

ANSWER KEY

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|------|-------|-------|
| 1. B | 10. A | 19. D |
| 2. E | 11. C | 20. D |
| 3. D | 12. D | 21. B |
| 4. E | 13. A | 22. C |
| 5. E | 14. C | 23. B |
| 6. C | 15. A | 24. E |
| 7. B | 16. D | 25. D |
| 8. D | 17. A | 26. D |
| 9. D | 18. C | |

ANSWERS EXPLAINED

- (B) When x is converted to an integer, as in segment I, information is lost. Java requires that an explicit cast to an `int` be made, as in segment II. Note that segment II will cause x to be truncated: The value stored in y is 14. By requiring the explicit cast, Java doesn't let you do this accidentally. In segment III y will contain the value 14.0. No explicit cast to a `double` is required since no information is lost.
- (E) The string argument contains two escape sequences: `\\`, which means print a backslash (`\`), and `\n`, which means go to a new line. Choice E is the only choice that does both of these.
- (D) Short-circuit evaluation of the boolean expression will occur. The expression $(n \neq 0)$ will evaluate to false, which makes the entire boolean expression false. Therefore the expression $(x / n > 100)$ will not be evaluated. Hence no division by zero will occur, causing an `ArithmeticException` to be thrown. When the boolean expression has a value of false, only the else part of the statement, `statement2`, will be executed.
- (E) For this choice, the integer division $13/5$ will be evaluated to 2, which will then be cast to 2.0. The output will be $13/5 = 2.0$. The compiler needs a way to recognize that real-valued division is required. All the other options provide a way.
- (E) The operators `*`, `/`, and `%` have equal precedence, all higher than `-`, and must be performed first, from left to right.

$$\begin{aligned}
 &13 - 3 * 6 / 4 \% 3 \\
 = &13 - 18 / 4 \% 3 \\
 = &13 - 4 \% 3 \\
 = &13 - 1 \\
 = &12
 \end{aligned}$$

- (C) The expression must be evaluated as if parenthesized like this:

13. (A) If $(c < a)$ is false, $((c == a*b) \&\& (c < a))$ evaluates to false irrespective of the value of $c == a*b$. In this case, $!(c == a*b \&\& c < a)$ evaluates to true. Then $(a < b) || \text{true}$ evaluates to true irrespective of the value of the test $(a < b)$. In all the other choices, the given expression *may* be true. There is not enough information given to guarantee this, however.
14. (C) If $a == b$ is false, then $a != b$ is true. Thus, the second piece of the compound test must be evaluated before the value of the whole test is known. Since $a == b$ is false, $a - b$ is not equal to zero. Thus, there is no division by zero, and no exception will be thrown. Also, since the relative values of a , b , and n are unknown, the value of the test $n / (a - b) > 90$ is unknown, and there is insufficient information to determine whether the compound test is true or false. Thus, either `/* statement 1 */` or `/* statement 2 */` will be executed.
15. (A) If $n \geq 1$, both segments will print out the integers from 1 through n . If $n \leq 0$, both segments will fail the test immediately and do nothing.
16. (D) The `(value != SENTINEL)` test occurs before a value has been read from the list. This will cause 0 to be processed, which may cause an error. The code must be fixed by reading the first value before doing the test:

```
final int SENTINEL = -999;
int value = IO.readInt();
while (value != SENTINEL)
{
    //code to process value
    value = IO.readInt();
}
```

17. (A) Quick method: Convert each hex digit to binary.

$$\begin{aligned} & \quad 3 \quad D_{\text{hex}} \\ &= 0011 \quad 1101 \quad (\text{where } D \text{ equals } 13 \text{ in base } 10) \\ &= 111101_{\text{bin}} \end{aligned}$$

Slow method: Convert $3D_{\text{hex}}$ to base 10.

$$\begin{aligned} 3D_{\text{hex}} &= (3)(16^1) + (D)(16^0) \\ &= 48 + 13 \\ &= 61_{\text{dec}} \end{aligned}$$

Now convert 61_{dec} to binary. Write 61 as a sum of descending powers of 2:

$$\begin{aligned} 61 &= 32 + 16 + 8 + 4 + 1 \\ &= 1(2^5) + 1(2^4) + 1(2^3) + 1(2^2) + 0(2^1) + 1(2^0) \\ &= 111101_{\text{bin}} \end{aligned}$$

18. (C) Start by converting each of the three numbers to hexadecimal:

$$\begin{aligned} 14 &= (0)(16^1) + (14)(16^0) = 0E \\ 20 &= (1)(16^1) + (4)(16^0) = 14 \\ 255 &= (15)(16^1) + (15)(16^0) = FF \end{aligned}$$

Therefore $(14, 20, 255) = \#0E14FF$.