

VISVESVARAYA TECHNOLOGICAL UNIVERSITY

“JnanaSangama”, Belgaum -590014, Karnataka.



LAB RECORD

Bio Inspired Systems (23CS5BSBIS)

Submitted by

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in partial fulfillment for the award of the degree of

**BACHELOR OF ENGINEERING
in
COMPUTER SCIENCE AND ENGINEERING**



B.M.S. COLLEGE OF ENGINEERING

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CERTIFICATE

This is to certify that the Lab work entitled “ Bio Inspired Systems (23CS5BSBIS)” carried out by **Ameena Yasmeen(1BM23CS027)**, who is bonafide student of **B.M.S. College of Engineering**. It is in partial fulfillment for the award of **Bachelor of Engineering in Computer Science and Engineering** of the Visvesvaraya Technological University, Belgaum. The Lab report has been approved as it satisfies the academic requirements of the above mentioned subject and the work prescribed for the said degree.

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Github Link:

<https://github.com/Ameena1BM23CS27/BIS-Lab>

Program 1

Genetic Algorithm for Optimization Problems

Problem Statement

Genetic Algorithms (GA) are inspired by the process of natural selection and genetics, where the fittest individuals are selected for reproduction to produce the next generation. GAs are widely used for solving optimization and search problems.

Implement a Genetic Algorithm using Python to solve a basic optimization problem, such as finding the maximum value of a mathematical function.

Algorithm:

29/08/2025

LAB-1

1. strings, arrays, searching, sorting, non-linear data, structures, greedy, dynamic programming.

Data exploration & visualization

Bio-Inspired System Lab. LAB-1.

1. Genetic Algorithm for Optimization problems.

Algorithm

1. start with a random group of strings (called the population). Each string is made up of random characters.
2. Check how good each string is, by comparing it to the target string. The better the string matches the string, the higher its score.
3. Pick the best strings, from the group (the ones closest to the target). - these are the fittest individuals.
4. Create new strings (children) by mixing parts of two parent strings. Sometimes randomly change a character to keep things fresh (mutation).
5. Keep some of the best strings exactly, as they are so their good traits aren't lost (elitism).

6. Replace the old group with this new group of strings.
7. Repeat steps 2 to 6 until one string perfectly matches the target (no differences), or you decide to stop.

Pseudocode:-

Function CreatePopulation(size):
return a list of 'size' random strings

Function CalculateFitness(string, target):
return the number of characters that don't match the target

Function Mate (Parent1, Parent2):
crossover_point = random point
create offspring by combining parts of parent1 and parent2
return offspring.

Function Mutate(offspring)
with small probability, randomly change a character in the offspring
return offspring

Function GeneticAlgorithm():
population = CreatePopulation(100)
target = "I love momos"
generations = 0

Competitive Coding.

PAGE NO.

DATE / /

x. while not solution-found and generations < max-generations:
 sort population by fitness (lower fitness is better)

 if fitness of the best individual == 0;

 print("Solution Found!")

 break

 new-generation = []

 new-generation = population[0:10] (top 10 fittest individual)

 for i in range(90):

 parent1 = Random selection from top 50% population

 parent2 = Random selection from top 50% population

 offspring = Mate(parent1, parent2)

 offspring = mutate(offspring)

 new-generation.append(offspring)

 population = new-generation

 generation += 1

print("Best Individ in population:", population[0])

Code:

```
import random
import math

# 1. Define the problem — function to optimize
def fitness_function(x):
    # Example function:  $f(x) = x * \sin(10\pi x) + 1.0$  (maximize this)
    return x * math.sin(10 * math.pi * x) + 1.0

# 2. Initialize Parameters
POP_SIZE = 20      # Number of individuals in population
GENES = 16         # Number of bits to represent a chromosome
MUTATION_RATE = 0.01 # Probability of mutation
CROSSOVER_RATE = 0.7 # Probability of crossover
GENERATIONS = 50   # Number of generations
X_MIN, X_MAX = 0, 1 # Range of x values

# Helper functions
def decode(chromosome):
    """Convert binary chromosome to a real value in range [X_MIN, X_MAX]"""
    decimal_value = int(chromosome, 2)
    return X_MIN + (decimal_value / (2**GENES - 1)) * (X_MAX - X_MIN)

def create_individual():
    """Generate a random binary string (chromosome)"""
    return "".join(random.choice('01') for _ in range(GENES))

def crossover(parent1, parent2):
    """Single-point crossover"""
    if random.random() < CROSSOVER_RATE:
        point = random.randint(1, GENES - 1)
        return parent1[:point] + parent2[point:], parent2[:point] + parent1[point:]
    return parent1, parent2

def mutate(chromosome):
    """Random bit flip mutation"""
    chromosome = list(chromosome)
    for i in range(GENES):
        if random.random() < MUTATION_RATE:
            chromosome[i] = '1' if chromosome[i] == '0' else '0'
    return "".join(chromosome)

# 3. Create initial population
population = [create_individual() for _ in range(POP_SIZE)]

best_solution = None
```

```

best_fitness = float('-inf')

# 4-8. Main GA loop
for generation in range(GENERATIONS):
    # Evaluate fitness for each individual
    fitness_scores = []
    for individual in population:
        x = decode(individual)
        fitness = fitness_function(x)
        fitness_scores.append(fitness)

    if fitness > best_fitness:
        best_fitness = fitness
        best_solution = individual

    # Print progress
    print(f"Generation {generation + 1} | Best Fitness: {best_fitness:.5f}")

    # 5. Selection (Roulette Wheel Selection)
    total_fitness = sum(fitness_scores)
    probabilities = [f / total_fitness for f in fitness_scores]

    def select_parent():
        r = random.random()
        cumulative = 0
        for i, prob in enumerate(probabilities):
            cumulative += prob
            if r <= cumulative:
                return population[i]

    # 6. Crossover and 7. Mutation
    new_population = []
    while len(new_population) < POP_SIZE:
        parent1 = select_parent()
        parent2 = select_parent()
        offspring1, offspring2 = crossover(parent1, parent2)
        new_population.append(mutate(offspring1))
        if len(new_population) < POP_SIZE:
            new_population.append(mutate(offspring2))

    population = new_population

# 9. Output the best solution
best_x = decode(best_solution)
print("\n💎 Best Solution Found:")
print(f"x = {best_x:.5f}")
print(f"Fitness = {best_fitness:.5f}")

