

# Verificare Formală

## Prezentare Generală

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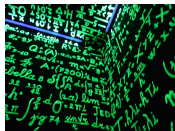
Bazat pe suportul de curs: *Satisfiability Checking (Erika Ábrahám), RTWH Aachen*

Bazat pe cartile: (1) *The calculus of computation* - Z. Manna, A. Bradley; (2) *Decision Procedures - An algorithmic Point of View* - D. Kroening, O. Strichman

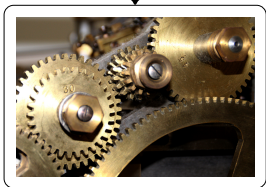
WS 2023/2024

Vezi Fisa Disciplinei

# Despre ce este acest curs?



Formula fara cuantificatori logici  
(Quantifier-free logical formula)



Rezolvitor (Solver)

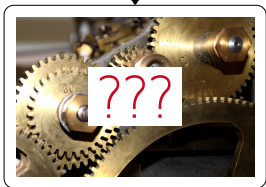


Satisfiability of the input formula  
(Satisfiabilitatea formulei de intrare)

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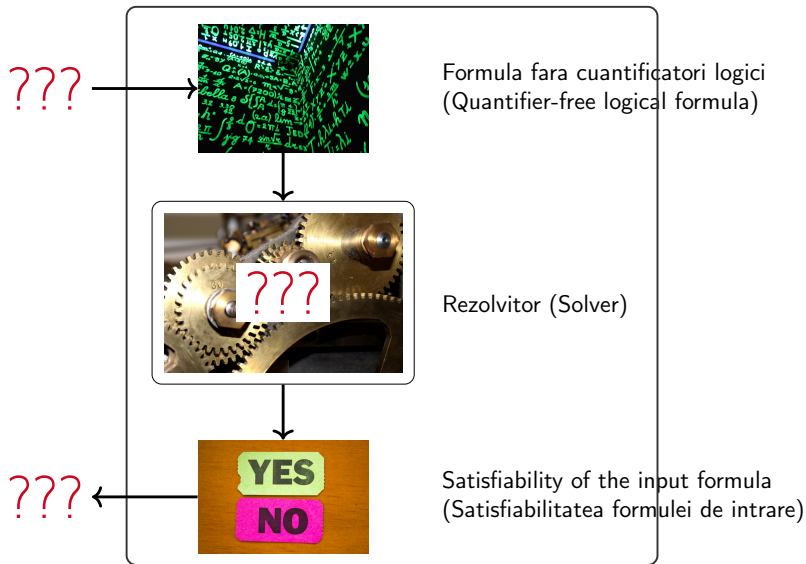


## Rezolvitor (Solver)



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## Problema de satisfiabilitate (SAT) pentru logica propozitiilor

Dandu-se o **formula** care combina **propozitii atomice** folosind **operatorii booleni** "si" ( $\wedge$ ), "sau" ( $\vee$ ) si "nu" ( $\neg$ ), decideti daca exista valori de adevar pentru atomii din formula astfel incat formula **se evalueaza la adevarat**.

### Example

Formula:  $(a \vee \neg b) \wedge (\neg a \vee b \vee c)$   
Atribuire pt. satisfiabilitate:  $a = \text{true}, \quad b = \text{false}, \quad c = \text{true}$   
(satisfying assignment):

Este probabil cea mai cunoscuta problema NP-completa [Cook, 1971] [Levin, 1973].

## ...si extinderea sa la teorii

### Problema de satisfiabilitate in teorii logice (satisfiability modulo theory) (definitie informala)

Dandu-se o combinatie booleana de **constrangeri din anumite teorii**, decideti daca putem inlocui valorile pentru variabilele din teorie astfel incat formula sa fie evaluata ca fiind adevarata (SAT).

### Un exemplu aritmetic real neliniar

Formula:  $\exists_x (x^2 + 1 \geq 0 \wedge x < 0)$

Satisfying assignment:  $x = -1$

Probleme grele ... aritmetica intreaga neliniara este chiar indecidabila.

