

Animation

Dr. V Masilamani

masila@iiitdm.ac.in

Department of Computer Science and Engineering
IIITDM Kancheepuram
Chennai-127

- 1 What is Animation
- 2 Steps of animation process
- 3 Principles of Animation
- 4 Factors to be Considered in Animation
- 5 Animation Techniques

What is Animation?



- ▶ The term **animation** has a Greek (animos) as well as roman (anima) root, meaning “to bring to life”
Life: evolution over time
- ▶ Animation is a technique in which the **illusion of movement** is created by a sequence of individual drawings with the property that each frame(drawing) is the alteration of previous frame.
- ▶ **Conventional Animation:** Sequence of frames, where each frame is drawn manually
 - **Example:** “The Illusion of Life” by Thomas Johnson and Ollie Johnson (From Disney Animation)
- ▶ **Computer Animation:** Sequence of frames, where frames are drawn using computer

What is Animation? (cont.)



Conventional Animation





Restrictions in Conventional Animation

- ▶ As every frame is drawn by animators manually, the animation is not real time
- ▶ Mostly only 2D has been considered

The steps of animation process



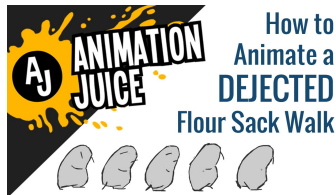
- ▶ Story board
 - Sequence of drawings with descriptions
- ▶ Key frames
 - A few important frames as drawings
- ▶ Inbetweens
 - Draw the rest of the frames
- ▶ Painting
 - Redraw onto acetate Cels, color them

- ▶ **The flour sack principle:**
Stretch and Squash using half filled bag of flour
- ▶ The half-filled flour bag will squash out to the fullest shape when it's dropped on the floor, and
- ▶ It will stretch out to the longest shape when it's picked up by the corners.
- ▶ But it will never change its volume.
- ▶ Animation technique that mimics deformation of

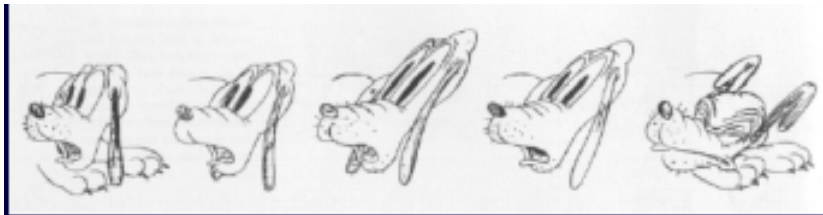
half-filled flour bag is called as stretch and squash



- ▶ Anything composed of living flesh will be proportionally deformed (squashed or stretched) within its shape in processing through action.
- ▶ For instance, a ball should squash when touching the floor during a bouncing animation.
- ▶ This rule could be also applied to still elements, like a ball or chair, to emphasize movement.



Conventional Animation using Stretch and Squash



- **An attribute of animation:** Exaggeration with believability to some extent



Real Time vs. Image by Image

- ▶ Real Time: Compute - Draw
- ▶ Image by Image: Compute – Store - Draw
- ▶ Display rate: 30 fps or 25 fps

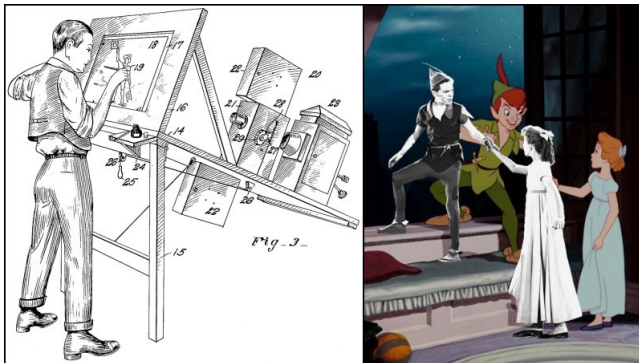
Animation Characteristics

- ▶ Spatial (position, orientation, form)
- ▶ Temporal (velocity, acceleration)
- ▶ Visual (color, texture)

