This is the beginning of an exciting subtraction of derivatives. Relax and enjoy!

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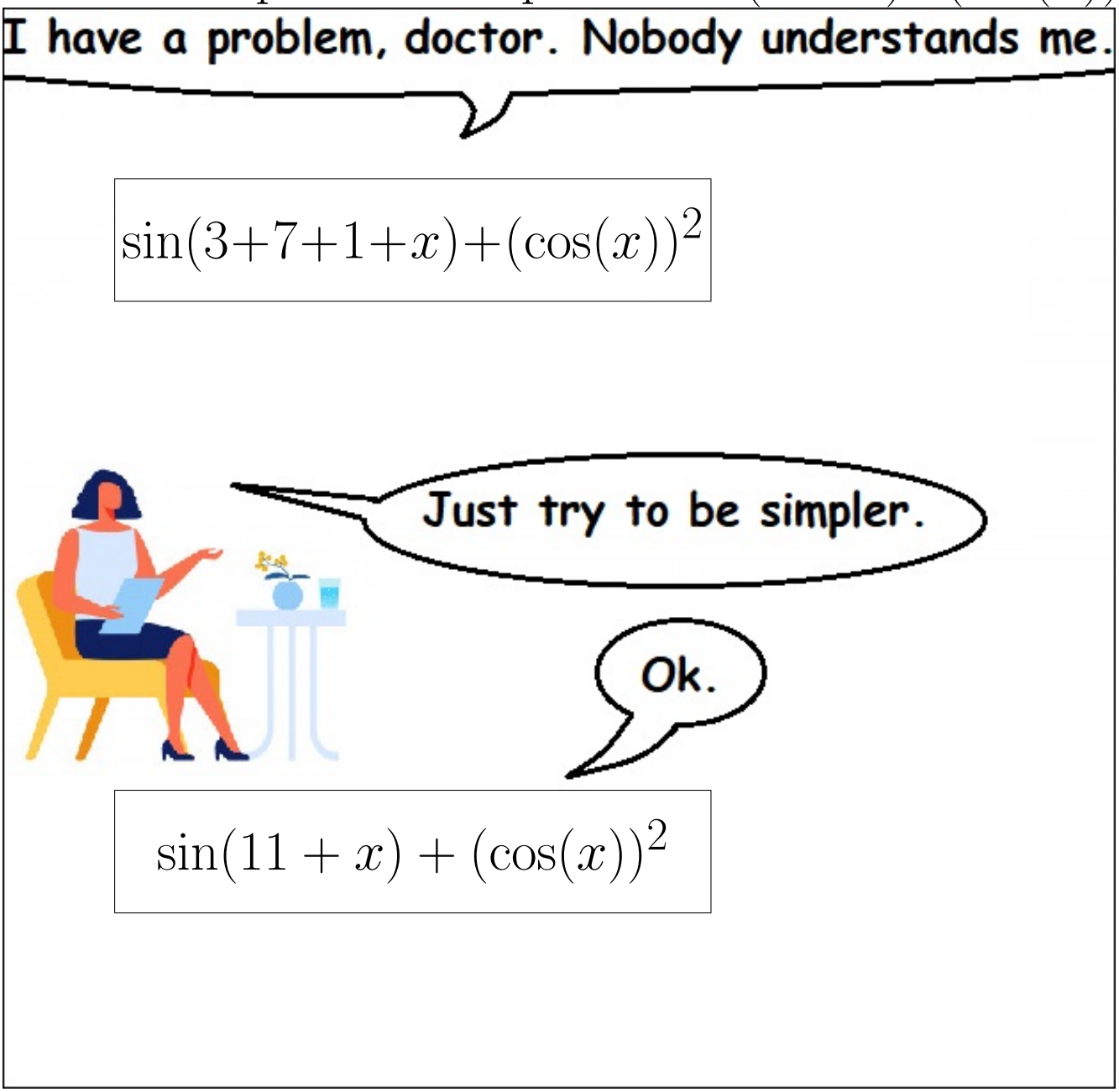
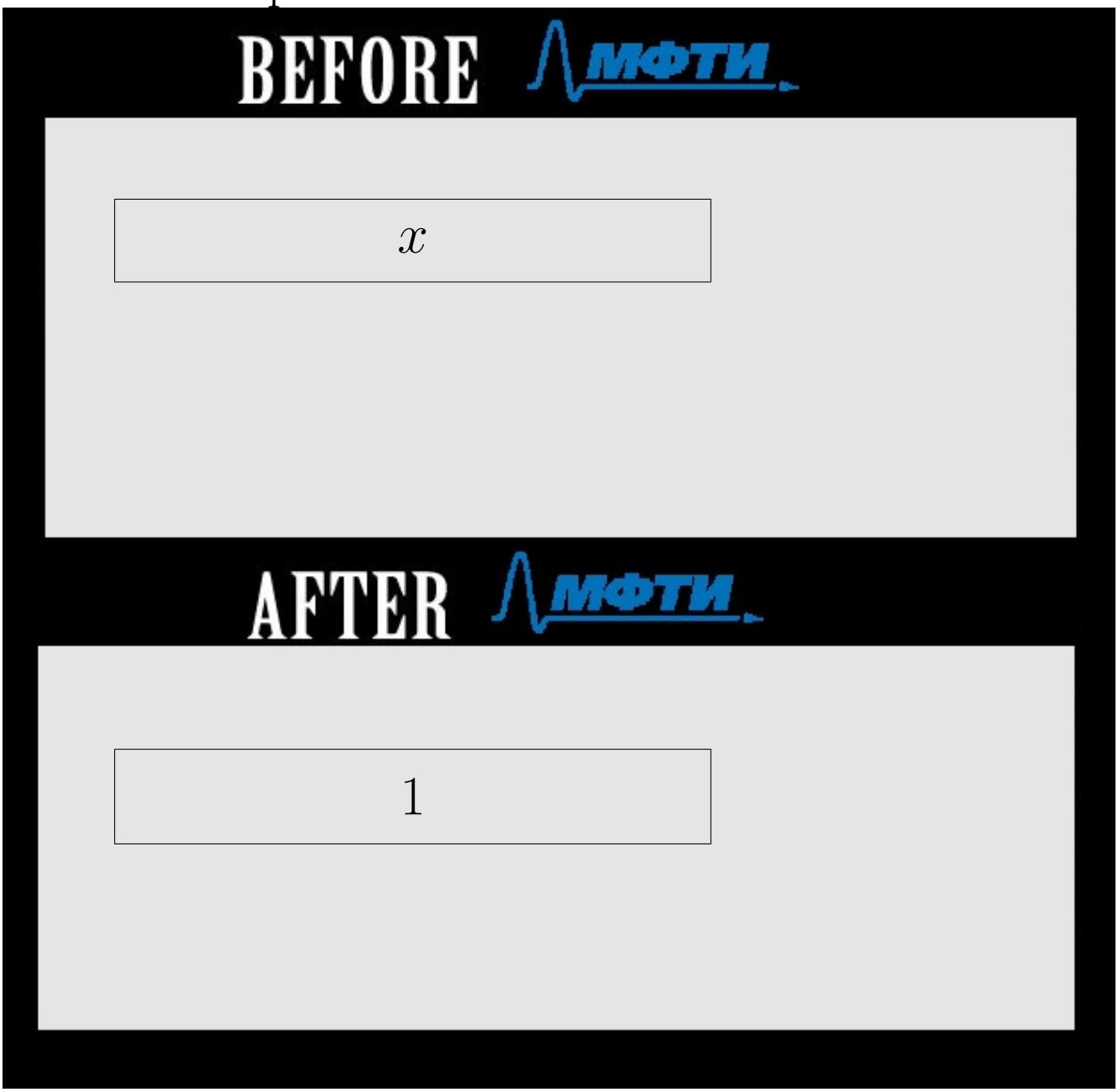
1 This is subtraction of 1'st derivative

Let's make simpler $\sin(3+7+1+x)+(\cos(x))^2$
Now this expression simpled to $\sin(11+x)+(\cos(x))^2$



