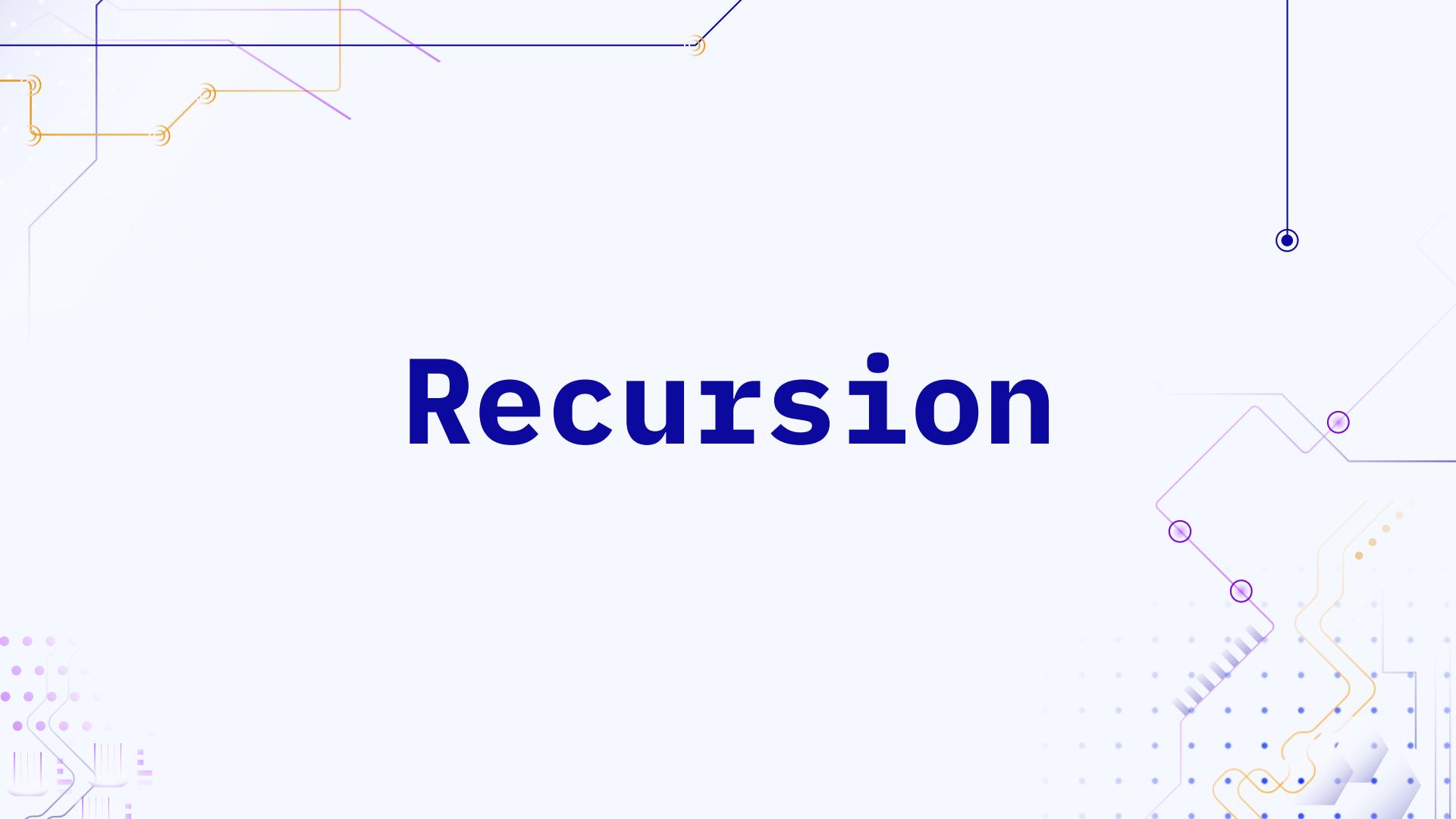


Recursion



Introduction

- **Recursion** is a programming technique where a function **calls itself to solve a problem** by breaking it down into smaller, similar sub problems.

Imagine a set of nested dolls:

- To get to the smallest doll, you keep opening the outer dolls one by one.
- Similarly, a recursive function keeps calling itself until it reaches the “smallest” or simplest version of the problem.



