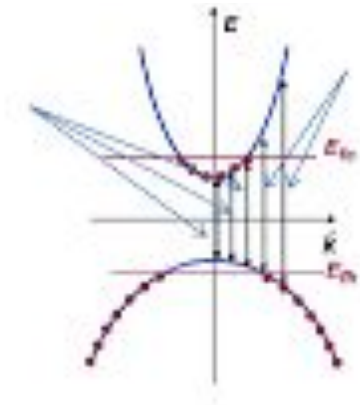




DEPARTMENT OF PHYSICS AND NANOTECHNOLOGY SRM INSTITUTE OF SCIENCE AND TECHNOLOGY

18PYB103J – Physics: Semiconductor Physics Module – III (Lecture S9 – SLO 1 & 2)

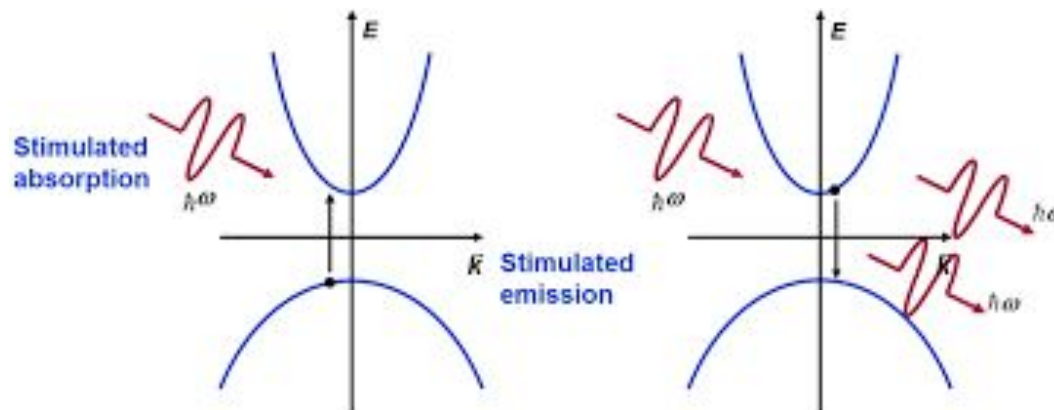


Optical Gain and Optical Loss



Optical Gain and Loss in semiconductor

Optical Gain in semiconductor defines the stimulated emission associated with light emission created by recombination of electrons and holes.



Optical Loss in semiconductor defines the stimulated absorption associated with light absorption created by generation of electrons and holes.



In a semiconductor crystal, consider an electron initially occupies a single state and makes a transition to one of a large number of final states due to photon interaction.

The electron-photon interactions in the crystal is characterized by Fermi's Golden Rule and gives the transition rate for a single pair of conduction and valence band states.

Each downward transition generates one photon and upward transition absorbs one photon.



$W_{c \rightarrow v}$ is the downward transition rate and $W_{v \rightarrow c}$ is the upward transition rate which can be found using Fermi Golden rule

$$W_{c \rightarrow v} = \frac{2\pi}{\hbar} |H'_{eh}|^2 \rho_{red} f_c (1 - f_v)$$

$$W_{v \rightarrow c} = \frac{2\pi}{\hbar} |H'_{eh}|^2 \rho_{red} f_v (1 - f_c)$$

Where H' is time dependent perturbation to the original Hamiltonian, It is to induce electronic transition between conduction and valence band. f_v and f_c the Fermi distribution and ρ_{red} is reduced density of state.



Explanation for Optical Gain

Optical gain in semiconductor is caused by photon-induced transitions of electrons from the conduction band to the valence band

Optical gain in the material is attained when we inject a carrier density beyond N_{tr} such that the quasi-Fermi levels are separated by an energy greater than the band gap.

If the number of downward transition per seconds exceeds the number of upward transition, there will be a net generation of photons, and optical gain can be achieved.



