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Maestría en Economía (MS in Economics)

**Online Appendix**

**Economic Policy Uncertainty and Foreign Investment in Emerging Economies. An empirical study for Brazil, Chile, Colombia, and Greece**

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# Economic Policy Uncertainty and Foreign Investment in Emerging Economies. An empirical study for Brazil, Chile, Colombia, and Greece

## **Abstract**

In this file are all the Impulse Response Functions (IRFs) corresponding to the Structural Vector Autoregressive (SVARs) model estimations. They are reported by model and the sections are organized by country and identification assumption. The first section is a review of the orderings (Section 3 of Thesis).

## **Resumen**

En este archivo se encuentran todas las funciones de respuesta al impulso (IRFs) para las estimaciones de los modelos de vectores autoregresivos estructurales (SVARs). Se reportan por modelo y las secciones se organizan por país y supuesto de identificación. La primera sección es un repaso de os órdenes (Sección 3 de la Tesis).

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# 1 Identification strategy

We estimate the effect of economic policy uncertainty with a Structural Vector Autoregressive (SVAR) analysis. The vector autoregressive (VAR) model is a standard approach for multivariate time series analysis, and it consists of a system of regression equations. VAR models exploit the time-series variation in the data and are estimated by regressing each model variable on lags of its own as well as lags of the other model variables up to some prespecified maximum lag order ( $P$ ). In a VAR model, every variable is endogenous because it depends on its own lags as well as the lags of every other model variable (Kilian and Lütkepohl, 2017).

If we define  $y_t$  as the vector of variables of interest in the period  $t$ ,  $\Pi$  as the vector of constants,  $\Phi_p$  as the matrix of coefficients on  $t-p$  (for  $p = 1, 2, \dots, P$ ) and  $e_t$  as the vector of errors, we can write the VAR model as is shown in the equation (1).

$$y_t = \Pi + \sum_p \Phi_p * y_{t-p} + e_t \quad (1)$$

Nevertheless, the estimation of the equation (1) cannot provide a consistent estimation of the effects of any variable. Since the matrix  $Var(e_t) = \Sigma$  is not diagonal, it contains news about the three variables, and we cannot isolate causal effects. It can be thought as the equivalent of having omitted variables in every regression equation to be estimated. As Kilian and Lütkepohl (2017) highlight, an econometric model is structural if each equation's errors or stochastic shocks are mutually uncorrelated. When specified in a structural form, the model allows considering situations in which one structural shock moves while leaving all other shocks unchanged. Then, we need to impose identification assumptions. As Kilian and Lütkepohl (2017) suggest, a possible way to view the identification problem is to consider a new set of shocks  $\mu_t$ , created by linear combinations of the original errors,  $e_t$ . This is shown in the equation (2), where  $Q$  is a rotation matrix.

This is shown in the equation (2), where  $Q$  is a rotation matrix.

$$\mu_t = Q * e_t \quad (2)$$

This new set of shocks is orthogonal because we are imposing contemporaneous relationships between the variables in the system. In some sense, it is equivalent to assume a certain data structure, and because of this, the new shocks are called structural shocks and the model becomes a Structural VAR. Regarding  $Q$ , infinite combinations of elements make the matrix achieve orthogonalization. As we are interested only in the identification of shocks in EPU, we only need to impose partial identification, in the sense that we are not interested in a consistent definition or estimation of all coefficients in the system.

As Kilian and Lütkepohl (2017) analysis shows, a standard VAR model is a reduced-form model, but a structural VAR model allows thinking in terms of variation in the data, driven by cumulative effects of economically interpretable shocks. Consequently, Baker, Bloom, and Davis (2016) postulate that drawing causal inferences from VARs is «extremely challenging», but they are useful for characterizing dynamic relationships (p. 1628). Even when the identification assumptions are clearly stronger than those used in microeconomic causal studies, the lack (or difficulty in the finding) of natural experiments in macroeconomics has made them a standard tool (Christiano, Eichenbaum and Evans, 1999).

The usual restrictions consist of short and long-term restrictions in the relationship between the variables, but there are more alternatives, such as signs or moment-based (Kilian and Lütkepohl, 2017). The election of the restrictions depends on previous theory and stylized facts in the topic of interest. Consequently, as usual in the literature of policy uncertainty, we impose short-run recursive restrictions in our study. The identification assumption is a contemporaneous causal order between the variables. This ordering implies that the first shock is uncorrelated with others, the second is correlated only with the first, the third with the first and second, and so on. Naturally, with longer periods, this will be more difficult to maintain.

## 1.1 First ordering: EPU first

In particular, with global or «exogenous» variables, we can impose the order of equation (3) as a first alternative.

$$\begin{bmatrix} global_t \\ eput \\ investment_t \end{bmatrix} = y_t \quad (3)$$

What does it imply? This order is equivalent to assuming that in the period  $t$ , the shock of the global variable is uncorrelated with the others. In some sense, it works like an exogenous variable. After, the economic policy uncertainty (EPU) can be affected for the global variable but not from the investment variable in the period  $t$ .

Finally, the investment can respond to the others. Naturally, all variables can respond to the lagged values of the others.

If the local GDP is included, the order will be as in equation (4). It is equivalent to imposing that the shocks in uncertainty are uncorrelated with the contemporaneous shocks in GDP and investments variables.

$$\begin{bmatrix} eput \\ gdpt \\ investment_t \end{bmatrix} = y_t \quad (4)$$

## 1.2 Second ordering: EPU last

As a second alternative, we can think that EPU is an endogenous response to the investment conditions. As mentioned in the literature review, some models imply feedback process or uncertainty being a response to worsening economic conditions. Thus, including an alternative order is a robustness check. This ordering is equivalent to assuming that in the period  $t$ , the investment variable can be affected for the global variable but not from the economic policy uncertainty (EPU). After, the EPU responds to the two other variables. This can be seen in the equation (5).

$$\begin{bmatrix} global_t \\ investment_t \\ eput \end{bmatrix} = y_t \quad (5)$$

If we include the local GDP, the order is shown in equation (6). It implies that GDP shocks are contemporaneously uncorrelated with the others. Meanwhile, the investment variable can respond to these activities shocks, and the other two shocks affect the uncertainty.

$$\begin{bmatrix} gdpt \\ investment_t \\ eput \end{bmatrix} = y_t \quad (6)$$

## 1.3 Third ordering: EPU in the middle for GDP model

Finally, we can consider the EPU as an intermediate response between investment and GDP as an additional robustness check. This ordering is equivalent to situations with investment responding to GDP and EPU shocks contemporaneously, while the EPU only reacts to GDP shocks. The GDP shocks would be uncorrelated to other contemporaneous shocks, as in the second ordering. This third ordering is shown in the equation (7).

$$\begin{bmatrix} gdpt \\ eput \\ investment_t \end{bmatrix} = y_t \quad (7)$$

## 2 Brazil

### 2.1 First Ordering

#### 2.1.1 FDI with EMBI as control. VAR (1)

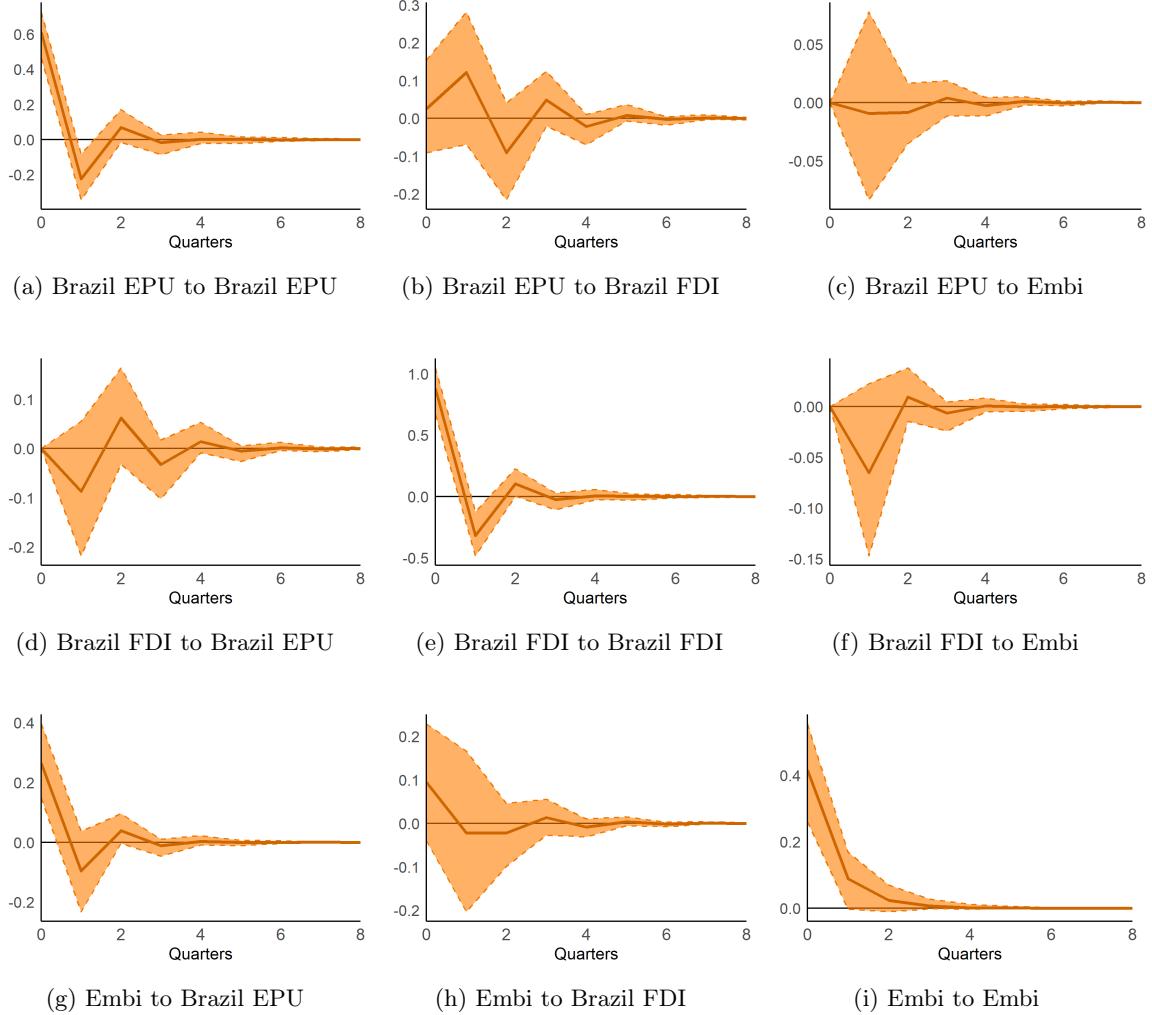


Figure 1: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. First ordering (EPU first) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subfigure correspond to a IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1. VAR(p) refers to the lag specification of the model.

### 2.1.2 FDI with Fed rate as control. VAR (1)

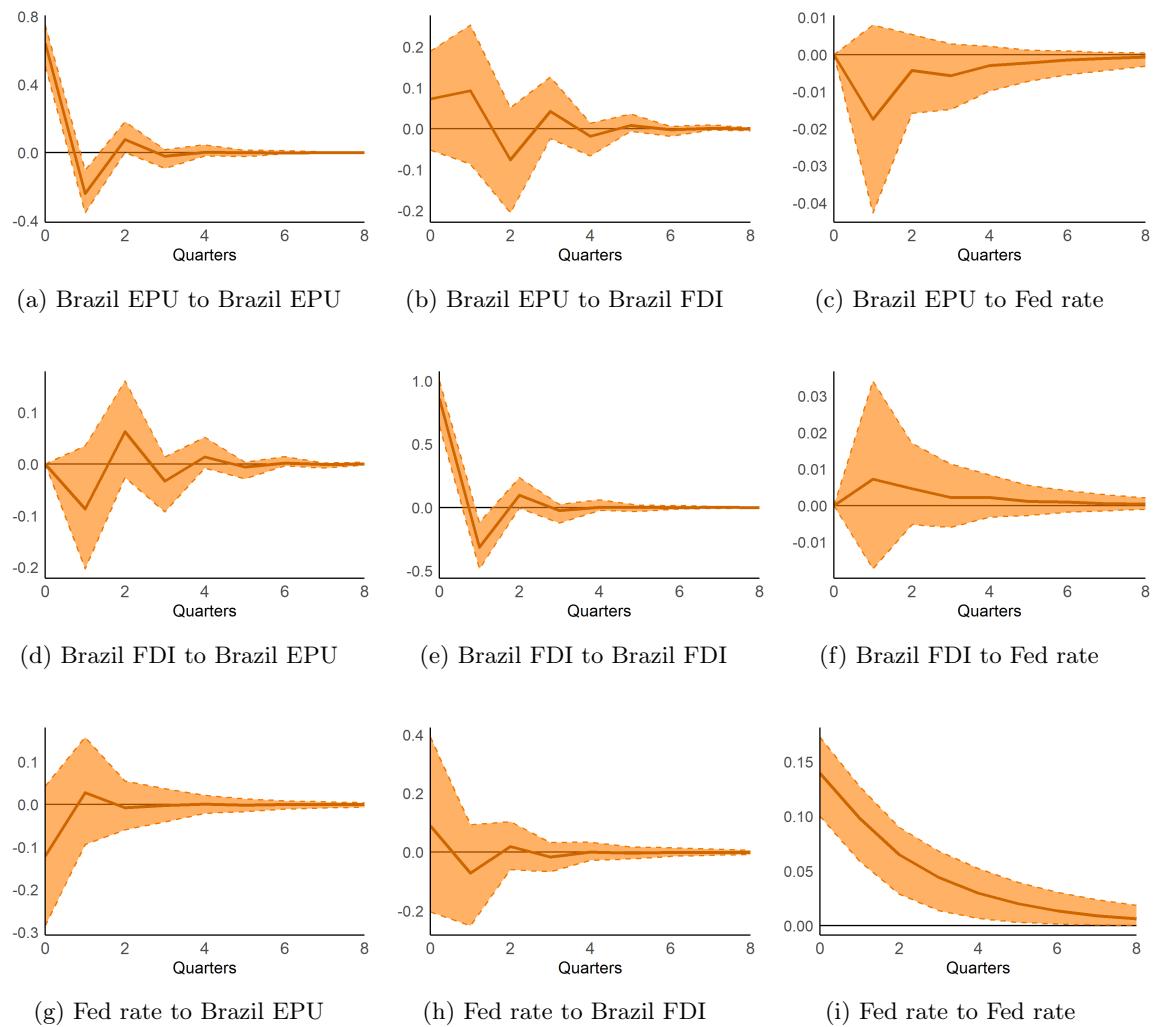


Figure 2: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. First ordering (EPU first) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subfigure correspond to a IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1. VAR(p) refers to the lag specification of the model.

### 2.1.3 FDI with GDP as control. VAR (1)

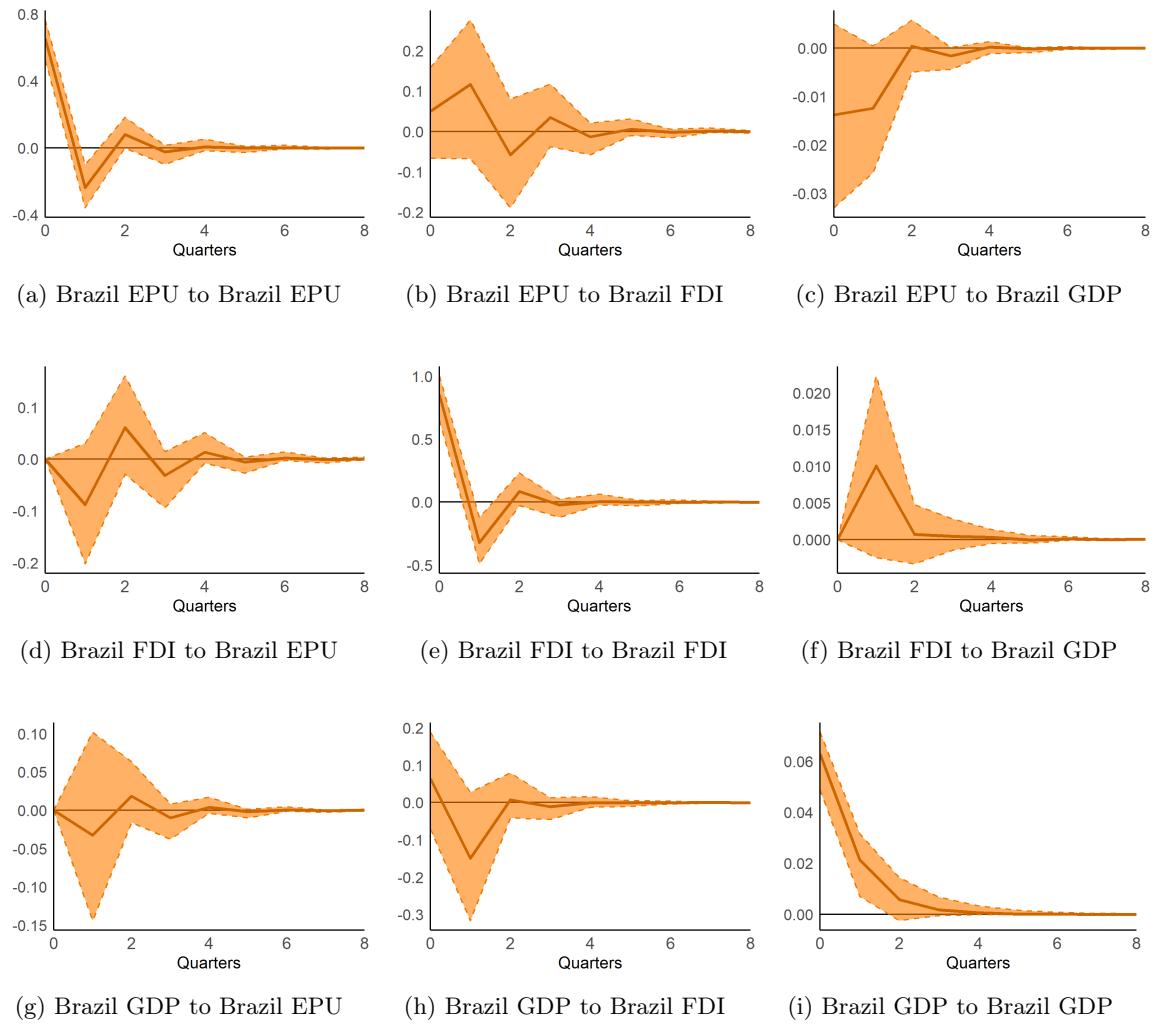


Figure 3: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. First ordering (EPU first) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subplot corresponds to an IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1. VAR(p) refers to the lag specification of the model.

#### 2.1.4 FDI with Global EPU as control. VAR (1)

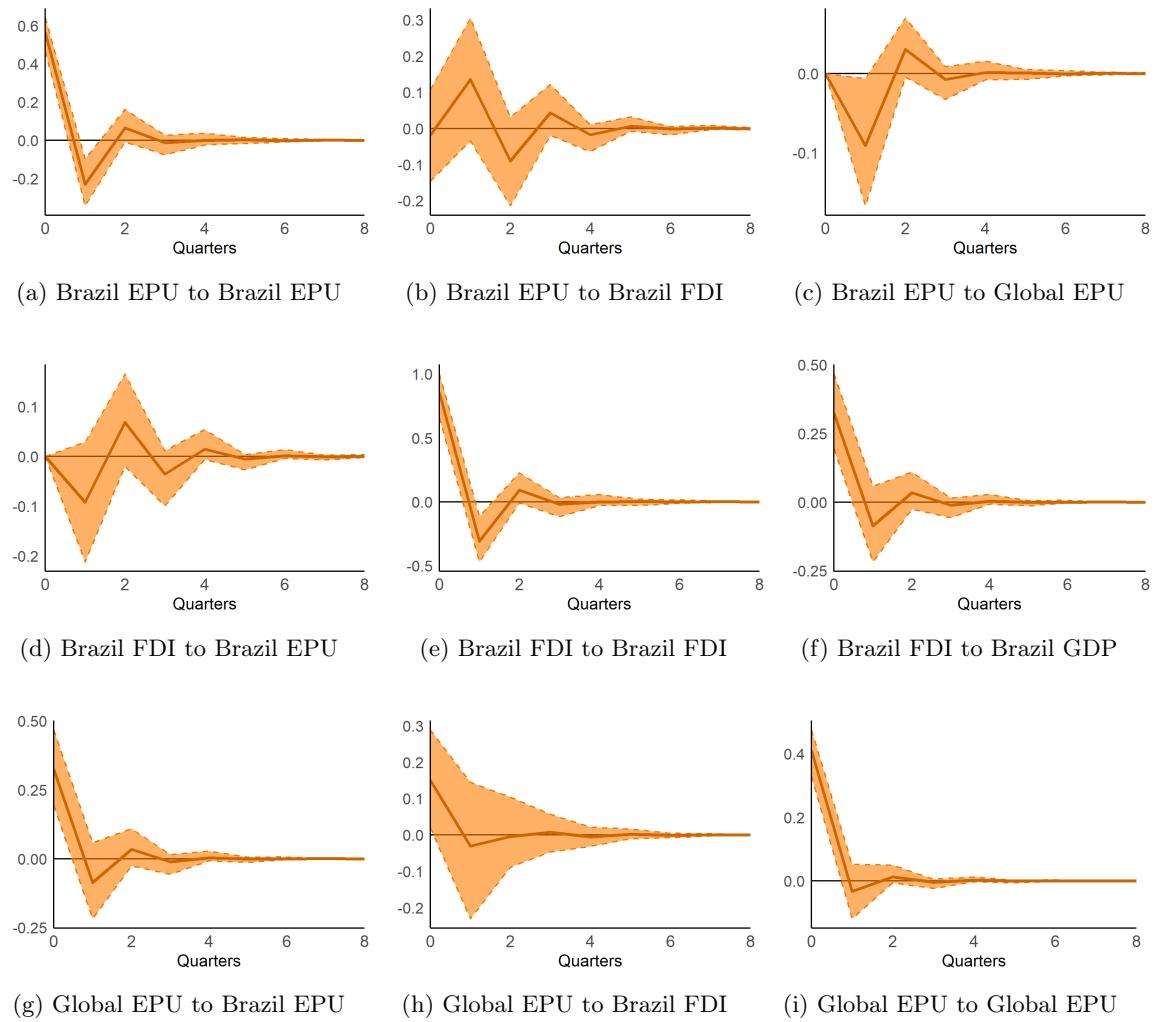


Figure 4: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. First ordering (EPU first) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subfigure correspond to a IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1. VAR(p) refers to the lag specification of the model.

### 2.1.5 PI with EMBI as control. VAR (1)

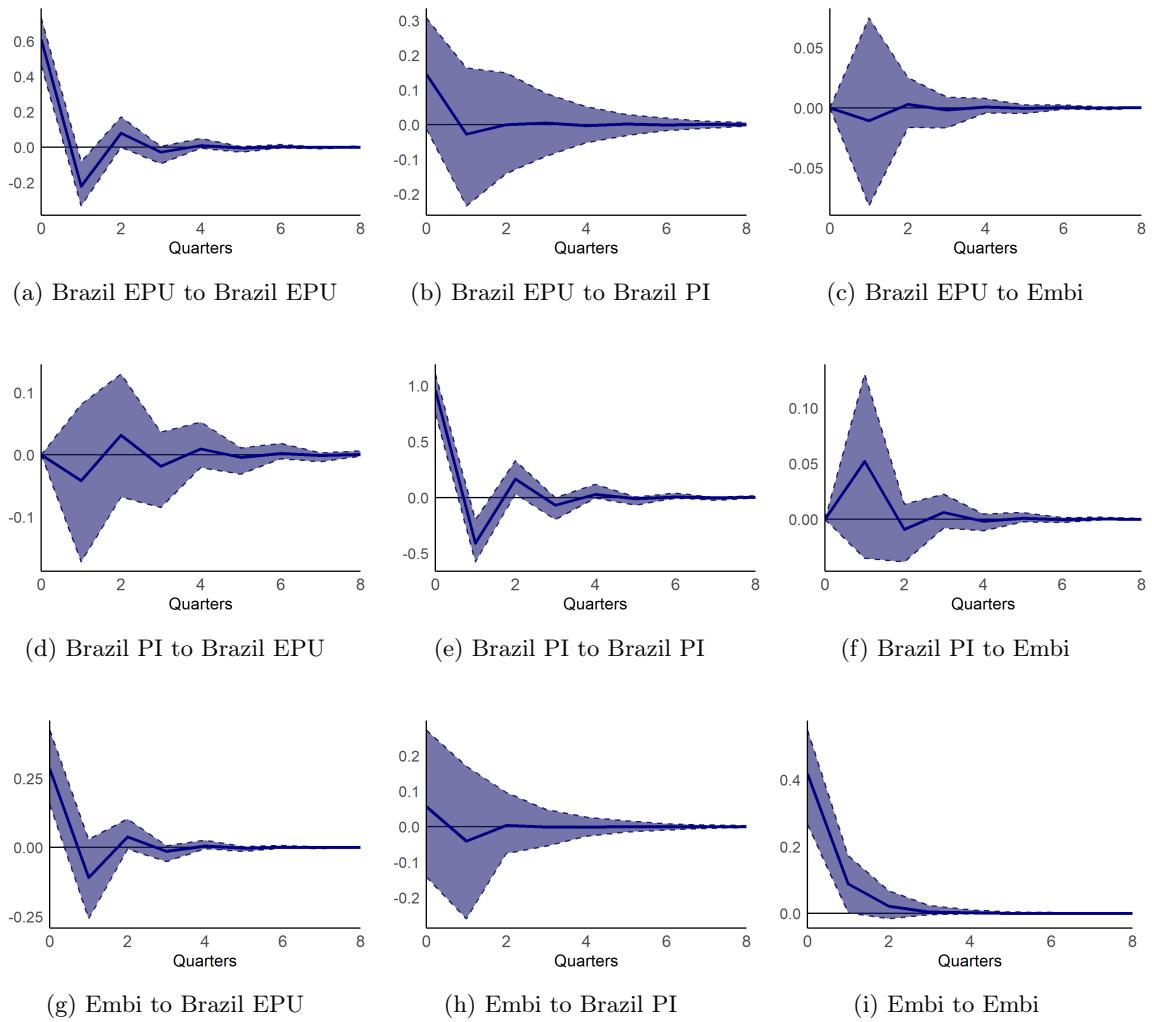


Figure 5: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. First ordering (EPU first) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subfigure correspond to a IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1. VAR(p) refers to the lag specification of the model.

### 2.1.6 PI with Fed rate as control. VAR (1)

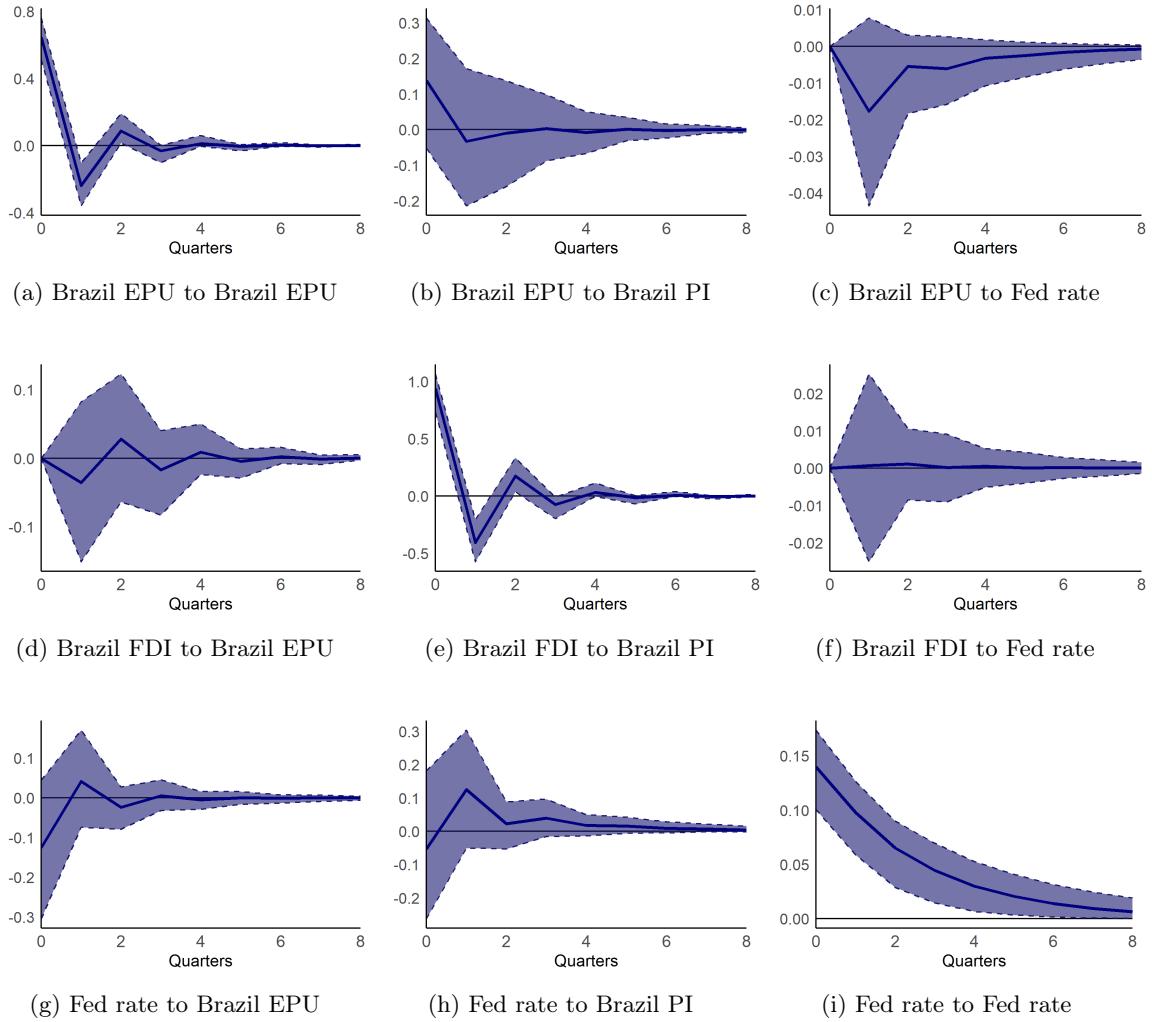


Figure 6: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. First ordering (EPU first) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subfigure correspond to a IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1. VAR(p) refers to the lag specification of the model.

### 2.1.7 PI with GDP as control. VAR (1)

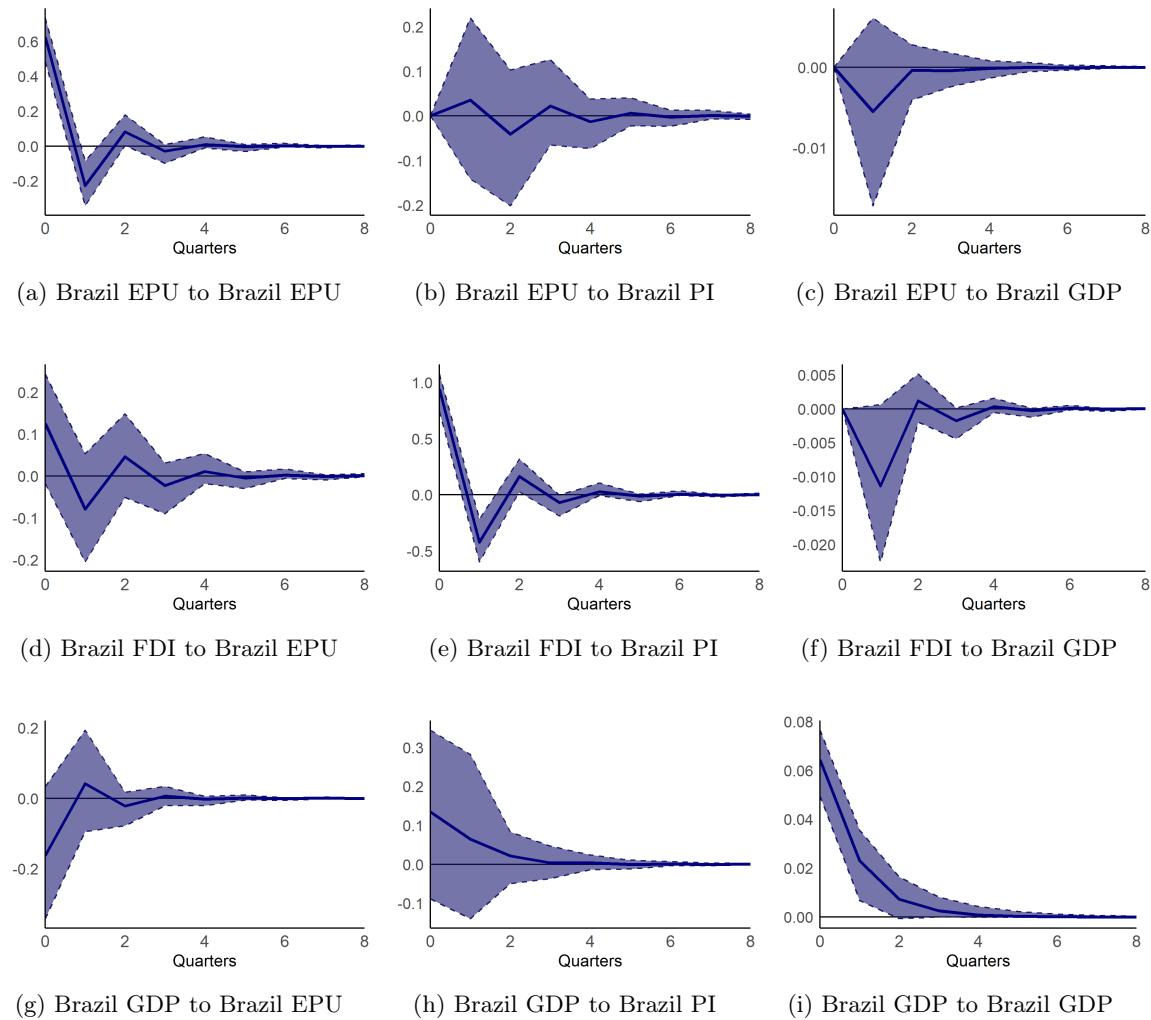


Figure 7: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. First ordering (EPU first) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subfigure correspond to a IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1. VAR(p) refers to the lag specification of the model.

### 2.1.8 PI with Global EPU as control. VAR (1)

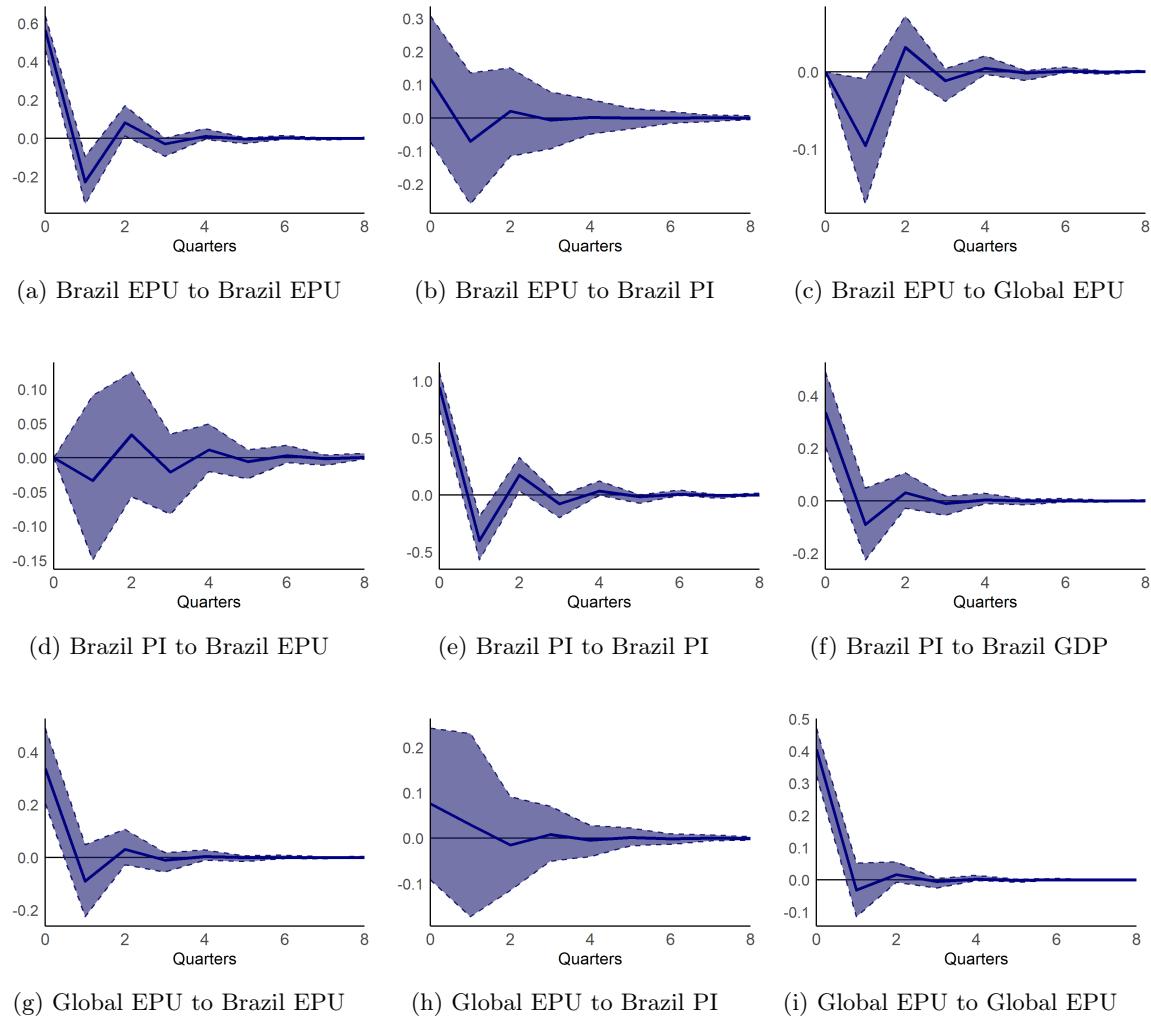


Figure 8: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. First ordering (EPU first) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subplot corresponds to an IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1. VAR(p) refers to the lag specification of the model.

