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About Keras

Getting started

Developer guides

Keras API reference

Code examples

Computer Vision

Natural Language Processing

Structured Data

Timeseries

Audio Data

Generative Deep Learning

Reinforcement Learning

Graph Data

Quick Keras Recipes

Why choose Keras?

Community & governance

Contributing to Keras

<u>KerasTuner</u>

KerasCV

<u>KerasNLP</u>

Deep Deterministic Policy Gradient

» Code examples / Reinforcement Learning / Deep Deterministic Policy Gradient (DDPG)

(DDPG)

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Search Keras documentation...

Description: Implementing DDPG algorithm on the Inverted Pendulum Problem.

Introduction

Deep Deterministic Policy Gradient (DDPG) is a model-free off-policy algorithm for learning continous actions.

It combines ideas from DPG (Deterministic Policy Gradient) and DQN (Deep Q-Network). It uses Experience Replay and slow-learning target networks from DQN, and it is based on DPG, which can operate over continuous action spaces.

This tutorial closely follow this paper - Continuous control with deep reinforcement learning

Problem

We are trying to solve the classic **Inverted Pendulum** control problem. In this setting, we can take only two actions: swing left or swing right.

What make this problem challenging for Q-Learning Algorithms is that actions are **continuous** instead of being **discrete**. That is, instead of using two discrete actions like -1 or +1, we have to select from infinite actions ranging from -2 to +2.

Quick theory

Just like the Actor-Critic method, we have two networks:

- 1. Actor It proposes an action given a state.
- 2. Critic It predicts if the action is good (positive value) or bad (negative value) given a state and an action.

DDPG uses two more techniques not present in the original DQN:

First, it uses two Target networks.

Why? Because it add stability to training. In short, we are learning from estimated targets and Target networks are updated slowly, hence keeping our estimated targets stable.

Conceptually, this is like saying, "I have an idea of how to play this well, I'm going to try it out for a bit until I find something better", as opposed to saying "I'm going to re-learn how to play this entire game after every move". See this StackOverflow answer.

Second, it uses Experience Replay.

We store list of tuples (state, action, reward, next_state), and instead of learning only from recent experience, we learn from sampling all of our experience accumulated so far.

Now, let's see how is it implemented.

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```
import gym
import tensorflow as tf
from tensorflow.keras import layers
import numpy as np
import matplotlib.pyplot as plt
```

We use OpenAlGym to create the environment. We will use the upper_bound parameter to scale our actions later.

```
problem = "Pendulum-v1"
env = gym.make(problem)

num_states = env.observation_space.shape[0]
print("Size of State Space -> {}".format(num_states))
num_actions = env.action_space.shape[0]
print("Size of Action Space -> {}".format(num_actions))

upper_bound = env.action_space.high[0]
lower_bound = env.action_space.low[0]

print("Max Value of Action -> {}".format(upper_bound))
print("Min Value of Action -> {}".format(lower_bound))
```

```
Size of State Space -> 3
Size of Action Space -> 1
Max Value of Action -> 2.0
Min Value of Action -> -2.0
```

To implement better exploration by the Actor network, we use noisy perturbations, specifically an **Ornstein-Uhlenbeck process** for generating noise, as described in the paper. It samples noise from a correlated normal distribution.

```
class OUActionNoise:
   def __init__(self, mean, std_deviation, theta=0.15, dt=1e-2, x_initial=None):
       self.theta = theta
       self.mean = mean
       self.std\_dev = std\_deviation
       self.dt = dt
       self.x_initial = x_initial
       self.reset()
   def __call__(self):
       # Formula taken from https://www.wikipedia.org/wiki/Ornstein-Uhlenbeck_process.
           self.x_prev
           + self.theta * (self.mean - self.x_prev) * self.dt
           + self.std_dev * np.sqrt(self.dt) * np.random.normal(size=self.mean.shape)
       self.x_prev = x
   def reset(self):
       if self.x_initial is not None:
           self.x_prev = self.x_initial
       else:
           self.x_prev = np.zeros_like(self.mean)
```

The Buffer class implements Experience Replay.

- ⊳ <u>Problem</u>
- □ Training hyperparameters

