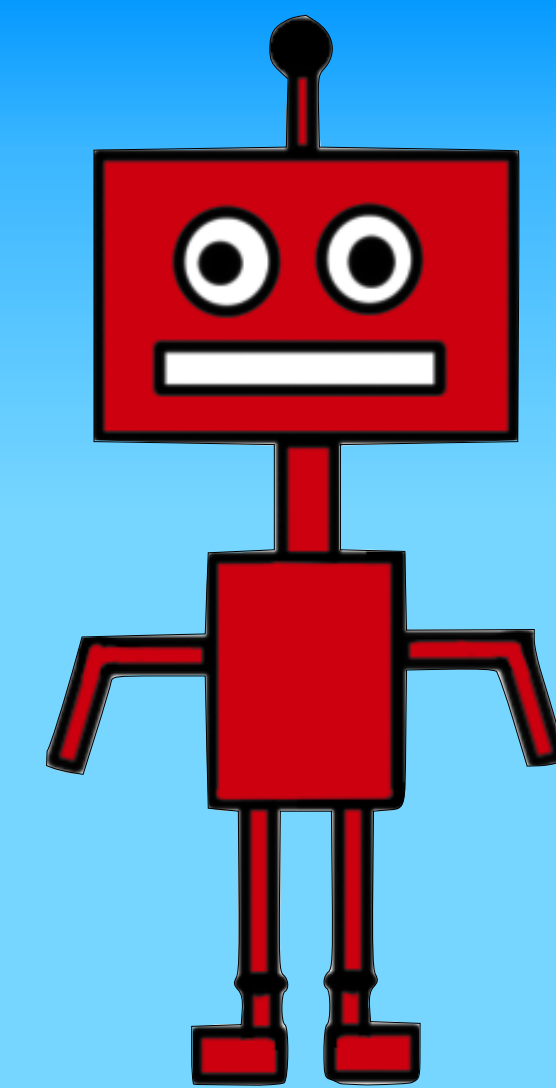


Leveraging and Learning Propositional Function for Large State Spaces

D Ellis Hershkowitz, David Abel, Gabriel Barth–Maron, Stephen Brawner, Kevin O’Farrell, James MacGlashan, Stefanie Tellex
Humans to Robots Laboratory
Department of Computer Science, Brown University



Leveraging

Goal: Enable autonomous agents to learn how to plan efficiently in massive stochastic state spaces using PFs

Want to Infer:

$$\Pr(a_i \in \mathcal{A}_{s,G}^* \mid s, G)$$

(Probability that action i is optimal for state s given goal G — i.e. a Bernoulli)

Estimating Action Optimality:

Tabularly solve a policy for easy worlds in domain, estimate action optimality

Use a set of binary features, (ϕ_s) , to featurize states where p is a propositional function and g is a goal