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  - A **structure** for a logical system gives **meaning (semantics)** to the formulas.  
O **structură** pentru un sistem logic dă **semnificație (semantica)** formulelor.
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- Proprietăți importante ale sistemelor logice:
  - **consistență**
  - **corectitudine (soundness)**
  - **completitudine (completeness)**

# Viziune istorica asupra logicii

Dezvoltarea istorica porneste de la:

logica **informala** (argumente de limbaj natural) *pana la*

logica **formala** (argumente de limbaj formal)

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- logica filosofica
  - de la 500 BC pana in secolul al-19-lea
- logica simbolica
  - mijlocul pana spre sfarsitul secolului al-19-lea
- logica matematica
  - sfarsitul secolului al-19-lea pana la mijlocul secolului al-20-lea
- **logica in informatica**

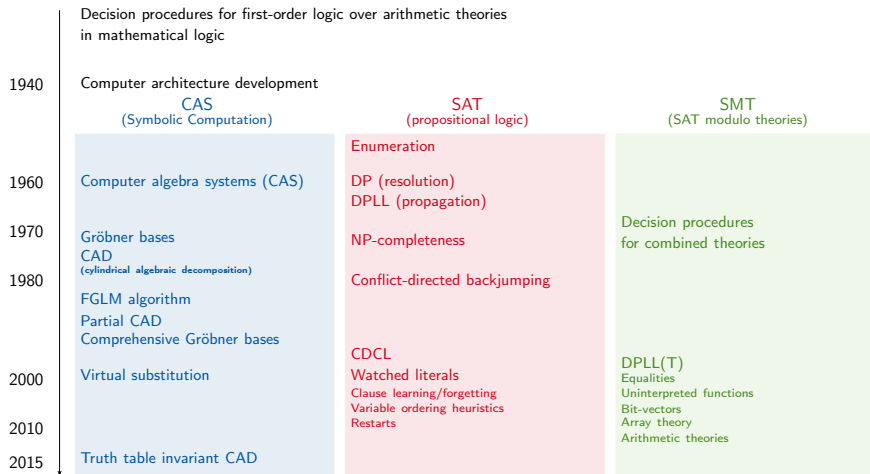
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- logica propozitionala – fundamentul calculatoarelor si circuitelor
- baze de date – limbaje de interogare (query languages)
- limbaje de prgramare (de exemplu, Prolog)
- specificare si verificare
- ...

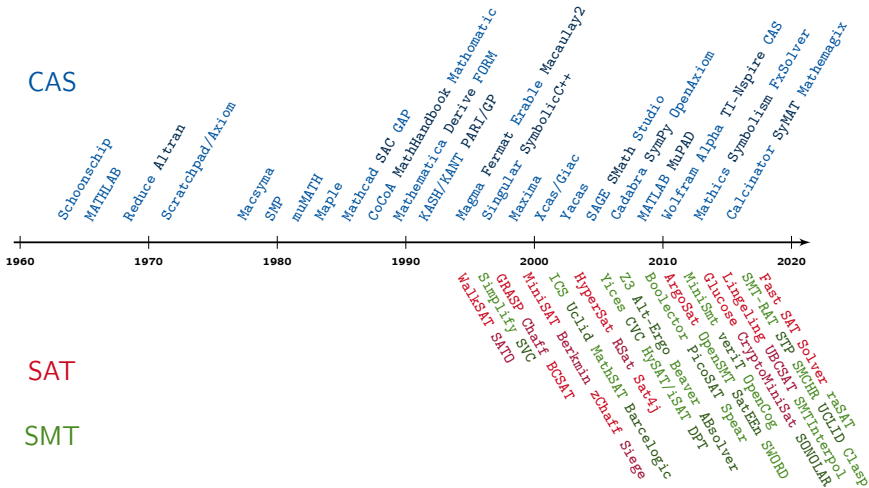
- logica propozitionala
- logica predicatelor de ordinul 1 (first order logic)
- logica predicatelor de ordin superior (higher order logic)
- logica temporala (temporal logic)
- ...

# Verificarea satisfiabilitatii: Cateva repere





Verificarea satisfiabilitatii: Dezvoltarea instrumentelor (lista nu este exhaustiva)



# Verificarea satisfiabilitatii pentru logica propozitionala

Poveste de succes: Rezolvarea satisfiabilitatii problemelor SAT-solving

- Problemele practice cu milioane de variabile sunt rezolvabile.
- Utilizat frecvent in diferite domenii de cercetare pentru, de exemplu, analiza, sinteza si optimizare.
- De asemenea, este utilizat in mod frecvent in industrie pentru, de exemplu, proiectarea si verificarea circuitelor digitale.