```


Output:

OUTPUT:

```
➤ Generation 1 | Best Fitness: 1.62960
Generation 2 | Best Fitness: 1.62960
Generation 3 | Best Fitness: 1.84872
Generation 4 | Best Fitness: 1.84913
Generation 5 | Best Fitness: 1.85005
Generation 6 | Best Fitness: 1.85005
Generation 7 | Best Fitness: 1.85005
Generation 8 | Best Fitness: 1.85005
Generation 9 | Best Fitness: 1.85005
Generation 10 | Best Fitness: 1.85005
Generation 11 | Best Fitness: 1.85059
Generation 12 | Best Fitness: 1.85059
Generation 13 | Best Fitness: 1.85059
Generation 14 | Best Fitness: 1.85059
Generation 15 | Best Fitness: 1.85059
Generation 16 | Best Fitness: 1.85059
Generation 17 | Best Fitness: 1.85059
Generation 18 | Best Fitness: 1.85059
Generation 19 | Best Fitness: 1.85059
Generation 20 | Best Fitness: 1.85059
Generation 21 | Best Fitness: 1.85059
Generation 22 | Best Fitness: 1.85059
Generation 23 | Best Fitness: 1.85059
Generation 24 | Best Fitness: 1.85059
Generation 25 | Best Fitness: 1.85059
Generation 26 | Best Fitness: 1.85059
Generation 27 | Best Fitness: 1.85059
Generation 28 | Best Fitness: 1.85059
Generation 29 | Best Fitness: 1.85059
Generation 30 | Best Fitness: 1.85059
Generation 31 | Best Fitness: 1.85059
Generation 32 | Best Fitness: 1.85059
Generation 33 | Best Fitness: 1.85059
Generation 34 | Best Fitness: 1.85059
Generation 35 | Best Fitness: 1.85059
Generation 36 | Best Fitness: 1.85059
Generation 37 | Best Fitness: 1.85059
Generation 38 | Best Fitness: 1.85059
Generation 39 | Best Fitness: 1.85059
Generation 40 | Best Fitness: 1.85059
Generation 41 | Best Fitness: 1.85059
Generation 42 | Best Fitness: 1.85059
Generation 43 | Best Fitness: 1.85059
Generation 44 | Best Fitness: 1.85059
Generation 45 | Best Fitness: 1.85059
Generation 46 | Best Fitness: 1.85059
Generation 47 | Best Fitness: 1.85059
Generation 48 | Best Fitness: 1.85059
Generation 49 | Best Fitness: 1.85059
Generation 50 | Best Fitness: 1.85059
```

🔴 Best Solution Found:
x = 0.85122
Fitness = 1.85059

Program 2

Optimization via Gene Expression Algorithms:

Problem Statement

Gene Expression Algorithms (GEA) are inspired by the biological process of gene expression in living organisms. This process involves the translation of genetic information encoded in DNA into functional proteins. In GEA, solutions to optimization problems are encoded in a manner similar to genetic sequences. The algorithm evolves these solutions through selection, crossover, mutation, and gene expression to find optimal or near-optimal solutions. GEA is effective for solving complex optimization problems in various domains, including engineering, data analysis, and machine learning.

Algorithm:

12/19/25 LAB-2

Optimization via Gene Expression Algorithms

Pseudocode

Step 1: initialize population

- for each individual in population
- create random chromosomes of fixed length using functionSet + TerminalSet

Step 2: Evaluate fitness

- for each individual:
- decode chromosome to Expression Tree (Phenotype)
- Evaluate fitness = Objective function (Expression Tree op)

Step 3: Repeat for G generations or until convergence

- for generation = 1 to MaxGenerations:
- a. Selection
- select individuals for reproduction based on fitness (e.g. tournament)
- b. Crossover
- for selected pairs:
- with probability CrossoverRate
- perform crossover to produce offspring
- c. Mutation
- for each offspring
- with probability MutationRate:
- Mutate a random gene in the chromosomes

d. Evaluate new population

- for each new individual
- decode chromosome to Expression Tree
- Evaluate fitness

e. Elitism

- Carry Over best individual(s) from previous generation

f. Update population

- Replace Old population with new one.

Step 4: Return best individual found (with highest fitness or lowest cost)

12/19/2025

Code:

```
import random
import math
def objective_function(x):
    """Example mathematical function to maximize."""
    return x * math.sin(10 * math.pi * x) + 1.0
POP_SIZE = 20
NUM_GENES = 16
MUTATION_RATE = 0.05
CROSSOVER_RATE = 0.7
GENERATIONS = 50
X_MIN, X_MAX = 0, 1
def create_gene():
    # Population size
    # Number of genes per chromosome
    # Mutation probability
    # Crossover probability
    # Number of generations
    # Search range
    """Each gene is a binary value (0 or 1)."""
    return random.choice(['0', '1'])
def create_chromosome():
    """A chromosome is a list of genes."""
    return [create_gene() for _ in range(NUM_GENES)]

def create_population():
    """Generate initial population."""
    return [create_chromosome() for _ in range(POP_SIZE)]
def decode(chromosome):
    """Translate genes into a real number (phenotype)."""
    value = int("".join(chromosome), 2)
    return X_MIN + (value / (2**NUM_GENES - 1)) * (X_MAX - X_MIN)

def fitness(chromosome):
    """Compute the fitness value of an individual."""
    x = decode(chromosome)
    return objective_function(x)
def select_parent(population, fitnesses):
    total_fit = sum(fitnesses)
    pick = random.uniform(0, total_fit)
    current = 0
    for i, f in enumerate(fitnesses):
        current += f
        if current > pick:
            return population[i]
def crossover(parent1, parent2):
    if random.random() < CROSSOVER_RATE:
        point = random.randint(1, NUM_GENES - 1)
        child1 = parent1[:point] + parent2[point:]
        child2 = parent2[:point] + parent1[point:]
        return child1, child2
    return parent1[:], parent2[:]
```

```

def mutate(chromosome):
    for i in range(NUM_GENES):
        if random.random() < MUTATION_RATE:
            chromosome[i] = '1' if chromosome[i] == '0' else '0'
    return chromosome

# 8. Gene Expression (Translate Genotype → Phenotype)
def express(chromosome):
    """Expression phase maps genetic code to actual function value."""
    x = decode(chromosome)
    return x, objective_function(x)

# 9. Iterate through Generations
population = create_population()
best_solution = None
best_fitness = float('-inf')

for gen in range(GENERATIONS):
    fitnesses = [fitness(individual) for individual in population]

    # for i, f in enumerate(fitnesses):
    #     if f > best_fitness:
    #         best_fitness = f
    #         best_solution = population[i]

    print(f"Generation {gen + 1} | Best Fitness: {best_fitness:.5f}")

    new_population = []
    while len(new_population) < POP_SIZE:
        parent1 = select_parent(population, fitnesses)
        parent2 = select_parent(population, fitnesses)
        child1, child2 = crossover(parent1, parent2)
        child1 = mutate(child1)
        child2 = mutate(child2)
        new_population.extend([child1, child2])

    population = new_population[:POP_SIZE]

# 10. Output the Best Solution
best_x, best_y = express(best_solution)
print("\n💎 Best Solution Found:")
print(f"x = {best_x:.5f}")
print(f"Fitness = {best_y:.5f}")

