

90940M

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SUPERVISOR'S USE ONLY

Pūtaiao, Kaupae 1, 2013

90940M Te whakaatu māramatanga ki ngā āhuatanga o te pūnaha pūkahakaha

9.30 i te ata Rāhina 18 Whiringa-ā-rangi 2013 Whiwhinga: Whā

Paetae	Paetae Kaiaka	Paetae Kairangi	
Te whakaatu māramatanga ki ngā āhuatanga o te pūnaha pūkahakaha.	Te whakaatu māramatanga hōhonu ki ngā āhuatanga o te pūnaha pūkahakaha.	Te whakaatu māramatanga matawhānui ki ngā āhuatanga o te pūnaha pūkahakaha.	

Tirohia mehemea e ōrite ana te Tau Ākonga ā-Motu (NSN) kei tō pepa whakauru ki te tau kei runga ake nei.

Me whakautu e koe te KATOA o ngā pātai kei roto i te pukapuka nei.

Ki te hiahia koe ki ētahi atu wāhi hei tuhituhi whakautu, whakamahia te (ngā) whārangi kei muri i te pukapuka nei, ka āta tohu ai i ngā tau pātai.

Tirohia mehemea kei roto nei ngā whārangi 2–25 e raupapa tika ana, ā, kāore hoki he whārangi wātea.

HOATU TE PUKAPUKA NEI KI TE KAIWHAKAHAERE HEI TE MUTUNGA O TE WHAKAMĀTAUTAU.

TAPEKE

Kia 60 meneti hei whakautu i ngā pātai o tēnei pukapuka.

Tērā pea ka whai hua ēnei tikanga tātai māu.

$$v = \frac{\Delta d}{\Delta t}$$
 $a = \frac{\Delta v}{\Delta t}$ $F_{\text{net}} = ma$ $P = \frac{F}{A}$

$$a = \frac{\Delta v}{\Delta t}$$

$$F_{\text{net}} = mc$$

$$P = \frac{F}{A}$$

$$\Delta E_{p} = mg\Delta h$$
 $E_{k} = \frac{1}{2}mv^{2}$ $W = Fd$ $P = \frac{W}{t}$

$$E_{\rm k} = \frac{1}{2} m v^2$$

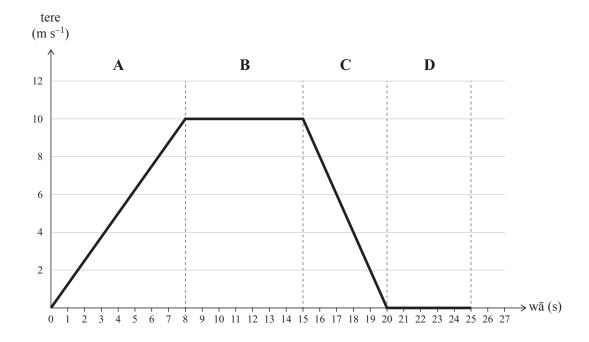
$$W = Fc$$

$$P = \frac{W}{t}$$

Ko te uara o g ko 10 m s⁻²

PĀTAI TUATAHI: TE KAIOMA

E tuhia ana te tere o te kaioma mō te 25 hēkona, e kauwhatatia ana i raro.



Whakaahuatia te nekehanga o te kaioma i ngā wāhanga A, B, C, me D. (a) I tō whakautu me whai whakaahua ME ngā tātaitainga hāngai.

Wāhanga A:

Wāhanga B:

MĀ TE KAIMĀKA ANAKE

Wāhanga C:		
Wāhanga D:		
I ngā hoahoa i ra ngā wāhanga A,		nna pana me te waku ka pā atu ki te kaioma i
I tō whakautu m	e:	
		ahunga o ngā tōpana pana me te waku
	e taha o ia hoahoa mēnā e nui , mēnā e iti ake rānei te pana i	ake te pana i te waku, mēnā e ōrite ana te pana te waku.
Kua oti kē te ma	hi i ngā tōpana tō ā-papa me t	e tautoko.
Wāhanga A		
	tautoko tō ā-papa	
Wāhanga B		
	tautoko tō ā-papa	
Wāhanga C:		
	tautoko tō ā-papa	

(b)

You are advised to spend 60 minutes answering the questions in this booklet.

