

## 4.2 Routing Algorithms

## 4.2 Routing algorithms :

- **4.2 Routing algorithms** : Shortest Path (Dijkstra's), Link state routing, Distance Vector Routing

# Router

- A router is a physical or [virtual appliance](#) that passes information between two or more [packet-switched](#) computer networks.
- A router inspects a given data [packet](#)'s destination Internet Protocol address (IP address), calculates the best way for it to reach its destination and then forwards it accordingly.
- A router is a common type of [gateway](#). It is positioned where two or more networks meet at each [point of presence](#) on the internet.

# Router

- Physical(Traditional) routers are stand-alone devices that use proprietary software.
- Virtual router is a software instance that performs the same functions as a physical router.
- Virtual routers typically run on commodity servers, either alone or packaged with other [virtual network functions](#),
  - like [firewall](#) packet filtering,
  - [load balancing](#) and
  - wide area network ([WAN](#)) optimization capabilities.

# Router

- A router examines a packet header's destination [IP address](#) and compares it against a [routing table](#) to determine the packet's best next [hop](#).
- Routing tables list directions for forwarding data to particular network destinations, sometimes in the context of other variables, like cost.
- They amount to an **algorithmic set of rules that calculate the best way to transmit traffic toward** any given IP address.

# Routing Table

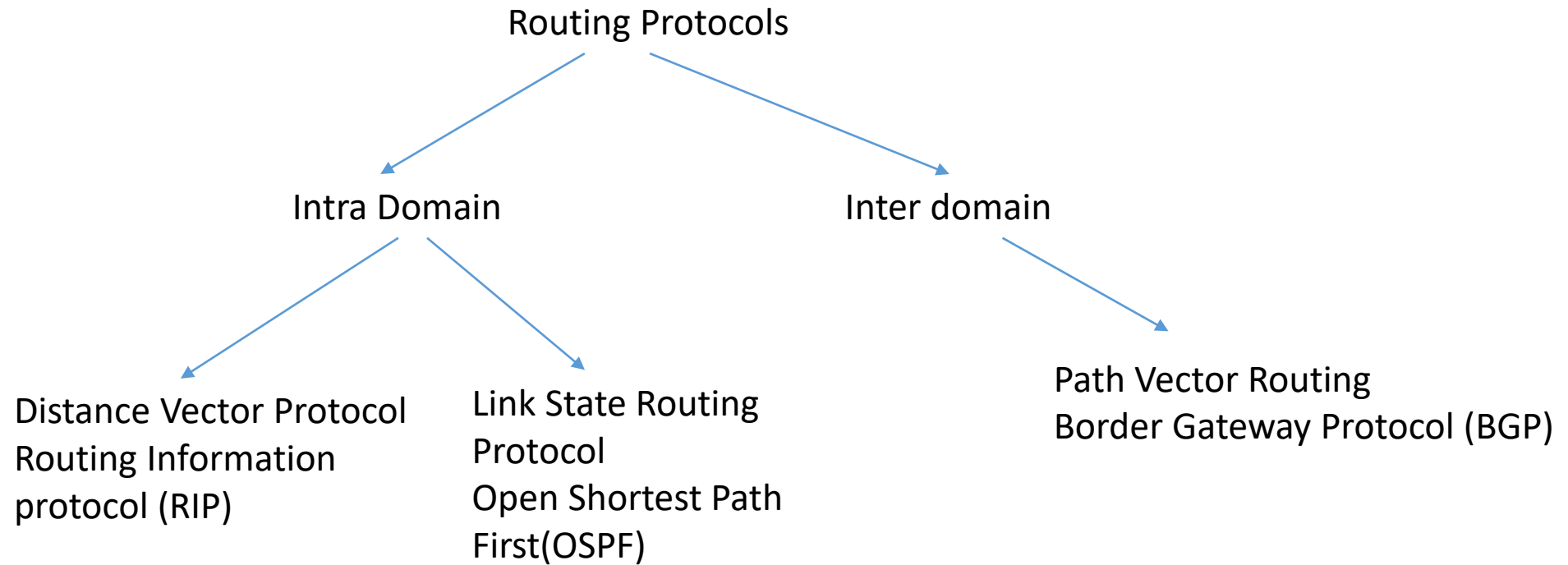
- A routing table often specifies a default route, which the router uses whenever it fails to find a better forwarding option for a given packet. For example, the typical home office router directs all outbound traffic along a single default route to its internet service provider ([ISP](#)).
- Routing tables can be static -- i.e., manually configured -- or dynamic.
- [Dynamic routers](#) automatically update their routing tables based on network activity, exchanging information with other devices via routing protocols.

