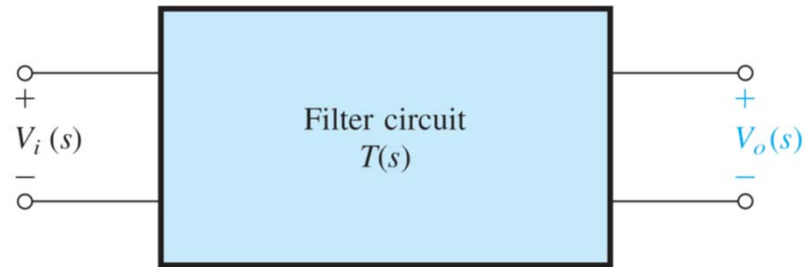




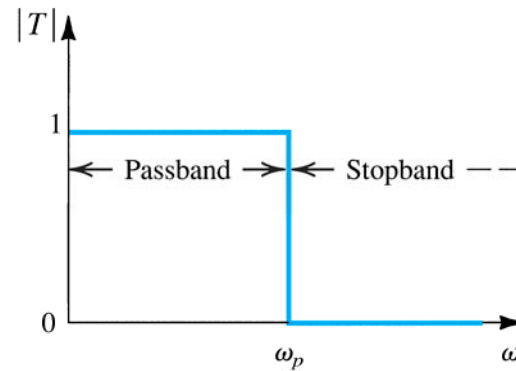
Amplificadores operacionais - filtros ativos

Prof. Alceu André Badin

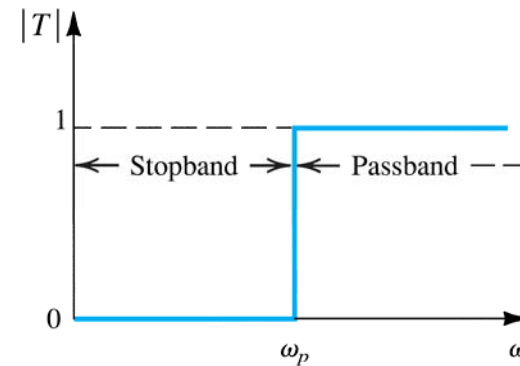
Tipos de filtros ideias



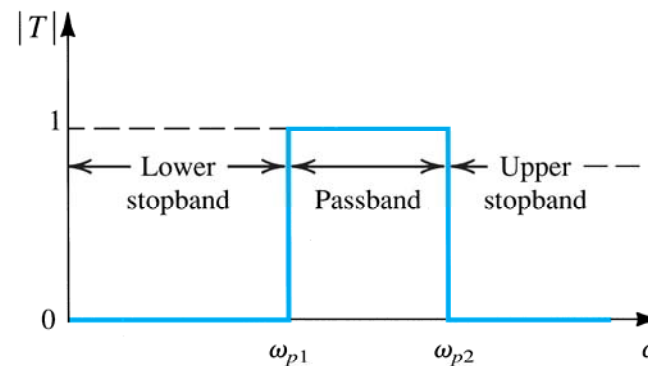
$$T(s) = V_o(s) / V_i(s)$$



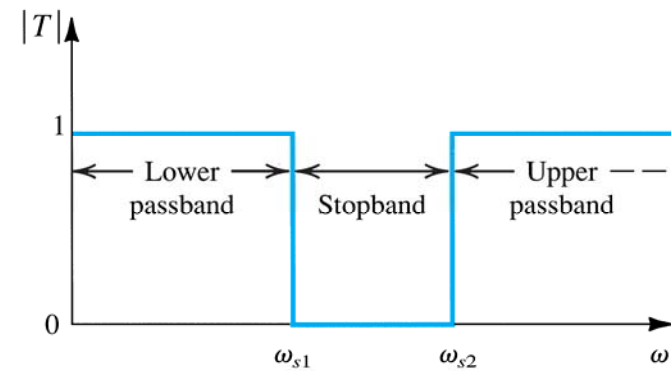
(a) Low-pass (LP)



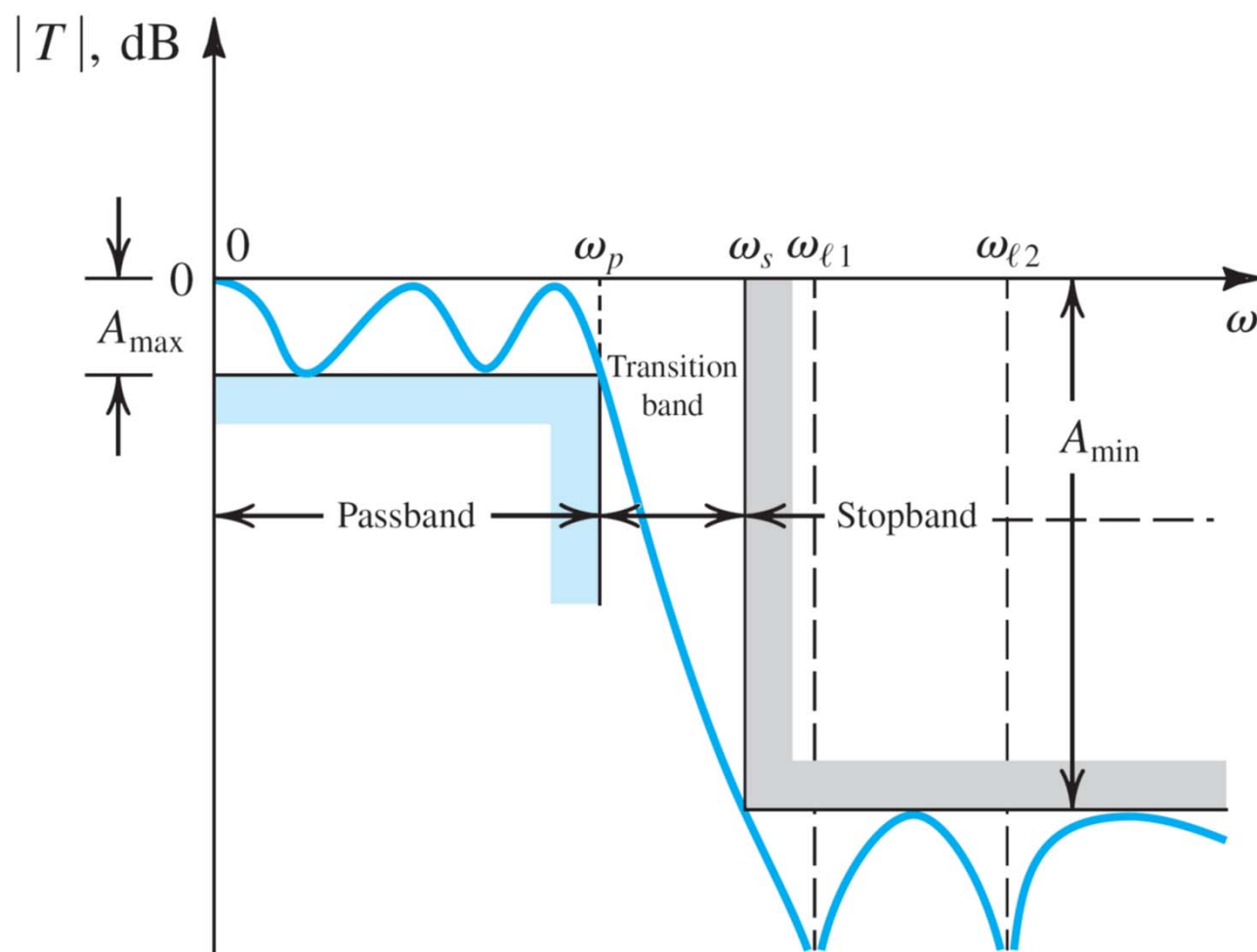
(b) High-pass (HP)



