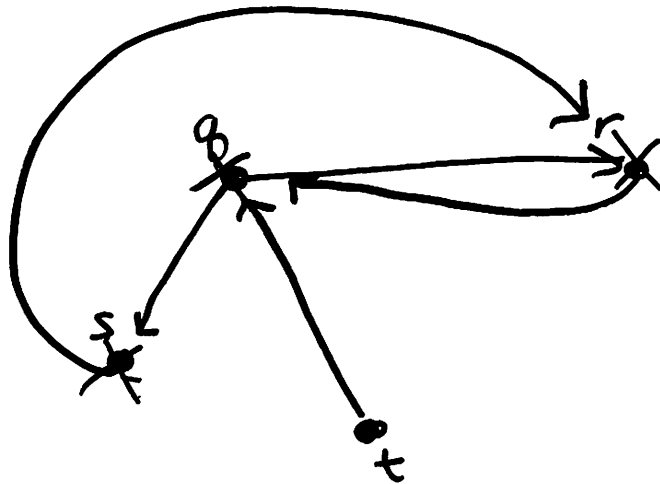


G :



Problem: Is there a path from s to t ?

1. $A = \{ \langle G, s, t \rangle \mid G \text{ is a D.G. that has a path from } s \text{ to } t \}$

2. $M =$ " 1. Place mark on node s
 2. Repeat until there are no nodes that can be marked
 3. \rightarrow Scan all edges of G . If (a, b) exists where a is marked and b is not, mark b .
 4. If t is marked, accept.
 If t is not marked, reject.

3. Argue that M computes in polynomial time.

m = number of nodes e = number of edges

- Step 1 is one operation
- Step 4 is one operation
- Steps 2+3 $m \times e$

$$1 + 1 + m \times e$$

$$n = |\langle G, s, t \rangle|$$

m : number of nodes e = num edges

n is impacted by m and e

~~nodes~~

$$\frac{1 + 1 + m + e}{\text{Size of input}} = O(2 + n^2) = O(n^2)$$