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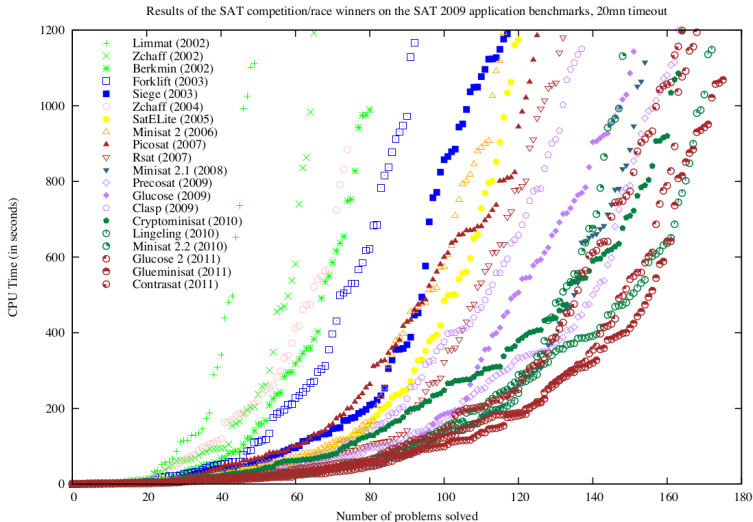
Suport din comunitate:

- Limbaj de intrare standardizat, multe benchmarkuri disponibile.
- Competitii din 2002.

Competitia SAT 2016: 6 curse (track), 29 solve in cursa principala.

Forumul SAT Live! este o platforma a comunitatii dedicata conferintelor, jurnalelor, etc.

# Impresia asupra dezvoltarii domeniului SAT



Sursa: Jarvisalo, Le Berre, Roussel, Simon. *The International SAT Solver Competitions*. AI Magazine, 2012.

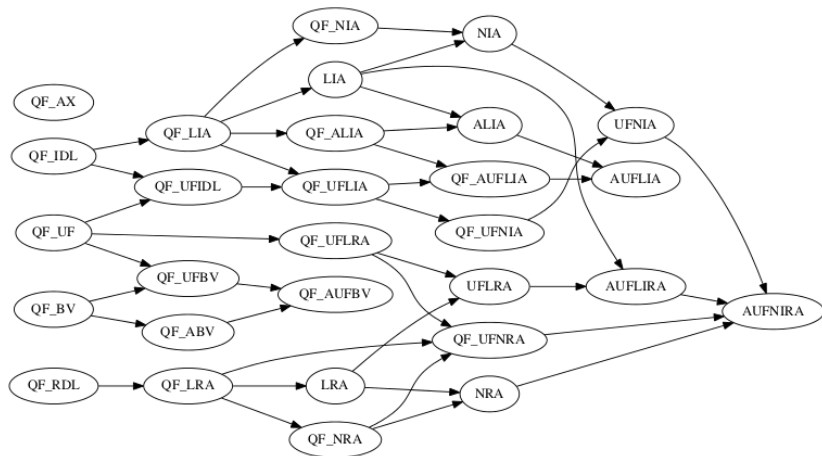
# Rezolvarea satisfiabilitatii in teorii (Satisfiability modulo theories solving)

- Logica propozitionala este uneori prea inexpresiva pentru modelare.
- Avem nevoie de o **logica** mai expresiva si de **proceduri de decizie** (decision procedures, algorithms) pentru acestea.
- Tipuri de logica:  
fragmente de logica predicatelor de ordinul 1 fara cuantificatori logici  
(quantifier-free fragments of first-order logic over various theories).
- Focusul nostru: SAT-modulo-theories (SMT) solving.

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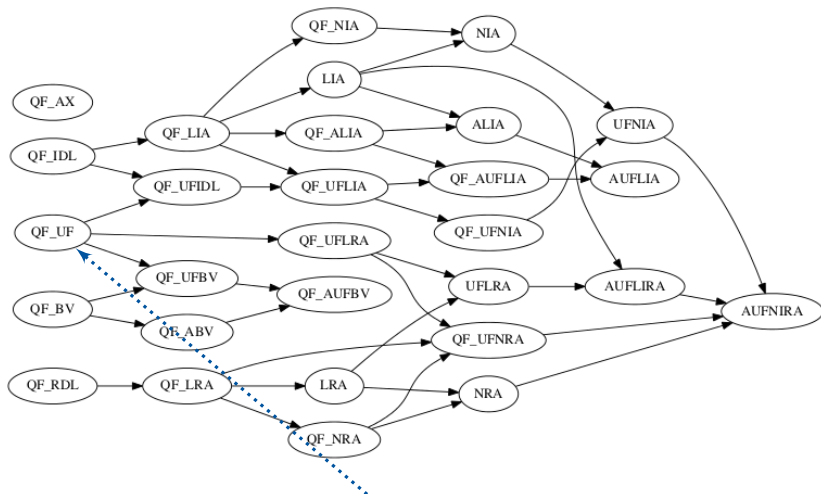
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- Tipuri de logica:
  - fragmente de logica predicatelor de ordinul 1 fara cuantificatori logici (quantifier-free fragments of first-order logic over various theories).
- Focusul nostru: **SAT-modulo-theories (SMT) solving**.
- **SMT-LIB** ca limbaj de intrare standard since 2004.
- **Competitii** din 2005.
- competitia **SMT-COMP 2016**:
  - 4 curse (tracks), 41 teorii logice.
  - **logica reala liniara fara cuantificatori logici (QF linear real arithmetic)**: 7 + 2 solve, 1626 benchmarks.
  - **logica intreaga liniara fara cuantificatori logici (QF linear integer arithmetic)**: 6 + 2 solve, 5839 benchmarks.
  - **logica reala neliniara fara cuantificatori logici (QF non-linear real arithmetic)**: 5 + 1 solve, 10245 benchmarks.
  - **logica intreaga neliniara fara cuantificatori logici (QF non-linear integer arithmetic)**: 7 + 1 solve, 8503 benchmarks.