```

Output:

```
↔ Generation 1 | Best Fitness: 1.62960
Generation 2 | Best Fitness: 1.62960
Generation 3 | Best Fitness: 1.84872
Generation 4 | Best Fitness: 1.84913
Generation 5 | Best Fitness: 1.85005
Generation 6 | Best Fitness: 1.85005
Generation 7 | Best Fitness: 1.85005
Generation 8 | Best Fitness: 1.85005
Generation 9 | Best Fitness: 1.85005
Generation 10 | Best Fitness: 1.85005
Generation 11 | Best Fitness: 1.85059
Generation 12 | Best Fitness: 1.85059
Generation 13 | Best Fitness: 1.85059
Generation 14 | Best Fitness: 1.85059
Generation 15 | Best Fitness: 1.85059
Generation 16 | Best Fitness: 1.85059
Generation 17 | Best Fitness: 1.85059
Generation 18 | Best Fitness: 1.85059
Generation 19 | Best Fitness: 1.85059
Generation 20 | Best Fitness: 1.85059
Generation 21 | Best Fitness: 1.85059
Generation 22 | Best Fitness: 1.85059
Generation 23 | Best Fitness: 1.85059
Generation 24 | Best Fitness: 1.85059
Generation 25 | Best Fitness: 1.85059
Generation 26 | Best Fitness: 1.85059
Generation 27 | Best Fitness: 1.85059
Generation 28 | Best Fitness: 1.85059
Generation 29 | Best Fitness: 1.85059
Generation 30 | Best Fitness: 1.85059
Generation 31 | Best Fitness: 1.85059
Generation 32 | Best Fitness: 1.85059
Generation 33 | Best Fitness: 1.85059
Generation 34 | Best Fitness: 1.85059
Generation 35 | Best Fitness: 1.85059
Generation 36 | Best Fitness: 1.85059
Generation 37 | Best Fitness: 1.85059
Generation 38 | Best Fitness: 1.85059
Generation 39 | Best Fitness: 1.85059
Generation 40 | Best Fitness: 1.85059
Generation 41 | Best Fitness: 1.85059
Generation 42 | Best Fitness: 1.85059
Generation 43 | Best Fitness: 1.85059
Generation 44 | Best Fitness: 1.85059
Generation 45 | Best Fitness: 1.85059
Generation 46 | Best Fitness: 1.85059
Generation 47 | Best Fitness: 1.85059
Generation 48 | Best Fitness: 1.85059
Generation 49 | Best Fitness: 1.85059
Generation 50 | Best Fitness: 1.85059
```

🔴 Best Solution Found:

x = 0.85122

Fitness = 1.85059

Program 3

Ant Colony Optimization for the Traveling Salesman Problem

Problem Statement

The foraging behavior of ants has inspired the development of optimization algorithms that can solve complex problems such as the Traveling Salesman Problem (TSP). Ant Colony Optimization (ACO) simulates the way ants find the shortest path between food sources and their nest. Implement the ACO algorithm using Python to solve the TSP, where the objective is to find the shortest possible route that visits a list of cities and returns to the origin city.

Algorithm:

Ant Colony Optimization

Pseudocode:

Step 1 - Initialize parameters:
Number of ants: M
Number of iterations: max_iter
pheromone evaporation rate: ρ ($0 < \rho < 1$)
pheromone influence: α
heuristic influence: β
pheromone constant: Q

Step 2: Initialize pheromone level $\tau(i,j)$ on all edges (i,j) to a small positive value.

Step 3: For iter = 1 to max_iter :
For each ant $k=1$ to M :
place ant k on a randomly chosen starting node.
Repeat until the ant has completed a tour (visited all nodes):
- from current node i select the next node j using probability:
$$P(i,j) = \frac{\tau(i,j)^\alpha \eta(i,j)^\beta}{\sum_{j \in allowed} \tau(i,j)^\alpha \eta(i,j)^\beta}$$

where $\eta(i,j) = 1$
The denominator sums over all allowed next nodes j
- move to node j
- Add node j to the tour.

Step 4: compute the tour length of ant's complete path.

Step 5: update pheromone level on all edges:
- update pheromone: Evaporate pheromone on all edges
- for each ant k :
for each edge (i,j) is in its tour:
$$\tau(i,j) = \tau(i,j) + \frac{Q}{L_k}$$

Step 6: find best tour among all ants in this iteration.

Step 7: Return the best overall tour and its length as the optimal solution.

