HARREN HARREN FRENKRESTE

91524M



SUPERVISOR'S USE ONLY

QUALIFY FOR THE FUTURE WORLD KIA NOHO TAKATŪ KI TŌ ĀMUA AO!

Ahupūngao, Kaupae 3, 2017

91524M Te whakaatu māramatanga ki ngā pūhanga manawa

2.00 i te ahiahi Rāhina 20 Whiringa-ā-rangi 2017 Whiwhinga: Ono

Paetae	Kaiaka	Kairangi
Te whakaatu māramatanga ki ngā pūhanga manawa.	Te whakaatu māramatanga hōhonu ki ngā pūhanga manawa.	Te whakaatu māramatanga matawhānui ki ngā pūhanga manawa.

Tirohia mēnā e rite ana te Tau Ākonga ā-Motu (NSN) kei runga i tō puka whakauru ki te tau kei runga i tēnei whārangi.

Me whakamātau koe i ngā tūmahi KATOA kei roto i tēnei pukapuka.

Tirohia mēnā kei a koe te Pukapuka Rauemi L3-PHYSMR.

Ki roto i ō tuhinga, whakamahia ngā whiriwhiringa tohutau mārama, ngā kupu, ngā hoahoa hoki, tētahi, ētahi rānei o ēnei, ki hea hiahiatia ai.

Me hoatu te wae tika o te Pūnaha Waeine ā-Ao (SI) ki ngā tuhinga tohutau, ki ngā tau tika o ngā tau tāpua.

Mēnā ka hiahia whārangi atu anō mō ō tuhinga, whakamahia te wāhi wātea kei muri o tēnei pukapuka.

Tirohia mēnā e tika ana te raupapatanga o ngā whārangi 2–19 kei roto i tēnei pukapuka, ka mutu, kāore tētahi o aua whārangi i te takoto kau.

HOATU TE PUKAPUKA NEI KI TE KAIWHAKAHAERE HEI TE MUTUNGA O TE WHAKAMĀTAUTAU.

TAPEKE

TŪMAHI TUATAHI

MĀ TE KAIMĀKA ANAKE

E rua ngā kaipōkai tuarangi, a Syliva rāua ko Sam, e haere ana ki tētahi atu aorangi. I a rāua e haere ana ka "hīkoi ātea" rāua i waho i tō rāua waka ātea.

I tētahi wā kei te nekeneke haere noa rāua e ai ki te hoahoa i raro. Kātahi ka tuki ki a rāua anō, ā, kua piri tahi.

Sam (papatipu = 105 kg)

tere =
$$1.20 \text{ m s}^{-1}$$

Sylvia (papatipu =
$$95.0 \text{ kg}$$
) tere = 1.40 m s^{-1}

(a)	Tātaihia te tawhiti i waenga i a Sam me te papatipu waenga pū o te pūnaha i te wā e 4.80 m te
	tawhiti tētahi i tētahi o Sam rāua ko Sylvia.

(b)	Whakaahuahia mai ka ahatia te papatipu waenga pū o te pūnaha i te whakatatahanga atu o ngā
	kaipōkai tuarangi, ā, ka tuki rāua ki a rāua anō.

(c)	Tätaihia te tere huitahi o ngā kaipōkai tuarangi i muri i te tukinga.

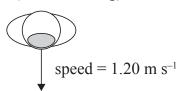
QUESTION ONE

ASSESSOR'S USE ONLY

Two astronauts, Sylvia and Sam, are on a mission to another planet. During their journey they are doing a "space walk" outside their spaceship.

At one time they are moving freely as shown in the diagram below. They collide and stick together.

Sam (mass = 105 kg)



Sylvia (mass =
$$95.0 \text{ kg}$$
)
speed = 1.40 m s^{-1}

(a)	Calculate the distance between Sam and the centre of mass of the system when he and Sylvia
	are 4.80 m apart.

(b)	Describe what happens to the centre of mass of the system as the astronauts move closer
(0)	together and then collide.

