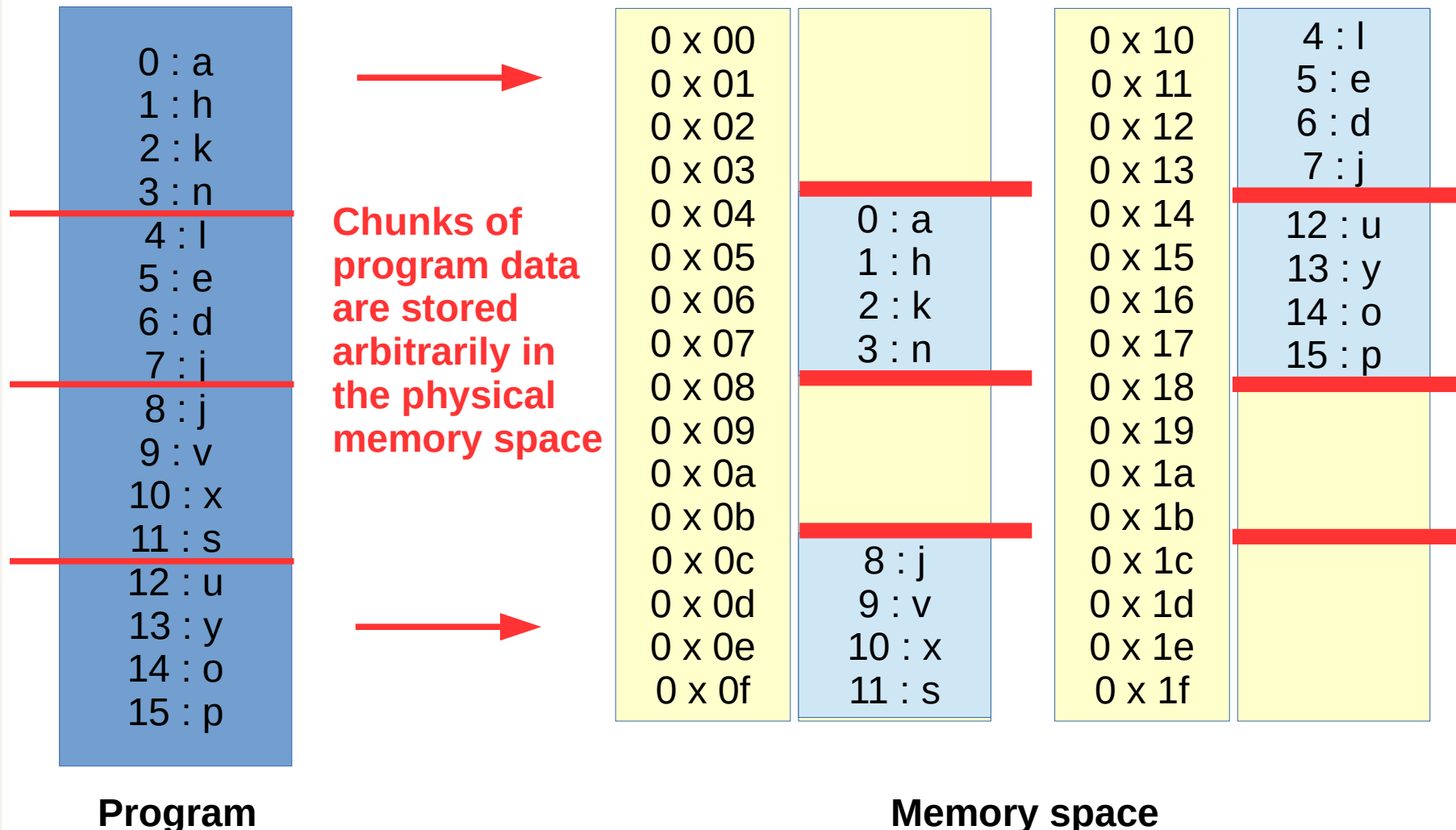
- The program (left) is loaded into memory
- Pages can be stored in any frame
- We need some method to map the logical memory (the program's instructions) to the frame (RAM)
- **How do we map which logical addresses to physical addresses?**

Paging:

