Manday, August 17, 2020 3:33 PM

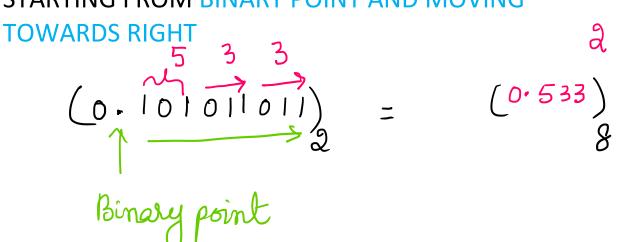
(11010101) =
$$(325)$$
 $3 \times 3 \times 1 = 2$
 $3 \times 1 \times 2 \times 1 = 5$
 $3 \times 1 \times 2 \times 1 = 2$
 $3 \times 1 \times 2 \times 1 = 3$
 $3 \times 1 \times 2 \times 1 = 3$
 $3 \times 1 \times 2 \times 1 = 3$

BINARY TO OCTAL CONVERSION

FRACTIONAL PART CONVERSION:

GROUPING OF THREE BITS IS MADE

STARTING FROM BINARY POINT AND MOVING



Bunary

INTERGER PART CONVERSION: DIVIDE BINARY NUMBER INTO GROUP OF EOUR STARTING FROM LSB AND MOVING TOWARDS 16

MSB

MSB

$$000(1010100101) = (15AD) \frac{3}{2}x_1 + 2^{2}x_1 + \frac{2}{2}x_1$$
 $\frac{3}{2}x_2^2$
 $\frac{3}{2}x_1^2$
 $\frac{3$

BINARY TO HEXADECIMAL CONVERSION

23 22 20 1 0 0 0 0

FRACTIONAL PART CONVERSION:

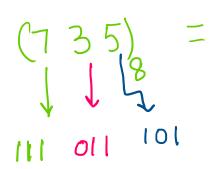
3×1 = 8

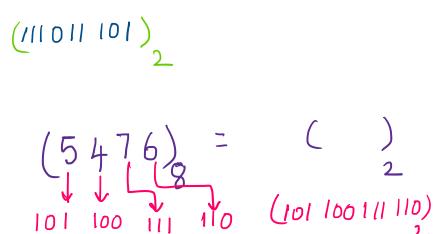
GROUPING OF FOUR BITS IS MADE STARTING FROM BINARY POINT AND MOVING TOWARDS RIGHT

(b.AD8)

(1)OCTAL TO BINARY CONVERSION

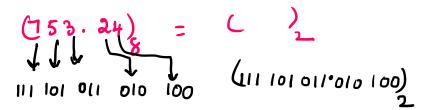
REPLACE EACH OCTAL DIGIT BY 3 BIT EQUIVALENT BINARY





(2)OCTAL TO BINARY CONVERSION

REPLACE EACH OCTAL DIGIT BY 3 BIT EQUIVALENT BINARY



(1) HEXADECIMAL TO BINARY CONVERSION

2 = 24 = 16

REPLACE EACH HEXADECIMAL DIGIT BY 4 BIT EQUIVALENT BINARY

$$(AC9.87) = (1010 1100 100| \cdot 1000 0111)$$

$$1010 1100 1001 1000 0111$$

(1)Determine the value base

Monday, August 17, 2020 12:36 PM $(16)_{10} = 6^{2}$ $6^{2} = 16$ 6 = 16 = 4

octal to Here decimal Monday, August 17, 2020 4:03 PM (734) O octal to binary Binary to Here Binary 000 111 011 100 Here I D C

Hera decimal to octal conversion Monday, August 17, 2020 4:07. PM Level decimal (9 A B 8 · 73) = (115270 · 346) Browy 1001 1010 1011 1000 mill mill octal conversion (9 A B 8 · 73) = (115270 · 346) Browy 1001 1010 1011 1000 mill mill octal conversion

Determine base for (211) b = (152) 8

Tuesday, August 18, 2020 10:02 AM

(152) $8 = () \Rightarrow 1 \times 8 + 5 \times 8 + a \times 8 = 106$ (211) $b = 2b^2 + 1b + 1$ (211) b = (152) 8 ax $+bx + c = 0 \Rightarrow -b \pm \sqrt{b^2 - 4ac}$ 2b^2 + b + 1 = 106 $\Rightarrow 2b^2 + b - 105 = 0$ Base must be positive, so b = 7

(3)Determine the value base

$$23 + 44 + 14 + 32 = 223 \implies base ?$$
 $(23)_{b} = 2b + 3 = 223 \implies base ?$
 $(44)_{b} = 4b + 4 = 2b + 3 = 2b^2 + 2b + 3$
 $(32)_{b} = 3b + 2 = 2b^2 + 2b + 3$
 $(32)_{b} = 3b + 2 = 2b^2 + 2b + 3$
 $(32)_{b} = 3b + 2 = 2b^2 + 2b + 3$
 $(32)_{b} = 3b + 2 = 2b^2 + 2b + 3$
 $(32)_{b} = 3b + 2 = 2b^2 + 2b + 3$
 $(32)_{b} = 3b + 2 = 2b^2 + 2b + 3$
 $(32)_{b} = 3b + 2 = 2b^2 + 2b + 3$

(4) Determine the value base

$$\frac{302}{20} = 12.1$$

$$\frac{3b^{2}+2}{2b} = b+2+\frac{1}{b}$$

$$\frac{3b^{2}+2}{2b} = \frac{b^{2}+2b+1}{b}$$

$$\frac{3b^{2}+2}{2b} = \frac{b^{2}+2b+1}{b}$$
base must be two
$$\frac{3b^{2}+2}{2b} = \frac{2b^{2}+4b+2}{b}$$

$$\frac{3b^{2}+2}{2b} = \frac{2b^{2}+4b+2}{b}$$

$$\frac{3b^{2}+2}{2b} = \frac{2b^{2}+4b+2}{b}$$

$$\frac{3b^{2}+2}{2b} = \frac{2b^{2}+4b+2}{b}$$

$$\frac{3b^{2}+2b+2}{b} = \frac{2b^{2}+4b+2}{b}$$