



Electrical Engineering Department

Signals and Systems

Matlab Assignment

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Section: 2

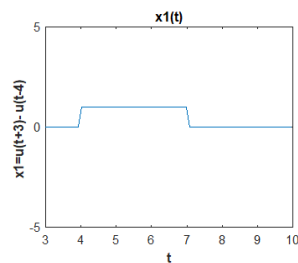
Date: 19/8/2021

Question 1:

Generate and plot the following signals using MATLAB:

1. $X_1(t) = u(t+3) - u(t-4)$

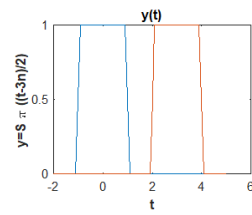
```
%q1.1
clear all
close all
clc
syms x t
y1= heaviside(t-4); %u(t-4)
y2= heaviside(t-7); %u(t-7)
x = y1-y2;
subplot(2,2,1), ezplot(x,[3 10 -5 5]);
```



2. A finite pulse from $(-\infty \text{ to } \infty) \sum \Pi((t-3n)/2)$

%q1.2

```
t=-2:0.1:5;
x1 =1.* rectangularPulse(-1,1,t); %pi(t\2)
x2 =1.* rectangularPulse(2,4,t); %pi((t-3)\2)
subplot(2,2,2); %to make (2*2)figure
plot(t,x1)
hold on
plot(t,x2)
```



3. $X_2(t) = u(t-4) + r(t-4) - 2r(t-7) + r(t-13)$ in the time interval $[0 \ 16]$

```
%q1.3
```

```
y1 = heaviside(t-4);
```

```
y2=(t-4).*heaviside(t-6);
```

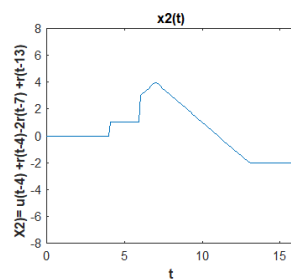
```
y3=2*(t-7).*heaviside(t-7);
```

```
y4=(t-13).*heaviside(t-13);
```

```
x=y1+y2-y3+y4;
```

```
subplot(2,2,3);
```

```
ezplot(x,[0 16 -8 8]);
```



Question 2:

1. Generate and plot the signals $y_1(t) = \sin(200\pi t)$, $y_2(t) = \cos(500\pi t)$, then determine y_1 and plot the product of two signals.

```
%q2  
  
syms m t  
y1 = sin(200.*pi.*t);  
subplot(2,2,1);  
ezplot(y1,[0 (3/100)]);  
y2 = cos(500.*pi.*t);  
subplot(2,2,2);  
ezplot(y2,[0 (3/100)]);  
m = y1.*y2;  
subplot(2,2,3);  
ezplot(m,[0 1]);
```

The figures of the three signals:

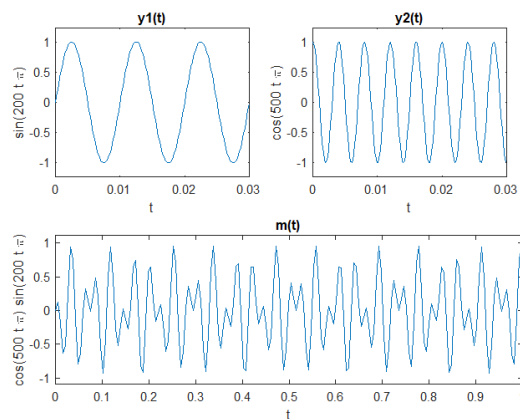


Fig.2.1

2. Determine, using the MATLAB plots, if the generated signal is periodic. In case a signal is periodic, determine its fundamental frequency.

Ans: from the previous results graphs we can see that product of the periodic signals are periodic with fundamental frequency 50 Hz.

Question 3:

Write For the following differential equation

$$dy(t)/dt + 30 y(t) = 20$$

1. Write the program that solve the following differential equation (for $t > 0$) using zero initial conditions.

```
%q3.1
syms y(x)
eq1 = diff(y,x)+30*y==20;
Dy = diff(y,x);
cond1 = y(0)==0;
solution1 = dsolve(eq1,cond1);
simpleSolution1 = simplify(solution1);
-----
simpleSolution1 =

2/3 - (2*exp(-30*x))/3
```

2. Evaluate the Fourier Transform of the Transfer Function $H(f)=Y(f)/X(f)$.

```
%q3.2
t=0:0.01:20;
h = diff(y,x)+30*y==20;
H = fft(h);
H = fftshift(fft(h));
```

3. Plot the magnitude and phase of the Transfer Function $H(f)$.

%q3.3

```
Subplot(2,2,1), plot(t,h);
```

Question 4:

Write a program that computes and plots the convolution of the functions

$$x(t) = (10 e^{(-0.2t)}) \Pi((t - 7)/4), h(t) = (10 e^{(0.2 t)}) \Pi((t - 1)/2)$$

%q4

```
t=0:0.01:20;
```

```
xt=10.*exp(-0.2.*t).*((t-5)>=0)-((t-9)>=0)); %gate  
junction is from (7-(4/2)) to (7+(4/2))
```

```
ht=10.*exp(0.2.*t).*((t)>=0)-((t-2)>=0)); %gate  
junction is from (1-(2/2)) to (1+(2/2))
```

```
y=conv(xt,ht); %convolution using conv
```

```
plot(0:0.01:40,y); %to plot the convolution of xt and  
ht
```