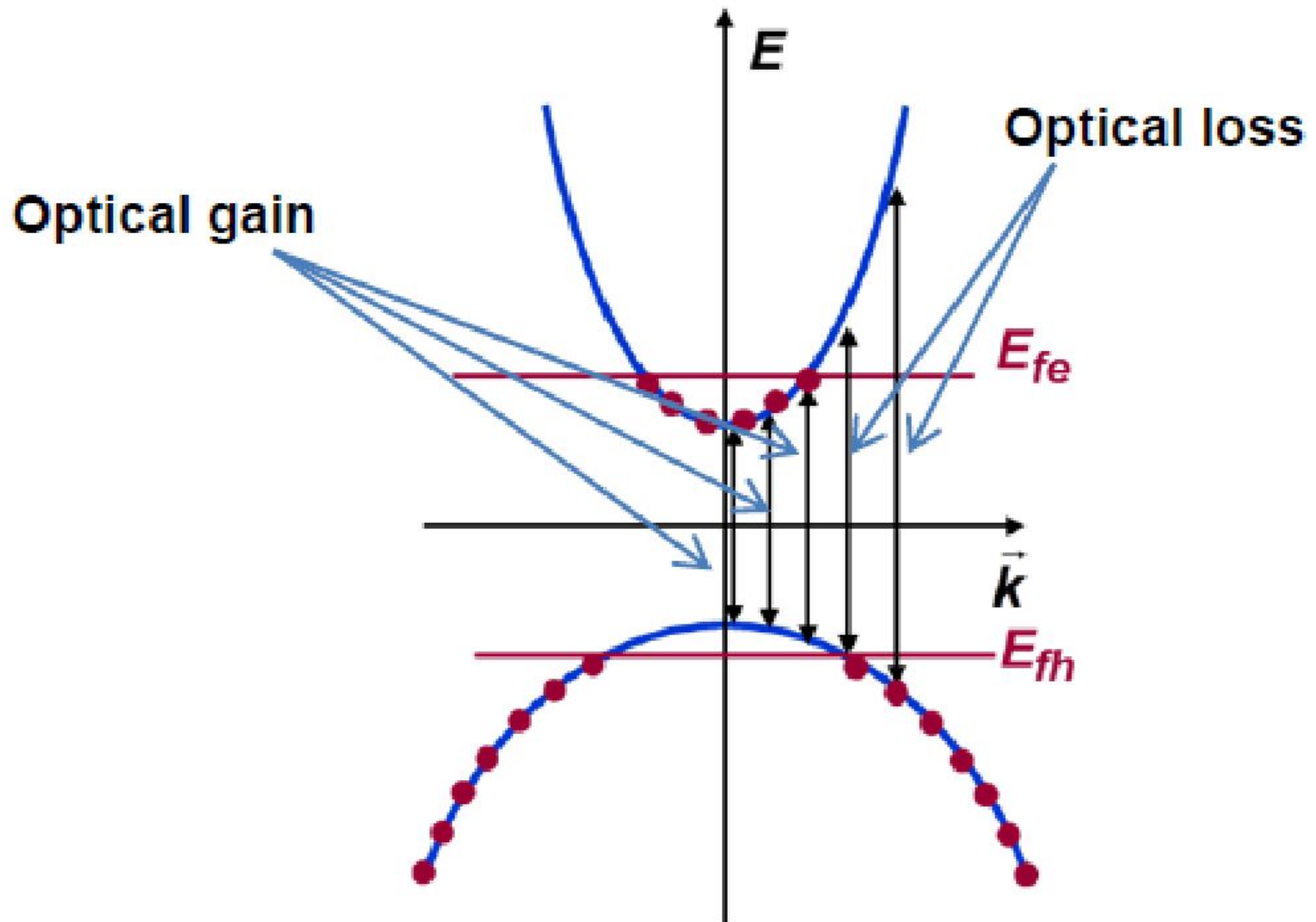
The optical gain is given as $(g) = \frac{1}{\phi} \left(\frac{d\phi}{dz} \right)$

Where,

ϕ is the photon flux (the number of photons per cross section area unit in the unit of time)

z is the direction of the electromagnetic field propagation,

$$\frac{d\phi}{dz} = W_{C \rightarrow V} - W_{V \rightarrow C}$$





The optical gain experienced by an incoming photon is very much dependent on the photon's energy.

From the figure, Given a value for the Fermi level splitting, optical frequencies for which $E_g < \hbar\omega < E_{fe} - E_{fh}$ experience optical gain

The condition $E_g < \hbar\omega < E_{fe} - E_{fh}$ is the condition for population inversion and can be realized if, for example, electrons are removed from the valence band and placed in the conduction band.