(c)) Calculate the astronauts' combined speed after they collide.	

	kī he porohitahita te āmionga. 5220 km te pūtoro o te aorangi.	5220 km
(i)	Tātaihia te papatipu o te aorangi.	
ii)	I te hokinga atu ki Papatūānuku, ka hipa i te waka ātea tētahi a aorangi. E whakaaturia ana te ara o te waka ātea ki te hoahoa raro nei.	
	Whakamāramahia he pēhea te huri o te tere o te waka ātea i te whakatatahanga atu ki te aorangi.	

Assı	ht of 351 km above the surface. ume the orbit is circular.		
The	planet has a radius of 5220 km.	5220 km	
i)	Calculate the mass of the planet.		_
			-
			-
			-
			_
			_
ii)	On the return journey to Earth, the spaceship goes past a different planet. The spaceship's path is shown in the diagram.		
ii)			
iii)	different planet. The spaceship's path is shown in the diagram. Explain how the spaceship's speed changes as it gets closer to)
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TŪMAHI TUARUA

MĀ TE KAIMĀKA ANAKE

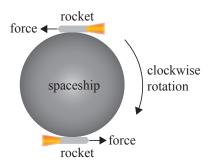
Ka hurihuri whakatekaraka te waka ātea o Sylvia rāua ko Sam ki tana tuaka i te wā e haere ana i te ātea. Ka taea e ngā kaipōkai tuarangi te tere koki o te waka ātea te huri mā te whakakā i ngā tākirirangi iti e rua e pātapa ana te mau e ai ki te whakaaturanga. Ka puta i ngā tākirirangi he tōpana whakahuri kōaro. Ko te tūpuku hurihuringa o te waka ātea he 5.80×10^4 kg m².



whakaterenga koki o te 2.00×10^{-2} rad s $^{-2}$.
He whakatekaraka te hurihuri o te waka ātea i te 0.580 rad s ⁻¹ ina whakakāhia ngā tākirirang
Tātaihia te tere koki o te waka ātea i muri i tētahi huringa kotahi.
Me kī he aumou te tōpana whakahuri ka puta i ngā tākirirangi.
Whakamāramahia mai ka ahatia te rahi o te whakaterenga koki i te whakaputanga haere o te kora e ngā tākirirangi.

QUESTION TWO

Sylvia and Sam's spaceship spins clockwise on its axis as it is moving through space. The astronauts can change the angular velocity of the spaceship by firing two small rockets that are mounted tangentially as shown. The rockets produce an anticlockwise torque. The rotational inertia of the spaceship is 5.80×10^4 kg m².



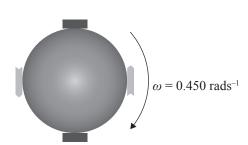
ASSESSOR'S USE ONLY

,	The spaceship is rotating clockwise at 0.580 rad s^{-1} when the rockets are fired.
(Calculate the angular speed of the spaceship after one rotation.
4	Assume that the torque produced by the rockets is constant.
	Explain what happens to the size of the angular acceleration as the rockets gradually emit burnt fuel.
-	

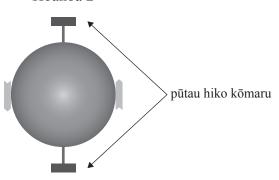
MĀ TE KAIMĀKA ANAKE

(d) Nāwai rā, ka hurihuri noa te waka ātea i te 0.450 rad s⁻¹ me te weto o ngā tākirirangi, e ai ki te Hoahoa 1. Kātahi ka whakaroahia ake ngā pūtau hiko kōmaru o te waka ātea, e piki ai te tūpuku hurihuri mā te 2.74×10^3 kg m².

Hoahoa 1



Hoahoa 2



(i) Whakamāramahia mai he aha i huri ai te wā hurihuri i te whakaroanga ake o ngā pūtau hiko kōmaru (Hoahoa 2).

(ii) Tātaihia te wā hurihuri i te whakaroanga whānuitanga o ngā pūtau hiko kōmaru.

ASSESSOR'S USE ONLY

(d) Some time later, the spaceship is rotating freely at 0.450 rad s^{-1} with the rockets turned off, as shown in Diagram 1. The spaceship's photo-voltaic cells are then extended out from the spaceship, causing the rotational inertia to increase by $2.74 \times 10^3 \text{ kg m}^2$.

