## Craps Game Odds

$$P(+1) = \frac{2}{11} + \frac{7}{11} \left( \frac{1}{11} + \frac{9}{11} \right) \right) \right) \right) \right)$$

$$\left( et \ P_{o} = \frac{1}{11} + \frac{9}{11} \left( \frac{1}{11} + \frac{9}{11} \left( \frac{1}{11} + \cdots \right) \right) \right)
 = \frac{1}{11} + \frac{9}{11} \left( \frac{1}{11} + \frac{9}{11} \left( \frac{1}{11} + \cdots \right) \right)
 = \frac{1}{11} + \frac{9}{11} \left( \frac{1}{11} + \frac{9}{11} \left( \frac{1}{11} + \cdots \right) \right)$$

$$\frac{\circ}{\circ\circ} \quad \rho_{\circ} = \frac{1}{11} + \frac{9}{11} \rho_{\circ}$$

$$l_0\left(1-\frac{q}{n}\right)=\frac{1}{n}$$

$$\begin{array}{c}
\rho_0 \left( \frac{2}{11} \right) = \frac{1}{11} \\
\rho_0 = \frac{1}{2}
\end{array}$$

$$=\frac{2}{11}+\frac{7}{11}\left(\frac{1}{2}\right)$$

$$= \frac{2}{11} + \frac{7}{22} = \frac{4}{22} + \frac{7}{22}$$

$$= \frac{11}{22} + \frac{7}{22} = \frac{1}{2}$$

$$=\frac{11}{22}=\frac{1}{2}$$

Similarly, 
$$P(-1) = \frac{1}{2}$$

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Zylab-large-simulation. Py.
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Philosophy:
             (1) Run the game, to completion,

1000 times: credit= $

= 1000
    2 For each full Game, reward:

Credit-result ] credits as a function of round #

Credit-round [-...]
round-resut[] > # of rounds.

113+
25
115+5!!!! (3) We also want a list to reach game.

The round number sequence for each game.
    result_number[} = [1,2,3,--- )-, rounds]
                            for platting purpers.
   credit-result = []
   round-result = [3
   result - number = []
  for i in range (num-sims).
                       credit-round = []
                        result-round = []
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round-result. append [rounds]

credit-result. append [credit-round]

credit-nombor.appond [result-round]