ASSESSOR'S USE ONLY

You may find the following formulae useful.

$$v = \frac{\Delta d}{\Delta t}$$
 $a = \frac{\Delta v}{\Delta t}$ $F_{\text{net}} = ma$ $P = \frac{F}{A}$

$$a = \frac{\Delta v}{\Delta t}$$

$$F_{\text{net}} = ma$$

$$P = \frac{F}{A}$$

$$\Delta E_{p} = mg\Delta h$$
 $E_{k} = \frac{1}{2}mv^{2}$ $W = Fd$ $P = \frac{W}{t}$

$$E_{\rm k} = \frac{1}{2} m v$$

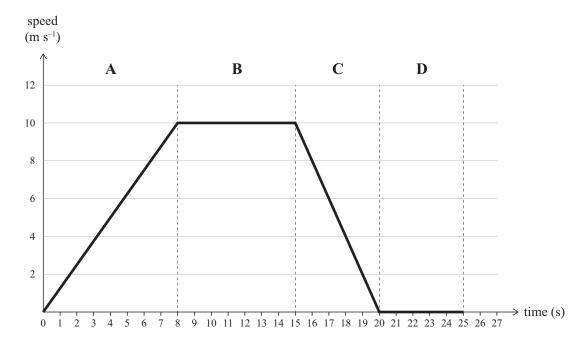
$$W = Fd$$

$$P = \frac{W}{t}$$

The value of g is given as 10 m s⁻²

QUESTION ONE: THE RUNNER

A runner's speed is recorded for 25 seconds and graphed below.



Describe the motion of the runner through sections A, B, C, and D. (a)

Your answers should include descriptions AND any relevant calculations.

Section A:

Section B:

Section C:		
Section D:		
On the diagram sections A, B,		nrust and friction forces acting on the runner in
In your answe	r you should:	
• use arro	ws to show the directions of the	e thrust and friction forces
	ach diagram, state if thrust is gust is less than friction.	reater than friction, thrust is equal to friction,
The gravity ar	nd support forces have been do	ne for you.
Section A		
_	support	
Section B		
_	support	
Section C		
	support	

(b)

(c) Tirohia ō hoahoa tōpana i te wāhanga (b), ka whakamārama i te hono i waenga i te tōpana more e pā atu ki te kaioma i ngā wāhanga A, B me te C o te kauwhata, me te momo nekehanga. I tō whakautu me: whakaahua he aha te tikanga o te tōpana more whakamārama i te hono i waenga i te topana more me te nekehanga mo IA wāhanga whakataurite i te ahunga o te tōpana more me te ahunga o te nekehanga mō IA wāhanga.

MĀ TE KAIMĀKA

(c)	Referring to your force diagrams in part (b), explain the link between the net force acting on the runner in sections A, B, and C of the graph, and the type of motion.	ASSESSOR'S USE ONLY
	In your answer you should:	
	 describe what is meant by net force 	
	 explain the link between net force and motion for EACH section 	
	• compare the direction of the net force and the direction of the motion for EACH section.	

MĀ TE KAIMĀKA

(d) Tātaihia te tapeke o te tawhiti ka omahia e te kaioma.

Hei āwhina i a koe i ō whakautu, ka tāruatia te kauwhata i raro mai i te whārangi 2.

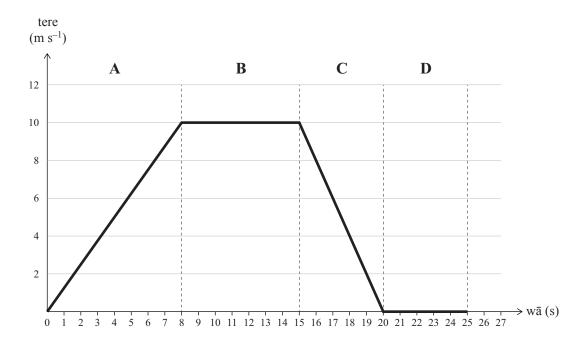
Tawhiti ka omahia, wāhanga A:

Tawhiti ka omahia, wāhanga B:

Tawhiti ka omahia, wāhanga C:

Tawhiti ka omahia, wāhanga D:

Tapeke o te tawhiti i omahia:



(d) Calculate the total distance the runner travels.

