

SQL

(No aggregates!) Relational Table Properties

- (5) SELECT [distinct] col1, col2, agg(col3)
- (1) FROM table1, table2,
- (2) WHERE <predicate> AND <predicate> OR
- (3) GROUP BY <column list>
- (4) HAVING <predicate>
- (6) ORDER BY <columns> [DESC] [ASC]
- (7) LIMIT <integer>;

Everything in SELECT must be in GROUP-BY or is an aggregate

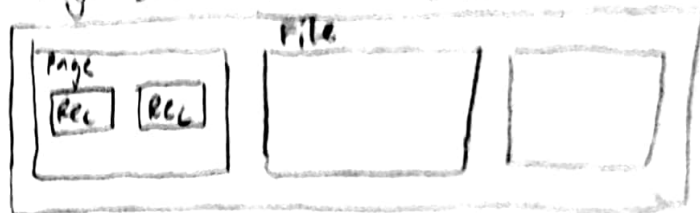
Must contain only GROUP-BY columns or aggregate functions

- Schema is fixed
 - Unique attribute names
 - atomic (primitive) types
- Tables are not ordered (sets, multisets)
- Tables are flat (no nested tables)
 - First Normal Form

Disk Representation

(page ID, location on page)

- DB File: collection of pages
- Page: collection of records



SQL String Comparison

- Old School SQL
 - WHERE S.name LIKE 'B_90' ← returns Bob
 - = any single char; % = 0+ chars

starts with B

Standard Regular Expressions

- WHERE S.name ~ 'B.*' ← returns Bob, McBob
- = any char; * = repeat (0+ times of previous)

SQL Join Variants

From table1

[INNER | NATURAL | LEFT | RIGHT | FULL | OUTER] JOIN table2
ON <qualification list>

- INNER: join tables where "ON" qualification
- NATURAL: join tables for pairs of attributes w/ same name

FROM t1, t2 WHERE t1.id = t2.id = FROM t1 INNER JOIN t2 ON t1.id = t2.id

FROM t1 NATURAL JOIN t2

Assume only matching column names = "id"

LEFT/RIGHT/FULL OUTER JOIN

FROM t1 [LEFT | RIGHT | FULL] OUTER JOIN t2 ON t1.id = t2.id

- LEFT: if t1.id has no match, t2.id is NULL
- RIGHT: if t2.id has no match, t1.id is NULL
- FULL: LEFT and RIGHT both apply

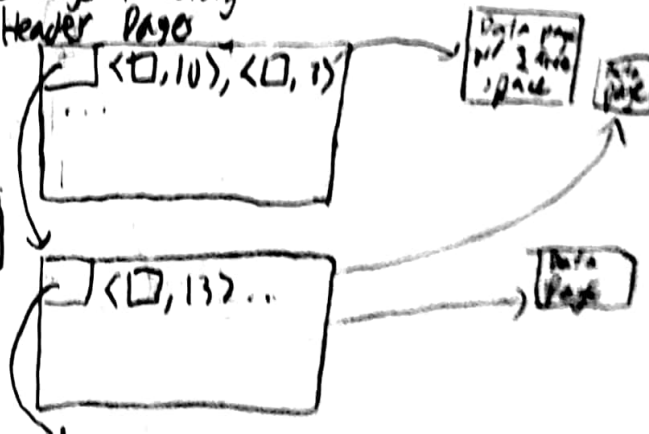
Unordered Heap File

Records placed arbitrarily across pages

1. File as Doubly Linked List



2. Page Directory



Unordered Heap Files vs. Sorted File

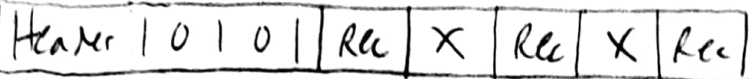
[2, 5, 1, 6, 4, 7, 3, 8, 9] vs. [1, 2, 3, 4, 5, 6, 7, 8, 9, 10]

	Unordered	Sorted	Assume applied page to end of heap file
Scan all records	$B \cdot D$	$B \cdot D$	
Equality search	$O(S \cdot B \cdot D)$	$(\log B) \cdot D$	
Range Search	$B \cdot D$	$(\log B + \text{pages}) \cdot D$	
Insert	$2 \cdot D$	$(\log B + B) \cdot D$	
Delete	$(O(S \cdot B) \cdot D)$	$(\log B + B) \cdot D$	