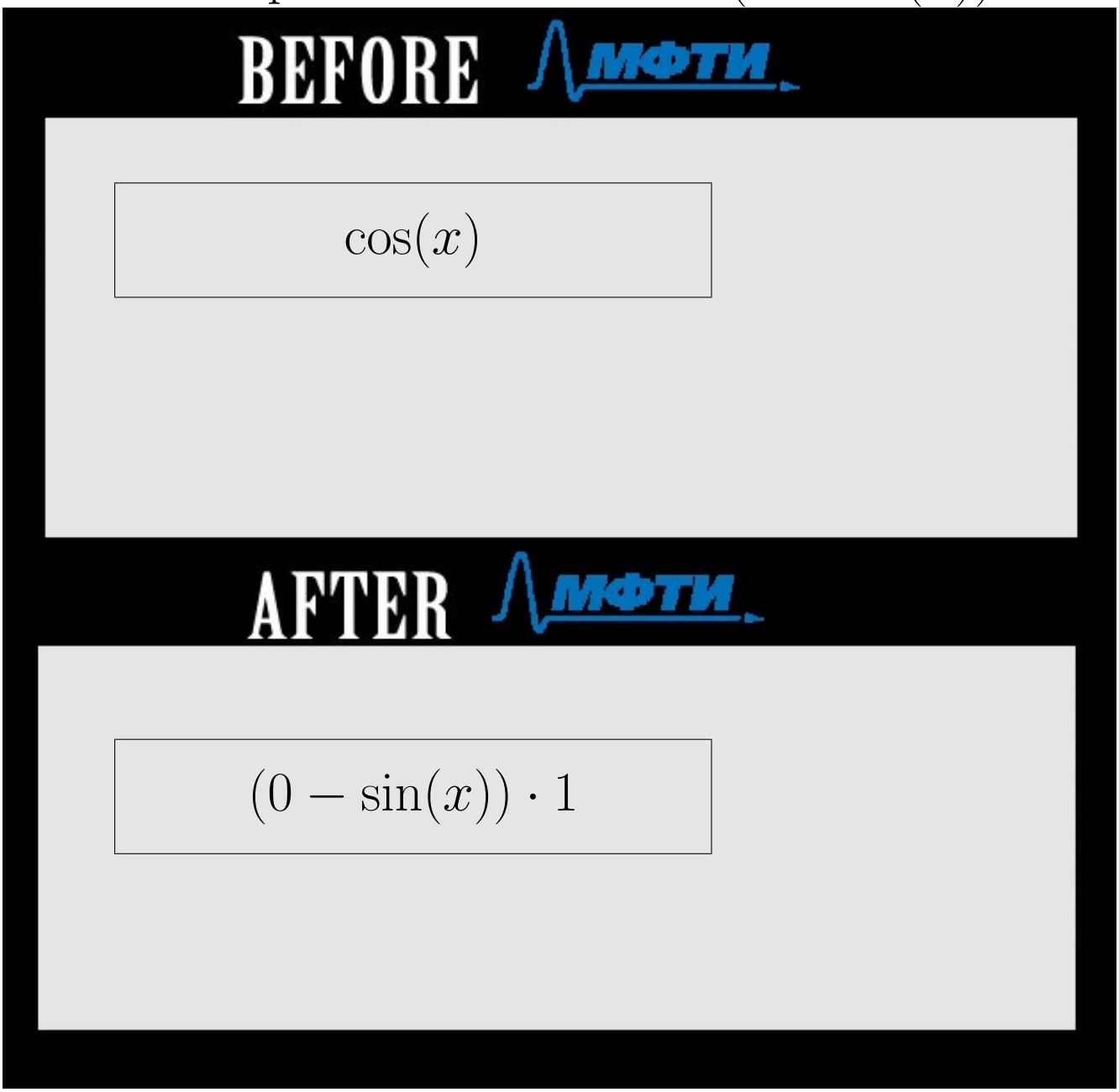
Let's differentiate x

Now this expression turned into 1

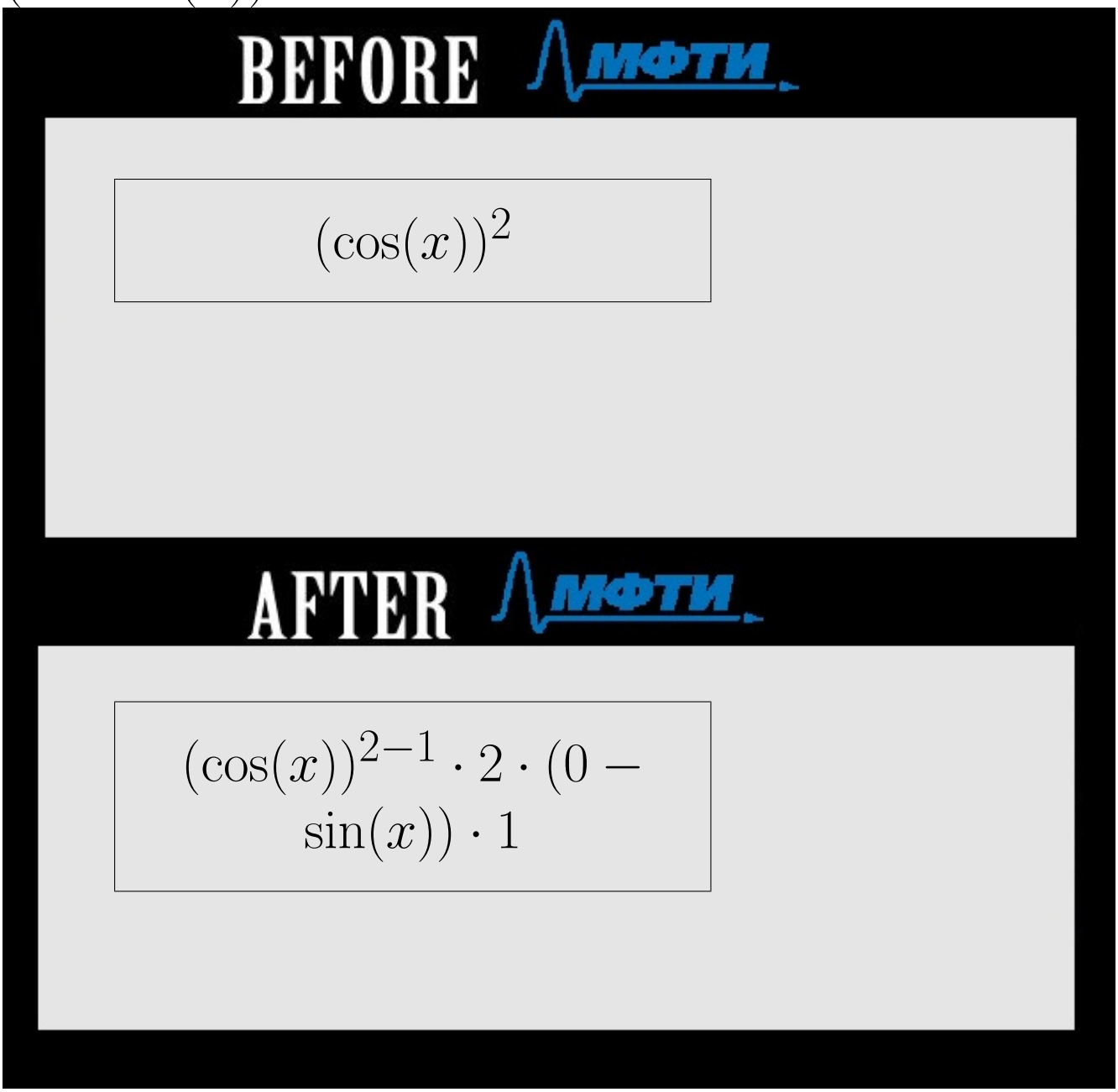


Let's differentiate $\cos(x)$

Now this expression turned into $(0 - \sin(x)) \cdot 1$

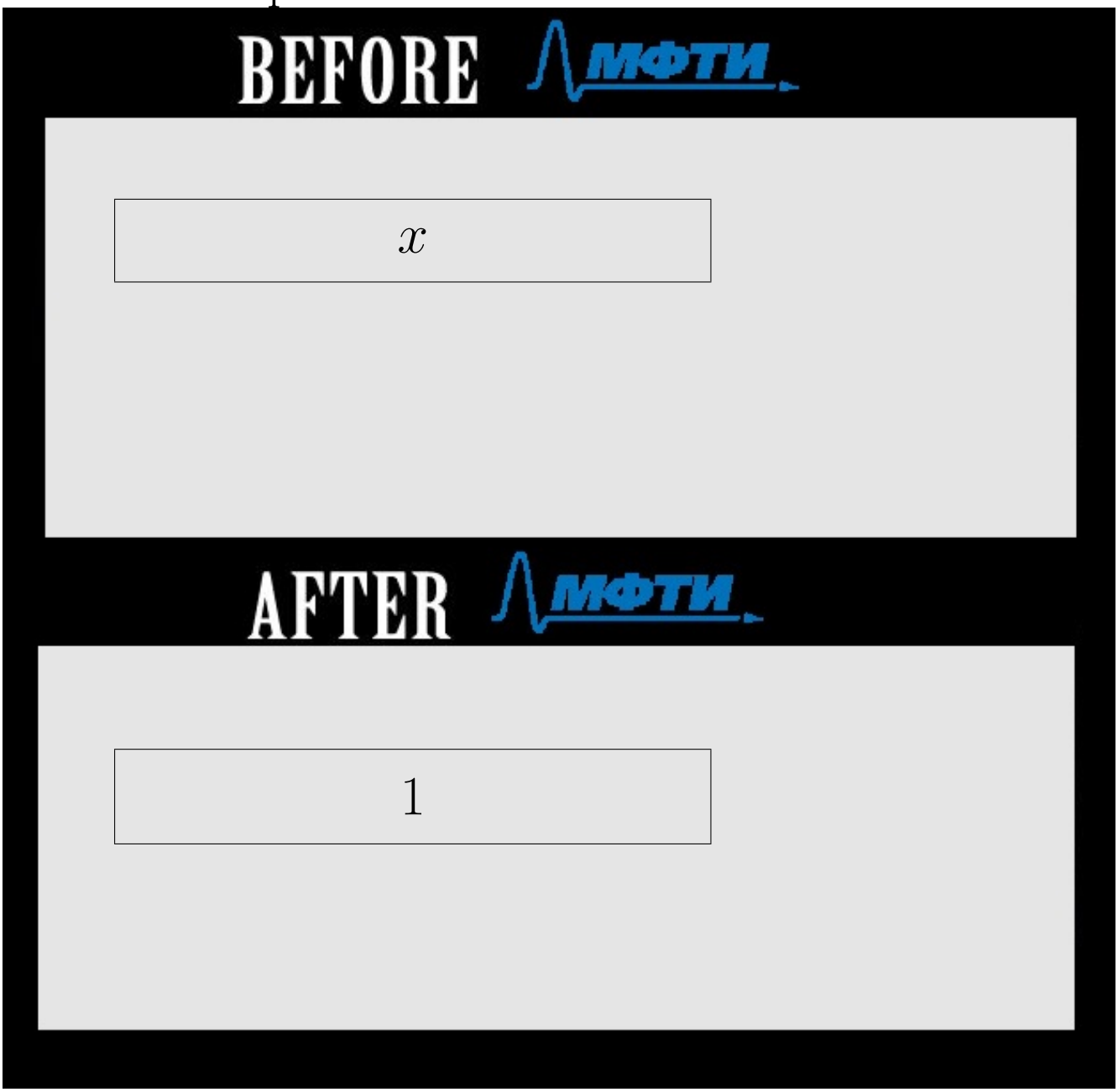


Let's differentiate $(\cos(x))^2$
Now this expression turned into $(\cos(x))^{2-1} \cdot 2 \cdot (0 - \sin(x)) \cdot 1$



