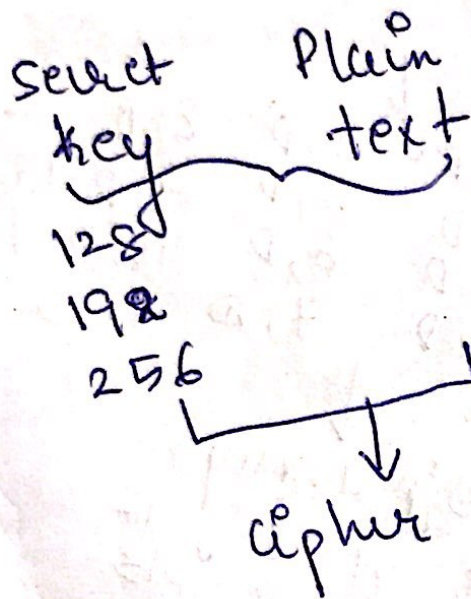


Advanced Encryption standard.

1) 10 rounds



128 → 10 rounds
192 → 12 rounds
256 → 14 rounds

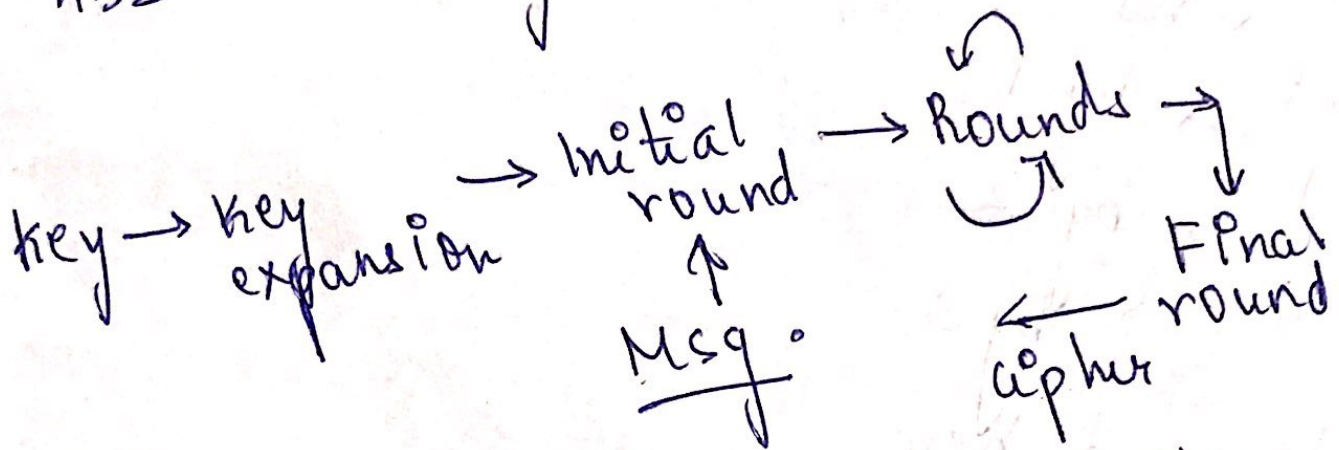
[Last round 10th, 12th, 14th is different.]

key length	block size	rounds
128	128	10
192	128	12
256	128	14

rounds
 → subbytes
 → shift rows
 → mix columns
 → Add round key

slower by far more secure.

Msg 125, 7 byte padding to make 128
128 divisible by 16



Key Expansion

Alters original key such that it is different in each round.
Encrypts the key itself.

AES Encryption

I/P → msg and key

Sub bytes
uses a look up table (S box)

byte hex
↓ ↓ column } replace by value there
row

state example

what is keel?

w	i	a	e
h	i	c	e
a	s	r	l
t			

→ state.

shift rows. \rightarrow Rotate left

1st \rightarrow no

2nd \rightarrow by 1

3rd \rightarrow by 2

4th \rightarrow by 3

Add round key

Xor with round key

In the 10th round mix column is
eliminated

algorithm happens on 2D array
 did as state

i/p bytes

0	4	8	12
1	5	9	13
2	6	10	14
3	7	11	15

state
array

→

0, D	4, D	8, D	12, D
1, D	5, D	9, D	13, D
2, D	6, D	10, D	14, D
3, D	7, D	11, D	15, D

↓

o/p array

0	4	8	12
1	5	9	13
2	6	10	14
3	7	11	15

A same key is used to scramble
 the data to send it over the n/w
 and can be unscrambled using the
 same over the receiver end.
 small key length of DES could be
 broken using parallel computing
 brute force.

AES encrypts 128 bits of data
 Treats 16 byte as 4×4 matrix.
 Msg greater than 128 bpts are
 broken to blocks and encrypted separately

Mix columns

→ Dot product

→ Matrix Multiplication

Polynomial multiplication Mod 2

$$11010110 * 00110110$$

$$(x^7 + x^6 + x^4 + x^2 + x^1) * (x^5 + x^4 + x^2 + x^1)$$

row * column

Simpler method

	1	2	4	5	[Add]
1	2	3	5	6	
2	3	4	6	7	
4	5	6	8	9	
6	7	8	10	11	
7	8	9	11	12	

Mod 2 now apply → 0 → even no
→ 1 → odd no.