Sorted files are packed

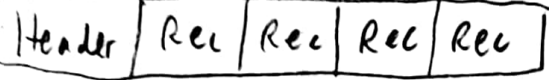
Page Layout

• FIXED record length, UNPACKED records



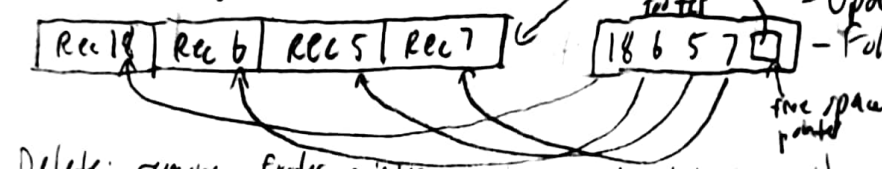
Insert: find first empty slot in bitmap
Delete: find record and clear bit in header

- No organization needed
• FIXED record length, PACKED RECORDS



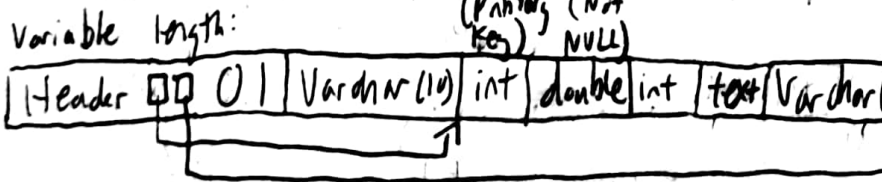
Insert: just append to end
Delete: Scan for record, delete, reorganize all records (b/c pack)

• VARIABLE record lengths, UNPACKED records (Slotted page)

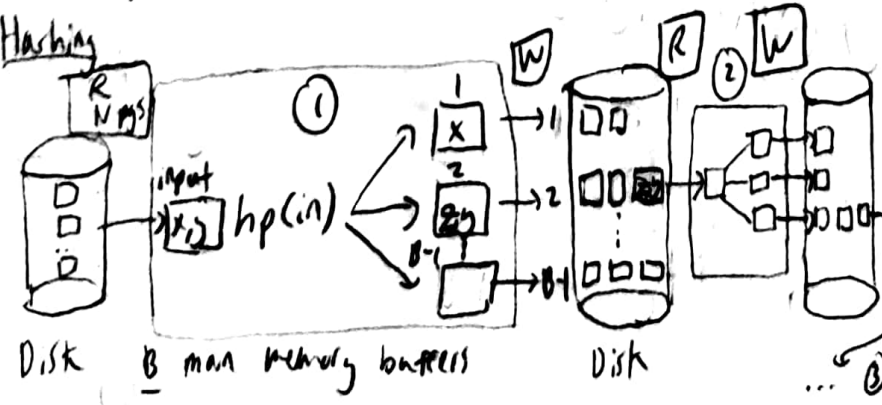


Delete: remove footer pointer (set record slot to null)
Insert: First empty pointer slot of free space pointer
NOTE: footer stores one int and one pointer for EACH record length

• Fixed length:
int char(?)
4 8 14 7 → store 24 bytes
int variable



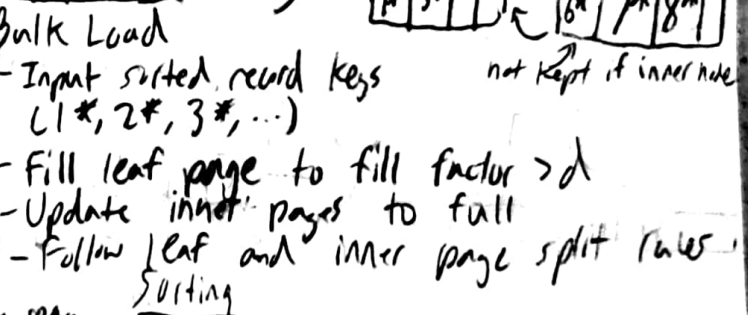
- 2 pointers to variable length attributes
- bitmap (2 bits) where int and text are NULL



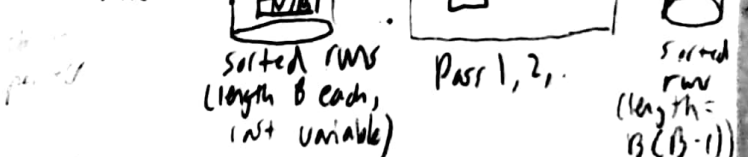
Index Files (B+ trees) - acts similar to B-trees