To assist you in your answers, the graph from page 4 is repeated below.

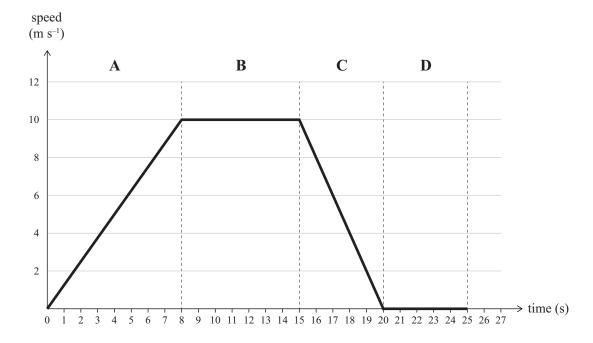
Distance travelled, section A:

Distance travelled, section B:

Distance travelled, section C:

Distance travelled, section D:

Total distance travelled:



PĀTAI TUARUA: TE WHAKATAKA I TĒTAHI PŌRO

MĀ TE KAIMĀKA ANAKE

I roto i tētahi whakamātauranga akomanga, ka whakatakahia he pōro ki te papa.

I mua i te whakatakanga o te pōro, kāore i te neke, \bar{a} , he pūngao moe tō \bar{a} -papa anake tōna (E_p) . I te takanga o te pōro, ka whakawhitihia te pūngao moe tō \bar{a} -papa ki te pūngao neke (E_t) .

He 100 karamu te papatipu o te poro.

(a) Whakaotihia ngā tapanga mō te hoahoa i raro hei whakaatu i ngā huringa pūngao i te takanga o te pōro.

Me kī kua huri te pūngao moe tō ā-papa ki te pūngao neke anake.



I runga rawa:

$$E_{\rm p} = 0.2 \, \text{J}$$
 $E_{\rm k} = 0 \, \text{J}$

$$E_{\nu} = 0 \text{ J}$$

I waenga pū:

$$E_{\rm p} =$$
______ $E_{\rm k} =$ _____

$$E_{\rm k} =$$

I mua tonu i te taunga ki te papa: $E_{\rm p} =$ ______ $E_{\rm k} =$ _____

$$E_{\rm p} = \underline{\qquad} E_{\rm k} = \underline{\qquad}$$

Ka kī atu te kaiako ki ngā ākonga he 2 m s⁻¹ te tere o te pōro i mua tata tonu i te taunga ki te (b) papa. Ka pātaihia ngā ākonga kia matapaetia e rātou te tere o te pōro i waenga pū mai i ngā

kōwhiringa e toru:

He **iti** ake te tere i te 1 m s^{-1} . Kōwhiringa 1:

He **\bar{o}rite** te tere ki te 1 m s⁻¹. Kōwhiringa 2:

He **nui ake** te tere i te 1 m s⁻¹. Kōwhiringa 3:

Tuhia te kōwhiringa tika, whakamāramahia tō whakutu, ā, ka whakamahi i ngā tātai pūngao hei tautoko i tō whakautu.

Me kī kei te pūmau te pūngao.

MĀ TE KAIMĀKA ANAKE

QUESTION TWO: DROPPING A BALL

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In a classroom experiment, a ball is dropped onto the floor.

Before the ball is dropped, it is not moving, and has only gravitational potential energy (E_n) . As the ball falls, the gravitational potential energy is converted into kinetic energy $(E_{\rm k})$.

The ball has a mass of 100 grams.