- ▶ Rotoscopy
- ▶ Key Framing
- ▶ Parametric
- ▶ Algorithmic

► **Rotoscopy:** The following process of creating animation is called as rotoscoping

- Photographed images are projected onto a glass panel
- Trace over the image with a drawing tool



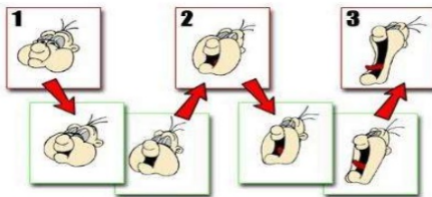
Animation Techniques (cont.)



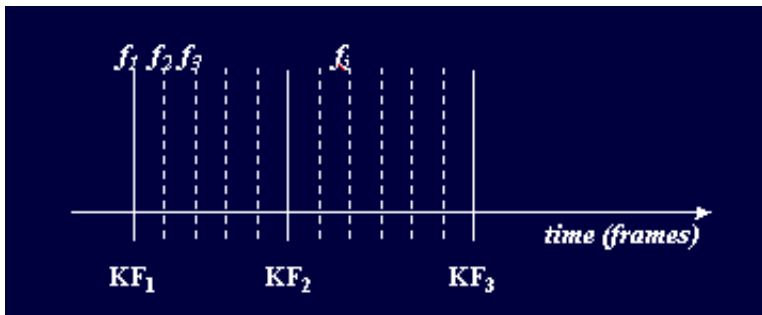
- ▶ The device used for projection is called as rotoscope
- ▶ Now the device rotoscope has been replaced by computer
- ▶ Register (record) data for each frame
- ▶ Data intensive
- ▶ Useful for complex motion
- ▶ Realistic
- ▶ Brute-force (less creative)

Key Framing

- ▶ Frames with very high deviations are called as key frames
- ▶ Draw such key frames
- ▶ Draw the frames between two consecutive key frames using interpolation
- ▶ May give incorrect (inconsistent) results in some cases



Key Framing

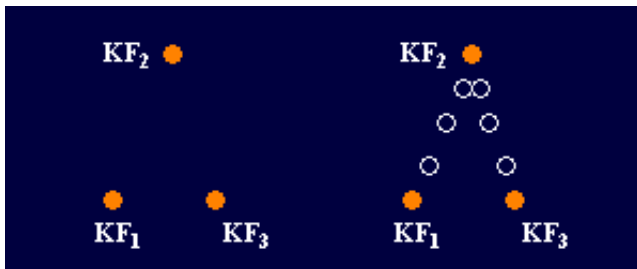


► Interpolation

- Let $P_1 = (x, y, t_{kF_1})$, $P_2 = (x, y, t_{kF_2})$
- The corresponding point in frame i , $P_i = (x, y, i)$ is calculated as $P_i = (1 - t)P_1 + tP_2$

Key Framing

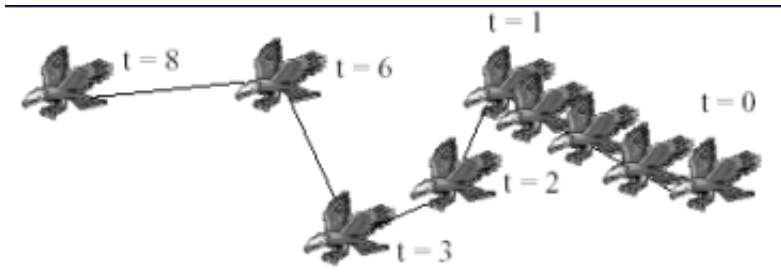
- Issues with Linear Interpolation
 - May not be smooth
 - Unrealistic results: it will produce the same upward velocity downward velocity