(c) Bandpass (BP)



(d) Bandstop (BS)



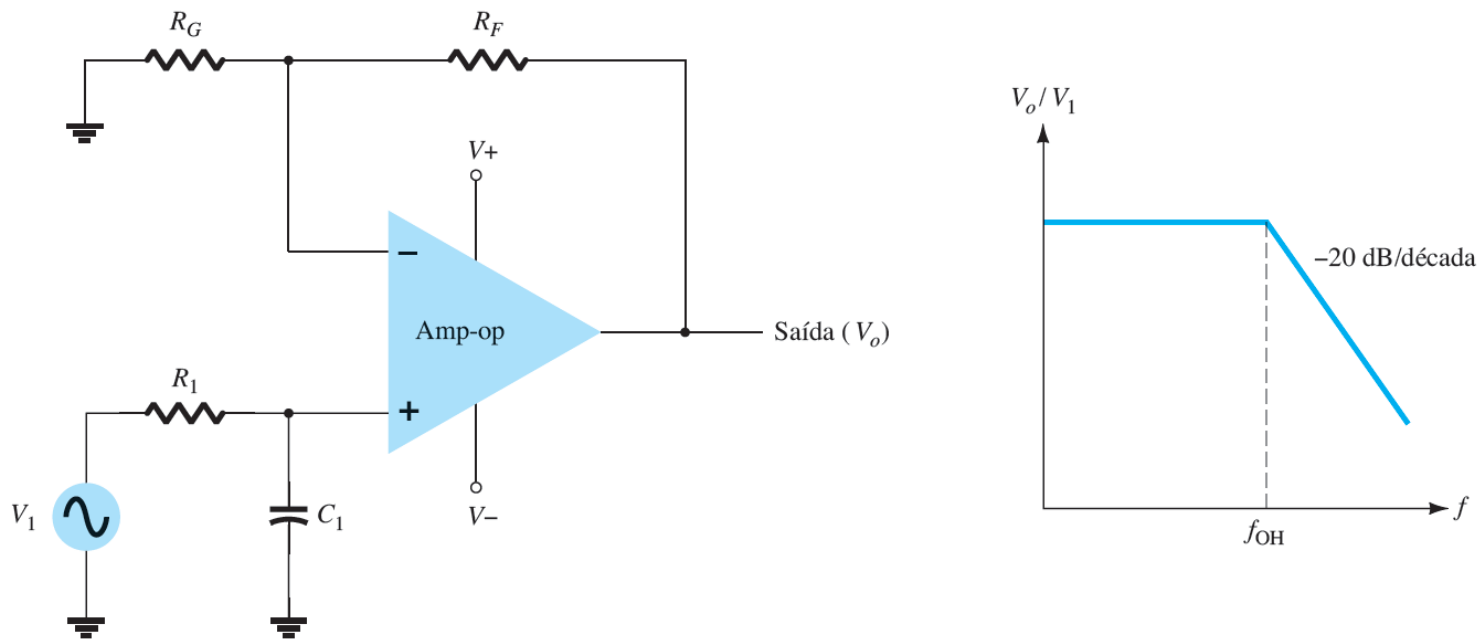
Filtros ativos

- Adicionar capacitores aos circuitos amp-op fornece controle externo das frequências de corte. O filtro ativo do amp-op tem ganho de frequências de corte controlável.

- **Filtro passa-baixas**
- **Filtro passa-altas**
- **Filtro passa-banda ou passa-faixa**
- **Filtro rejeita-banda ou rejeita-faixa**



