

# Functional programming, Seminar No. 2

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# Bindings

The equality sign in Haskell denotes binding:

```
1    fortyTwo = 42
2    coolString = "coolString"
```

Local binding with the `let`-keyword:

```
1    fortyTwo = let number = 43 in number - 1
```

# Function definitions

Functions are also defined as bindings:

```
1   add x y = x + y
2   userName name = "Username: " ++ name
3   id x = x
```

The same functions defined via lambda:

```
1   add = \x y -> x + y
2   userName = \name -> "Username: " ++ name
3   id = \x -> x
```

# Function application

As in lambda calculus, function application is right associative by default

```
1  {—  
2  foo x y z = f x y z = ((f x) y) z  
3  —}
```

One may use the dollar infix operator in order to avoid brackets overuse. For example, the following functions have exactly the same behaviour:

```
1  function f x y z = f ((x y) z)  
2  function1 f x y z = f $ x y $ z
```

# Currying and partial application

Let us recall the function `add` once more:

```
1  add x y = x + y
```

Here is an example of a partial application in the following GHCi session

```
1  add x y = x + y
2  addFive = add 5
3  twentyEight = addFive 23
4  -- 28
```

Partial application is well-defined since all many-argument functions in Haskell are curried by default.

# Immutability and laziness

In Haskell, values are immutable. For example, the following code doesn't terminate since it yields an infinite loop in contrast to Python or JS:

```
1      x = 5
2      x = x + x
```

The following program doesn't fail since our semantics is lazy:

```
1      seventyTwo = const 72 undefined
```

The straightforward recursion:

```
1      factorial n = if n == 0 then 1 else n * factorial (n - 1)
```

The factorial function implemented via so-called tail recursion:

```
1      tailFactorial n = helper 1 n
2      where
3      helper acc x =
4          if x > 1
5          then then helper (acc * x) (x - 1)
6          else acc
```

# Guards

Let us take a look at the factorial implementation via guards:

```
1   tailFactorial n = helper 1 n
2   where
3   helper acc x | x > 1 = helper (acc * x) (x - 1)
4               | otherwise acc
```



# Basic datatypes

The basic datatypes are:

- Bool: Boolean values
- Int: Bounded integer datatype
- Integer: Unbounded integer datatype
- Char: Unicode characters
- (): Unit value datatype
- If  $a$  and  $b$  are types, then  $a \rightarrow b$  is a type
- If  $a$  and  $b$  are types, then  $(a, b)$  is a type
- If  $a$  is a type, then  $[a]$  is a type

A type declaration has the following form:

1      `term :: type`

# Function declaration with datatypes

Let us recall the examples of function declarations:

```
1      add x y = x + y
2      userName name = "Username: " ++ name
3      id x = x
```

One may annotate these functions with types as follows:

```
1      add :: Int -> Int -> Int
2      add x y = x + y
3
4      userName :: String -> String
5      userName name = "Username: " ++ name
6
7      id :: Char -> Char
8      id x = x
```

Note that such calls as `userName 5` or `id 'hello stewart'` cause type errors.