

| | A | B | C | D | E | F | G | H | I |
|---|---|---|---|---|---|---|---|---|---|
| A | ✓ | x | x | | x | x | | x | x |
| B | x | ✓ | x | x | | x | x | | x |
| C | x | x | ✓ | x | x | | x | x | |
| D | | x | x | ✓ | x | | x | x | |
| E | x | | x | x | ✓ | x | x | | x |
| F | x | x | | x | x | ✓ | x | x | |
| G | | x | x | | x | x | ✓ | x | x |
| H | x | | x | x | | x | x | ✓ | x |
| I | x | x | | x | x | | x | x | ✓ |

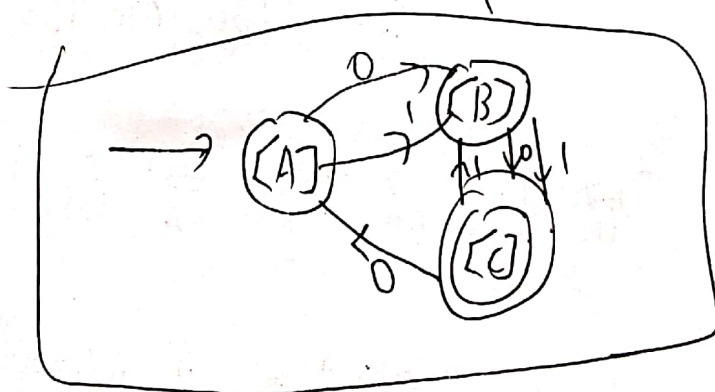
~~A~~ $\sigma(A,1) = \sigma(D,1)$,
 $\sigma(G,1) \notin F$

$\sigma(B,1) = \sigma(F,1)$, $\sigma(H,1) \in F$

$[A] = \{A, D, G\}$

$[B] = \{B, F, H\}$

$[C] = \{C, E, I\}$



5.1-1(c)


$$E \rightarrow \overset{\uparrow}{\text{Al}} / \text{O} / \text{Al} / \text{Be} / \text{B}$$
~~A → B ∨ B ∨ B~~~~B-211001B10B01E = 20151010~~ ~~$B \rightarrow 1010101010101010$~~

$A \mid E_a F_a \mid \bar{E}_a E_b \mid E \bar{E}_a \mid \bar{E} b E_b$ // 前6个到一个作用
 $E \rightarrow B \bar{B} \bar{A} A \bar{A} A \bar{A} A \bar{A} A \bar{A}$

A → B^aB^b | B^bB^a // 前1后有1个不同

B → $\begin{array}{c|c} \text{B} & \text{b} \\ \hline \text{B} & \text{b} \end{array}$ // 前1后同

5-1.1(d)

$$E \rightarrow B | E \bar{E} E$$

B → E | 001 | 010 | 100

5.1-2 (c)

$$S \Rightarrow AIB \Rightarrow OAIB \Rightarrow OOAIB \Rightarrow OOOAIB \Rightarrow OOOOIB \Rightarrow OOOOIB \Rightarrow OOOOIB$$
$$S \xRightarrow{f_m} A|B \xRightarrow{f_m} A|B \xRightarrow{f_m} A|| \xRightarrow{f_m} 0A|| \xRightarrow{f_m} 00A|| \xRightarrow{f_m} 000A|| \xRightarrow{f_m} 000(1)$$


5.1.5

$$\cancel{B \rightarrow 0 \mid 1 \mid e \mid B^* \mid (B)}$$

$$\cancel{S \rightarrow 0 \mid 1 \mid SS \mid S^* \mid (S) \mid S+e \mid e+S \mid A}$$

$$\cancel{A \rightarrow \emptyset}$$

$$S \rightarrow A \mid B \mid C$$

$$\cancel{A \rightarrow 0 \mid 1 \mid AA \mid A^* \mid (A)}$$

$$B \rightarrow \emptyset$$

$$C \rightarrow$$

$$S \rightarrow A \mid A+A \mid AA \mid A^* \mid (A)$$

$$A \rightarrow 0 \mid 1 \mid \emptyset \mid \epsilon$$

5.1.6 (b) 证明: 若推理 $\beta \Rightarrow r$ 为 n 步, 即 $\beta \Rightarrow r$,
 则 $\alpha \Rightarrow r$ 成立 (归纳定义)

~~若 $\alpha \Rightarrow B$, $B \Rightarrow r$, $B \Rightarrow r$ 为 n 步, 则 $\alpha \Rightarrow r$ 成立~~
 若已知

设 $B \Rightarrow r$ 原为 $B \Rightarrow X$, 则: 对于 $n+1$ 步:

则: $A \Rightarrow B$, $B \Rightarrow X$, $A \Rightarrow X$

且有 $X \Rightarrow r$ (n 步)

则 $A \Rightarrow r$, 得证

~~设 $B \Rightarrow r$ 原为 $B \Rightarrow X_1 X_2 \dots X_m$~~

~~则有 $\alpha \Rightarrow X_1 X_2 \dots X_m$~~

~~$X_1 \Rightarrow r_1, X_2 \Rightarrow r_2, \dots, X_m \Rightarrow r_m$, 且 $r = r_1 r_2 \dots r_m$~~

~~则 $\alpha \Rightarrow X_1 X_2 \dots X_m$~~