- Property: # entries per node, $d = \text{order} \leq \text{entries}$
leaves = $(2d+1)^h$ $2d$
- Alternative 1: record contents stored in the leaf node itself
- Alternative 2: Leaf nodes: $\langle k, \text{rid of matching record} \rangle$
- Alternative 3: Leaf nodes: $\langle k, \text{list of rids of records} \rangle$

- Property 1: leaf node entries: $d = \text{order} \leq \text{entries} \leq 2d$
- Property 2: all leaves same dist from root
- Property 3: inner node w/ k have $k+1$ children
- Leaf split insert(8*)



- Bulk Load
- Input sorted record keys (1*, 2*, 3*, ...)
- Fill leaf page to fill factor $> d$
- Update inner pages to full
- Follow leaf and inner page split rules
- General External Merge Sort
- N pages to sort, B buffer pages



- Number of passes: $1 + \lceil \log_{B-1} (N/B) \rceil$
- Total I/Os = (I/Os per pass) * (# passes)
 $= 2N * (1 + \lceil \log_{B-1} (N/B) \rceil)$
- memory: $B(B-1)$ after 2 passes

- ① Divide/split pages into $B-1$ partitions using hp hash function
- ② Conquer: Repeat for big partitions ($> B$ pages), rehash w/ new hash function hp.
- ③ When partition fits in memory ($\leq B$ pages), read + write to disk (Build Pass)

JOIN [R] = # pages in R, P_R = # records per page in R, $|R|$ = # records

Simple Nested Loop Join on θ :

for record r in R : } cost = sum R pages +
for record s in S : } scan S pages per record
if $\theta(r, s)$:
add $\langle r, s \rangle$ to result buffer

Pages Nested Loop Join

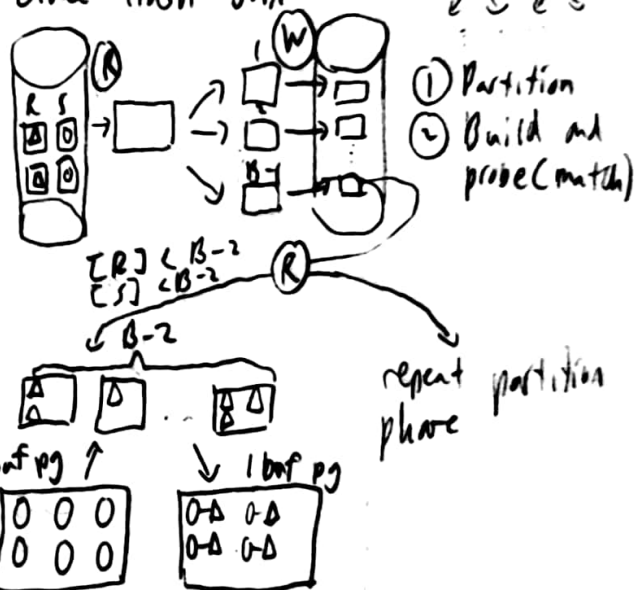
for rpage in R : } cost = $[R] + [R][S]$
for spage in S : }
for rtuple in rpage
for stuple in spage.

if $\theta(r, s)$: add $\langle r, s \rangle$ result buffer

Index Nested Loops Join

for each tuple r in R :
for each tuple s in S , $r = s$:
cost add $\langle r, s \rangle$ to res buffer
lookup(r)
= $[R] + |R|$ (cost to find matching tuples in S)

Brace Hash Join



Block Nested Loop Join

for rchunk of $B-2$ pages of R : } cost =
for spage of S : } $[R] + [R]/(B-2)[S]$
add matching tuples to res buffer

Sort-Merge Join

① Sort R and S by join key

② Join: merge-scan sorted partitions, emit matching tuples

mark = NULL

while r in range:

if not mark:

while $r < s$, advance r

while $r > s$, advance s

mark = s # start if block of s

if $r == s$:

result = $\langle r, s \rangle$

advance s

return result

reset s to mark

advance r

mark = NULL

$r \rightarrow$

sid	sname
22	diana
28	allen
31	john
31	joe
44	hanna
58	ruby

$s \rightarrow$

sid	bid
28	100001
28	100002
31	100003
31	100004
42	010001
58	001000

cost:

best: sort R + sort S + $[R] + [S]$

worst: sort R + sort S + $|R|[S]$

Relational Algebra

Projection (π) = SELECT

Selection (σ) = WHERE

Renaming (ρ) = $\rho_{\text{temp}}(R, \text{sid} \rightarrow \text{sid}_1, \text{sid}_2 \rightarrow \text{sid}_3) (R_1 \times S_1)$
output table name old col \rightarrow new col old table

