

# INDIAN INSTITUTE OF INFORMATION TECHNOLOGY DESIGN AND MANUFACTURING KANCHEEPURAM

LAB ASSIGNMENT 1 - REPORT
ON
VECTOR ADDITION
AND
VECTOR MULTIPLICATION
IN OPENMP

SUBMITTED BY

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TO

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# **VECTOR ADDITION**

#### **Strategy**

In my program for vector addition, the instruction which is running in parallel is in the "for" loop i.e  $\mathbf{c}[\mathbf{i}] = \mathbf{a}[\mathbf{i}] + \mathbf{b}[\mathbf{i}]$ 

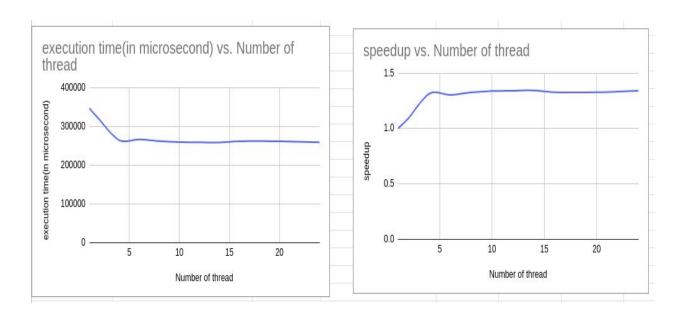
Instead of running the program serially, we can distribute the task of adding vectors among the threads so that my program could run parallely and in turn save the execution time.

Therefore, in #pragma omp parallel block, for loop consists of these granular instructions. We also have shared a,b and c to run the program in parallel.

#### **Graph and tables**

https://docs.google.com/spreadsheets/d/1AIJJlhm\_46Ftp-pGPQZYYIVDDx4ZIDHwsgX EnL\_hKro/edit?usp=sharing

Number of iteration = 8 * 10^6				
Number of thread	execution time(in microsecond)	speedup	parallelization fraction(f)	
1	347478	1	0	
2	318566	1.090756703	0.1664105353	
4	264350	1.314461888	0.3189765491	
6	266640	1.303172817	0.2791704799	
8	262143	1.325528433	0.2806673064	
10	259679	1.338105892	0.2807499883	
12	259104	1.341075398	0.2774506587	
14	258599	1.343694291	0.275458723	
16	261839	1.327067396	0.2628893532	
20	261786	1.327336068	0.2595908382	
24	259277	1.340180579	0.2648680667	



## **Calculation of parallelization fraction**

T(1) = 347478 microseconds

Here , for P = 14 the execution time is minimum

T(P) = 258599 microseconds

Speedup = 
$$\frac{T(1)}{T(P)}$$
 =  $\frac{347478}{258599}$  = 1.343694291.

From Amdahl's Law,

Speedup =  $\frac{1}{(f/P) + (1-f)}$  Where , f = Parallelization factor P = Thread Number

So, 
$$f = \frac{(1-T(P)/T(1))}{(1-(1/P))}$$

Therefore, f = 0.275458723 which means that approx. 28% of the program is parallelizable.

# **VECTOR MULTIPLICATION**

### **Strategy**

In my program for vector multiplication, the instruction which is running in parallel is in the "for" loop i.e  $\mathbf{c}[\mathbf{i}] = \mathbf{a}[\mathbf{i}] * \mathbf{b}[\mathbf{i}]$ 

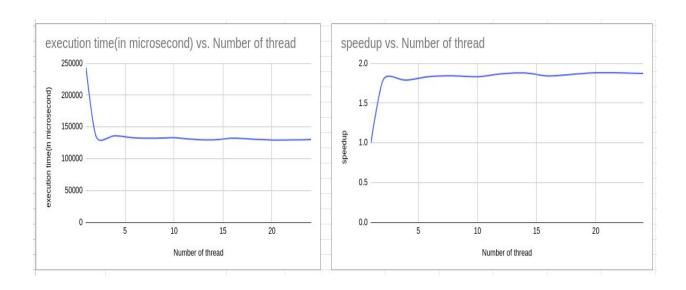
Instead of running the program serially, we can distribute the task of multiplying vectors among the threads so that my program could run parallely and in turn save the execution time.

Therefore, in #pragma omp parallel block, for loop consists of these granular instructions. We also have shared a,b and c to run the program in parallel.

#### **Graph and tables**

https://docs.google.com/spreadsheets/d/1AIJJlhm\_46Ftp-pGPQZYYIVDDx4ZIDHwsgX EnL\_hKro/edit?usp=sharing

Number of thread	execution time(in microsecond)	speedup	parallelization fraction(f)
1	243774	1	(
2	136795	1.782038817	0.8776899915
4	136265	1.788970022	0.5880255209
6	132842	1.835067223	0.546073002
8	132247	1.843323478	0.5228589947
10	133019	1.832625414	0.5048163919
12	130478	1.868314965	0.5070091003
14	129660	1.880101805	0.504122672
16	132368	1.841638462	0.4874722762
20	129511	1.882264827	0.4933948744
24	130182	1.872563027	0.4862322586



## **Calculation of parallelization fraction**

T(1) = 243774 microseconds

Here, for P = 20 the execution time is minimum

T(P) =129511 microseconds

Speedup = 
$$\frac{T(1)}{T(P)}$$
 =  $\frac{243774}{129511}$  = 1.882264827.

From Amdahl's Law,

Speedup = 
$$\frac{1}{(f/P) + (1-f)}$$
 Where , f = Parallelization factor P = Thread Number f =  $\frac{(1-T(P)/T(1))}{(1-(1/P))}$ 

Therefore, f = 0.4933948744 which means that approx. 50% of the program is parallelizable.