# Routing Table

**Table 11.4** *Routing Table for Node A*

<i>Destination</i>	<i>Cost</i>	<i>Next Router</i>
A	0	—
B	2	—
C	7	B
D	3	—
E	6	B
F	8	B
G	9	B

# Routing protocols





# Routing Protocols

- **Routing Information Protocol ([RIP](#))** - the original protocol for **defining how routers should share information when moving traffic among an interconnected group of local area networks**. The largest number of hops allowed for RIP is 15, which limits the size of networks that RIP can support.
- **Open Shortest Path First ([OSPF](#))** - **used to find the best path for packets as they pass through a set of connected networks**. OSPF is designated by the Internet Engineering Task Force (IETF) as one of several Interior Gateway Protocols (IGPs)
- **Border Gateway Protocol ([BGP](#))** - manages how packets are routed across the internet through the exchange of information between edge routers.

# Routing Protocols

- **Interior Gateway Routing Protocol ([IGRP](#))**- determines how routing information between [gateways](#) will be exchanged within an autonomous network. The routing information can then be used by other network protocols to specify how transmissions should be routed.
- **Enhanced Interior Gateway Routing Protocol ([EIGRP](#))** - evolved from IGRP. If a router can't find a route to a destination in one of these tables, it queries its neighbours for a route and they in turn query their neighbours until a route is found. When a routing table entry changes in one of the routers, it notifies its neighbours of the change instead of sending the entire table.
- **Exterior Gateway Protocol ([EGP](#))** - determines how routing information between two neighbour gateway hosts, each with its own router, is exchanged. EGP is commonly used between hosts on the Internet to exchange routing table information.

# Distance Vector Routing

- Distance Vector Routing (DVR) Protocol
- A **distance-vector routing (DVR)** protocol requires that a router inform its neighbours of topology changes periodically. Historically known as the old ARPANET routing algorithm (or known as Bellman-Ford algorithm).
- **Bellman Ford Basics** – Each router maintains a Distance Vector table containing the distance between itself and ALL possible destination nodes. Distances based on a chosen metric, are computed using information from the neighbour's distance vectors.

# Distance Vector Routing

**Step-01:** Each router prepares its routing table. By their local knowledge.  
each router knows about-

- All the routers present in the network
- Distance to its neighboring routers

**Step-02:**

- Each router exchanges its distance vector with its neighboring routers.
- Each router prepares a new routing table using the distance vectors it has obtained from its neighbors.
- This step is repeated for  $(n-2)$  times if there are  $n$  routers in the network.
- After this, routing tables converge / become stable.

# Distance Vector Algorithm –

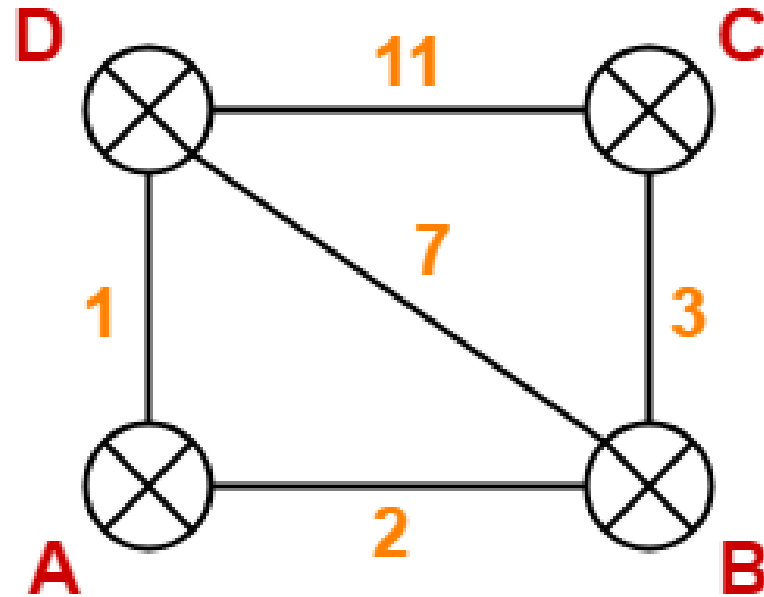
Note: The DV calculation is based on minimizing the cost to each destination