## 2.2 Second Ordering

### 2.2.1 FDI with EMBI as control. VAR (1)

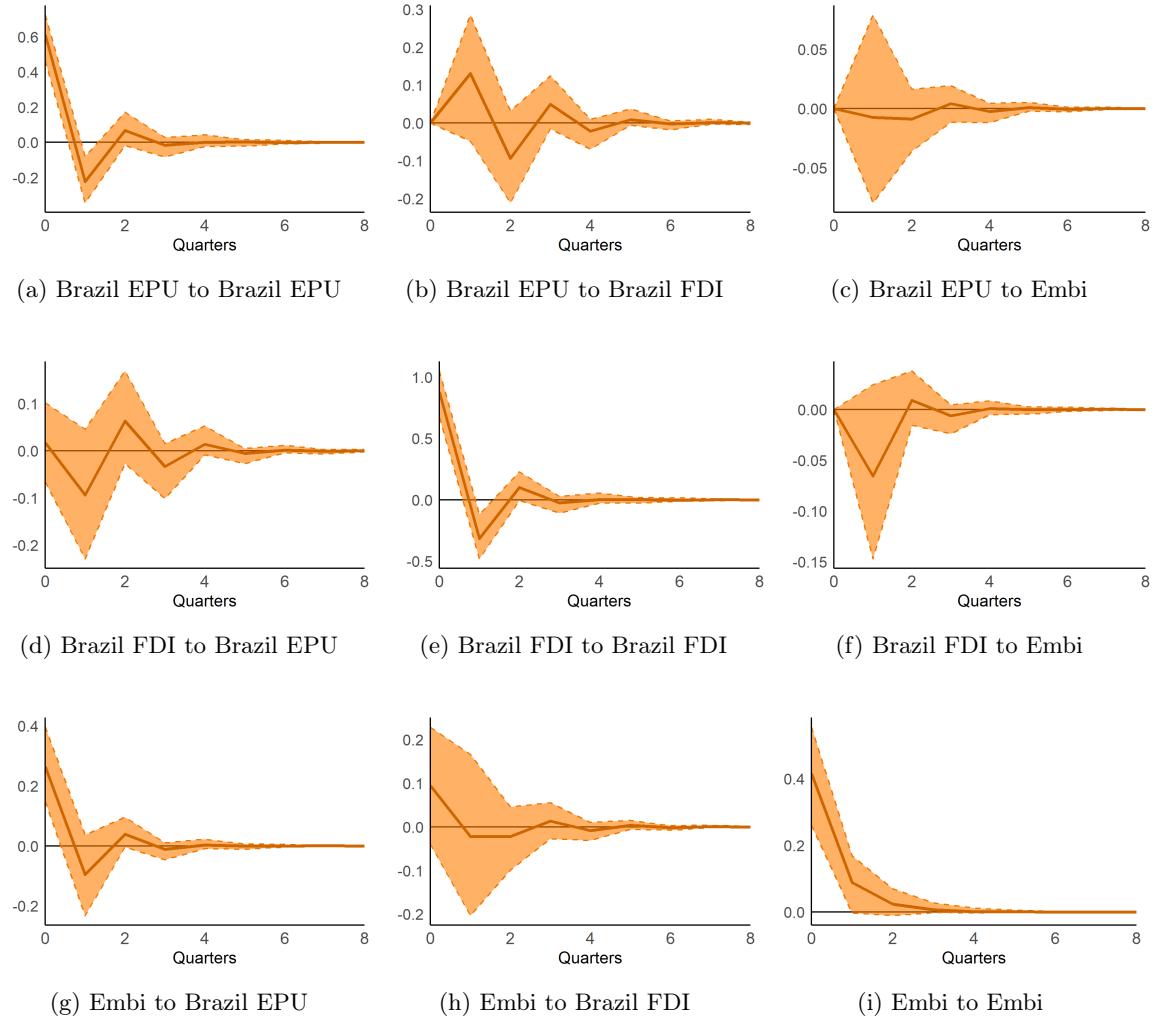


Figure 9: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. Second ordering (EPU last) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subplot corresponds to a IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1. VAR(p) refers to the lag specification of the model.

## 2.2.2 FDI with Fed rate as control. VAR (1)

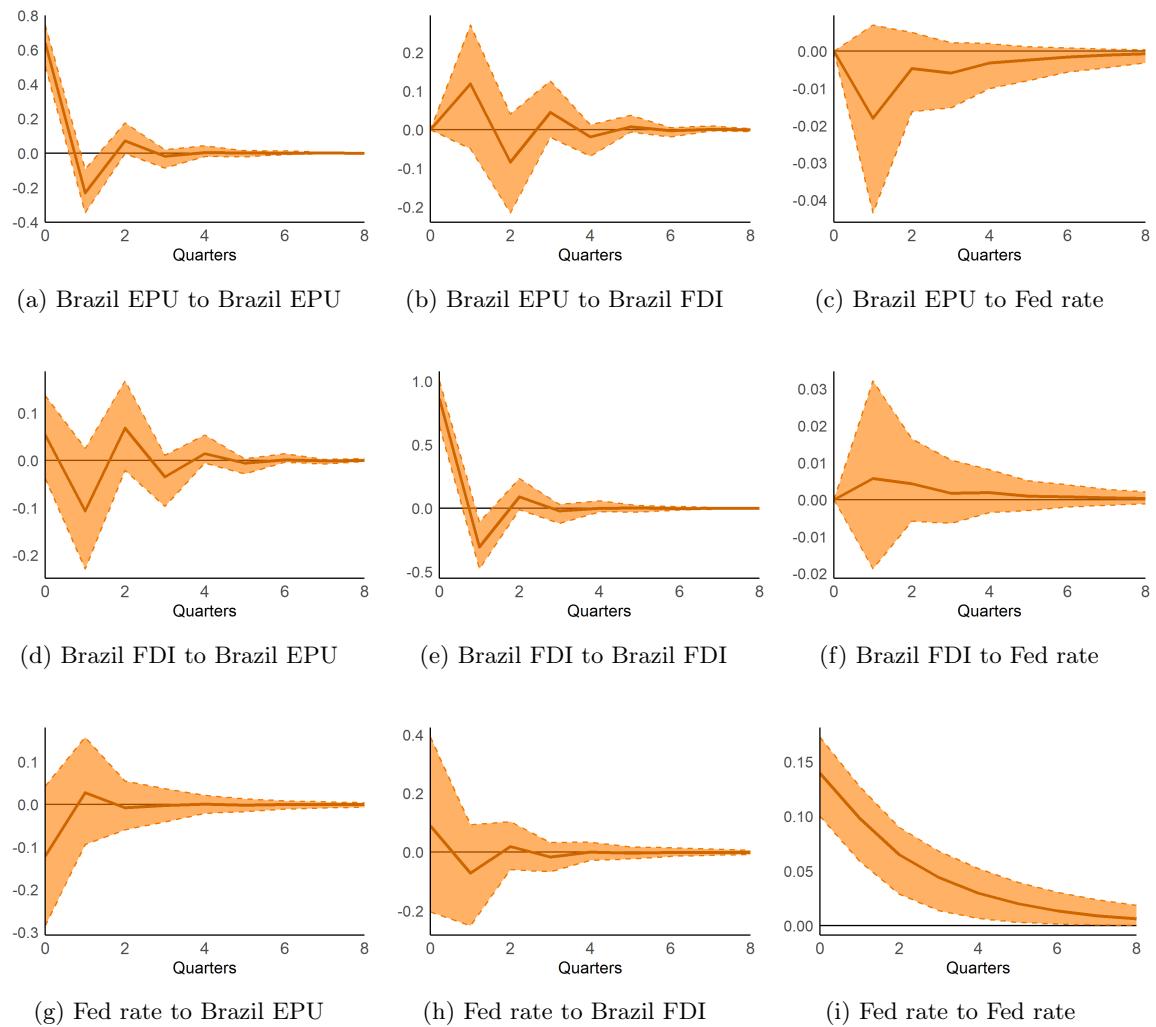


Figure 10: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. Second ordering (EPU last) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subfigure correspond to a IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1. VAR(p) refers to the lag specification of the model.

### 2.2.3 FDI with GDP as control. VAR (1)

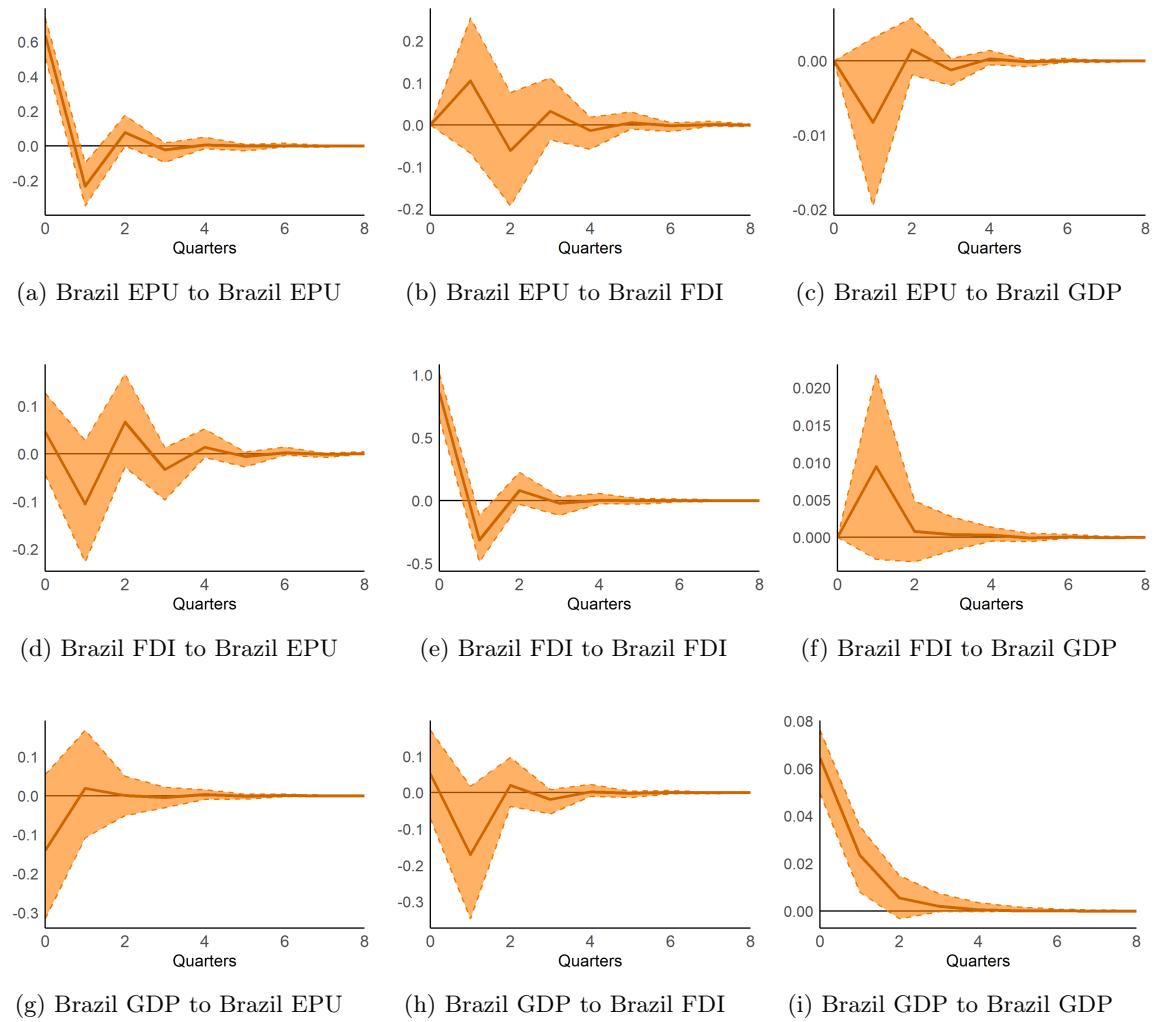


Figure 11: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. Second ordering (EPU last) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subfigure correspond to a IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1. VAR(p) refers to the lag specification of the model.

## 2.2.4 FDI with Global EPU as control. VAR (1)

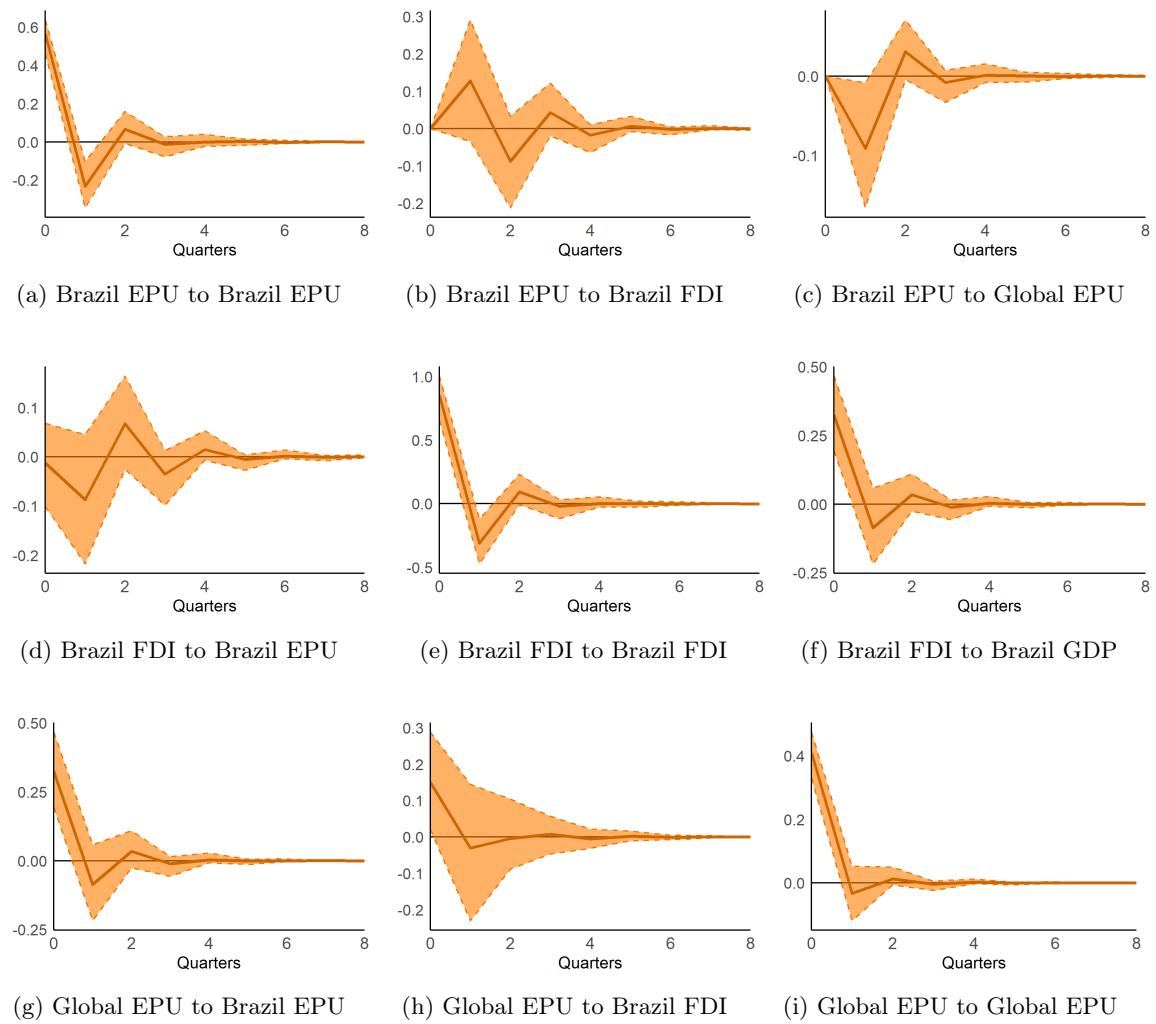


Figure 12: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. Second ordering (EPU last) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subfigure correspond to a IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1. VAR(p) refers to the lag specification of the model.

## 2.2.5 PI with EMBI as control. VAR (1)

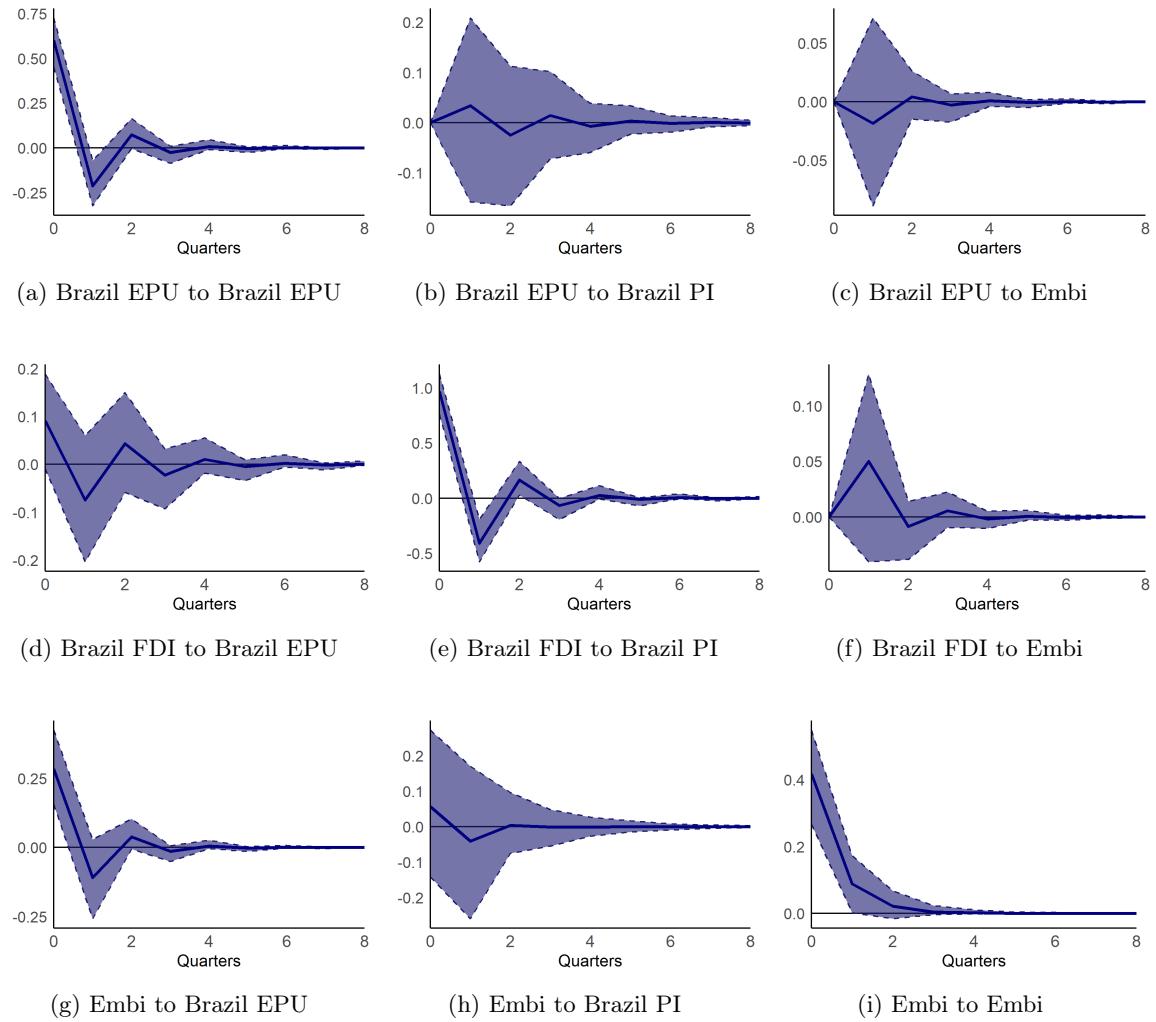


Figure 13: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. Second ordering (EPU last) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subfigure correspond to a IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1. VAR(p) refers to the lag specification of the model.

## 2.2.6 PI with Fed rate as control. VAR (1)

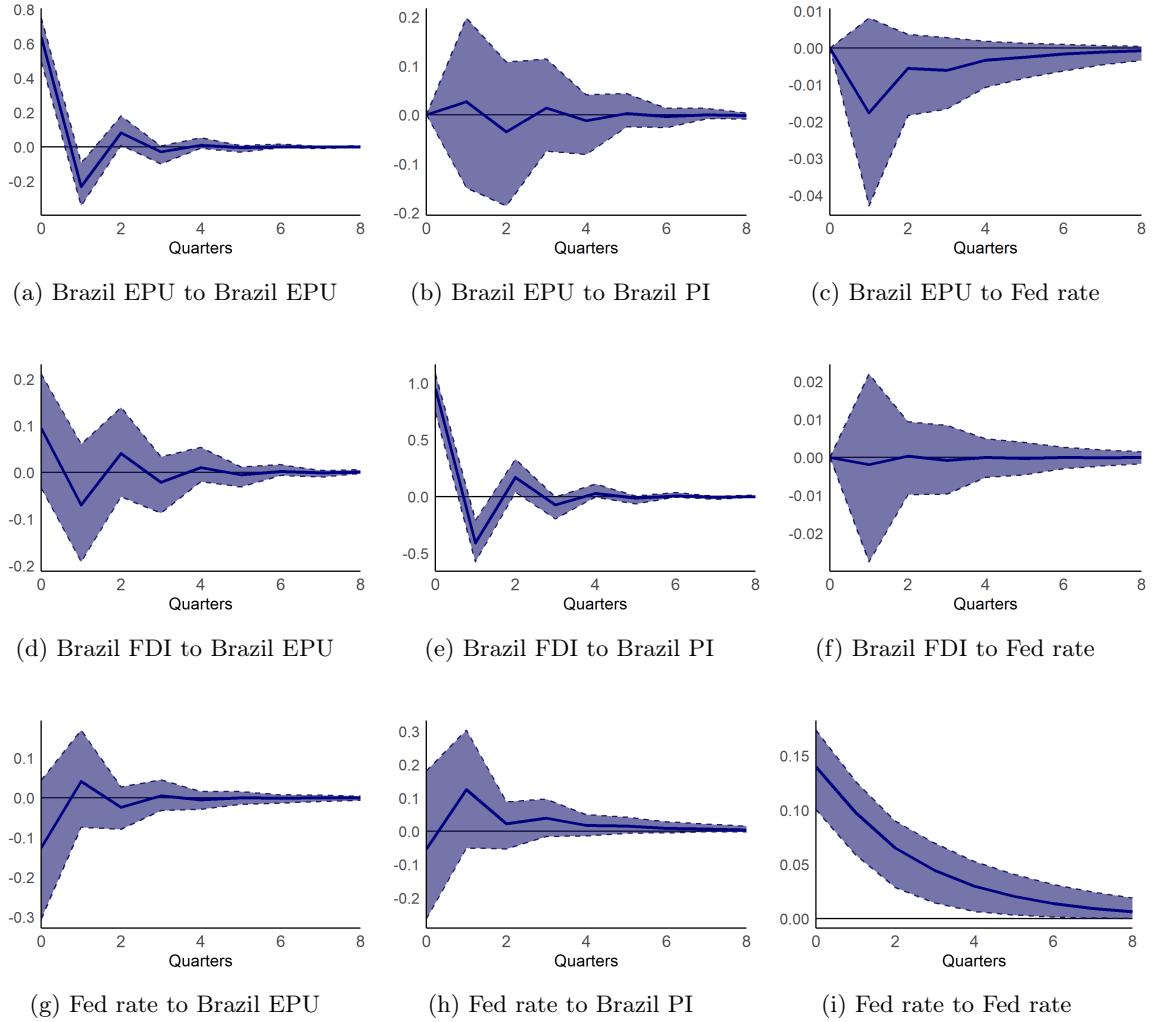


Figure 14: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. Second ordering (EPU last) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subplot corresponds to an IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1. VAR(p) refers to the lag specification of the model.

## 2.2.7 PI with GDP as control. VAR (1)

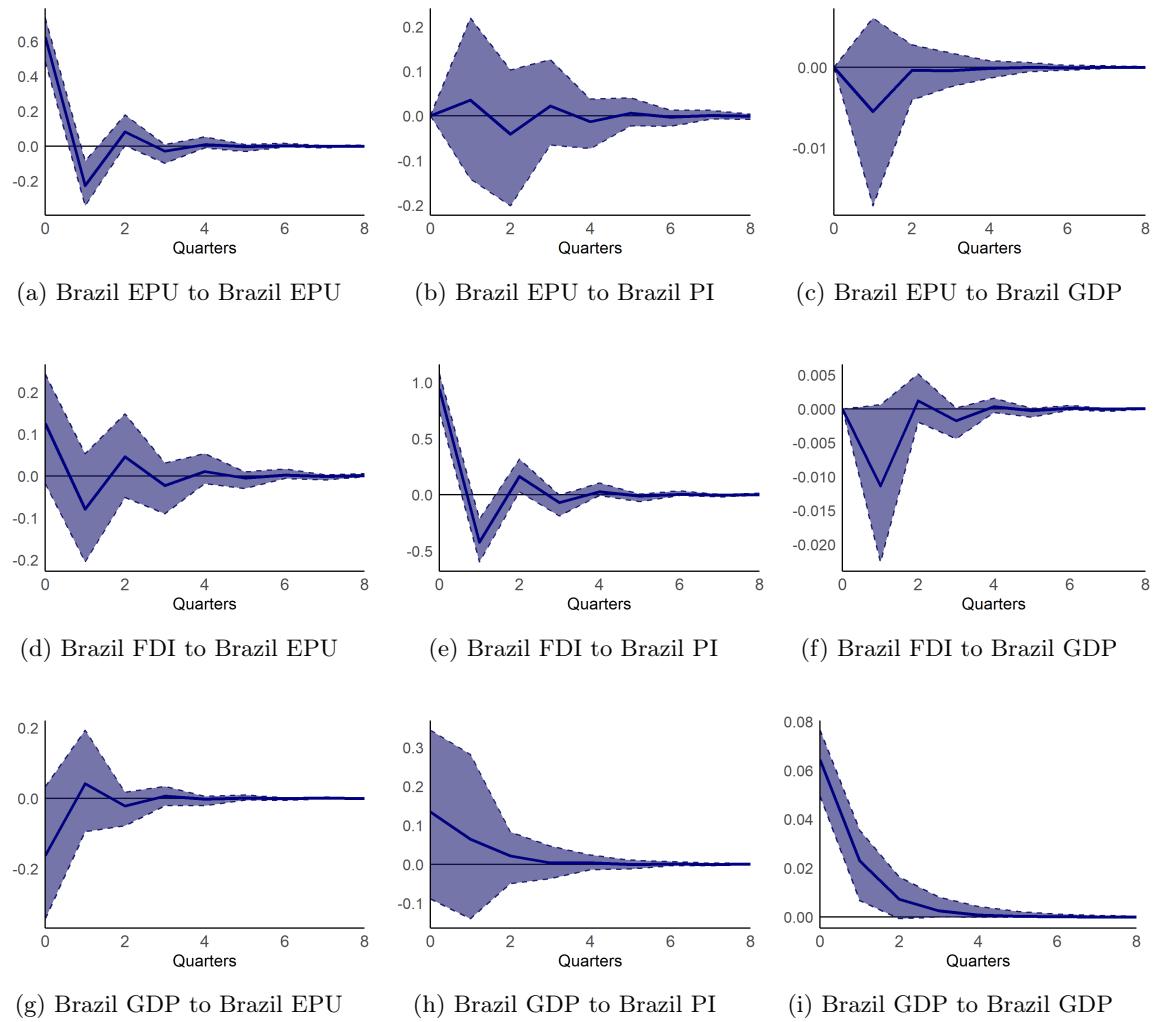


Figure 15: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. Second ordering (EPU last) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subplot corresponds to a IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1. VAR(p) refers to the lag specification of the model.

## 2.2.8 PI with Global EPU as control. VAR (1)

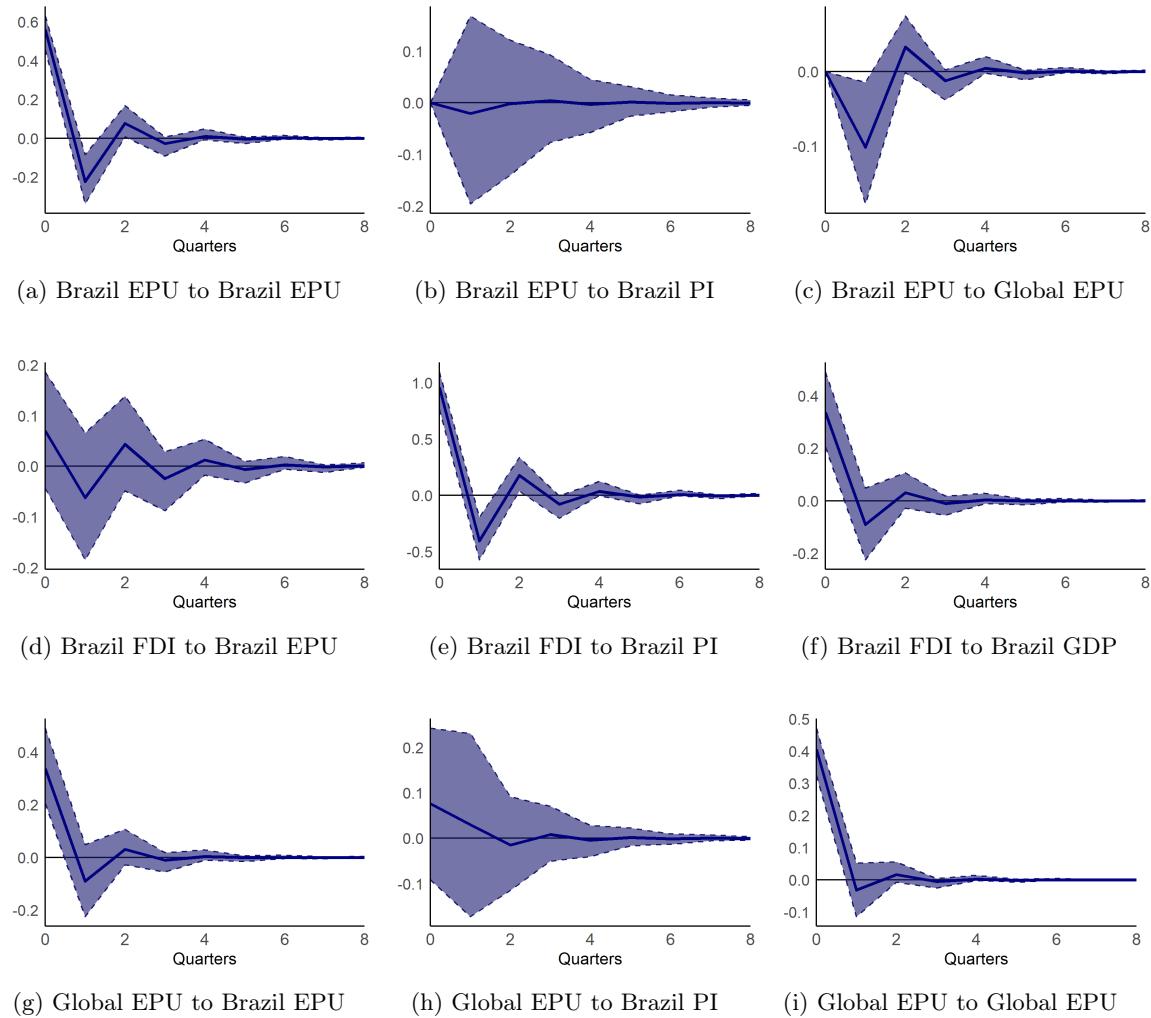


Figure 16: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. Second ordering (EPU last) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subplot corresponds to an IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1. VAR(p) refers to the lag specification of the model.

## 2.3 Third Ordering

### 2.3.1 FDI with GDP as control. VAR (1)

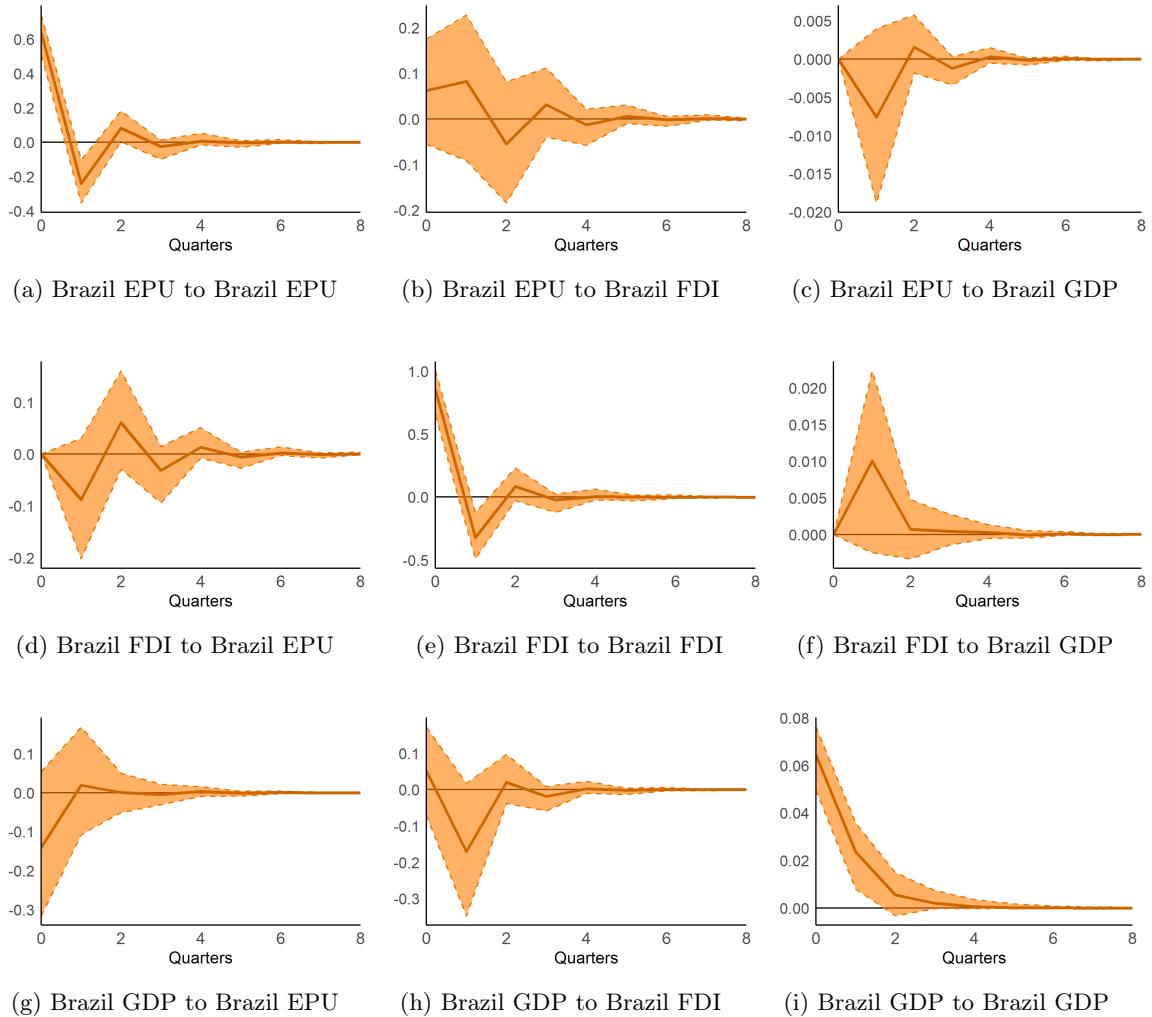


Figure 17: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. Third ordering (EPU intermediate) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subfigure correspond to a IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1. VAR(p) refers to the lag specification of the model.