Filtro passa-baixas, de primeira ordem

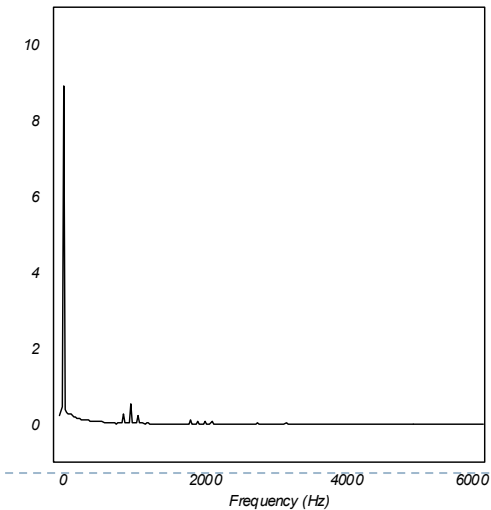
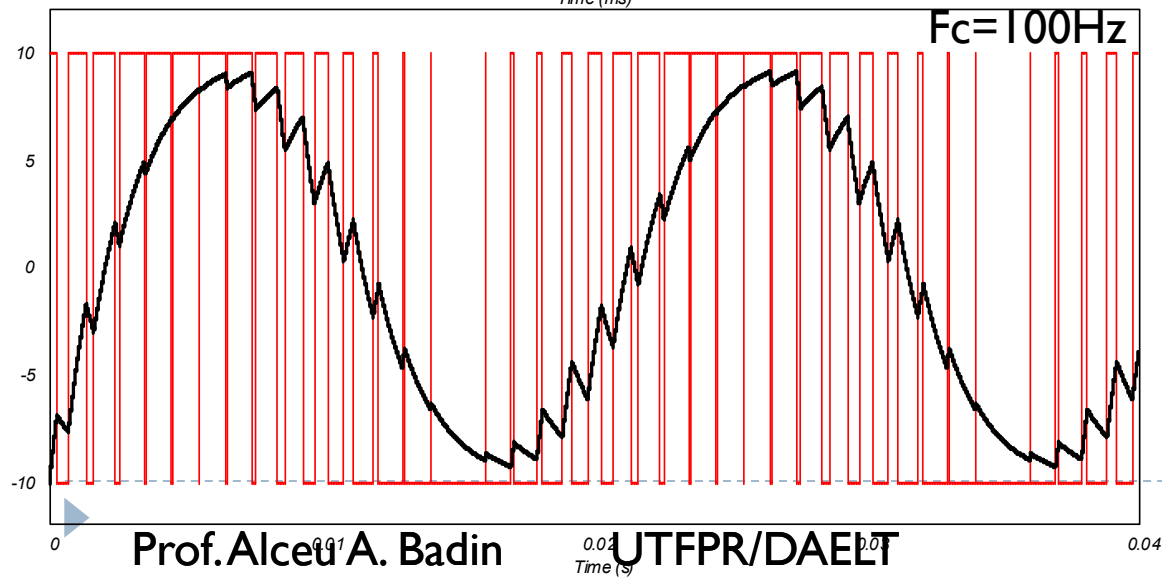
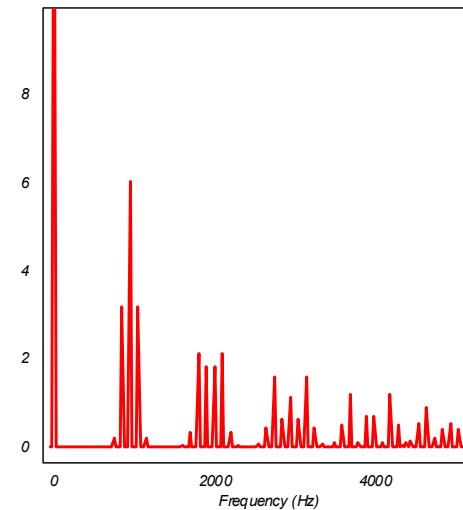
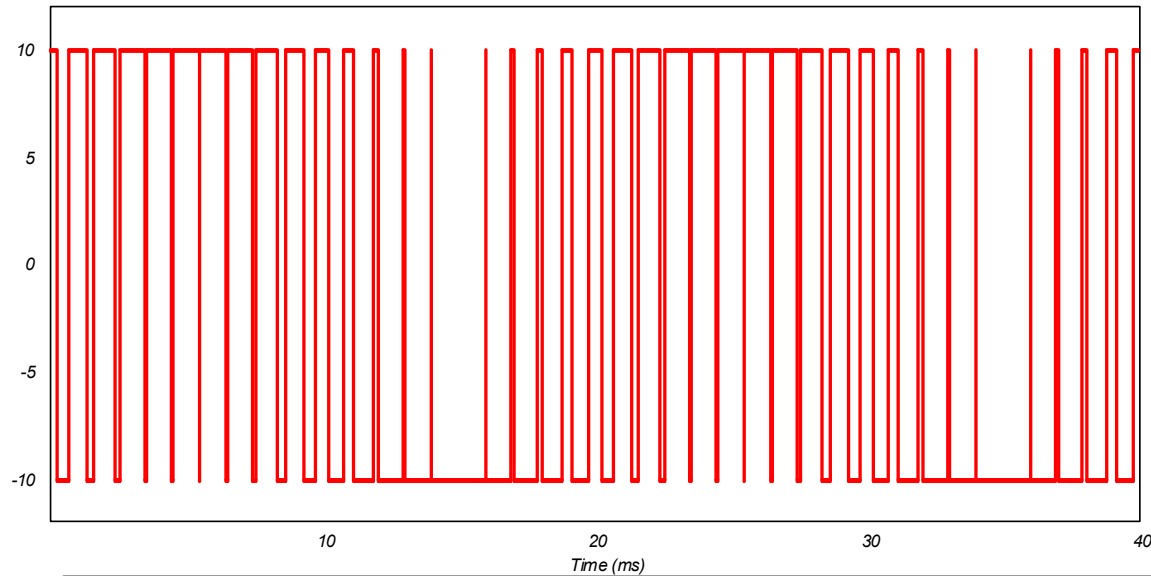


- A frequência de corte superior e o ganho de tensão são dados por:

