Microlensing parameters in MulensModel

Radek Poleski last update: Jun 2023

Microlensing parameters in MulensModel class ModelParameters are presented on the next page:

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t_0 t_0 The time of the closest approach between the source and to mass. $t_{\rm E}$ t_E d The Einstein crossing time.	
$t_{ m E}$ to the Einstein crossing time.	the lens center of
$t_{ m E}$ t_E d The Einstein crossing time.	
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$t_{\rm eff}$ t_eff d The effective timescale, $t_{\rm eff} \equiv u_0 t_{\rm E}$.	
ho rho The radius of the source as a fraction of the Eins	tein ring.
t_{\star} t_star d The source self-crossing time, $t_{\star} \equiv \rho t_{\rm E}$.	
$\pi_{\mathrm{E},N}$ pi_E_N The North component of the microlensing paralla	ax vector.
$\pi_{\mathrm{E},E}$ pi_E_E The East component of the microlensing parallax	vector.
$t_{0,\mathrm{par}}$ t_{-0} -par The reference time for parameters in parallax mo	odels. a
K convergence_K External mass sheet convergence.	
G shear_G External mass sheet shear; complex valued to re-	epresent both the
magnitude and angle relative to the binary axis.	
s The projected separation between the lens prim	ary and its com-
panion as a fraction of the Einstein ring radius.	
q q The mass ratio between the lens companion and	the lens primary
$q \equiv m_2/m_1$.	
α alpha deg. The angle between the source trajectory and the	binary axis.
ds/dt ds_dt yr^{-1} The rate of change of the separation.	
$d\alpha/dt$ dalpha_dt deg. yr ⁻¹ The rate of change of α .	
$t_{0,\mathrm{kep}}$ t_0_kep The reference time for lens orbital motion calcula	ations.a
$x_{\text{caustic,in}}$ x_caustic_in Curvelinear coordinate of caustic entrance for a bi	inary lens model. ^b
$x_{\text{caustic,out}}$ x_caustic_out Curvelinear coordinate of caustic exit for a binary	y lens model. ^b
$t_{\rm caustic,in}$ t_caustic_in Epoch of caustic exit for a binary lens model. ^b	
$t_{\text{caustic,out}}$ t_caustic_out Epoch of caustic exit for a binary lens model. ^b	
ξ_P xi_period d The orbital period of xallarap.	
ξ_a xi_semimajor_axis The semimajor axis of a xallarap orbit as a fraction	on of the Einstein
ring.	
ξ_i xi_inclination deg The inclination of a xallarap orbit.	
ξ_Ω xi_Omega_node deg The longitude of the ascending node of a xallarap	o orbit.

ξ_u	xi_argument_of_latitude_reference	deg	The argument of latitude at the reference epoch $(t_{0,\chi})$. The argument of latitude is a sum of true anomaly $(\nu, \text{ changes with time})$
			and the argument of periapsis (ω , orbit parameter, i.e., does not
			change with time): $u = \nu + \omega$.
ξ_e	$ exttt{xi_eccentricity}$		The eccentricity of a xallarap orbit.
ξ_ω	xi_omega_periapsis	\deg	The argument of periapsis of a xallarap orbit.
$t_{0,\xi}$	t_O_xi		The reference epoch for parameters in xallarap models. a

Table 1: Notes:

 $[^]a-t_{0,\mathrm{par}},\,t_{0,\mathrm{kep}},\,$ and $t_{0,\chi}$ are reference parameters, hence, do not change these during fitting. $^b-$ The four parameters of binary lens in Cassan (2008) parameterization ($x_{\mathrm{caustic,in}},\,x_{\mathrm{caustic,out}},\,t_{\mathrm{caustic,in}},\,$ and $t_{\text{caustic,out}}$) are used instead of $(t_0, u_0, t_{\text{E}}, \text{ and } \alpha)$.

Some of the parameters can be defined separately for each of the sources in binary source models. In that case, add _1 or _2 to parameter name. These are:

- t₋0₋1, t₋0₋2,
- u_0_1, u_0_2,
- rho_1, rho_2,
- t_star_1, t_star_2.

Also note that there are properties of the microlensing events that are not considered parameters in the ModelParameters class, but are implemented in other parts of the MulensModel. The most important are:

- source and blending fluxes Event and FitData; also see use case 38,
- sky coordinates Model.coords,
- limb-darkening coefficients Model.set_limb_coeff_gamma and Model.set_limb_coeff_u,
- flux ratio for binary source models Model.set_source_flux_ratio and Model.set_source_flux_ratio_for_band,
- methods used to calculate magnification Model.set_magnification_methods,
- coordinates of space telescopes Model.get_satellite_coords.