In [1]:

```
from gurobipy import *
```

In [2]:

```
# creeating a model

m = Model("Linear programming")
```

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In [3]:

```
#---- I am taking value of x y z from 0 to 1 which denotes the percent of water taken from x = m.addVar(lb = 0.0, ub = 1, vtype = GRB.CONTINUOUS, name="Type A water")#-- x = percent y = m.addVar(lb = 0.0, ub = 1, vtype = GRB.CONTINUOUS, name="Type B Water")#-- y = percent z = m.addVar(lb = 0.0, ub = 1, vtype = GRB.CONTINUOUS, name="Type c Water")#-- z = percent
```

In [4]:

```
#-- orignally value given was in per liter, but i converted them in price per bottle
m.setObjective(20*x + 30*y + 15*z, GRB.MAXIMIZE)#-----calculated cost for per bottle,
```

In [5]:

```
m.addConstr(2*x + 1.5*y + 0.5*z == 2.5)#-----adding constraints here
```

Out[5]:

<gurobi.Constr *Awaiting Model Update*>

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```
In [6]:
```

```
m.optimize()
Gurobi Optimizer version 9.0.2 build v9.0.2rc0 (win64)
Optimize a model with 1 rows, 3 columns and 3 nonzeros
Model fingerprint: 0xdcde53e1
Coefficient statistics:
 Matrix range
                   [5e-01, 2e+00]
  Objective range [2e+01, 3e+01]
  Bounds range
                   [1e+00, 1e+00]
  RHS range
                   [3e+00, 3e+00]
Presolve removed 1 rows and 3 columns
Presolve time: 0.01s
Presolve: All rows and columns removed
Iteration
             Objective
                             Primal Inf.
                                            Dual Inf.
                                                           Time
            5.0000000e+01
                            0.000000e+00
                                           0.000000e+00
                                                             0s
Solved in 0 iterations and 0.01 seconds
Optimal objective 5.000000000e+01
In [7]:
m.getVars()
Out[7]:
[<gurobi.Var Type A water (value 0.25)>,
 <gurobi.Var Type B Water (value 1.0)>,
 <gurobi.Var Type c Water (value 1.0)>]
In [8]:
#-- THe result shows that
#--25 percent of water taken from A container
#--100 percent of water taken from B conatiner
#--100 percent of water taken from C container
In [9]:
print('Obj: %g' % m.objVal)#-----this is the final and total optimized value
Obj: 50
In [ ]:
```