- From time-to-time, each node sends its own distance vector estimate to neighbours.
- When a node  $x$  receives new DV estimate from any neighbour  $v$ , it saves  $v$ 's distance vector and it updates its own DV using B-F equation:

## Distance Vector Routing Example-

Consider-

- There is a network consisting of 4 routers.
- The weights are mentioned on the edges.
- Weights could be distances or costs or delays.



## Step-01:

Each router prepares its routing table using its local knowledge.  
Routing table prepared by each router is shown below-

At Router A-

Destina tion	Distance	Next Hop
A	0	A
B	2	B
C	$\infty$	—
D	1	D

At Router B-

Destin ation	Distance	Next Hop
A	2	A
B	0	B
C	3	C
D	7	D

At Router C-

Destin ation	Distance	Next Hop
A	$\infty$	—
B	3	B
C	0	C
D	11	D

At Router D-

Destin ation	Distance	Next Hop
A	1	A
B	7	B
C	11	C
D	0	D

**Step-02:** Each router exchanges its distance vector obtained in Step-01 with its neighbours. After exchanging the distance vectors, each router prepares a new routing table.

**At Router A-** Router A receives distance vectors from its neighbours B and D. Router A prepares a new routing table as-

- Cost of reaching destination B from router A =  $\min \{ 2+0, 1+7 \} = 2$  via B.
- Cost of reaching destination C from router A =  $\min \{ 2+3, 1+11 \} = 5$  via B.
- Cost of reaching destination D from router A =  $\min \{ 2+7, 1+0 \} = 1$  via D.

From B

2
0
3
7

Cost(A→B) = 2

From D

1
7
11
0

Cost(A→D) = 1

Destination	Distance	Next hop
A	0	A
B		
C		
D		

New Routing Table at Router A

Destination	Distance	Next Hop
A	0	A
B	2	B
C	5	B
D	1	D



## At Router B-

Router B receives distance vectors from its neighbors A, C and D.  
Router B prepares a new routing table as-

- Cost of reaching destination A from router B =  $\min \{ 2+0, 3+\infty, 7+1 \} = 2$  via A.
- Cost of reaching destination C from router B =  $\min \{ 2+\infty, 3+0, 7+11 \} = 3$  via C.
- Cost of reaching destination D from router B =  $\min \{ 2+1, 3+11, 7+0 \} = 3$  via A.

From A

0
2
$\infty$
1

Cost (B→A) = 2

From C

$\infty$
3
0
11

Cost (B→C) = 3

From D

1
7
11
0

Cost (B→D) = 7

Destination	Distance	Next hop
A		
B	0	B
C		
D		

New Routing Table at Router B

Destination	Distance	Next Hop
A	2	A
B	0	B
C	3	C
D	3	A

## At Router C-

Router C receives distance vectors from its neighbors B and D.  
Router C prepares a new routing table as-

Cost of reaching destination A from router C =  $\min \{ 3+2, 11+1 \} = 5$  via B.

Cost of reaching destination B from router C =  $\min \{ 3+0, 11+7 \} = 3$  via B.

Cost of reaching destination D from router C =  $\min \{ 3+7, 11+0 \} = 10$  via B.