Placing the Logical into the Physical

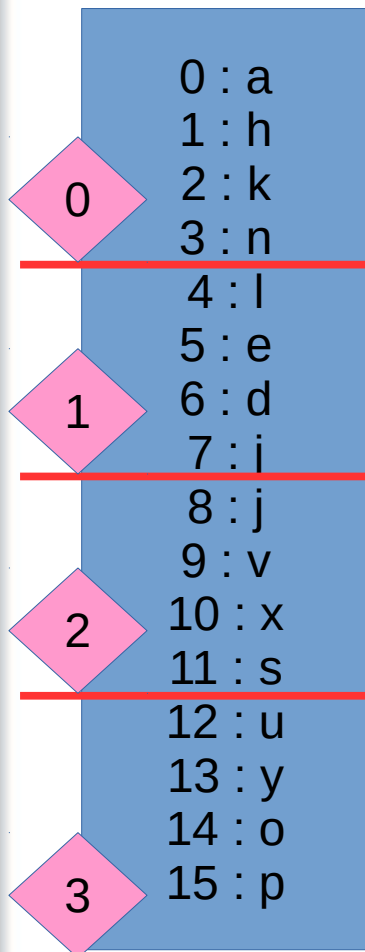
Pages: Logical addresses

Frames: Physical addresses



Paging: Address Numbering System

Pages: Logical addresses

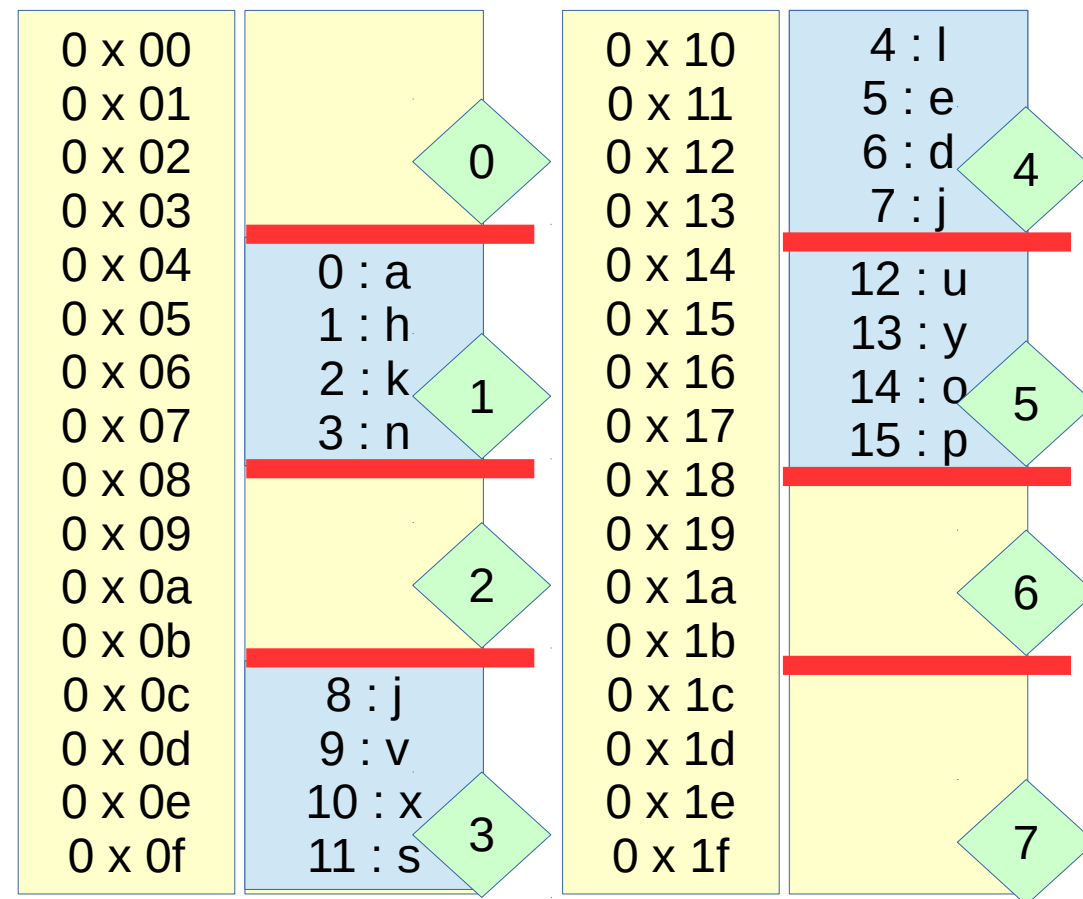


Program

**Cut up
regions
Of the
memory
spaces:
pages
and
frames.**

**Use a
table to
connect
them**

Frames: Physical addresses



Memory space

Paging: Build a *Page Table*

Pages: Logical addresses

0	0 : a
	1 : h
	2 : k
	3 : n
1	4 : l
	5 : e
	6 : d
	7 : j
2	8 : j
	9 : v
	10 : x
	11 : s
3	12 : u
	13 : y
	14 : o
	15 : p