Union (\cup) = tuples in r_1 OR r_2

Set-difference ($-$) = tuples in r_1 but not in r_2

Cross-Product (\times) = each r_1 row paired w/ each r_2 row

Intersection (\cap) = $S_1 - (S_1 - S_2)$

Theta Join (\bowtie_{θ}) = join on logical expression θ

Natural Join (\bowtie) = equi-join on matching col names

Left Outer Join (\ltimes)

Right Outer Join (\rtimes)

Full Outer Join ($\ltimes\rtimes$)

Group By ($\gamma_{\text{age, count}(*):2}$) = group by age, having count ≥ 2

Iterators

Materializing: save iterator as list on disk (costs I/O)

Streaming: don't need to save on disk (SELECT, π)

Pushdown: equivalent statements

Selection (σ)

cascade: $\sigma_{c_1, c_2, \dots, c_n}(R) \equiv \sigma_{c_1}(\sigma_{c_2}(\dots(\sigma_{c_n}(R))\dots))$

commute: $\sigma_{c_1}(\sigma_{c_2}(R)) \equiv \sigma_{c_2}(\sigma_{c_1}(R))$

Projections

cascade: $\pi_{a_1}(R) \equiv \pi_{a_1}(\pi_{a_2}(\pi_{a_3, \dots}(R)))$

Cartesian Product

associative: $R \times (S \times T) \equiv (R \times S) \times T$

commutative: $R \times S \equiv S \times R$

Query Optimization

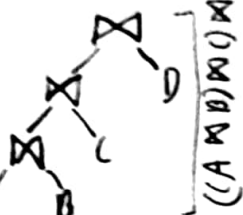
1 Plan Space

- Try diff queries (equivalent relational algebra)
- Try different types of join (brute hash, block)
- Heuristics

- Left-keep trees only

- Avoid Cartesian products

- Selection/Projection pushdown



2 Cost Estimation (cost = #I/O + CPU factor * #tuples)

- Catalog: containing tuple statistics (updated periodically)
- Selectivity (sel) = |output| / |input| of σ term
 - σ term: $\sigma_{t_1 \text{ term } 2 \text{ term } 3}$
 - reflects impact of σ term

$\sigma_{c=d}$	\Rightarrow	$\boxed{1}$, sel = $\frac{1}{5}$
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Predicate Sel

$c=v$ 1 / distinct c

$c=v$ 1 / 10

$c_1=c_2$ 1 / MAX(distinct c_1 , distinct c_2)

$c_1=c_2$ 1 / distinct c_1

$c_1=c_2$ 1 / 10

$c < v$ $(v - \min(c)) / (\max(c) - \min(c) + 1)$ max(d , min(c))

$c > v$ $(\max(c) - v) / (\max(c) - \min(c) + 1)$ max(d , min(c))

$c < v$ 1 / 10

$c > v$ 1 / 10

$c < v$ $(v - \min(c)) / (\max(c) - \min(c) + 1) + \frac{1}{|c|}$ max(c , min(c))

$c > v$ $(\max(c) - v) / (\max(c) - \min(c) + 1) + \frac{1}{|c|}$ max(c , min(c))

$c < v$ 1 / 10

$c > v$ 1 / 10

$c > v$ $(\max(c) - v) / (\max(c) - \min(c))$ max(c , min(c))

$c > v$ 1 / 10

$c < v$ $(v - \min(c)) / (\max(c) - \min(c))$ max(c , min(c))

$c < v$ 1 / 10

$P_1 \wedge P_2$ $S(P_1) * S(P_2)$ independent terms

$P_1 \vee P_2$ $S(P_1) + S(P_2) - S(P_1) * S(P_2)$ independent terms

NOT P $1 - S(P)$

Lesson: can we construct original relation?