From B

2
0
3
7

Cost (C→B) = 3

From D

1
7
11
0

Cost (C→D) = 11

Destination	Distance	Next hop
A		
B		
C	0	C
D		

New Routing Table at Router C

Destination	Distance	Next Hop
A	5	B
B	3	B
C	0	C
D	10	B

## At Router D-

Router D receives distance vectors from its neighbors A, B and C.  
Router D prepares a new routing table as-

Cost of reaching destination A from router D =  $\min \{ 1+0, 7+2, 11+\infty \} = 1$  via A.

Cost of reaching destination B from router D =  $\min \{ 1+2, 7+0, 11+3 \} = 3$  via A.

Cost of reaching destination C from router D =  $\min \{ 1+\infty, 7+3, 11+0 \} = 10$  via B.

From A

0
2
$\infty$
1

Cost (D→A) = 1

From B

2
0
3
7

Cost (D→B) = 7

From C

$\infty$
3
0
11

Cost (D→C) = 11

Destination	Distance	Next hop
A		
B		
C		
D	0	D

New Routing Table at Router D

Destination	Distance	Next Hop
A	1	A
B	3	A
C	10	B
D	0	D

### **Step-03:**

- Each router exchanges its distance vector obtained in Step-02 with its neighboring routers.
- After exchanging the distance vectors, each router prepares a new routing table.