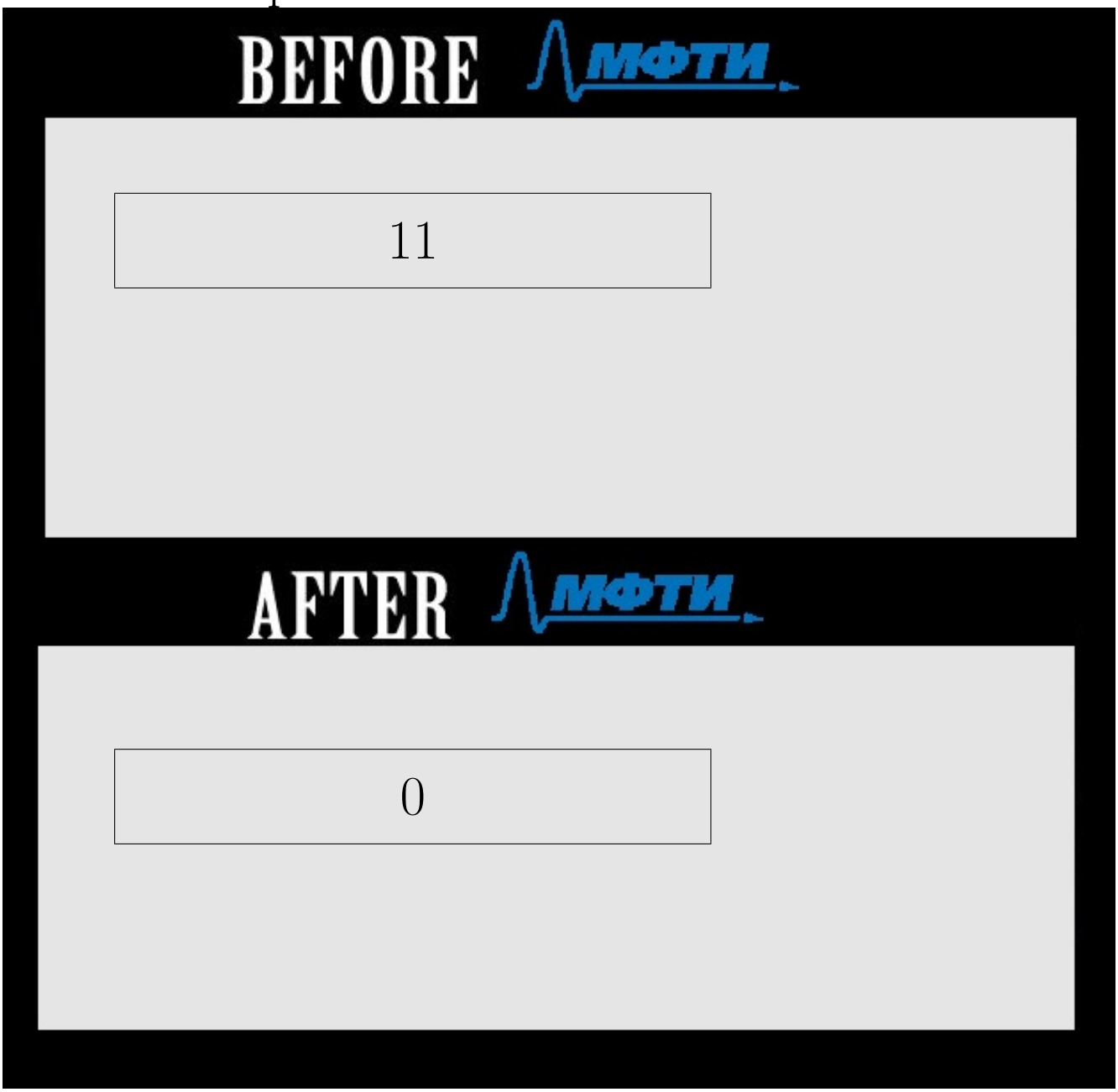
Let's differentiate x

Now this expression turned into 1



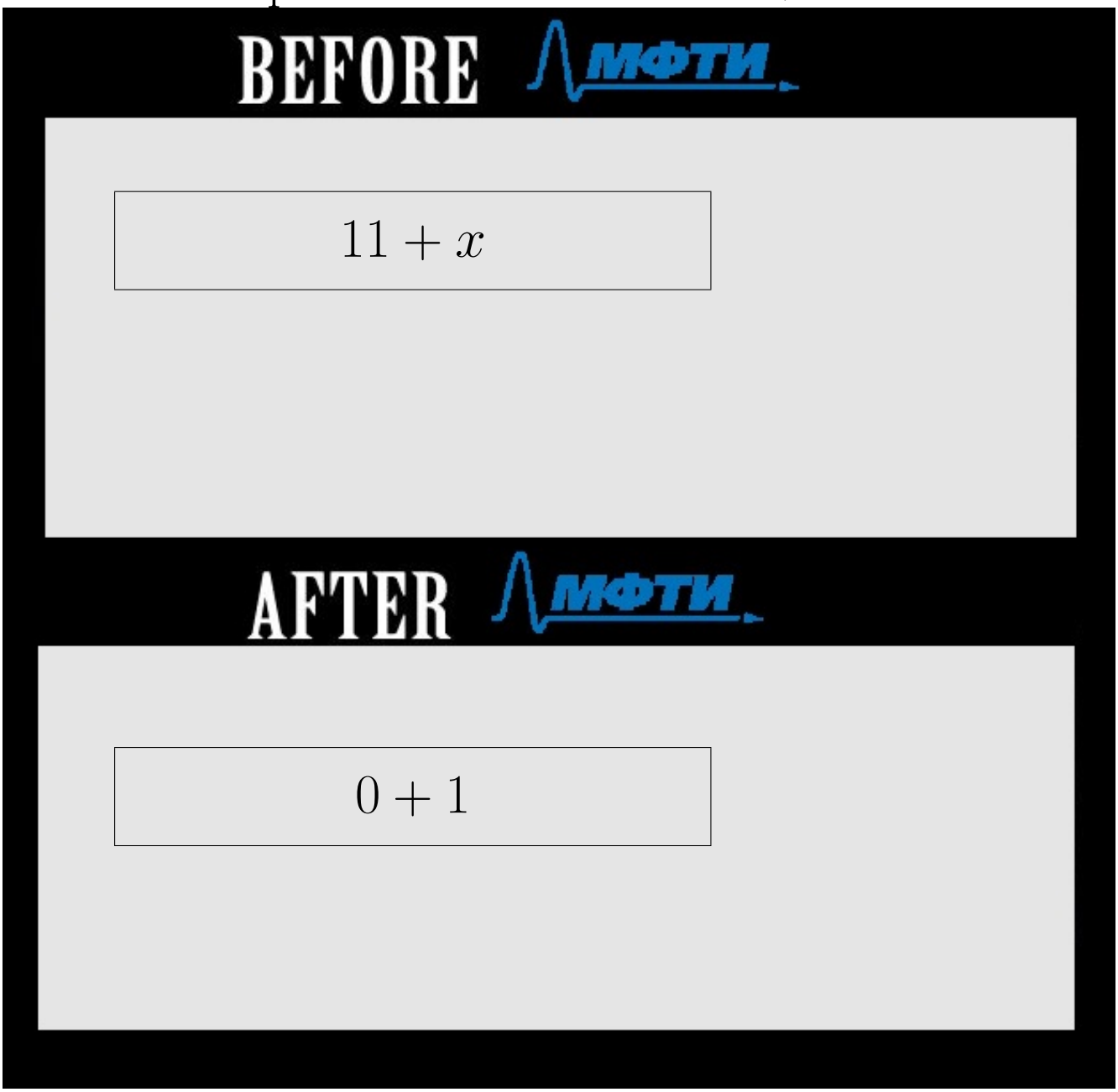
Let's differentiate 11

Now this expression turned into 0



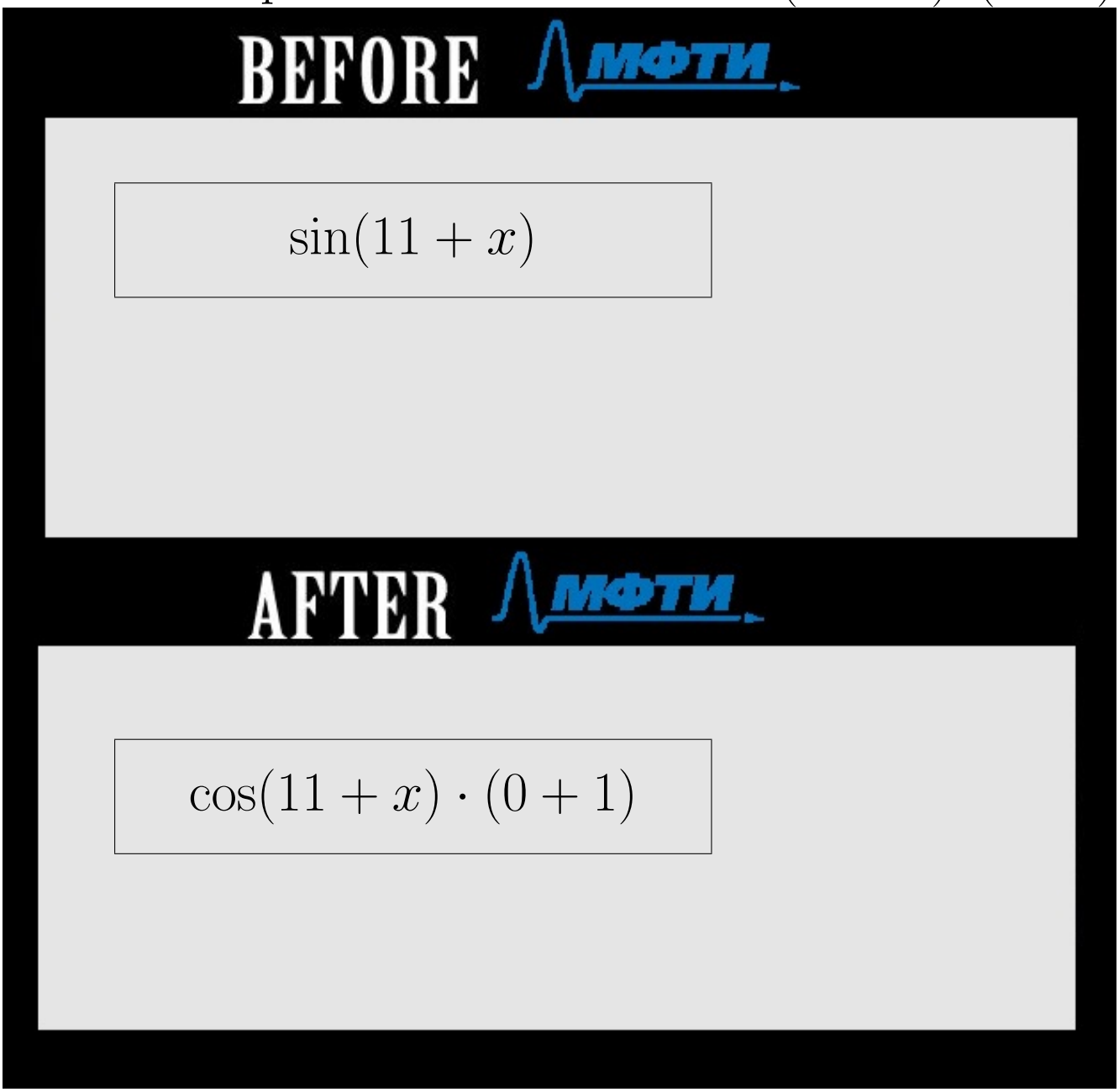
Let's differentiate $11 + x$

Now this expression turned into $0 + 1$

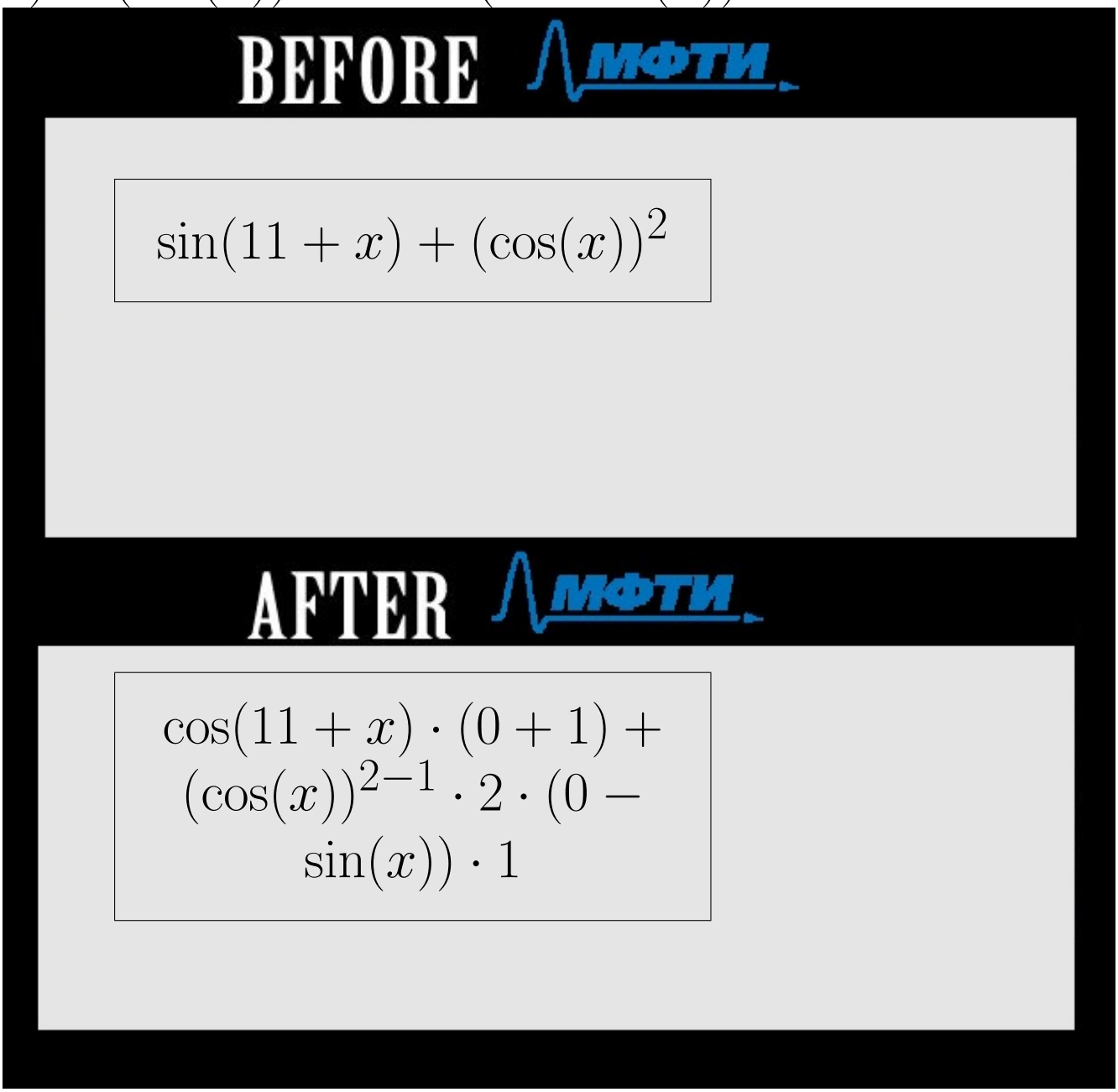


Let's differentiate $\sin(11 + x)$

Now this expression turned into $\cos(11+x)\cdot(0+1)$

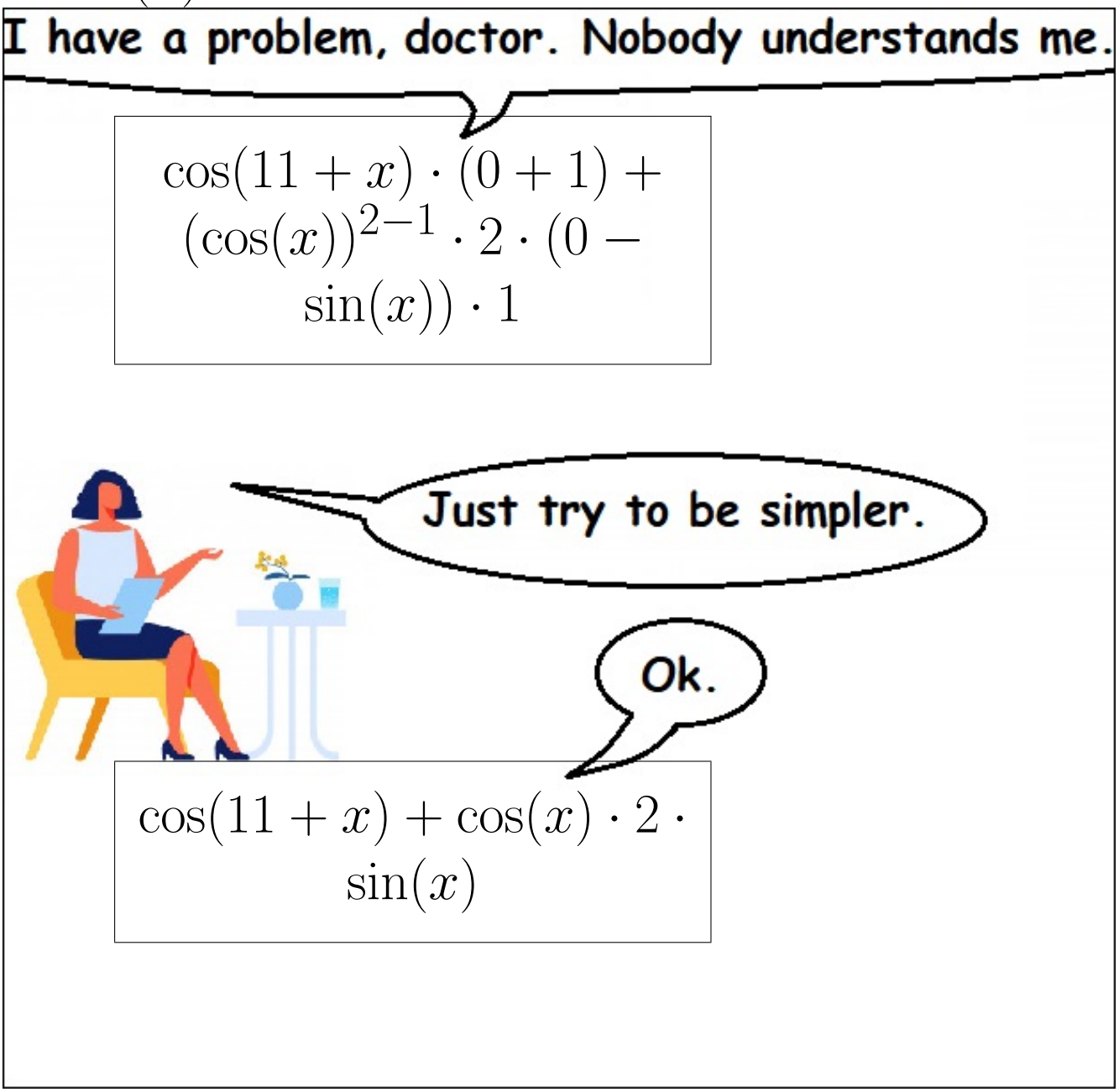