- Solution : Splines may be used

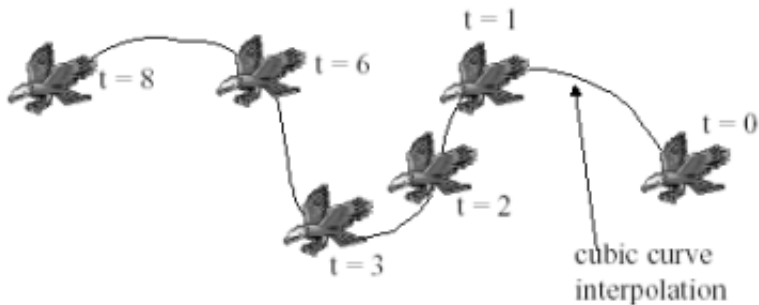
Key Framing

► Linear Interpolation



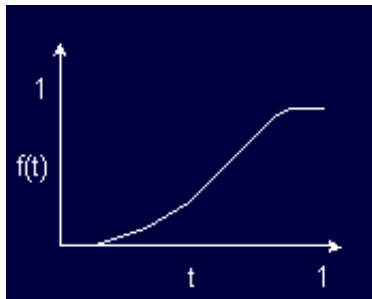
Key Framing

► Spline Interpolation



Key Framing

- Interpolation
 - Using other functions (slow-in, slow-out)



V_s : attribute at start frame

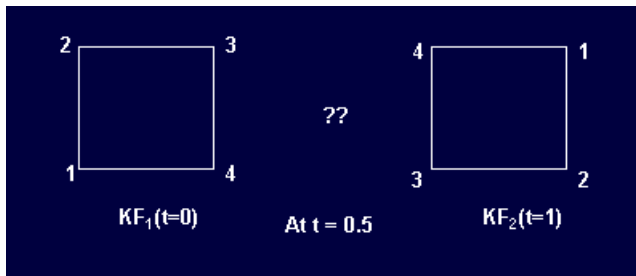
V_e : attribute at end frame

V_i : attribute at intermediate frame

$$V_i = (1 - f(t))V_s + f(t)V_e$$

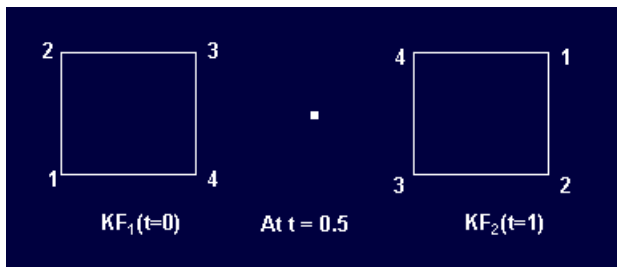
Key Framing

- ▶ Suppose a square at $t = 0$ has become rotated square with 180 degree at time $t = 1$
- ▶ If linear interpolation is applied to find a frame at $t = 0.5$, what will be the shape of the object?



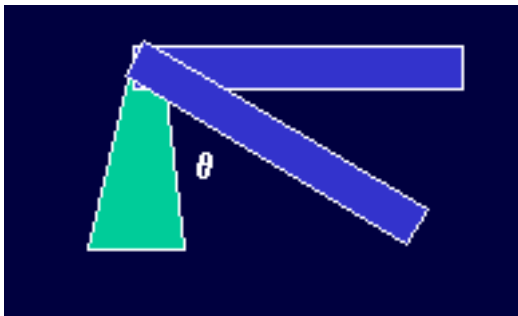
Key Framing

- ▶ The linear interpolation produces
 - Incorrect Results: Just a dot



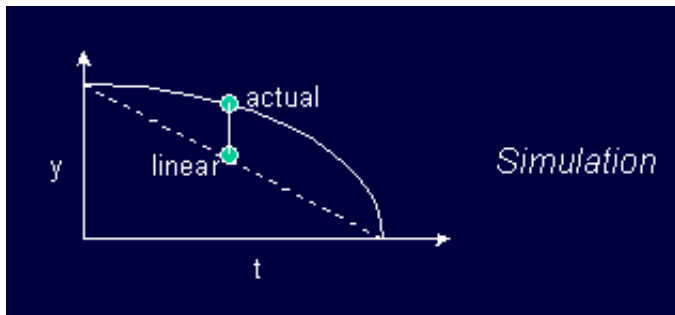
Parametric

- ▶ Characteristic parameters for motion are specified and interpolated.
- ▶ Less data is required e.g for motion of an arm, the parameter could be rotation angle