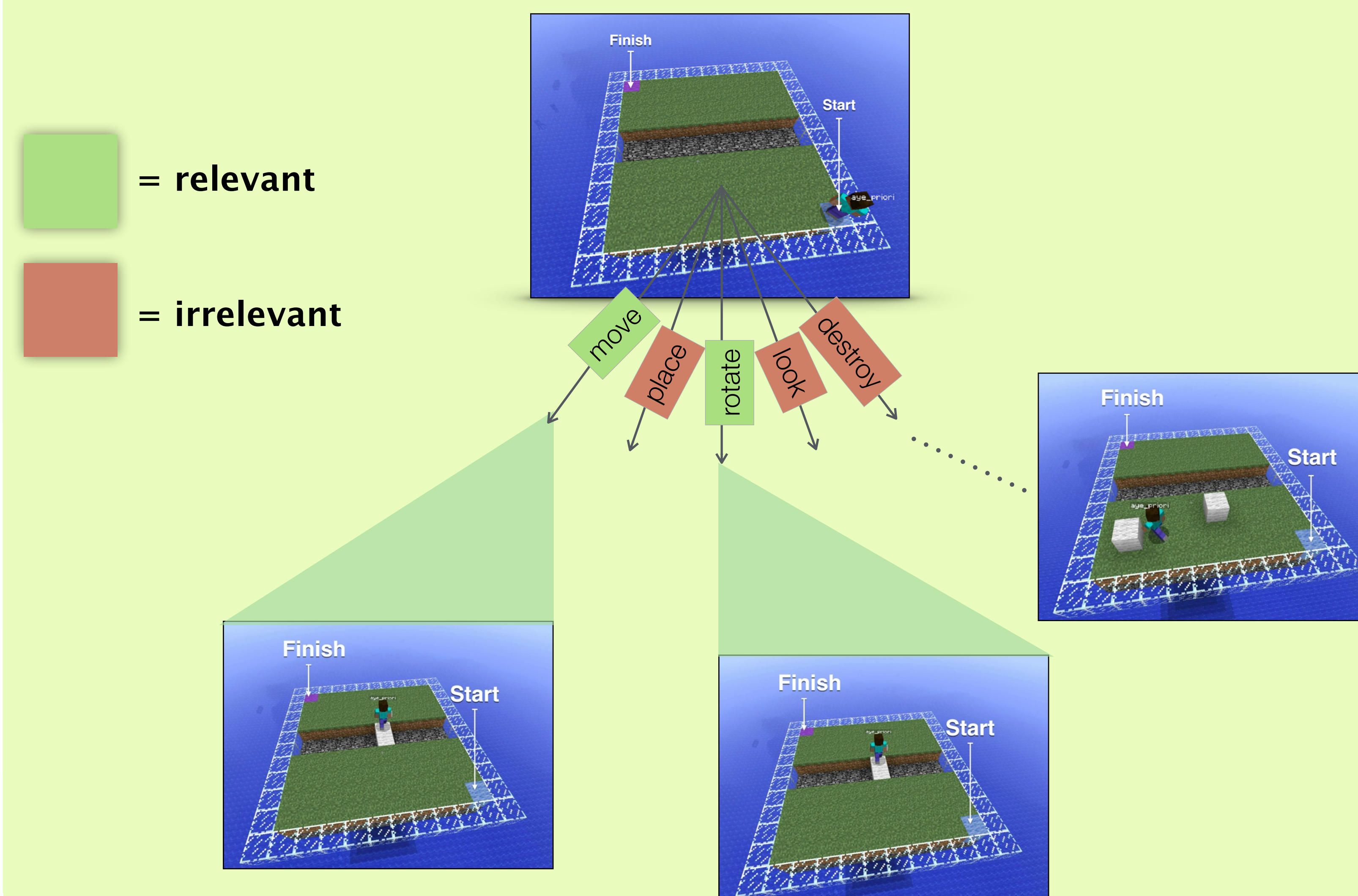
$$\phi_i = \begin{cases} 1 & p_i(s) \wedge g_i(G) \\ 0 & \text{otherwise.} \end{cases}$$

Train Naive Bayes classifiers on easy world policies

$$\Pr(a_i \in \mathcal{A}^* \mid s, G) \approx \alpha C(\phi_j, a_i) \frac{C(a_i)}{C(a_i) + C(\bar{a}_i)}$$

Action Pruning:

Prune actions unlikely to be involved in optimal plan, thereby pruning states, plan in resulting state space



Learning

Goal: Produce useful propositional functions given only an OO-MDP problem representation.

Relationally Featurize States:

First gather RL agent observations in domain

Featurize observed states based on the relative values of object attributes.

$$v(s) = \left\| \begin{matrix} \forall (oClass_1, oClass_2, l) \in (\mathcal{O}^2 \times \mathcal{L}) \forall (att_1, att_2) \in (\text{Att}(oClass_1) \times \text{Att}(oClass_2)) \\ l_{att_1, att_2, oClass_1, oClass_2}(s) \end{matrix} \right\|$$

Create Data Sets for Each DOORMAX Prediction:

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Algorithm 7 DOORMAXLearn Modified to Generate  $D_v$ 
INPUT: a set of observations  $O$ , a state featurizer  $v$ , a  $k$  in the DOORMAX sense
OUTPUT: a set of labeled datasets  $D_v$ 