### 2.3.2 PI with GDP as control. VAR (1)

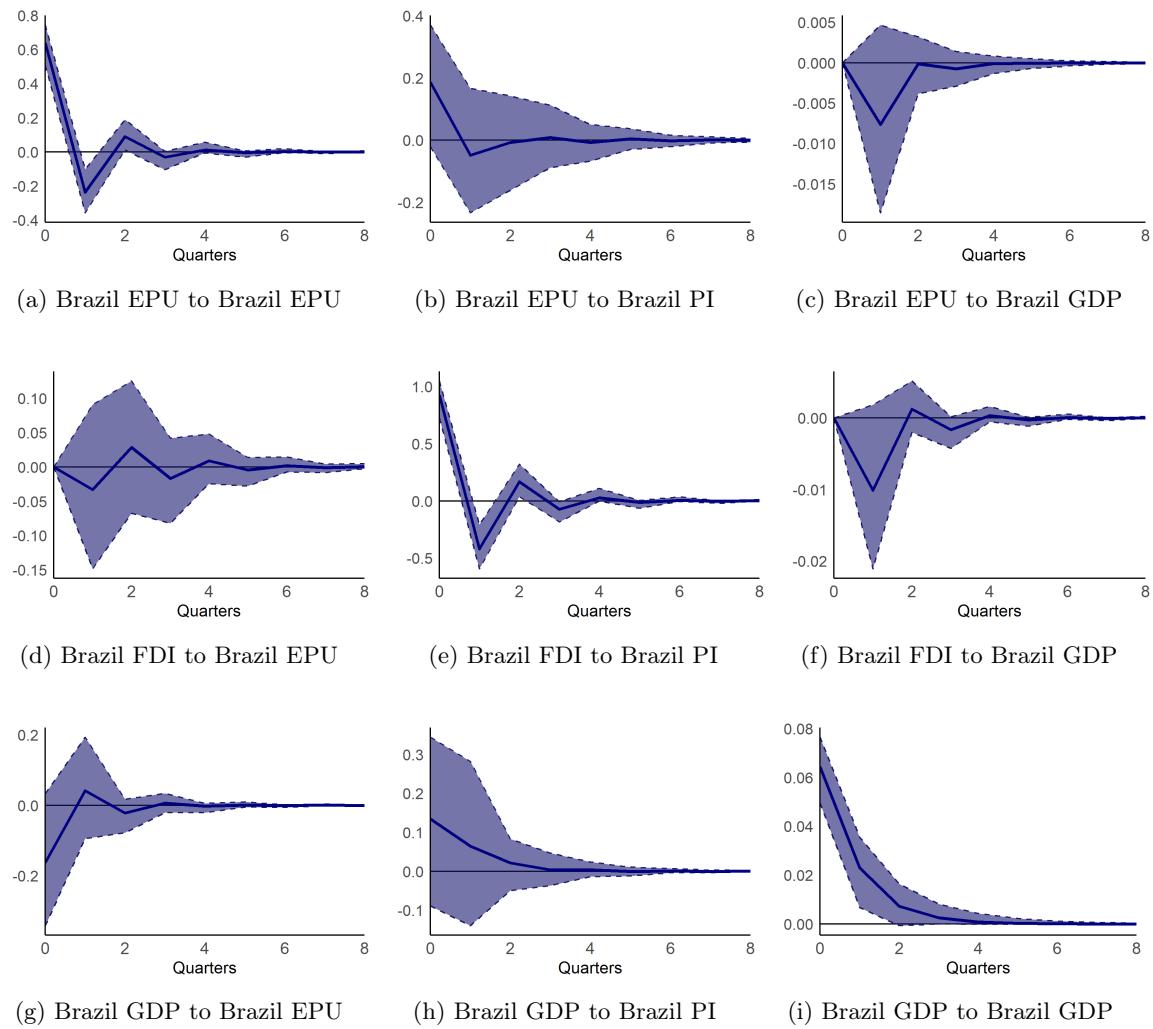


Figure 18: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. Third ordering (EPU intermediate) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subfigure correspond to a IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1. VAR(p) refers to the lag specification of the model.

### 3 Chile

#### 3.1 First Ordering

##### 3.1.1 FDI with EMBI as control. VAR (2)

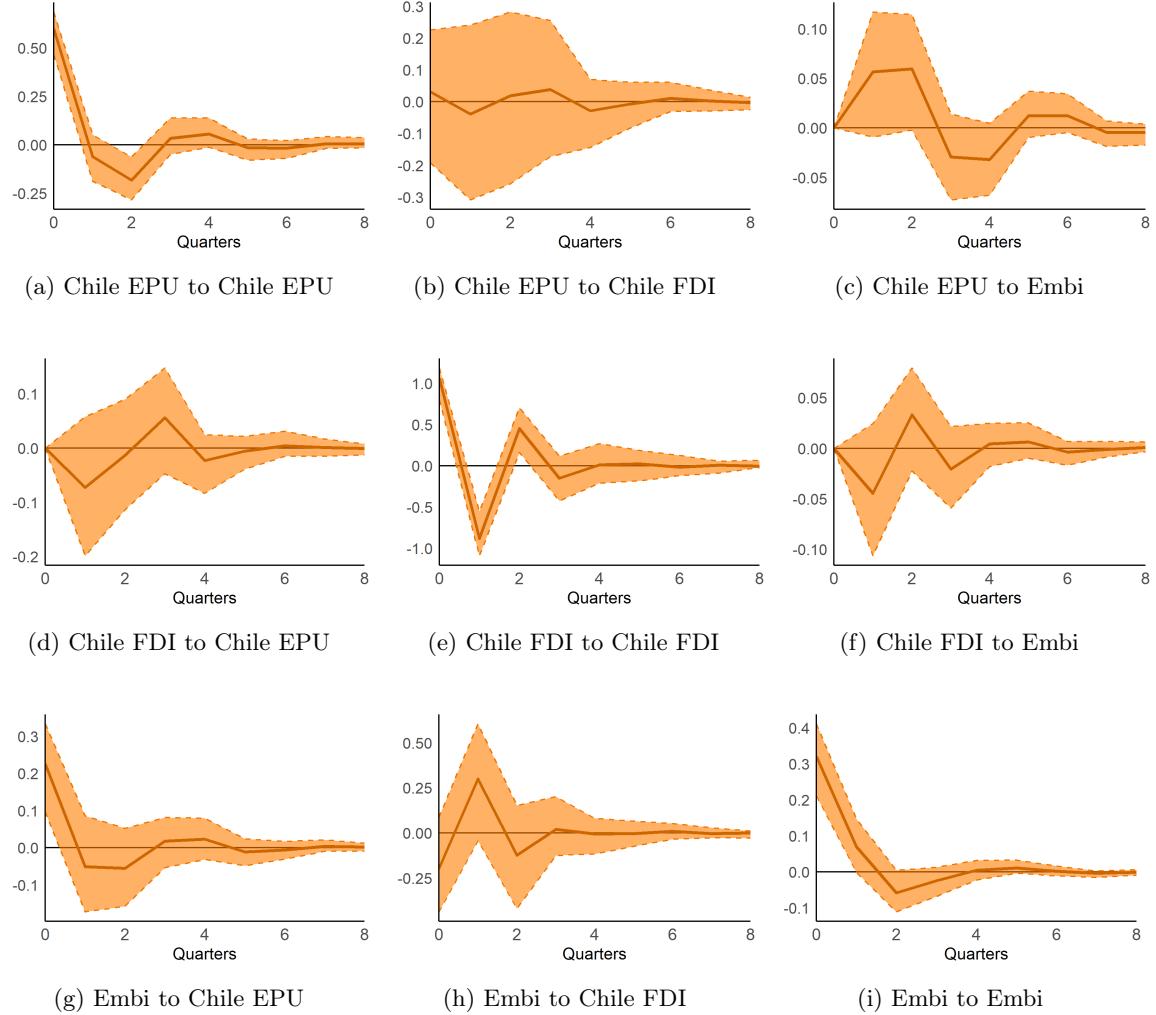


Figure 19: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. First ordering (EPU first) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subplot corresponds to a IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1. VAR(p) refers to the lag specification of the model.

### 3.1.2 FDI with Fed rate as control. VAR (1)

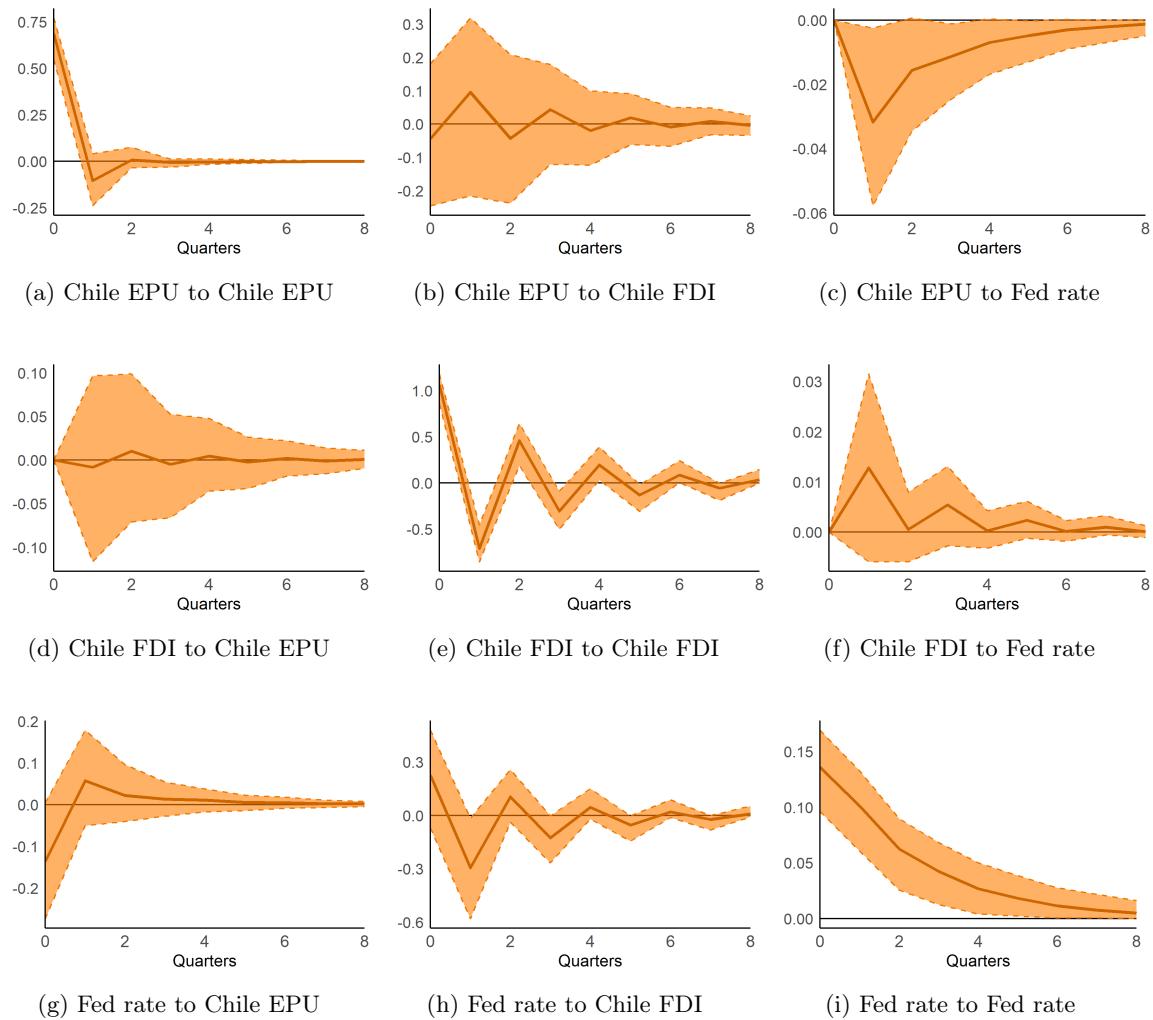


Figure 20: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. First ordering (EPU first) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subplot corresponds to a IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1. VAR(p) refers to the lag specification of the model.

### 3.1.3 FDI with GDP as control. VAR (1)

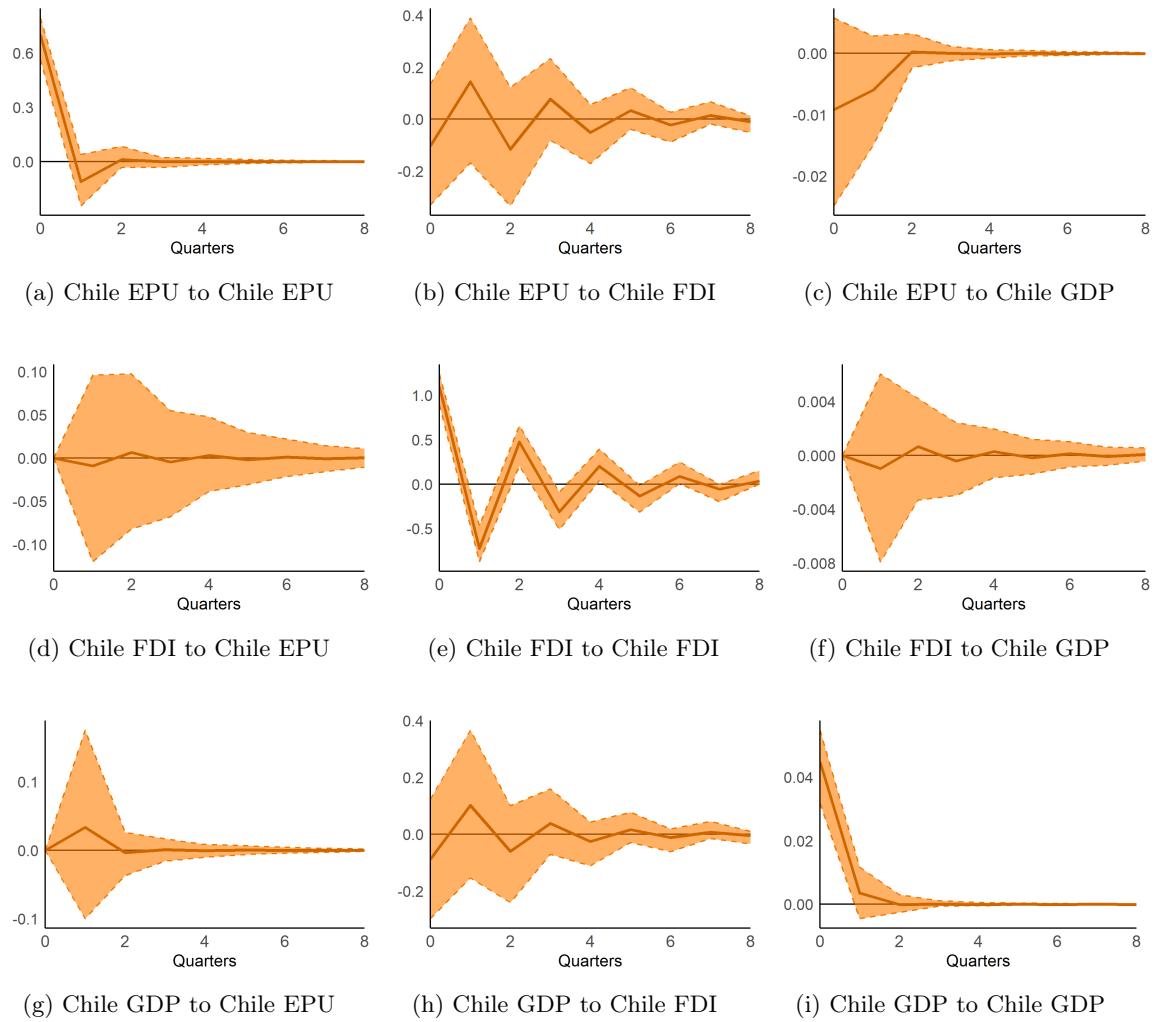


Figure 21: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. First ordering (EPU first) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subfigure correspond to a IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1. VAR(p) refers to the lag specification of the model.

### 3.1.4 FDI with Global EPU as control. VAR (1)

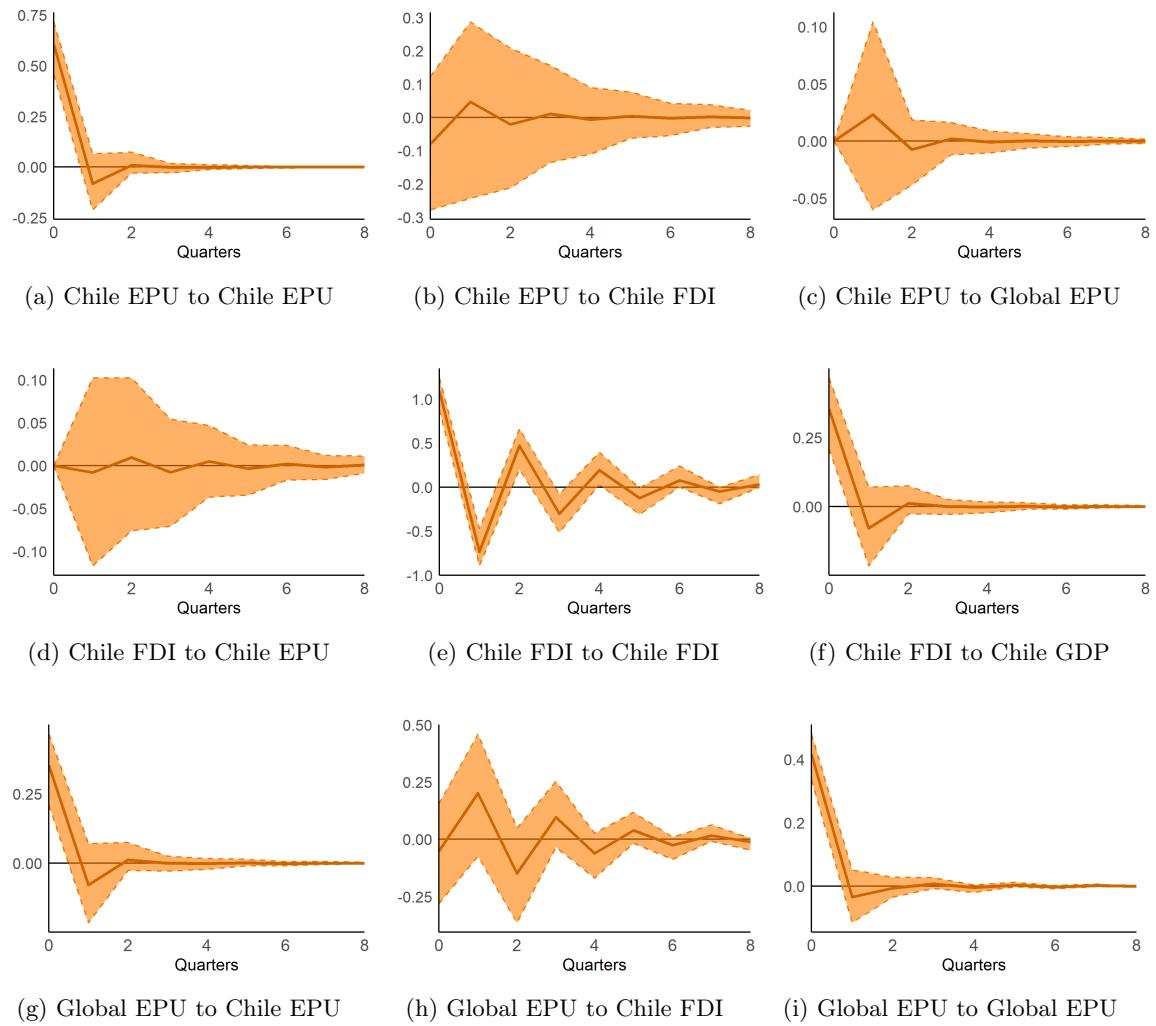


Figure 22: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. First ordering (EPU first) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subplot corresponds to a IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1. VAR(p) refers to the lag specification of the model.

### 3.1.5 PI with EMBI as control. VAR (2)

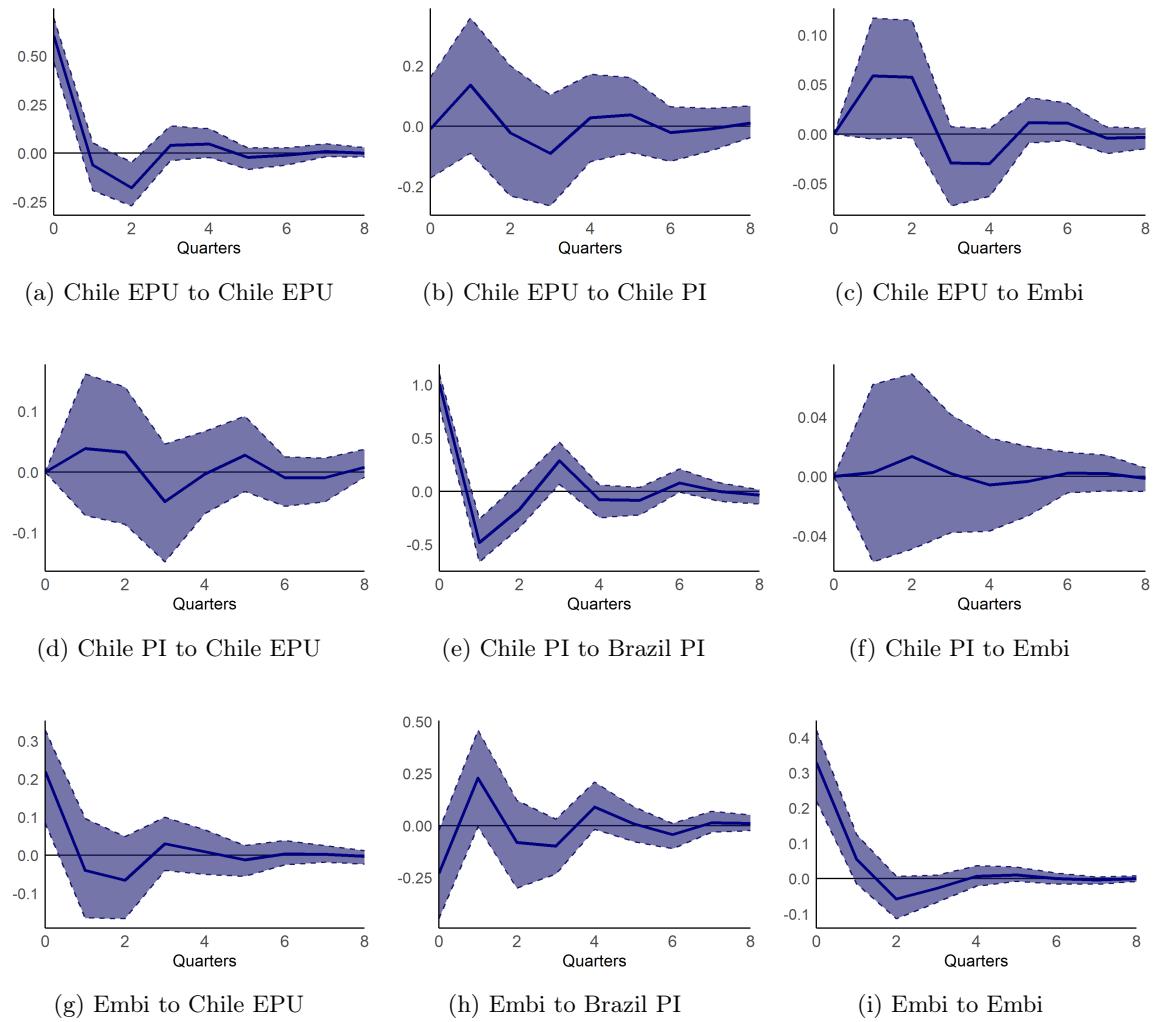


Figure 23: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. First ordering (EPU first) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subplot corresponds to a IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1. VAR(p) refers to the lag specification of the model.

### 3.1.6 PI with Fed rate as control. VAR (2)

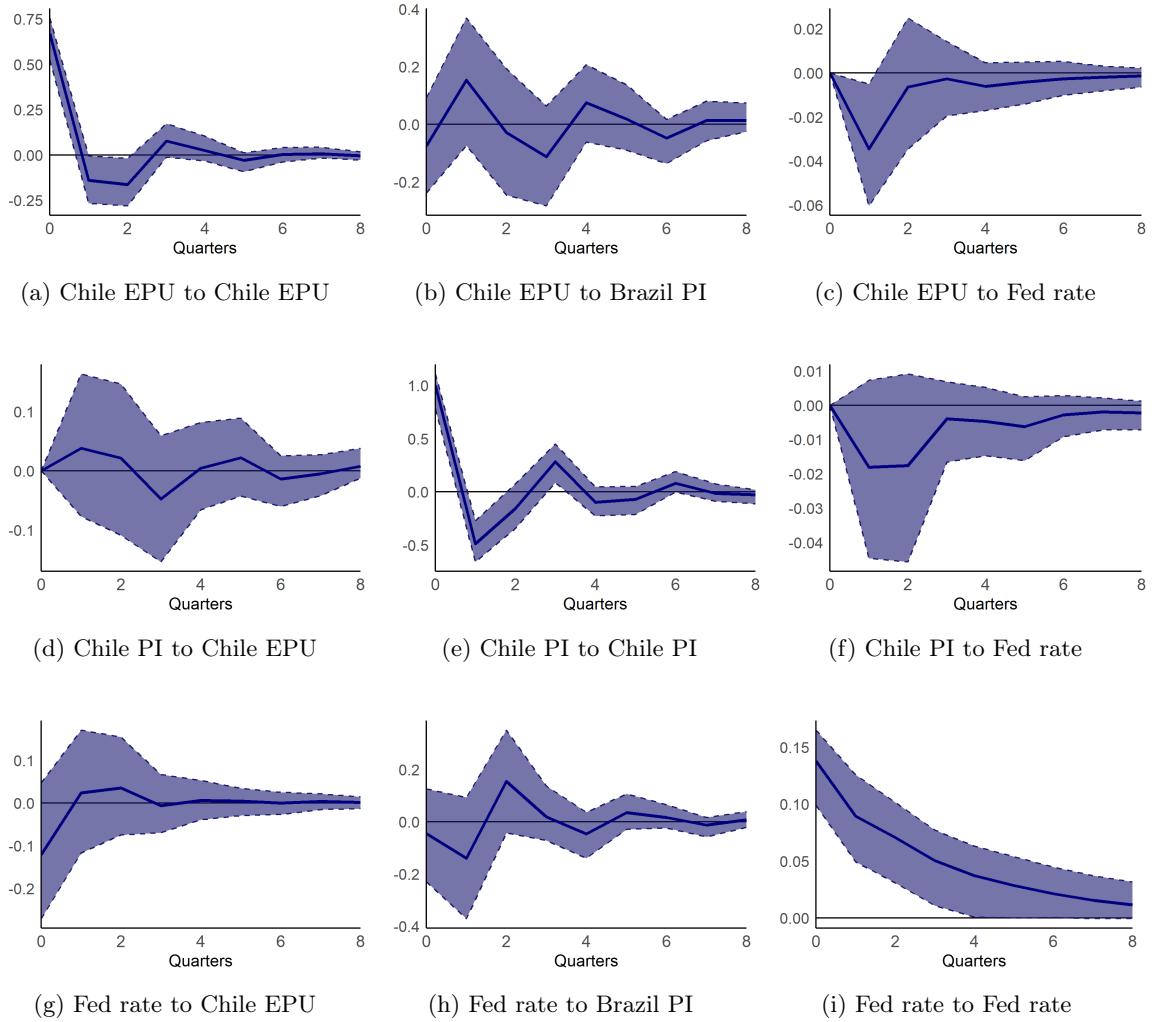


Figure 24: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. First ordering (EPU first) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subplot corresponds to an IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1. VAR(p) refers to the lag specification of the model.

### 3.1.7 PI with GDP as control. VAR (2)

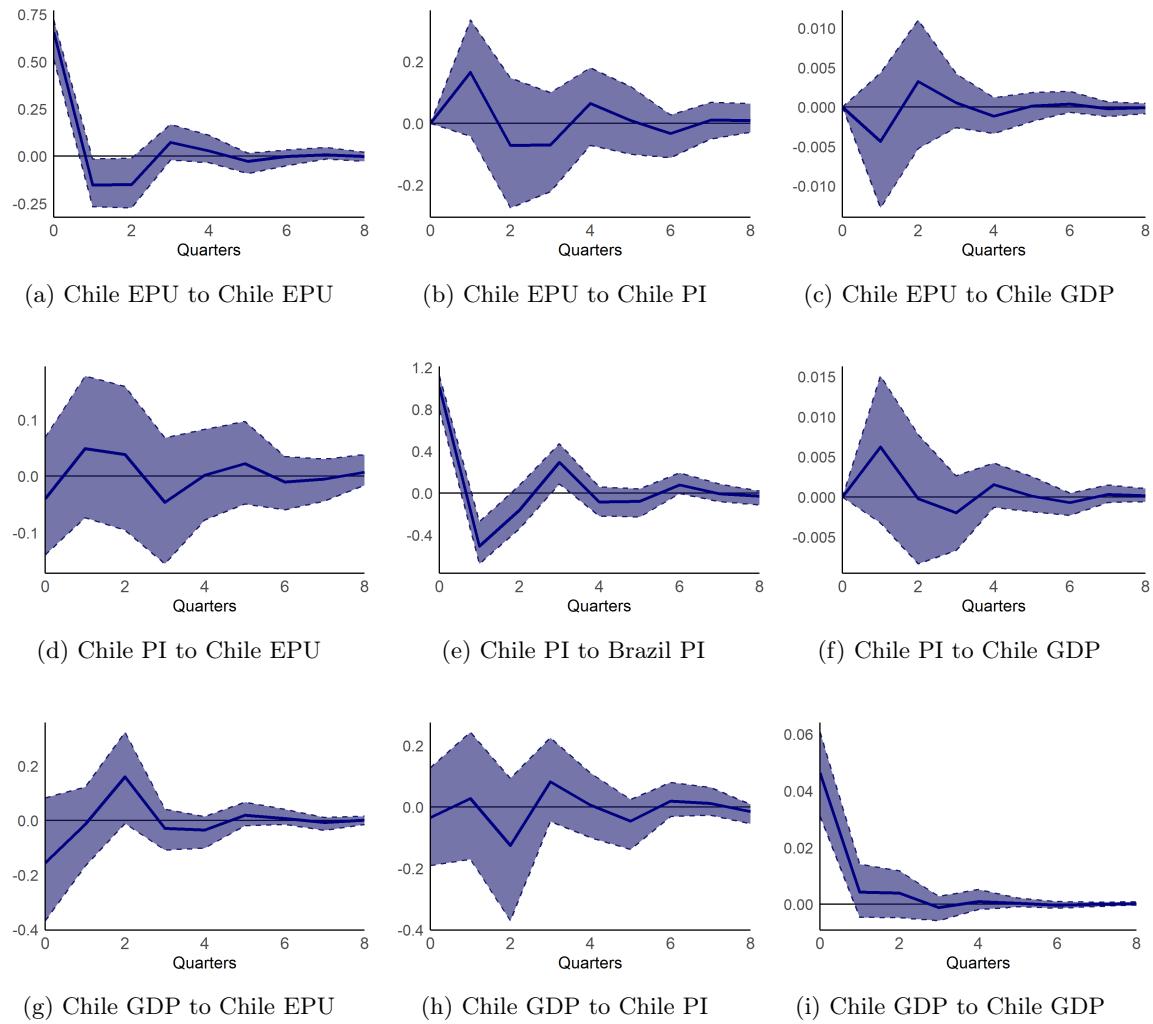


Figure 25: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. First ordering (EPU first) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subfigure correspond to a IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1. VAR(p) refers to the lag specification of the model.

### 3.1.8 PI with Global EPU as control. VAR (2)

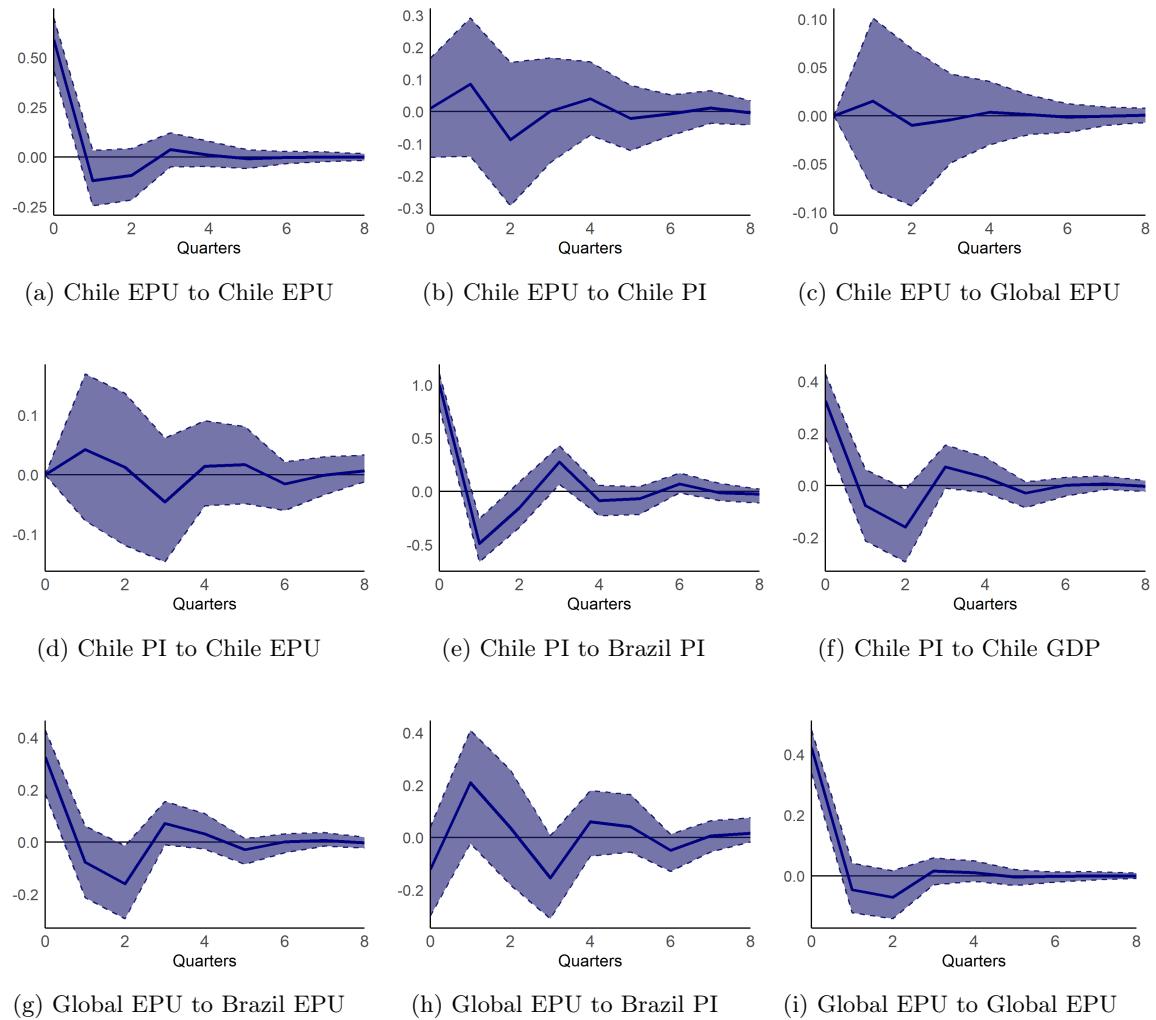


Figure 26: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. First ordering (EPU first) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subplot corresponds to a IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1. VAR(p) refers to the lag specification of the model.