Complete the labels for the diagram below to show the energy changes as the ball is dropped. (a) Assume that the gravitational potential energy is changed **only** into kinetic energy.



At the top:

$$E_{\rm p} = 0.2 \, \text{J}$$
 $E_{\rm k} = 0 \, \text{J}$

$$E_{\nu} = 0$$
 J

Halfway:

77777777777777

Just before it hits the floor: $E_p = \underline{\qquad} E_k = \underline{\qquad}$

The teacher tells the students that the ball will be travelling at 2 m s⁻¹ just before it hits the (b) floor. The students are asked to predict the speed of the ball halfway down from three options:

Option 1: The speed is **less** than 1 m s^{-1} .

Option 2: The speed is **equal** to 1 m s^{-1} .

Option 3: The speed is **greater** than 1 m s^{-1} .

State the correct option, explain your answer, and support your answer using energy calculations.

You may assume conservation of energy.

C āor	e e hiahiatia he tātaitanga.
	vhakautu me:
	whakaahua i ngā huringa pūngao katoa ka pā mai i te takanga o te pōro
	whakamārama he aha te take ka pōturi ake te tere i te 2 m s ⁻¹ nā ngā huringa pūngao.
	manamana ne ana te take na potan ane te tere i te 2 m s na nga na nga pangae.

ln y	your answer you should:
•	describe all the energy changes that occur as the ball falls
•	explain why the energy changes mean the speed is slower than 2 m s ⁻¹ .

PĀTAI TUATORU: TE HIKI POUAKA

MĀ TE
KAIMĀKA
ANAKE

He 2500 kirokaramu te papatipu o tētahi pouaka i roto i tētahi whare putunga.

a)	Whakamāramahia mai te rerekētanga i waenga i	te taumaha me te papatipu.
b)	Tātaihia te taumaha o te pouaka.	
mit ae.	īkina ake te pouaka e tētahi mīhini hiki kia ta ki runga tonu kia utaina atu ai ki tētahi Ka pau te 5 hēkona te pouaka te hiki i te ga aumoa.	He tapu tēnei rauemi. E kore taea te tuku atu. Aata tirohia ki ngā kupu kei raro iho i te pouaka nei.
c)	Tātaihia te mahi ka oti i te hikinga ake o te pouaka ki te 4 m te teitei, kātahi ka tātai i te kaha e hiahiatia ana e te mīhini hiki kia hīkina ai ki tēnei teitei. Mahi:	http://www.123rf.com/stock-photo/
	Kaha:	

17	
STION THREE: LIFTING BOXES	
x in a warehouse has a mass of 2500 kg.	
Explain the difference between weight and mass.	
Calculate the weight of the box.	
be placed on a shelf. It takes 5 seconds to lift	For copyright reasons, this resource cannot be
Calculate the work done to lift the box to the height of 4 m, and then calculate the power needed by the forklift to lift it to this height. Work:	http://www.123rf.com/stock-photo/
	Estion three: Lifting Boxes x in a warehouse has a mass of 2 500 kg. Explain the difference between weight and mass. Calculate the weight of the box. cklift lifts the box 4 metres straight up so it be placed on a shelf. It takes 5 seconds to lift ox at a constant rate. Calculate the work done to lift the box to the height of 4 m, and then calculate the power needed by the forklift to lift it to this height.

Power: _

Whakamāramahia he pēhea te pānga ki te kaha e hiahiatia ana hei hiki i te pouaka mēnā ka pūruatia te tere o te hiki i te pouaka.				
tō whakautu me whai wl	hakaaro kı te pānga o te wh	nakatere ake ki te roa o te wā.		

Find the average speed of the box as it moves up to the 4 m high shelf.		
	xplain how the power needed to lift the box would be affected if the box was lifted at twice he speed.	
[r	n your answer you should consider how increased speed affects the time taken.	

PĀTAI TUAWHĀ: TE WHAKANGAHAU I ROTO I TE HUKAPAPA

MĀ TE KAIMĀKA ANAKE

Ka whakarite tētahi whānau kia haere ki tētahi papa hukapapa mō te rā. Ka rīhihia e te matua tētahi papareti huka māna me ētahi panuku huka mā tana tamāhine.