```
Algorithm 1 DDPG algorithm
```

```
Randomly initialize critic network Q(s,a|\theta^Q) and actor \mu(s|\theta^\mu) with weights \theta^Q and \theta^\mu.
Initialize target network Q' and \mu' with weights \theta^{Q'} \leftarrow \theta^{Q}, \theta^{\mu'} \leftarrow \theta^{\mu}
Initialize replay buffer R
for episode = 1, M do
Initialize a random process N for action exploration
     Receive initial observation state s_1
     for t = 1. T do
          Select action a_t = \mu(s_t|\theta^{\mu}) + \mathcal{N}_t according to the current policy and exploration noise
          Execute action a_t and observe reward r_t and observe new state s_{t+1}
          Execute action a_t and observe reward r_t and observe new state s_{t+1} Store transition (s_t, a_t, r_t, s_{t+1}) in R Sample a random minibatch of N transitions (s_i, a_i, r_i, s_{i+1}) from R Set y_i = r_i + \gamma Q'(s_{i+1}, \mu'(s_{i+1}|\theta^{\mu'})|\theta^{Q'}) Update critic by minimizing the loss: L = \frac{1}{N} \sum_i (y_i - Q(s_i, a_i|\theta^Q))^2 Update the actor policy using the sampled policy gradient:
                                          \nabla_{\theta^{\mu}} J \approx \frac{1}{N} \sum_{i} \nabla_{a} Q(s, a | \theta^{Q})|_{s=s_{i}, a=\mu(s_{i})} \nabla_{\theta^{\mu}} \mu(s | \theta^{\mu})|_{s_{i}}
          Update the target networks:
                                                                          \theta^{Q'} \leftarrow \tau \theta^Q + (1 - \tau)\theta^{Q'}
                                                                            \theta^{\mu'} \leftarrow 	au \theta^{\mu} + (1 - 	au) \theta^{\mu'}
     end for
```

Critic loss - Mean Squared Error of y - Q(s, a) where y is the expected return as seen by the Target network, and Q(s, a) is action value predicted by the Critic network. y is a moving target that the critic model tries to achieve; we make this target stable by updating the Target model slowly.

Actor loss - This is computed using the mean of the value given by the Critic network for the actions taken by the Actor network. We seek to maximize this quantity.

Hence we update the Actor network so that it produces actions that get the maximum predicted value as seen by the Critic, for a given state.

Deep Deterministic Policy Gradient (DDPG)

- ► Introduction
- ⊳ <u>Problem</u>
- ► <u>Training hyperparameters</u>

```
def __init__(self, buffer_capacity=100000, batch_size=64):
       self.buffer_capacity = buffer_capacity
       # Num of tuples to train on.
       self.batch_size = batch_size
       self.buffer counter = 0
       self.state_buffer = np.zeros((self.buffer_capacity, num_states))
       self.action_buffer = np.zeros((self.buffer_capacity, num_actions))
       self.reward_buffer = np.zeros((self.buffer_capacity, 1))
       self.next_state_buffer = np.zeros((self.buffer_capacity, num_states))
   def record(self, obs_tuple):
       # Set index to zero if buffer_capacity is exceeded,
       # replacing old records
       index = self.buffer_counter % self.buffer_capacity
       self.state_buffer[index] = obs_tuple[0]
       self.action_buffer[index] = obs_tuple[1]
self.reward_buffer[index] = obs_tuple[2]
       self.next_state_buffer[index] = obs_tuple[3]
       self.buffer_counter += 1
   # Eager execution is turned on by default in TensorFlow 2. Decorating with
   # TensorFlow to build a static graph out of the logic and computations in our
   # This provides a large speed up for blocks of code that contain many small
TensorFlow operations such as this one.
   @tf.function
   def update(
       self, state_batch, action_batch, reward_batch, next_state_batch,
       # Training and updating Actor & Critic networks.
       with tf.GradientTape() as tape:
           target_actions = target_actor(next_state_batch, training=True)
           y = reward_batch + gamma * target_critic(
               [next_state_batch, target_actions], training=True
           critic_value = critic_model([state_batch, action_batch], training=True)
           critic_loss = tf.math.reduce_mean(tf.math.square(y - critic_value))
       critic_grad = tape.gradient(critic_loss, critic_model.trainable_variables)
       critic_optimizer.apply_gradients(
           zip(critic_grad, critic_model.trainable_variables)
       with tf.GradientTape() as tape:
           actions = actor_model(state_batch, training=True)
           critic_value = critic_model([state_batch, actions], training=True)
           # Used `-value` as we want to maximize the value given
           actor_loss = -tf.math.reduce_mean(critic_value)
       actor_grad = tape.gradient(actor_loss, actor_model.trainable_variables)
       actor_optimizer.apply_gradients(
           zip(actor_grad, actor_model trainable_variables)
   # We compute the loss and update parameters
   def learn(self):
       # Get sampling range
       record_range = min(self.buffer_counter, self.buffer_capacity)
       # Randomly sample indices
       batch_indices = np.random.choice(record_range, self.batch_size)
       # Convert to tensors
       state_batch = tf.convert_to_tensor(self.state_buffer[batch_indices])
       action_batch = tf.convert_to_tensor(self.action_buffer[batch_indices])
       reward_batch = tf.convert_to_tensor(self.reward_buffer[batch_indices])
       reward_batch = tf.cast(reward_batch, dtype=tf.float32)
       next_state_batch = tf.convert_to_tensor(self.next_state_buffer[batch_indices])
       self.update(state_batch, action_batch, reward_batch, next_state_batch)
```

- ▶ Problem
- ► <u>Training hyperparameters</u>