Program

Page	Frame
0	1
1	4
2	3
3	5

Keep track of
links between
logical and
physical
addresses

Frames: Physical addresses

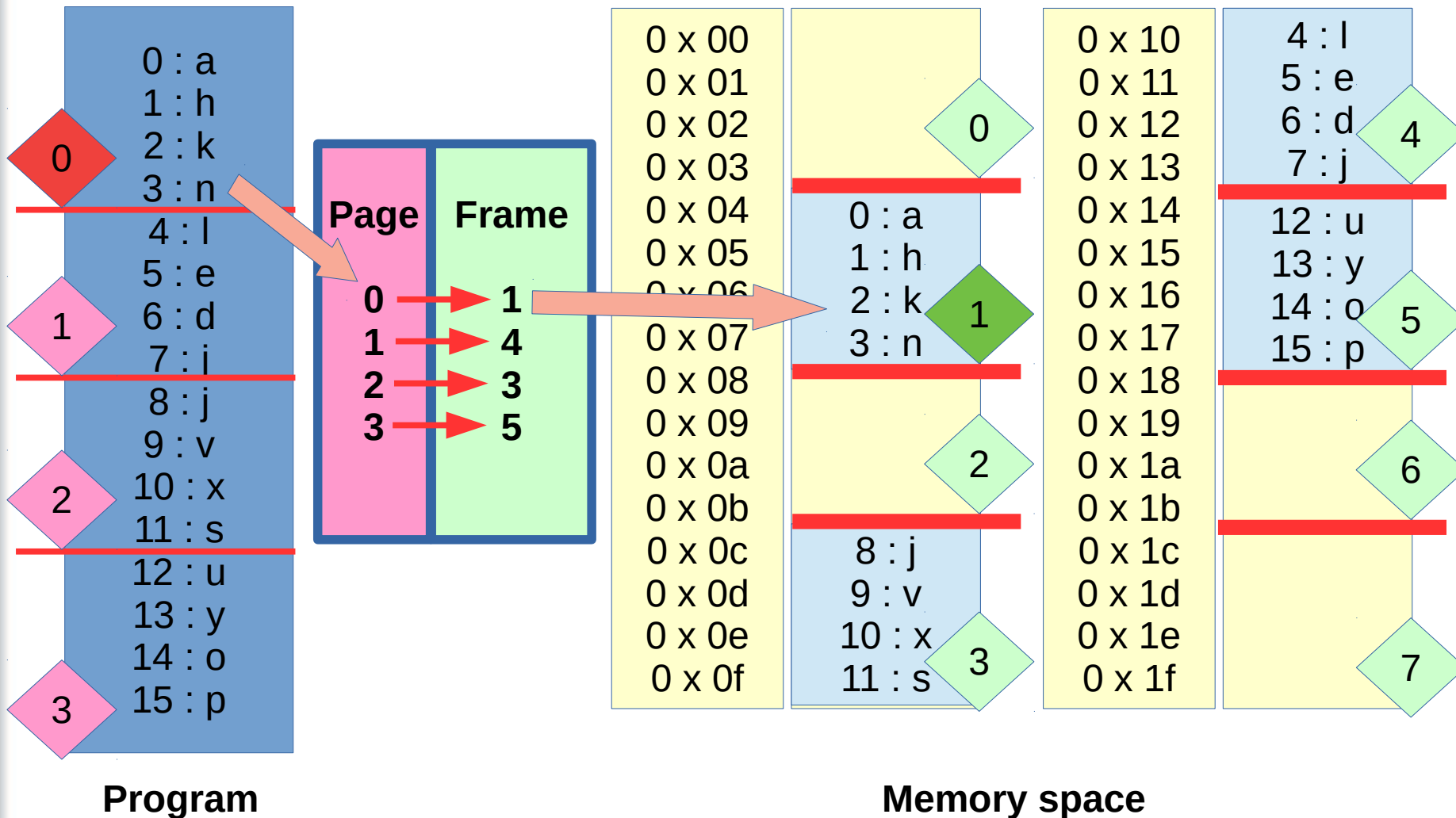
0 x 00		0 x 10	4 : l
0 x 01		0 x 11	5 : e
0 x 02		0 x 12	6 : d
0 x 03		0 x 13	7 : j
0 x 04	0 : a	0 x 14	12 : u
0 x 05	1 : h	0 x 15	13 : y
0 x 06	2 : k	0 x 16	14 : o
0 x 07	3 : n	0 x 17	15 : p
0 x 08		0 x 18	
0 x 09		0 x 19	
0 x 0a		0 x 1a	
0 x 0b		0 x 1b	
0 x 0c	8 : j	0 x 1c	
0 x 0d	9 : v	0 x 1d	
0 x 0e	10 : x	0 x 1e	
0 x 0f	11 : s	0 x 1f	

Memory space

Paging: Build a *Page Table*

Pages: Logical addresses

Frames: Physical addresses



Calculating Logical Addresses

0	0 : a
	1 : h
	2 : k
	3 : n
1	4 : l
	5 : e
	6 : d
	7 : j
2	8 : j
	9 : v
	10 : x
	11 : s
3	12 : u
	13 : y
	14 : o
	15 : p

- How do we represent the physical memory in binary addresses??
- There are 4 pages
- Each page contains 4 bytes of data:
 - Size of each page: 4 bytes
 - We need four different address to store 4 bytes

Back to the Paging Table

0	0 : a 1 : h 2 : k 3 : n	00
1	4 : l 5 : e 6 : d 7 : j	01
2	8 : j 9 : v 10 : x 11 : s	10
3	12 : u 13 : y 14 : o 15 : p	11

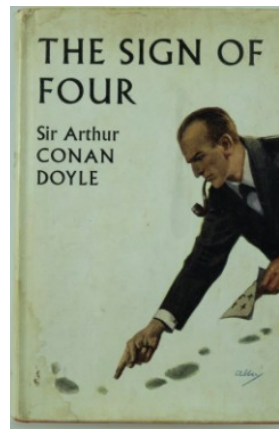
- Number of pages: 4
- Each page may be represented in binary:
 - (0): 00
 - (1): 01
 - (2): 10
 - (3): 11

The Sign of Four, *in Binary*

- Represent the element's order in binary

- 0th a : $\text{bin}(0) = 00$
- 1st h : $\text{bin}(1) = 01$
- 2nd k : $\text{bin}(2) = 10$
- 3rd n : $\text{bin}(3) = 11$

0	=	00	:	a
1	=	01	:	h
2	=	10	:	k
3	=	11	:	n



These values are called, “page offsets” and represent the locations in binary of chars.

