

Team 4 - Allen Cheung, Megan Sin, Vrandol Perez

Question 1. Consider the problem of placing k knights on an $n \times n$ chessboard such that no two knights are attacking each other, where k is given $k \leq n^2$. Formulate a CSP $\langle V, C, D \rangle$ for this problem.

$V = \{K_1, K_2, K_3, K_4, \dots, K_n\}$ - n -variables for the position of each knight (it is only n variables because the position is $n \times n$) K is the variable for each knight for $1 \leq K \leq n$

$C = \{C_1, C_2, C_3, C_4, C_5, C_6, C_7, C_8, C_9\}$ For all variables $A(\{x, y\})$, $B(\{u, v\})$, then these are not allowed (This is the movement of the knights)

$C_1 = (x=u+2 \ y=v+1)$

$C_2 = (x=u+1 \ y=v-2)$

$C_3 = (x=u-1 \ y=v+2)$

$C_4 = (x=u+2 \ y=v-1)$

$C_5 = (x=u+1 \ y=v+2)$

$C_6 = (x=u-1 \ y=v-2)$

$C_7 = (x=u-2 \ y=v-1)$

$C_8 = (x=u-2 \ y=v+1)$

$C_9 = \text{Alldiff}(K_1, K_2, K_3, K_4, \dots, K_n)$

$D = \{D_1, D_2, D_3, D_4, \dots, D_n\}$ where $D = \{1, 2, 3, 4, \dots, n\}$ for $1 \leq D \leq n$ For every variable there is a $\{x, y\}$ pair denoting location.