He tapu tēnei rauemi. E kore taea te tuku atu. Aata tirohia ki ngā kupu kei raro iho i te pouaka nei.

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Me kī he **tapawhā hāngai** te hanga o te papareti huka me te panuku huka.

He 80 kirokaramu te papatipu topū o te matua me te papareti huka.

(a) Tātaihia te pēhanga ka puta i te matua me te papareti huka i runga i te hukapapa.

Me whakauru ki tō whakautu he:

- tātaitainga horahanga
- tātaitanga o te pēhanga.

OUESTION	FOUR:	FUN IN TH	HE SNOW

A family decides to spend a day at a snow field. The father hires a snowboard for himself and a pair of skis for his daughter.

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Assume the snowboard and skis are rectangular in shape.

The father and snowboard have a combined mass of 80 kg.

(a) Calculate the pressure exerted by the father and snowboard on the snow.

Your answer should include:

- an area calculation
- a calculation of the pressure.

(b)	Ka kite te matua kua hōhonu ake te totohu haere o tana tamāhine i runga i ana panuku huka ki	M/ KAII
	roto i te hukapapa i a ia i runga i tana papareti huka.	AN
	He 58 kirokaramu te papatipu tōpū o te tamāhine me ngā panuku huka.	
	Whakamāramahia he aha i hōhonu ake ai te totohu o te tamāhine i runga i ana panuku huka ki roto i te hukarere tēnā i tana matua i runga i tana papareti huka.	
	I tō whakautu me:	
	• tātai i te pēhanga ka puta i te tāmahine me ana panuku huka i runga i te hukapapa	
	• whakataurite i te pēhanga ka puta i te tamāhine me te matua (mai i te wāhanga (a)) i runga i te hukapapa	
	• whakamārama i te rerekētanga pēhanga e pā ana ki te tōpana ME te horahanga	
	• whakamārama mai he pēhea te pānga o te pēhanga ki te hōhonu o te totohu o te tangata ki roto i te hukapapa.	

calculate the pressure exerted by the daughter and her skis on the snow compare the pressure exerted by the daughter and father (from part (a)) on the snow explain the difference in pressure in terms of force AND area						
In your answer you should: calculate the pressure exerted by the daughter and her skis on the snow compare the pressure exerted by the daughter and father (from part (a)) on the snow explain the difference in pressure in terms of force AND area						
compare the pressure exerted by the daughter and father (from part (a)) on the snow explain the difference in pressure in terms of force AND area	Explain why the daughter on her skis sinks further into the snow than her father on his snowboard.					
compare the pressure exerted by the daughter and father (from part (a)) on the snow explain the difference in pressure in terms of force AND area						
explain the difference in pressure in terms of force AND area						
explain how pressure relates to how far the person will sink in the snow.						

		He puka anō mēnā ka hiahiatia.	
TAU PĀTAI		Tuhia te (ngā) tau pātai mēnā e hāngai ana.	
PATAI			

		Extra paper it required.	
OUESTION		Write the question number(s) if applicable.	
QUESTION NUMBER		Time the question number (e) in approach	

English translation of the wording on the front cover

Level 1 Science, 2013

90940 Demonstrate understanding of aspects of mechanics

9.30 am Monday 18 November 2013 Credits: Four

Achievement	Achievement with Merit	Achievement with Excellence
Demonstrate understanding of aspects of mechanics.	Demonstrate in-depth understanding of aspects of mechanics.	Demonstrate comprehensive understanding of aspects of mechanics.

Check that the National Student Number (NSN) on your admission slip is the same as the number at the top of this page.

You should attempt ALL the questions in this booklet.

If you need more space for any answer, use the page(s) provided at the back of this booklet and clearly number the question.

Check that this booklet has pages 2–25 in the correct order and that none of these pages is blank.

YOU MUST HAND THIS BOOKLET TO THE SUPERVISOR AT THE END OF THE EXAMINATION.