

**Course Code: ESC106A**

**Course Title: Construction Materials and Engineering Mechanics**

**Lecture No. 43:**

**Problems on Centre of gravity and Moment of Inertia**

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# Lecture Intended Learning Outcomes

**At the end of this lecture, students will be able to:**

- Calculate the co-ordinates of the centroid of the composite area after converting the composite section into simple regular areas
- Solve for the Moment of Inertia of sections with respect to the considered axis



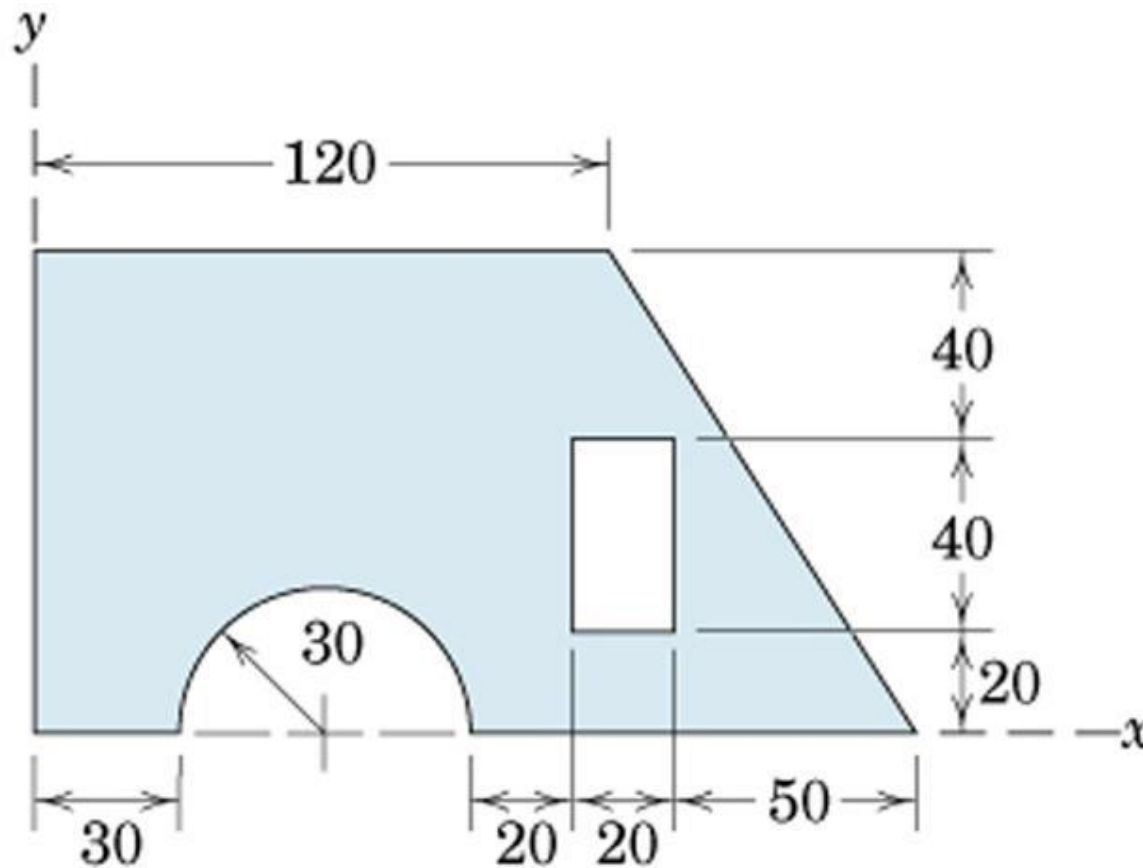
# Contents

Problems on Center of Gravity and Moment of inertia



# Problems on CG and MI

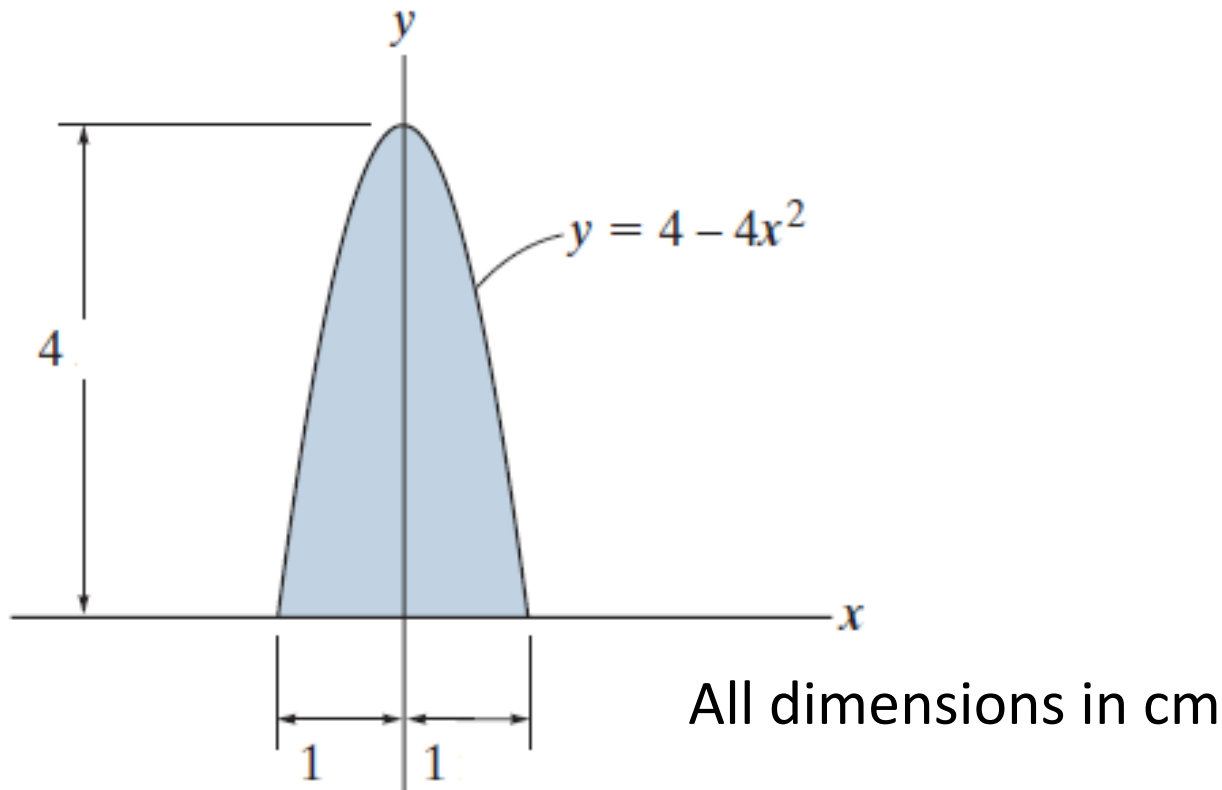
1. Locate the centroid of the shaded area.



Dimensions in millimeters

# Problems on CG and MI

2. Determine the moment of inertia of the area about the  $y$  axis. Solve the problem using rectangular differential elements: (a) having a thickness of  $dx$ , and (b) having a thickness of  $dy$ . Find out the centroid also