Page Number and Offset

0	00 : a 01 : h 10 : k 11 : n	00
1	4 : l 5 : e 6 : d 7 : j	01
2	8 : j 9 : v 10 : x 11 : s	10
3	12 : u 13 : y 14 : o 15 : p	11

- With page-number code first (00), followed by offset (00)
- Page 1, 1st (a): 0000
- Page 1, 2nd (h): 0001
- Page 1, 3rd (k): 0010
- Page 1, 4th (n): 0011

Page-number, Offset

Frame Addresses

- There are eight frames.
- How many bits are necessary to represent eight frame addresses?

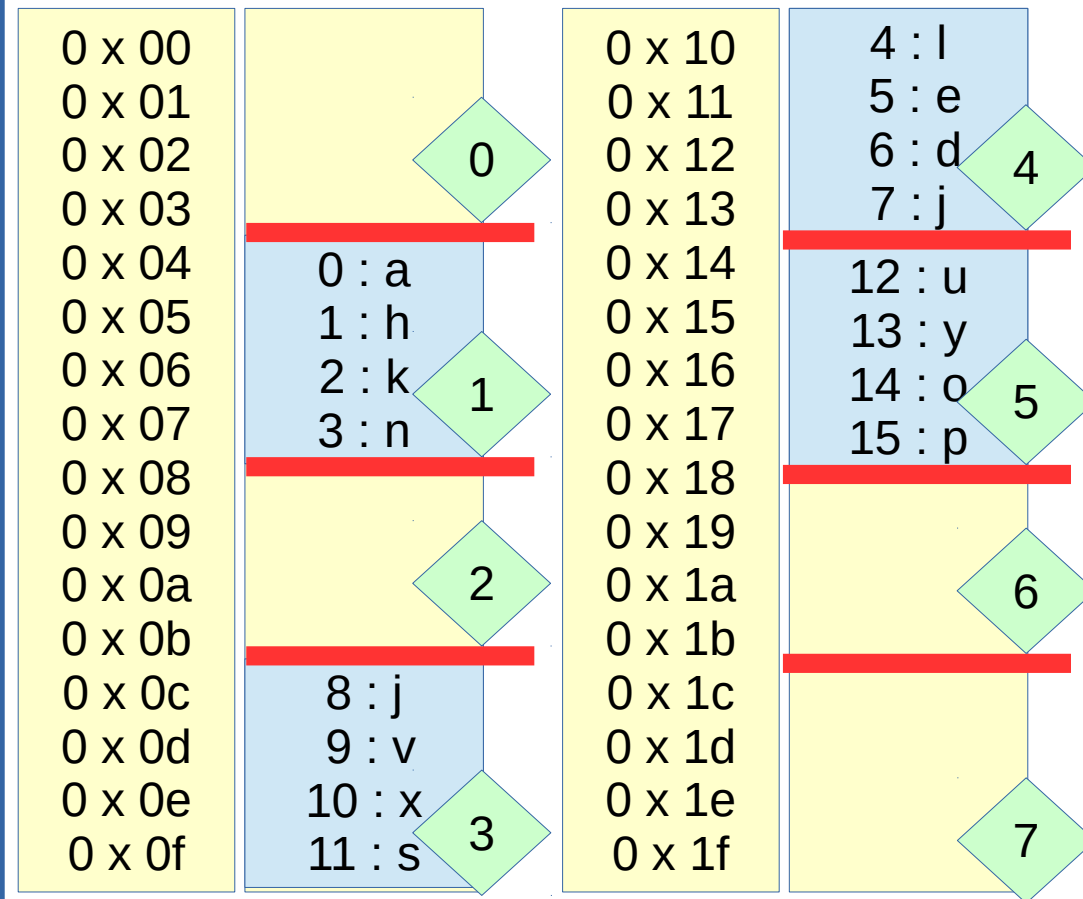
Frames: Physical addresses

0 x 00		0 x 10	4 : l
0 x 01		0 x 11	5 : e
0 x 02		0 x 12	6 : d
0 x 03		0 x 13	7 : j
0 x 04	0 : a	0 x 14	12 : u
0 x 05	1 : h	0 x 15	13 : y
0 x 06	2 : k	0 x 16	14 : o
0 x 07	3 : n	0 x 17	15 : p
0 x 08		0 x 18	
0 x 09		0 x 19	
0 x 0a		0 x 1a	
0 x 0b		0 x 1b	
0 x 0c	8 : j	0 x 1c	
0 x 0d	9 : v	0 x 1d	
0 x 0e	10 : x	0 x 1e	
0 x 0f	11 : s	0 x 1f	