Algorithmic

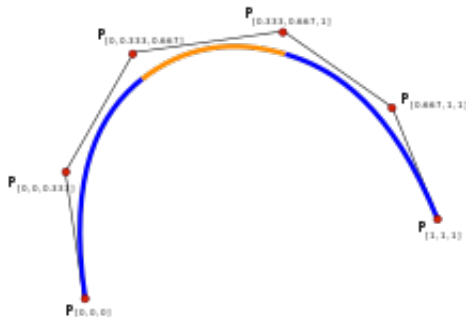
- Laws of motion: physical or procedural animation



Example



- ▶ Spline: Continuous piece-wise polynomial
- ▶ The spline is expected to be as smooth as possible at the joints(knots or boundary of the intervals)
- ▶ Splines are used to define/ represent curves



- ▶ Suppose the key frames are not equally spaced over time (parameter u), but we wish to make uniform motion in the animation
- ▶

$$x, y = Q(u)$$

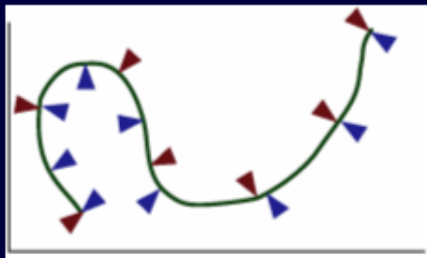
for $u: [0, 1]$



Equal arc lengths



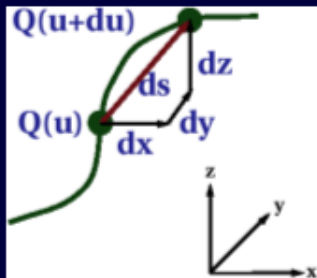
Equal spacing in u



Given

$$Q(u) = au^3 + bu^2 + cu + d$$

$$ds = \sqrt{dx^2 + dy^2 + dz^2}$$
$$= \sqrt{\left(\frac{dx}{du}\right)^2 + \left(\frac{dy}{du}\right)^2 + \left(\frac{dz}{du}\right)^2}$$





$$s = A(u) = \int_{u_0}^u \left[\left(\frac{dx}{du} \right)^2 + \left(\frac{dy}{du} \right)^2 + \left(\frac{dz}{du} \right)^2 \right]^{1/2} du$$

$$Q(u) = Q(A^{-1}(s))$$

Reparameterization

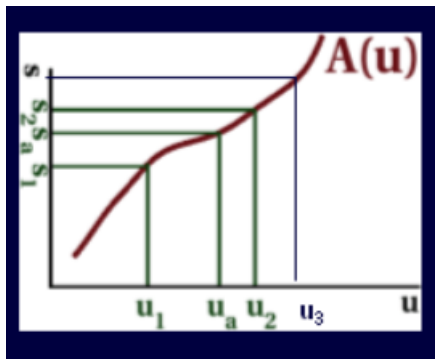
Find $u = A^{-1}(s)$

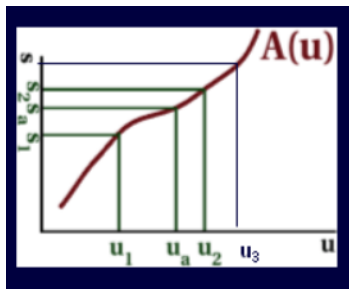
Spline Driven Animation (cont.)