## Teorii care se regasesc in SMT-LIB



**Source:** <http://smtlib.cs.uiowa.edu/logics.shtml>

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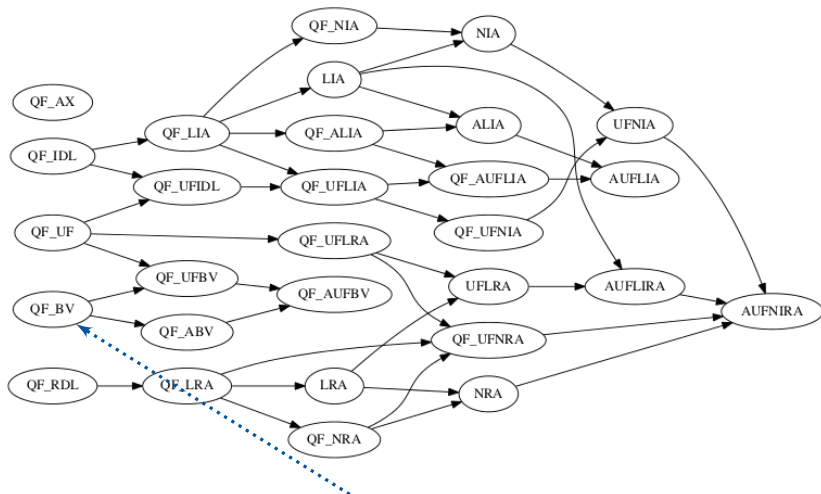


Quantifier-free equality logic with uninterpreted functions  
 $(a = c \wedge b = d) \rightarrow f(a, b) = f(c, d)$