Diagram 1

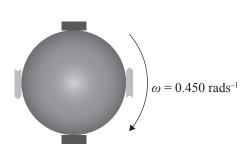
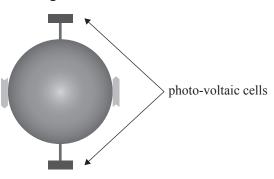


Diagram 2



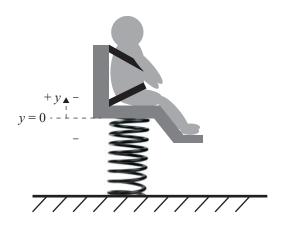
(i) Explain why the period of rotation changes as the photo-voltaic cells are extended (Diagram 2).

(ii) Calculate the period of rotation when the photo-voltaic cells are fully extended.

TŪMAHI TUATORU

MĀ TE KAIMĀKA ANAKE

Me āhei ngā kaipōkai tuarangi ki te ine auau i ō rātou papatipu kia taea ai ō rātou hauora te aroturuki. Ka taea e rātou tēnei mā te here ki tētahi tūru māmā te taumaha e mau ana ki tētahi pūnikoniko e ai ki te hoahoa i raro.



Ina peia a Sylvia mai i te tauritenga, he nekehanga hawarite m \bar{a} m \bar{a} tana k \bar{o} piupiu me te w \bar{a} o te 8.00 s. Ko te whakapae he r \bar{a} rangi te nekehanga.

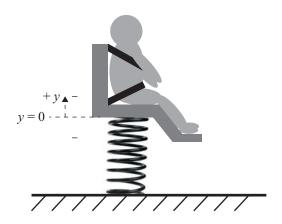
Ko te teitei o te kōp	iupiu o Sylvia he 0.120	m.	
	owhita whakatara, tētal e 0.080 m i runga ake i	ni atu tikanga rānei hei tā tana tūnga tauritenga.	tai i te wā poto rawa
			tai i te wā poto rawa
			tai i te wā poto rawa

Ki te hiahia koe ki te tātuhi anō i tō urupare, whakamahia te hoahoa i te whārangi 14.

QUESTION THREE

ASSESSOR'S USE ONLY

Astronauts need to be able to measure their mass regularly so that they can monitor their health. They can do this by being strapped on to a lightweight seat that is attached to a spring as shown in the diagram below.

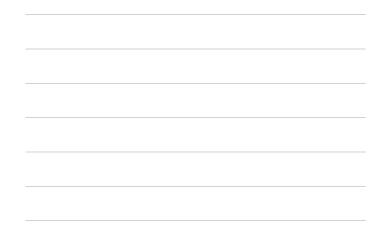


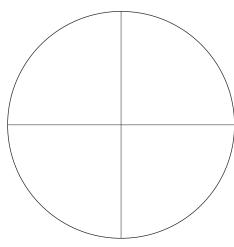
When Sylvia is displaced from equilibrium, she oscillates in simple harmonic motion with a period of 8.00 s. You may assume her motion is linear.

(a) Describe any changes in the size or direction of the restoring force as Sylvia moves away from equilibrium in the +y direction.

(b) The amplitude of Sylvia's oscillation is 0.120 m.

Use a reference circle or other method to calculate the shortest time it takes for Sylvia to move up 0.080 m from her equilibrium position.





If you need to redraw your response, use the diagram on page 15.

Ki te tuaka i raro, tātuhia he kauwhata e whakaatu ana i te tere o Sylvia ki te wā, ka tīmata (c) mai i te wā i tūtata rawa ia ki te papa. Me whakauru te uara o te tere mōrahi. 0.1 Tere (m s-1) Wā (s) 6 Ki te hiahia koe ki te tātuhi anō i tō urupare, -0.1whakamahia te tukutuku i te whārangi 14. (d) Hei tīmata i te kōpiupiu, ka hoatu e Sam he tōpana poutū o te 4.40 N ki a Sylvia. Nā tēnei tōpana he 0.120 m te tawhiti o te neke a Sylvia. Tātaihia te papatipu o Sylvia. Whakaahuahia mai ngā whakapae i puta i a koe hei whakamāmā i tō tātaitanga.