## 3.2 Second Ordering

### 3.2.1 FDI with EMBI as control. VAR (2)

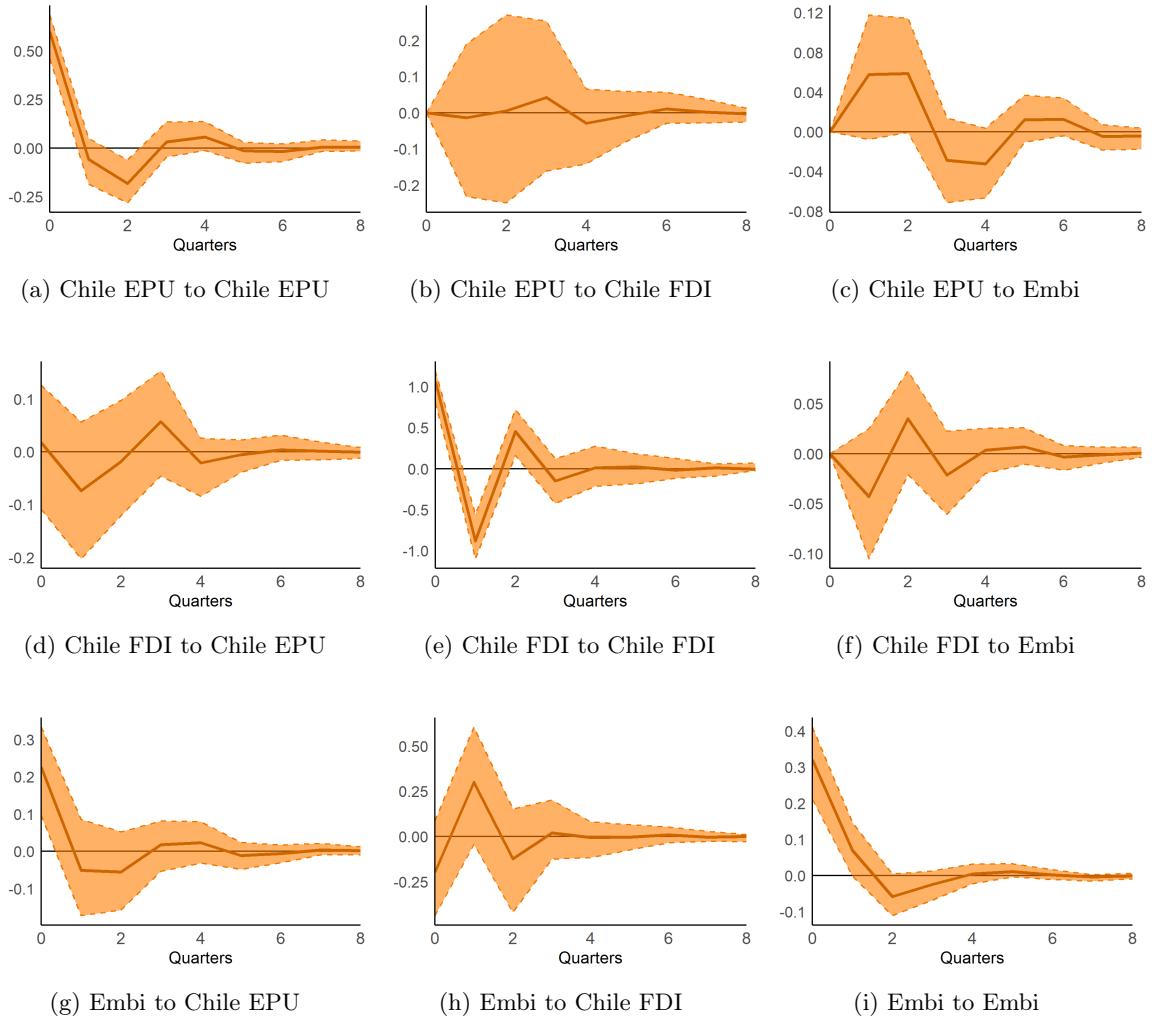


Figure 27: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. Second ordering (EPU last) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subfigure correspond to a IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1. VAR(p) refers to the lag specification of the model.

### 3.2.2 FDI with Fed rate as control. VAR (1)

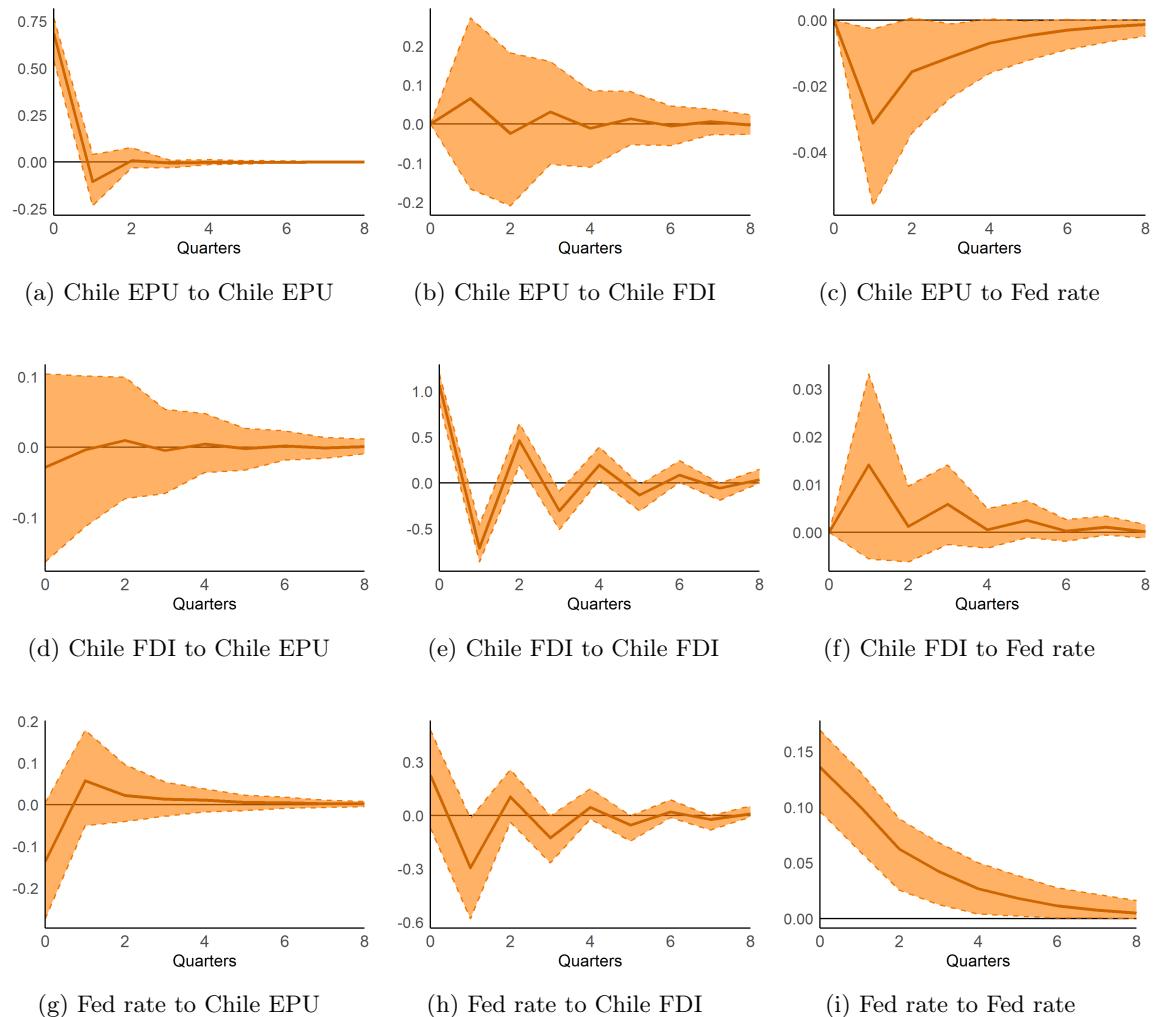


Figure 28: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. Second ordering (EPU last) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subplot corresponds to a IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1. VAR(p) refers to the lag specification of the model.

### 3.2.3 FDI with GDP as control. VAR (1)

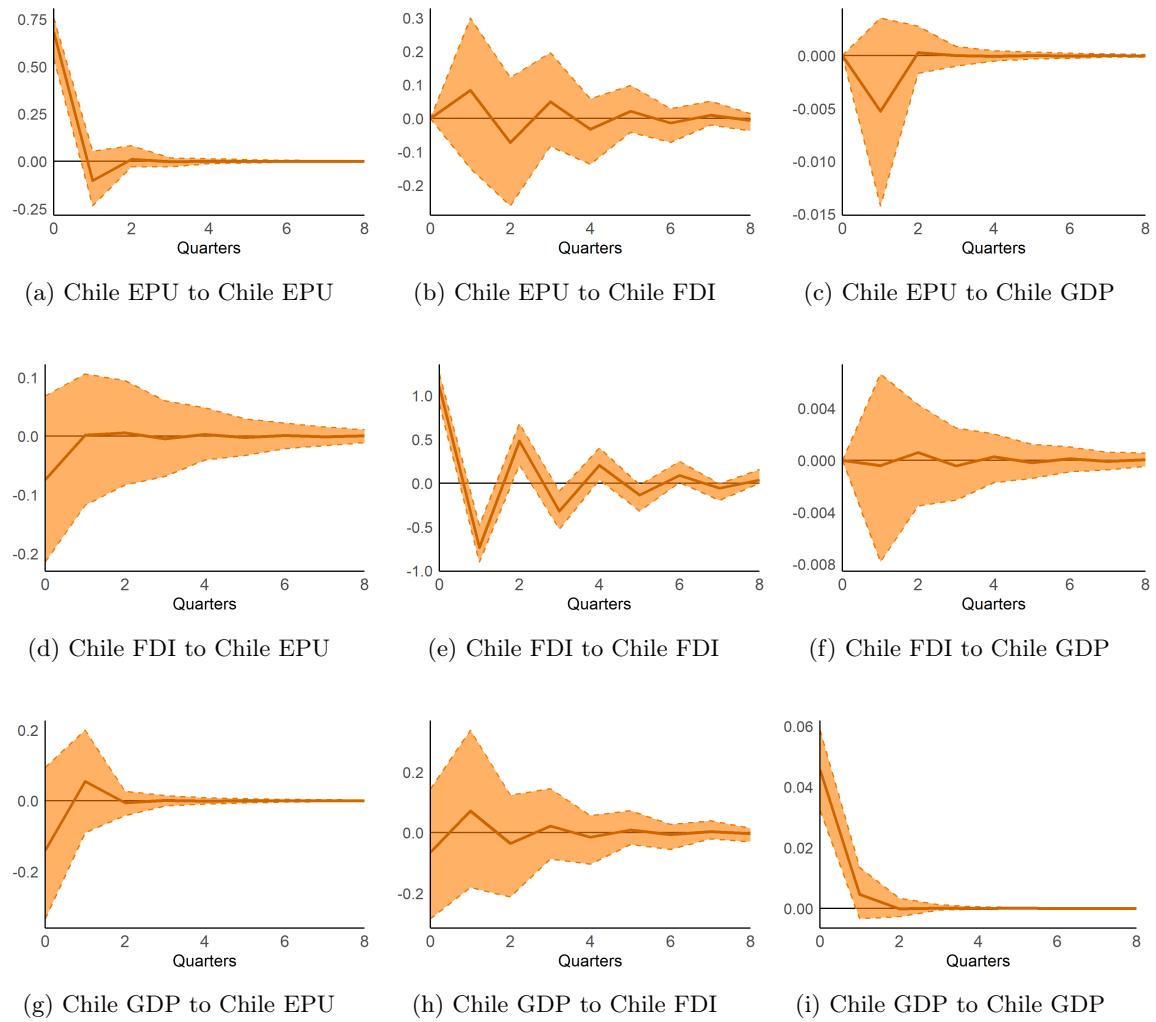


Figure 29: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. Second ordering (EPU last) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subplot corresponds to a IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1. VAR(p) refers to the lag specification of the model.

### 3.2.4 FDI with Global EPU as control. VAR (1)

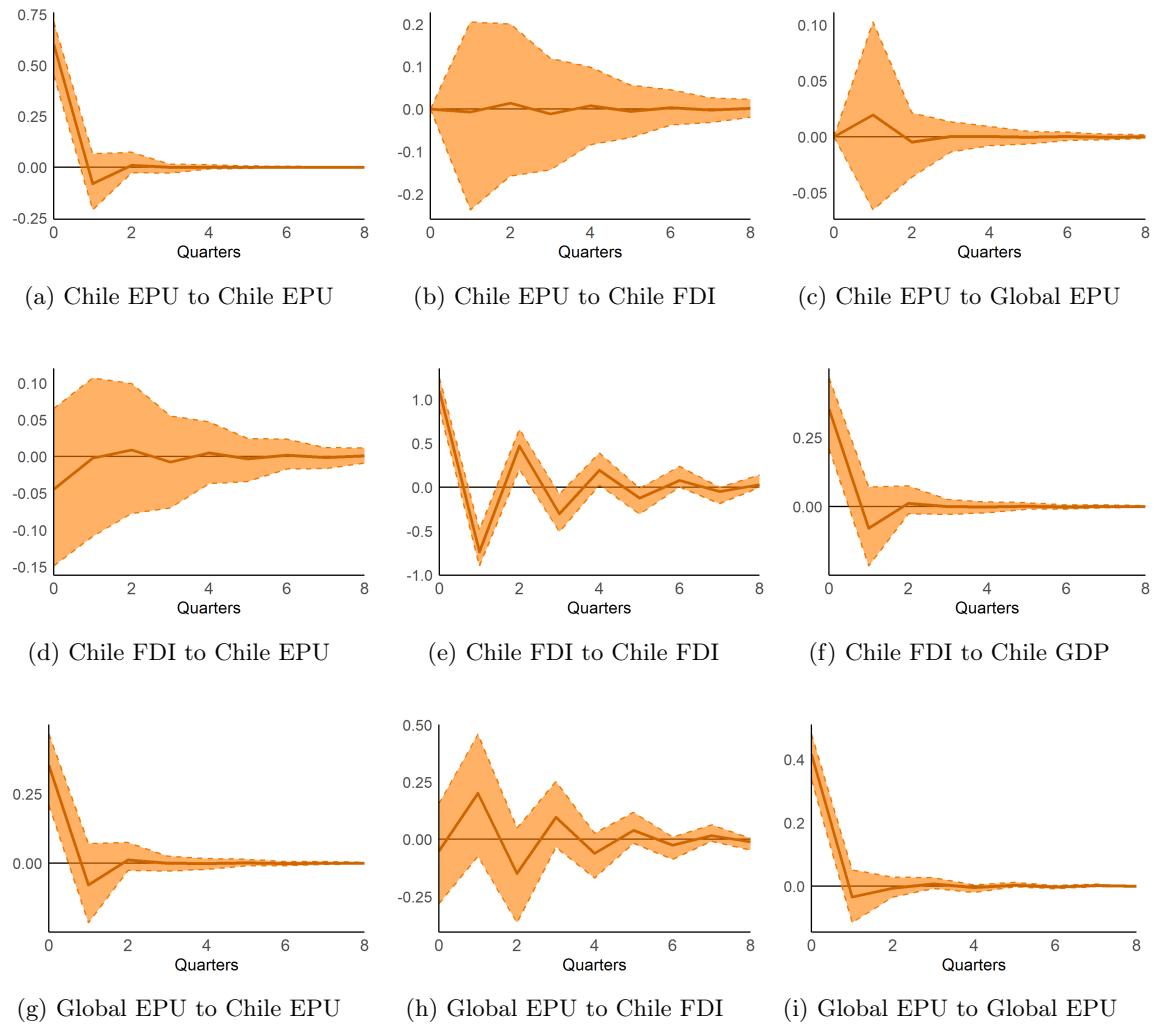


Figure 30: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. Second ordering (EPU last) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subplot corresponds to a IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1. VAR(p) refers to the lag specification of the model.

### 3.2.5 PI with EMBI as control. VAR (2)

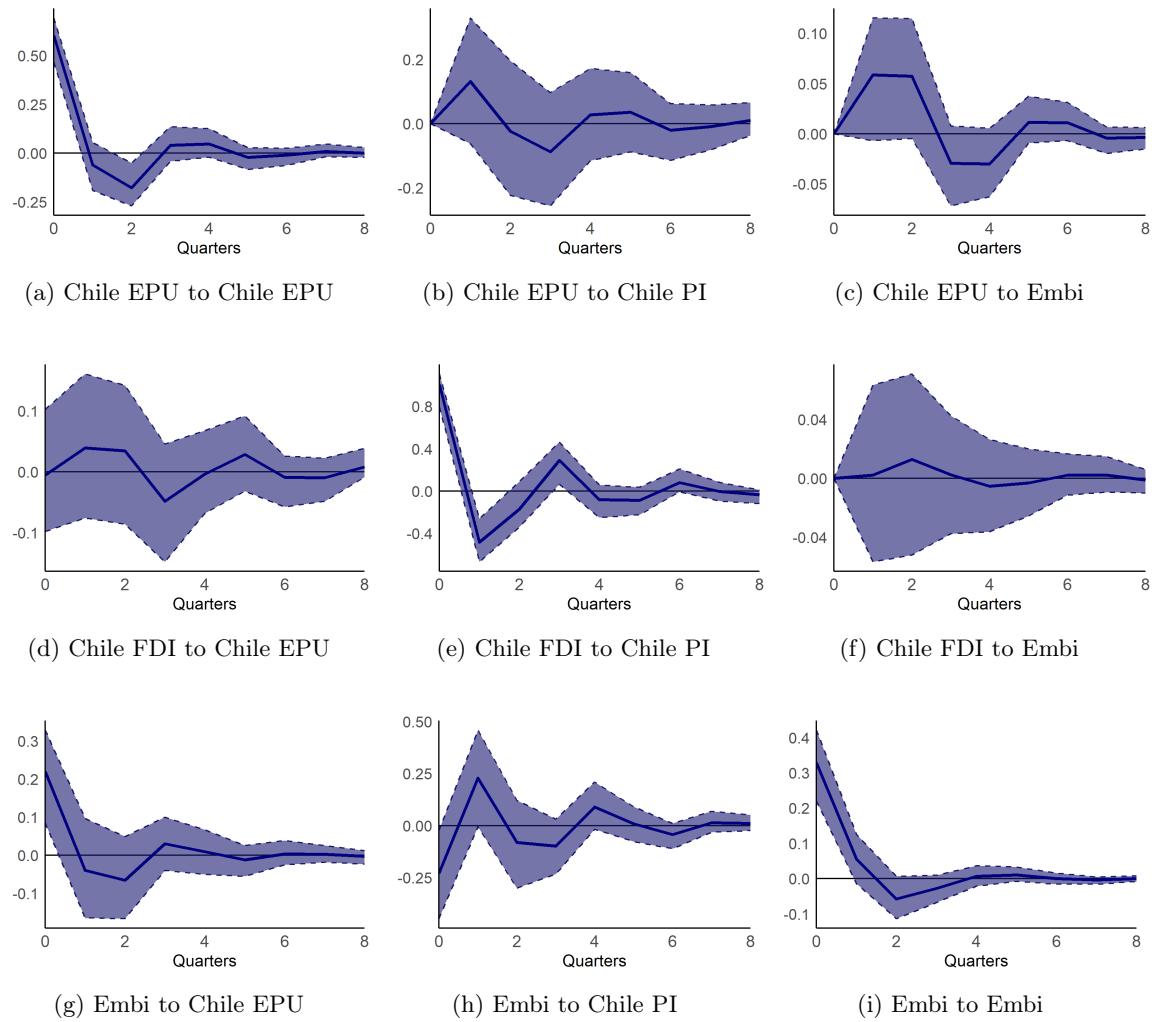


Figure 31: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. Second ordering (EPU last) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subplot correspond to a IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1. VAR(p) refers to the lag specification of the model.

### 3.2.6 PI with Fed rate as control. VAR (2)

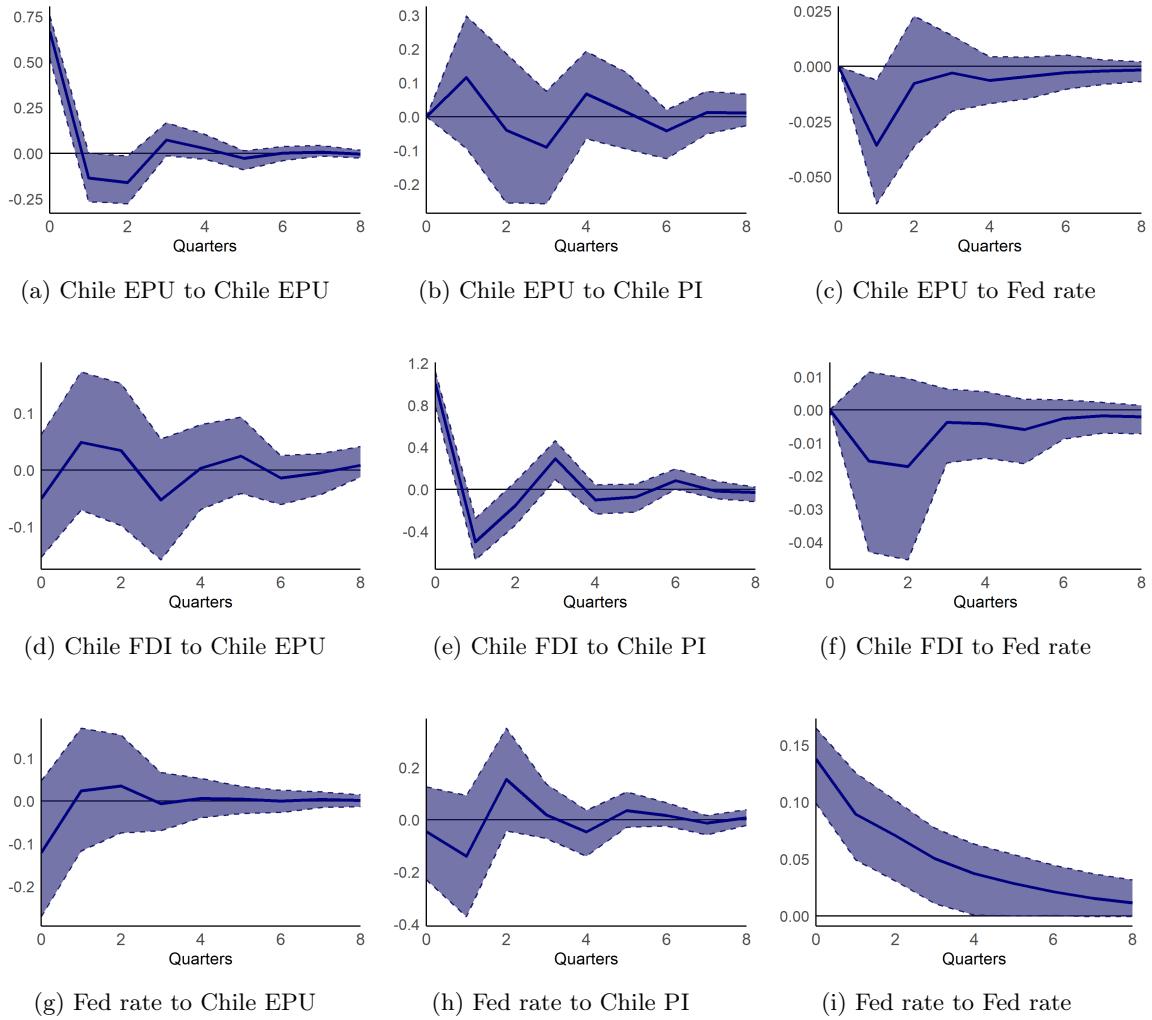


Figure 32: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. Second ordering (EPU last) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subplot corresponds to an IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1. VAR(p) refers to the lag specification of the model.

### 3.2.7 PI with GDP as control. VAR (2)

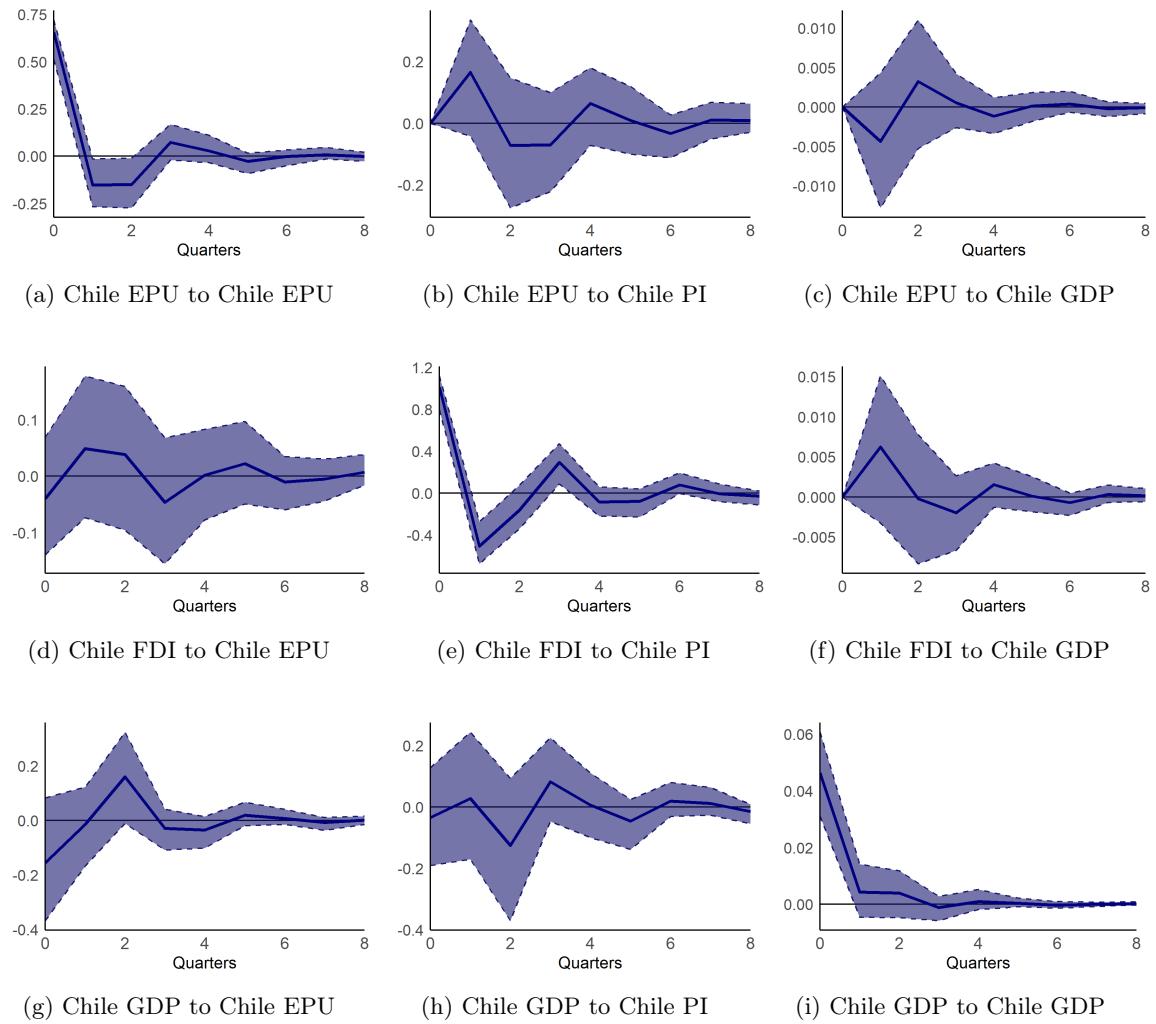


Figure 33: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. Second ordering (EPU last) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subplot corresponds to a IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1. VAR(p) refers to the lag specification of the model.

### 3.2.8 PI with Global EPU as control. VAR (1)

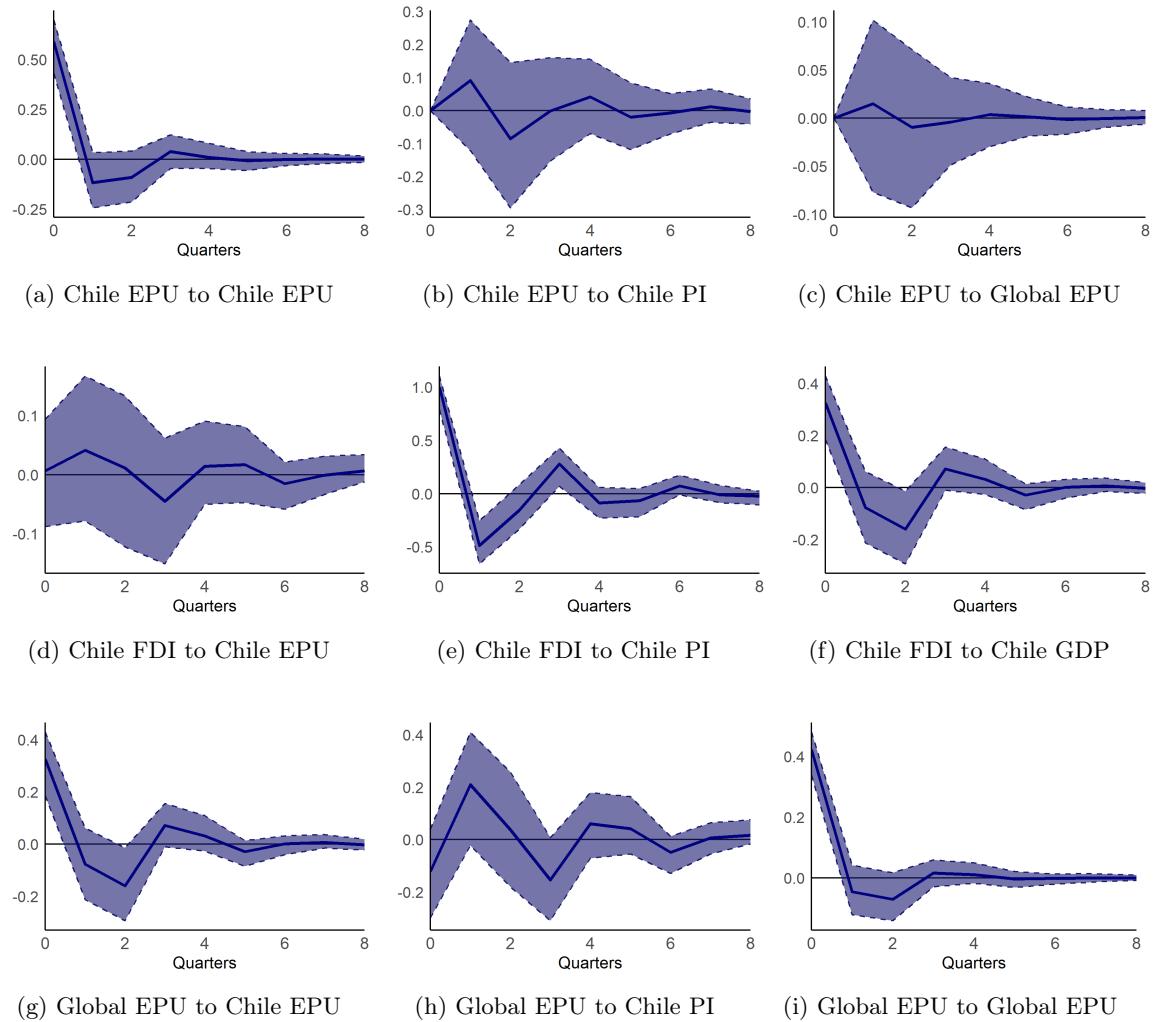


Figure 34: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. Second ordering (EPU last) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subplot corresponds to an IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1. VAR(p) refers to the lag specification of the model.

### 3.3 Third Ordering

#### 3.3.1 FDI with GDP as control. VAR (1)

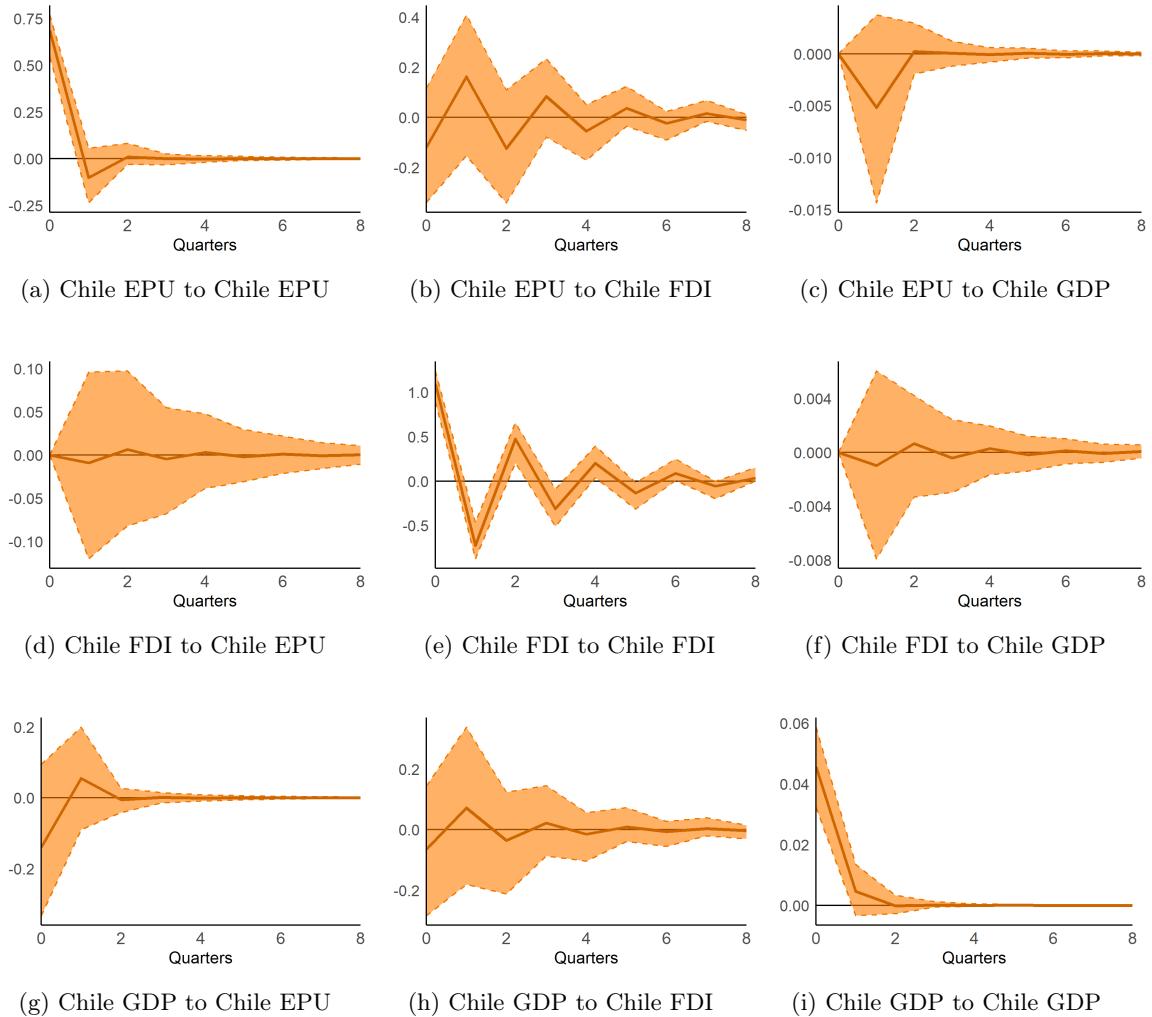


Figure 35: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. Third ordering (EPU intermediate) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subfigure correspond to a IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1. VAR(p) refers to the lag specification of the model.