Notes: M
10/10/2025

Code:

```
import numpy as np
import random
import math

# 1. Define the Problem — Cities and Coordinates
cities = {
    'A': (0, 0),
    'B': (1, 5),
    'C': (5, 2),
    'D': (6, 6),
    'E': (8, 3)
}

city_names = list(cities.keys())
num_cities = len(city_names)

# Distance Matrix
dist_matrix = np.zeros((num_cities, num_cities))
for i in range(num_cities):
    for j in range(num_cities):
        xi, yi = cities[city_names[i]]
        xj, yj = cities[city_names[j]]
        dist_matrix[i][j] = math.sqrt((xi - xj)**2 + (yi - yj)**2)

# 2. Initialize Parameters
num_ants = 10
num_iterations = 50
alpha = 1.0    # Pheromone importance
beta = 5.0     # Heuristic importance (visibility)
rho = 0.5      # Pheromone evaporation rate
Q = 100        # Pheromone deposit factor
initial_pheromone = 1.0

# Initialize pheromone trails
pheromone = np.full((num_cities, num_cities), initial_pheromone)

def route_length(route):
    length = 0
    for i in range(len(route) - 1):
        length += dist_matrix[route[i]][route[i + 1]]
    length += dist_matrix[route[-1]][route[0]] # Return to start
    return length
best_route = None
best_length = float('inf')

for iteration in range(num_iterations):
    all_routes = []
    all_lengths = []

    for ant in range(num_ants):
        visited = [random.randint(0, num_cities - 1)]
```

```

while len(visited) < num_cities:
    current = visited[-1]
    probabilities = []
    for j in range(num_cities):
        if j not in visited:
            tau = pheromone[current][j] ** alpha
            eta = (1.0 / dist_matrix[current][j]) ** beta
            probabilities.append(tau * eta)
        else:
            probabilities.append(0)
    probabilities = np.array(probabilities)
    probabilities /= probabilities.sum()

    next_city = np.random.choice(range(num_cities),
p=probabilities)
    visited.append(next_city)

length = route_length(visited)
all_routes.append(visited)
all_lengths.append(length)
if length < best_length:
    best_length = length
    best_route = visited

# 4. Update Pheromones
pheromone *= (1 - rho) # Evaporation
for i, route in enumerate(all_routes):
    for j in range(num_cities - 1):
        a, b = route[j], route[j + 1]
        pheromone[a][b] += Q / all_lengths[i]
        pheromone[b][a] = pheromone[a][b]
    # Add pheromone for return to start
    a, b = route[-1], route[0]
    pheromone[a][b] += Q / all_lengths[i]
    pheromone[b][a] = pheromone[a][b]

print(f"Iteration {iteration + 1} | Best Length:
{best_length:.4f}")

# 6. Output the Best Solution
best_city_names = [city_names[i] for i in best_route]
print("\n✳ Best Route Found:")
print("→ ".join(best_city_names + [best_city_names[0]]))
print(f"Total Distance = {best_length:.4f}")

```

Output:

```
↩ Iteration 1 | Best Length: 22.3510
Iteration 2 | Best Length: 22.3510
Iteration 3 | Best Length: 22.3510
Iteration 4 | Best Length: 22.3510
Iteration 5 | Best Length: 22.3510
Iteration 6 | Best Length: 22.3510
Iteration 7 | Best Length: 22.3510
Iteration 8 | Best Length: 22.3510
Iteration 9 | Best Length: 22.3510
Iteration 10 | Best Length: 22.3510
Iteration 11 | Best Length: 22.3510
Iteration 12 | Best Length: 22.3510
Iteration 13 | Best Length: 22.3510
Iteration 14 | Best Length: 22.3510
Iteration 15 | Best Length: 22.3510
Iteration 16 | Best Length: 22.3510
Iteration 17 | Best Length: 22.3510
Iteration 18 | Best Length: 22.3510
Iteration 19 | Best Length: 22.3510
Iteration 20 | Best Length: 22.3510
Iteration 21 | Best Length: 22.3510
Iteration 22 | Best Length: 22.3510
Iteration 23 | Best Length: 22.3510
Iteration 24 | Best Length: 22.3510
Iteration 25 | Best Length: 22.3510
Iteration 26 | Best Length: 22.3510
Iteration 27 | Best Length: 22.3510
Iteration 28 | Best Length: 22.3510
Iteration 29 | Best Length: 22.3510
Iteration 30 | Best Length: 22.3510
Iteration 31 | Best Length: 22.3510
Iteration 32 | Best Length: 22.3510
Iteration 33 | Best Length: 22.3510
Iteration 34 | Best Length: 22.3510
Iteration 35 | Best Length: 22.3510
Iteration 36 | Best Length: 22.3510
Iteration 37 | Best Length: 22.3510
Iteration 38 | Best Length: 22.3510
Iteration 39 | Best Length: 22.3510
Iteration 40 | Best Length: 22.3510
Iteration 41 | Best Length: 22.3510
Iteration 42 | Best Length: 22.3510
Iteration 43 | Best Length: 22.3510
Iteration 44 | Best Length: 22.3510
Iteration 45 | Best Length: 22.3510
Iteration 46 | Best Length: 22.3510
Iteration 47 | Best Length: 22.3510
Iteration 48 | Best Length: 22.3510
Iteration 49 | Best Length: 22.3510
Iteration 50 | Best Length: 22.3510
```

🐘 Best Route Found:
D → B → A → C → E → D
Total Distance = 22.3510

Program 4

Particle Swarm Optimization for Function Optimization

Problem Statement

Particle Swarm Optimization (PSO) is inspired by the social behavior of birds flocking or fish schooling. PSO is used to find optimal solutions by iteratively improving a candidate solution with regard to a given measure of quality. Implement the PSO algorithm using Python to optimize a mathematical function..

Algorithm:

Particle swarm Optimization:-

Pseudocode

1. Initialize parameters:
 - number of particles: n
 - number of iterations: max_iter
 - inertia weight: w
 - cognitive coefficient: c_1
 - social coefficient: c_2
2. For each particle i in 1 to n :
 - initialize position x_i randomly within search space
 - initialize velocity v_i randomly
 - evaluate fitness $f(x_i)$
 - set personal best position $p_i = x_i$
 - set personal best value $f(p_i) = f(x_i)$
3. Determine global best position G_1 among all p_i
 - G_1 = particle with best fitness $f(p_i)$
4. For $\text{iter} = 1$ to max_iter :
 - for each particle i :
 - a) Update velocity:
$$v_i = w \times v_i + c_1 \times \text{rand}() \times (p_i - x_i) + c_2 \times \text{rand}() \times (G_1 - x_i)$$
 - b) Update position:
$$x_i = x_i + v_i$$
 - c) Evaluate fitness:
$$f(x_i)$$
 - d) Update personal best:
 - if $f(x_i)$ better than $f(p_i)$:
$$p_i = x_i$$
$$f(p_i) = f(x_i)$$
 - Update global best:
 - G_1 = particle with best $f(p_i)$ among all particles.
5. Return G_1 as the Optimal solution.