Source: <http://smtlib.cs.uiowa.edu/logics.shtml>



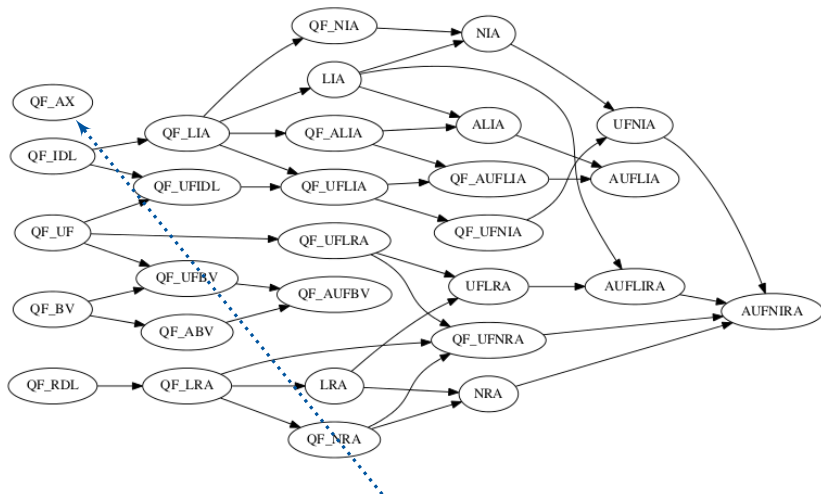
# Teorii care se regasesc in SMT-LIB



Quantifier-free bit-vector arithmetic  
 $a + b \geq 0 \wedge (a|b) \leq (a\&b)$

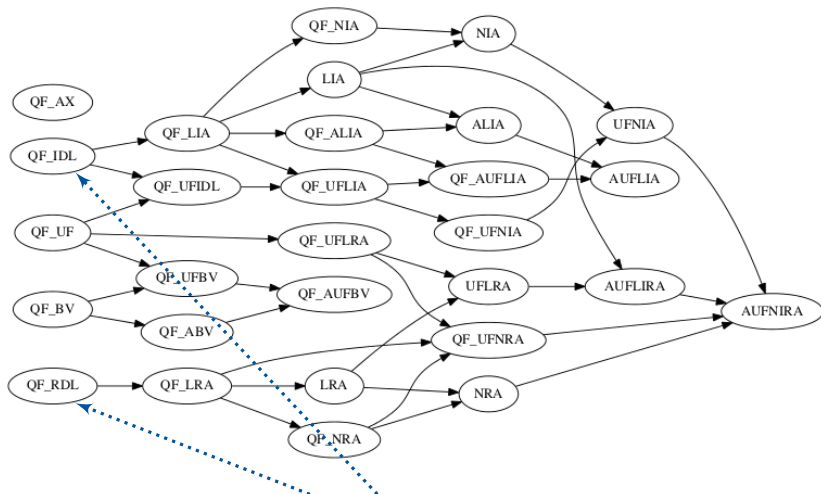
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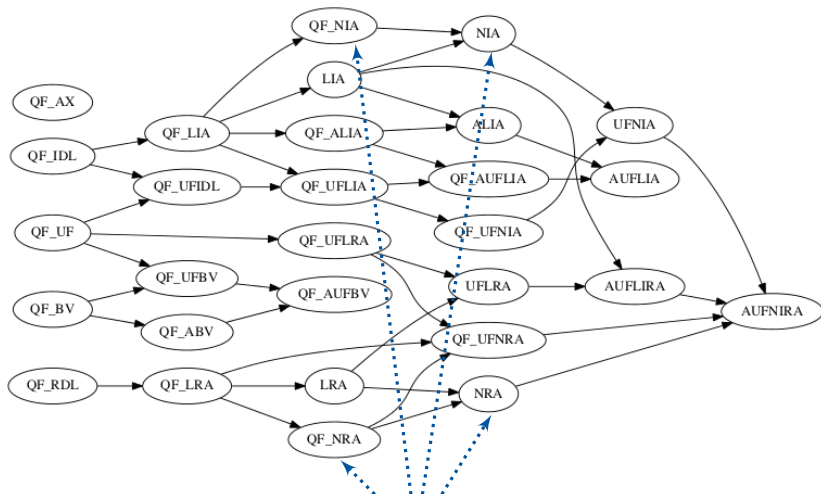


Quantifier-free integer/rational difference logic  
 $x - y \geq 0 \vee x - z < 0$

Source: <http://smtlib.cs.uiowa.edu/logics.shtml>



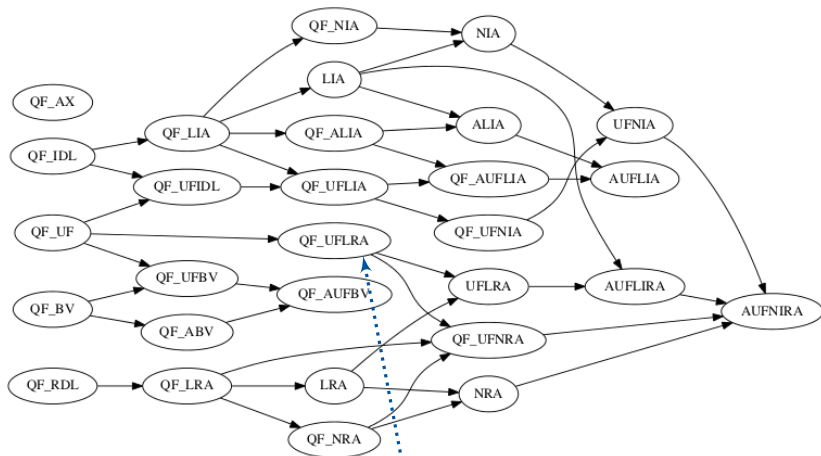
# Teorii care se regasesc in SMT-LIB



(Quantifier-free) real/integer non-linear arithmetic  
 $x^2 + 2xy + y^2 > 0 \vee (x \geq 1 \wedge xz + yz^2 = 0)$