$$f_{OH} = \frac{1}{2\pi R_1 C_1}$$

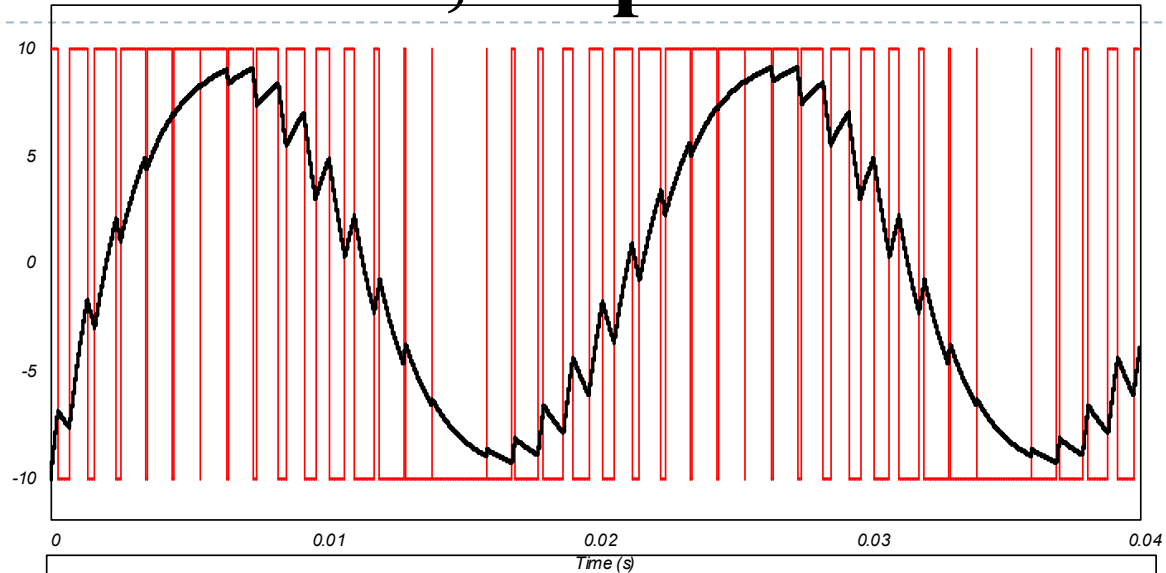
$$A_v = 1 + \frac{R_f}{R_1}$$

Filtro passa-baixas, de primeira ordem

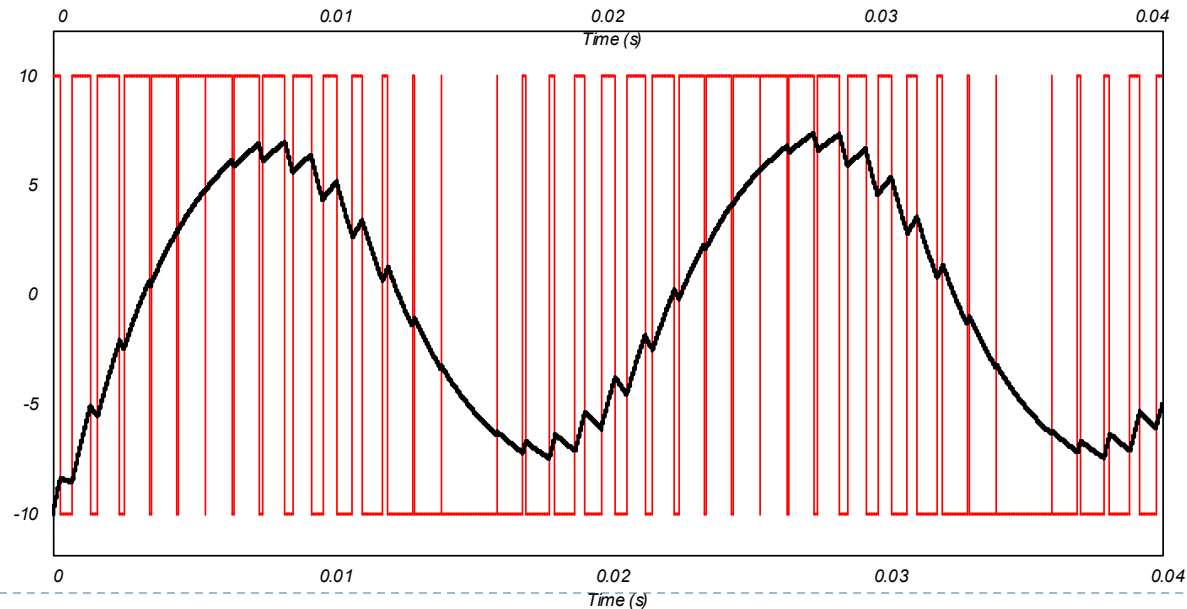


Filtro passa-baixas, de primeira ordem

$f_c = 100\text{Hz}$