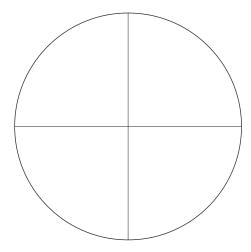
ASSESSOR'S USE ONLY

On the axis below, draw a graph showing Sylvia's velocity vs time, starting when she is (c) closest to the floor. Include the value of the maximum velocity. 0.1 Velocity (m s⁻¹) Time (s) If you need to redraw your -0.1response, use the grid on page 15. (d) To start the oscillation, Sam applies a vertical force of 4.40 N to Sylvia. This force causes Sylvia to move a distance of 0.120 m. Calculate Sylvia's mass. Describe any assumptions you have made to simplify your calculation.

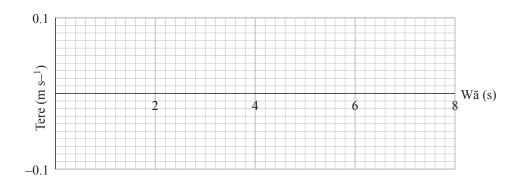
HE HOAHOA TĀPIRI

MĀ TE KAIMĀKA ANAKF

Ki te hiahia koe kia tuhia anō tō urupare ki te Tūmahi Tuatoru (b), tuhia ki te hoahoa i raro nei. Kia mārama te tohu ko tēhea te tuhinga ka hiahia koe kia mākahia.



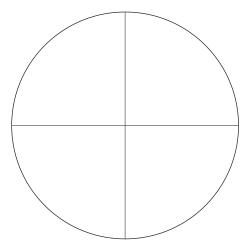
Ki te hiahia koe ki te tuhi anō i tō urupare mai i te Tūmahi Tuatoru (c), tuhia ki te tukutuku o raro. Kia mārama te tohu ko tēhea te tuhinga ka hiahia koe kia mākahia.



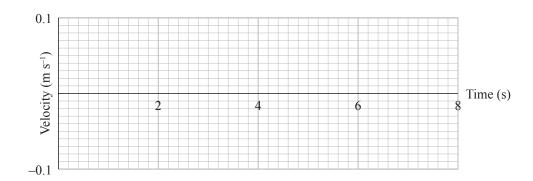
SPARE DIAGRAMS

ASSESSOR'S USE ONLY

If you need to redraw your response to Question Three (b), draw it on the diagram below. Make sure it is clear which answer you want marked.



If you need to redraw your response to Question Three (c), draw it on the grid below. Make sure it is clear which answer you want marked.



Tuhia te (ngā) tau tūmahi mēnā e tika ana.		He whārangi anō ki te hiahiatia.
	TAU TŪMAHI	Tuhia te (ngā) tau tūmahi mēnā e tika ana.

	Extra paper if required.	ASSESSOR'S
QUESTION NUMBER	Write the question number(s) if applicable.	USE ONLY
NUMBER		1

TAU TŪMAHI	He whārangi anō ki te hiahiatia. Tuhia te (ngā) tau tūmahi mēnā e tika ana.	ŀ
'		

		Extra paper if required.	
UESTION		Write the question number(s) if applicable.	
QUESTION NUMBER		(с) и орринения	

ASSESSOR'S USE ONLY

English translation of the wording on the front cover

Level 3 Physics, 2017

91524 Demonstrate understanding of mechanical systems

2.00 p.m. Monday 20 November 2017 Credits: Six

Achievement	Achievement with Merit	Achievement with Excellence
Demonstrate understanding of mechanical systems.	Demonstrate in-depth understanding of mechanical systems.	Demonstrate comprehensive understanding of mechanical systems.

Check that the National Student Number (NSN) on your admission slip is the same as the number at the top of this page.

You should attempt ALL the questions in this booklet.

Make sure that you have Resource Booklet L3-PHYSR.

In your answers use clear numerical working, words, and/or diagrams as required.

Numerical answers should be given with an SI unit, to an appropriate number of significant figures.

If you need more room for any answer, use the extra space provided at the back of this booklet.

Check that this booklet has pages 2–19 in the correct order and that none of these pages is blank.

YOU MUST HAND THIS BOOKLET TO THE SUPERVISOR AT THE END OF THE EXAMINATION.