Decompose R into A and B

Decomp is lossless iff F^+ contains:

$X \wedge Y \rightarrow X$

$X \wedge Y \rightarrow Y$

BCNF = always lossless

3 Search Algorithm (best join)

pass 1: find minimum cost access method

(Index scan, full scan, etc.)

for each table, and interesting order on interesting index

pass i:

- Consider only: left deep and not Cartesian product (unless all are Cartesian)

- advance only: cheapest cost plan every subset group of relations and interesting order

Interesting Orders

• ORDER BY attributes

• GROUP BY attributes

• downstream join attributes

Functional Dependencies

• FD: $X \rightarrow Y$ (X determines Y)

• Superkey: X is a superkey of R if $X \rightarrow \text{all attributes of } R$

• Candidate key: minimal super key of R (no subset is a superkey)

• Armstrong's Axioms (X, Y, Z are attribute sets)

- Reflexivity: if $Y \subseteq X$, $X \rightarrow Y$

- Augmentation: if $X \rightarrow Y$, $XZ \rightarrow YZ$

- Transitivity: if $X \rightarrow Y$, and $Y \rightarrow Z$, then $X \rightarrow Z$

- Union: if $X \rightarrow Y$ and $X \rightarrow Z$, then $X \rightarrow YZ$

- Decomposition: if $X \rightarrow YZ$, then $X \rightarrow Y$ and $X \rightarrow Z$

• Closure: set of FDs F^+ s.t. $F \rightarrow F^+$

- ex: $\{A \rightarrow B, A \rightarrow C\} \rightarrow \{A \rightarrow B, A \rightarrow C, CA \rightarrow CB\}$

• Attribute closure: set of attributes X^+

s.t. $X \rightarrow X^+$ is in F^+

• Closure algorithm: To find x^+

closure = X

repeat until closure does not change:

for $U \rightarrow V$ in F :

if $U \subseteq \text{closure}$: closure = closure $\cup V$

Normalization: BCNF Decomposition

• R is in BCNF if:

for every FD $X \rightarrow A$ in R , $A \in X$ or X is superkey

• Decompose relation R not in BCNF into multiple relations in BCNF:

for each $X \rightarrow Y$ in F^+ :

if $X \rightarrow Y$ violates BCNF:

Decompose R into $(R - X^+) \cup X, X^+$

Transactions and Concurrency

Transactions follow rules

- Atomicity:** All operations in a transaction happens or no ops happen
- Consistency:** Data starts and ends consistent
- Isolation:** Execution of txns looks like running one at a time
- Durability:** if txn commits, effects persist

Non-conflict swapping:

if two consecutive operations from two txns can be swapped if non-conflicting.

T1: R(A) ... W(A) } resource OR W(A) ... R(A)
T2: W(A) ... R(A)

Conflicting

Conflict equivalent: schedules w/ same txn operations, different orderings (non-conflict swap)

Serializable: a schedule S is equivalent to a serial schedule

Conflict Serializable: schedule S is conflict serializable to some other serial schedule (CS \rightarrow Serial)

Dependency graph:

- One node per transaction
- If an operation in T_i conflicts w/ an operation in T_j and T_i comes first, add edge from T_i to T_j .
- Schedule is conflict serializable IFF dependency graph is acyclic

T1: R(A) R(B) R(C)
T2: R(B) W(C) R(A)

View Serializable: same as conflict serializable but calls W(A) ... W(A)

Non-conflicting, only R(A) ... W(A) is conflicting
- (S \rightarrow VS)

Simple Locking

S	X
S	X
X	X

 on a resource

- An S lock lets a txn read a resource
- many txns can hold S locks on a resource at once
- An X lock lets a txn modify a resource
- No other txn can have any type of lock while a txn has X lock
- If a txn can't get a lock it wants, it blocks and waits until another txn releases the conflicting lock

Deadlocks

T1: R(A), R(B) } T1 waits for T2's lock on B
T2: R(B), W(A) } B, while T2 waits for T1's lock on A

- Priority:** older txns = higher priority
- wait-die:** if T_i wants T_j 's lock
- if T_i higher priority, wait for T_j to release
- if T_i lower priority, T_i aborts
- wound-wait:** if T_i wants T_j 's lock
- if T_i higher priority, T_j aborts ("wound")
- if T_i lower priority, T_j waits
- "waits-for" graph**
- One node for each txn
- If T_j waits for T_i , edge from T_j to T_i
- Cycle means deadlock

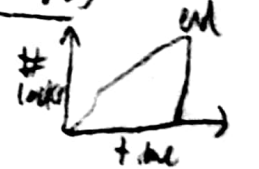
2 Phase Locking (2PL)

- A txn may not acquire a lock after releasing any lock
- Conflict Serializable guaranteed



Strict 2-Phase Locking (Strict 2PL)

