



**INDIAN INSTITUTE OF INFORMATION TECHNOLOGY  
DESIGN AND MANUFACTURING KANCHEEPURAM**

LAB ASSIGNMENT 4 - REPORT  
ON  
VECTOR ADDITION  
AND  
VECTOR MULTIPLICATION  
IN MPI

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# VECTOR ADDITION

## Strategy

In my program for vector addition, the instruction which is running in parallel is in the “for” loop i.e **cp[i] = ap[i]+bp[i];**

Instead of running the program serially, we can distribute the task of adding vectors between master and worker so that my program could run parallelly and in turn save the execution time.

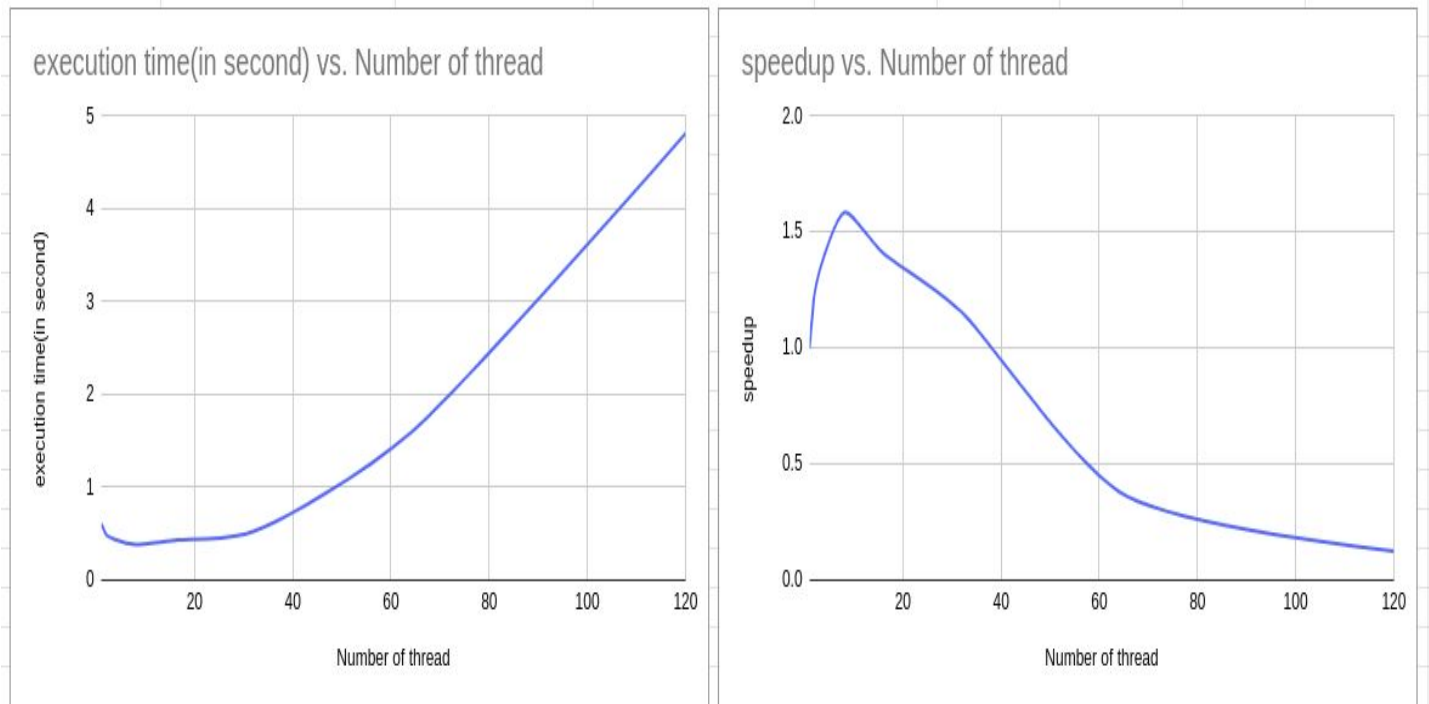
Therefore , I have scattered a and b into ap and bp respectively. Also I have broadcasted the number of processes done by individual master or worker so that they only do vector addition of its own part only. After vector addition is done and stored in cp, I am gathering values of cp in c i.e. storing all individual cp to c.

## Graph and tables

<https://docs.google.com/spreadsheets/d/1-wdrr1IYDmO5ER6nbt6rJzJLFmg2e0paNPbluw6FzxY/edit?usp=sharing>

### Question2

Number of thread	execution time(in second)	speedup	parallelization fraction(f)
1	0.604755	1	0
2	0.490074	1.234007517	0.3792643302
4	0.431989	1.39993148	0.3809057662
8	0.381711	1.584326886	0.4215052849
16	0.429204	1.409015293	0.3096367951
32	0.523553	1.155097956	0.1386039295
64	1.585267	0.3814846332	-1.647073083
120	4.810509	0.1257153869	-7.012916752



## Calculation of parallelization fraction

$T(1) = 0.604755$  seconds

Here , for  $P = 8$  the execution time is minimum

$T(P) = 0.381711$  seconds

$$\text{Speedup} = \frac{T(1)}{T(P)} = \frac{0.604755}{0.381711} = 1.584326886$$

From Amdahl's Law,

$$\text{Speedup} = \frac{1}{(f/P) + (1-f)} \text{ Where , } f = \text{Parallelization factor } P = \text{Thread Number}$$

$$\text{So, } f = \frac{(1-T(P)/T(1))}{(1-(1/P))}$$

Therefore,  $f = 0.4215052849$  which means that approx. 42% of the program is parallelizable.