If bit has even number (Even no bit) in grid replaced by 0

12 11 10 9 8 7 6 5 4 3 2 1 0

1 0 1 0 1 0 0 0 0 1 0 0 0

Does not fit into a byte (not 8 bit)

not present

Reduction mod $x^8 + x^4 + x^3 + x^1 + 0$
 Divide by this and take remainder
 get a byte.

$$x^8 + x^4 + x^3 + x^1 + 0$$

$$100011011$$

Do long division.

Subtraction mod 2 [XOR]

$$\begin{array}{r} 10 \ 10 \ 10 \ 10 \ 10 \ 100 \\ \otimes \ 10 \ 00 \ 11 \ 01 \ 1 \downarrow \downarrow \downarrow \downarrow \\ \hline 00 \ 10 \ 01 \ 11 \ 00 \ 100 \end{array}$$

Ans larger/smaller than magic byte
 If larger repeat

$$\begin{array}{r} 100 \ 111 \ 00 \ 100 \\ \oplus \ 100 \ 011 \ 01 \ 1 \downarrow \downarrow \\ \hline 00 \ 01000 \ 1000 \\ 1000 \ 110 \ 11 \rightarrow \text{smaller} \\ 1000 \ 1000 \rightarrow \text{remainder} \end{array}$$

Exmp

0x57

0x68

0x61

0x77

0x02 0x03 0x01 0x01

68

C1

(

57 → 01010111 × 10

$x^6 + x^7 + x^2 + x^1 + x^0 + x^1$

0	1
1	2
2	3
4	5
6	7

Only odd nos → 01
Mod no.

Ans
10101110 → 8 digit

no need of reduction as the no. is less than magic no.

100011011 → magic no.
10101110

$$68 \times 3$$

$$(CD\ 1101000) \times (11)$$

$$(x^6 + x^5 + x^3)(x^1 + x^0)$$

	1	0
6	7	6
5	6	5
3	4	3

Mod 2 \rightarrow odd $\rightarrow 1$
Even $\rightarrow 0$

$$10111000 \rightarrow \underline{\underline{\text{Ans}}}$$

Magic no. 100010011 is bigger.
or you can look up in wikipedia

5 \downarrow row
7 \downarrow column $\rightarrow \underline{\underline{\text{Ans}}}$

$$61 \times 1 \rightarrow \underline{\underline{61}}$$

$$74 \times 1 \rightarrow \underline{\underline{74}}$$

~~61~~ →

Step 2 is xor

$$\begin{array}{cccccc} 1 & 0 & 1 & 0 & 1 & 1 & 1 & 0 \\ \otimes 1 & 0 & 1 & 1 & 1 & 0 & 0 & 0 \\ 0 & 1 & 1 & 0 & 0 & 0 & 0 & 1 \\ 0 & 1 & 1 & 1 & 0 & 1 & 0 & 0 \\ \hline 0 & 0 & 0 & 0 & 0 & 0 & 1 & 1 \end{array}$$

Odd no. of 1s → 1
Even no. of 1s → 0

Ans 3

Matrix Multiplication

$$\begin{array}{cccc} 1 & 5 & 9 & 13 \\ 2 & 6 & 10 & 14 \\ 3 & 7 & 11 & 15 \\ 4 & 8 & 12 & 16 \end{array} \times \begin{array}{cccc} 2 & 3 & 1 & 1 \\ 1 & 2 & 3 & 1 \\ 1 & 1 & 2 & 3 \\ 3 & 1 & 1 & 2 \end{array} \text{ (Right shift)}$$

AES Key Expansion

Expand Key into 10 new Key
One for each round.

→ Rotate
→ S-box
→ Round

w_{i-4} w_{i-1}
 2b 28 ab 09
 7e ac f7 cf
 15 12 15 4f
 16 a6 88 3c

Columns which are multiples of 4 are filled in special.

→ Rotate the previous column by 1

→ Apply the s box.

→ xor the 1st row with the modified transformed row obtained above and $RCON(i)$.

→ Each w_i depends on w_{i-1} and w_{i-4}

$$rcon(i) = x^{i-1} \text{ mod } x^8 + x^4 + x^3 + x^1 + 1$$

$$rcon(10) = x^9 \text{ mod } x^8 + x^4 + x^3 + x^1 + 1$$

where i is the round

$$\begin{array}{r}
 100000000 \\
 \oplus 100011011 \\
 \hline
 000011010
 \end{array}$$

5 4 3 2 1

$$x^5 + x^4 + x^2 + x$$

$$0x36$$

Rcon matrix $\rightarrow [rcon(i) \ 0 \ 0 \ 0]$

0x57
 0x68
 0x6
 0x

$$\underline{\underline{w_i^{p-1} \oplus w_i^{p-k}}}$$

$$\text{No. of key expansions} = \text{No. of rounds} + 1$$