Emil Alsbyer, emia1133

Preperation 2.1

Belt transmission

$$S_{e} \xrightarrow{M_{1}} \xrightarrow{M_{1}} \xrightarrow{M_{1}} \xrightarrow{M_{1}} \xrightarrow{M_{1}} \xrightarrow{K_{1}} \xrightarrow{K_{1}} \xrightarrow{K_{1}} \xrightarrow{K_{2}} \xrightarrow{K_{2}} \xrightarrow{M_{2}} \xrightarrow{M_$$

Preperation 2.2

$$\frac{Belt}{J_1 = \frac{\pi}{3}} r^{4}h\rho, r = 0.0 \text{ m}, h = 0.0 \text{ m}, \rho = 2.7.10^{3}$$

$$= 7 \cdot (0.01)^{4} \cdot 0.01 \cdot (2.7.10^{3}) = 4.24.10^{-7}$$

$$\frac{1}{2} = \frac{\pi}{2} r^{\text{M}} h \rho, r = 0.04 \text{m}, h = 0.015 \text{m}, \rho = 1.7 \cdot 10^{3}$$

$$= \frac{\pi}{2} (0.04)^{\text{M}} \cdot 0.015 \cdot (2.7 \cdot 10^{3}) = 1.63 \cdot 10^{-4}$$

Elastic force:
$$F = k \cdot \Delta X$$

 $F = 200N$, $\Delta X = 0.004.750 = 0.003 m$
 $k = \frac{F}{\Delta X} = \frac{200}{0.003} = 66.667$

From B8000, Screw Mother = 5.1.105

Kp=9,81

Girma

 $J = 5.2 \cdot 10^{-5} \cdot 0.45259 \cdot 9.81 = 1.45 \cdot 10^{5}$

Spring constant: W= 75 oco

Arm

MUSS: W-5.5

M: 25

Fg = m·g = 53,955

Preperation 2.3

choose simulmh

Belt Subsystm

Se: u= M

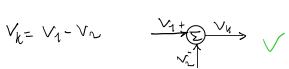
St: M-MI-MI-MI-O, Bused on consultry=7

MJ1=M-M1-MM1, Gives sum block

Sz: Mz-Mz-Mmz=0 =>



 $P: V_1 - V_2 - V_k = 0 =>$



 $TF_1: V_1 - N_1 W_1 \longrightarrow \frac{W_1}{N_1} V_1 \longrightarrow$

 $T = \frac{1}{n_1} M_1$

$$T \neq_{\Sigma} : M_{\Sigma} = n_{\Sigma} \neq \cdots \qquad \xrightarrow{M_{\Sigma}} M_{\Sigma}$$

$$W_{\Sigma} = \frac{1}{N_{\Omega}} V_{\Sigma} \qquad \xrightarrow{M_{\Sigma}} M_{\Sigma} \qquad \xrightarrow{M_{\Sigma}} M_{\Sigma} \qquad \xrightarrow{N_{\Sigma}} M_{\Sigma$$

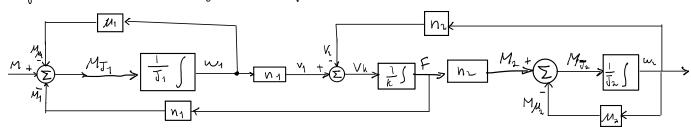
$$I: J_1: \ \omega_1 = \frac{1}{J_1} \int M_{J_1}(\tau) d\tau \longrightarrow \underbrace{M_{J_1}}_{J_1} \underbrace{J_1}_{J_1} \underbrace{J_2}_{J_2} \underbrace{J_3}_{J_3}$$

I:
$$J_{\nu}: \omega_{\nu} = \frac{1}{J_{\nu}} \int M_{J_{\nu}}(\tau) d\tau \rightarrow \frac{M_{J_{\nu}}}{J_{\nu}} \int \frac{1}{J_{\nu}} \int \frac{1}{J_{\nu}}$$

$$P: \mu_2: M_{\mu_2}=\mu_1 \omega_2 \longrightarrow \frac{\omega_2}{\mu_1} \xrightarrow{M_{\mu_2}} \sqrt{\mu_2}$$

$$C:\frac{1}{h}: f = \frac{1}{h} \int V_{h}(\tau) d\tau \longrightarrow \frac{V_{h}}{h} \frac{f}{h} \int V_{h}(\tau) d\tau$$

Put together gives following block diagram:



Serew

$$S_1: M - M_J - M_1 = 0 = > M_J = M - M_1$$

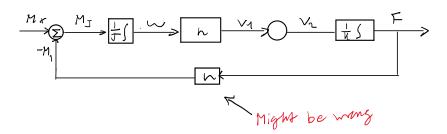
$$\xrightarrow{M_{+}} \xrightarrow{M_{J}}$$

$$P: V_1 - V_2 = 0 \implies V_1 = V_2 \longrightarrow \frac{V_1}{V_2} \longrightarrow \frac{V_2}{V_2} \bigvee_{x} \bigvee$$

TF:
$$V_1 = n \cdot w$$
 $M_1 = \frac{1}{n}F$
 $M_1 = \frac{1$

$$I: J \qquad \omega = \frac{1}{J} \int M_J(\tau) d\tau \longrightarrow M_J \xrightarrow{[i]} W$$

$$C: \frac{1}{k} \quad F = \frac{1}{k} \int_{\mathcal{V}_{2}} (\mathfrak{T}) \, d\mathfrak{T} \longrightarrow \frac{V_{2}}{k} \xrightarrow{F} V_{2}$$



Arm

$$S: F - Fm - Fu - Fg = 0 \Rightarrow Fm = F - Fm - Fg \longrightarrow \xrightarrow{F_{n}} \xrightarrow$$

$$I: m \quad V = \frac{1}{m} \int F_n(T) dT \rightarrow \frac{F_m}{m} \int_{-\infty}^{\infty} V$$

$$R: \mu F_{\mu} = \mu V \longrightarrow \mu F_{\mu}$$