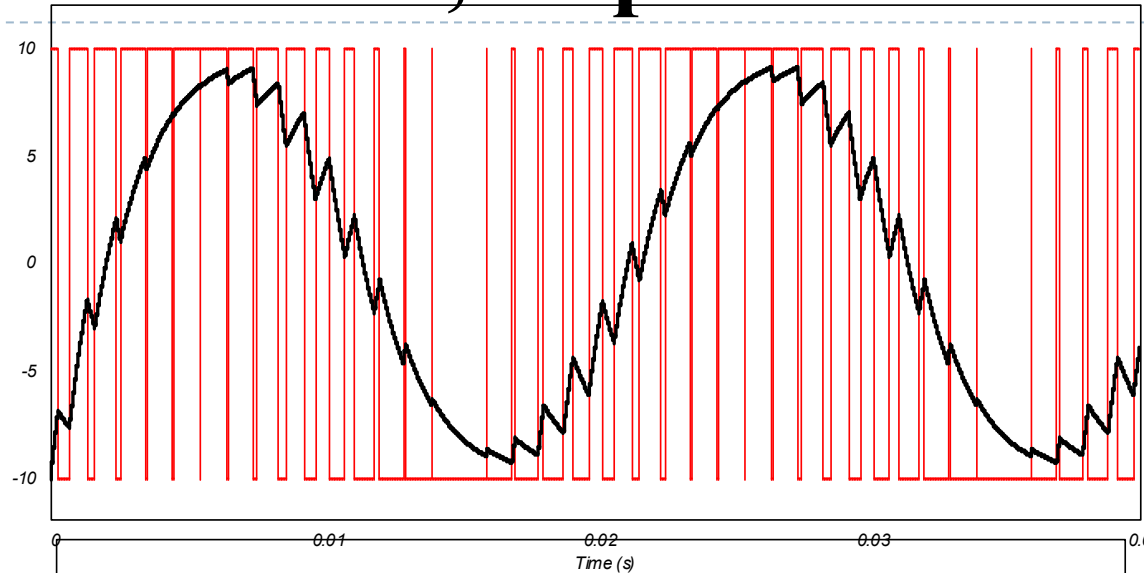


$f_c = 50\text{Hz}$

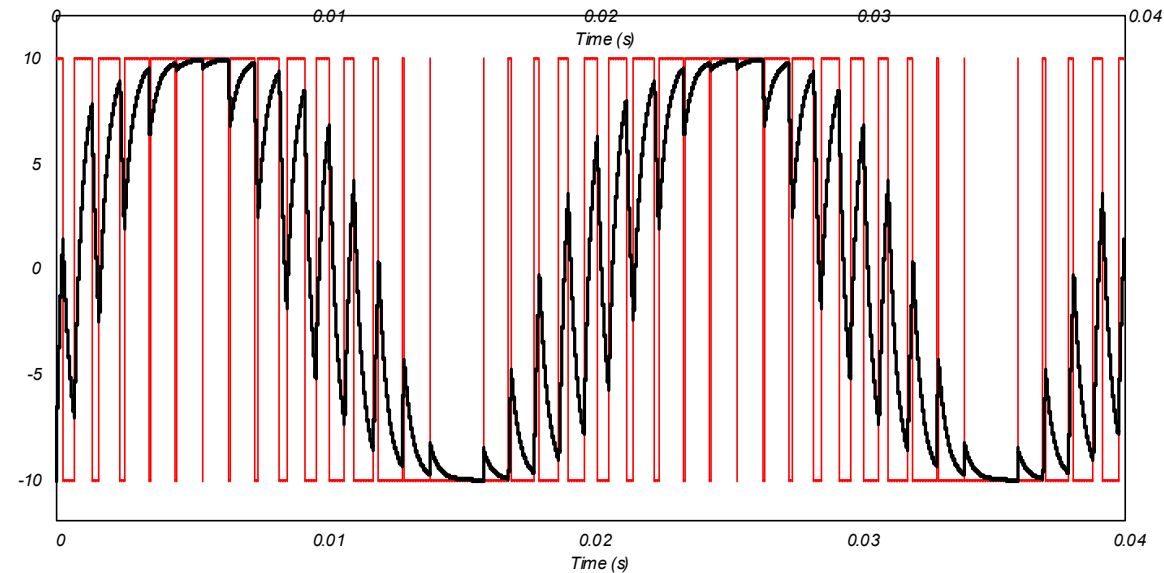


Filtro passa-baixas, de primeira ordem

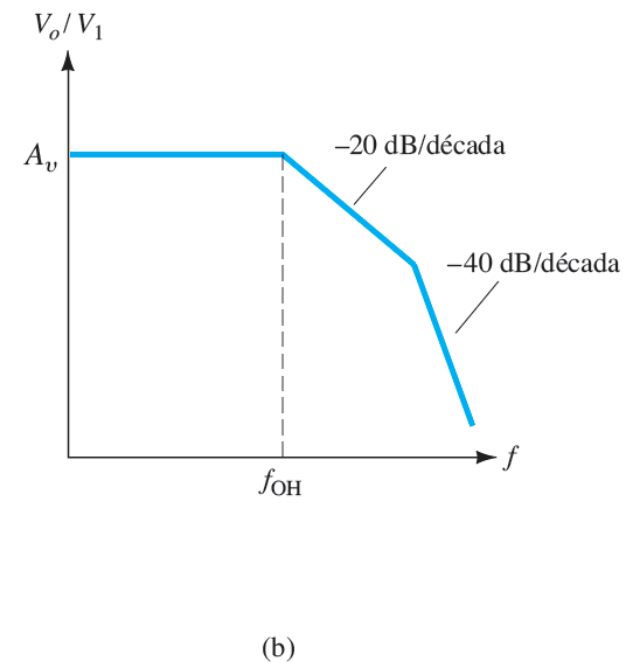
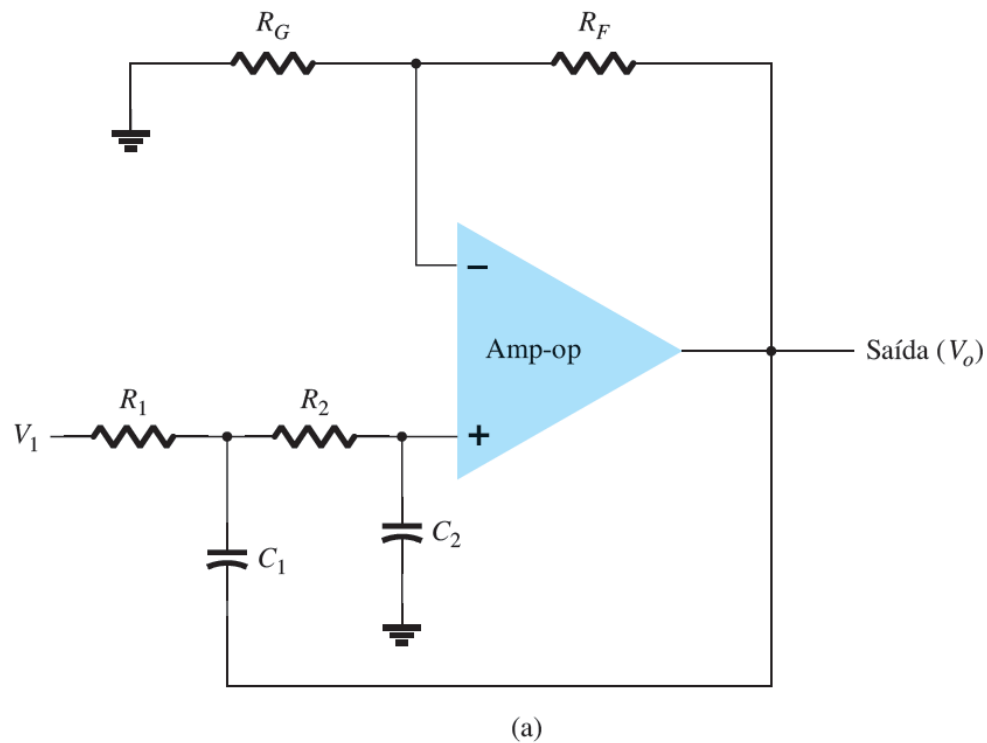
$f_c = 100\text{Hz}$