- Same as 2PL except all locks released at end of txn
- Avoids cascading aborts



Multi-granularity Locking

	NL	IS	IX	SIX	S	X
NL	✓	✓	✓	✓	✓	✓
IS	✓	✓	✓	✓	✓	X
IX	✓	✓	✓	X	X	X
SIX	✓	✓	X	X	X	X
S	✓	✓	X	X	X	X
X	✓	X	X	X	X	X

- To get S or IS lock on a node, need IS or IX on parent node
- To get X, IX, or SIX on a node, need IX or SIX on parent node
- Assume Strict 2PL unless interfere w/ txn's new operation

Recovery

- STEAL**: txns can flush pages w/ uncommitted updates
 Pros: Can maximize use of buffer pages
 Cons: Must undo if program crashes before commit
- FORCE**: Force dirty pages to disk before commit
- NO-STEAL**: txns cannot flush pages w/ uncomm. changes
- NO-FORCE**: dirty pages allowed to not be forced on disk upon commit

Write ahead logging
 - txn not committed until log records for changes written to disk
 - Changes must be logged before data modified on disk

Undo Logging (Atomicity)
 (dirty page) → updated element → old value
 (Start T) (Commit T) (Abort T) (T, X, V)
 • If T commits, then FLUSH(X) must be written to disk before (Commit T)
 • If T modifies X, then (T, X, V) written to log before FLUSH(X)

Redo Logging (Durability)
 (dirty page) → updated element → new value
 (Start T) (Commit T) (Abort T) (T, X, V)
 • If T modifies X, both (T, X, V) and (Commit T) must be logged before
 FLUSH(X)
 Undo: flush(X), flush(Y), commit(txn)
 Redo: commit(txn), flush(X), flush(Y)

ARIES (STEAL, NO FORCE)

- Writes
 UPDATE log record for every write
- Commit:
 Write COMMIT log record, flush log to disk, "committed" is status, release txn locks, write END log record, remove from txn table
- Abort (See UNDO)
 Write ABORT log record, write CLR record for each UPDATE the txn logged in reverse order, release txn locks, write END log record, remove from txn table
- Assume strict 2-phase locking and write-ahead logging
- Data structures

ATT

Txn	LastLSN	Status
T1	10	Running
T2	20	Committing
T3	40	Running
T4	50	Aborting

DPT

Page	reclsn
P1	0
P3	10

- Transaction Table: information on currently active transactions (Running, Committing, aborting)
- Dirty page table: dirty pages in memory not yet written to memory

① **Analysis**: identify changes not written to disk and active txns at time of crash

- Start at last BEGIN-CHECKPOINT and scan all following log records
- For each record:
 if record is UPDATE/CLR:
 if txn not in ATT: add it (Txn ID, Status, lastLSN)
 if txn in ATT: update lastLSN
 if record is ABORT/COMMIT: update ATT (Status, lastLSN)
 if record is END: remove transaction from ATT

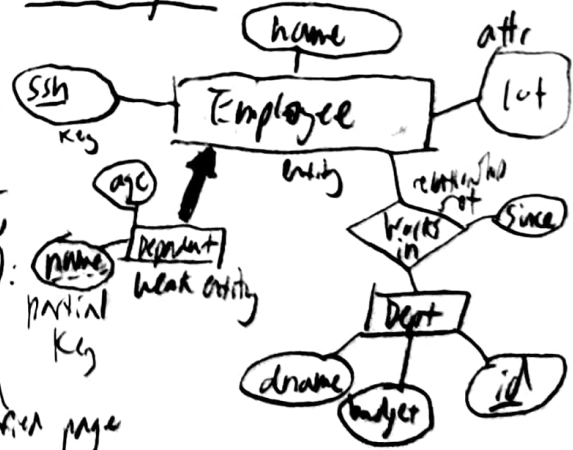
② **REDO**: Repeat all actions to restore database state to what it was at the time of the crash from the smallest reclsn

- For each UPDATE/CLR beginning from min(all reclsn in DPT):
 REDO operation UNLESS any of the following is true:
 - affected page not in DPT
 - reclsn of page in DPT > LSN
 - pageLSN of page (in DB disk) ≥ LSN

③ **UNDO**: Undo the actions of transactions that did not commit

- For all "loser" (active) transactions:
 undoLSN = lastLSN
 while undoLSN != NULL:
 if record at undoLSN is UPDATE:
 undo record w/ undoNextLSN = record's prevLSN
 Add END record for this txn to CLR

ER diagrams



- Key constraint → participant in at most one
- Participation constraint → participant in at least one
- Key constraint with total participation → exactly one
- Non-key partial participation 0 or more