### 3.3.2 PI with GDP as control. VAR (2)

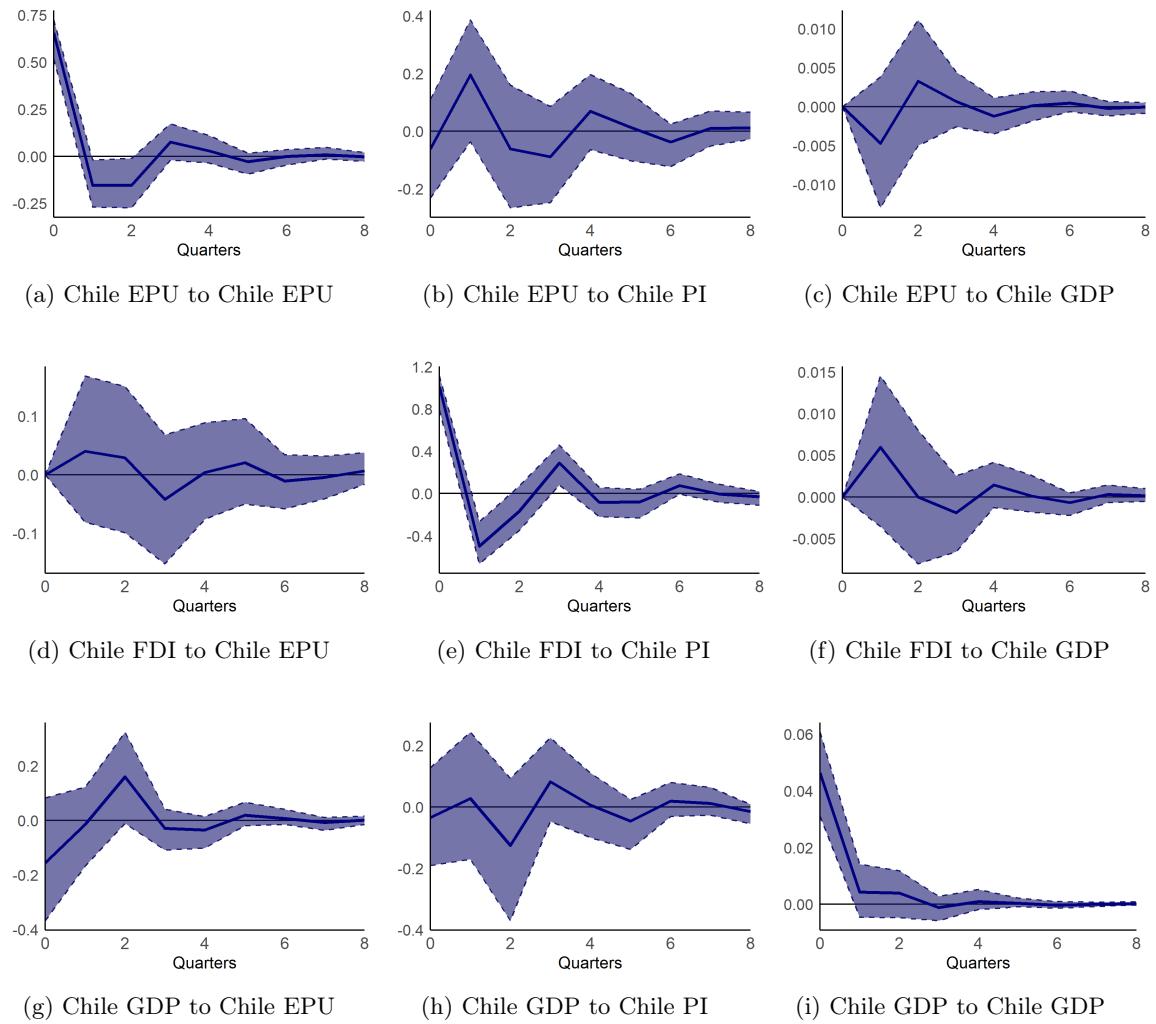


Figure 36: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. Third ordering (EPU intermediate) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subplot corresponds to a IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1. VAR(p) refers to the lag specification of the model.

## 4 Colombia

### 4.1 First Ordering

#### 4.1.1 FDI with EMBI as control. VAR (2)

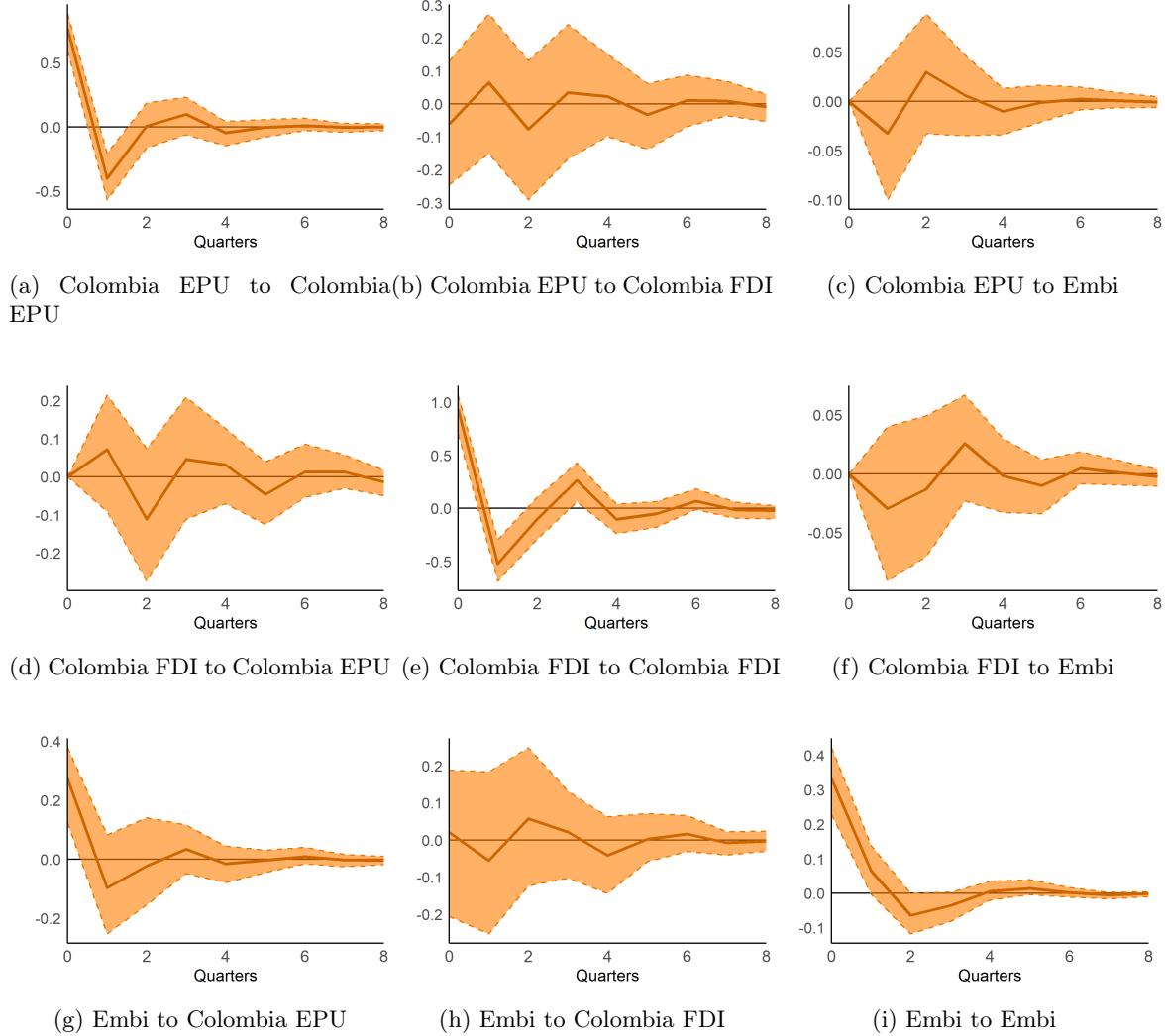


Figure 37: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. First ordering (EPU first) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subfigure correspond to a IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1 and GDP model, which is 2005Q1-2020Q1. VAR(p) refers to the lag specification of the model.

#### 4.1.2 FDI with Fed rate as control. VAR (1)

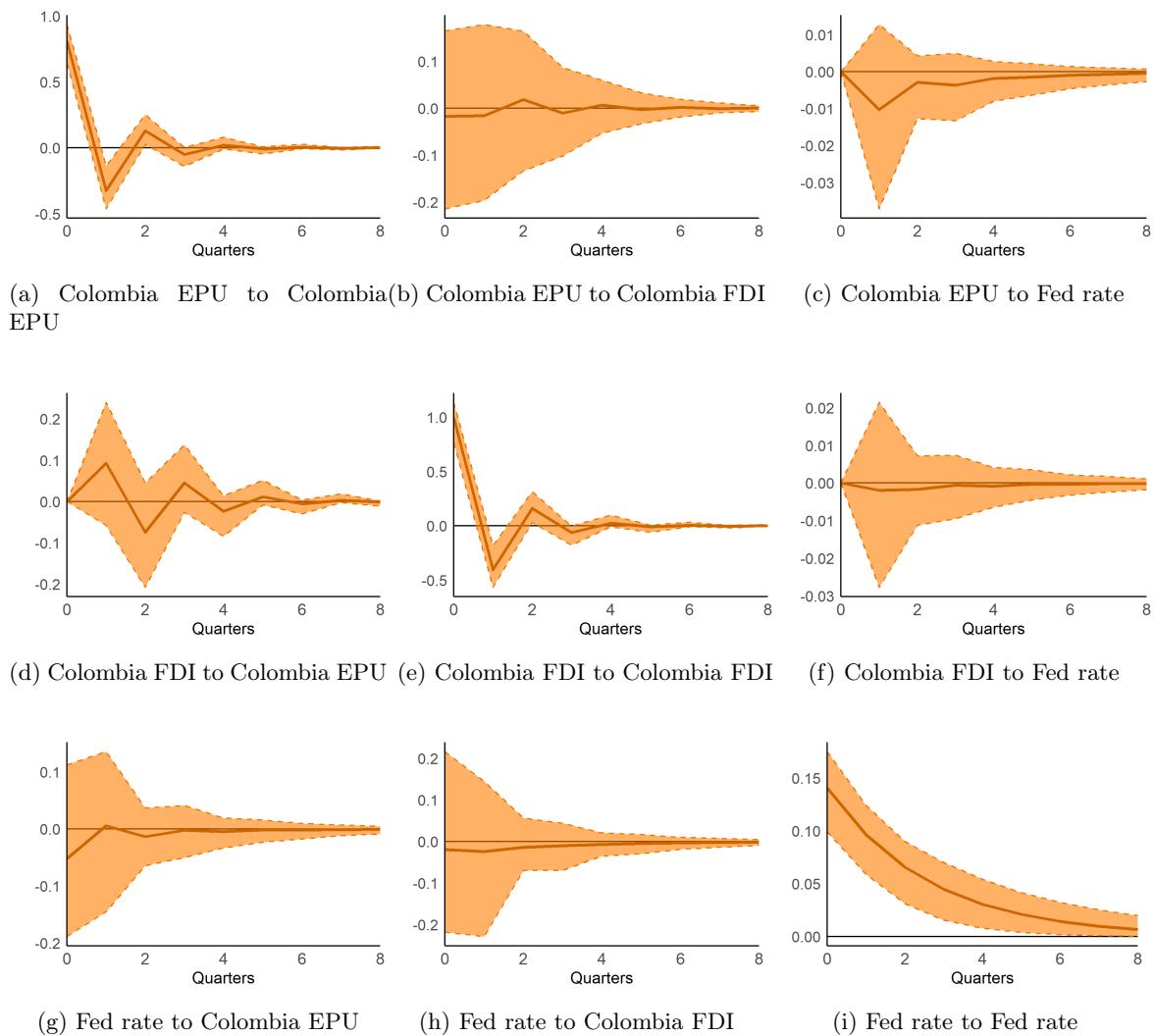


Figure 38: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. First ordering (EPU first) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subfigure correspond to a IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1 and GDP model, which is 2005Q1-2020Q1. VAR(p) refers to the lag specification of the model.

#### 4.1.3 FDI with GDP as control. VAR (1)

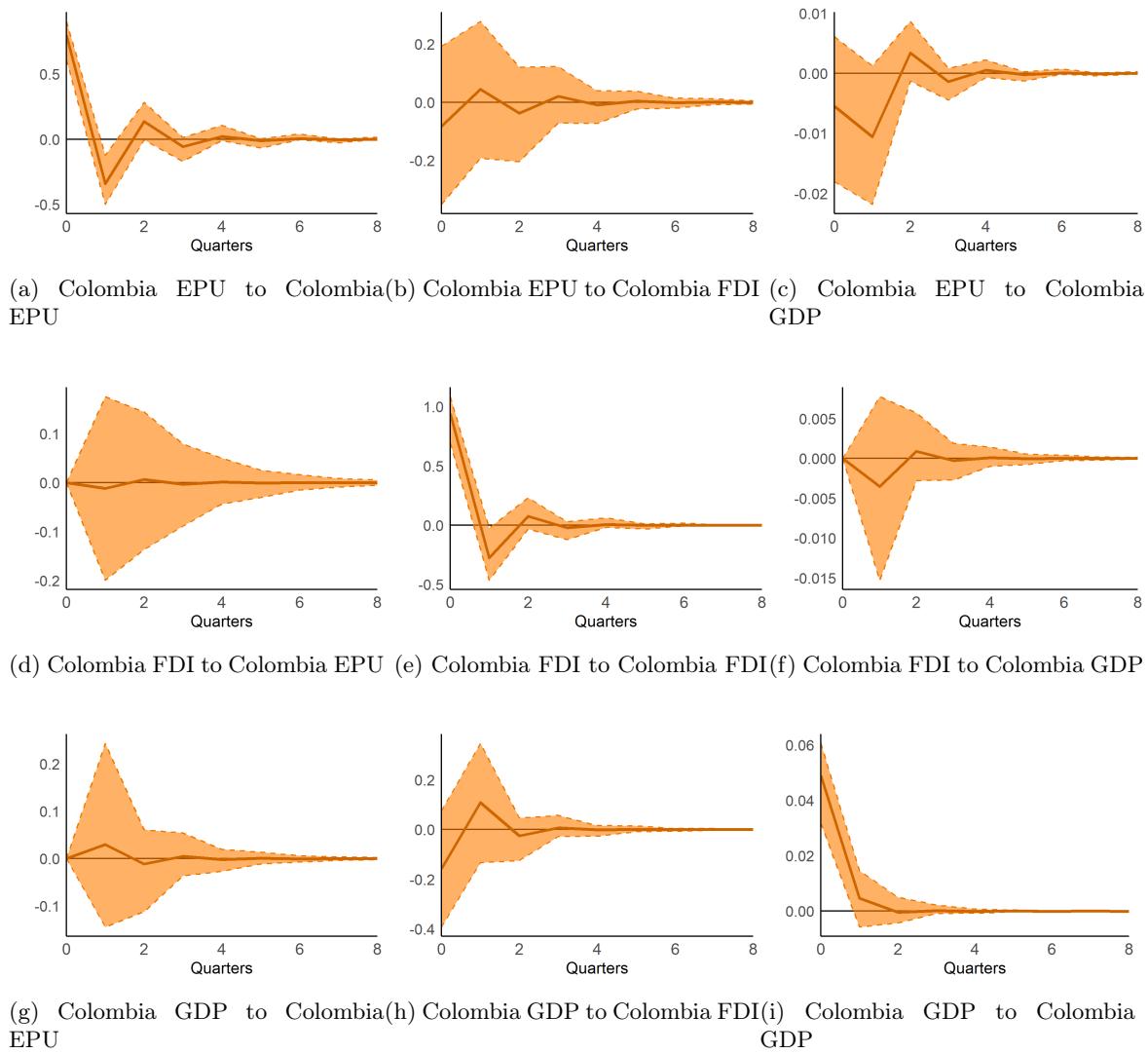


Figure 39: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. First ordering (EPU first) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subfigure correspond to a IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1 and GDP model, which is 2005Q1-2020Q1. VAR(p) refers to the lag specification of the model.

#### 4.1.4 FDI with Global EPU as control. VAR (2)

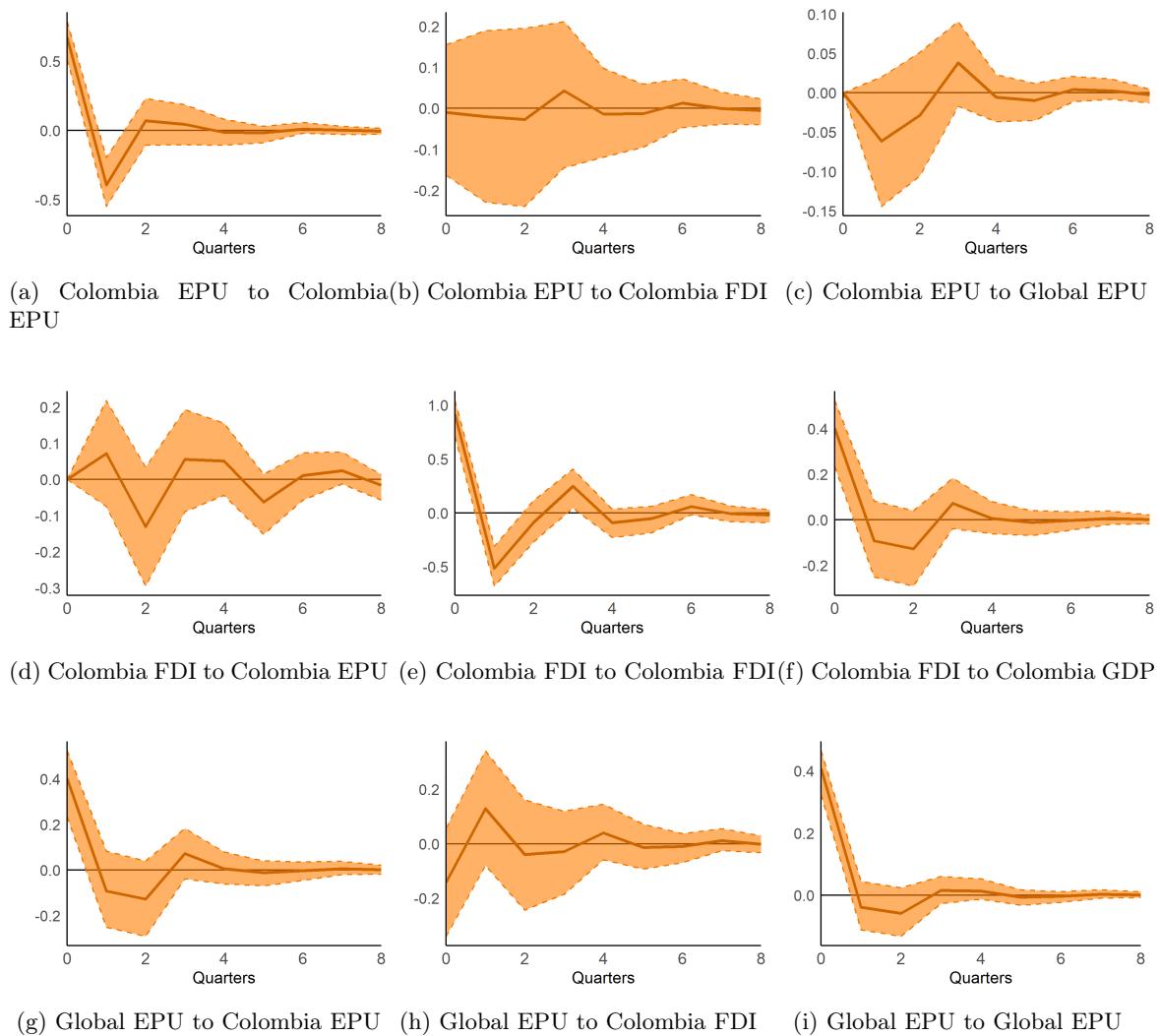


Figure 40: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. First ordering (EPU first) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subplot corresponds to an IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1 and GDP model, which is 2005Q1-2020Q1. VAR(p) refers to the lag specification of the model.

#### 4.1.5 PI with EMBI as control. VAR (2)

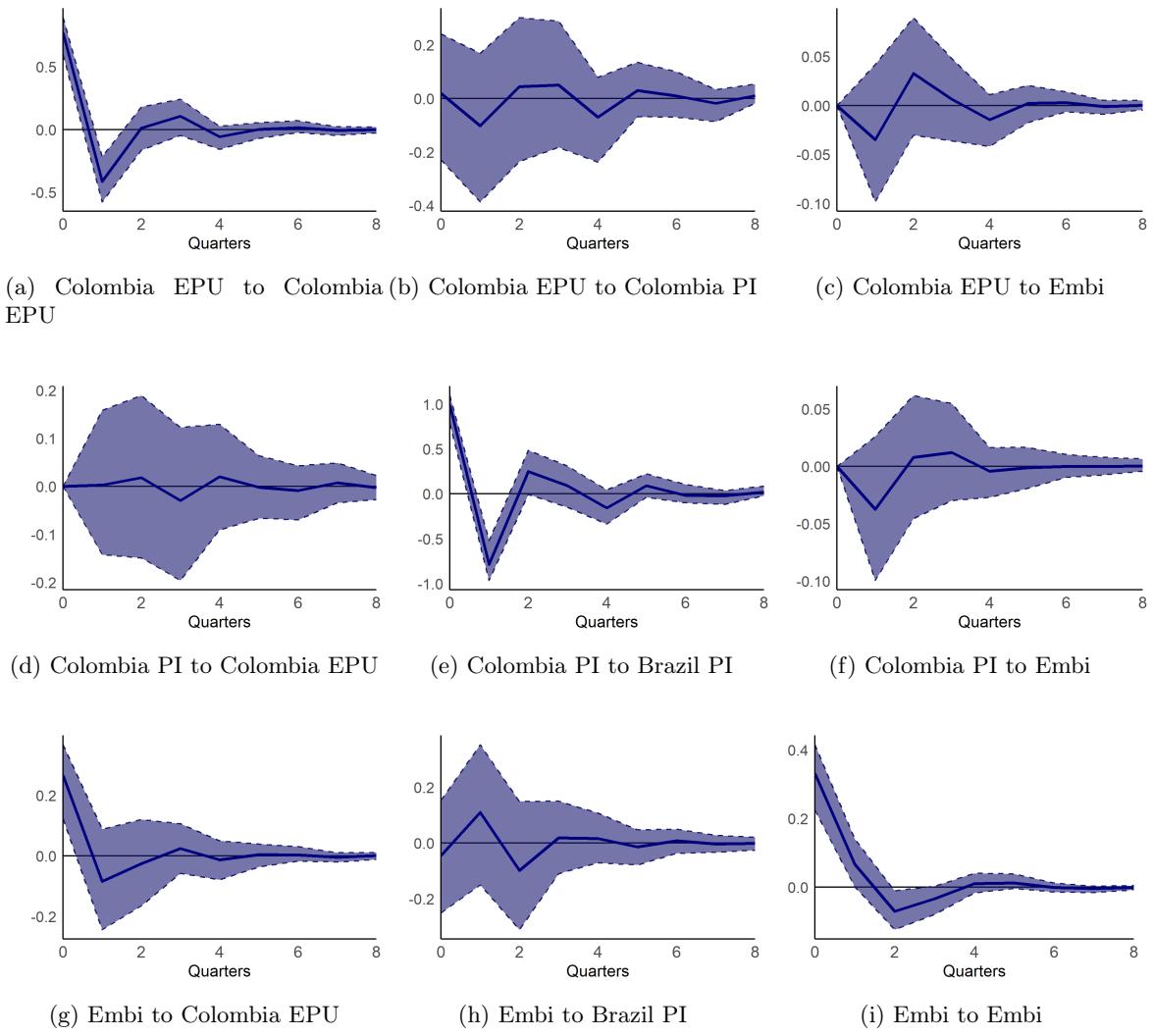


Figure 41: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. First ordering (EPU first) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subfigure correspond to a IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1 and GDP model, which is 2005Q1-2020Q1. VAR(p) refers to the lag specification of the model.

#### 4.1.6 PI with Fed rate as control. VAR (1)

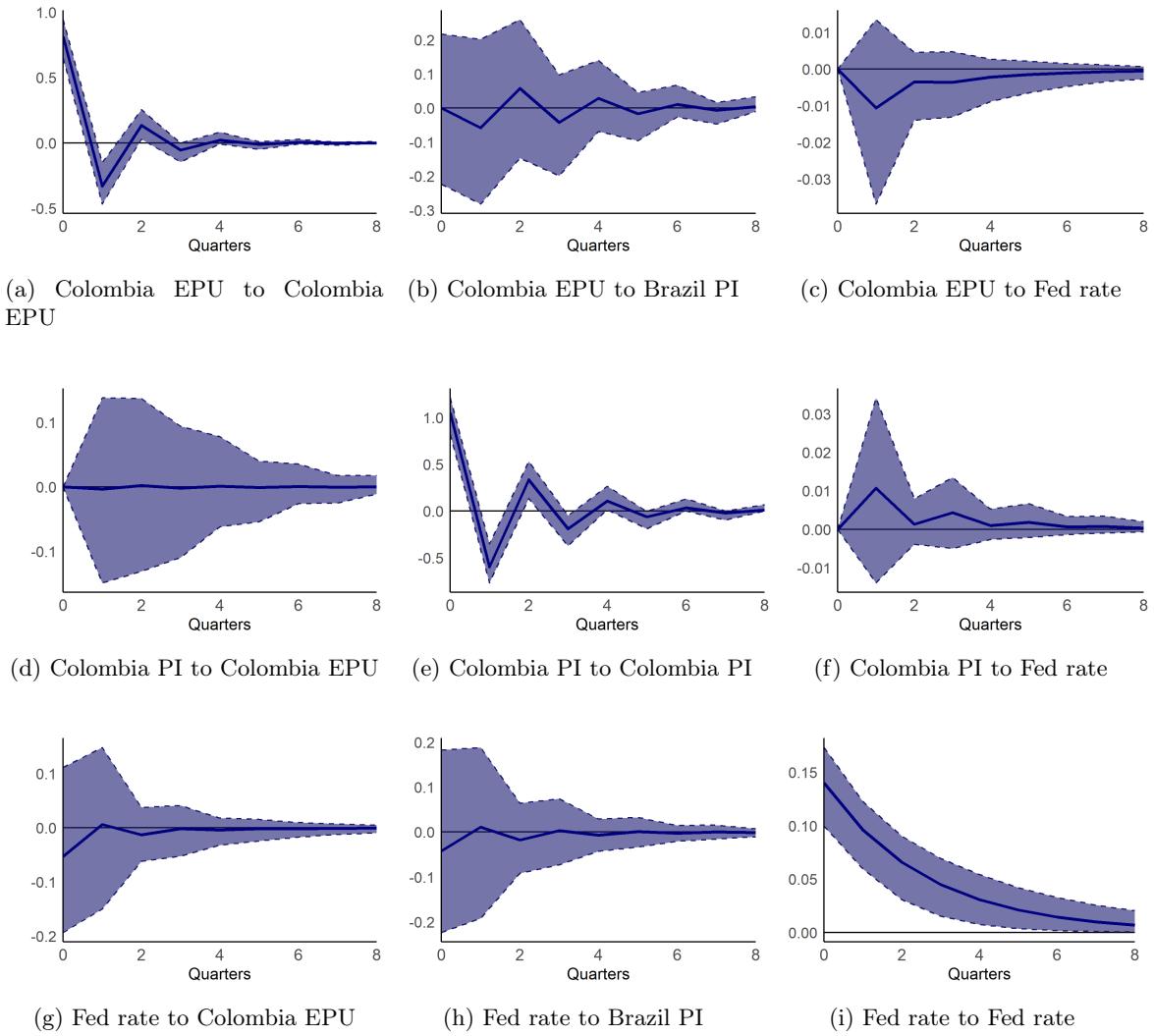


Figure 42: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. First ordering (EPU first) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subplot corresponds to an IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1 and GDP model, which is 2005Q1-2020Q1. VAR(p) refers to the lag specification of the model.

#### 4.1.7 PI with GDP as control. VAR (1)

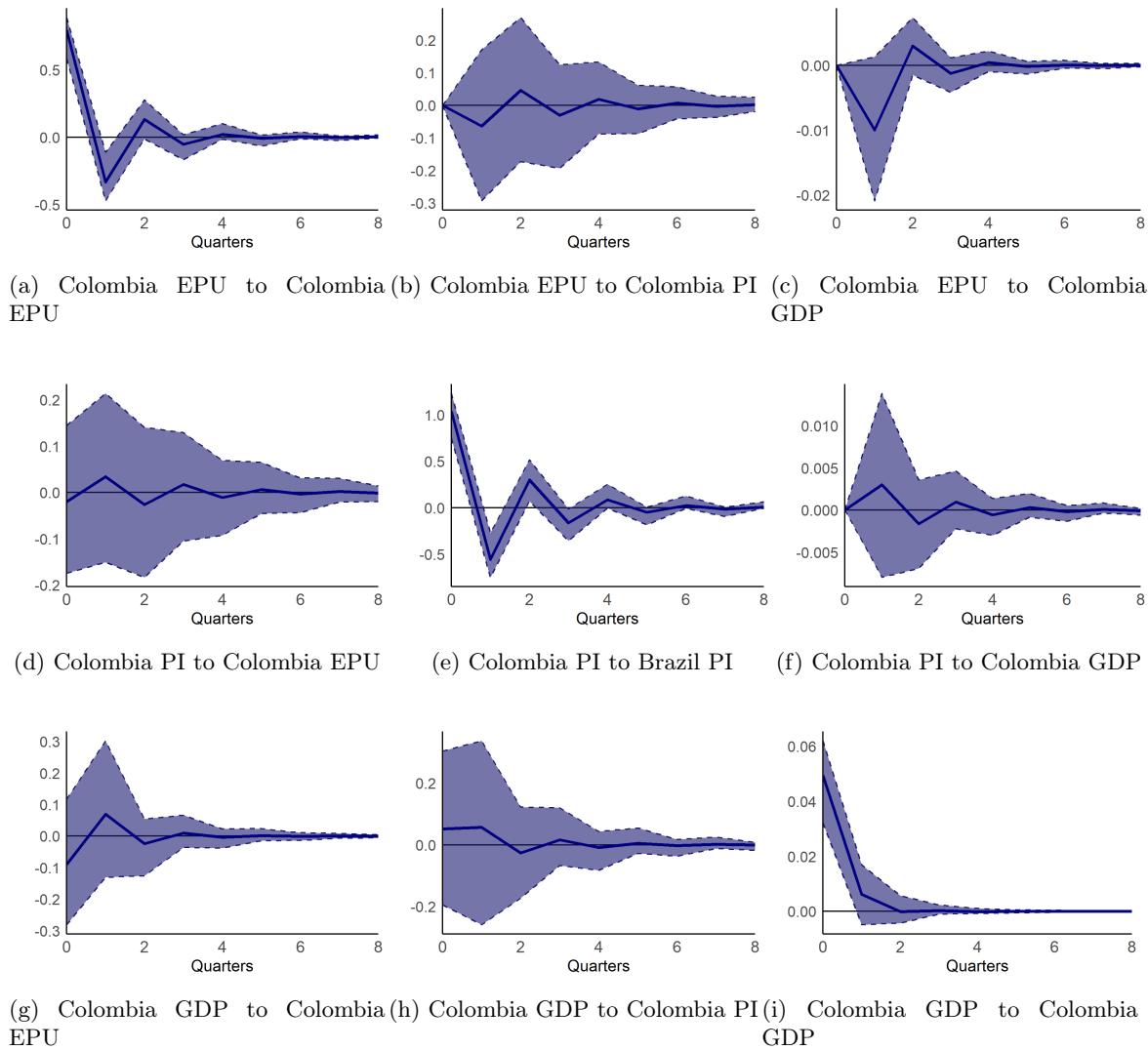


Figure 43: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. First ordering (EPU first) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subplot corresponds to an IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1 and GDP model, which is 2005Q1-2020Q1. VAR(p) refers to the lag specification of the model.

#### 4.1.8 PI with Global EPU as control. VAR (1)

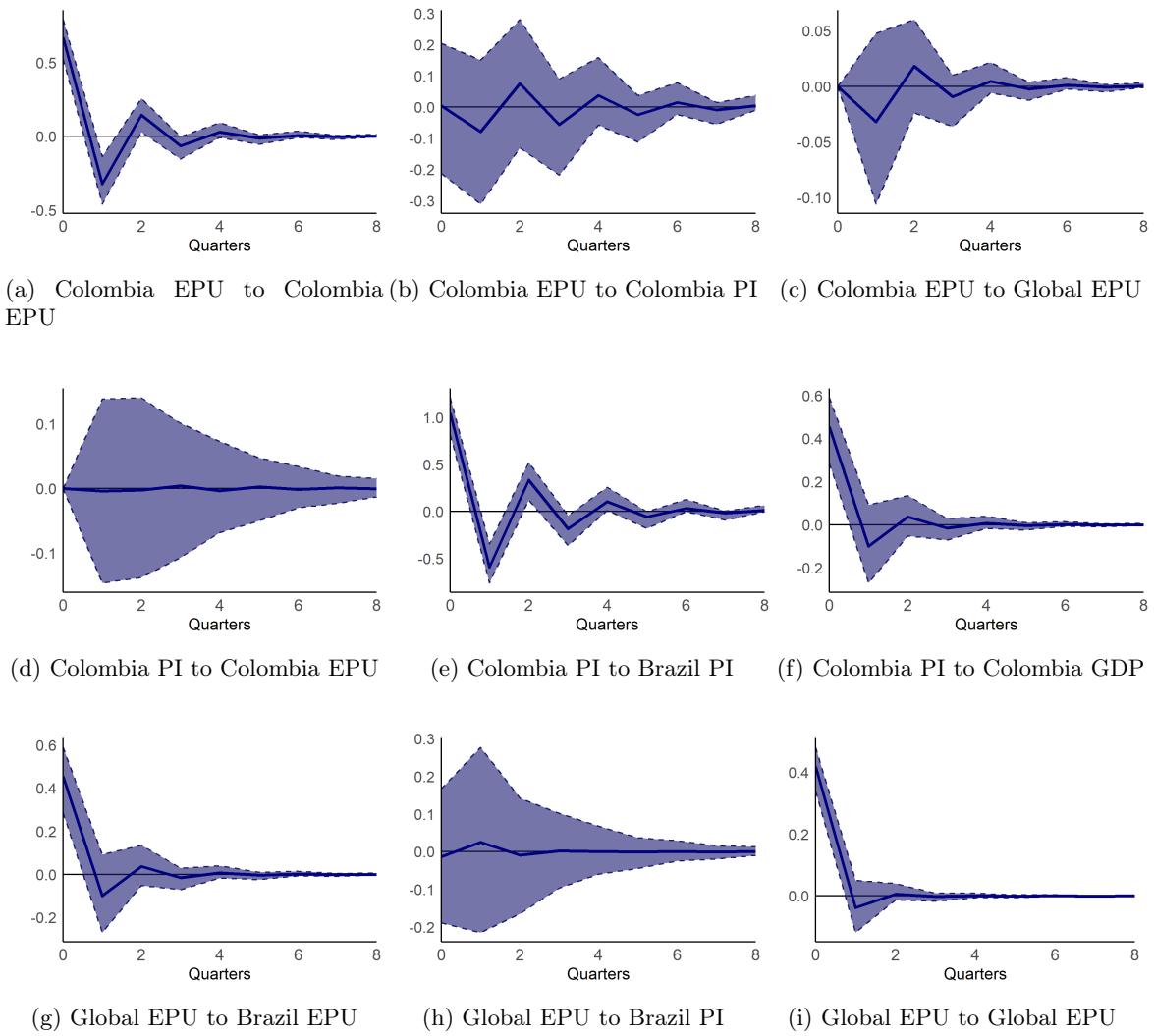


Figure 44: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. First ordering (EPU first) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subplot corresponds to an IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1 and GDP model, which is 2005Q1-2020Q1. VAR(p) refers to the lag specification of the model.