Source: <http://smtlib.cs.uiowa.edu/logics.shtml>

# Teorii care se regasesc in SMT-LIB

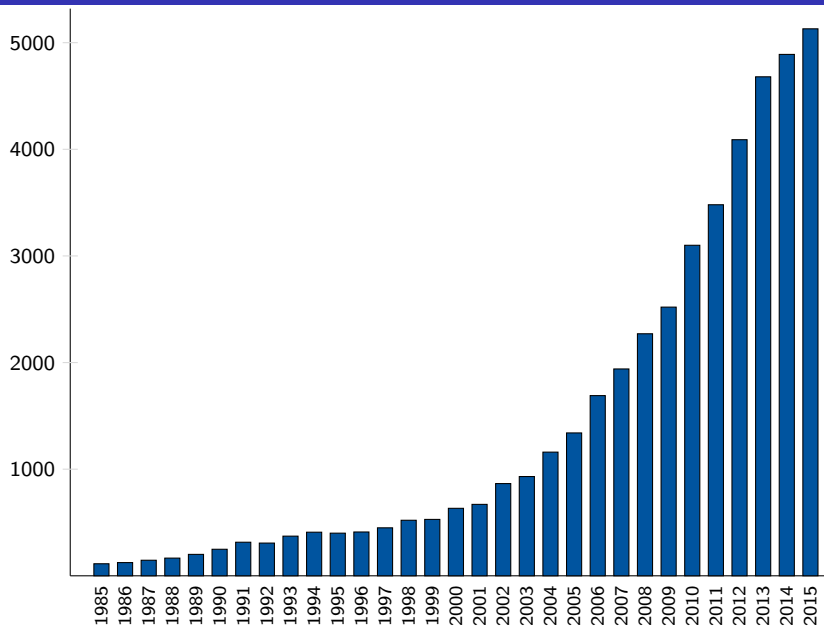


Combined theories

$$2f(x) + 5y > 0 \wedge \neg(f(x) = y \vee x + 2y = 0)$$

Source: <http://smtlib.cs.uiowa.edu/logics.shtml>

# Cautare Google Scholar pentru "SAT modulo theories"



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In 2021: 29000 citari!



# Prezentarea generala a teoriilor logice din acest curs

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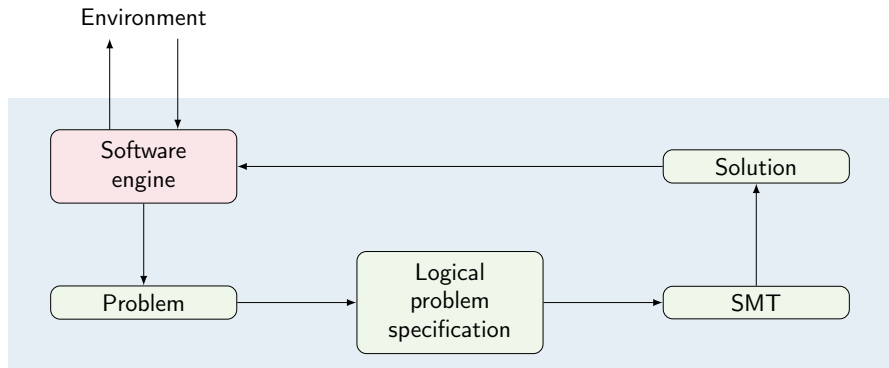
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Aritmetica reala neliniara ((Non-linear) real arithmetic)

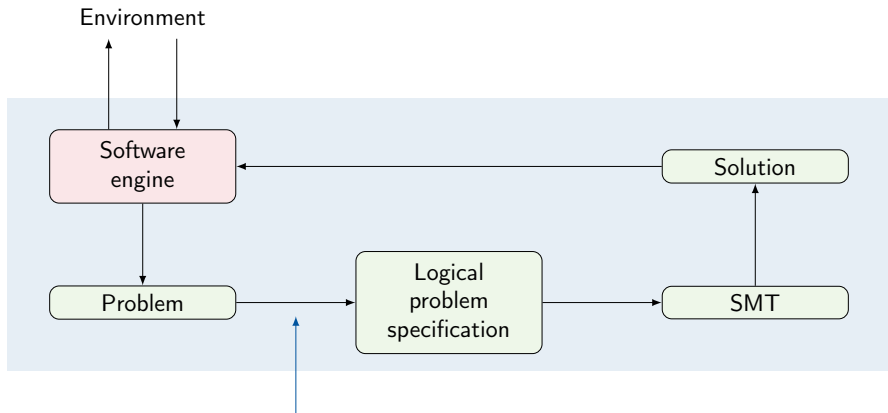
$$x^2 + 2xy + y^2 < 0$$

((Non-linear) real arithmetic)