 $D_v \leftarrow \emptyset$ 
 $\omega \leftarrow \emptyset$ 
//Loop over observations
for all  $(s, a, s') \in O$  do
  for all  $(oClass, att) \in (\mathcal{O} \times \text{Att}(oClass))$  do
    updatedDataSets  $\leftarrow \emptyset$ 
    //Loop over hypothesized effects
    for all  $\text{hypEffect} \in \text{eff}_{oClass, att}(s, s')$  do
      //Check for dataset with prediction for this effect
      if  $\exists d \in D_v$  s.t.  $d.\text{pred.effect} = \text{hypEffect}$  then
         $d.\text{add}((v(s), \text{true}))$ 
      else
        if  $(\text{hypEffect.type}, oClass, att, a) \notin \omega$  then
          newPrediction  $\leftarrow (a, \text{null}, \text{hypEffect})$ 
          newDataSet  $\leftarrow \{(v(s), \text{true})\}$ 
          newDataSet.prediction = newPrediction
           $D_v.\text{add}(\text{newDataSet})$ 
          //Rule out effect type if more than K predictions
          relatedDataSets  $\leftarrow \{d \in D_v \text{ s.t. } d.\text{prediction} \text{ is related to newPrediction}\}$ 
          if  $|\text{relatedDataSets}| > k$  then
             $\omega.\text{add}((\text{pred.effect}, oClass, att, a))$ 
             $D_v.\text{removeAll}(\text{relatedDataSets})$ 
          end if
        end if
      end if
    end for
  end for
  //Update all datasets that did not receive a true with a false
  for all  $d \in D_v$  and  $d \notin \text{updatedDataSets}$  do
     $d.\text{add}((v(s), \text{false}))$ 
  end for
end for
end for
return  $D_v$ 

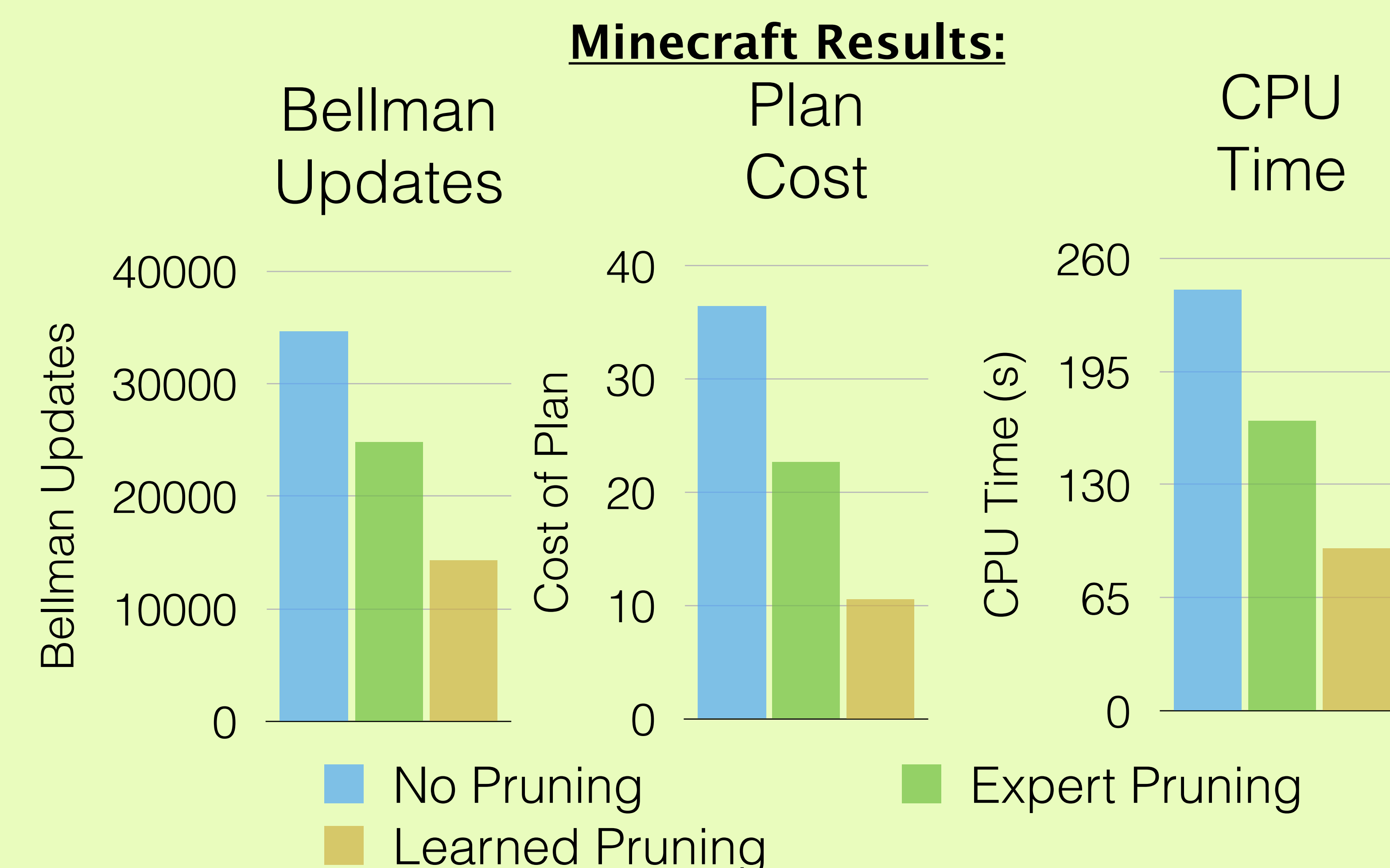
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Turn Each Data Set into a PF:

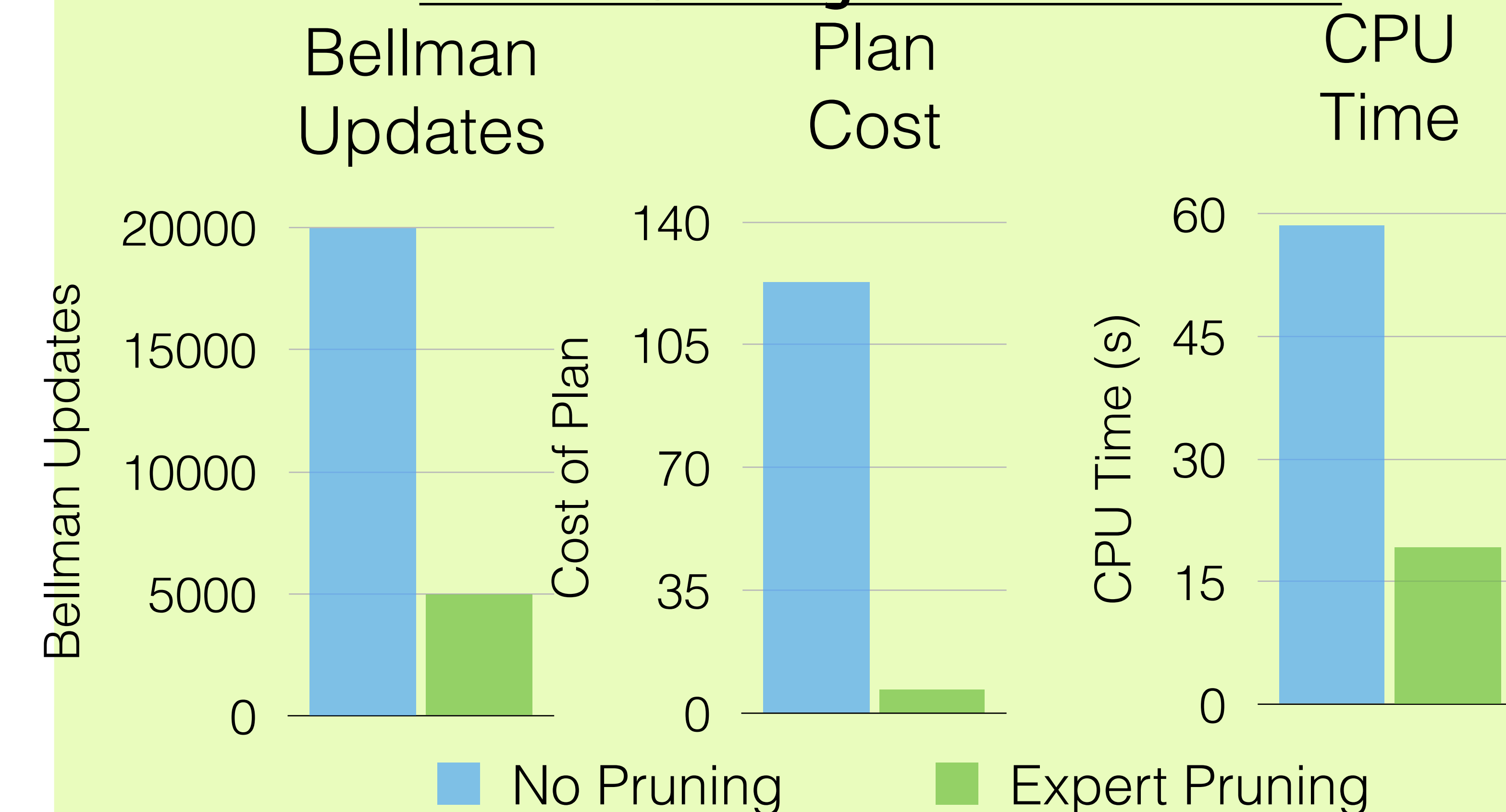
Each dataset becomes a propositional function that results from the classify() routine of a J48 decision tree.