Code:

```
import random
import math
# 1. Define the Problem
def objective_function(x):
    """Example mathematical function to maximize."""
    return x * math.sin(10 * math.pi * x) + 1.0
# 2. Initialize Parameters
NUM_PARTICLES = 30
# Number of particles in the swarm
MAX_ITER = 50
W = 0.7
C1 = 1.5
C2 = 1.5
X_MIN, X_MAX = 0, 1
# Number of iterations (generations)
# Inertia weight
# Cognitive (particle's own experience)
# Social (swarm experience)
# Search space boundaries
V_MIN, V_MAX = -0.1, 0.1 # Velocity limits
# 3. Initialize Particles
particles = [] # Each particle: position, velocity, personal_best_pos,
personal_best_val
for _ in range(NUM_PARTICLES):
    x = random.uniform(X_MIN, X_MAX)
    v = random.uniform(V_MIN, V_MAX)
    fitness = objective_function(x)
    particles.append({
        "position": x,
        "velocity": v,
        "best_position": x,
        "best_value": fitness
    })

# Initialize global best
global_best_position = max(particles, key=lambda p:
p["best_value"])[ "best_position"]
global_best_value = objective_function(global_best_position)

# 4–6. Main PSO Loop
for iteration in range(MAX_ITER):
    for particle in particles:
        x = particle["position"]
        v = particle["velocity"]
        fitness = objective_function(x)

        # Update personal best
        if fitness > particle["best_value"]:
            particle["best_value"] = fitness
            particle["best_position"] = x
```

```

# Update global best
if fitness > global_best_value:
    global_best_value = fitness
    global_best_position = x

# Update velocities and positions
for particle in particles:
    r1, r2 = random.random(), random.random()
    cognitive = C1 * r1 * (particle["best_position"] -
particle["position"])
    social = C2 * r2 * (global_best_position -
particle["position"])
    new_velocity = W * particle["velocity"] + cognitive + social
    new_velocity = max(min(new_velocity, V_MAX), V_MIN) # Clamp
velocity

    new_position = particle["position"] + new_velocity
    new_position = max(min(new_position, X_MAX), X_MIN) # Keep
within bounds

    particle["velocity"] = new_velocity
    particle["position"] = new_position

# Print progress
print(f"Iteration {iteration + 1} | Best Fitness:
{global_best_value:.5f}")

# 7. Output Best Solution
print("\n🏆 Best Solution Found:")
print(f"x = {global_best_position:.5f}")
print(f"Fitness = {global_best_value:.5f}")

```

Output:

```

Iteration 28 | Best Fitness: 1.85060
Iteration 29 | Best Fitness: 1.85060
Iteration 30 | Best Fitness: 1.85060
Iteration 31 | Best Fitness: 1.85060
Iteration 32 | Best Fitness: 1.85060
Iteration 33 | Best Fitness: 1.85060
Iteration 34 | Best Fitness: 1.85060
Iteration 35 | Best Fitness: 1.85060
Iteration 36 | Best Fitness: 1.85060
Iteration 37 | Best Fitness: 1.85060
Iteration 38 | Best Fitness: 1.85060
Iteration 39 | Best Fitness: 1.85060
Iteration 40 | Best Fitness: 1.85060
Iteration 41 | Best Fitness: 1.85060
Iteration 42 | Best Fitness: 1.85060
Iteration 43 | Best Fitness: 1.85060
Iteration 44 | Best Fitness: 1.85060
Iteration 45 | Best Fitness: 1.85060
Iteration 46 | Best Fitness: 1.85060
Iteration 47 | Best Fitness: 1.85060
Iteration 48 | Best Fitness: 1.85060
Iteration 49 | Best Fitness: 1.85060
Iteration 50 | Best Fitness: 1.85060

```

```

🏆 Best Solution Found:
x = 0.85119
Fitness = 1.85060

```


Program 5

Cuckoo Search for the Traveling Salesman Problem

Problem Statement

Cuckoo Search (CS) is a nature-inspired optimization algorithm based on the brood parasitism of some cuckoo species. This behavior involves laying eggs in the nests of other birds, leading to the optimization of survival strategies. CS uses Lévy flights to generate new solutions, promoting global search capabilities and avoiding local minima. The algorithm is widely used for solving continuous optimization problems and has applications in various domains, including engineering design, machine learning, and data mining.

Algorithm:

The image shows a handwritten algorithm for the Cuckoo Search (CS) algorithm, written on a lined notebook page. The algorithm is organized into steps and loops, with some parts written in a different color (blue) for emphasis. The steps are as follows:

1. Initialize parameters.
 - n = no of host nests
 - pa = discovery probability ($0 < pa < 1$)
 - $MaxIter$ = max no of iterations.
 - Define objective function $f(x)$
2. Generate initial population of n host nests x_i ($i=1$ to n)
Evaluate fitness $f_i = f(x_i)$
3. while ($t < MaxIter$)
 - a. Generate a new solution (cuckoo) x_{i-new} using Lévy flight
 - b. Evaluate fitness of new solution $f_{i-new} = f(x_{i-new})$
 - c. Randomly choose one nest j from population
 - d. if ($f_{i-new} < f_j$)
Replace x_j with x_{i-new}
end if
 - e. A fraction pa of worst nest one abandoned and replaced
for each nest i
 - if $rand() < pa$
 $x_i = random_solution()$
end if
 - f. Keep the best solutions (nests with best fitness)
4. Return best solution.