## 4.2 Second Ordering

### 4.2.1 FDI with EMBI as control. VAR (2)

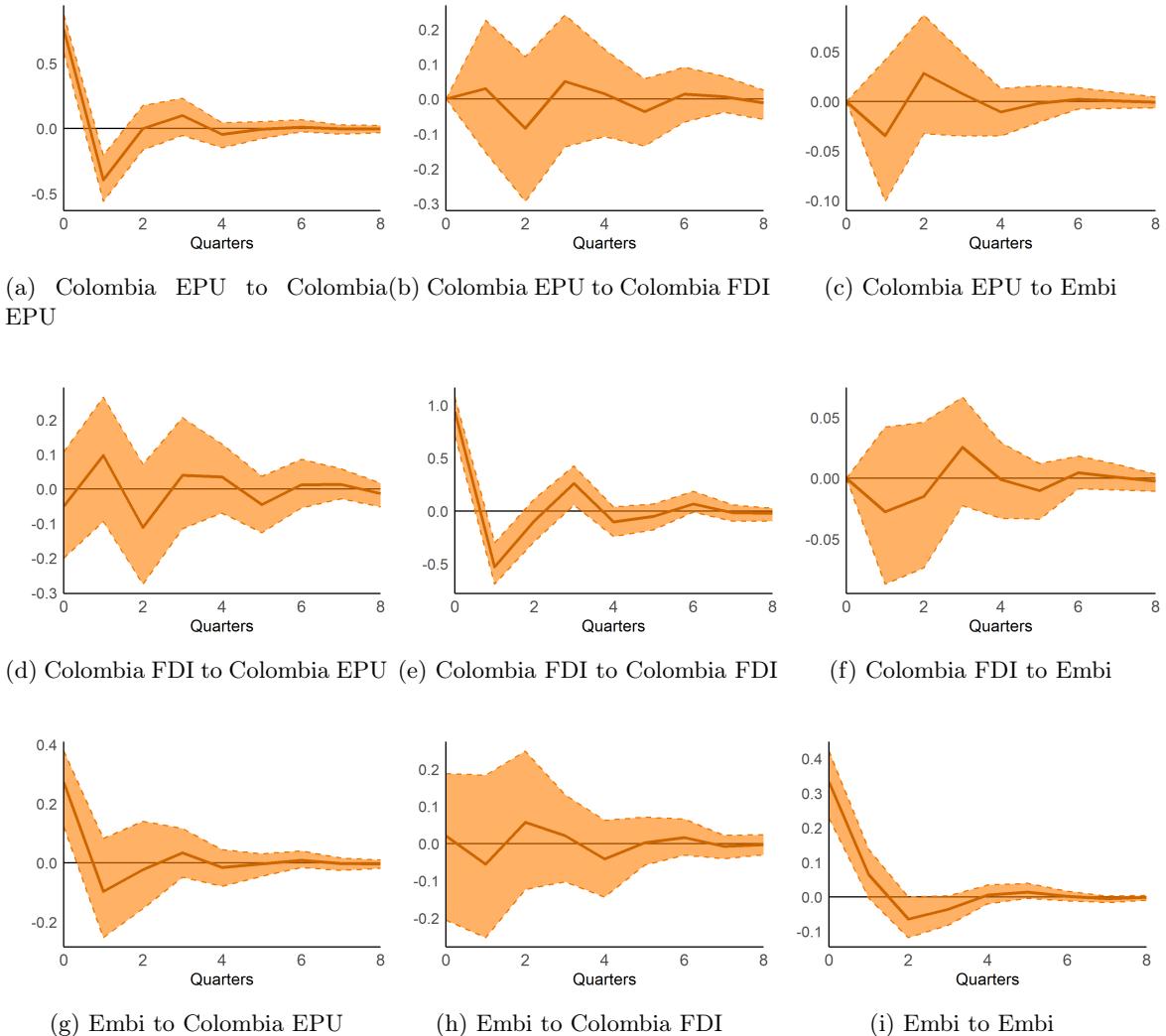


Figure 45: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. Second ordering (EPU last) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subfigure corresponds to a IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1 and GDP model, which is 2005Q1-2020Q1. VAR(p) refers to the lag specification of the model.

#### 4.2.2 FDI with Fed rate as control. VAR (1)

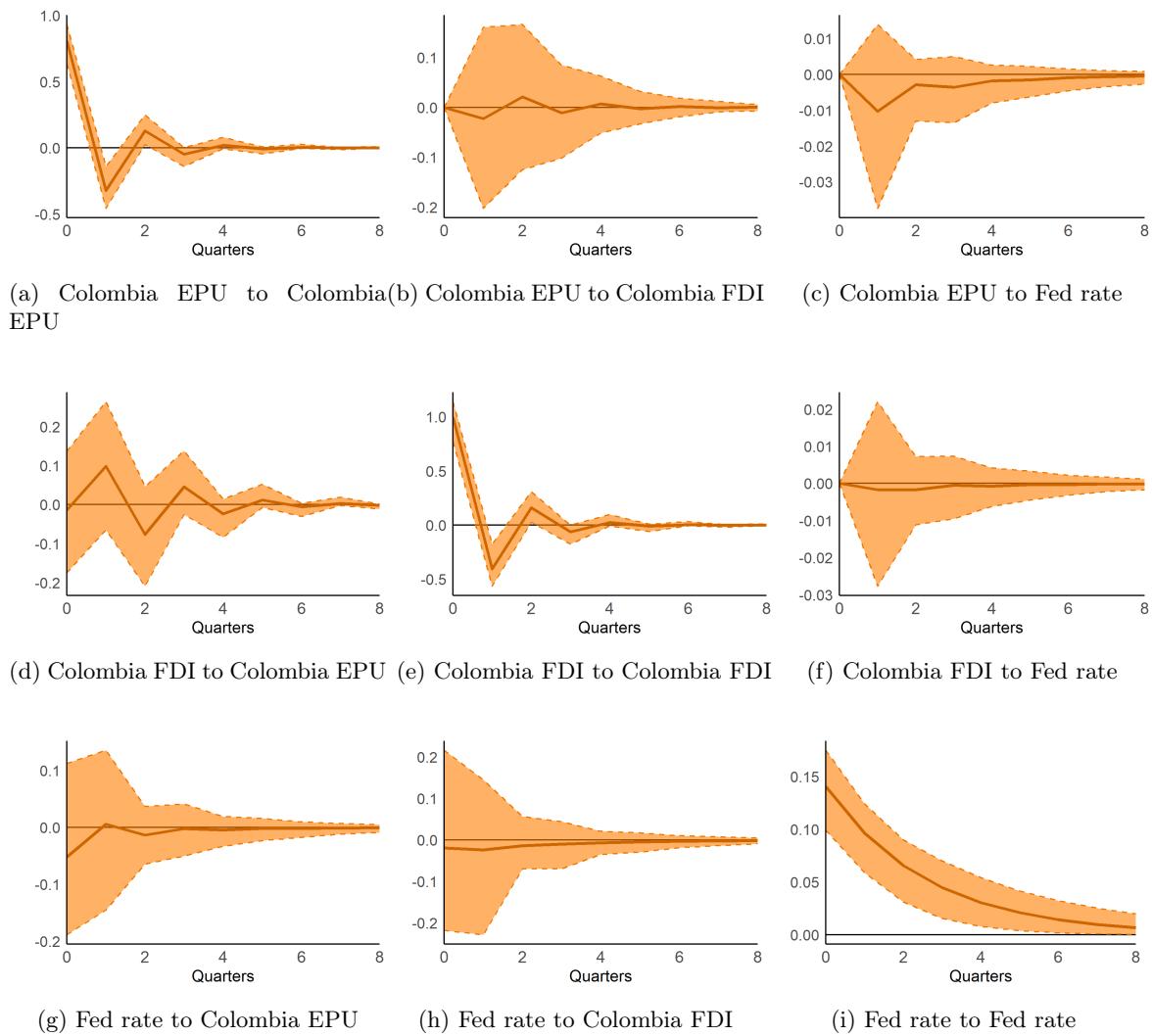


Figure 46: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. Second ordering (EPU last) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subplot corresponds to a IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1 and GDP model, which is 2005Q1-2020Q1. VAR(p) refers to the lag specification of the model.

#### 4.2.3 FDI with GDP as control. VAR (1)

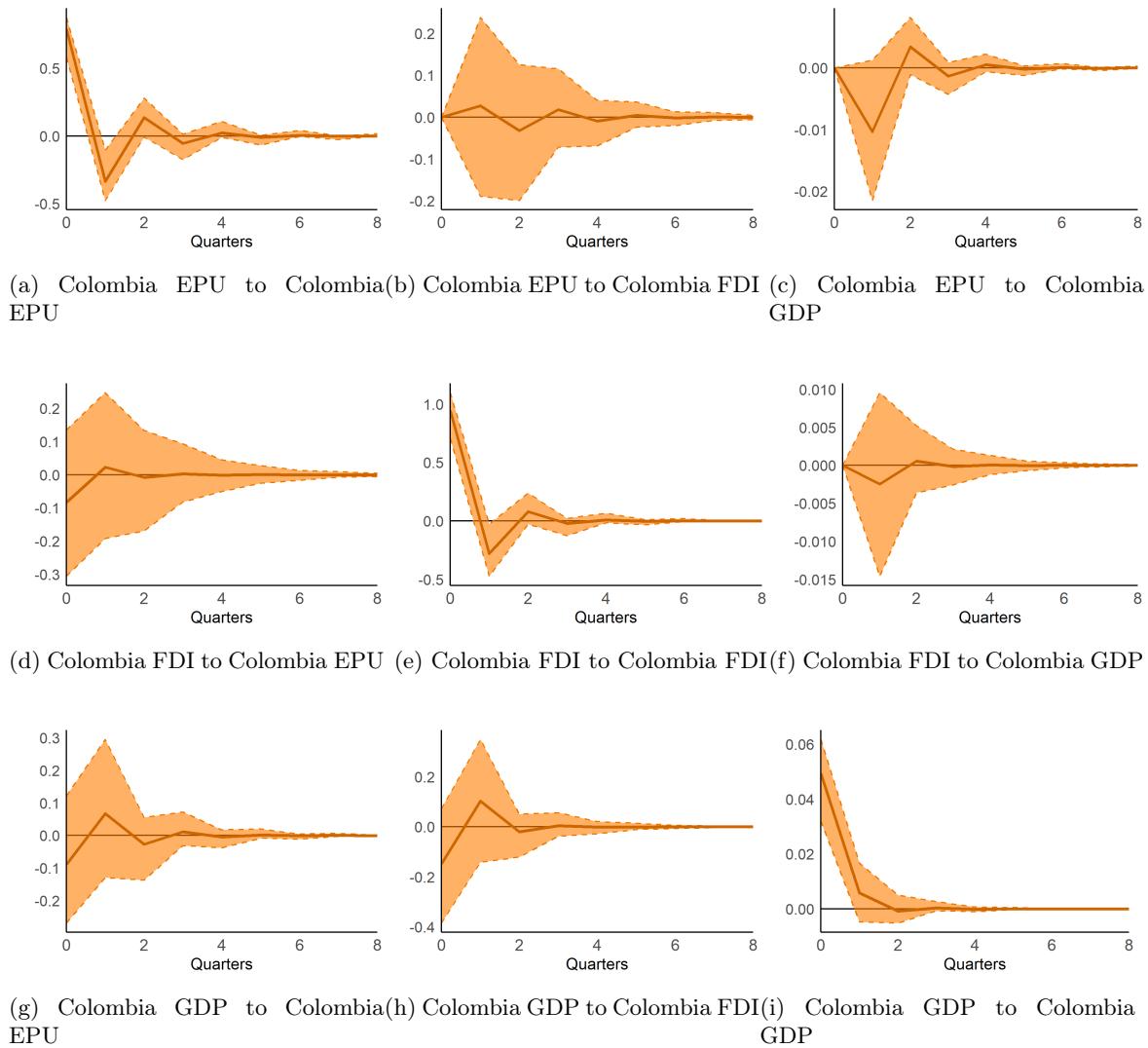


Figure 47: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. Second ordering (EPU last) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subfigure correspond to a IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1 and GDP model, which is 2005Q1-2020Q1. VAR(p) refers to the lag specification of the model.

#### 4.2.4 FDI with Global EPU as control. VAR (2)

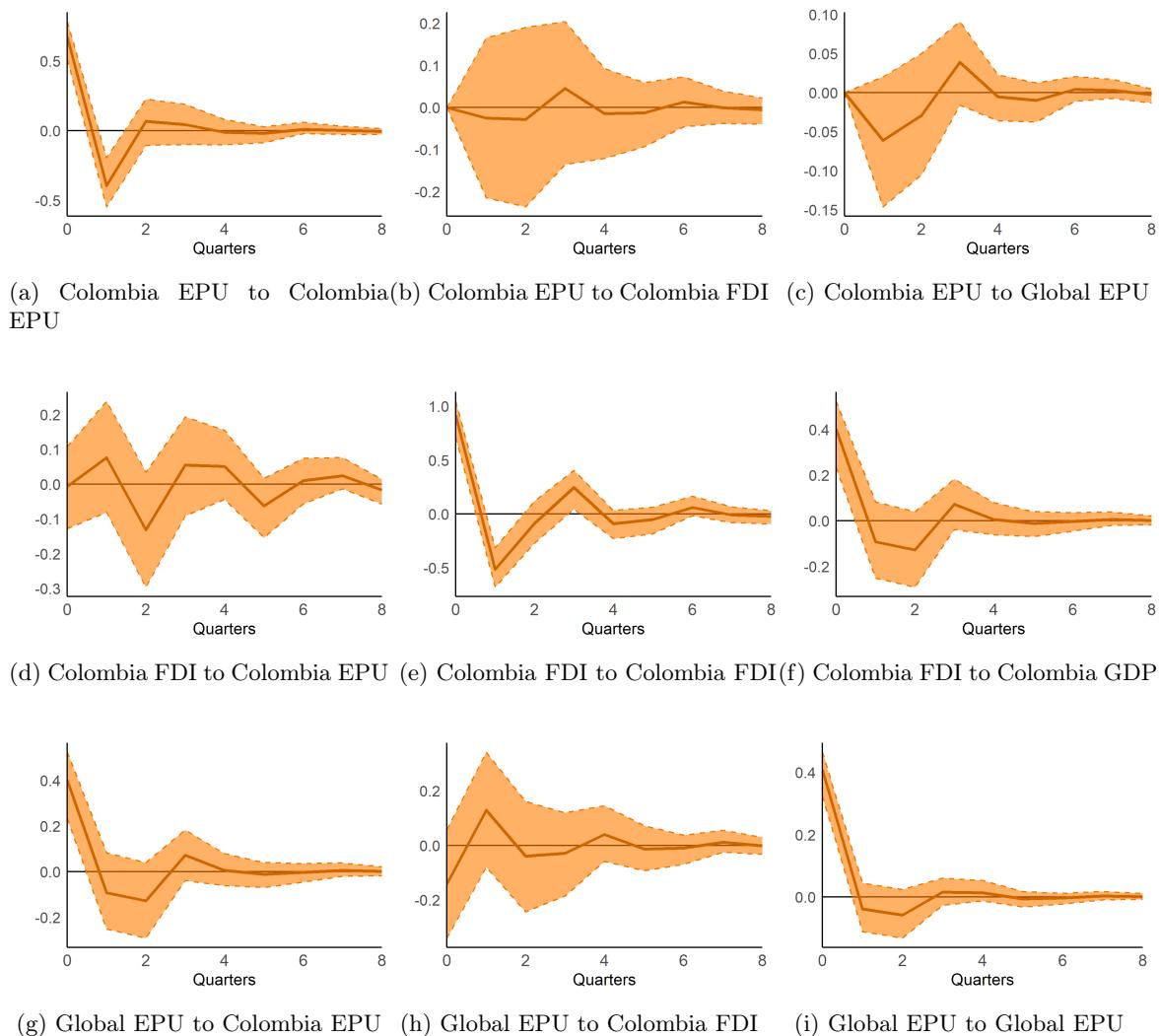


Figure 48: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. Second ordering (EPU last) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subfigure correspond to a IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1 and GDP model, which is 2005Q1-2020Q1. VAR(p) refers to the lag specification of the model.

#### 4.2.5 PI with EMBI as control. VAR (2)

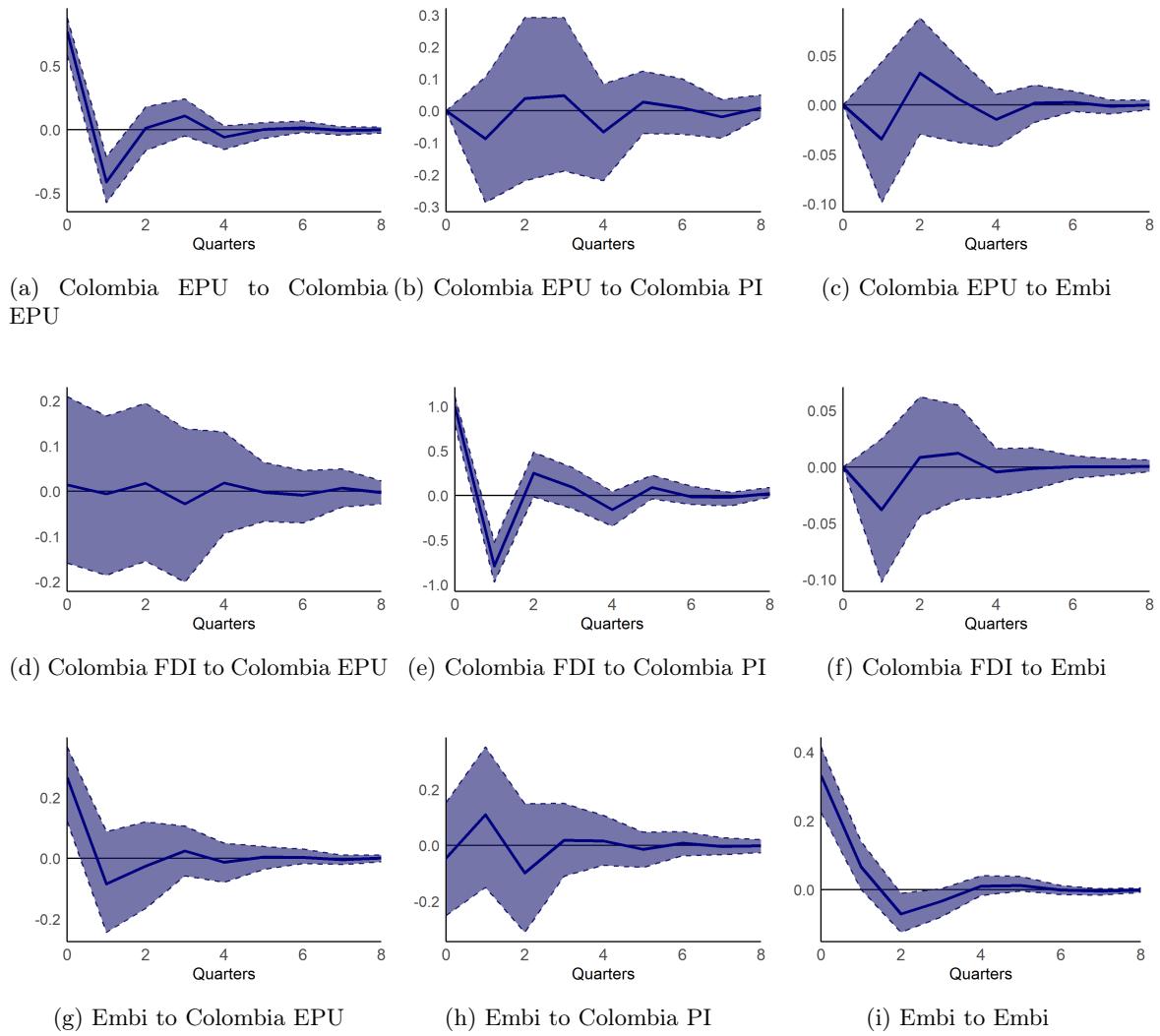


Figure 49: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. Second ordering (EPU last) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subplot corresponds to an IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the EMBI model, which is 1998Q1-202Q1 and GDP model, which is 2005Q1-2020Q1. VAR(p) refers to the lag specification of the model.

#### 4.2.6 PI with Fed rate as control. VAR (1)

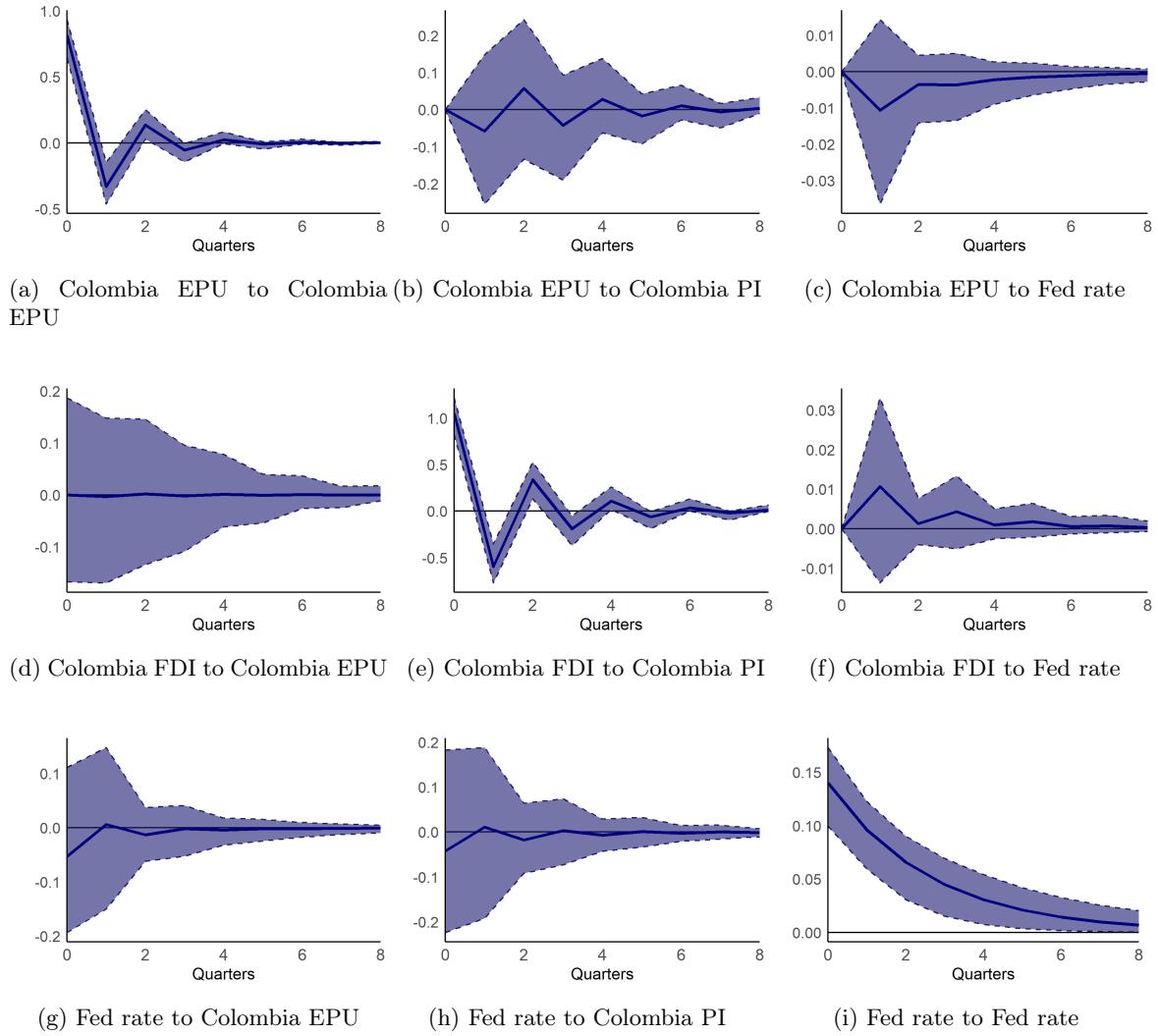
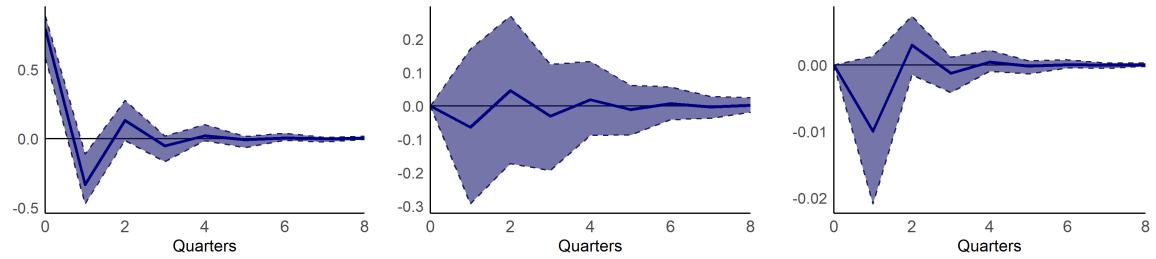
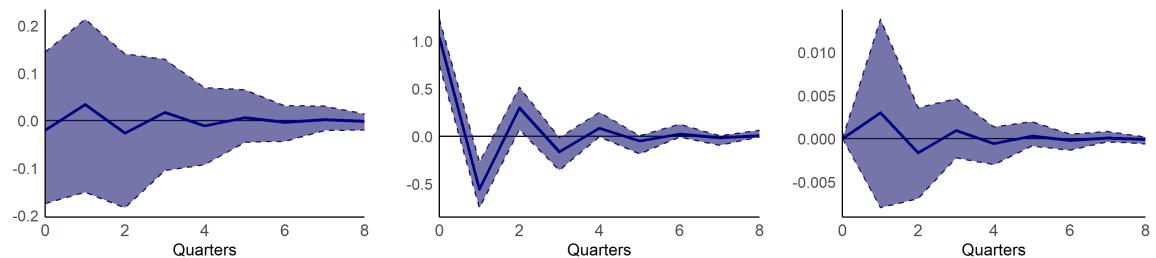


Figure 50: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. Second ordering (EPU last) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subfigure correspond to a IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1 and GDP model, which is 2005Q1-2020Q1. VAR(p) refers to the lag specification of the model.

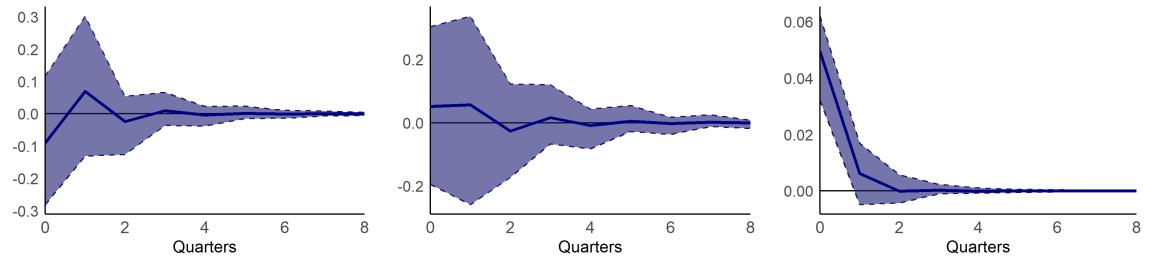
#### 4.2.7 PI with GDP as control. VAR (1)



(a) Colombia EPU to Colombia EPU (b) Colombia EPU to Colombia PI (c) Colombia EPU to Colombia GDP



(d) Colombia FDI to Colombia EPU (e) Colombia FDI to Colombia PI (f) Colombia FDI to Colombia GDP



(g) Colombia GDP to Colombia EPU (h) Colombia GDP to Colombia PI (i) Colombia GDP to Colombia GDP

Figure 51: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. Second ordering (EPU last) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subfigure correspond to a IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1 and GDP model, which is 2005Q1-2020Q1. VAR(p) refers to the lag specification of the model.

#### 4.2.8 PI with Global EPU as control. VAR (1)

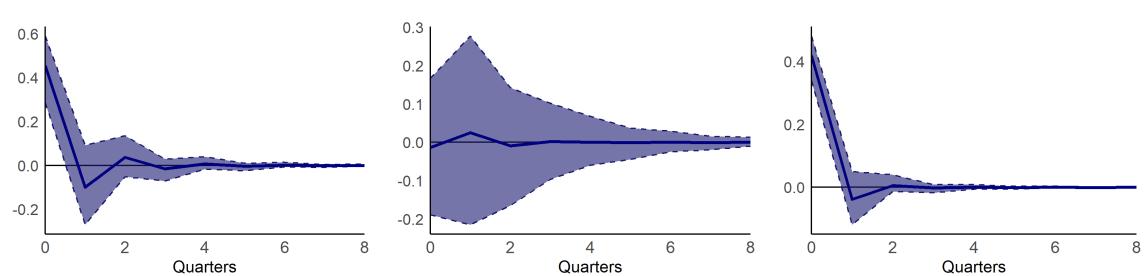
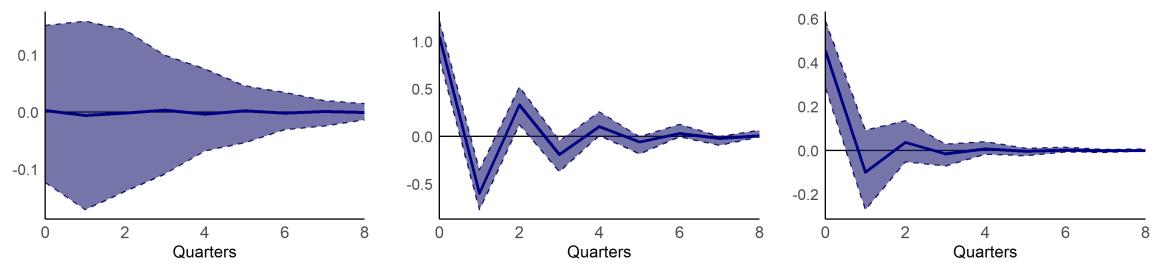
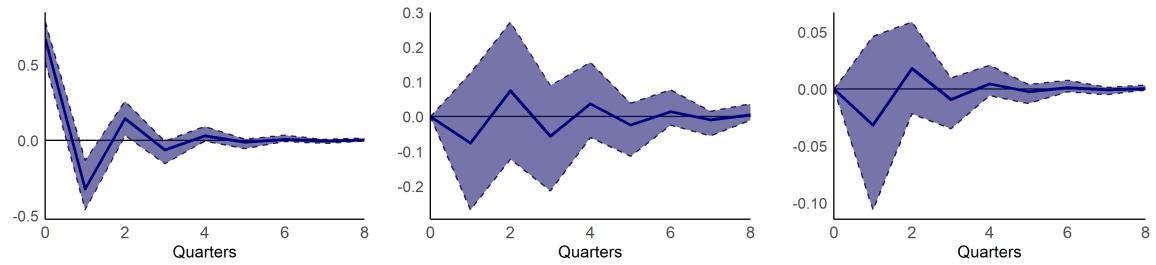


Figure 52: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. Second ordering (EPU last) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subfigure correspond to a IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1 and GDP model, which is 2005Q1-2020Q1. VAR(p) refers to the lag specification of the model.

### 4.3 Third Ordering

#### 4.3.1 FDI with GDP as control. VAR (1)

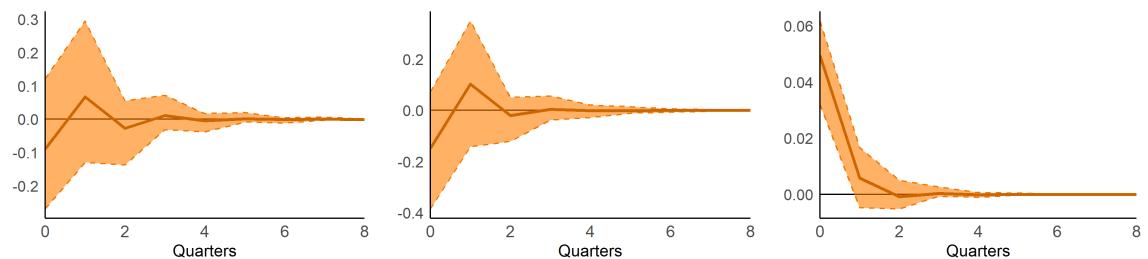
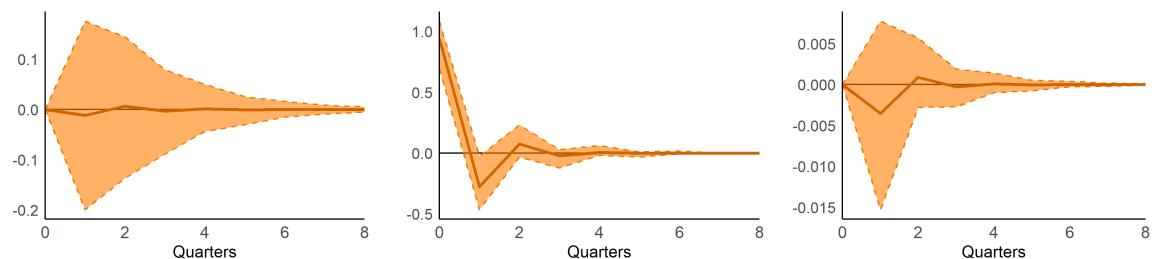
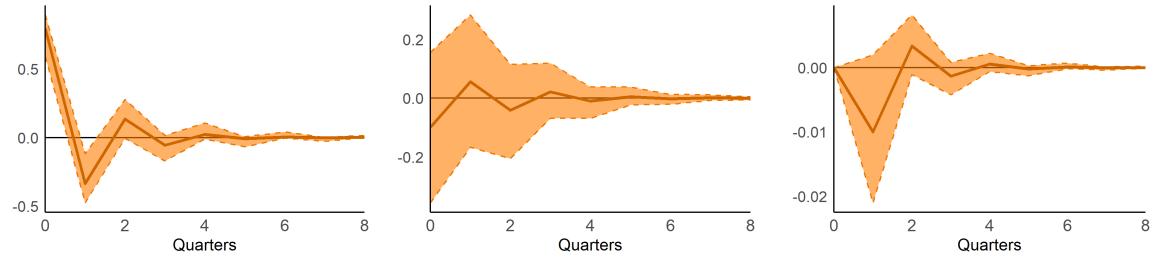


Figure 53: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. Third ordering (EPU intermediate) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subfigure correspond to a IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1 and GDP model, which is 2005Q1-2020Q1. VAR(p) refers to the lag specification of the model.

#### 4.3.2 PI with GDP as control. VAR (1)

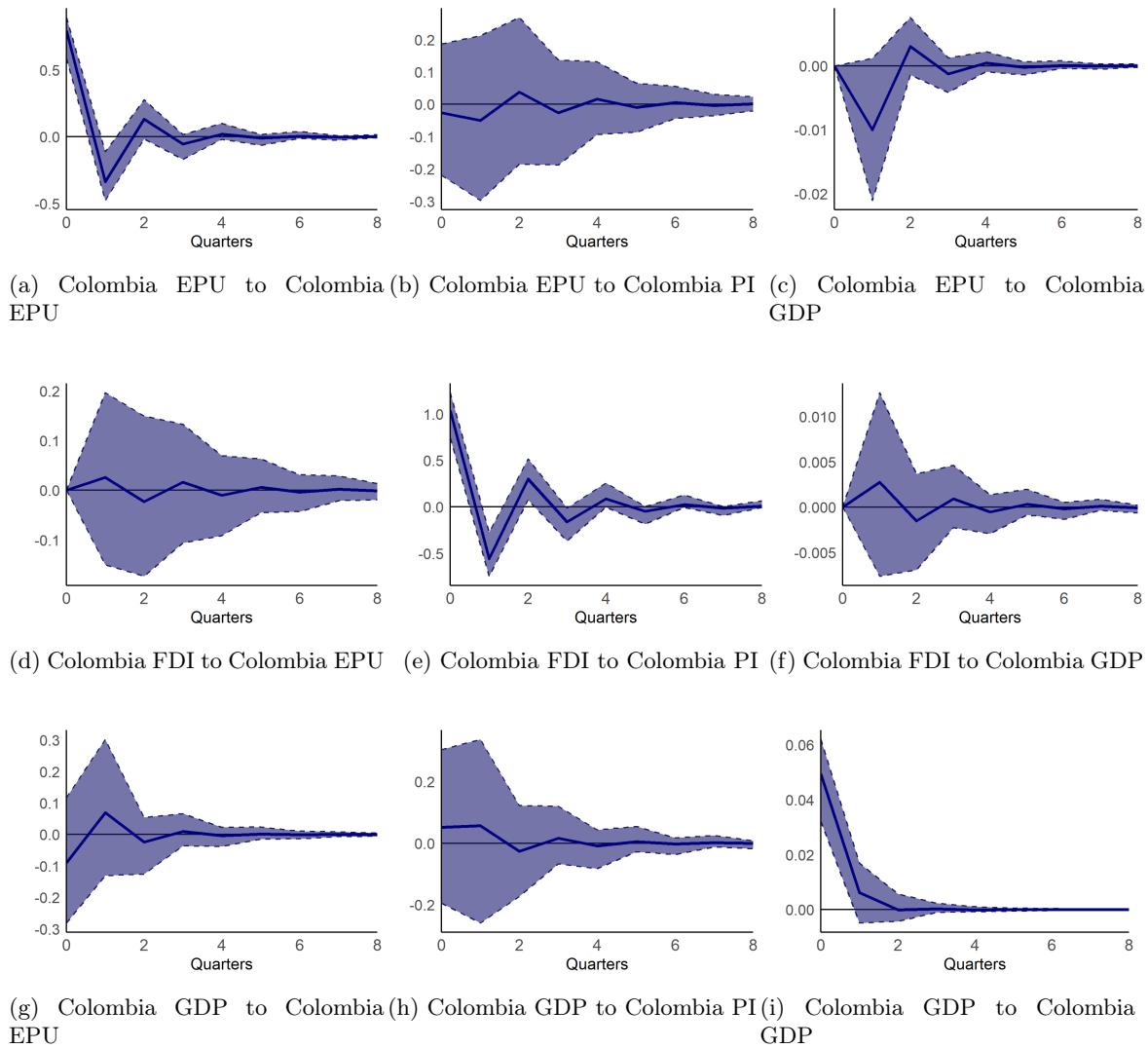


Figure 54: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. Third ordering (EPU intermediate) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subplot corresponds to an IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1 and GDP model, which is 2005Q1-2020Q1. VAR(p) refers to the lag specification of the model.