Find $u = A^{-1}(s)$

A: monotonically increasing i.e $u_1 < u_2$ and $A(u_1) < A(u_2)$





Bisection method to find u_a such that $A(u_a) = s_a$, given s_a

- ▶ Start with full interval($u_1 \dots u_3$)
- ▶ Get u_2 in the middle, find s_2
- ▶ if $s_a < s_2$: $u_a \in [u_1, u_2]$
- ▶ if $s_a > s_2$: $u_a \in [u_2, u_3]$
- ▶ Continue till within a threshold



How to find arc length s

$$s = \int_{u_0}^u \left[\left(\frac{dx}{du} \right)^2 + \left(\frac{dy}{du} \right)^2 + \left(\frac{dz}{du} \right)^2 \right]^{1/2} du$$

Since

$$Q(u) = au^3 + bu^2 + cu + d$$

$$s = \int_{u_0}^u [Au^4 + Bu^3 + Cu^2 + du + E]^{1/2} du \text{ --- (2)}$$

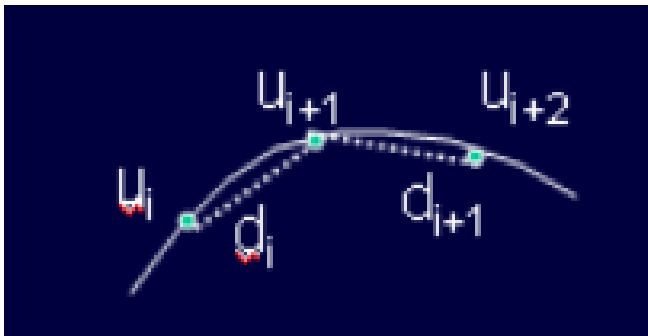
Apply Numerical method (numerical integration) to find s

Summary

- ▶ Using equation (2) find arc length for $s = 1, 2, 3, 4, \dots$
- ▶ Using bisection method, find the value of u for each of those values of s
- ▶ Compute the frame at u using spline interpolation

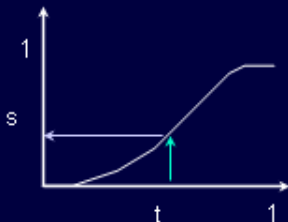
Alternatively

Chord length parameterization



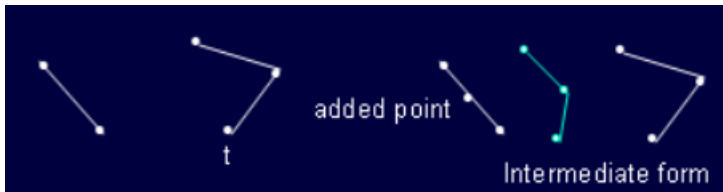
Velocity (Speed) Curve

$v: (s, t)$



Transformation of object shapes from one form to another

- ▶ Each form may be considered as a key frame
- ▶ Establish common topology for the Etc key frames
- ▶ Interpolate the intermediate frames





Transformation of one Image (source) to another Image (target)

- ▶ Normalization of both the images
- ▶ Feature correspondence
- ▶ Warping of the two images (spatial deformation)
- ▶ Colour blending

Without feature correspondence (cross dissolving)



Source

Destination

Issue with Interpolation without feature correspondence: the interpolated images have two noses and two eyes



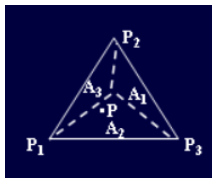
Interpolation of features will result in one appearance of the feature Triangle Method

- ▶ Feature points are marked on source and target.
- ▶ These feature are given the correspondence
- ▶ Triangulate the points.
- ▶ Interpolate triangulation for intermediate frames.
- ▶ Warp the images, and blend colors.