Components Of Recursion

A well-formed recursive function has **two critical components**:

1. Base Case

- This is the **stopping condition**. When met, the function returns a simple, direct answer (no further self-calls).
- Without a base case, the function would **call itself indefinitely**, leading to **infinite recursion**.

2. Recursive Case

- This is where the function calls itself, but with “**smaller**” or **simpler** arguments. Each recursive call moves the problem **closer to the base case**.

Components Of Recursion

Python

```
def example_recursive(n):
```

```
    if n == 0:  
        return some_value
```

Base Case

```
    else:  
        return example_recursive(n - 1)
```

Recursive Case

Recursion Visualized!

Python

```
def sum_to_n(n):

    if n == 1:
        return 1
    else:
        return n + sum_to_n(n - 1)

print(sum_to_n(3))
```

Recursion Visualized!

Python

```
print(sum_to_n(3))
def sum_to_n(3):
    if n == 1: return 1
    else:      return 3 + sum_to_n(2)
                    ↓
    def sum_to_n(2):
        if n == 1: return 1
        else:      return 2 + sum_to_n(1)
                    ↓
    def sum_to_n(1):
        if n == 1: return 1
        else:      return n + sum_to_n(n - 1)
```

Recursion Visualized!

Python

```
print(6)
```

Output

```
6
```

Example: 1 - Factorial Function

Python

```
def factorial(n):

    if n == 0 or n == 1:    # 1. Base Case
        return 1

    else:
        return n * factorial(n - 1) # 2. Recursive Case

print(factorial(5))
```

Output

120

Base Case: $0! = 1$

Recursive Case: $n! = n \times (n-1)!$

Example: 2 - Fibonacci Sequence

Python

```
def fibonacci(n):
    if n == 0:    # 1. Base Cases
        return 0
    elif n == 1:
        return 1
    else:
        return fibonacci(n - 1) + fibonacci(n - 2) # 2. Recursive Case
print(fibonacci(6))
```

Output

8

Base Case: $\text{fib}(0) = 0 \& \text{fib}(1) = 1$

Recursive Case: $\text{fib}(n) = \text{fib}(n-1) + \text{fib}(n-2)$

When to use Recursion

- The problem is **naturally defined** in terms of **smaller subproblems**.
- You want code that closely follows a **mathematical or logical definition**.
- The input size is **small-to-moderate**, and performance is **not** critical.

When ***NOT*** to use Recursion

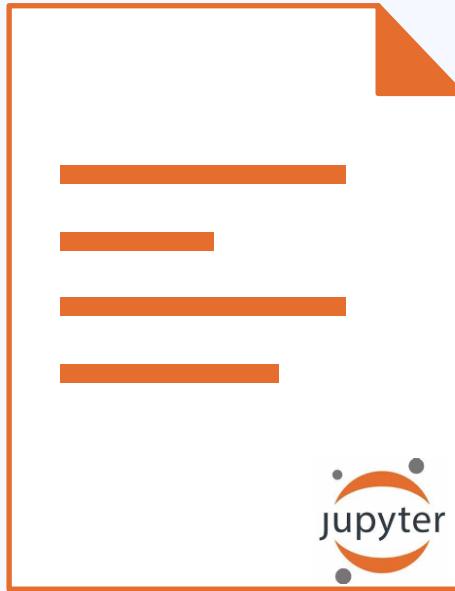
- The required depth of **recursive calls** may **exceed** Python's **recursion limit** (~1,000 by default) – and raises **RecursionError**. (You can increase the limit, but it's risky.)
- You need **maximum performance** for large inputs.
- The problem **doesn't decompose naturally** into **smaller identical steps**.

Mistakes to avoid

- **Missing Base Case:** The function never stops calling itself. Always test the simplest input first (e.g., $n = 0$ or $n = 1$) to ensure the base case works.
- **Wrong Base Case:** If your base case condition is too strict then smaller inputs slip through and can cause infinite recursion.
- **Not Returning the Recursive Call:** Returned values will always be discarded. Always return your recursive calls if you need their result.

Iteration over Recursion

- **Performance Concerns:** If you need to process very large lists or numbers and risk hitting recursion limits, a loop is safer.
- **Simplicity:** Sometimes, iteration can be just as simple with a for or while loop.



Practice Set – 3

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Practice Set - 3
Solution