On the right side of the page, there are additional handwritten notes in blue ink:

- g. Rank the nest & find the worst nest
- h. $t = t + 1$
- end while

Code:

```
import numpy as np
import random
import math
# 1. Define the Problem (Objective Function)
def objective_function(x):
    """Example function to maximize."""
    return x * math.sin(10 * math.pi * x) + 1.0
# 2. Initialize Parameters
num_nests = 20
# Number of nests (population)
pa = 0.25
abandoned)
max_iter = 50
x_min, x_max = 0, 1
# Discovery probability (fraction of nests
# Number of iterations
# Search space boundaries
# Lévy flight parameters
beta = 1.5 # Lévy exponent
# 3. Initialize Population
nests = np.random.uniform(x_min, x_max, num_nests)
# 4. Evaluate Fitness
fitness = np.array([objective_function(x) for x in nests])
best_nest = nests[np.argmax(fitness)]
best_fitness = max(fitness)

# Helper: Lévy flight step
def levy_flight(Lambda):
    sigma = (math.gamma(1 + Lambda) * math.sin(math.pi * Lambda / 2) /
             (math.gamma((1 + Lambda) / 2) * Lambda * 2 ** ((Lambda -
1) / 2))) ** (1 / Lambda)
    u = np.random.normal(0, sigma)
    v = np.random.normal(0, 1)
    step = u / abs(v) ** (1 / Lambda)
    return step

# 5–7. Main Loop
for iteration in range(max_iter):
    # Generate new solutions via Lévy flights
    new_nests = np.copy(nests)
    for i in range(num_nests):
        step_size = 0.01 * levy_flight(beta)
        new_nests[i] = nests[i] + step_size * np.random.randn()
        new_nests[i] = np.clip(new_nests[i], x_min, x_max)

    # Evaluate fitness of new solutions
    new_fitness = np.array([objective_function(x) for x in new_nests])

    # Replace nests if new solutions are better
    for i in range(num_nests):
        if new_fitness[i] > fitness[i]:
```

```

    fitness[i] = new_fitness[i]
    nests[i] = new_nests[i]

# Abandon worst nests with probability pa
abandon = np.random.rand(num_nests) < pa
nests[abandon] = np.random.uniform(x_min, x_max, np.sum(abandon))
fitness[abandon] = [objective_function(x) for x in nests[abandon]]

# Update global best
current_best = nests[np.argmax(fitness)]
current_best_fit = max(fitness)
if current_best_fit > best_fitness:
    best_fitness = current_best_fit
    best_nest = current_best

print(f"Iteration {iteration + 1} | Best Fitness:
{best_fitness:.5f}")

# 8. Output the Best Solution
print("\n◆ Best Solution Found:")
print(f"x = {best_nest:.5f}")
print(f"Fitness = {best_fitness:.5f}")

```

Output:

```

Iteration 1 | Best Fitness: 1.84947
Iteration 2 | Best Fitness: 1.85056
Iteration 3 | Best Fitness: 1.85056
Iteration 4 | Best Fitness: 1.85059
Iteration 5 | Best Fitness: 1.85059
Iteration 6 | Best Fitness: 1.85059
Iteration 7 | Best Fitness: 1.85059
Iteration 8 | Best Fitness: 1.85059
Iteration 9 | Best Fitness: 1.85059
Iteration 10 | Best Fitness: 1.85059
Iteration 11 | Best Fitness: 1.85059
Iteration 12 | Best Fitness: 1.85059
Iteration 13 | Best Fitness: 1.85059
Iteration 14 | Best Fitness: 1.85059
Iteration 15 | Best Fitness: 1.85059
Iteration 16 | Best Fitness: 1.85059
Iteration 17 | Best Fitness: 1.85059
Iteration 18 | Best Fitness: 1.85059
Iteration 19 | Best Fitness: 1.85059
Iteration 20 | Best Fitness: 1.85059
Iteration 21 | Best Fitness: 1.85059
Iteration 22 | Best Fitness: 1.85059
Iteration 23 | Best Fitness: 1.85059
Iteration 24 | Best Fitness: 1.85059
Iteration 25 | Best Fitness: 1.85059
Iteration 26 | Best Fitness: 1.85059
Iteration 27 | Best Fitness: 1.85059
Iteration 28 | Best Fitness: 1.85059
Iteration 29 | Best Fitness: 1.85059
Iteration 30 | Best Fitness: 1.85059
Iteration 31 | Best Fitness: 1.85059
Iteration 32 | Best Fitness: 1.85059
Iteration 33 | Best Fitness: 1.85059
Iteration 34 | Best Fitness: 1.85059
Iteration 35 | Best Fitness: 1.85059
Iteration 36 | Best Fitness: 1.85059
Iteration 37 | Best Fitness: 1.85059
Iteration 38 | Best Fitness: 1.85059
Iteration 39 | Best Fitness: 1.85059
Iteration 40 | Best Fitness: 1.85059
Iteration 41 | Best Fitness: 1.85059
Iteration 42 | Best Fitness: 1.85059
Iteration 43 | Best Fitness: 1.85059
Iteration 44 | Best Fitness: 1.85059
Iteration 45 | Best Fitness: 1.85059
Iteration 46 | Best Fitness: 1.85059
Iteration 47 | Best Fitness: 1.85059
Iteration 48 | Best Fitness: 1.85059
Iteration 49 | Best Fitness: 1.85059
Iteration 50 | Best Fitness: 1.85059

○ Best Solution Found:
x = 0.85113
Fitness = 1.85059

```

Program 6

Grey Wolf Optimizer for Function Optimization:

Problem Statement

Use Grey Wolf Optimization to find the best solution for a mathematical function by mimicking the hunting behavior of grey wolves.

Algorithm:

Week-6

Grey Wolf

Algorithm

Input:

- $f(x)$ → objective function to be minimized
- n → Number of wolves (population size)
- dim → Dimension of the problem
- $maxiter$ → Maximum number of iterations
- lb, ub → lower and upper bounds of search space

Output

X_{α} → Best (alpha) Solution found.

