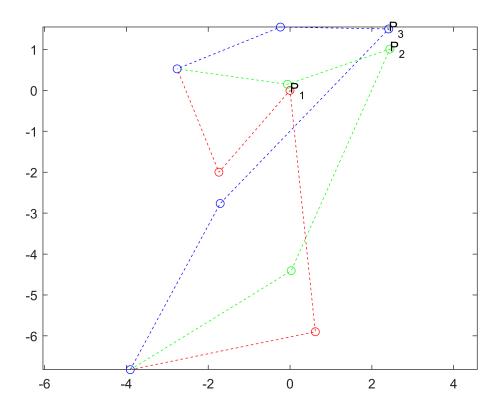
Allen Izuigerdo HW6

Problem #1

```
% Problems 1 and 2 uses figure 5.6 (textbook) to name identifiers, e.g. alpha is coupler display
clc;clf
d2r = pi/180;
b2 = 20*d2r;
                 % beta
b3 = 50*d2r
b3 = 0.8727
a2 = -30*d2r;
                 % alpha
a3 = -50*d2r;
g2 = 60*d2r;
                 % gamma
g3 = 90*d2r;
P1 = [0,0];
                 % Precision Points
P2 = [2.4426, 1.0108];
P3 = [2.4137, 1.5017];
% Fundamental Dimensional Analysis Problem (DA), 3 Precision Points (3P), 3 Prescribed Angles
[W1, Z1, U1, S1] = fourBarSolveDA_3P_3A(P1,P2,P3,a2,a3,b2,b3,g2,g3)
W1 = 1 \times 2
    4.5246
            0.9275
Z1 = 1 \times 2
   -0.6192
           5.8995
U1 = 1 \times 2
   1.0220
           -2.5253
S1 = 1 \times 2
    1.7383
            1.9989
W = norm(W1); % linkage lengths
Z = norm(Z1);
U = norm(U1);
S = norm(S1);
theta = dir2D(W1); % linkage initial angles
sigma = dir2D(U1);
ZinitDir = dir2D(Z1);
SInitDir = dir2D(S1);
% Ground Links
a0 = P1 - Z1 - W1
a0 = 1 \times 2
   -3.9053
          -6.8270
b0 = P1 - S1 - U1
```

```
b0 = 1 \times 2
   -2.7602 0.5264
% Constructing Kinematic Chains and Configurations
Chain1 = [W1;...
    Z1;
    -S1;
    -U1]
Chain1 = 4 \times 2
   4.5246 0.9275
   -0.6192 5.8995
   -1.7383 -1.9989
   -1.0220 2.5253
Chain2 = [Vec2D(W,theta + b2);...
    Vec2D(Z, ZinitDir + a2);...
    -Vec2D(S, SInitDir + a2);...
    -Vec2D(U, sigma + g2)]
Chain2 = 4 \times 2
           2.4191
    3.9345
           5.4187
    2.4135
   -2.5048 -0.8620
   -2.6980 0.3776
Chain3 = [Vec2D(W,theta + b3);...
    Vec2D(Z, ZinitDir + a3);...
    -Vec2D(S, SInitDir + a3);...
    -Vec2D(U, sigma + g3)]
Chain3 = 4 \times 2
   2.1978 4.0622
   4.1212 4.2665
   -2.6486
           0.0467
   -2.5253 -1.0220
% Draw Chains in 2D Space
Offset = a0;
drawKinematicChain2D(Chain1, Offset, '--ro')
hold on;
drawKinematicChain2D(Chain2, Offset, '--go')
drawKinematicChain2D(Chain3, Offset, '--bo')
text(P1(1), P1(2), 'P_1');
text(P2(1), P2(2), 'P_2');
text(P3(1), P3(2), 'P_3');
```



Problem #2

clc,clf;