$f_c = 500\text{Hz}$



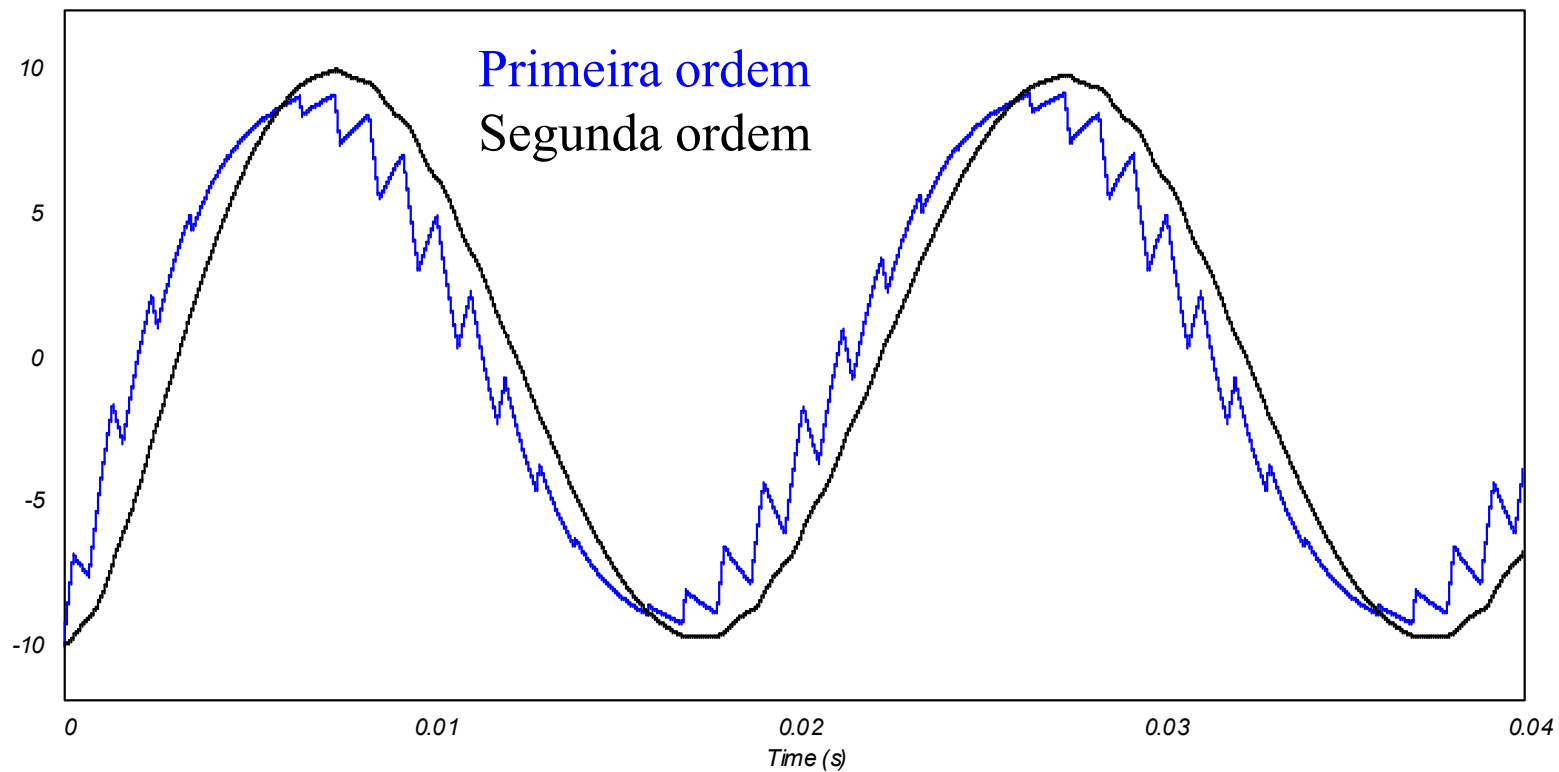
Filtro passa-baixas, segunda ordem



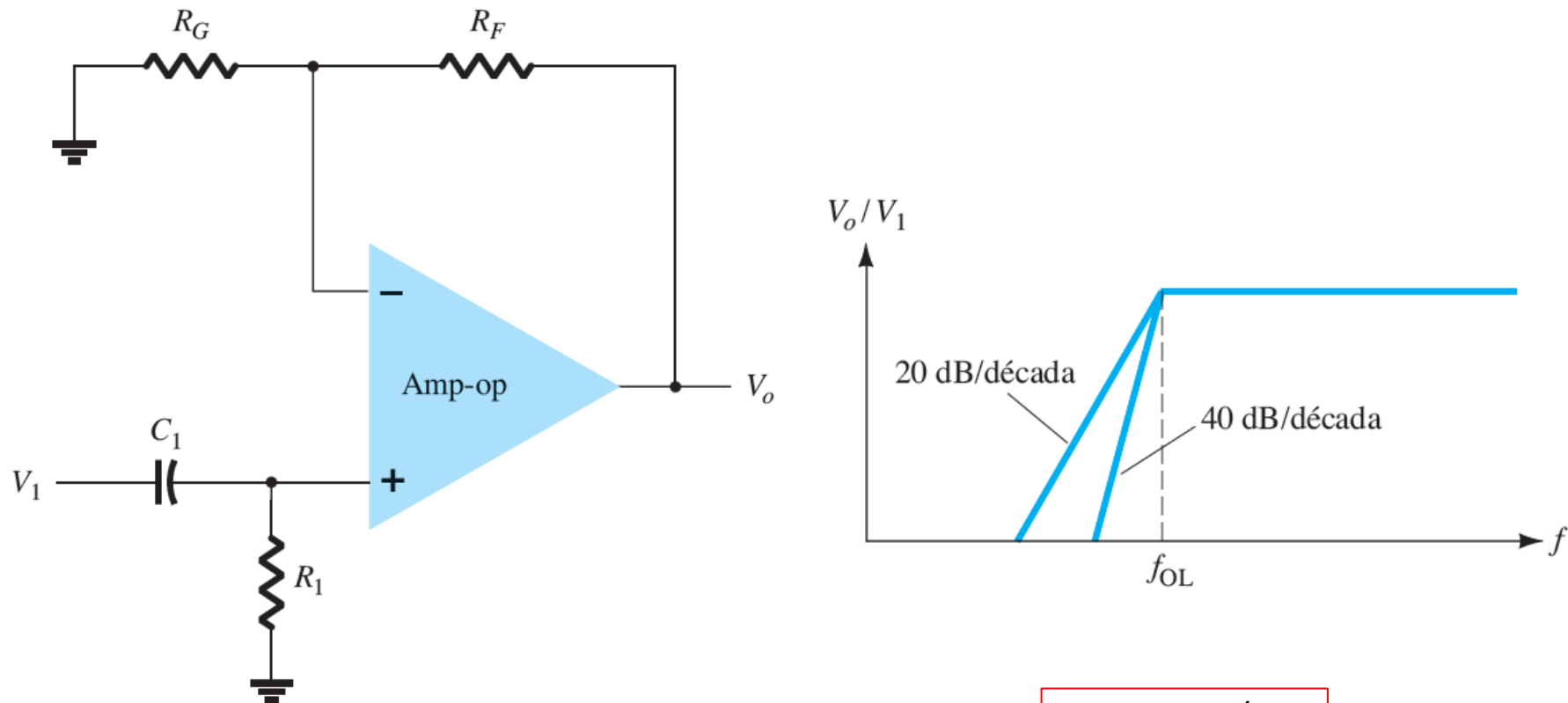
- O roll-off pode ser maior se adicionadas mais redes RC.

Filtro passa-baixas, segunda ordem

$f_c = 100\text{Hz}$



Filtro passa-altas



- A frequência de corte é determinada por:

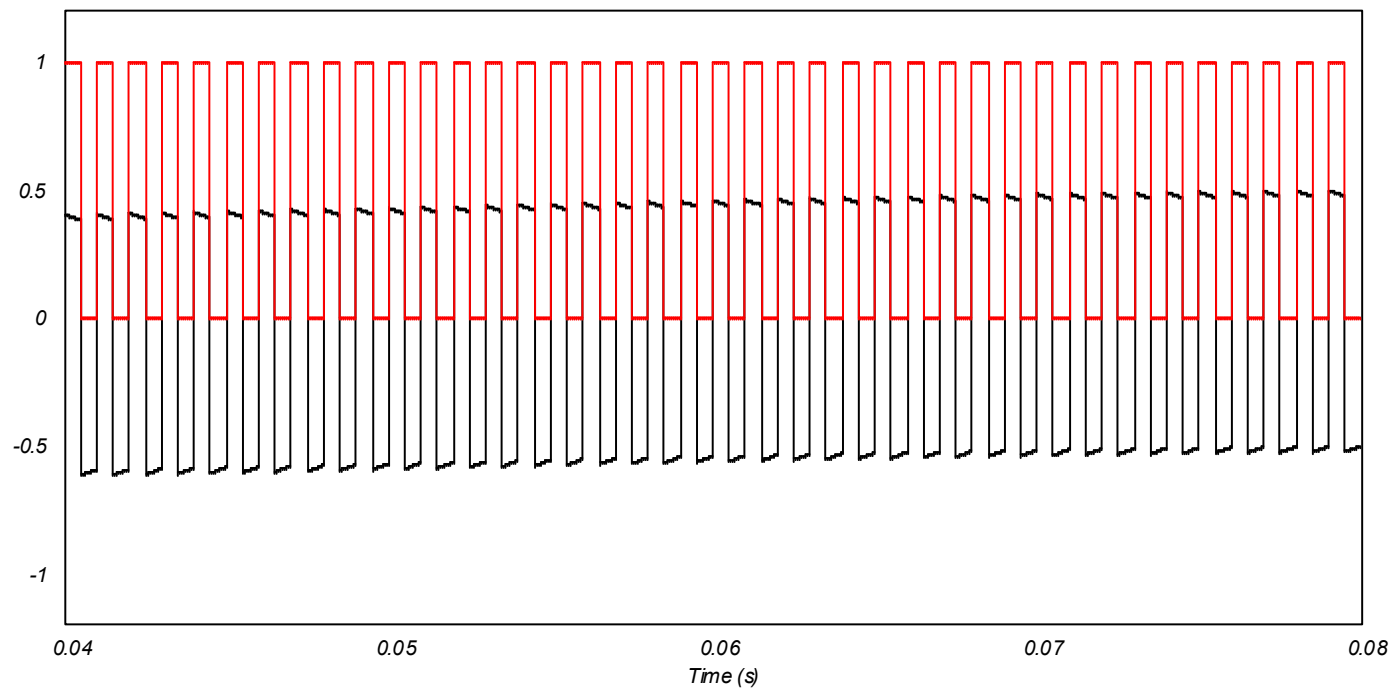
$$f_{OL} = \frac{1}{2\pi R_1 C_1}$$

Filtro passa-altas

$f_c = 100\text{Hz}$

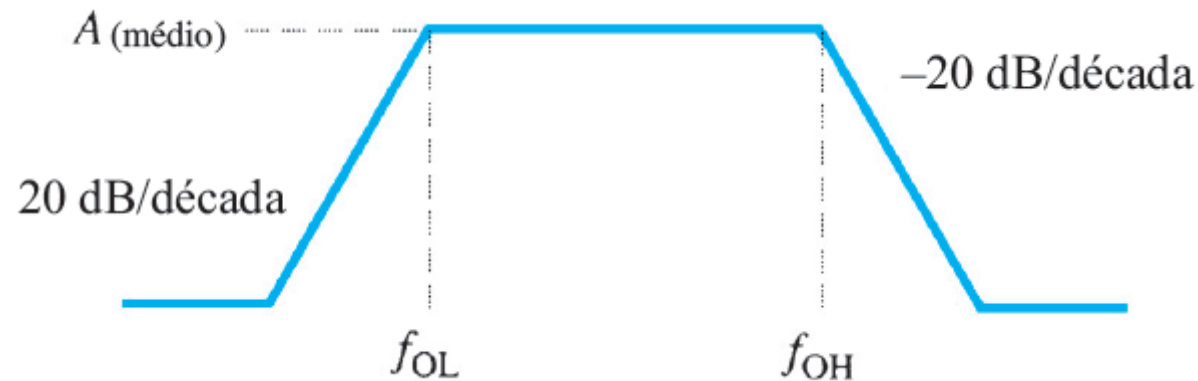
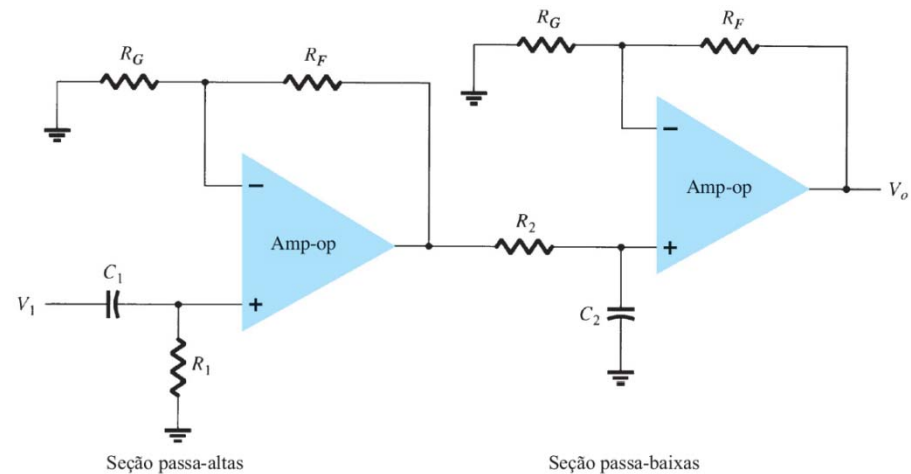
Sinal entrada

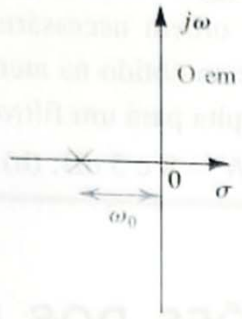
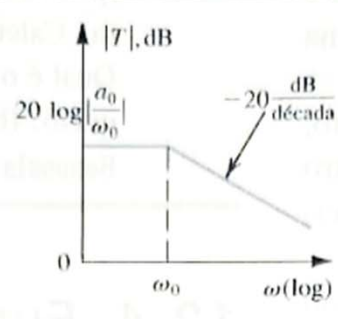
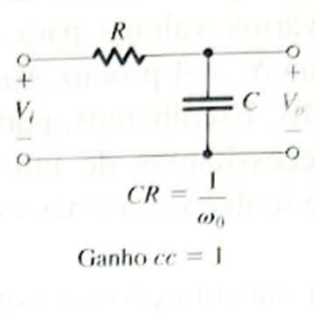
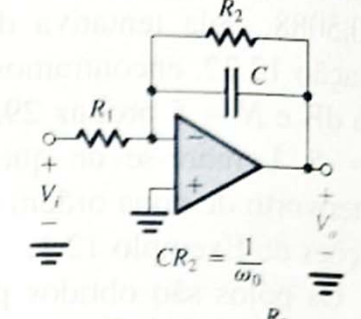
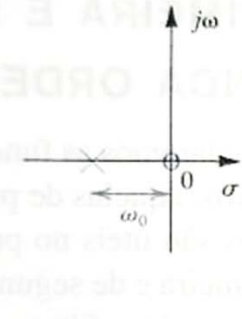
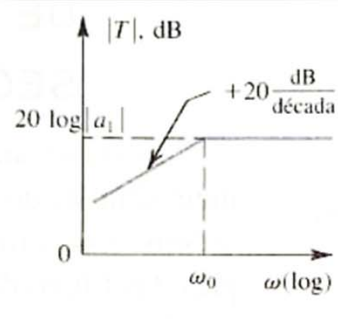
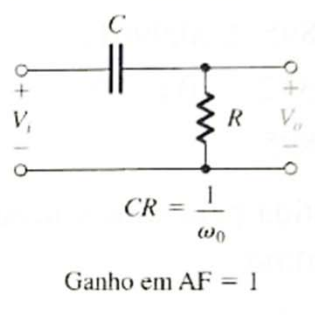
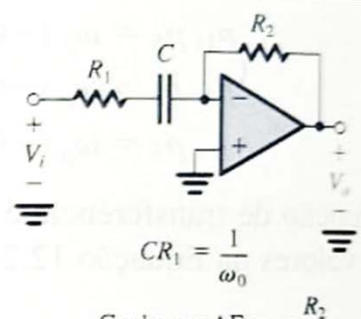
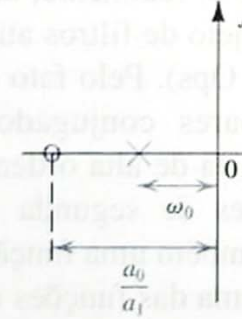
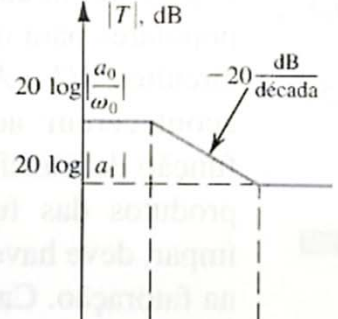
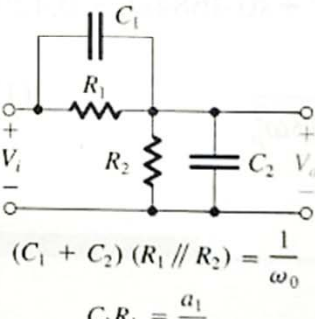
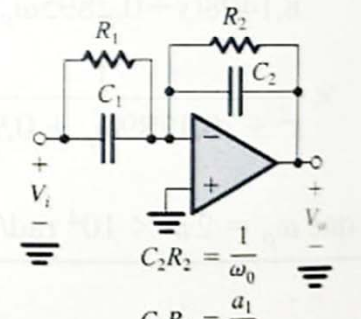
Sinal de saída



Filtro passa-banda

- Há duas frequências de corte: a superior e a inferior.