Let's differentiate $\sin(11+x)+(\cos(x))^2$
Now this expression turned into $\cos(11+x)\cdot(0+1)+(\cos(x))^{2-1}\cdot 2\cdot(0-\sin(x))\cdot 1$



Let's make simpler $\cos(11+x)\cdot(0+1)+(\cos(x))^{2-1}\cdot 2\cdot(0-\sin(x))\cdot 1$

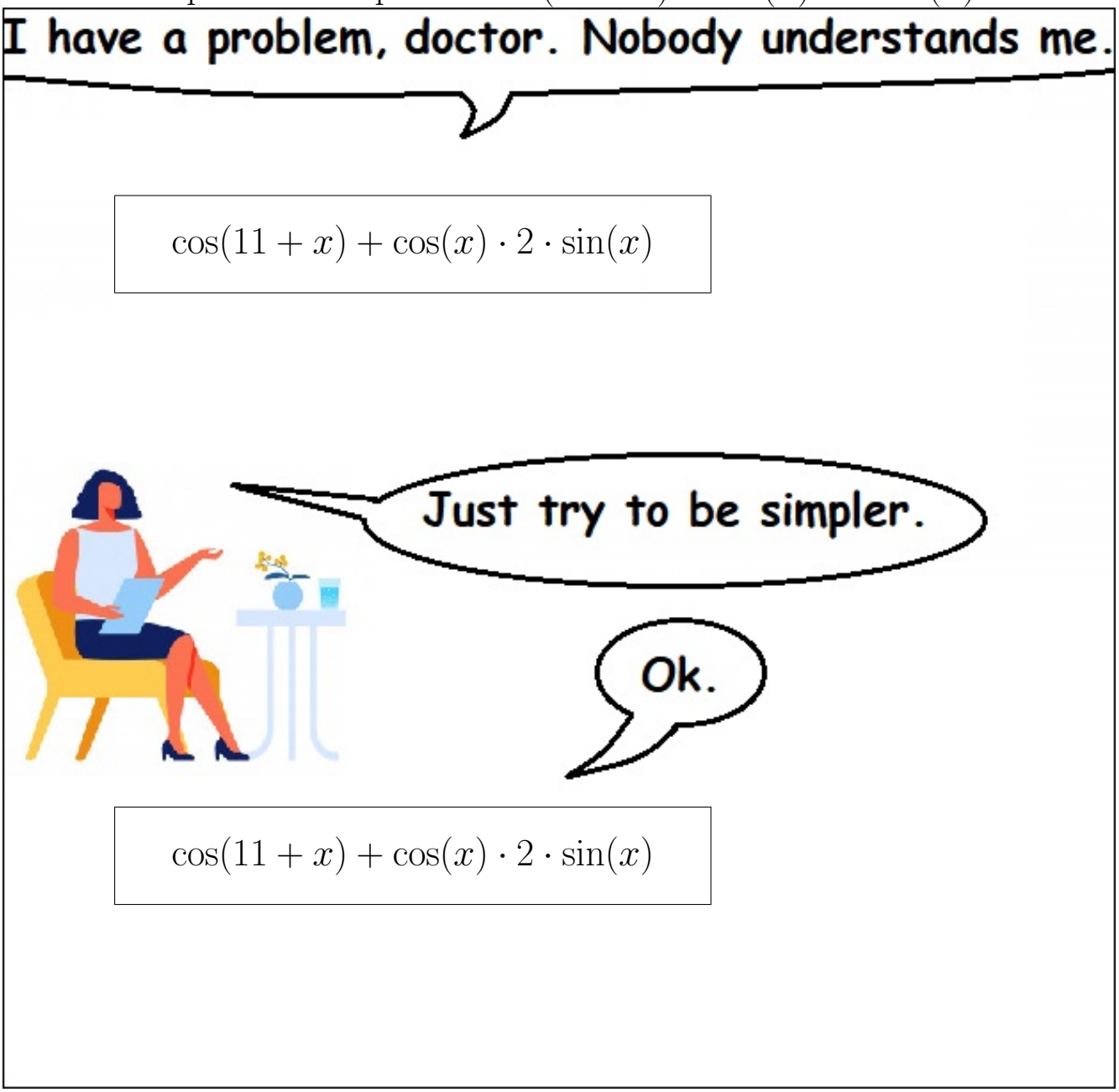
Now this expression simpled to $\cos(11+x)+\cos(x)\cdot 2\cdot\sin(x)$



$$\cos(11+x)+\cos(x)\cdot 2\cdot\sin(x)$$

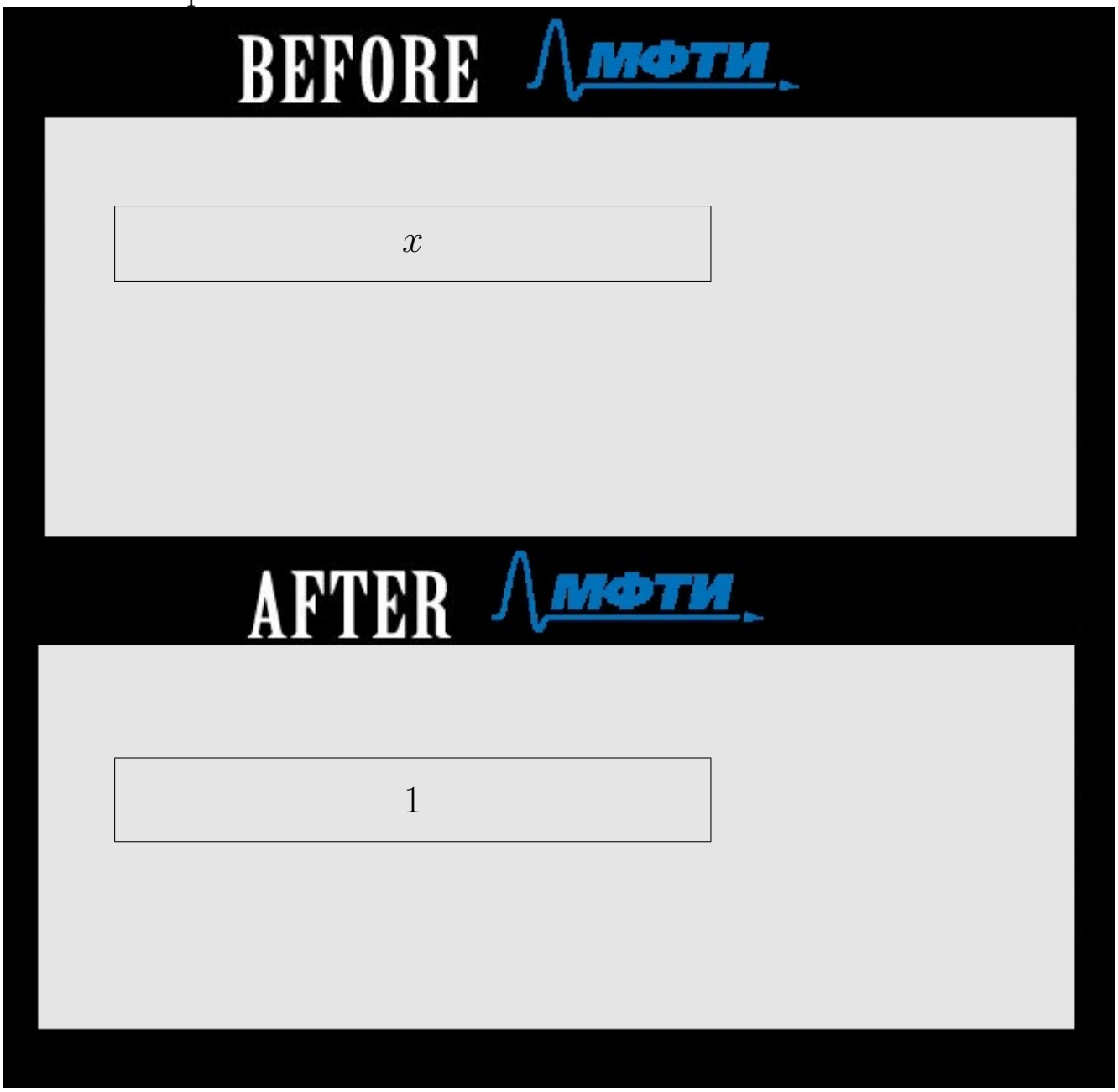
2 This is subtraction of 2'st derivative

