

Dik:

$$n_1 = 10 \quad n_2 = 10 \rightarrow \text{rumus } t$$

$$\alpha = 0,05$$

$$S_1 = 6442,15 \quad S_2 = 11086,29$$

$$\bar{X}_1 = 16329,9 \quad \bar{X}_2 = 30432,5$$

Rumusan Hipotesis:

$$H_0 : \mu_1 \leq \mu_2$$

$$H_a : \mu_1 > \mu_2$$

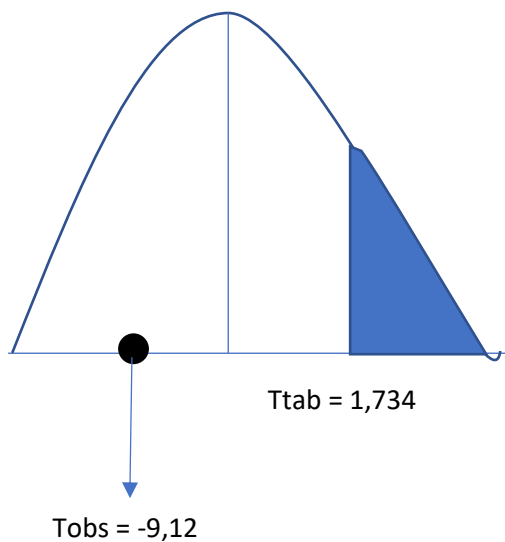
**Satu arah kanan**

Tingkat signifikan:

$$t_{tab} = \alpha; (n_1 + n_2 - 2) = 0,05; (18) \rightarrow 1,734$$

$$\begin{aligned} S_p^2 &= \frac{(n_1 - 1)S_1^2 + (n_2 - 1)S_2^2}{n_1 + n_2 - 2} = \frac{(9)6442,15^2 + (9)11086,29^2}{18} \\ &= \frac{373.511.669,58 + 1.106.152.433,64}{18} = \frac{1.479.664.103,22}{18} \\ &= 82.203.561,29 \end{aligned}$$

$$\begin{aligned}
 t_{obs} &= \frac{(\bar{x}_1 - \bar{x}_2) - (\mu_1 - \mu_2)}{\sqrt{S_p^2 \left( \frac{1}{n_1} + \frac{1}{n_2} \right)}} \\
 &= \frac{(-14102,6) - (0)}{\sqrt{82.203.561,29 \left( \frac{1}{10} + \frac{1}{10} \right)}} \\
 &= \frac{-14102,6}{16.440.712,25} = -8,57
 \end{aligned}$$



Kesimpulan,  $H_0$  diterima dan  $H_a$  ditolak. Maka dari itu tidak ada perbedaan rata-rata biaya Pendidikan pada keluarga yang berpendapatan \$80.000 dan \$120.000