Summary	Population is Normal with mean μ and variance σ^2	Population is skewed or population distribution unknown, but μ and σ^2 known
	n can be any size $\bar{X} \overset{\text{exactly}}{\sim} N(\mu, \sigma^2/n)$ $T \overset{\text{exactly}}{\sim} N(n\mu, n\sigma^2)$	If n is small ($n \leq 20$) you can conclude the mean of the sampling distribution of sample mean $= \mu$ and std dev. of sampling distribution of sample mean $= \sigma^2/n$. But you've no idea what the distribution is. If n is large ($n \geq 20$) $\bar{X} \overset{\text{appr}}{\sim} N(\mu, \sigma^2/n)$ (CLT) $T \overset{\text{appr.}}{\sim} N(n\mu, n\sigma^2)$