Let's make simpler $\cos(11+x)+\cos(x)\cdot 2\cdot\sin(x)$
Now this expression simpled to $\cos(11+x)+\cos(x)\cdot 2\cdot\sin(x)$



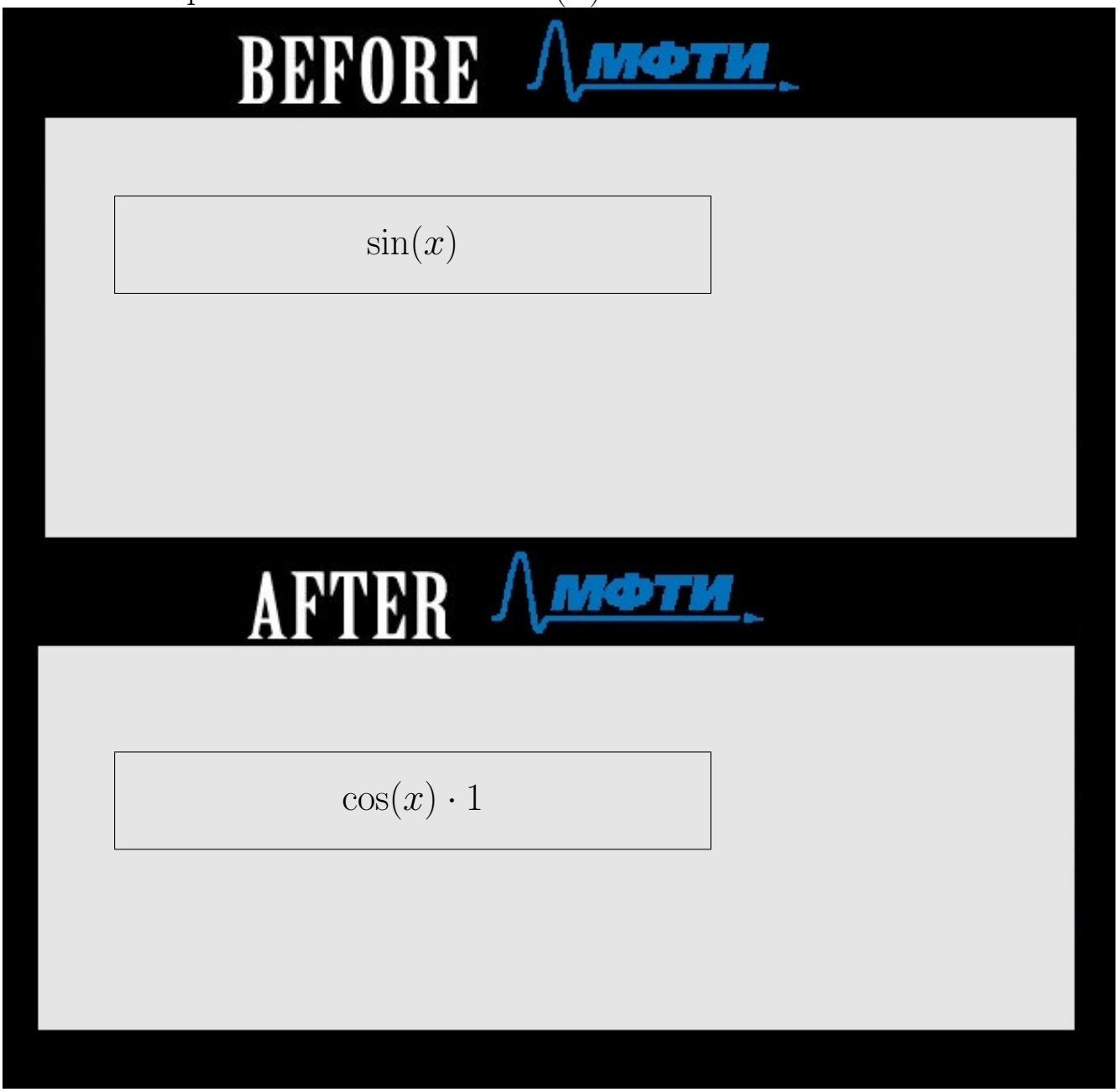
Let's differentiate x

Now this expression turned into 1



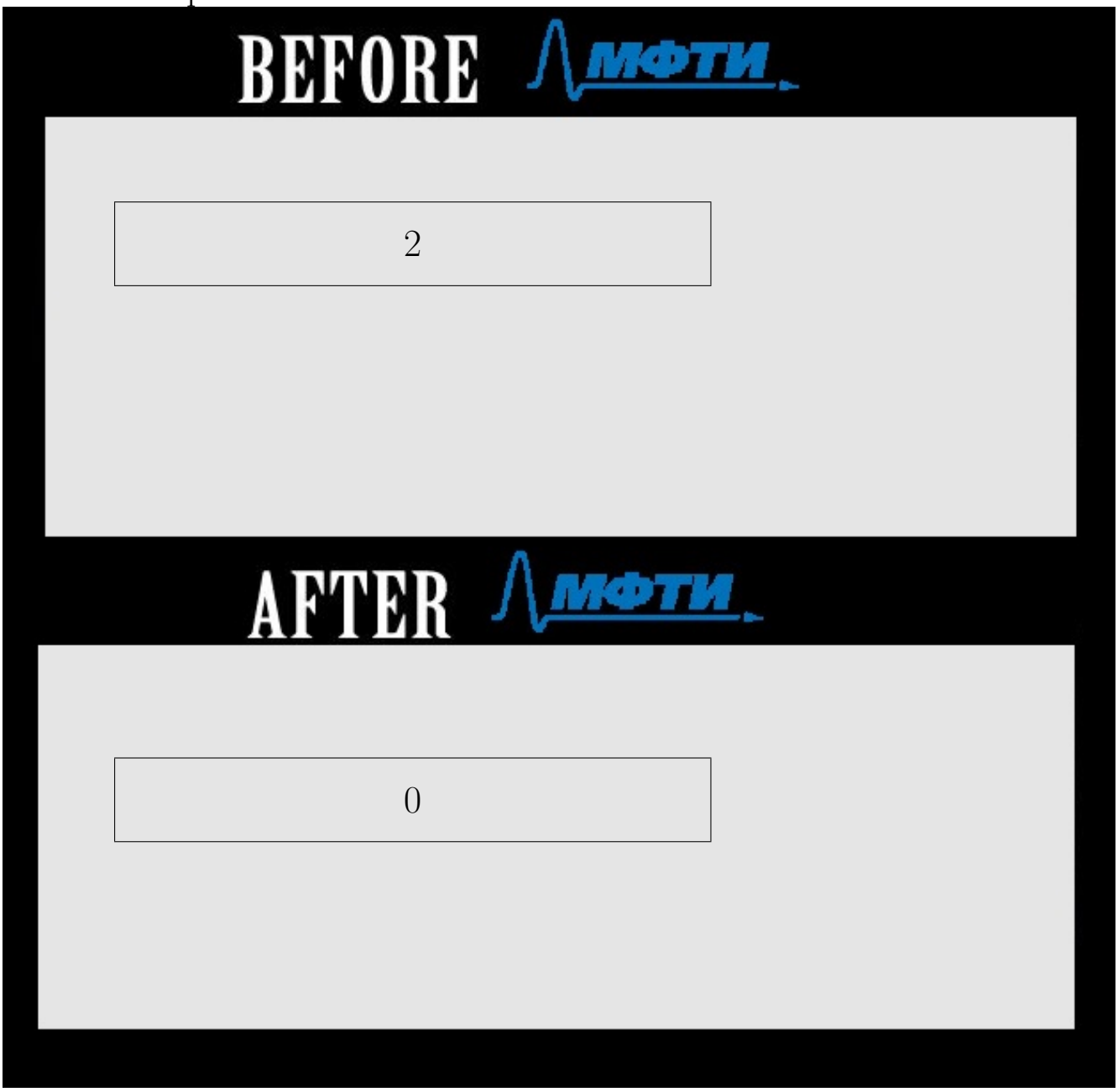
Let's differentiate $\sin(x)$

Now this expression turned into $\cos(x) \cdot 1$



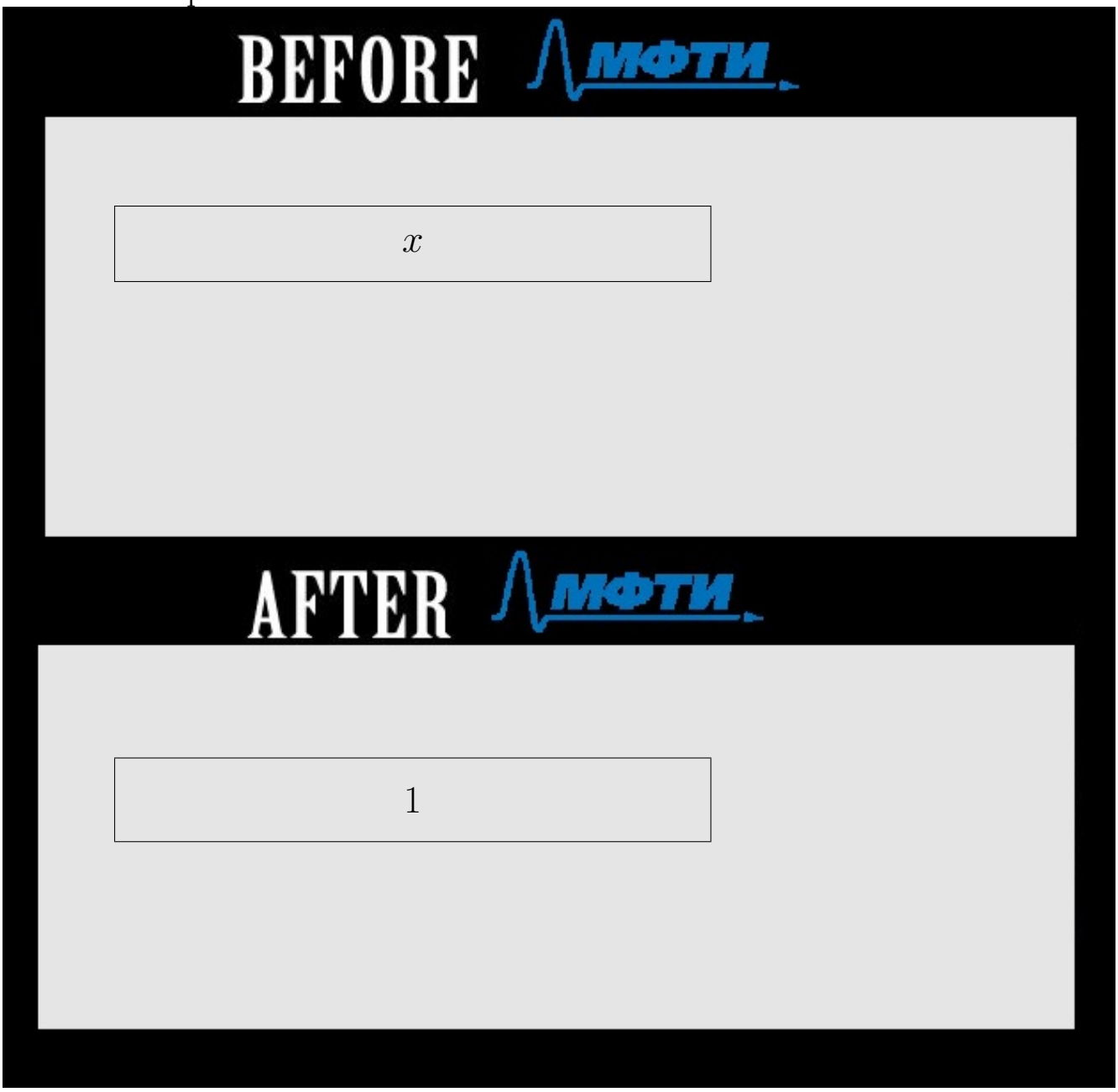
Let's differentiate 2

Now this expression turned into 0



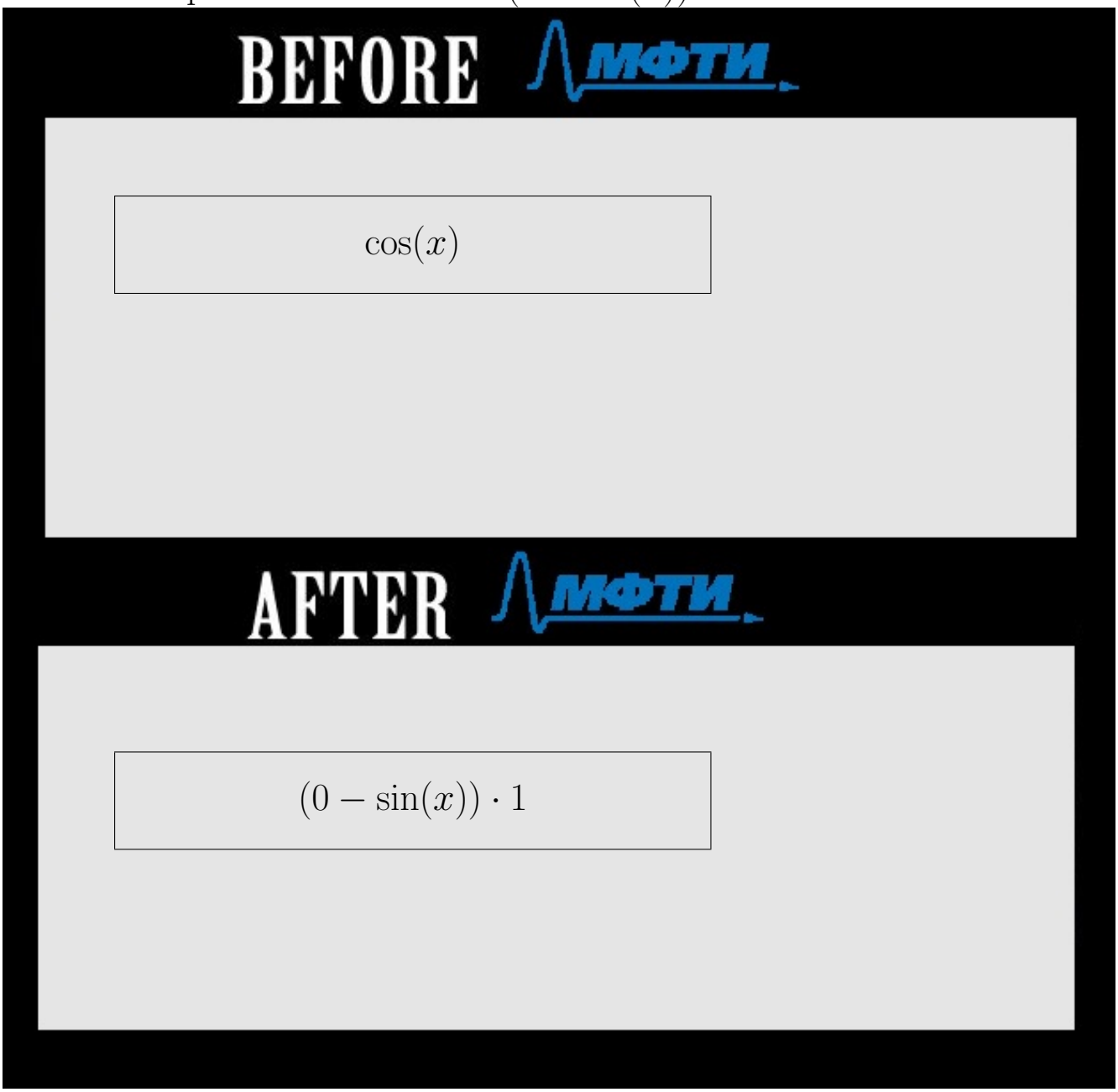
Let's differentiate x

Now this expression turned into 1