1. Initialize the population X_i ($i=1$ to n) randomly within bounds $[lb, ub]$
2. Evaluate fitness $f(X_i)$ for each wolf
3. Identify:
 - X_{α} = best wolf (lowest fitness)
 - X_{β} = second best wolf
 - X_{δ} = third best wolf
4. for $t = 1$ to $maxiter$ do:
 - $a = 2 - (2 * t / maxiter)$
 - for each wolf i in population:
 - for each dimension j :
 - $r1 = random(0,1)$
 - $r2 = random(0,1)$

$A1 = 2 * a * r1 - a$

$C1 = 2 * r2$

$D_{\alpha} = |C1 * X_{\alpha}[j] - X[j]|$

$X1 = X_{\alpha}[j] - A1 * D_{\alpha}$

$r1 = random(0,1)$

$r2 = random(0,1)$

$A2 = 2 * a * r1 - a$

$C2 = 2 * r2$

$D_{\beta} = |C2 * X_{\beta}[j] - X[j]|$

$X2 = X_{\beta}[j] - A2 * D_{\beta}$

$r1 = random(0,1)$

$r2 = random(0,1)$

$A3 = 2 * a * r1 - a$

$C3 = 2 * r2$

$D_{\delta} = |C3 * X_{\delta}[j] - X[j]|$

$X3 = X_{\delta}[j] - A3 * D_{\delta}$

$X_{i_{new}}[j] = (X1 + X2 + X3) / 3$

Enforce boundary limits on $X_{i_{new}}$

Update each wolf's position $X_i = X_{i_{new}}$

Evaluate fitness $f(X_i)$ for all wolves

Update X_{α} , X_{β} , X_{δ} based on fitness values

- 5. Return X_{α} as the best solution found.

Code:

import numpy as np

1. Define the Objective Function (to be minimized)

def objective_function(x):

Example: Sphere function (minimum at $x = 0$)

return np.sum(x ** 2)

2. Initialize the Grey Wolf Optimizer

```

def grey_wolf_optimizer(f, n=20, dim=5, MaxIter=50, lb=-10, ub=10):
    # Initialize the population of wolves randomly within [lb, ub]
    X = np.random.uniform(lb, ub, (n, dim))

    # Evaluate fitness
    fitness = np.array([f(x) for x in X])

    # Identify alpha, beta, delta wolves
    idx = np.argsort(fitness)
    X_alpha, X_beta, X_delta = X[idx[0]], X[idx[1]], X[idx[2]]
    f_alpha, f_beta, f_delta = fitness[idx[0]], fitness[idx[1]], fitness[idx[2]]

    # Main optimization loop
    for t in range(MaxIter):
        a = 2 - 2 * (t / MaxIter) # linearly decreases from 2 to 0

        for i in range(n):
            for j in range(dim):
                # ---- Alpha influence ----
                r1, r2 = np.random.rand(), np.random.rand()
                A1 = 2 * a * r1 - a
                C1 = 2 * r2
                D_alpha = abs(C1 * X_alpha[j] - X[i][j])
                X1 = X_alpha[j] - A1 * D_alpha

                # ---- Beta influence ----
                r1, r2 = np.random.rand(), np.random.rand()
                A2 = 2 * a * r1 - a
                C2 = 2 * r2
                D_beta = abs(C2 * X_beta[j] - X[i][j])
                X2 = X_beta[j] - A2 * D_beta

                # ---- Delta influence ----
                r1, r2 = np.random.rand(), np.random.rand()
                A3 = 2 * a * r1 - a
                C3 = 2 * r2
                D_delta = abs(C3 * X_delta[j] - X[i][j])
                X3 = X_delta[j] - A3 * D_delta

                # Update wolf position
                X[i][j] = (X1 + X2 + X3) / 3

            # Enforce boundary limits
            X[i] = np.clip(X[i], lb, ub)

        # Recalculate fitness
        fitness = np.array([f(x) for x in X])

        # Update alpha, beta, delta
        idx = np.argsort(fitness)
        if fitness[idx[0]] < f_alpha:
            X_alpha, f_alpha = X[idx[0]], fitness[idx[0]]
        if fitness[idx[1]] < f_beta:

```

```

        X_beta, f_beta = X[idx[1]], fitness[idx[1]]
    if fitness[idx[2]] < f_delta:
        X_delta, f_delta = X[idx[2]], fitness[idx[2]]

    # Display progress
    print(f"Iteration {t+1} | Best Fitness = {f_alpha:.6f}")

    # Return best solution
    return X_alpha, f_alpha

# 3. Run the optimizer
best_position, best_score = grey_wolf_optimizer(objective_function, n=30, dim=5, MaxIter=100, lb=-5, ub=5)

print("\n✓ Best Solution Found:")
print("X_alpha =", best_position)
print("Fitness =", best_score)

```

Output:

```

Iteration 88 | Best Fitness = 0.000000
Iteration 89 | Best Fitness = 0.000000
Iteration 90 | Best Fitness = 0.000000
Iteration 91 | Best Fitness = 0.000000
Iteration 92 | Best Fitness = 0.000000
Iteration 93 | Best Fitness = 0.000000
Iteration 94 | Best Fitness = 0.000000
Iteration 95 | Best Fitness = 0.000000
Iteration 96 | Best Fitness = 0.000000
Iteration 97 | Best Fitness = 0.000000
Iteration 98 | Best Fitness = 0.000000
Iteration 99 | Best Fitness = 0.000000
Iteration 100 | Best Fitness = 0.000000

```

```

✓ Best Solution Found:
X_alpha = [ 1.01287500e-12 -1.03916083e-12  1.21093853e-12  1.00657983e-12
 -1.29115530e-12]
Fitness = 6.2524281288562326e-24

```

Program 7

Parallel Cellular Algorithm for Function Optimization:

Problem Statement

Use a Parallel Cellular Algorithm to optimize a function efficiently by evolving solutions in a distributed and parallel manner.

Algorithm:

Week 7.

Parallel Cellular

Input:

- $f(x)$ → objective function to optimize
- grid_size → Size of the grid (e.g., 10 x 10)
- num_cells → Total number of cells
- max_iterations → Maximum number of iterations
- neighborhood → Neighborhood structure (e.g., 3x3)
- lb, ub → lower and upper bounds of search space.