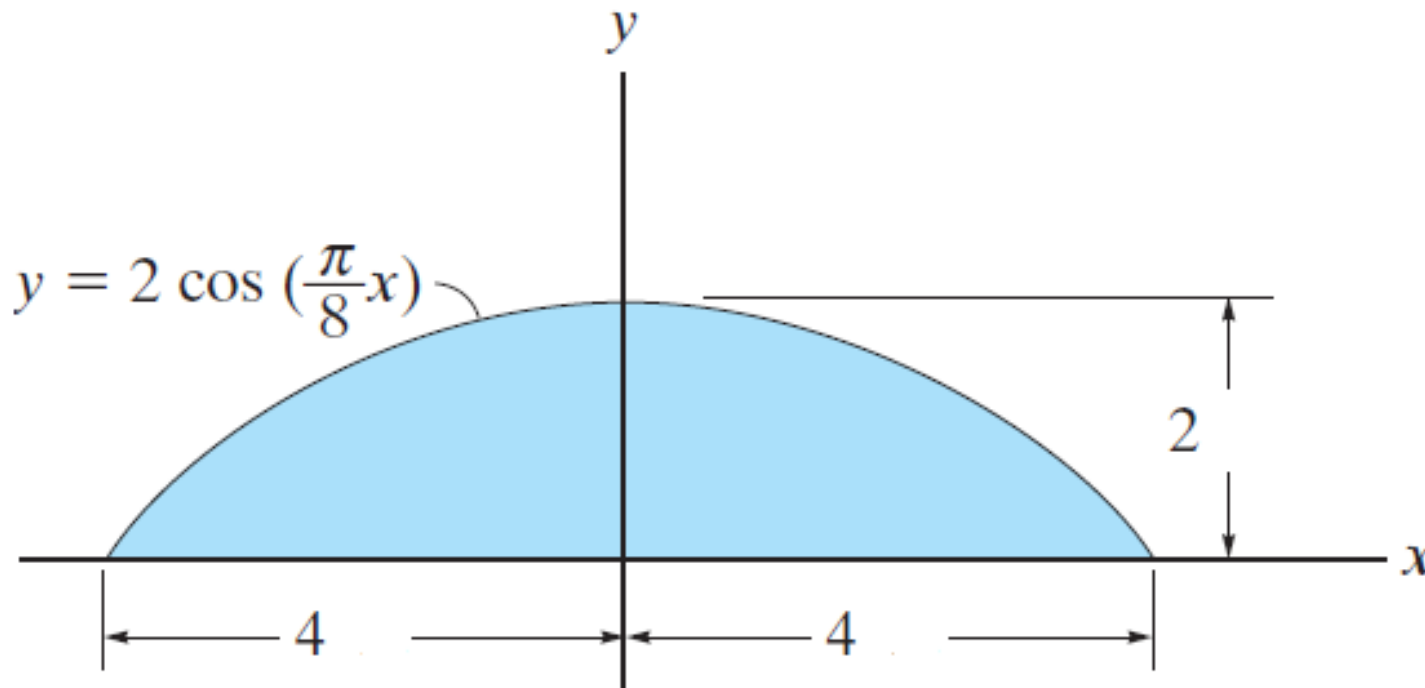
$$\bar{x} = 0$$

$$\bar{y} = 1.6\text{cm}$$

$$I_{yy} = 1.07\text{cm}^4$$

# Problems on CG and MI

3. Determine the moment of inertia of the area about the y axis.



All dimensions in cm

*Ans :*

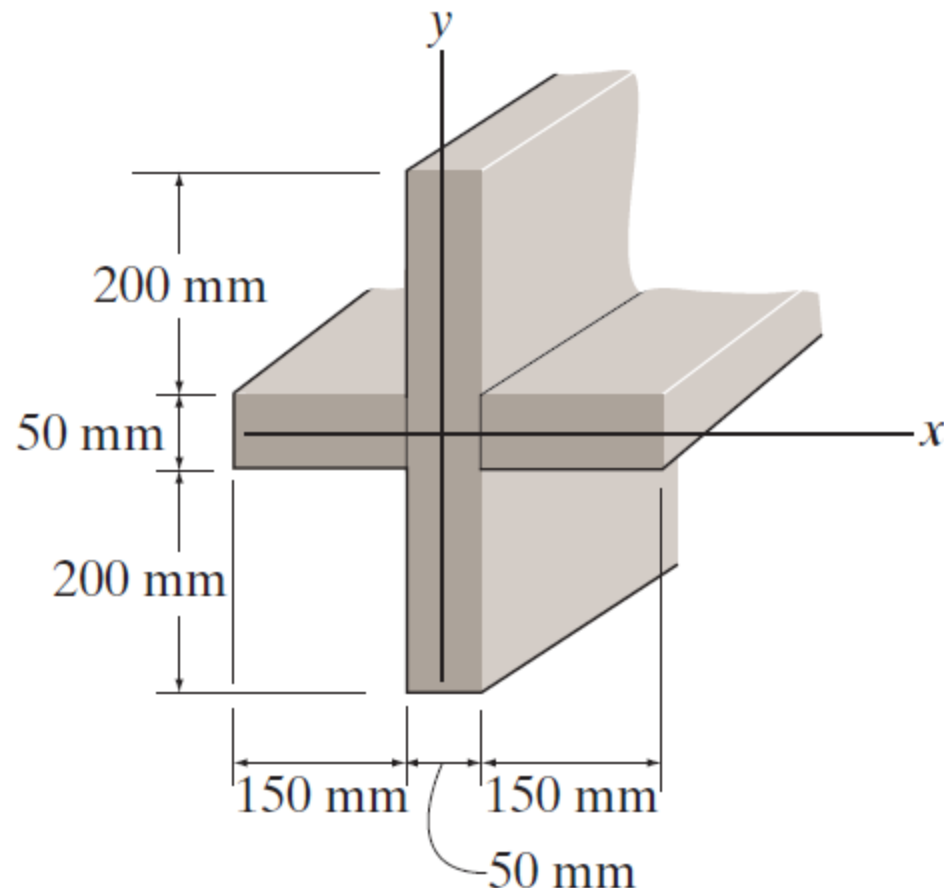
Hint: Apply the principle of integration by parts

$$I_{yy} = 96.92 \text{ cm}^4$$



# Problems on CG and MI

4. Determine the moment of inertia of the given beam's cross-sectional area about the centroidal x and y axes.



$$I_{xx} = 382,812,500 \text{ mm}^4$$

$$I_{yy} = 332,812,500 \text{ mm}^4$$

# Summary

- The composite areas are divided into simple areas and the coordinates of the centre of gravity are determined.
- Integration method is adopted to find out the centre of gravity of irregular/curved sections
- Moment of inertia of the sections are found out with respect to the centroidal axis.