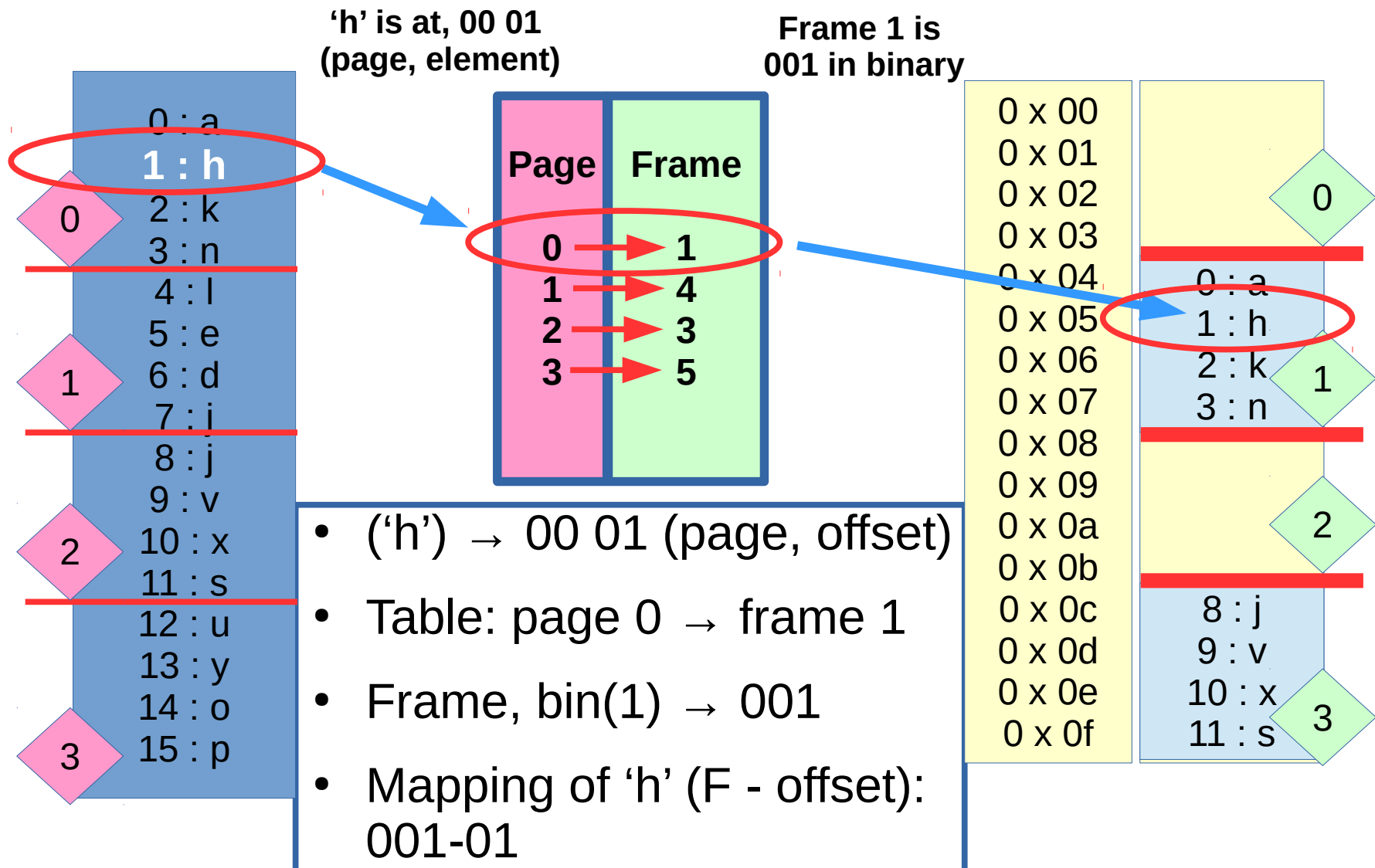
Eight Frames

- With two bits, the maximum number of frames is 4, so we have to use three bits ($2^3 = 8$) for all these frames
- Frame # \rightarrow binary(#)
 - F 0 \rightarrow bin(0) = 000
 - F 1 \rightarrow bin(1) = 001
 - F 2 \rightarrow bin(2) = 010
 - F 3 \rightarrow bin(3) = 011
 - F 4 \rightarrow bin(4) = 100
 - Etc...