The light loss coefficient $\alpha(\omega)$ for optical gain is less than zero or negative

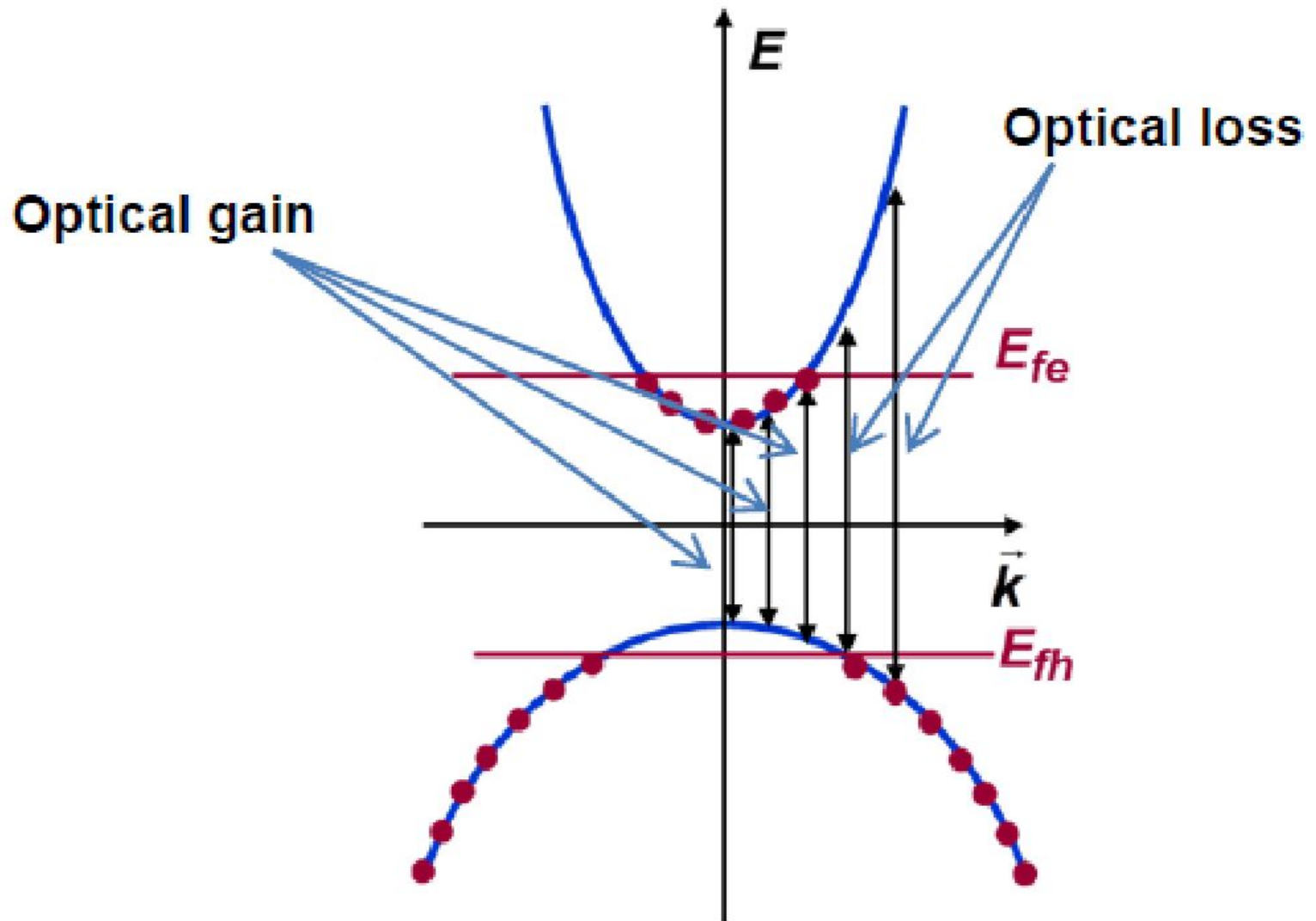


Explanation for Optical Loss

Optical gain in semiconductor is caused by photon-induced transitions of electrons from the valence band to the conduction band

Optical loss in the material is attained when we inject a carrier density beyond N_{tr} such that the quasi-Fermi levels are separated by an energy greater than the band gap.

If the number of upward transition per seconds exceeds the number of downward transition, there will be a net absorption of photons, and optical loss can be achieved.





From the figure, Given a value for the Fermi level splitting, optical frequencies for which $E_g > \hbar\omega$, $E_{fe}-E_{fh}$ experience optical loss

The condition $E_g < \hbar\omega$, $E_{fe}-E_{fh}$ is the condition for stimulated absorption and can be realized if, for example, electrons are removed from the conduction band and placed in the valence band.

The light loss coefficient $\alpha(\omega)$ for optical loss is greater than zero or positive