Experimental Results

Leveraging Results:

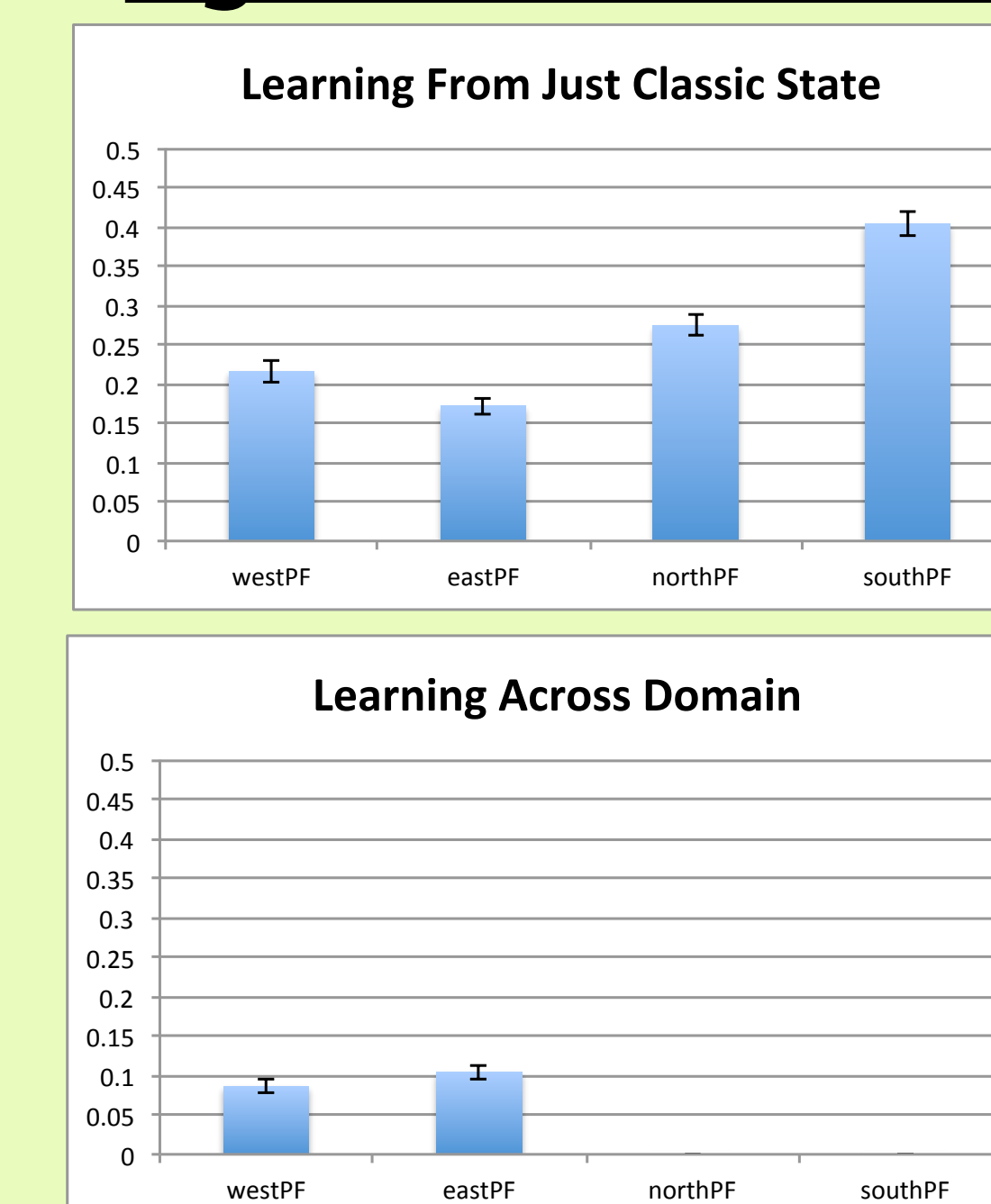


Robotic Cooking Assistant Results:



Learning Results:

Agreement with PFs



DOORMAX Without PFs