Frames: Physical addresses

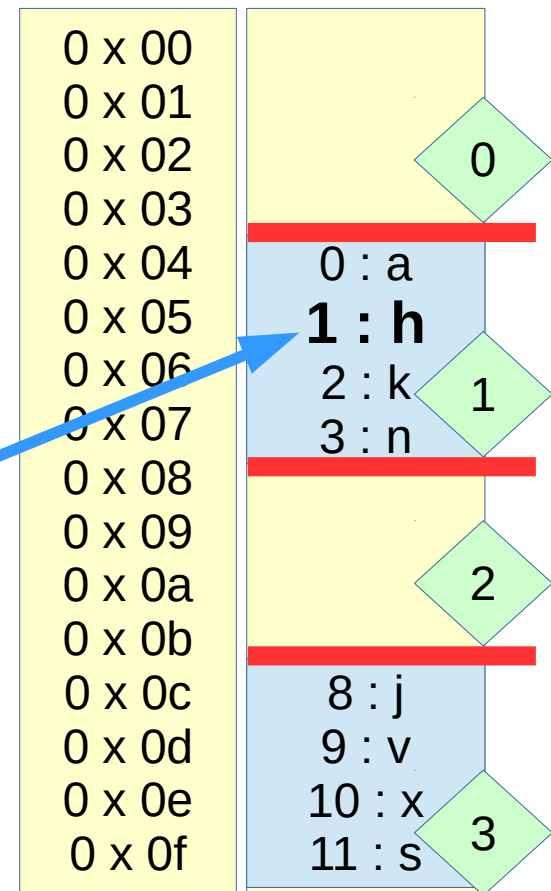


Frame and Page Addresses: 'h'

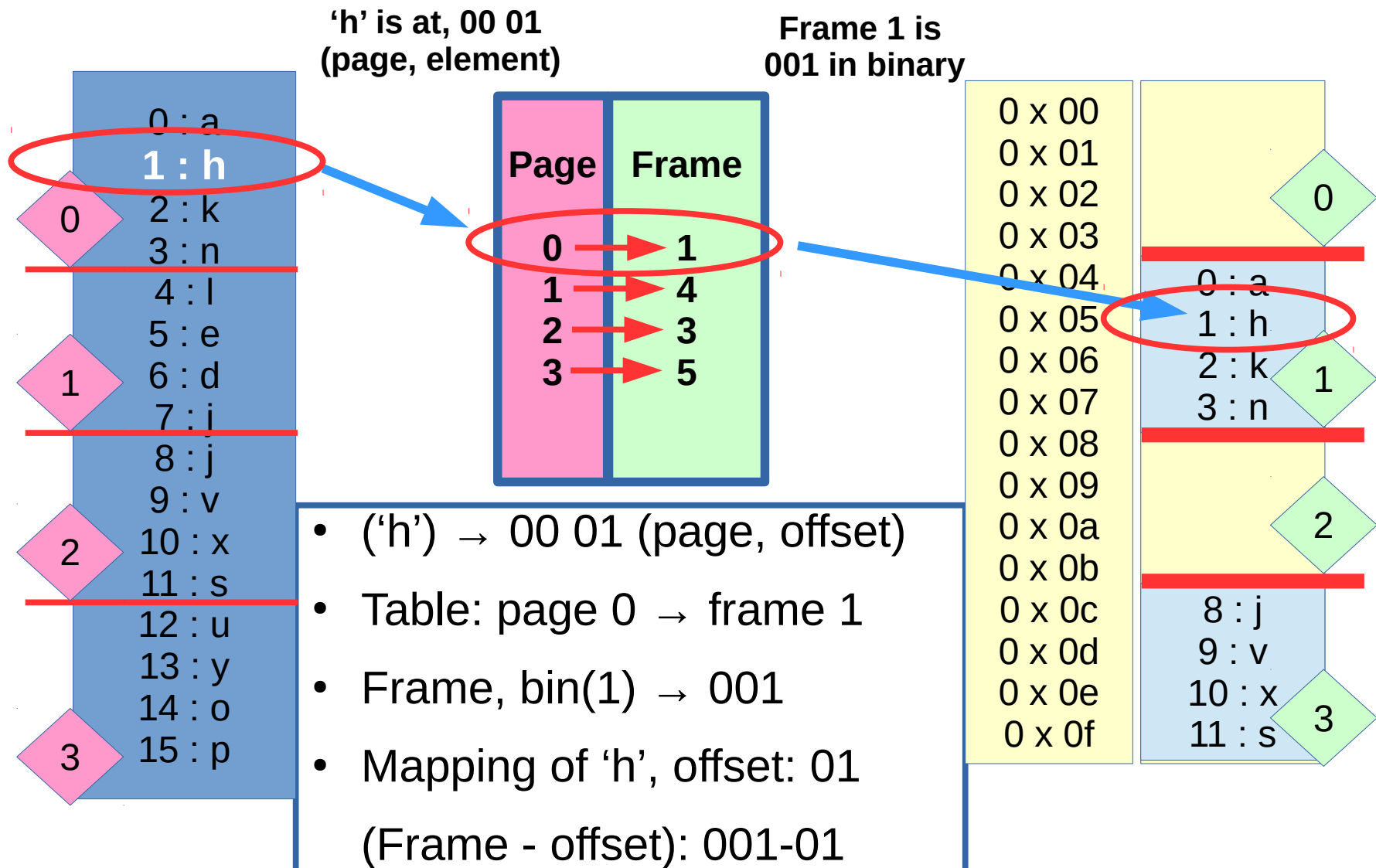


Frame and Page Addresses: 'h'

