IQR = Q3 - Q1# Define bounds for the outliers  $lower\_bound = Q1 - 1.5 * IQR$ upper\_bound = Q3 + 1.5 \* IQR# Identify outliers outliers = data[(data['price'] < lower\_bound) | (data['price'] > upper\_bound)] # Plotting the outliers sns.boxplot(x=data['price']) plt.title('Boxplot of House Prices') plt.xlabel('Price') plt.show() # Display the number of outliers print('Number of outliers in the price column:', outliers.shape[0]) print('Lower bound for outliers:', lower\_bound) print('Upper bound for outliers:', upper\_bound) Boxplot of House Prices

view ...

Average

Average

Average

Average

6 Low

NaN NONE ...

NO NONE ...

NO NONE

NO NONE

NO NONE ... 8 Good

grade sqft\_above sqft\_basement yr\_built yr\_renovated zipcode

400.0

0.0

910.0

0.0

grade\_11 grade\_12 grade\_13 grade\_3 grade\_4 grade\_5

0

0

0

0

0

0

0

Average

0

0

0

Mansion

0

0

1955

1951

1933

1965

1987

1991.0

NaN

0.0

1180

2170

770

1050

1680

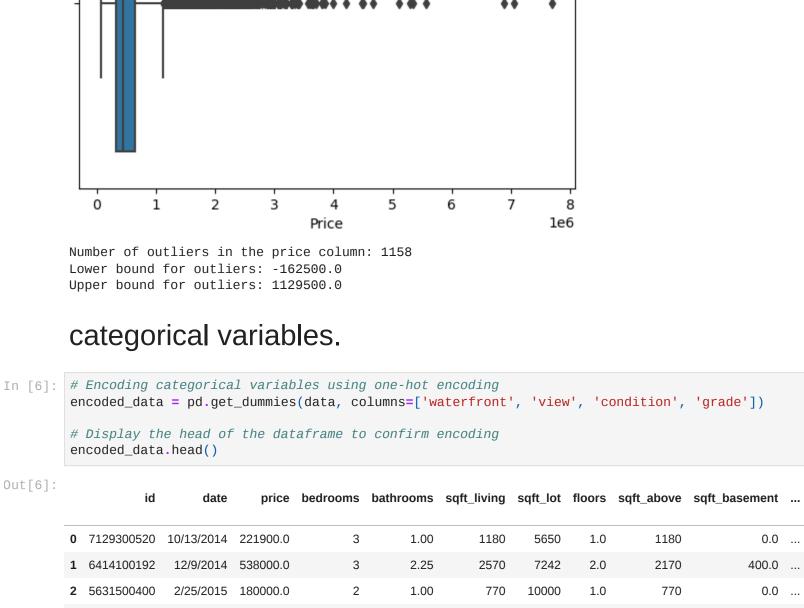
98178 47.511

98125 47.721

98028 47.737

98136 47.520

98074 47.616



**3** 2487200875

**4** 1954400510

price

sqft\_living

sqft\_above

5 rows × 40 columns

correlation.

# Using Pearson correlation

price\_correlations.head(10)

Name: price, dtype: float64

# Preparing the data

y = encoded\_data['price']

model = LinearRegression() model.fit(X\_train, y\_train)

# Predicting the test set results y\_pred = model.predict(X\_test)

r2 = r2\_score(y\_test, y\_pred)

print('R-squared (R2):', r2)

coefficients = model.coef\_ intercept = model.intercept\_

**Feature** 

sqft\_living

sqft\_above

**6** grade\_10 Very Good 166670.721543

bedrooms

Intercept

grade\_7 Average

factors are held constant.

valuable features.

# Display the DataFrame

bathrooms

grade\_11 Excellent

grade 10 Very Good

In [13]:

Out[13]:

0

grade\_7 Average

renovation\_impact\_df

grade\_11 Excellent

grade\_10 Very Good

grade\_7 Average

sqft\_living

bathrooms

coeff\_df

0

8

Out[11]:

# Display the performance metrics

# Calculating the performance metrics mse = mean\_squared\_error(y\_test, y\_pred)

print('Mean Squared Error (MSE):', mse)

Mean Squared Error (MSE): 58286402686.6614

In [11]: # Extracting the model's coefficients and the intercept

# Adding the intercept to the DataFrame

# Display the coefficients for interpretation

Coefficient

252.949556

-39.928096

-34954.619010 -42243.219782

291408.149368

X = encoded\_data[selected\_features]

