```
1 %% Q1
 2 clc;
 3
 4 %Q1.1.
 5
 6 %declaring the veriables and constants
 7 E 0 = 2050; % [V/m]
 8 L = 0.12; % [m]
 9 a = (pi/4)^0.5; % [-]
10 b = 0.08; % [-]
11 \times 1 = L/4; % [m]
12 \times 2 = (3*L)/4; % [m]
13 h = 1*10^{(-4)}; % [m]
14 n = 2;
15 N = ceil((x2-x1)/(n*h))
17 % defining the function E(x)
18 syms x;
19 E = E 0*\cos(((a*x)/(L))^2)*\exp(-b*(x/L)^(3/2));
20 E = matlabFunction(E);
21
22 % We will choose simpson's method of integration.
23 \% If(x) = h/3 + (
24
25 % We will now implement the method
26 to continue = true;
27 I = zeros(1,N);
28 i = 1; % iteration number
29 lowerlimit = x1;
30 upperlimit = lowerlimit + 2*h;
31 while (to continue)
     I(i) = (h/3) * (E(lowerlimit) + 4 * E(lowerlimit + h) + E(upperlimit));
33
      i = i+1;
34
      lowerlimit = upperlimit;
     upperlimit = lowerlimit + 2*h;
35
36
       if i > N
37
           to continue = false;
38
           i
39
       end
40
41 end
42 Delta phi = - sum(I)
44 %% Defining a function that does the simpson's method for E(x) automatically
45
46 % We created a function that does the simpson's method of integration (you
47 % need to input the lower limit and upper limit of the integral as well as
48 % the value of h)
50 % The syntax is: simpsons for E(lower limit, upper limit, h)
```

```
51 %
 52 % We also assigned her an handle.
 53 clc;
 54
 55 %defining constants
 56 L = 0.12; % [m]
 57 \times 1 = L/4; % [m]
 58 \times 2 = (3*L)/4; % [m]
 59 h = 1*10^{(-4)}; % [m]
 60
 61 simpsons for E = @Integration by Simpsons method for E of x;
 62 Delta_phi = - simpsons_for_E(x1,x2,h)
 63
 64 %% 01.2.
 65 clc;
 66 format long
 67
 68 H = [2.5*10^{(-3)}, 1*10^{(-3)}, 5*10^{(-4)}, 2.5*10^{(-4)}, 1*10^{(-4)}, 5*10^{(-5)}, 1*10^{\checkmark}]
(-5)]; % [m]
 69 % H is a vector of h
70
71 %defining constants
72 L = 0.12; % [m]
73 \times 1 = L/4; % [m]
74 \times 2 = (3*L)/4; % [m]
75 simpsons for E = @Integration by Simpsons method for E of x;
 77 Delta phis = zeros(1,length(H));
 78
79 %claculating the Delta phi for each h in H
 80 for i = 1:length(H)
        Delta_phis(i) = - simpsons_for_E(x1, x2, H(i))
 82 end
 83
 84 %% ploting delta phi as a function of h
 85 fig1 = figure ("Name", 'Delta-phi as a function of h', 'Position', [20 50 1500 800]);
 86 semilogx(H, Delta phis, '-*', 'LineWidth', 2)
 87 title (["Plot of Delta-phi as a function of h", "Almog Dobrescu 214254252 & Ronnel ✓
Nawy 325021152"])
88 xlabel('h [m]')
89 ylabel('delta-phi [V]')
90 grid on
91 grid minor
 92 legend({'delta-phi'}, 'FontSize', 14 , 'Location', 'southeast')
 93 %exportgraphics(fig1, 'Q1 2-graph.png','Resolution',1200); %export the fig to a png ✓
file
 94
95 %% Q1.3.
 96 clc;
 97 format long
```

```
98
 99 %defining constants and variabels
100 E 0 = 2050; % [V/m]
101 L = 0.12; % [m]
102 a = (pi/4)^0.5; % [-]
103 b = 0.08; % [-]
104 h = 10^{(-4)};
105 \times 1 = 0; % [m]
106 \text{ x2s} = 0:h:L;
107 phi 0 = 300; % [V]
108 phis = zeros(1,length(x2s));
109 simpsons_for_E = @Integration_by_Simpsons_method_for_E_of_x;
110
111 %phi(i) = phi 0 - simpsons for E(x1, x2s(i), h)
113 for i = 1:length(phis)
        phis(i) = phi 0 - simpsons for E(x1, x2s(i), h);
115
116 end
117
118 Es = E 0.*\cos(((a.*x2s)/(L)).^2).*\exp(-b.*(x2s./L).^(3/2));
119
120 %% ploting phi and E as a function of x
121 fig2 = figure ("Name", 'phi and E as a function of x', 'Position', [20 50 1500 800]);
122 title (["Plot of Phi and E as a Function of x", "Almog Dobrescu 214254252 & Ronnel ✓
Nawy 325021152"])
123 yyaxis left
124 plot(x2s,phis, 'LineWidth', 2, 'color',[0 0.4470 0.7410])
125 ylabel('Phi(x) [V]')
126 xlabel('x [m]')
127 yyaxis right
128 plot(x2s,Es, 'LineWidth', 2, 'color',[0.8500 0.3250 0.0980])
129 ylabel('E(x) [V/m]')
130 grid on
131 grid minor
132 legend({'Phi(x)','E(x)'},'FontSize',14 ,'Location','southwest')
133 %exportgraphics(fig2, 'Q1 3-graph.png', 'Resolution', 1200); %export the fig to a png ✓
file
134
135 Delta phi
136 phis (end)
137
138
```