# VECTOR MULTIPLICATION

## Strategy

In my program for vector addition, the instruction which is running in parallel is in the "for" loop i.e `cp[i] = ap[i]*bp[i];`

Instead of running the program serially, we can distribute the task of multiplying vectors between master and worker so that my program could run parallelly and in turn save the execution time.

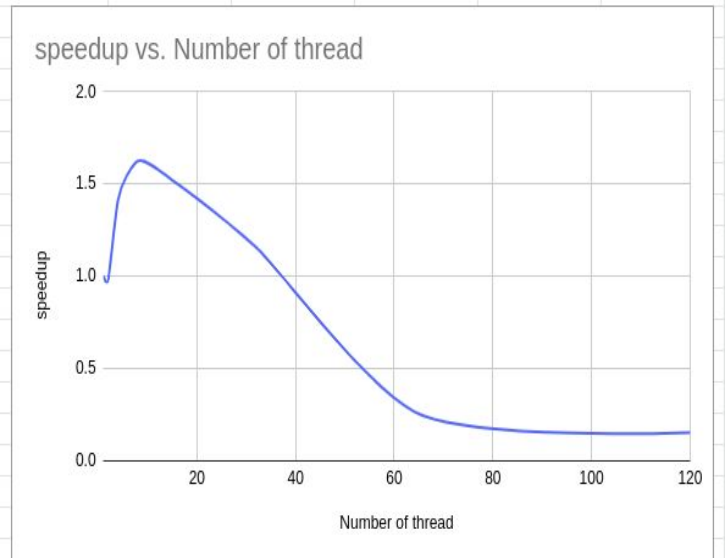
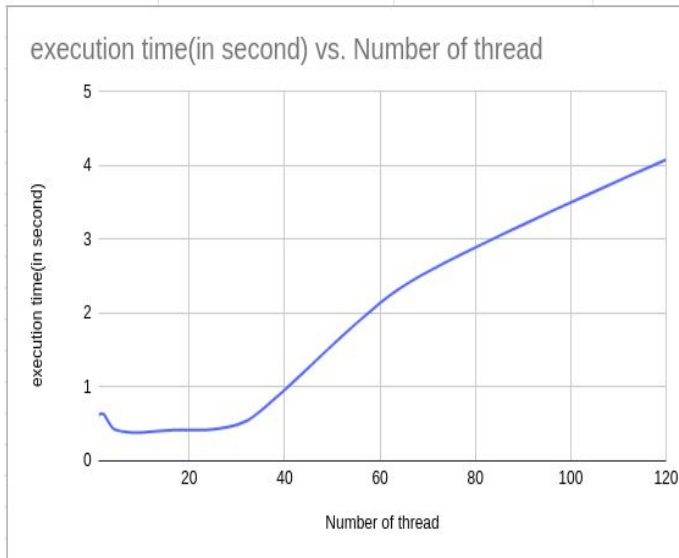
Therefore, I have scattered `a` and `b` into `ap` and `bp` respectively. Also I have broadcasted the number of processes done by individual master or worker so that they only do vector multiplication of its own part only. After vector multiplication is done and stored in `cp`, I am gathering values of `cp` in `c` i.e. storing all individual `cp` to `c`

## Graph and tables

<https://docs.google.com/spreadsheets/d/1-wdrr1IYDmO5ER6nbt6rJzJLFmg2e0paNPbluw6FzxY/edit?usp=sharing>

### Question3

Number of thread	execution time(in second)	speedup	parallelization fraction(f)
1	0.622951	1	0
2	0.635019	0.9809958442	-0.03874462036
4	0.440532	1.414087966	0.3904405536
8	0.383513	1.62432825	0.4392695871
16	0.414777	1.501893789	0.3564522196
32	0.538579	1.156656684	0.1398082312
64	2.331938	0.267138749	-2.786918679
120	4.080472	0.1526664072	-5.596870056



## Calculation of parallelization fraction

$T(1) = 0.622951$  seconds

Here , for  $P = 8$  the execution time is minimum

$T(P) = 0.383513$  seconds

$$\text{Speedup} = \frac{T(1)}{T(P)} = \frac{0.622951}{0.383513} = 1.62432825$$

From Amdahl's Law,

$$\text{Speedup} = \frac{1}{(f/P) + (1-f)} \text{ Where , } f = \text{Parallelization factor } P = \text{Thread Number}$$

$$\text{So, } f = \frac{(1-T(P)/T(1))}{(1-(1/P))}$$

Therefore,  $f = 0.4392695871$  which means that approx. 44% of the program is parallelizable.