Output:

- best_solution → Best solution found

1. Initialize:
 - Create a 2D grid of cells
 - For each cell i in the grid:
 - Assign a random value x_i within $[lb, ub]$.
2. Evaluate fitness:
 - For each cell i :
 - fitness(i) = $f(x_i)$
3. Identify Best solution:
 - best_solution = cell within minimum (or maximum) fitness.
4. For iter = 1 to max_iterations do:
 - For each cell i in the grid (in parallel):
 - neighbors = cells in neighborhood of i
 - best_neighbor = neighbor with best fitness
5. Output best solution.

$$x_{i_new} = (x_i + \text{best_neighbor_value}) / 2$$

Enforce boundaries: ensure $x_{i_new} \in [lb, ub]$

Update all cells simultaneously:
 $x_i = x_{i_new}$

Recalculate fitness for all cells:
fitness(i) = $f(x_i)$

Update global best solution if better found

Code:

```
import numpy as np
```

```
# 1 Define the Objective Function (example)
```

```
def objective_function(x):
```

```
    # Example: Sphere function (minimize)
```

```
    return np.sum(x ** 2)
```

```
# 2 Cellular Automata Optimization
```

```
def cellular_automata_optimization(f, grid_size=10, max_iterations=50, lb=-10, ub=10, dim=2, neighborhood=1):
```

```
    num_cells = grid_size * grid_size
```

```
    # Initialize grid of solutions (each cell = vector of dimension `dim`)
```

```
    grid = np.random.uniform(lb, ub, (grid_size, grid_size, dim))
```

```
    # Evaluate fitness for each cell
```

```
    fitness = np.zeros((grid_size, grid_size))
```

```
    for i in range(grid_size):
```

```
        for j in range(grid_size):
```

```
            fitness[i, j] = f(grid[i, j])
```

```
    # Find best initial solution
```

```
    best_idx = np.unravel_index(np.argmin(fitness), fitness.shape)
```

```
    best_solution = grid[best_idx]
```

```
    best_fitness = fitness[best_idx]
```

```
    # Main loop
```

```
    for iteration in range(max_iterations):
```

```
        new_grid = np.copy(grid)
```

```
        # For each cell in grid
```

```
        for i in range(grid_size):
```

```
            for j in range(grid_size):
```

```
                # Find neighborhood indices
```

```
                i_min = max(0, i - neighborhood)
```

```
                i_max = min(grid_size, i + neighborhood + 1)
```

```
                j_min = max(0, j - neighborhood)
```

```
                j_max = min(grid_size, j + neighborhood + 1)
```

```
                # Extract neighbors and their fitness
```

```
                neighbors = grid[i_min:i_max, j_min:j_max, :]
```

```
                neighbor_fitness = fitness[i_min:i_max, j_min:j_max]
```

```
                # Best neighbor
```

```
                idx_best = np.unravel_index(np.argmin(neighbor_fitness), neighbor_fitness.shape)
```

```
                best_neighbor = neighbors[idx_best]
```

```

# Update rule: average with best neighbor
new_grid[i, j] = (grid[i, j] + best_neighbor) / 2.0


# Boundary enforcement
new_grid[i, j] = np.clip(new_grid[i, j], lb, ub)

# Update grid and recompute fitness
grid = new_grid
for i in range(grid_size):
    for j in range(grid_size):
        fitness[i, j] = f(grid[i, j])

# Update global best
best_idx = np.unravel_index(np.argmin(fitness), fitness.shape)
if fitness[best_idx] < best_fitness:
    best_solution = grid[best_idx]
    best_fitness = fitness[best_idx]

print(f"Iteration {iteration+1} | Best Fitness = {best_fitness:.6f}")

# Return best solution
return best_solution, best_fitness

# 3  Run the algorithm
best_sol, best_fit = cellular_automata_optimization(objective_function, grid_size=10,
max_iterations=50, lb=-5, ub=5, dim=2)

print("\n✔ Best Solution Found:")
print("x =", best_sol)
print("Fitness =", best_fit)

```

Output:

```
.. Iteration 1 | Best Fitness = 0.022848
   Iteration 2 | Best Fitness = 0.022848
   Iteration 3 | Best Fitness = 0.008335
   Iteration 4 | Best Fitness = 0.001871
   Iteration 5 | Best Fitness = 0.000076
   Iteration 6 | Best Fitness = 0.000076
   Iteration 7 | Best Fitness = 0.000076
   Iteration 8 | Best Fitness = 0.000004
   Iteration 9 | Best Fitness = 0.000004
   Iteration 10 | Best Fitness = 0.000000
   Iteration 11 | Best Fitness = 0.000000
   Iteration 12 | Best Fitness = 0.000000
   Iteration 13 | Best Fitness = 0.000000
   Iteration 14 | Best Fitness = 0.000000
   Iteration 15 | Best Fitness = 0.000000
   Iteration 16 | Best Fitness = 0.000000
   Iteration 17 | Best Fitness = 0.000000
   Iteration 18 | Best Fitness = 0.000000
   Iteration 19 | Best Fitness = 0.000000
   Iteration 20 | Best Fitness = 0.000000
   Iteration 21 | Best Fitness = 0.000000
   Iteration 22 | Best Fitness = 0.000000
   Iteration 23 | Best Fitness = 0.000000
   Iteration 24 | Best Fitness = 0.000000
   Iteration 25 | Best Fitness = 0.000000
   Iteration 26 | Best Fitness = 0.000000
   Iteration 27 | Best Fitness = 0.000000
   Iteration 28 | Best Fitness = 0.000000
   Iteration 29 | Best Fitness = 0.000000
   Iteration 30 | Best Fitness = 0.000000
   Iteration 31 | Best Fitness = 0.000000
   Iteration 32 | Best Fitness = 0.000000
   Iteration 33 | Best Fitness = 0.000000
   Iteration 34 | Best Fitness = 0.000000
   Iteration 35 | Best Fitness = 0.000000
   Iteration 36 | Best Fitness = 0.000000
   Iteration 37 | Best Fitness = 0.000000
   Iteration 38 | Best Fitness = 0.000000
   Iteration 39 | Best Fitness = 0.000000
   Iteration 40 | Best Fitness = 0.000000
   Iteration 41 | Best Fitness = 0.000000
   Iteration 42 | Best Fitness = 0.000000
   Iteration 43 | Best Fitness = 0.000000
   Iteration 44 | Best Fitness = 0.000000
   Iteration 45 | Best Fitness = 0.000000
   Iteration 46 | Best Fitness = 0.000000
   Iteration 47 | Best Fitness = 0.000000
   Iteration 48 | Best Fitness = 0.000000
   Iteration 49 | Best Fitness = 0.000000
   Iteration 50 | Best Fitness = 0.000000
```

✅ Best Solution Found:
x = [3.4797040e-12 -1.8043457e-12]
Fitness = 1.5364003308026177e-23