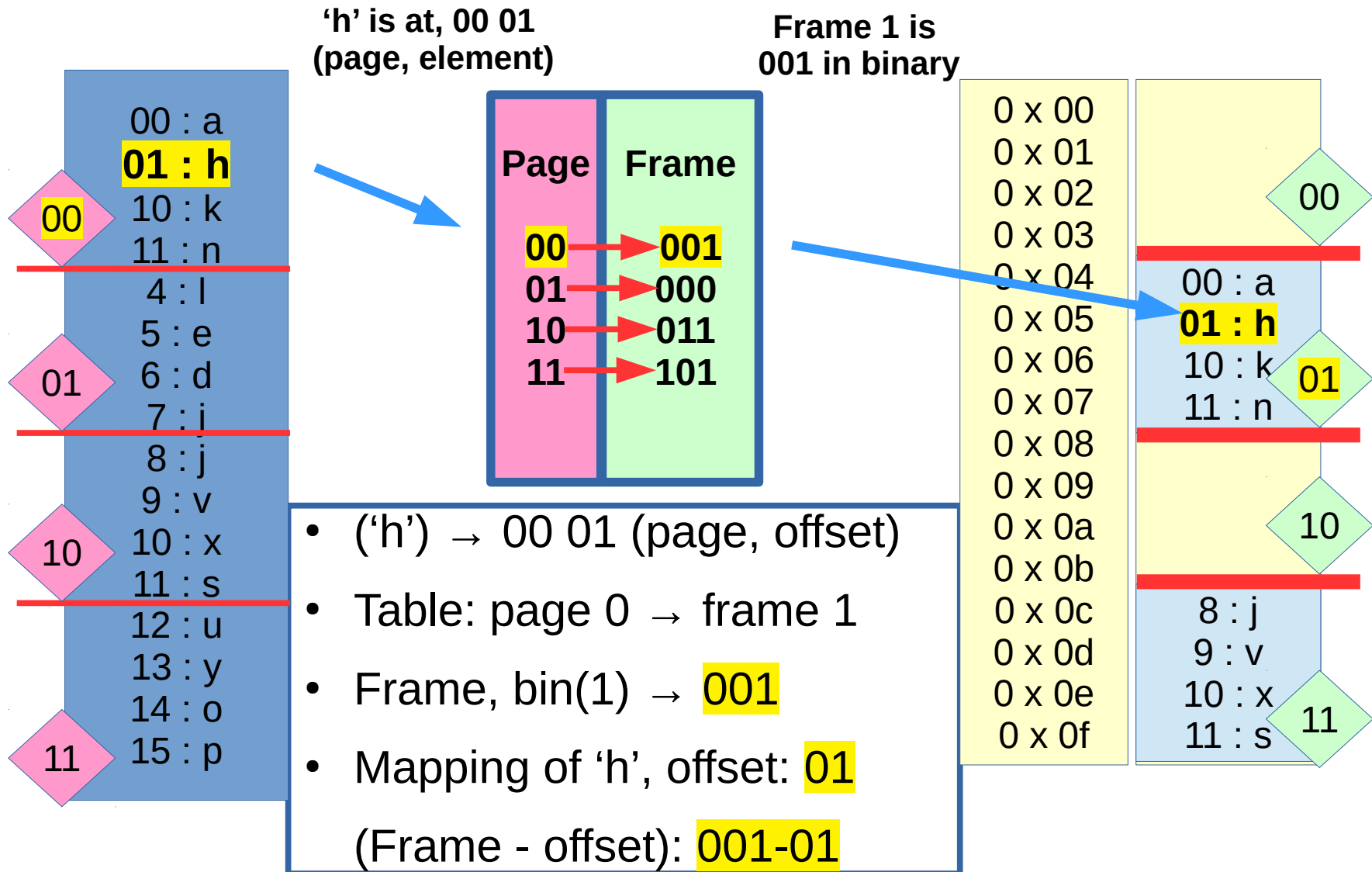
- We see, 'h' is mapped to physical memory at 001-01.
- $\text{Int}(001-01) \rightarrow 5$
- Look at address 5



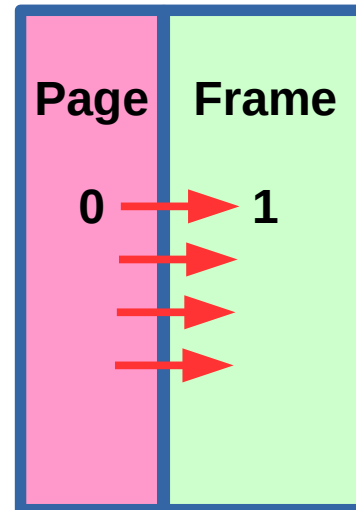
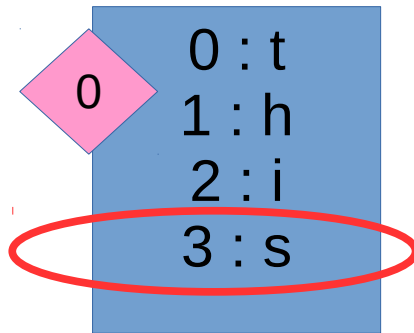
Again, The Pathway