```
# This update target parameters slowly
# Based on rate `tau`, which is much less than one.
@tf.function
def update_target(target_weights, weights, tau):
    for (a, b) in zip(target_weights, weights):
        a.assign(b * tau + a * (1 - tau))
```

Here we define the Actor and Critic networks. These are basic Dense models with ReLU activation.

Note: We need the initialization for last layer of the Actor to be between -0.003 and 0.003 as this prevents us from getting 1 or -1 output values in the initial stages, which would squash our gradients to zero, as we use the tanh activation.

```
def get_actor():
    # Initialize weights between -3e-3 and 3-e3
   last_init = tf.random_uniform_initializer(minval=-0.003, maxval=0.003)
   inputs = layers.Input(shape=(num_states,))
   out = layers.Dense(256, activation="relu")(inputs)
   out = layers.Dense(256, activation="relu")(out)
   outputs = layers.Dense(1, activation="tanh", kernel_initializer=last_init)(out)
   outputs = outputs * upper_bound
   model = tf.keras.Model(inputs, outputs)
   return model
def get_critic():
   state_input = layers.Input(shape=(num_states))
    state_out = layers.Dense(16, activation="relu")(state_input)
   state_out = layers.Dense(32, activation="relu")(state_out)
   action_input = layers.Input(shape=(num_actions))
   action_out = layers.Dense(32, activation="relu")(action_input)
   concat = layers.Concatenate()([state_out, action_out])
   out = layers.Dense(256, activation="relu")(concat)
   out = layers.Dense(256, activation="relu")(out)
   outputs = layers.Dense(1)(out)
   model = tf.keras.Model([state_input, action_input], outputs)
   return model
```

policy() returns an action sampled from our Actor network plus some noise for exploration.

```
def policy(state, noise_object):
    sampled_actions = tf.squeeze(actor_model(state))
    noise = noise_object()
    # Adding noise to action
    sampled_actions = sampled_actions.numpy() + noise

# We make sure action is within bounds
    legal_action = np.clip(sampled_actions, lower_bound, upper_bound)

return [np.squeeze(legal_action)]
```

Training hyperparameters

- ⊳ <u>Problem</u>
- □ Training hyperparameters

```
td dev
ou_noise = OUActionNoise(mean=np.zeros(1), std_deviation=float(std_dev) * np.ones(1))
actor_model = get_actor()
critic_model = get_critic()
target_actor = get_actor()
target_critic = get_critic()
# Making the weights equal initially
target_actor.set_weights(actor_model.get_weights())
target_critic.set_weights(critic_model.get_weights())
critic_lr = 0.002
actor_lr = 0.001
critic_optimizer = tf.keras.optimizers.Adam(critic_lr)
actor_optimizer = tf.keras.optimizers.Adam(actor_lr)
total_episodes = 100
gamma = 0.99
# Used to update target networks
tau = 0.005
buffer = Buffer(50000, 64)
```

Now we implement our main training loop, and iterate over episodes. We sample actions using policy() and train with learn() at each time step, along with updating the Target networks at a rate tau.

```
To store reward history of each episode
ep_reward_list = []
avg_reward_list = []
 Takes about 4 min to train
for ep in range(total_episodes):
   prev_state = env.reset()
    episodic_reward = 0
   while True:
        # But not in a python notebook.
        # env.render()
        tf_prev_state = tf.expand_dims(tf.convert_to_tensor(prev_state), 0)
       action = policy(tf_prev_state, ou_noise)
        state, reward, done, info = env.step(action)
        buffer record((prev_state, action, reward, state))
        episodic_reward += reward
        buffer.learn()
        update_target(target_actor.variables, actor_model.variables, tau)
        update_target(target_critic.variables, critic_model.variables, tau)
        # End this episode when `done` is True
        if done:
           break
        prev_state = state
   ep_reward_list.append(episodic_reward)
    # Mean of last 40 episodes
   avg_reward = np.mean(ep_reward_list[-40:])
    print("Episode * {} * Avg Reward is ==> {}".format(ep, avg_reward))
   avg_reward_list.append(avg_reward)
# Plotting graph
 Episodes versus Avg. Rewards
plt.plot(avg_reward_list)
plt.xlabel("Episode")
plt.ylabel("Avg. Epsiodic Reward")
plt.show()
```

- ▶ Problem
- □ Training hyperparameters