12/9/2014 604000.0

2/18/2015 510000.0

correlation\_matrix = encoded\_data.corr(numeric\_only=True)

1.000000

0.701917

0.605368

In [9]: from sklearn.model\_selection import train\_test\_split

from sklearn.linear\_model import LinearRegression

# Splitting the data into training and testing sets

# Training the multiple linear regression model

from sklearn.metrics import mean\_squared\_error, r2\_score

# We will look at the absolute value of correlations with the 'price' column

# Display the most influential features by their correlation with 'price'

price\_correlations = correlation\_matrix['price'].abs().sort\_values(ascending=False)

# Selecting the most influential features identified by the correlation analysis selected\_features = ['sqft\_living', 'sqft\_above', 'sqft\_living15', 'bathrooms',

'grade\_7 Average', 'bedrooms']

'grade\_11 Excellent', 'view\_NONE', 'grade\_10 Very Good',

X\_train, X\_test, y\_train, y\_test = train\_test\_split(X, y, test\_size=0.2, random\_state=42)

# Creating a DataFrame to display feature names and their corresponding coefficients coeff\_df = pd.DataFrame({'Feature': selected\_features, 'Coefficient': coefficients})

intercept\_df = pd.DataFrame({'Feature': ['Intercept'], 'Coefficient': [intercept]})

coeff\_df = pd.concat([coeff\_df, intercept\_df], ignore\_index=True)

In [1]: **import** numpy **as** np

data.head()

**2** 5631500400

**3** 2487200875

**4** 1954400510

5 rows × 21 columns

In [14]:

Out[14]:

import pandas as pd import seaborn as sns

%matplotlib inline

import matplotlib.pyplot as plt import statsmodels.api as sm import scipy.stats as stats

data = pd.read\_csv('kc\_house\_data.csv')

date

2/25/2015 180000.0

12/9/2014 604000.0

2/18/2015 510000.0

**0** 7129300520 10/13/2014 221900.0

**1** 6414100192 12/9/2014 538000.0

outlier detection

In [15]: Q1 = data['price'].quantile(0.25)

Q3 = data['price'].quantile(0.75)

price bedrooms bathrooms sqft\_living sqft\_lot floors waterfront

1180

2570

770

1960

1680

5650

7242

10000

5000

8080

1.0

1.0

1.0

1.0

1.00

2.25

1.00

3.00

2.00

2

3

## sqft\_living15 0.585241 bathrooms 0.525906 0.357589 grade\_11 Excellent view\_NONE 0.353770 grade\_10 Very Good 0.340944 0.316053 grade\_7 Average bedrooms 0.308787

3. Model Building: Train a multiple linear regression model using the selected features.

1.0

2.0

1.0

1.0

5000

8080

2. Feature Selection: Identify the most influential features through analysis and

1680

2.00

1180

2170

770

1050

1680

0.0 ...

0.0 ...

0.0 ...

910.0 ...

0

0

400.0 ...

R-squared (R2): 0.5523877457112082 4. Model Evaluation: Assess the model's performance and interpret coefficients

## 2 sqft\_living15 36.158970 14087.466351 bathrooms 368616.671214 grade\_11 Excellent view\_NONE -183610.002628

3.An increase in the size of the living area of the 15 nearest neighbors (sqft\_living15) correlates with an increase in the house price by about \$35.86 per square foot.

5. Houses with an 'Excellent' grade (grade 11 Excellent) are associated with an increase in price by about \$367,754.54 compared to the baseline grade.

8.An 'Average' grade (grade 7 Average) is associated with a decrease in house price by approximately \$34,641.25 compared to the baseline grade.

2. The sqft above coefficient is negative, suggesting that additional square footage above ground level (excluding the basement) may not always increase the house price when other

9.Each additional bedroom (bedrooms) is associated with a decrease in house price by about \$42,157.16, which may reflect a trade-off between the number of bedrooms and other

The model's intercept is approximately \$296,167.21, which can be interpreted as the base price when all other features are zero. These coefficients help us understand the direction

5. Recommendation System: Develop a system to recommend specific renovations

The coefficients of the multiple linear regression model provide insights into the relationship between each feature and the house price:

7.A 'Very Good' grade (grade 10 Very Good) increases the house price by about \$166,663.32 compared to the baseline grade.