## 5 Greece

### 5.1 First Ordering

#### 5.1.1 FDI with EMBI as control. VAR (2)

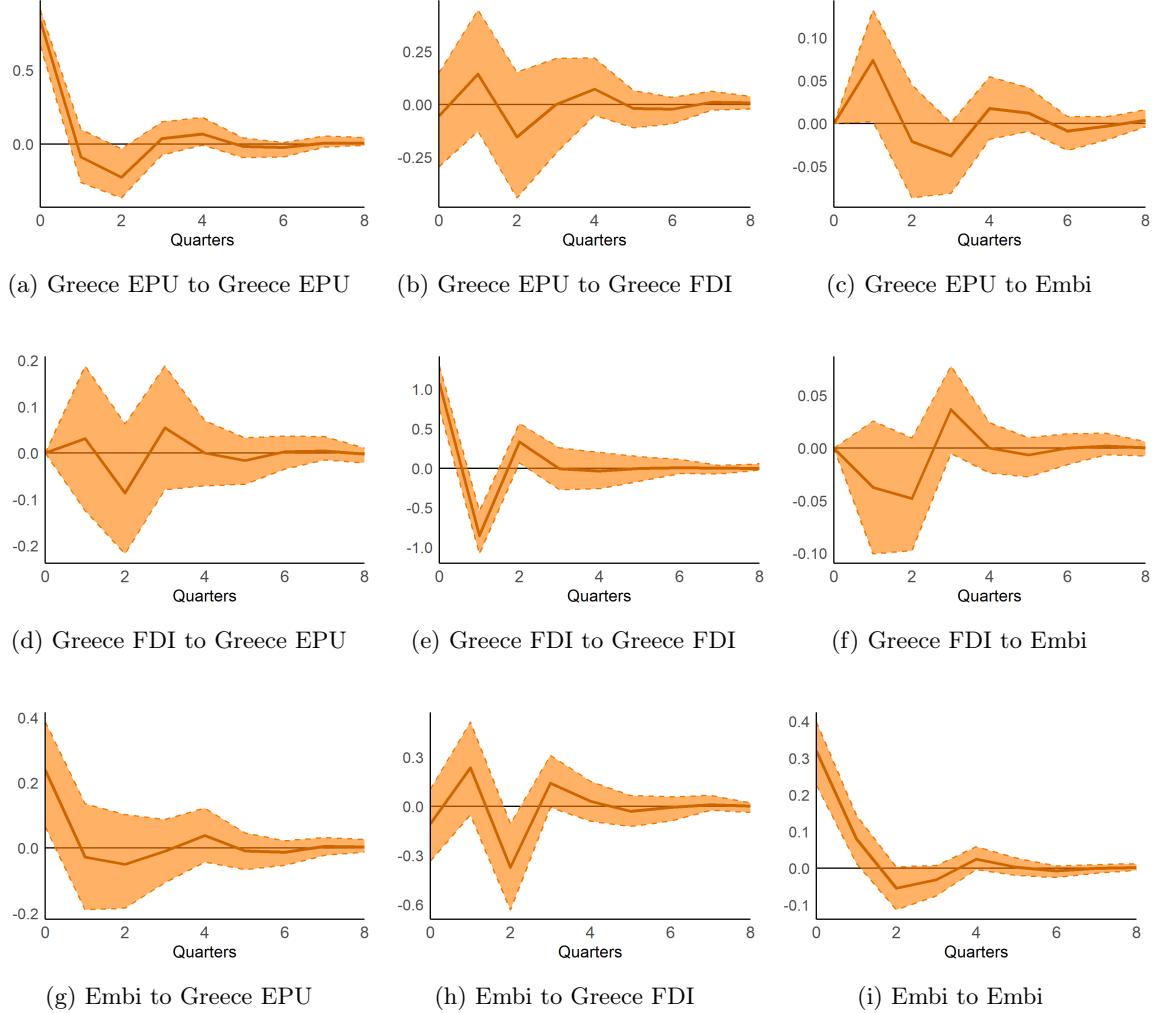


Figure 55: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. First ordering (EPU first) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subfigure correspond to a IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1. VAR(p) refers to the lag specification of the model.

### 5.1.2 FDI with Fed rate as control. VAR (1)

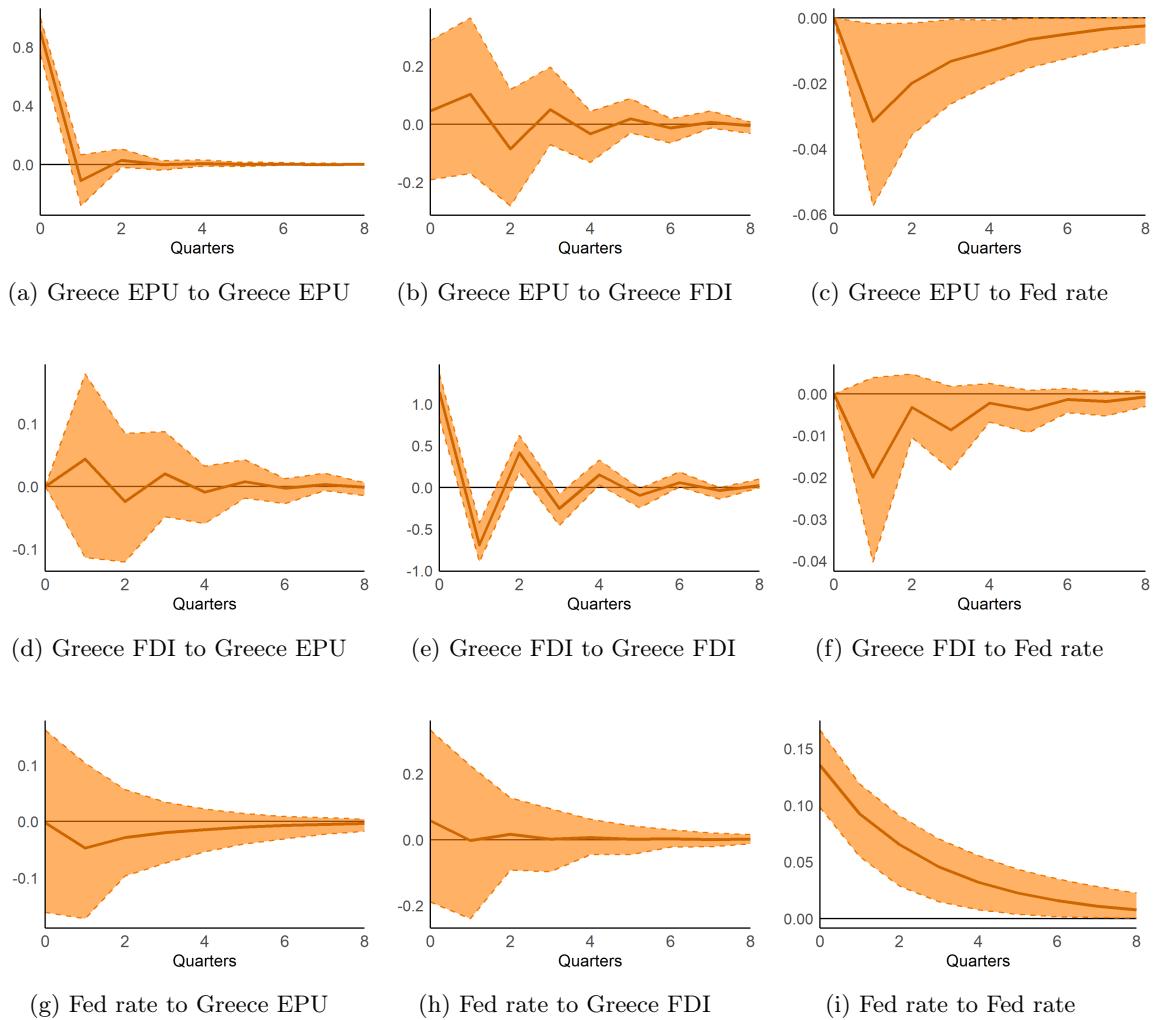


Figure 56: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. First ordering (EPU first) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subplot corresponds to an IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1. VAR(p) refers to the lag specification of the model.

### 5.1.3 FDI with GDP as control. VAR (2)

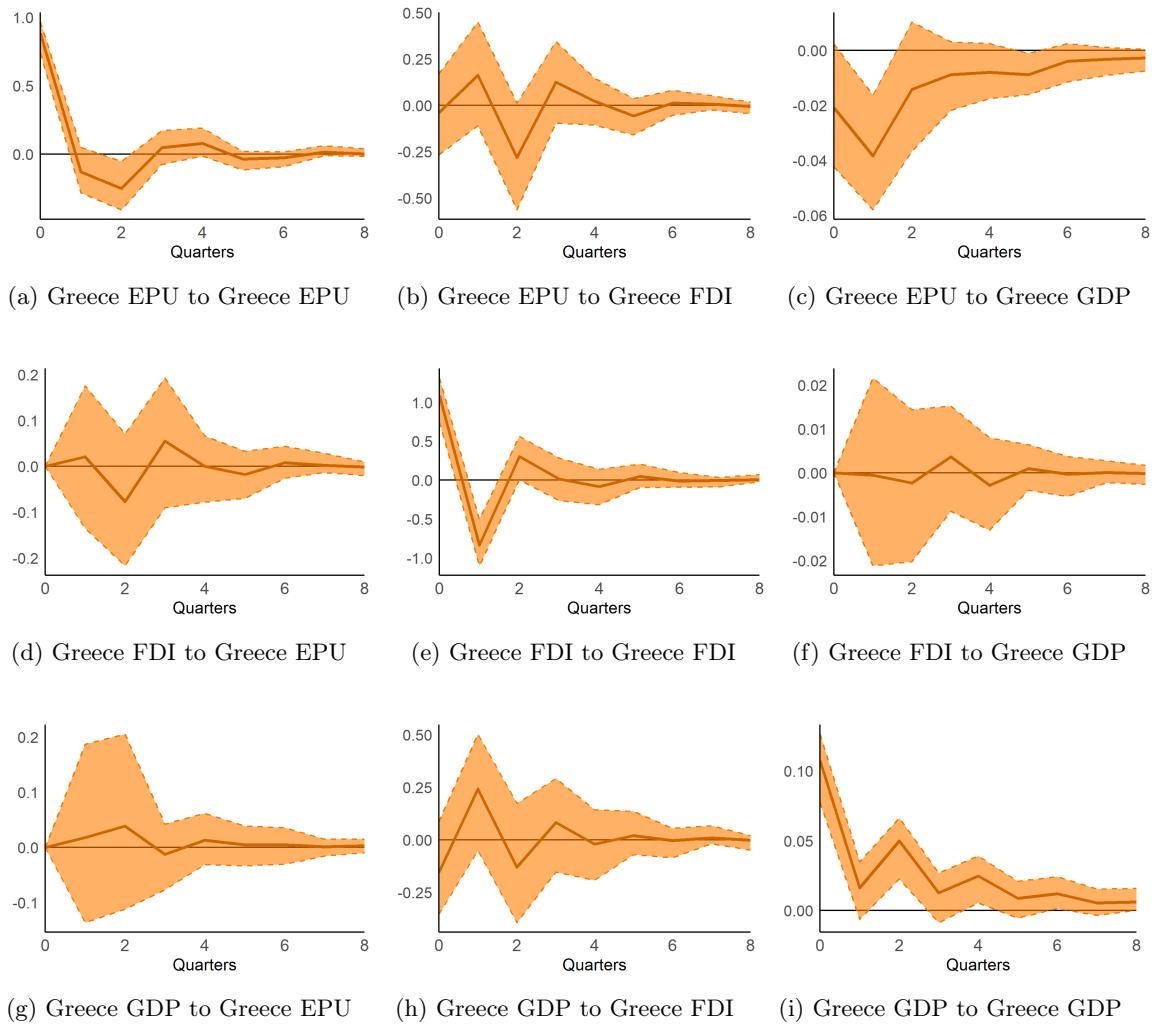


Figure 57: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. First ordering (EPU first) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subfigure correspond to a IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1. VAR(p) refers to the lag specification of the model.

### 5.1.4 FDI with Global EPU as control. VAR (1)

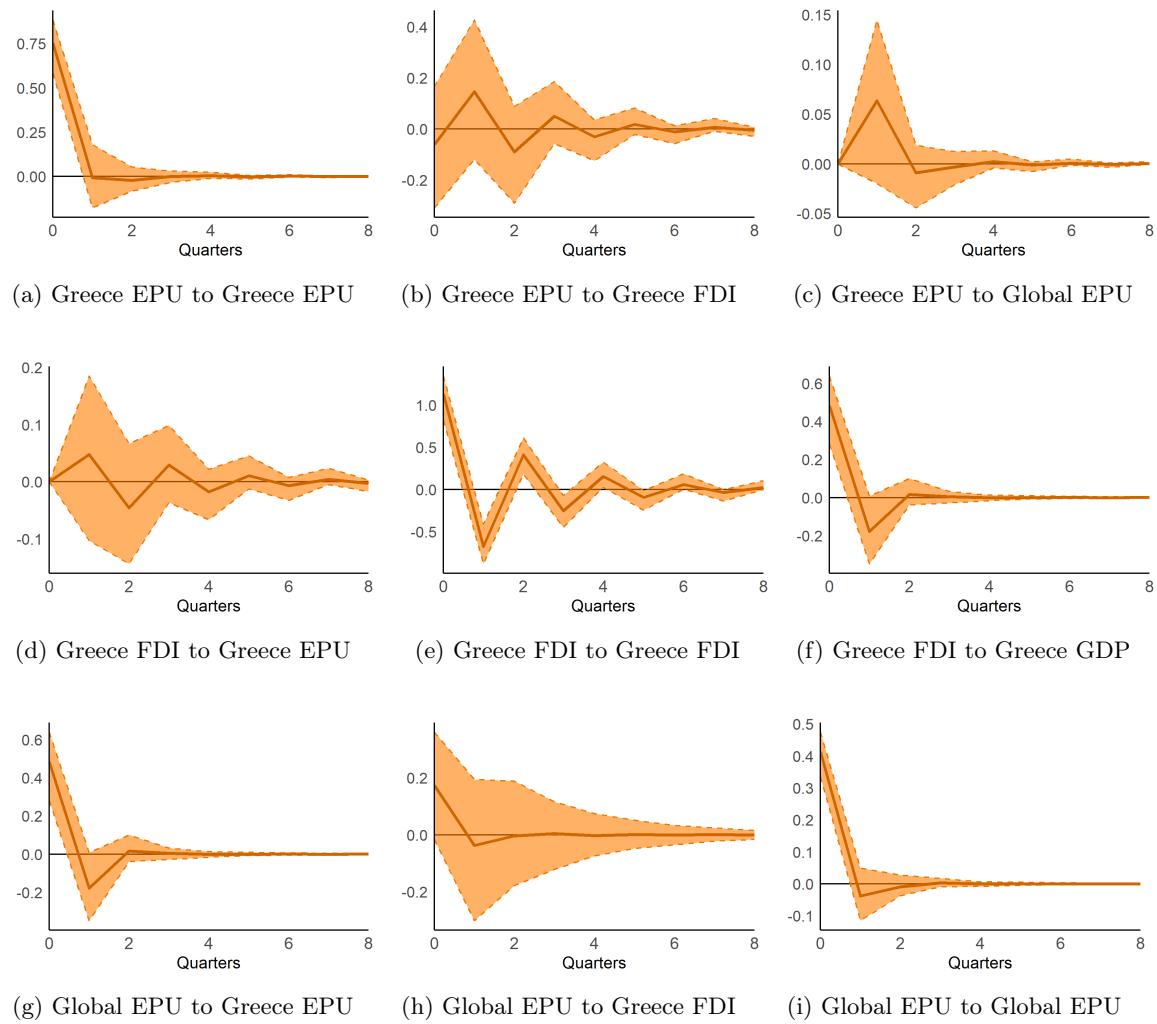


Figure 58: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. First ordering (EPU first) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subplot corresponds to an IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1. VAR(p) refers to the lag specification of the model.

### 5.1.5 PI with EMBI as control. VAR (1)

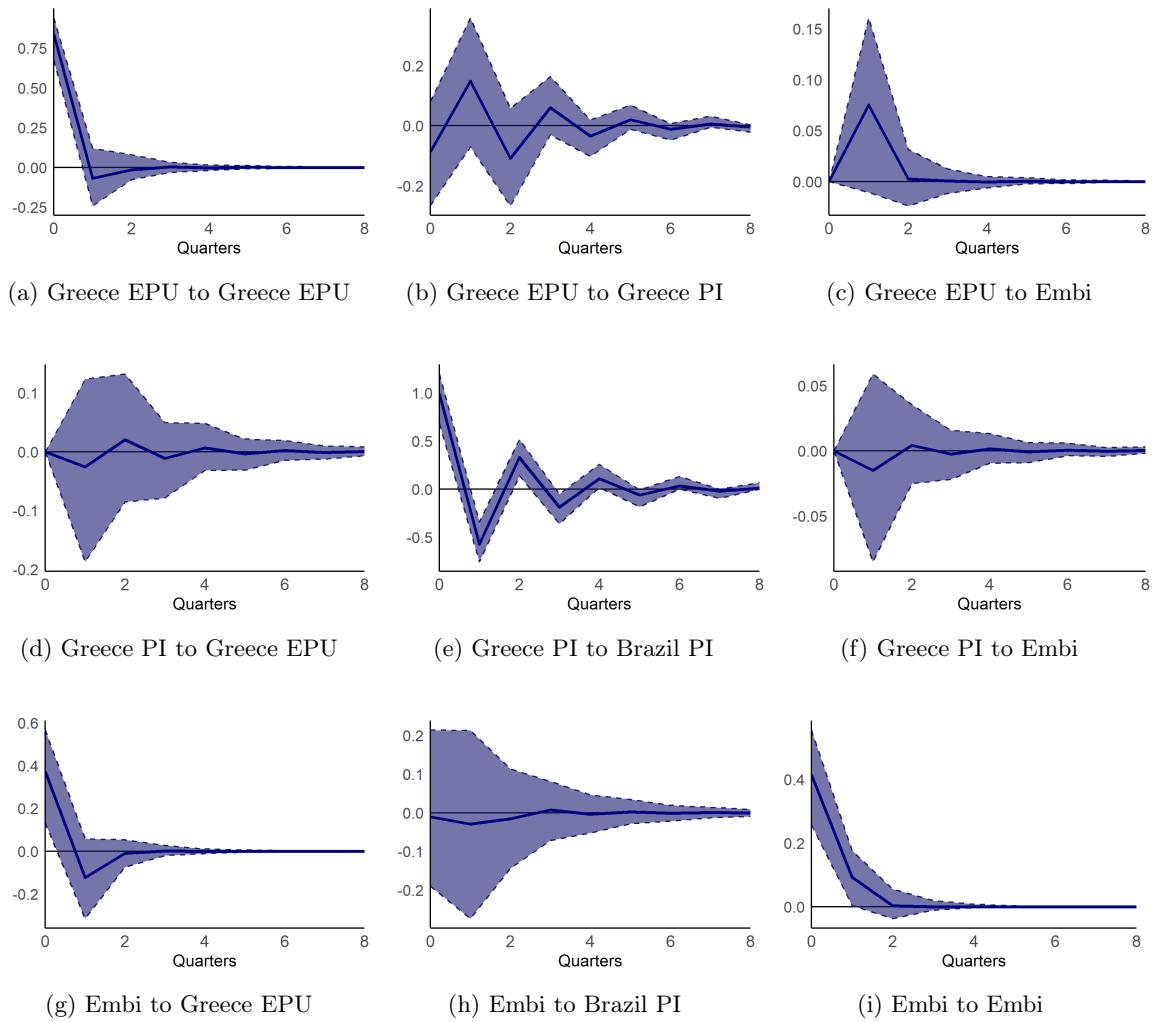


Figure 59: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. First ordering (EPU first) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subplot corresponds to a IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1. VAR(p) refers to the lag specification of the model.

### 5.1.6 PI with Fed rate as control. VAR (1)

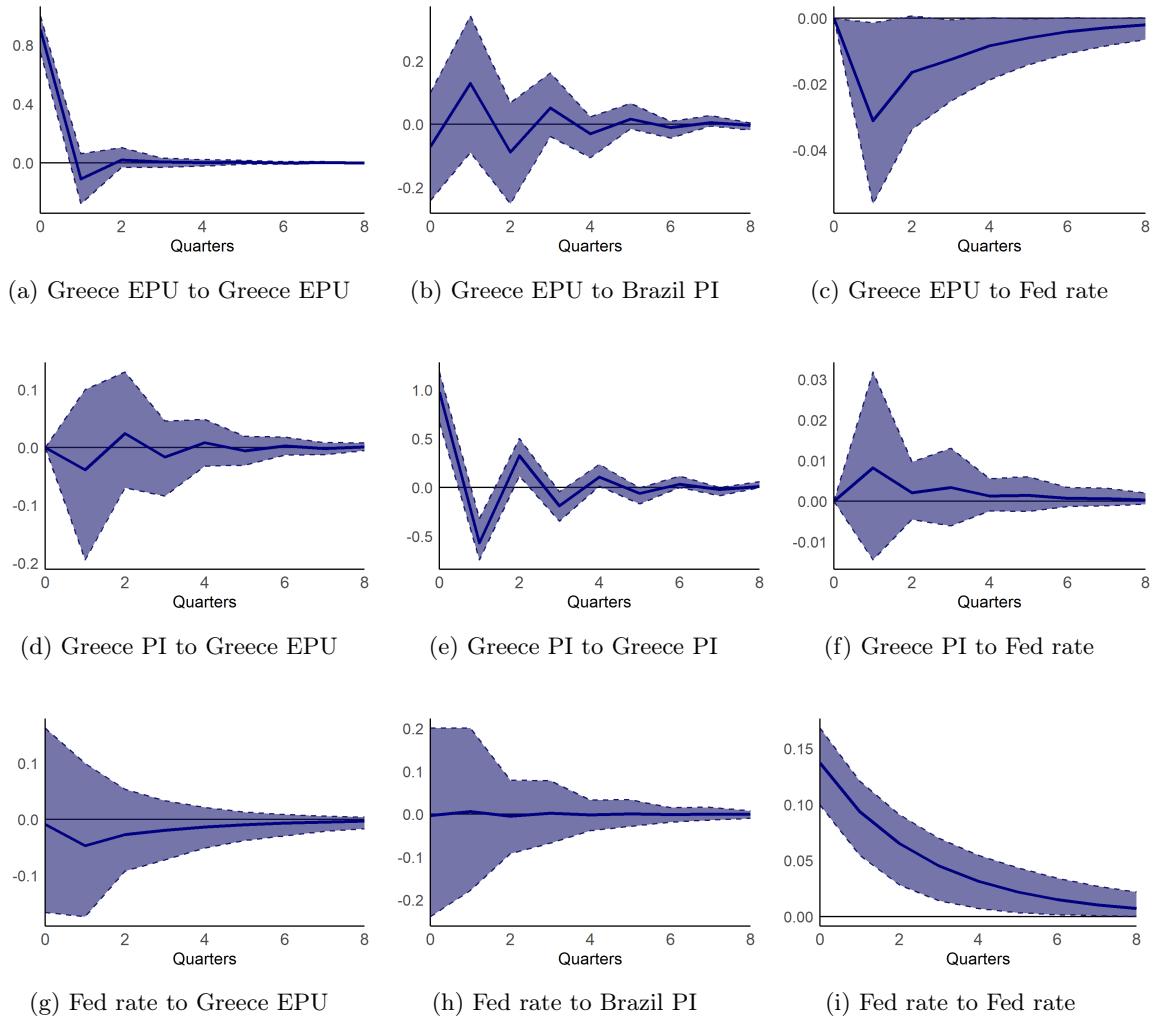


Figure 60: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. First ordering (EPU first) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subplot corresponds to an IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1. VAR(p) refers to the lag specification of the model.

### 5.1.7 PI with GDP as control. VAR (2)

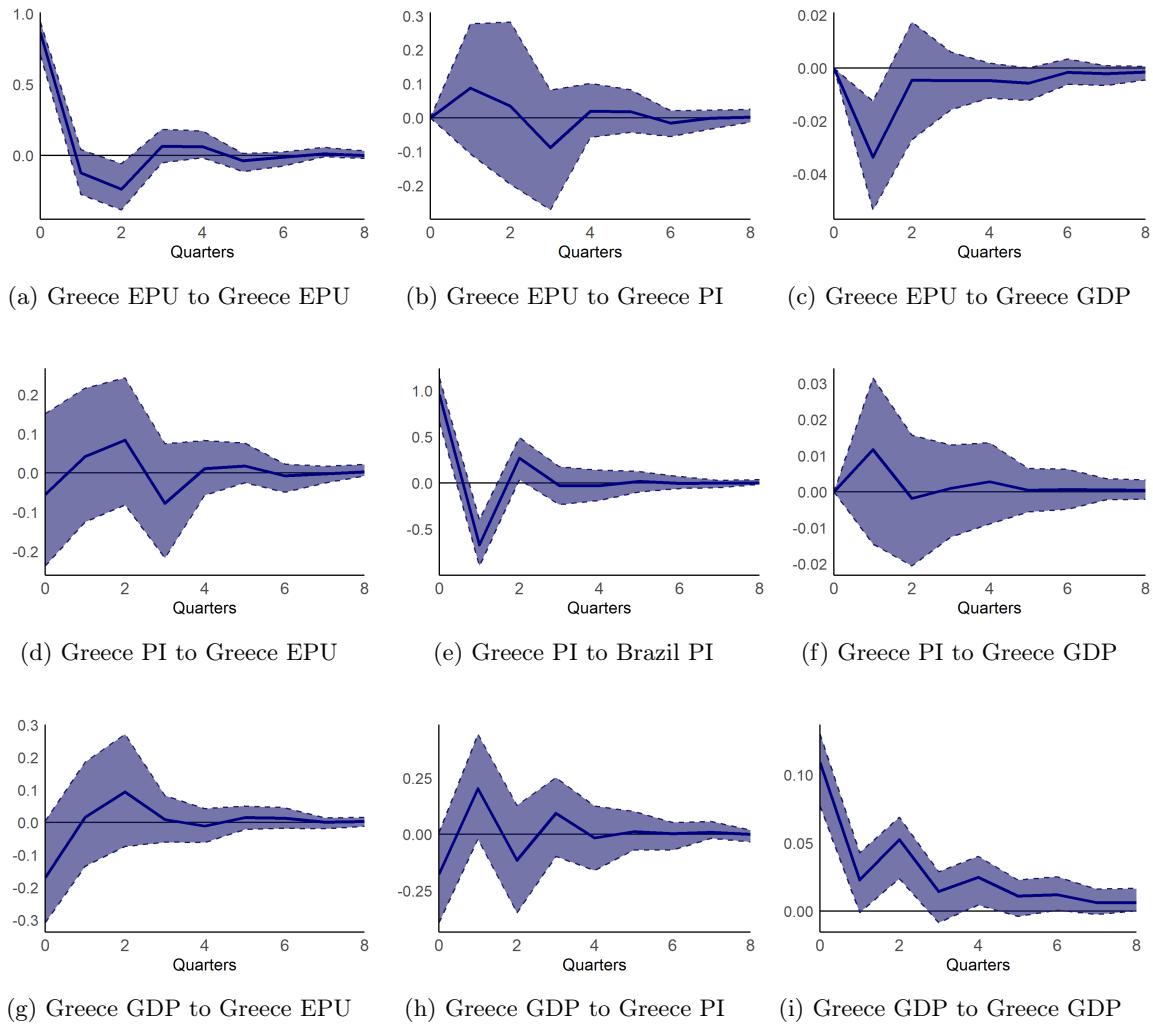


Figure 61: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. First ordering (EPU first) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subplot corresponds to an IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1. VAR(p) refers to the lag specification of the model.

### 5.1.8 PI with Global EPU as control. VAR (1)

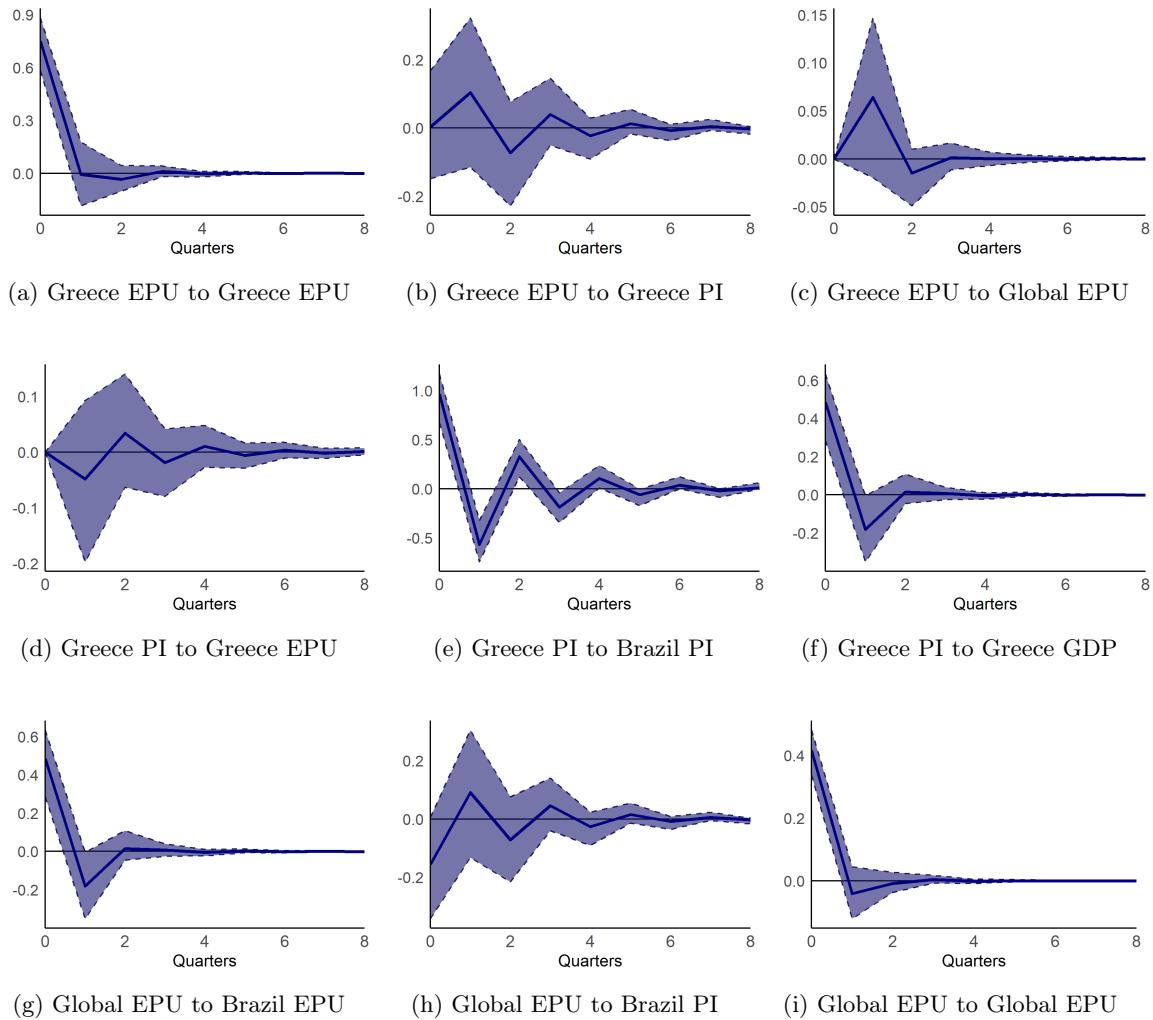


Figure 62: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. First ordering (EPU first) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subplot corresponds to an IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1. VAR(p) refers to the lag specification of the model.

## 5.2 Second Ordering

### 5.2.1 FDI with EMBI as control. VAR (2)

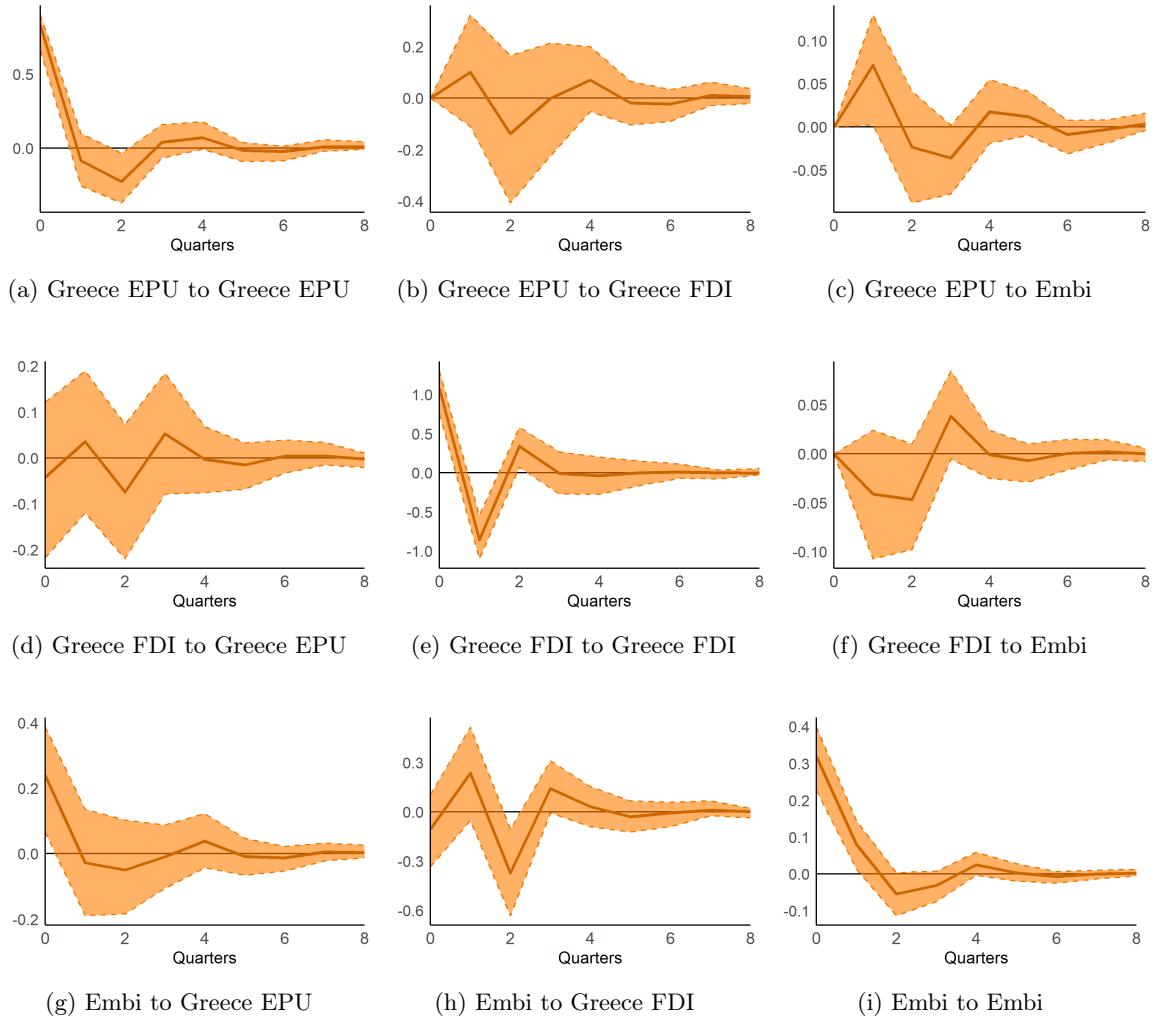


Figure 63: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. Second ordering (EPU last) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subplot corresponds to a IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1. VAR(p) refers to the lag specification of the model.

