Note that as a matter of convention, I write ($s \neq$) to mean "delete this tube if the resulting instantiation mentions \neq " (it's how I implement \forall).

Projecting the cap

$$\frac{\left(s\,r'\right) = \left(s'\,r'\right) \qquad \left(s\,x\right) \neq \left(s'\,x\right) \qquad \left(s_i\,x\right) \neq \left(s_i'\,x\right) }{\left(\cos^{r \leadsto r'}\right|_{\left[x\right] \left(\mathsf{fcom}^{\left(s\,x\right) \leadsto \left(s'\,x\right)} \left(\mathsf{Coe}^{\left(s'\,x\right) \leadsto \left(s'\,x\right) \mapsto \left[z\right] \left(B_i\,x\,z\right)\right]}\right)} M\right)}{ \mapsto } \\ \frac{\left(\mathsf{gcom}^{r \leadsto r'}\right|_{\left[x\right] \left(A\,x\right)} M}{\left[\left(s_i\,\mathtt{H}\right) = \left(s_i'\,\mathtt{H}\right) \hookrightarrow \left[x\right] \left(\cos^{\left(s'\,x\right) \leadsto \left(s\,x\right)} \left(\mathsf{coe}^{r \leadsto x}_{\left[x\right] \left(B_i\,x\,z\right)} M\right)\right)\right] \left[\left(s\,\mathtt{H}\right) = \left(s'\,\mathtt{H}\right) \hookrightarrow \left[x\right] \left(\mathsf{coe}^{r \leadsto x}_{\left[x\right] \left(A\,x\right)} M\right)\right])}{\left(\mathsf{gcom}^{r \leadsto r'}\right)}$$

Projecting the tube

CoeFcom/tube
$$(s\,r') \neq (s'\,r') \qquad k \text{ min s.t. } (s_k\,r') = (s_k'\,r') \qquad (s\,x) \neq (s'\,x) \qquad (s_i\,x) \neq (s_i'\,x)$$

$$O \triangleq (\mathsf{hcom}_{(A\,r)}^{(s'\,r) \leadsto (s'\,r)} (\mathsf{cap}^{(s\,r) \bowtie (s'\,r)} M \ \overline{[(s_i\,r) = (s_i'\,r) \leadsto [z] (B_i\,r\,z)]}) \ \overline{[(s_i\,r) = (s_i'\,r) \leadsto [z] (\mathsf{coe}_{[z] (B_i\,r\,z)}^{z \leadsto (s'\,r) \leadsto z} (\mathsf{coe}_{[z] (B_i\,r\,z)}^{(s'\,r) \leadsto z} M))])$$

$$P \triangleq (\mathsf{gcom}_{[x] (A\,x)}^{r \leadsto r'} O \ \overline{[(s_i\,\oplus) = (s_i'\,\oplus) \leadsto [x] (\mathsf{coe}_{[z] (B_i\,r'\,z)}^{(s'\,r') \leadsto (s'\,r')} (\mathsf{coe}_{[x] (B_i\,x\,(s'\,x))}^{r \leadsto x} M))]}, \ \overline{[(s\,\oplus) = (s'\,\oplus) \leadsto [x] (\mathsf{coe}_{[x] (A\,x)}^{r \leadsto x} M)])}$$

$$(\mathsf{coe}_{[x] (B_i\,r'\,z)}^{r \leadsto r'} O \ \overline{[(s_i\,\oplus) = (s_i'\,\oplus) \leadsto [z] (\mathsf{coe}_{[x] (B_i\,x'\,z)}^{(s'\,r') \leadsto z} (\mathsf{coe}_{[x] (B_i\,x'\,z)}^{r \leadsto r'} M))]} \ \overline{[(s\,\oplus) = (s'\,\oplus) \leadsto [z] (\mathsf{coe}_{[x] (B_i\,x'\,z)}^{(s'\,r') \leadsto z} (\mathsf{coe}_{[x] (B_i\,x'\,z)}^{r \leadsto r'} M))])}$$

Within this case, there are several sub-cases depending on what the dimensions involved are; but it is not yet clear to me whether it will be an advantage to expand them here.