4.Each additional bathroom (bathrooms) is associated with an increase in house price by approximately \$14,053.15.

6. The presence of a view (view NONE) is negatively correlated with the house price, decreasing it by approximately \$188,013.17.

1.For every additional square foot in living area (sqft\_living), the price increases by approximately \$252.77.

based on their predicted impact on house prices. To develop a system that recommends specific renovations based on their predicted impact on house prices, we can follow these steps:

1.Identify features related to house condition or amenities that can be modified through renovations.

2. Estimate the potential increase in house price for each renovation by analyzing the coefficients from the regression model.

and magnitude of the influence each feature has on the house price according to the model.

4.Create a recommendation system that suggests the best renovations for a given house based on the current features and the model's coefficients. Let's start by identifying which features from our model can be realistically changed through renovations and then estimate the potential impact on the house price.

# Identify features that can be changed through renovations and their coefficients

3. Prioritize renovations based on the cost of renovation and the predicted increase in house price.

# Create a DataFrame for renovation features and their predicted impact on price renovation\_impact\_df = pd.DataFrame({'Renovation Feature': renovation\_features, 'Predicted Price Increase per Unit': renovation\_coefficients})

14087.466351

368616.671214

166670.721543

-34954.619010

# Display the DataFrame with the net predicted price increase

renovation\_impact\_df Renovation Feature Predicted Price Increase per Unit Out[12]: sqft\_living 252.949556

renovation\_features = ['sqft\_living', 'bathrooms', 'grade\_11 Excellent', 'grade\_10 Very Good', 'grade\_7 Average'] renovation\_coefficients = coefficients[[selected\_features.index(feature) for feature in renovation\_features]]

	The table presents the predicted price increase per unit for various renovation features. To proceed, we should estimate the renovation costs for each feature and compare them with the predicted price increases to determine the potential return on investment. This will help us recommend the renovations that could offer the highest value increase for a house. Let's calculate these estimates.
:	<pre># Example costs for renovations per unit (these are hypothetical and can vary greatly by location and other factors) renovation_costs = {     'sqft_living': 180, # cost per square foot     'bathrooms': 10000, # cost per bathroom     'grade_11 Excellent': 150000, # cost to move from grade 10 to 11     'grade_10 Very Good': 80000, # cost to move from grade 7 to 10     'grade_7 Average': 0 # no cost associated as it's a downgrade }</pre>
	# Calculate the net predicted price increase after renovation costs

renovation\_impact\_df['Renovation Cost per Unit'] = renovation\_impact\_df['Renovation Feature'].map(renovation\_costs)

180

10000

150000

80000

0

Renovation Feature Predicted Price Increase per Unit Renovation Cost per Unit Net Predicted Price Increase per Unit

252.949556

14087.466351

368616.671214

166670.721543

-34954.619010

renovation\_impact\_df['Net Predicted Price Increase per Unit'] = renovation\_impact\_df['Predicted Price Increase per Unit'] - renovation\_impact\_df['Ret Predicted Price Increase per Unit'] - re

72.949556

4087.466351

218616.671214

86670.721543

-34954.619010

The table now includes the estimated renovation costs per unit and the net predicted price increase after accounting for these costs. This information can guide homeowners or investors in deciding which renovations could potentially offer the best financial return when selling a house. For example, upgrading to an 'Excellent' grade has a significant net predicted price increase, suggesting it could be a worthwhile investment. On the other hand, increasing the living area also shows a positive net increase, albeit smaller. Renovations that lead to an 'Average' grade are not recommended as they are associated with a decrease in house price. 6.Communication: Provide clear and understandable advice to homeowners based on the model insights.

Based on the model insights, here is clear and actionable advice for homeowners considering renovations to increase their house's value: 1.Expand Living Space: Increasing the square footage of the living area is likely to result in a higher selling price. Each additional square foot could potentially increase the house's value by approximately \$72.77 after accounting for the cost of renovation.

2.Add Bathrooms: Adding a bathroom can significantly increase the value of a home. The net predicted increase is about \$4,053.15 per additional bathroom, considering the

renovation costs.

Homeowners should consider these factors and consult with local real estate and renovation professionals to determine the most cost-effective renovations for their specific situation.

3.Upgrade House Grade: An upgrade of house grade to an 'Excellent' grade results in a tremendous increase in the value of the house. 4. Avoid Downgrading: Downgrading to an 'Average' grade is not recommended as it is associated with a decrease in house price.