### 5.2.2 FDI with Fed rate as control. VAR (1)

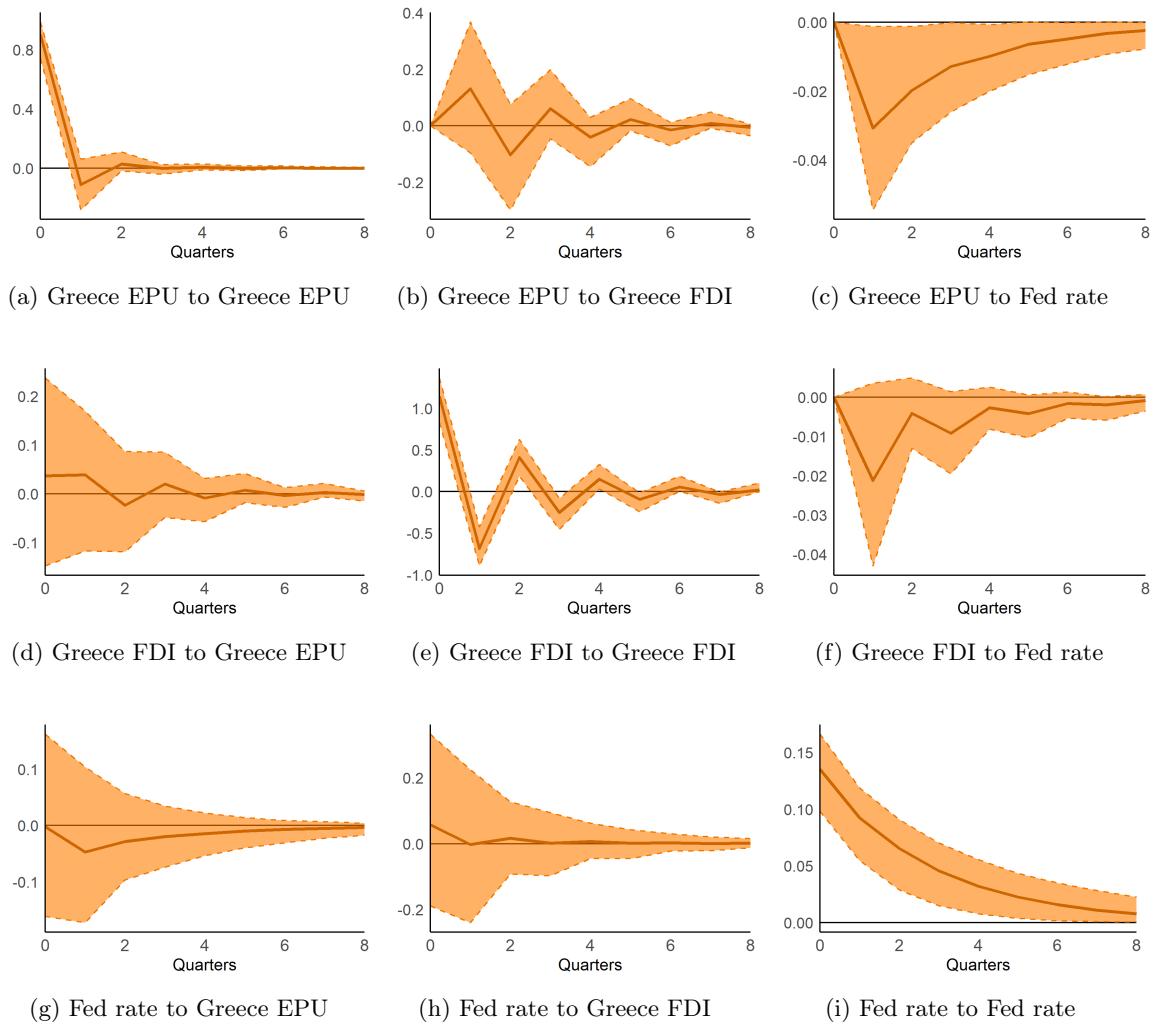


Figure 64: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. Second ordering (EPU last) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subplot corresponds to an IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1. VAR(p) refers to the lag specification of the model.

### 5.2.3 FDI with GDP as control. VAR (2)

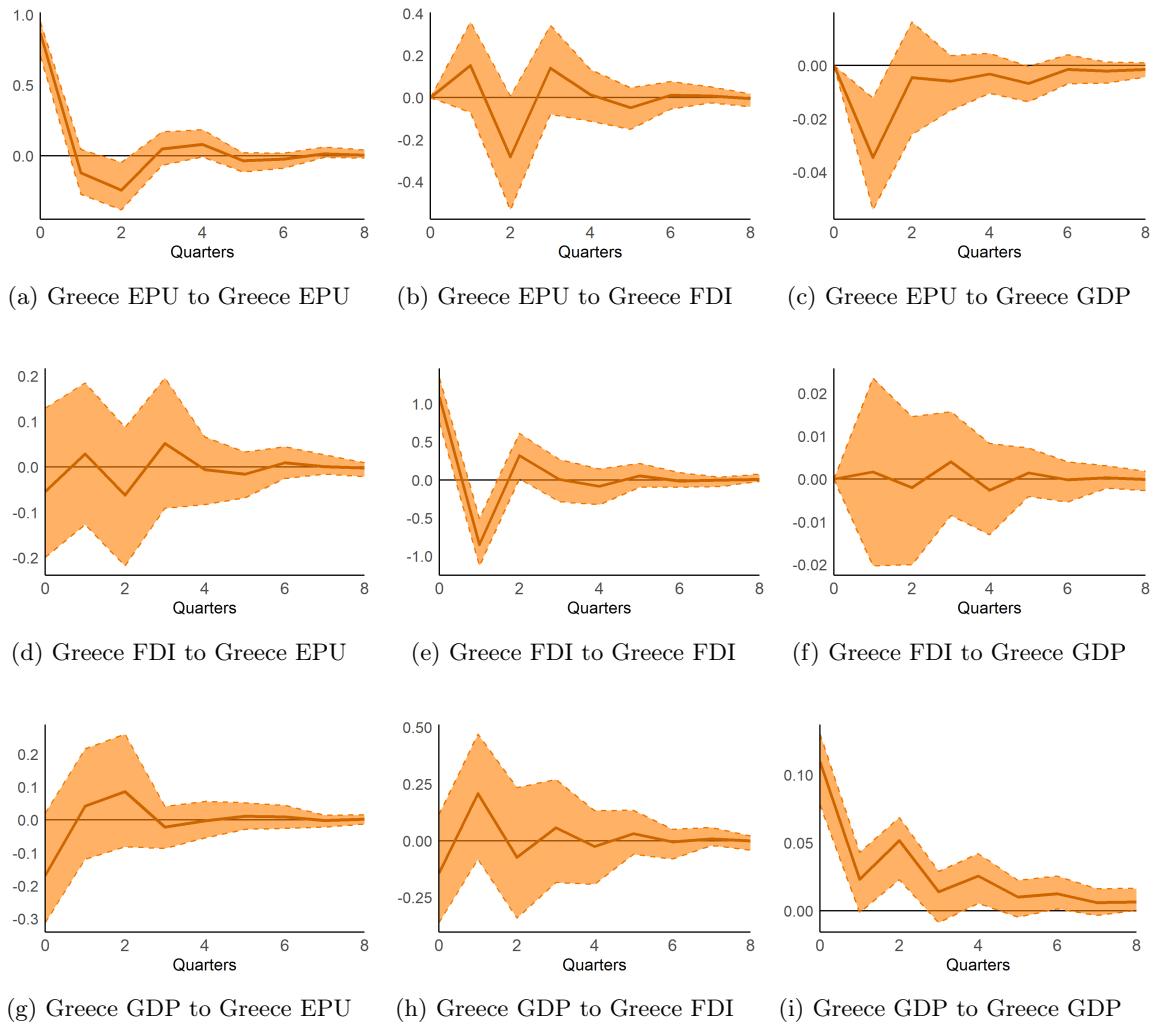


Figure 65: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. Second ordering (EPU last) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subplot corresponds to an IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1. VAR(p) refers to the lag specification of the model.

#### 5.2.4 FDI with Global EPU as control. VAR (1)

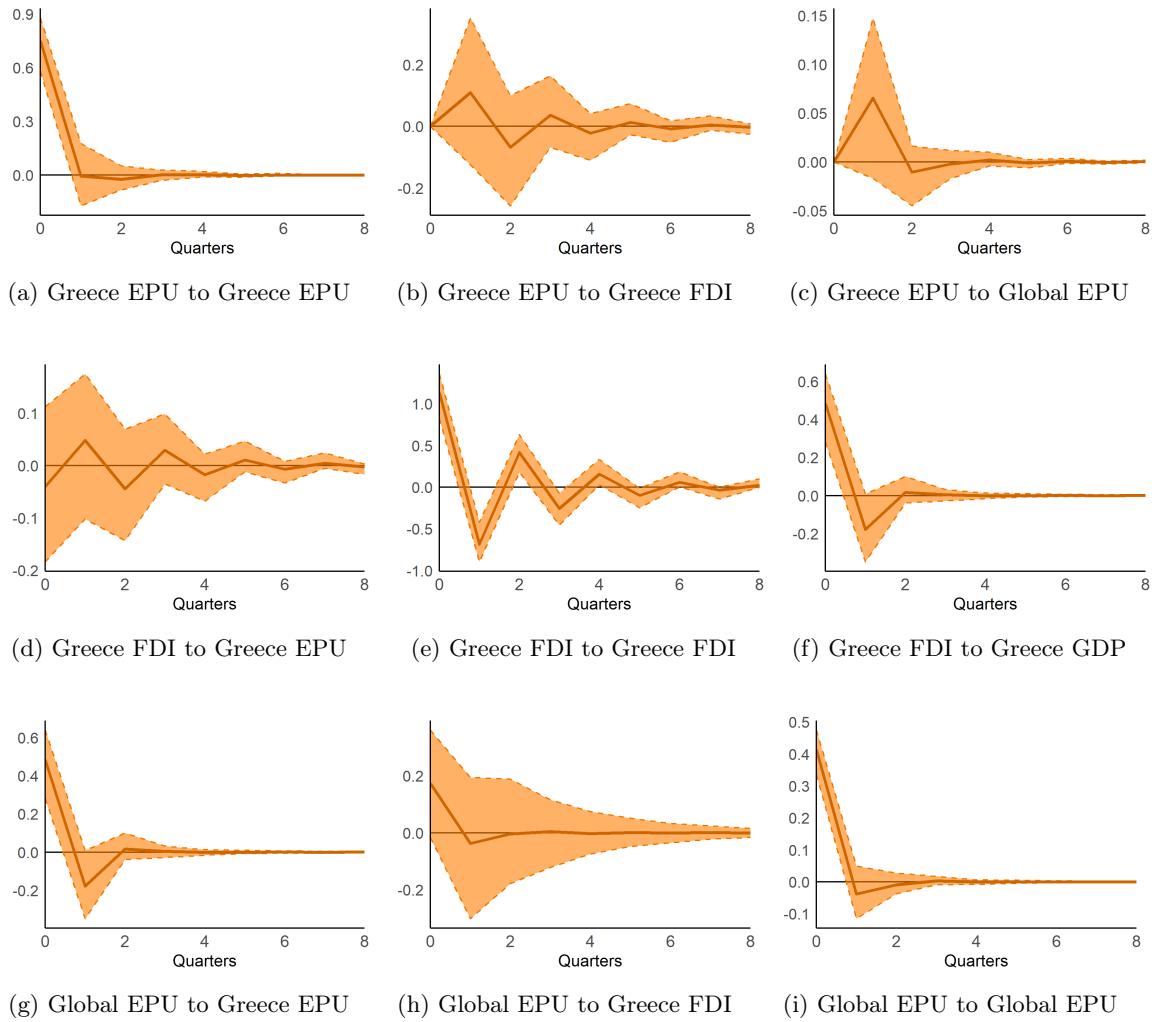


Figure 66: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. Second ordering (EPU last) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subplot corresponds to a IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1. VAR(p) refers to the lag specification of the model.

### 5.2.5 PI with EMBI as control. VAR (1)

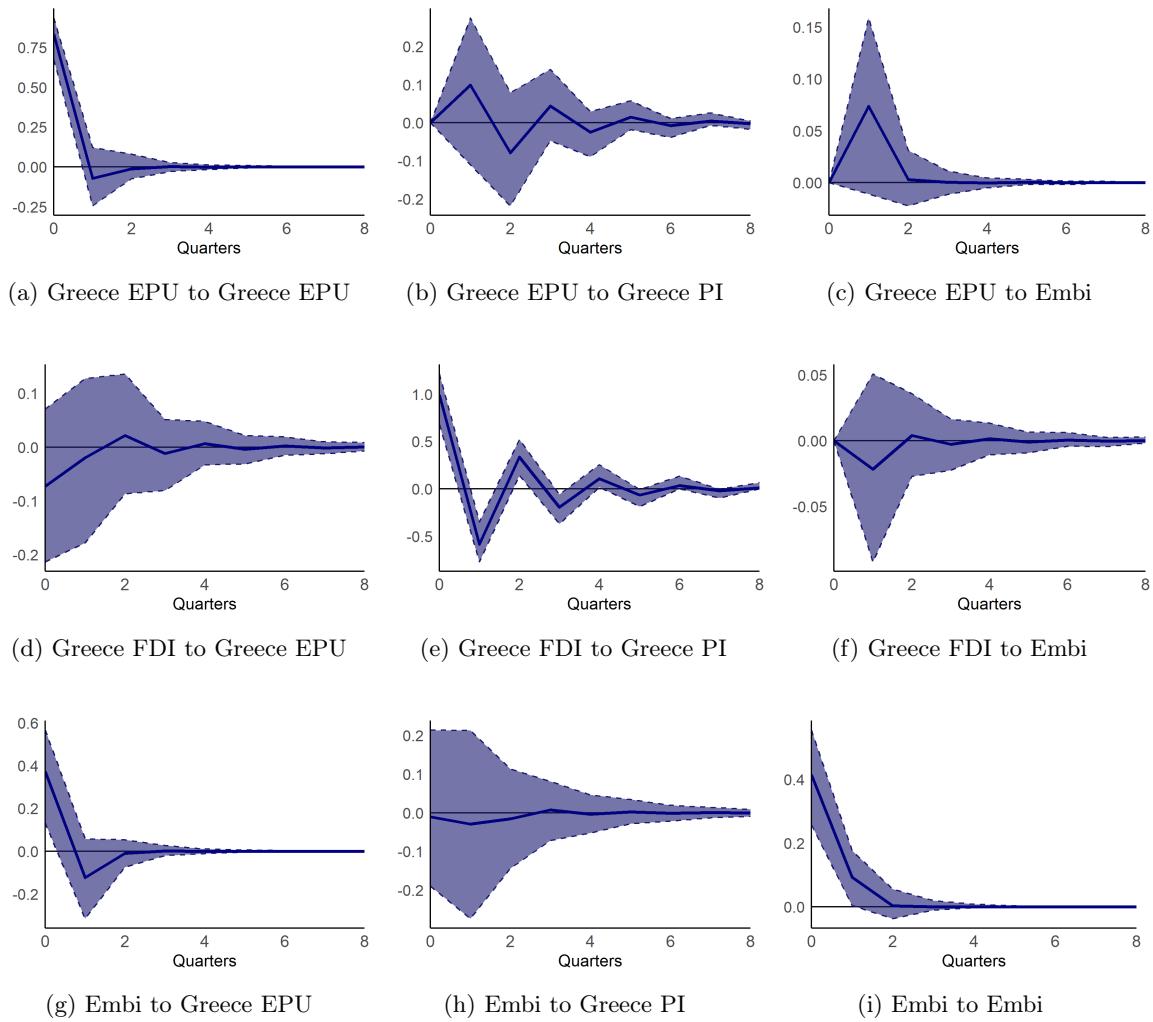


Figure 67: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. Second ordering (EPU last) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subplot corresponds to a IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1. VAR(p) refers to the lag specification of the model.

### 5.2.6 PI with Fed rate as control. VAR (1)

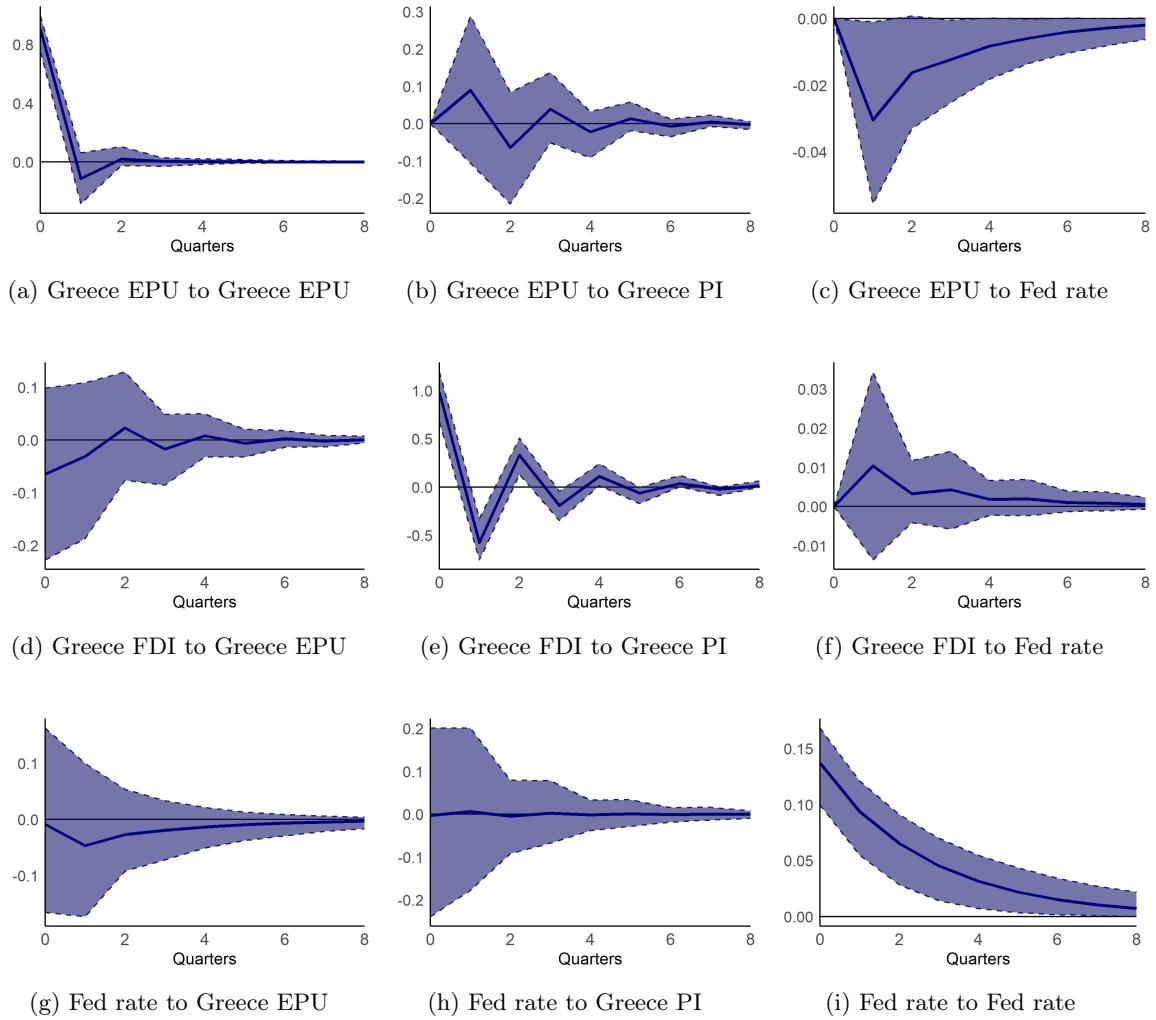


Figure 68: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. Second ordering (EPU last) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subfigure correspond to a IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1. VAR(p) refers to the lag specification of the model.

### 5.2.7 PI with GDP as control. VAR (2)

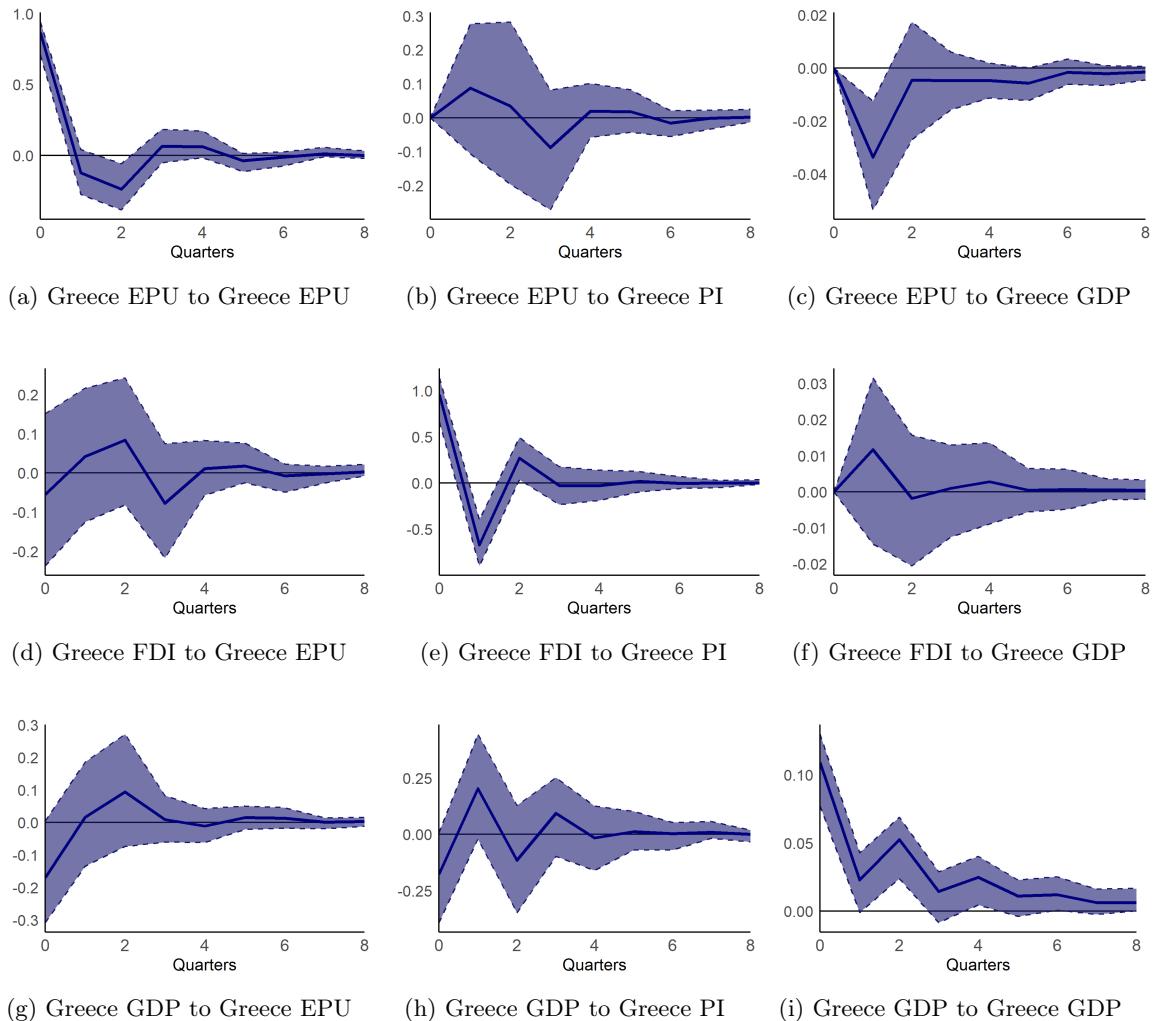


Figure 69: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. Second ordering (EPU last) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subfigure correspond to a IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1. VAR(p) refers to the lag specification of the model.

### 5.2.8 PI with Global EPU as control. VAR (1)

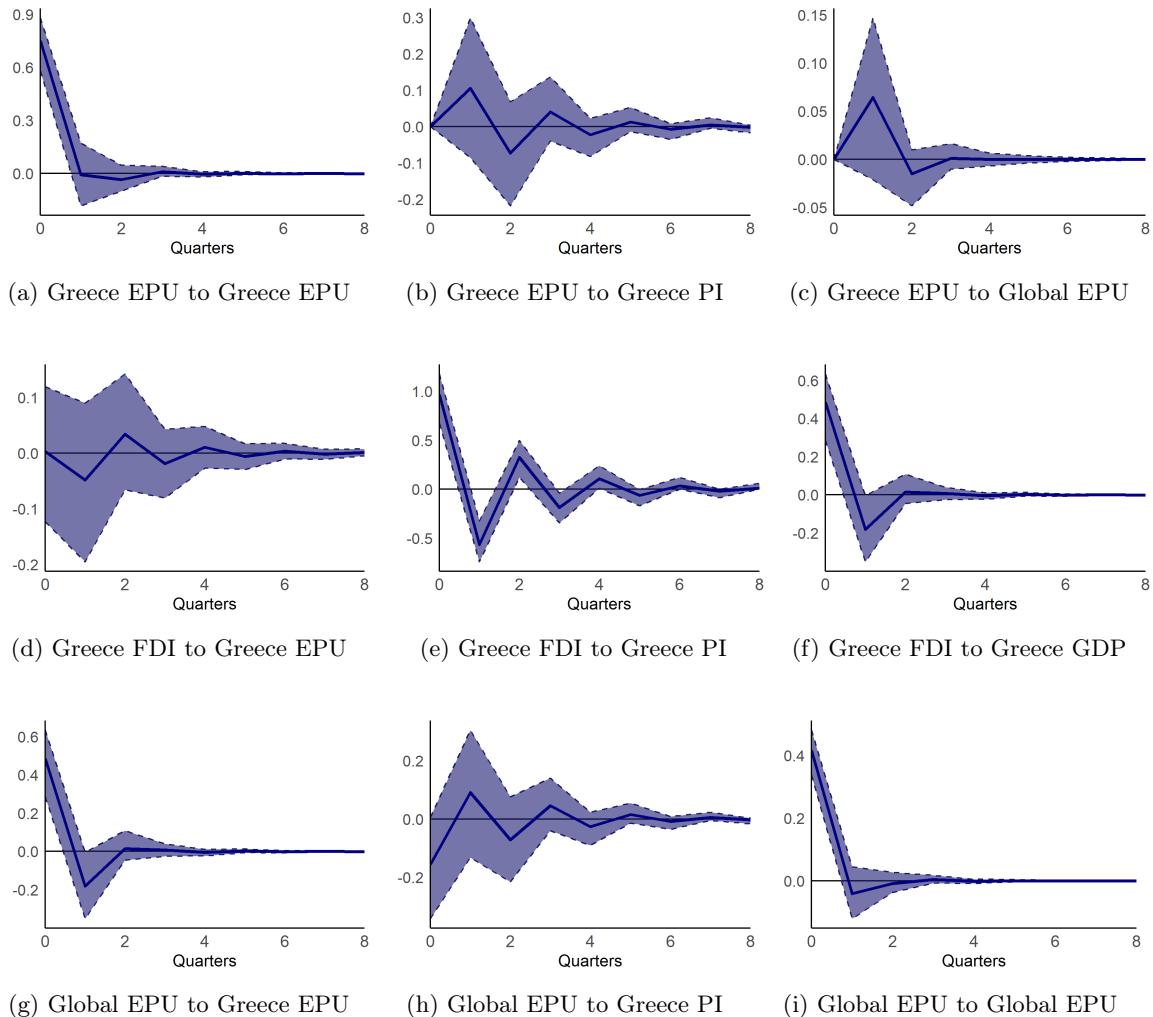


Figure 70: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. Second ordering (EPU last) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subfigure correspond to a IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1. VAR(p) refers to the lag specification of the model.

### 5.3 Third Ordering

#### 5.3.1 FDI with GDP as control. VAR (2)

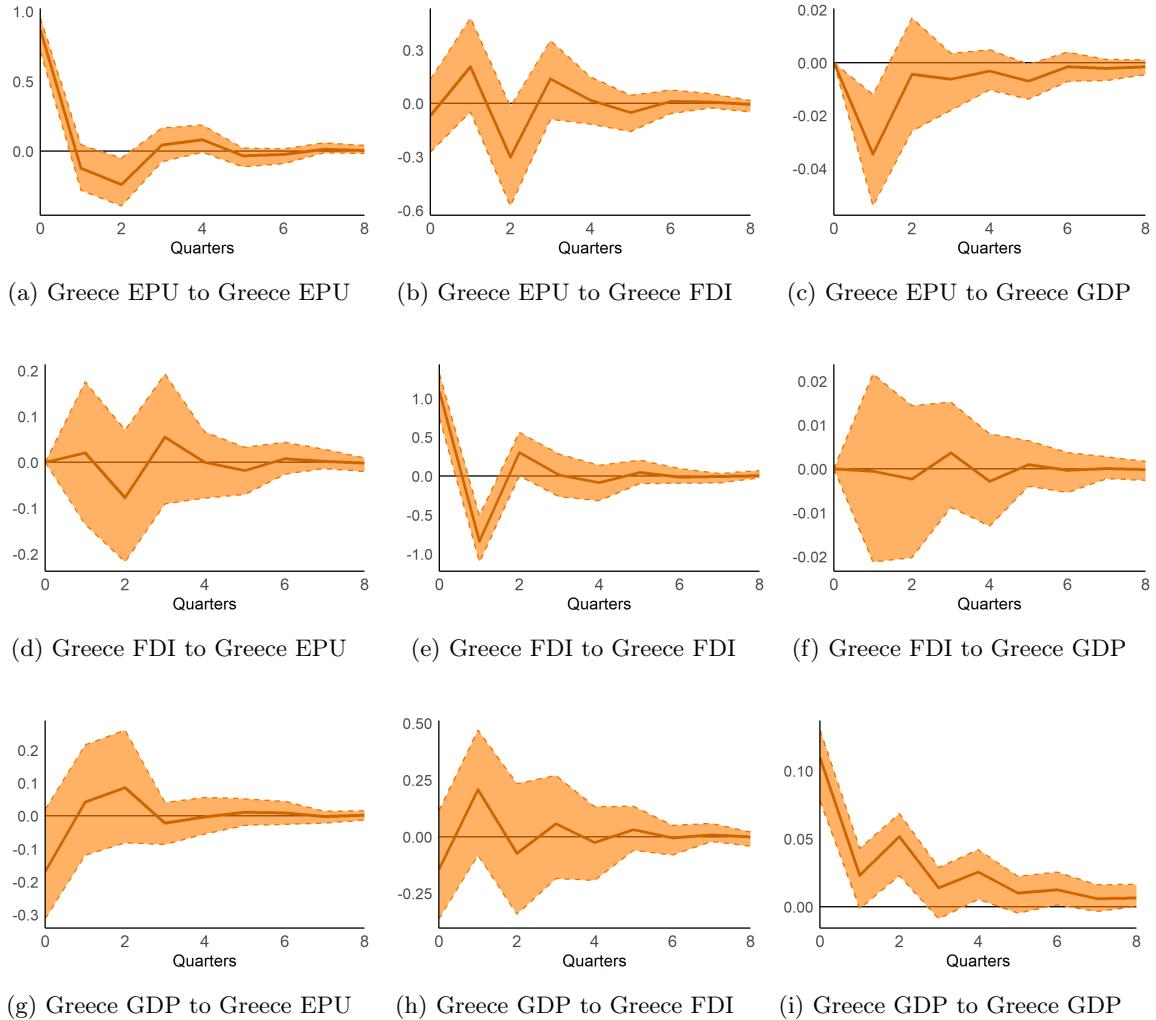


Figure 71: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. Third ordering (EPU intermediate) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subfigure correspond to a IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1. VAR(p) refers to the lag specification of the model.

### 5.3.2 PI with GDP as control. VAR (2)

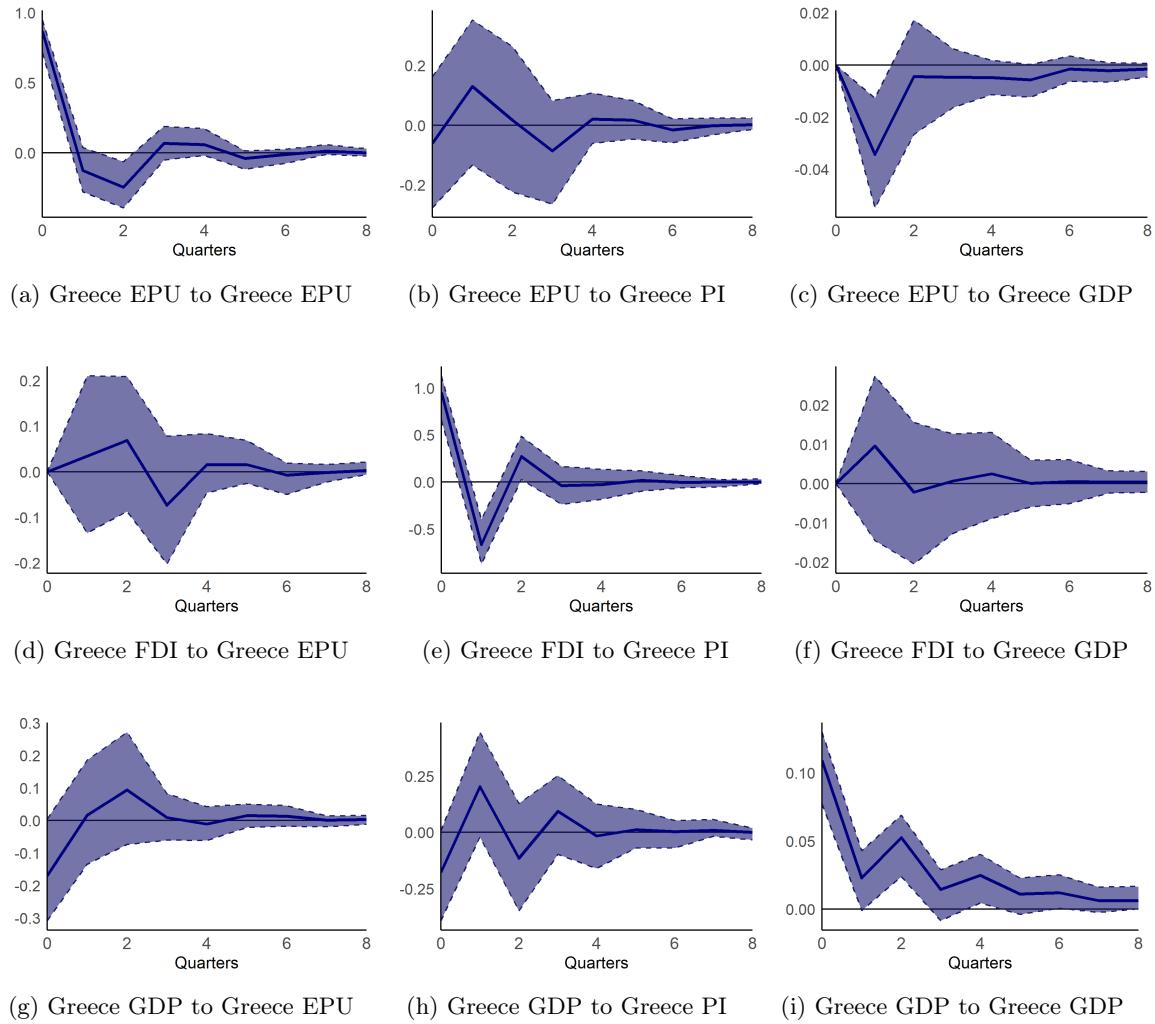


Figure 72: Orthogonalized Impulse Response Functions graphs for a one-standard-deviation shock. Third ordering (EPU intermediate) is used as identification assumption. All variables are quarterly and standardized, with zero mean and unitary variance. Each subfigure correspond to a IRF from one shock to a variable, as subtitle indicates. Sample: 1997Q1-2020Q1, except for the Embi model, which is 1998Q1-202Q1. VAR(p) refers to the lag specification of the model.