Now, All in Binary

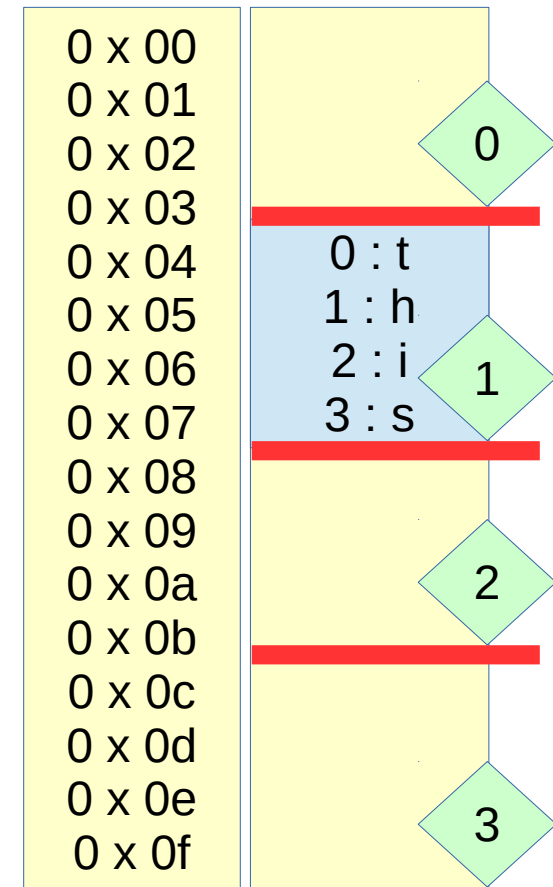


Consider This ...



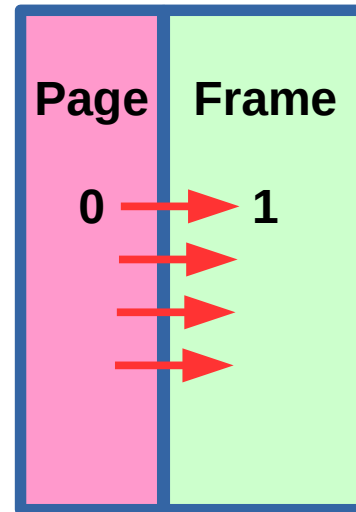
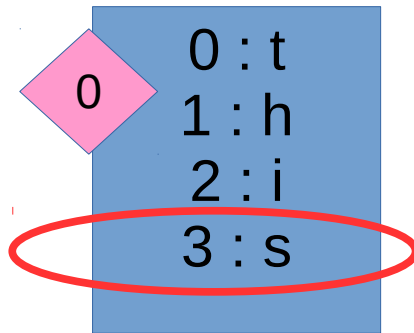
For element 's', fill in the following in binary:

- Page: ??
- Offset: ??
- Frame: ???
- Frame; offset: ???-??
- $\text{Int}(\text{Frame}, \text{offset}) = ?$
- Explain how you know.



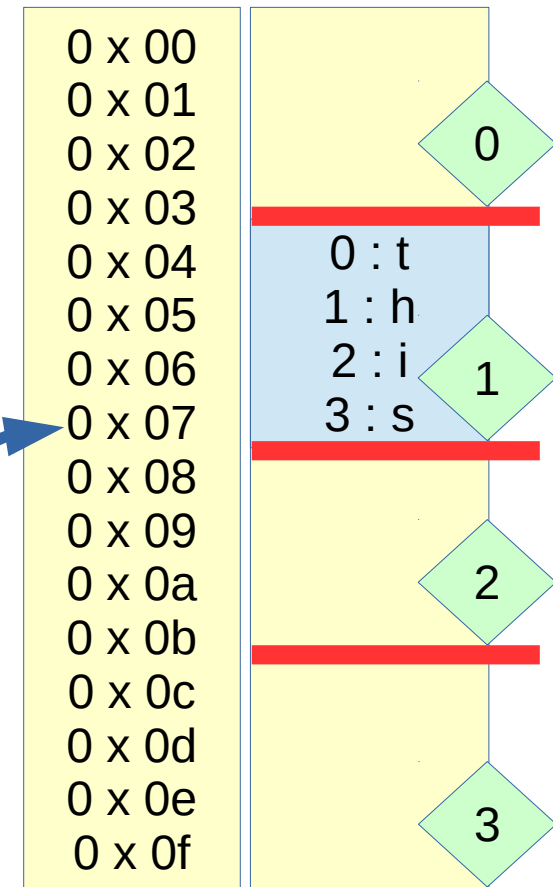
THINK

Consider This: Solution



For element 's', fill in the following in binary:

- Page: 00 (in binary)
- Offset: **11**
- Frame: **001**
- Frame; offset: **001-11**
- $\text{Int}(\mathbf{001-11}) = 7$



THINK

Consider this: Linked Lists

- Look at the code for this lesson (13):
linkedList_demo.c
- Compile: *gcc -o linkedListDemo linkedList_demo.c*
- Run the outputted file: *linkedListDemo*
- *Why does storing values in linked lists make for more efficient memory usage?*

THINK