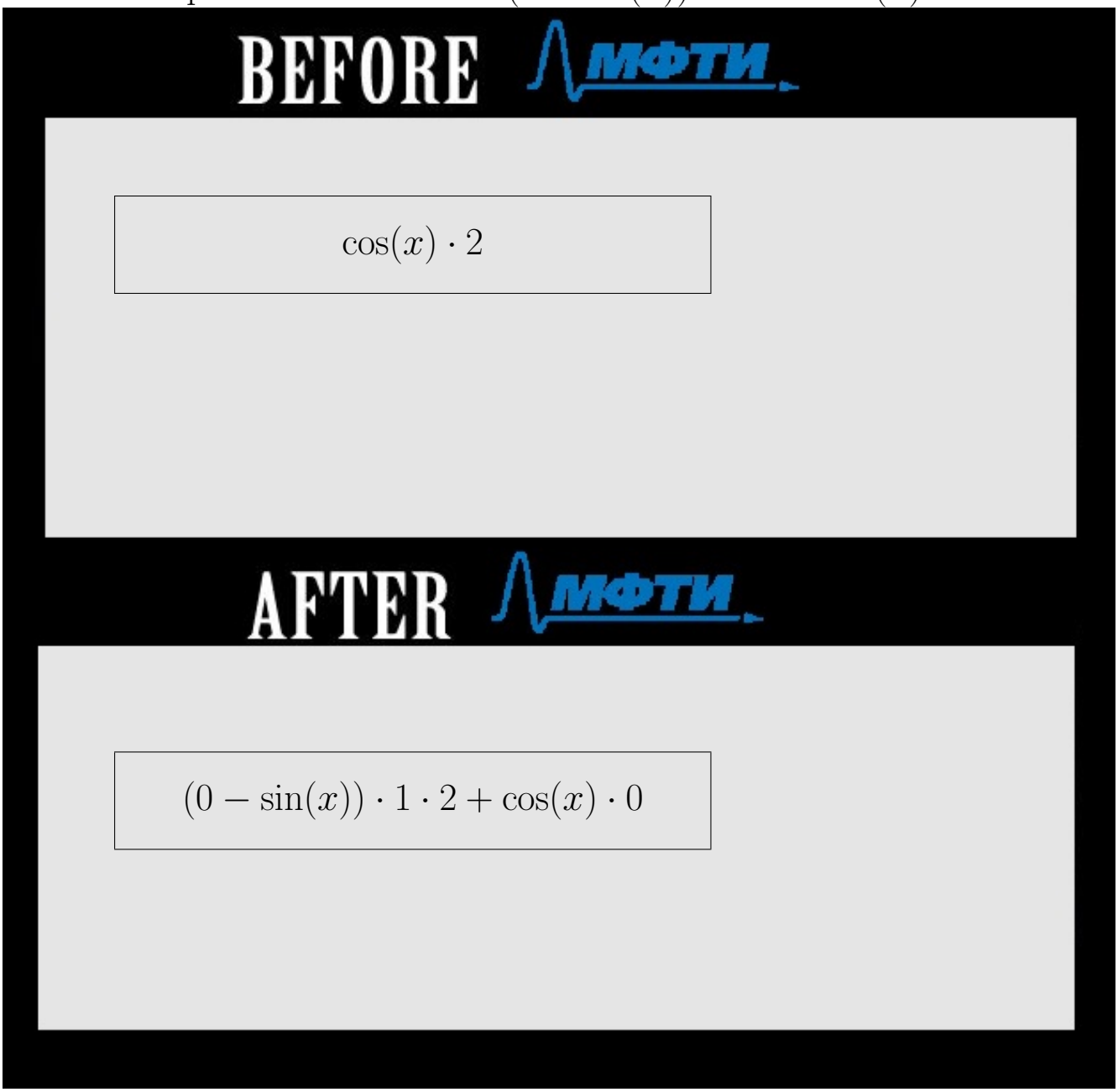
Let's differentiate $\cos(x)$

Now this expression turned into $(0 - \sin(x)) \cdot 1$

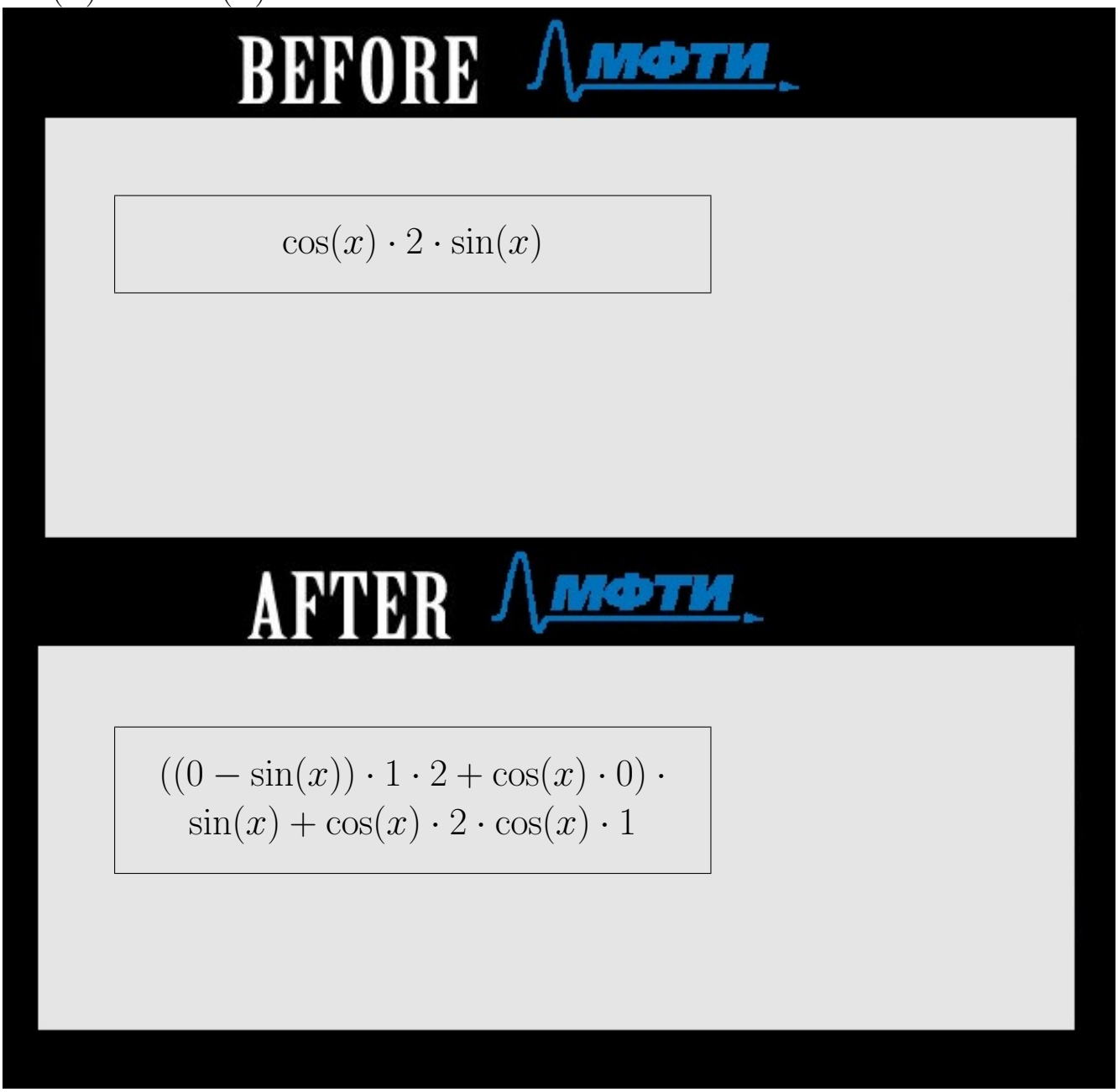


Let's differentiate $\cos(x) \cdot 2$

Now this expression turned into $(0 - \sin(x)) \cdot 1 \cdot 2 + \cos(x) \cdot 0$

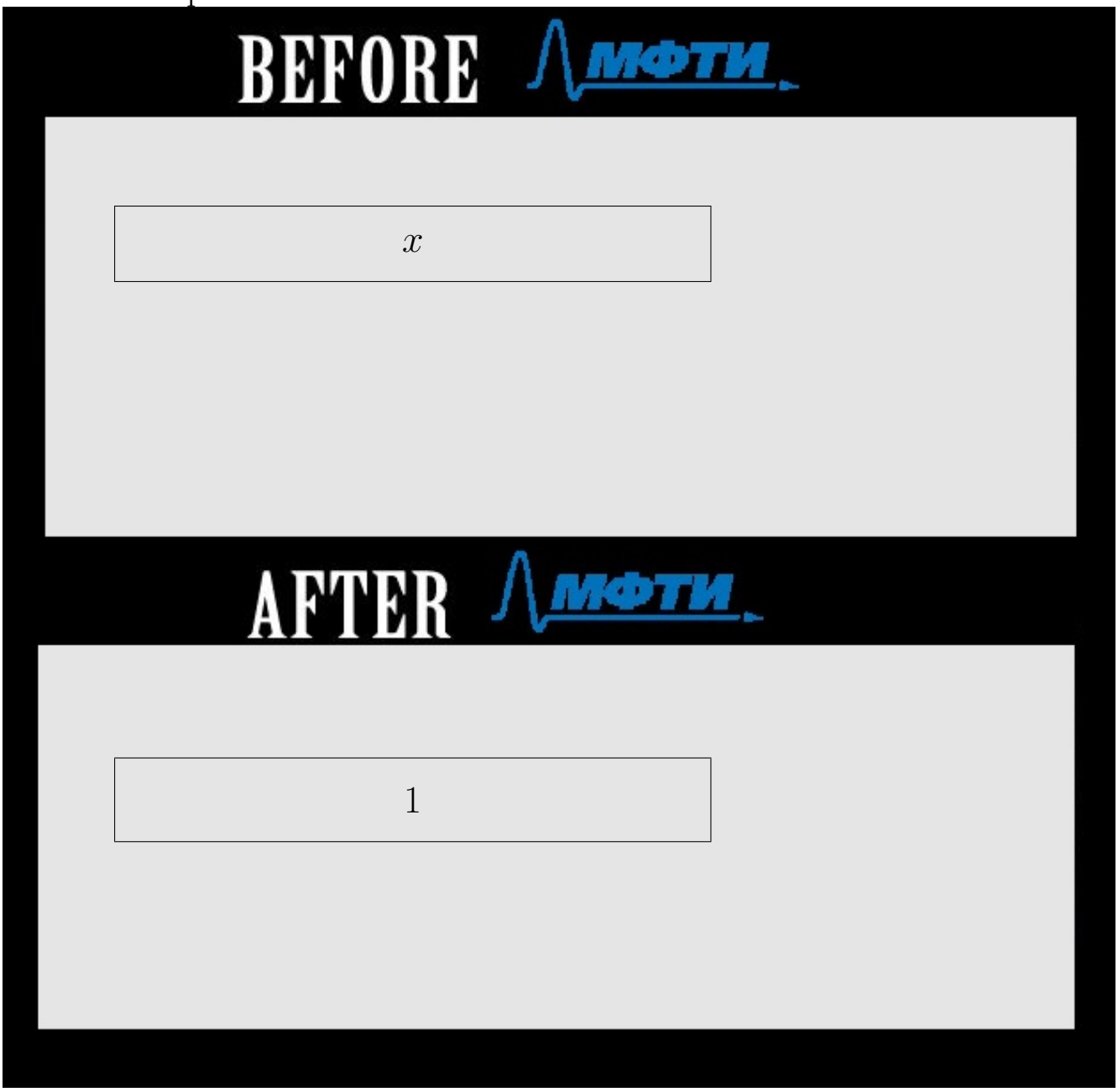


Let's differentiate $\cos(x) \cdot 2 \cdot \sin(x)$
Now this expression turned into $((0 - \sin(x)) \cdot 1 \cdot 2 + \cos(x) \cdot 0) \cdot \sin(x) + \cos(x) \cdot 2 \cdot \cos(x) \cdot 1$



