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EM
                                                                                                                                                           decisions
                                                                                                                                                                                                                                                      info theory
goal: max lap(x, z|0)

lower taund: L(p'0) = \sum p'(z|x,0) lag p(x,z|0)

E: max L(p', G) = \sum p'(z|x,0) lag p(z|x,0)

E: max L(p', G) = \sum p(z|x,0) lag p(z|x,0)

ext{MEU}(ale) = max EU(ale)

ext{VPI}(T) = E_T[MEU(ale,t)] - MEU(a,e)

ext{VPI}(T) = \sum p(x,y) lag p(x,y)

ext{NEU}(ale,t)] - MEU(a,e)

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ext{VPI}(T) = \sum p(x,y) lag p(x,y)

ext{NEU}(ale,t)] - MEU(a,e)
                                                                                                                                                                                                                               H(Y|X) = -\sum_{x} p(x) \leq p(y|x) \log p(y|x)
                                                                                                                        valit: (1(s) = R(s)+ } = max[P(s)|s,a).u(s))
                                                                                                                                                                                                                                           - Jensens: E[s(x)] = s[E[x]]
  OZMI F DSEZ WI
                                                                                                                                     TT^*(s) = argmax UT(s)
 newton: 0=0-(025)-105
                                                                                                                                                                                                                                                     when f convex
exact line search: min over steprize
                                                                                                              Policy it: (U(s) = R(s)+ & E P(s'15, a). ((s'))
backtracking line search: Keep doubling
 Convexity defs, while below some approx
                                                                                                                                               passive r
                                                                                                                                                                                                                                                                           Oca < Zhou [xTx]
       1. Hess
                                                                                                            ADP: (P(s'Is,a), R(s)) > Bellman
         2. Jensen's
                                                                                                           TD: 5-51: UT(S) = UT(S)+X[R(S)-UT(S)+TUT(S))
        3. tangent line
 Strengly convex:
    f(x_2) \ge f(x_1) + \nabla f(x_1)^T (x_2 - x_1) + \frac{m}{2} ||x_2 - x_1||_2^2 ADP:
                                                                                                                                                                                          Error term (- should be on right)
                                                                                                                                                                                                                                                                                                   add duality
                                                                                                                          Q(s,a) = R(s)+7 max & P(s'Is,a) ( max Q(s'a')
                            density estimation (reg.)
 P(y|x,0) = Z,P(z'=1|x,B) . p(y|z'=1,x,0)
                                                                                                                        TD:Q(s,a)=Q(s,a)+a[R(s)-Q(s,a)+7 max Q(s',a')]
                                                                                                                                                                                                                                                                                                              logic
                                                                                                                          SARSA: Q(5,a) = Q(5,a)+4[R(5)-Q(5,a)+8Q(5,a)]
                                mixing prop mixture comp.
 Cx. GMM: P(XIB) = ETT; N(X|MI, E.)
                                                                                                                                  U(s)=value(s)= max Q(s,a)
ex. (in reg: p(y|zi=1,x,e)=) (g|BTz,5.2) PSD: xTAx >0 4x
Sigmoid(s) = 1 = ex

= ex+1
                                                                                                                                  gradient: R: > R vields R!
                                                                                                                               gradient: R: > K victos in

Jacabian: IRm > Rn yields ofi ... ofi

Dxm
                                                                                                                                                                                                                                                                             A(Y=1|x) = \sigma(\omega Tx)
\operatorname{softmax}(z_1,...,z_n) = \left[\frac{e^{z_1}}{ze^{z_1}}....\right]
                                                                                                                             Hessian: R. . R. yiebs 35
                                                                                                                                                                                                                                                                           (cross-entery: - Ep(y) log pp(y)
ln(xy) = ln(x) + ln(y)

N(\mu, \sigma^2) = \sqrt{\frac{1}{2\pi\sigma^2}} exp(\frac{-(x-\mu)^2}{2\sigma^2})
                                                                                                                          Frobenius norm: 1/Ally = JEA; = JEX; Z
                                                                                                                                                                                                                                                                            Sums
                                                                                                                                                                                                                                                                       Canonical: (2\pi T)^{\frac{N}{2}} |\Sigma|^{\frac{N}{2}} \exp((x-\mu)^T \Sigma^{-1}(x-\mu)) diagonalization: (2\pi T)^{\frac{N}{2}} |\Sigma|^{\frac{N}{2}} \exp(x^2 + \mu) diagonalization: (2\pi T)^{\frac{N}{2}} \otimes (2\pi T)^{\frac{N}{2}} \otimes
                                                                                                                           spectral/Ly norm: ||A||2 = omax(A)
                                                                                                                                                                                                                                                                     s.t. e: 20 +;
                                                                                                                                                                                                                                                                                 Y; (wTx; -b) ≥ 1-e; ti
                                                                                                               pca: Cov(x) = UDVT ~ U cols are PCs
                                                                                                                                                                                                                                                              binary: min 1 | w| 2 + C & max (1-4; (wTx; -b), 0)
                        exp(a=1) 1- = x 1/x)
                                                                                                                                                                                                                                                          decision tree
                                                                                                                               Exi = E Var (xi)
                                                                                                                                                                                                                                                       Info gain: H(Parent) - weighted are H(children)
   Price = arguax p(XIO)
                                                                                                                            search
                                                                                                    h(n) edmissible: h(n) < cost(n = geal)
                                                                                                                                                                                                                                                     nearest reighbor
                                                                                                  h(n) consister: h(n) -h(n) < cost(n > n)
  EMAP = agmax p(x10)p(0)
                                                                                                                                                                                                                                                   ·K-d tree
                                                                                               AC-3: apply constraints, readd neighbors, repeat
                                                                                                                                                                                                                                                  locality sensitive hashing
 Bayes = ( (6/2) do
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