Tipo de filtro e $T(s)$	Singularidades no plano s	Curvas de bode para $ T $	Implementação passiva	Implementação RC-amp op
(a) Passa-baixas (PB) $T(s) = \frac{a_0}{s + \omega_0}$			 $CR = \frac{1}{\omega_0}$ Ganho cc = 1	 $CR_2 = \frac{1}{\omega_0}$ Ganho cc = $-\frac{R_2}{R_1}$
(b) Passa-altas (PA) $T(s) = \frac{a_1 s}{s + \omega_0}$			 $CR = \frac{1}{\omega_0}$ Ganho em AF = 1	 $CR_1 = \frac{1}{\omega_0}$ Ganho em AF = $-\frac{R_2}{R_1}$
(c) Genérico $T(s) = \frac{a_1 s + a_0}{s + \omega_0}$			 $(C_1 + C_2)(R_1 \parallel R_2) = \frac{1}{\omega_0}$ $C_1 R_1 = \frac{a_1}{a_0}$ Ganho cc = $\frac{R_2}{R_1 + R_2}$ Ganho em AF = $\frac{C_1}{C_1 + C_2}$	 $C_2 R_2 = \frac{1}{\omega_0}$ $C_1 R_1 = \frac{a_1}{a_0}$ Ganho cc = $-\frac{R_2}{R_1}$ Ganho em AF = $-\frac{C_1}{C_2}$

Parâmetros de frequência de um ampop

- Um amp-op é amplificador com ampla largura de banda.
- Os fatores seguintes afetam a largura da banda do amp-op:

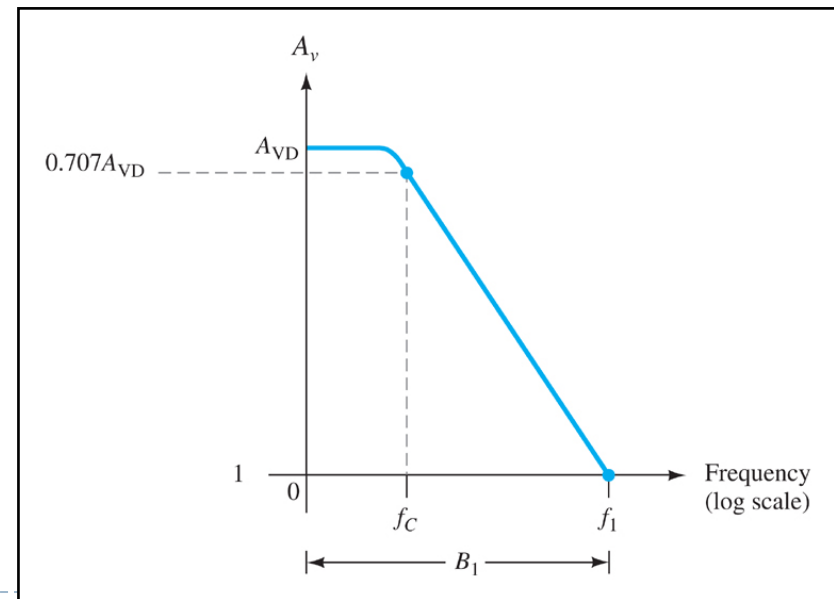
- **Ganho**

- **Taxa de inclinação**

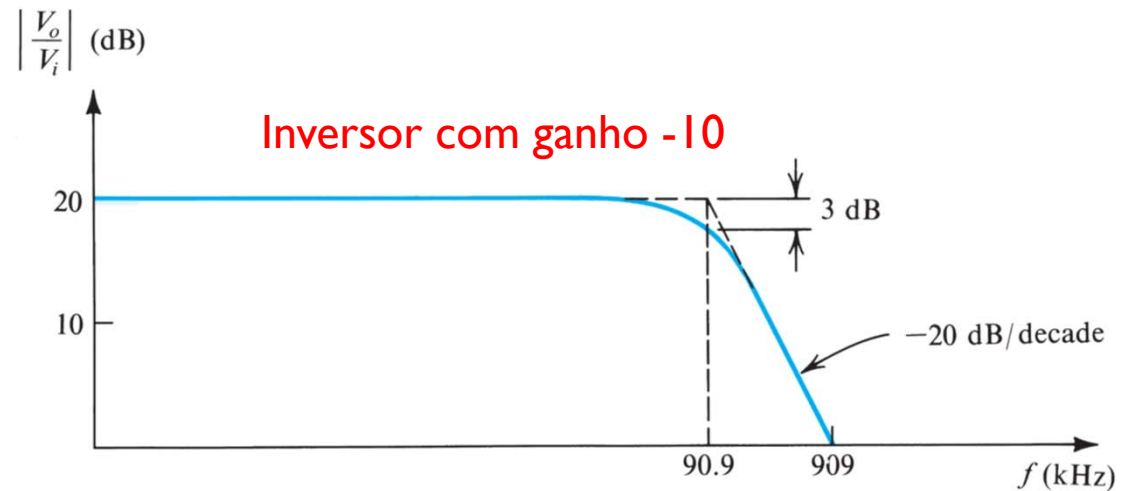
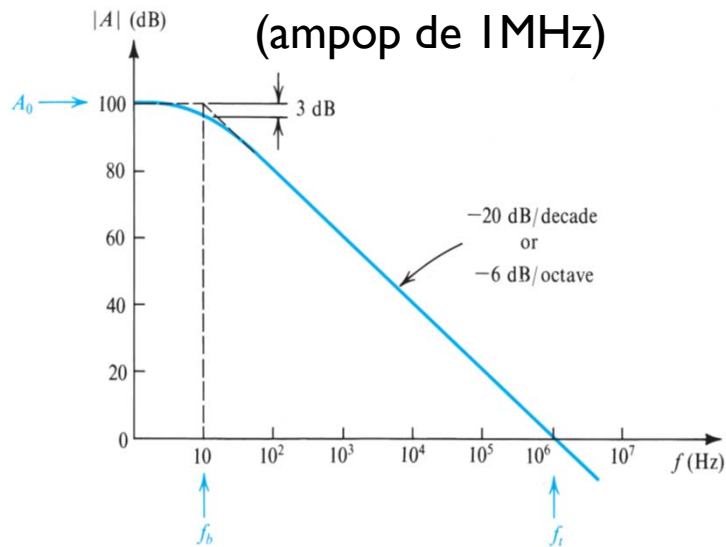


Ganho e largura de banda

- A alta resposta em frequência do amp-op é limitada por seus circuitos internos. O gráfico mostrado é para um ganho de malha aberta (A_{OL} ou A_{VD}). Isso significa que o amp-op está operando com o mais alto ganho possível sem resistor com realimentação.
- No modo de malha aberta, um amp-op tem uma largura de banda estreita. A largura da banda aumenta no modo de malha fechada, mas o ganho é inferior.



Ganho e largura de banda



Closed-Loop Gain	R_2/R_1	$f_{3\text{ dB}} = f_t / (1 + R_2/R_1)$
+1000	999	1 kHz
+100	99	10 kHz
+10	9	100 kHz
+1	0	1 MHz
-1	1	0.5 MHz
-10	10	90.9 kHz
-100	100	9.9 kHz
-1000	1000	$\simeq 1$ kHz