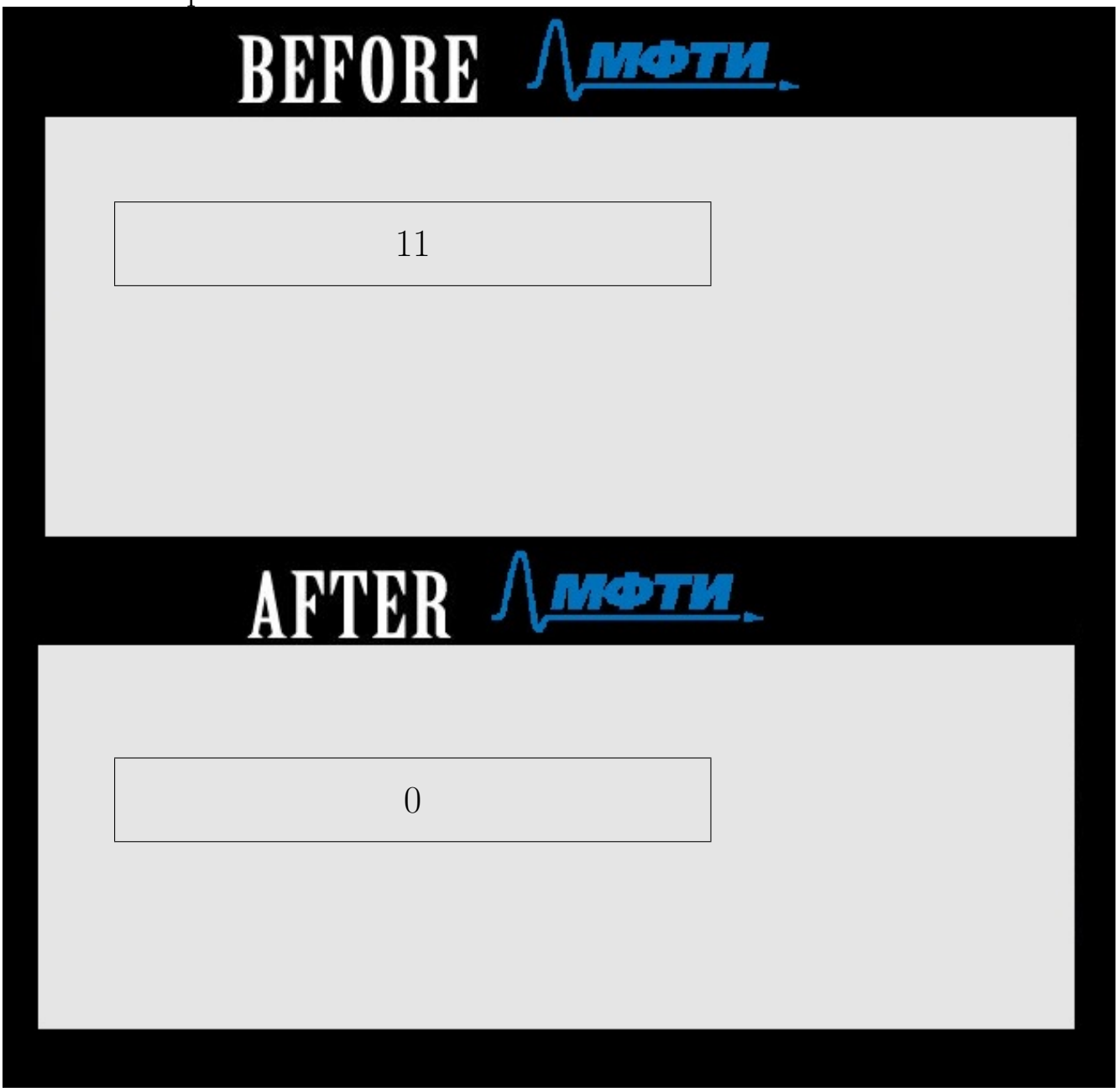
Let's differentiate x

Now this expression turned into 1



Let's differentiate 11

Now this expression turned into 0

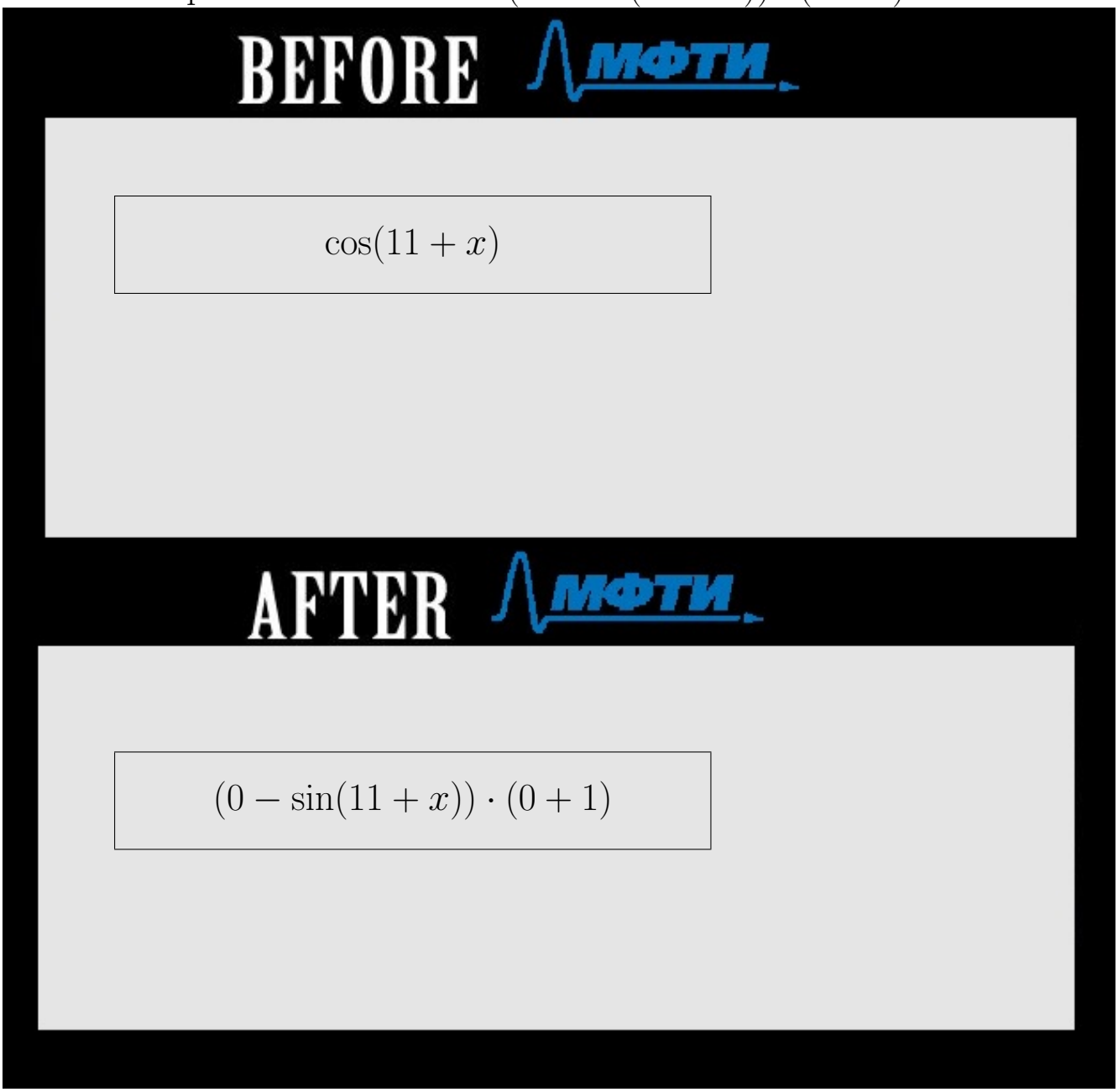


Let's differentiate $11 + x$

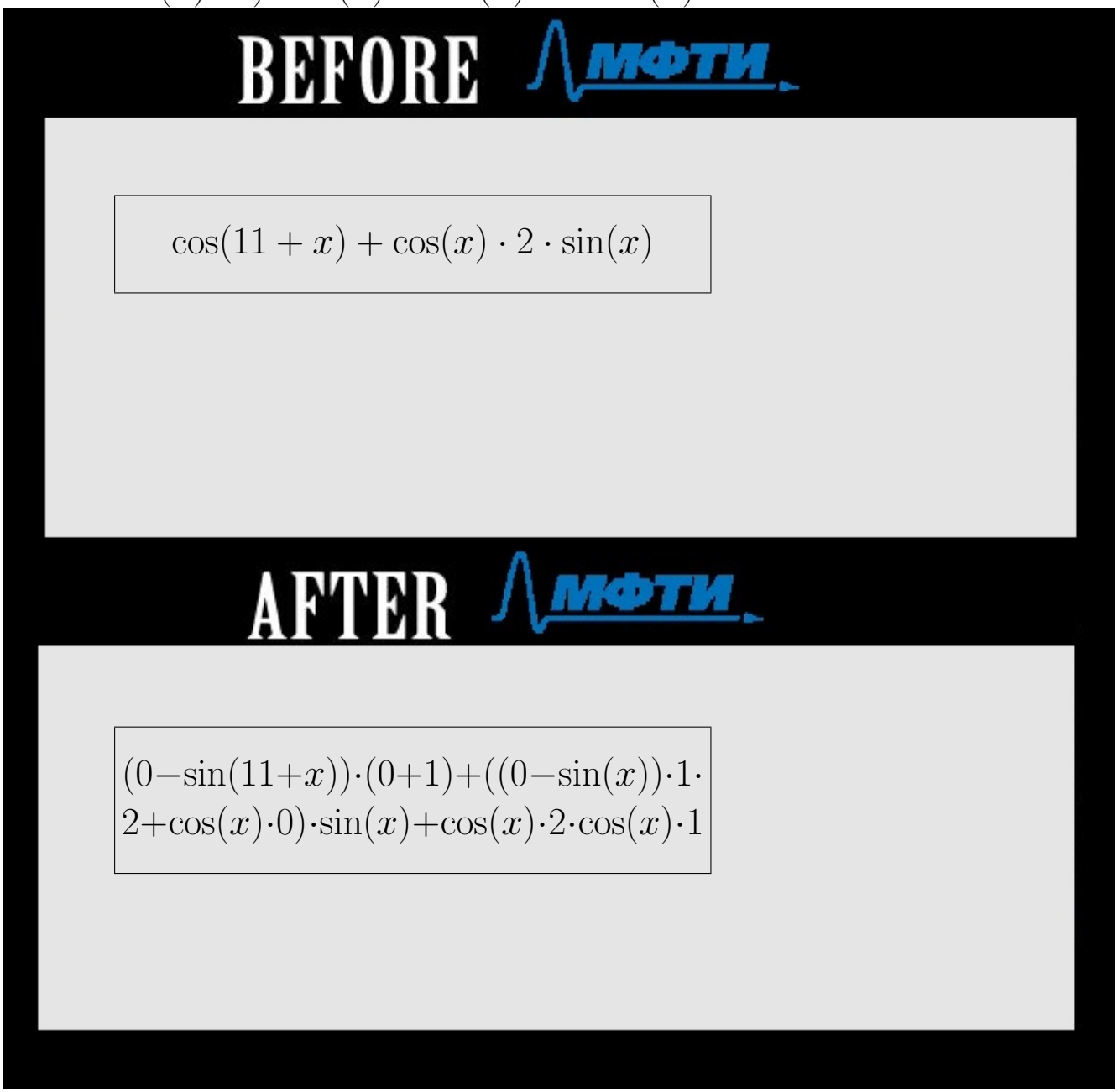
Now this expression turned into $0 + 1$

Let's differentiate $\cos(11 + x)$

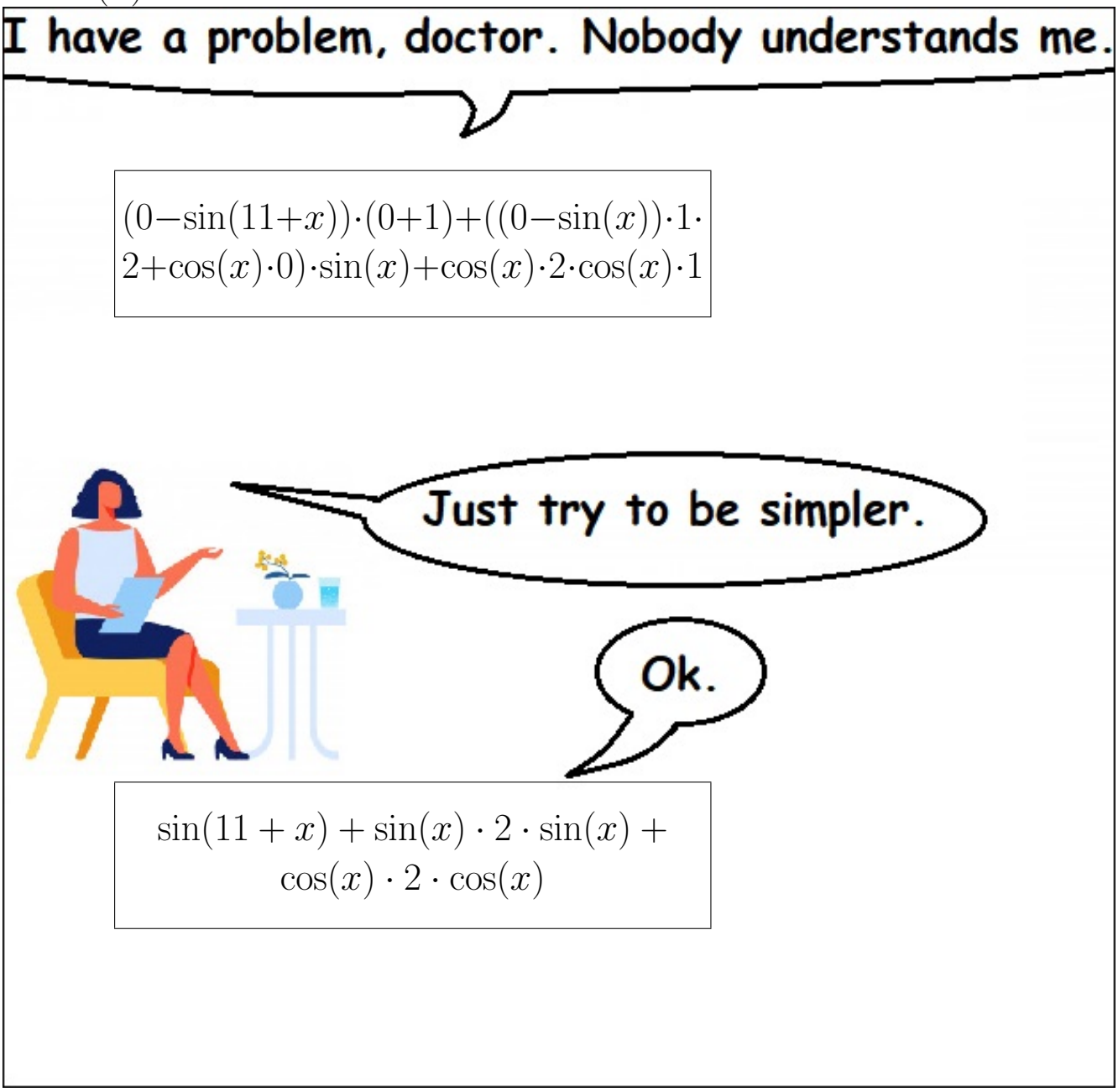
Now this expression turned into $(0 - \sin(11 + x)) \cdot (0 + 1)$



Let's differentiate $\cos(11 + x) + \cos(x) \cdot 2 \cdot \sin(x)$
Now this expression turned into $(0 - \sin(11 + x)) \cdot (0 + 1) + ((0 - \sin(x)) \cdot 1 \cdot 2 + \cos(x) \cdot 0) \cdot \sin(x) + \cos(x) \cdot 2 \cdot \cos(x) \cdot 1$



Let's make simpler $(0 - \sin(11 + x)) \cdot (0 + 1) + ((0 - \sin(x)) \cdot 1 \cdot 2 + \cos(x) \cdot 0) \cdot \sin(x) + \cos(x) \cdot 2 \cdot \cos(x) \cdot 1$
Now this expression simpled to $\sin(11 + x) + \sin(x) \cdot 2 \cdot \sin(x) + \cos(x) \cdot 2 \cdot \cos(x)$



$$\sin(11 + x) + \sin(x) \cdot 2 \cdot \sin(x) + \cos(x) \cdot 2 \cdot \cos(x)$$

That is all!

github.com/Allexande