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Abstract—This manual is an introduction to control systems based on GATE problems. Links to sample Python codes are available in the text.

Download python codes using

1 STABILITY

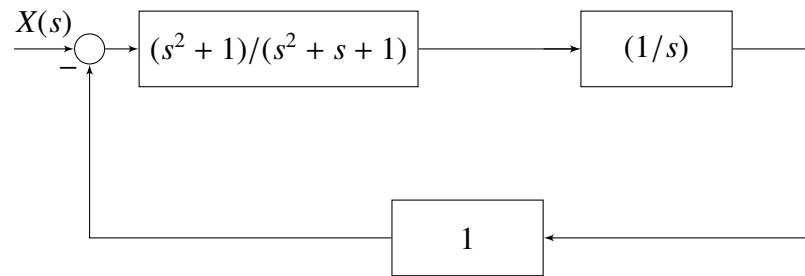
1.1 Second order System

1.1. The block diagram of a system is illustrated in the figure shown, where $X(s)$ is the input and $Y(s)$ is the output. The transfer function

$$H(s) = \frac{Y(s)}{X(s)} \quad (1.1.1)$$

$$H(s) = \frac{s^2 + 1}{s^3 + s^2 + s + 1} \quad (1.1.2)$$

$$H(s) = \frac{s^2 + 1}{s^3 + 2s^2 + s + 1} \quad (1.1.3)$$



$$H(s) = \frac{s^2 + 1}{s^2 + s + 1} \quad (1.1.4)$$

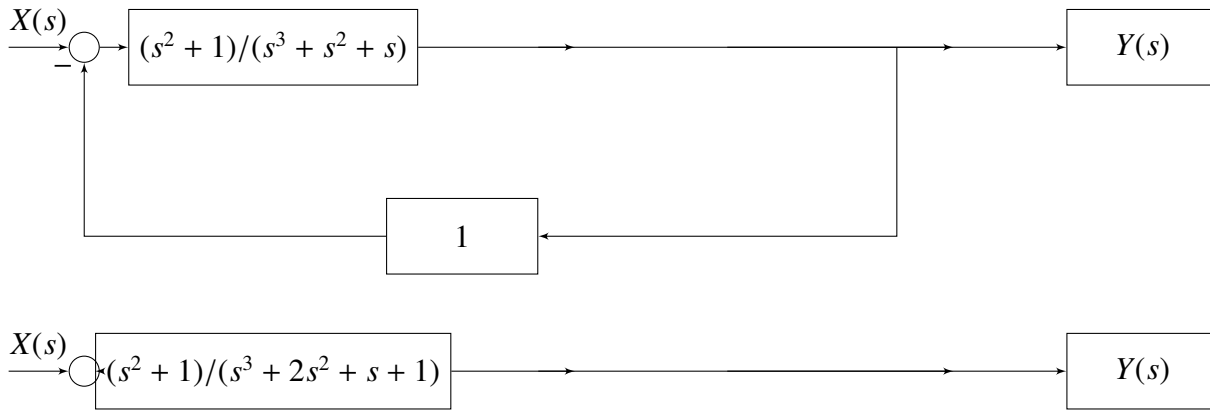
$$H(s) = \frac{s^2 + 1}{2s^2 + 1} \quad (1.1.5)$$

Solution:

- 1.2. Here we have two transfer function s and $\frac{1}{s}$ in parallel with a adder as shown in figure. After solving these two parallel transfer function by just adding both of them we will get
- 1.3. Now we will convert three input adder into two input adder as shown in figure given below.
- 1.4. Now we have Negative Unity Feedback System (NUFS) in closed loop transfer function. Let's say we have transfer function $G(s)$ with Negative Unity Feedback System in closed loop then we will solve this by

$$H(s) = \frac{G(s)}{1 + G(s)} \quad (1.4.1)$$

- 1.5. Here we have two transfer function in series



1.6. Now we have one more transfer function with negative unity feedback.

1.7. Again we will solve this then we will get

$$X(s) \left(\frac{s^2 + 1}{s^3 + 2s^2 + s + 1} \right) = Y(s) \quad (1.7.1)$$

$$\frac{Y(s)}{X(s)} = \frac{s^2 + 1}{s^3 + 2s^2 + s + 1} \quad (1.7.2)$$

1.8. The correct option is (B)

2 ROUTH HURWITZ CRITERION

3 COMPENSATORS

4 NYQUIST PLOT