Triangle Method

Interpolation in triangular domain



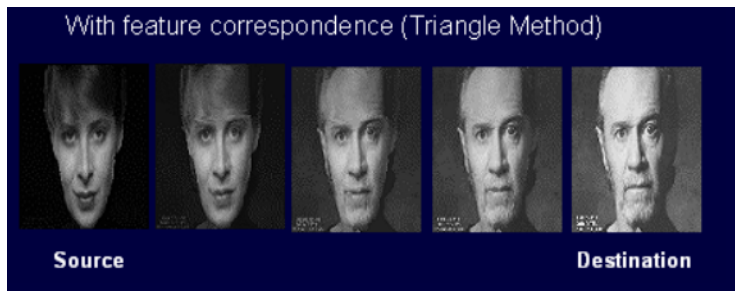
How is P related to P_1 , P_2 and P_3 ?

$$P = uP_1 + vP_2 + wP_3$$

$$u = A_1/A, v = A_2/A, w = A_3/A$$

u, v, w are Barycentric coordinates

Triangle method



Triangle method

Example





Williams T Reaves (1983) SIGGRAPH

Particle Systems "A Technique for Modeling a Class of Fuzzy Objects"



- ▶ An object is represented as cloud of particles
- ▶ Particles are not static; particle system evolves
- ▶ Non deterministic
- ▶ Particles are simple (computationally efficient) but can model complex amorphous objects and behaviors
- ▶ Dust, Water fall, Rain, Fire, Cloud, Stars, Grass, Fur, etc



In a typical particle system

- ▶ Generate new particles with initial attributes
- ▶ Particles have lifespan: Kill off dead particles
- ▶ Modify particle attributes: color, position
- ▶ Render particles



Particle Generation

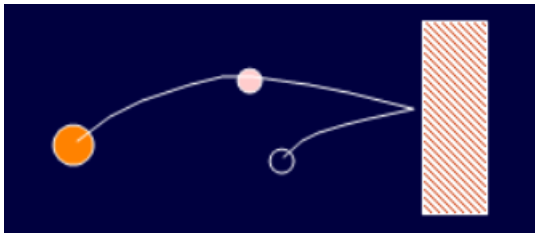
- ▶ Stochastic
- ▶ $N = \text{average} + \text{rand()} * \text{var}$

Particle Attributes

- ▶ Determine motion status, appearance, and its life in the particle system (position, color, opacity, size, speed, life-span etc.)
- ▶ Initialized at the time of creation

Particle Termination

- ▶ For each new frame, particle's life time is decremented by one
- ▶ When life time = zero, the particle is removed





Particle dynamics

- ▶ From force find accelerator, velocity, position
- ▶ Other attributes (color, opacity, etc.) may also change with time



Particle dynamics

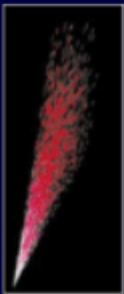
$$\begin{aligned} \blacktriangleright v_i^{new} &= v_i + \Delta t \frac{F(x_i, v_i, t_i)}{m_i} \\ \blacktriangleright x_i^{new} &= x_i + \Delta t v_i^{new} \end{aligned}$$



Particle Rendering

- ▶ Particles can be rendered as light sources
- ▶ Particles do not intersect with objects
- ▶ May ignore shadows
- ▶ These assumptions simplify the rendering and computation

Examples

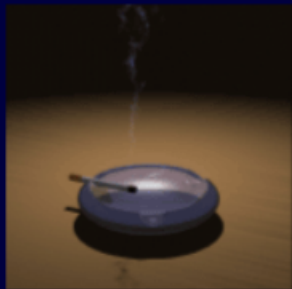


Wrath of Khan



More Examples

Smoke and Fire



- ▶ A grass clump is a particle system
- ▶ A particle is a blade of grass
- ▶ Draw parabolic streak over entire life time



Behavioral Animation

Flocking of birds

Deformable Objects



Mesh of springs: Cloth

Lines of springs: Hair





- ▶ The slides have been adopted from NPTEL Lectures by Prof. Prem Kalra. The due credits are acknowledged.

Thank You! :)