 $U1 = 1 \times 2$ -0.6055

 $S1 = 1 \times 2$

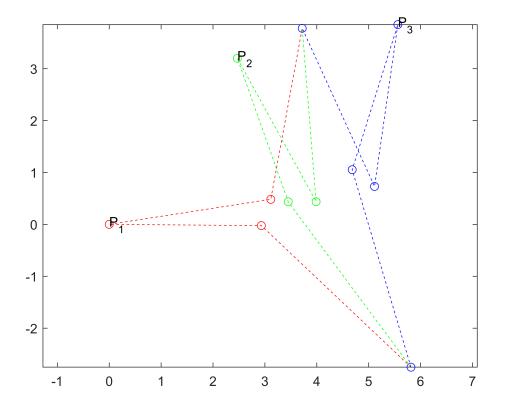
-3.2954

```
% See Previous Problem
d2r = pi/180;
b2 = -10*d2r;
b3 = -30*d2r
b3 = -0.5236
a2 = -70*d2r;
a3 = -107*d2r;
g2 = 15*d2r;
g3 = 35*d2r;
P1 = [0,0];
P2 = [2.4696, 3.1993];
P3 = [5.5634, 3.8500];
% Fundamental Dimensional Analysis Problem (DA), 3 Precision Points (3P), 3 Prescribed Angles
[W1, Z1, U1, S1] = fourBarSolveDA_3P_3A(P1,P2,P3,a2,a3,b2,b3,g2,g3)
W1 = 1 \times 2
   -2.8841
             2.7285
Z1 = 1 \times 2
   -2.9325
            0.0239
```

```
W = norm(W1); % links lengths
Z = norm(Z1);
U = norm(U1);
S = norm(S1);
theta = dir2D(W1); % links initial angles
sigma = dir2D(U1);
ZinitDir = dir2D(Z1);
SInitDir = dir2D(S1);
% Ground Links
a0 = P1 - Z1 - W1
a0 = 1 \times 2
   5.8166
           -2.7524
b0 = P1 - S1 - U1
b0 = 1 \times 2
    3.7198
             3.7776
% Constructing Kinematic Chains and Configurations
Chain1 = [W1;...
    Z1;
    -S1;
    -U1]
Chain1 = 4 \times 2
   -2.8841 2.7285
   -2.9325
           0.0239
   3.1143
           0.4822
    0.6055
           3.2954
Chain2 = [Vec2D(W,theta + b2);...
    Vec2D(Z, ZinitDir + a2);...
    -Vec2D(S, SInitDir + a2);...
    -Vec2D(U, sigma + g2)]
Chain2 = 4 \times 2
   -2.3665
           3.1879
   -0.9805
             2.7638
    1.5182
           -2.7616
   -0.2680
           3.3398
Chain3 = [Vec2D(W,theta + b3);...
    Vec2D(Z, ZinitDir + a3);...
    -Vec2D(S, SInitDir + a3);...
    -Vec2D(U, sigma + g3)]
Chain3 = 4 \times 2
   -1.1335 3.8051
    0.8802 2.7974
```

```
-0.4494 -3.1192
-1.3941 3.0467
```

```
% Draw Chains in 2D Space, offset vector loop by ground link position
Offset = a0;
drawKinematicChain2D(Chain1, Offset, '--ro')
hold on;
drawKinematicChain2D(Chain2, Offset, '--go')
drawKinematicChain2D(Chain3, Offset, '--bo')
text(P1(1), P1(2), 'P_1');
text(P2(1), P2(2), 'P_2');
text(P3(1), P3(2), 'P_3');
```



Problem #4

```
clc,clf
d2r = pi/180;
a2 = 5*d2r; % Alpha
a3 = -5*d2r;
b2 = 30*d2r; % Beta
b3 = 60*d2r;
g2 = 65*d2r; % Gama
g3 = 130*d2r;
G1 = Vec2D(1,0); % Constant Ground Link Vectorr
G = norm(G1);
% Solve for Link Vectors (G = 1)
```

```
[W1, V1, U1] = fourBarSolveDA_3A_1G(G,a2,a3,b2,b3,g2,g3)
W1 = 1 \times 2
    0.5325
             0.2935
V1 = 1 \times 2
    0.7991 -0.2885
U1 = 1 \times 2
    0.3316
           0.0050
theta = dir2D(W1); % Crank Angle
rho = dir2D(V1); % Coupler
sigma = dir2D(U1); % Follower
W = norm(W1) % Crank Length
W = 0.6080
V = norm(V1) % Coupler
V = 0.8496
U = norm(U1) % Follower
U = 0.3316
% Link Configurations
W2 = Vec2D(W, theta + b2);
V2 = Vec2D(V, rho + a2);
U2 = Vec2D(U, sigma + g2);
W3 = Vec2D(W, theta + b3);
V3 = Vec2D(V, rho + a3);
U3 = Vec2D(U, sigma + g3);
% Precision Points
P1 = W1 + V1
P1 = 1 \times 2
    1.3316
           0.0050
P2 = W2 + V2
P2 = 1 \times 2
             0.3026
    1.1356
P3 = W3 + V3
P3 = 1 \times 2
    0.7830
             0.2508
% Formulate Vector Chains for configurations and graphing
Chain1 = [W1;V1;-U1];
Chain2 = [W2;V2;-U2];
```

```
Chain3 = [W3;V3;-U3];

Offset = [0,0];
drawKinematicChain2D(Chain1, Offset, '--ro')
hold on;
drawKinematicChain2D(Chain2, Offset, '--go')
drawKinematicChain2D(Chain3, Offset, '--bo')
text(P1(1), P1(2), 'P_1');
text(P2(1), P2(2), 'P_2');
text(P3(1), P3(2), 'P_3');
```