# Arhitectura unui sistem care incorporeaza solvele SAT/SMT

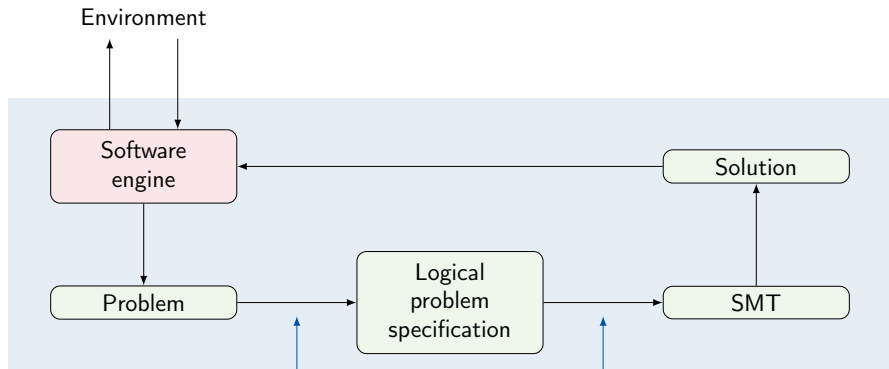


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Formalizarea (Encoding): standardul SAT/SMT-LIB  
formalizarea este extrem de importanta!

standard input language → free solver choice



# Exemple de aplicatii: verificarea hardware

**Problema 1:** Dandu-se 2 circuite, sunt acestea echivalente?

**Problema 2:** Dandu-se un circuit si o proprietate, verifica circuitul proprietatea?

**Problema 3:** Dandu-se un circuit partial specificat de o componenta de tip black-box (in stadiul de design timpuriu) si o specificatie, este circuitul partial realizabil, adica exista o implementare a componentei de tip black-box astfel incat circuitul satisface proprietatea?

Multi producatori de hardware dezvolta si utilizeaza solveare SAT proprii pentru aceste sarcini.

# Example de aplicatuu: executia simbolica

**Program 1.2.1** A recursion-free program with bounded loops and an SSA unfolding.

```
int Main(int x, int y)
{
    if (x < y)
        x = x + y;
    for (int i = 0; i < 3; ++i) {
        y = x + Next(y);
    }
    return x + y;
}

int Next(int x) {
    return x + 1;
}
```

```
int Main(int x0, int y0)
{
    int x1;
    if (x0 < y0)
        x1 = x0 + y0;
    else
        x1 = x0;
    int y1 = x1 + y0 + 1;
    int y2 = x1 + y1 + 1;
    int y3 = x1 + y2 + 1;
    return x1 + y3;
}
```

$$\exists x_1, y_1, y_2, y_3 \left( (x_0 < y_0 \implies x_1 = x_0 + y_0) \wedge (\neg(x_0 < y_0) \implies x_1 = x_0) \wedge \right. \\ \left. y_1 = x_1 + y_0 + 1 \wedge y_2 = x_1 + y_1 + 1 \wedge y_3 = x_1 + y_2 + 1 \wedge \right. \\ \left. result = x_1 + y_3 \right)$$

Source: Nikolaj Bjørner and Leonardo de Moura. *Applications of SMT solvers to Program Verification*.

Rough notes for SSFT 2014.

# Example de aplicatii: Verificarea modelului delimitat (Bounded model checking)

**Problema:** Dandu-se un program (automat, circuit, sistem de rescriere, etc.), gasiti o ramura de executie a programului de lungime cel mult  $k$  care conduce la o stare care satisface o anumita proprietate (folosita pentru detectia impartirii cu 0, violarea cerintelor functiilor, etc.).

# Example de aplicatii: Bounded model checking for C/C++



Bounded Model Checking  
for Software



## CBMC About CBMC

CBMC is a Bounded Model Checker for C and C++ programs. It supports C89, C99, most of C11 and most compiler extensions provided by gcc and Visual Studio. It also supports [SystemC](#) using [Scoot](#). We have recently added experimental support for Java Bytecode.

CBMC verifies array bounds (buffer overflows), pointer safety, exceptions and user-specified assertions. Furthermore, it can check C and C++ for consistency with other languages, such as Verilog. The verification is performed by unwinding the loops in the program and passing the resulting equation to a decision procedure.



While CBMC is aimed for embedded software, it also supports dynamic memory allocation using `malloc` and `new`. For questions about CBMC, contact [Daniel Kroening](#).

CBMC is available for most flavours of Linux (pre-packaged on Debian, Ubuntu and Fedora), Solaris 11, Windows and MacOS X. You should also read the [CBMC license](#).

