

Faculty of Electrical and Electronics Engineering
Control and Automation Engineering Department
Introduction to Programming Language (C) (KON 110E)

FINAL EXAM



Question: 1

Write a function,

CheckCredentials(char[] email, char[] pw)

which checks the given e-mail and password such that the e-mail should contain the characters '@' and '.' in correct order, and the password should contain both numbers, capital and small letters. The function returns **1** if the given credentials are valid, otherwise returns **0**.

Faculty of Electrical and Electronics Engineering
Control and Automation Engineering Department
Introduction to Programming Language (C) (KON 110E)

FINAL EXAM



Question: 2

Write a function,

`Solve(double a, double b, double c)`

which solves a second-order equation $ax^2 + bx + c = 0$ for a given a , b and c coefficients and returns the roots. Since the roots of the equation can also be complex, your function should be able to handle this case.

Question: 3

Secant method is a numerical method for solving equations of the form $f(x) = 0$. The iteration rule for the Secant method is given as follows:

$$x_{k+1} = x_k - \frac{f(x_k)(x_k - x_{k-1})}{f(x_k) - f(x_{k-1})}$$

Here, the initials points x_{k-1} and x_k should be provided to obtain the solution.

a) Write a function

Secant(double (*f)(double), double eps, double *xInitials)

in order to find a root of any given function f .

b) Test your function on the following equation by writing an appropriate program.

$$x^2 |\sin \sqrt{x}| = 10$$

(Set the initial conditions as $x = [1, 2]$ and the error tolerance as $\epsilon = 10^{-3}$)

Question: 4

Bresenham's line algorithm is a famous algorithm which draws a straight line to a discretized canvas as shown in the figure. The pseudo-code of this algorithm is given below.

Input: Integer x_0 , Integer x_1 , Integer y_0 , Integer y_1 , Integer canvas[HEIGHT][WIDTH]

Real $\Delta x = |x_1 - x_0|$

Real $\Delta y = |y_1 - y_0|$

Real error = 0

Integer $y = y_0$, $x = x_0$

If $\Delta x \geq \Delta y$ **then**

For x **from** x_0 **to** x_1

 canvas[y][x] = "#"

 error += $2\Delta y$

If error ≥ 0 **and** $\Delta x \neq 0$ **then**

$y = y + \text{sign}(y_1 - y_0)$

 error -= $2\Delta x$

Else:

For y **from** y_0 **to** y_1

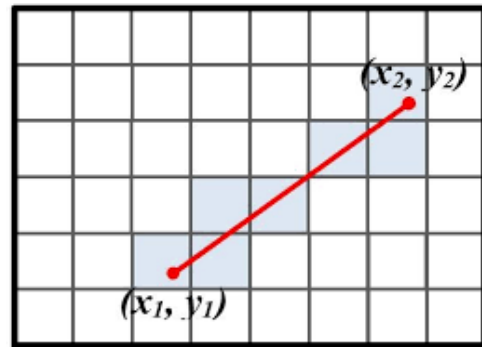
 canvas[y][x] = "#"

 error += $2\Delta x$

If error ≥ 0 **and** $\Delta y \neq 0$ **then**

$x = x + \text{sign}(x_1 - x_0)$

 error -= $2\Delta y$



In your program, implement the given algorithm with a function. After that using your function construct a program that draws a triangle to the console output window.

Hint: In the beginning of your program, define a canvas in the form of 2D array and fill with empty ' ' characters. You will also need a function that draws your canvas.