CBMC comes with a built-in solver for bit-vector formulas that is based on MiniSat. As an alternative, CBMC has featured support for external SMT solvers since version 3.3. The solvers we recommend are (in no particular order) [Boolector](#), [MathSAT](#), [Yices 2](#) and [Z3](#). Note that these solvers need to be installed separately and have different licensing conditions.

Source: D. Kroening. **CBMC home page**. <http://www.cprover.org/cbmc/>

# Example de aplicatii: Bounded model checking for C/C++



Bounded Model Checking  
for Software



Logical encoding of finite unsafe paths

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Ideea formalizarii:  $Init(s_0) \wedge Trans(s_0, s_1) \wedge \dots \wedge Trans(s_{k-1}, s_k) \wedge Bad(s_0, \dots, s_k)$

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Application examples:

Error localisation and explanation

Equivalence checking

Test case generation

Worst-case execution time

allocation

d Fedora),

sat. As an

Source: D. Kroening. **CBMC home page**. <http://www.cprover.org/cbmc/>

# Application example: Extended static checking

<http://research.microsoft.com/specsharp/>



# Example de aplicatii: Planificare (Planning)

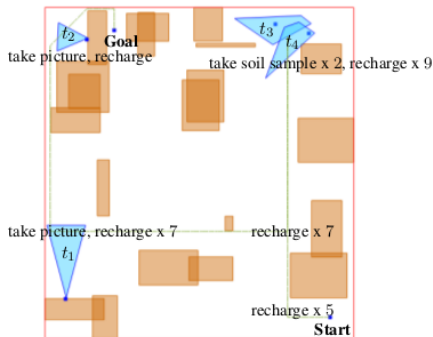


Figure 1: A GEOMETRIC ROVERS example instance, showing the starting and goal locations of the rover, areas where tasks can be performed (blue) and obstacles (orange) and a plan solving the task (green). The red box indicates the bounds of the environment.

Source: E. Scala, M. Ramirez, P. Haslum, S. Thiebaux.

**Numeric planning with disjunctive global constraints via SMT.**

In Proc. of ICASP'16.

# Example de aplicatii: Programare (Scheduling)

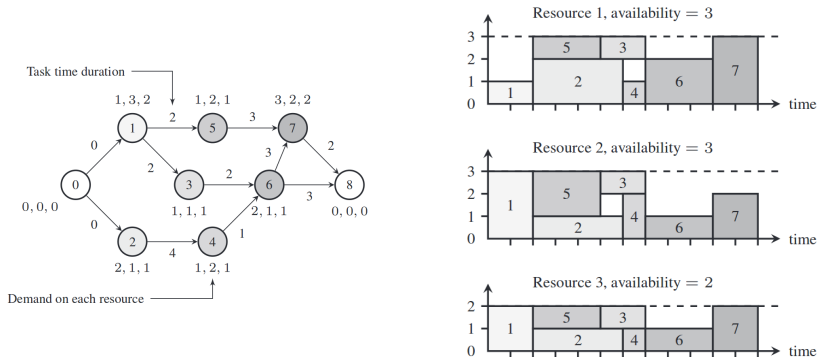


Figure 1: An example of RCPSP (Liess and Michelon 2008)

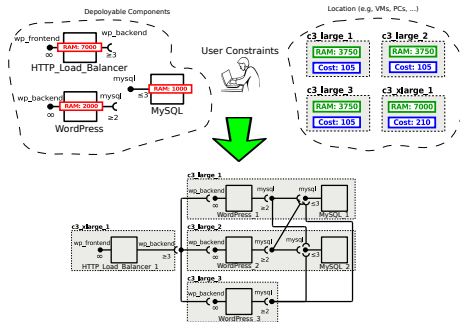
Source: C. Ansótegui, M. Bofill, M. Palahí, J. Suy, M. Villaret.

**Satisfiability modulo theories: An efficient approach for the resource-constrained project scheduling problem.**

Proc. of SARA'11.

# Example de aplicatii: Programare (Scheduling) Application

## example: Optimizarea implementarii (deployment) in cloud



Source: E. Ábrahám, F. Corzilius, E. Broch Johnsen, G. Kremer, J. Mauro.

Zephyrus2: On the fly deployment optimization using SMT and CP technologies.

Submitted to SETTA'16.

**Vz. si lucrarea** M. Erascu, F. Micota, D. Zaharie. **Scalable Optimal Deployment in the Cloud of Component-based Applications using Optimization Modulo Theory, Mathematical Programming and Symmetry Breaking.** Submitted to Journal of Logical and Algebraic Programming