#### **At Router A-**

Destina tion	Distance	Next Hop
A	0	A
B	2	B
C	5	B
D	1	D

#### **At Router B-**

Destin ation	Distance	Next Hop
A	2	A
B	0	B
C	3	C
D	3	A

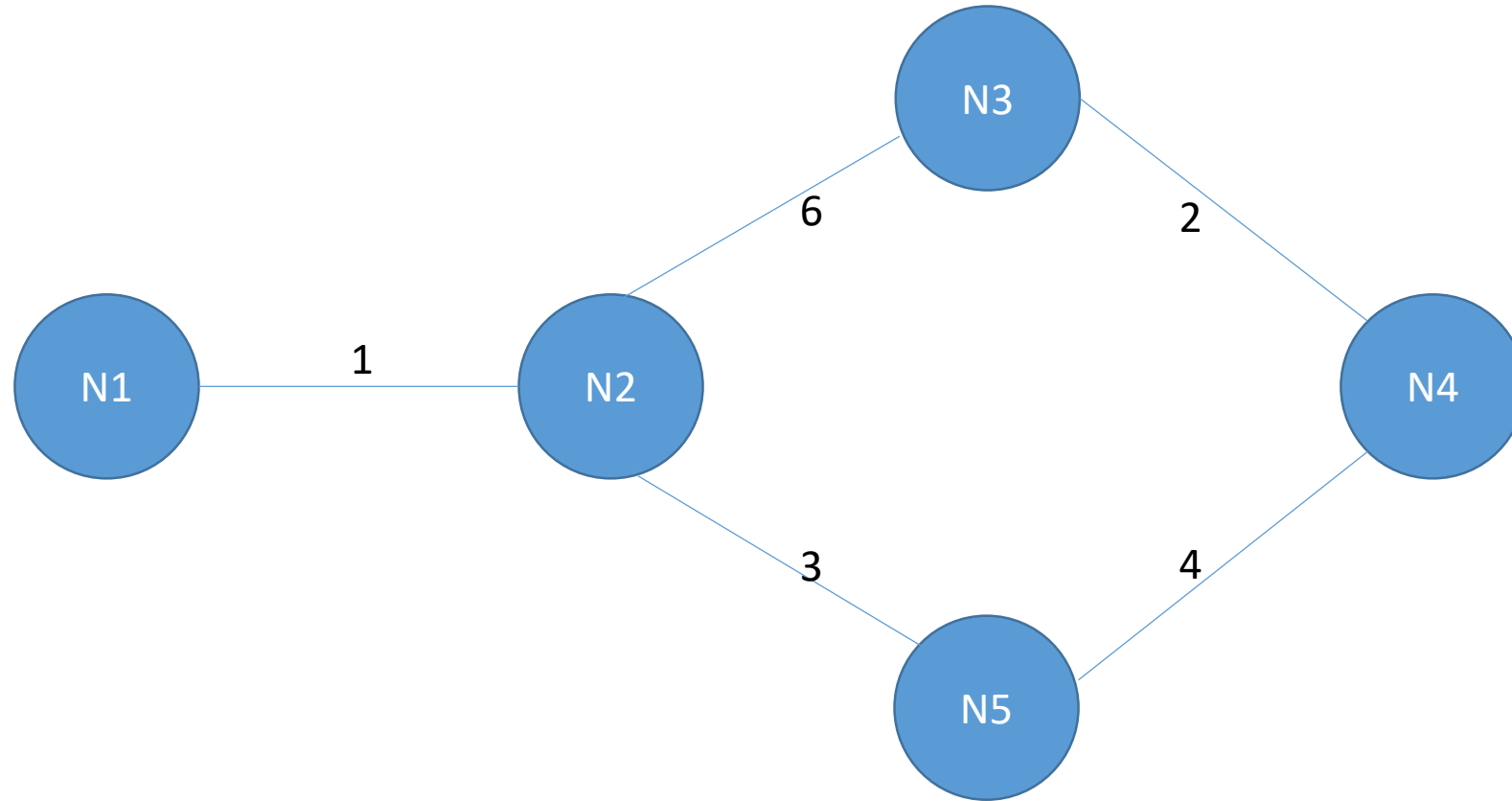
#### **At Router C-**

Destin ation	Distance	Next Hop
A	5	B
B	3	B
C	0	C
D	6	B

#### **At Router D-**

Destin ation	Distance	Next Hop
A	1	A
B	3	A
C	6	A
D	0	D

# Distance Vector Protocol



N1

Dest.	Dist	Next
N1	0	N1
N2	1	N2
N3	$\infty$	--
N4	$\infty$	--
N5	$\infty$	--

N2

Dest.	Dist	Next
N1	1	N1
N2	0	N2
N3	6	N3
N4	$\infty$	--
N5	3	N5

N3

Dest.	Dist	Next
N1	$\infty$	--
N2	6	N2
N3	0	N3
N4	4	N4
N5	$\infty$	--

N4

Dest.	Dist	Next
N1	$\infty$	--
N2	$\infty$	--
N3	2	N3
N4	0	N4
N5	6	N5

N5

Dest.	Dist	Next
N1	$\infty$	--
N2	3	N2
N3	$\infty$	--
N4	4	N4
N5	0	N5

First Pass

- Routing table is shared with only Neighbours
- Only Distance Vector is saved.
- N1 shares Distance vector with N2
- N2 shares Distance vector with N1, N3 and N5
- N3 shares Distance vector with N2, N4
- N4 shares Distance vector with N3 and N5
- N5 shares Distance vector with N2, N4

N1

Dest.	Dist	Next
N1	0	N1
N2	1	N2
N3	7	N2,N3
N4	$\infty$	--
N5	4	-2,N5

N2

Dest.	Dist	Next
N1	1	N1
N2	0	N2
N3	6	N3
N4	7	N5,N4
N5	3	N5

N3

Dest.	Dist	Next
N1	7	N2, N1
N2	6	N2
N3	0	N3
N4	4	N4
N5	7	N4, N5

N4

Dest.	Dist	Next
N1	$\infty$	--
N2	7	N5, N2
N3	2	N3
N4	0	N4
N5	6	N5

N5

Dest.	Dist	Next
N1	4	N2,N1
N2	3	N2
N3	6	N4,N3
N4	4	N4
N5	0	N5

Second Pass



- Routing table is shared with only Neighbours
- Only Distance Vector is saved.
- N1 shares Distance vector with N2
- N2 shares Distance vector with N1, N3 and N5
- N3 shares Distance vector with N2, N4
- N4 shares Distance vector with N3 and N5
- N5 shares Distance vector with N2, N4

N1

Dest.	Dist	Next
N1	0	N1
N2	1	N2
N3	7	N2,N3
N4	8	N2,N5,N4
N5	4	-2,N5

N2

Dest.	Dist	Next
N1	1	N1
N2	0	N2
N3	6	N3
N4	7	N5,N4
N5	3	N5

N3

Dest.	Dist	Next
N1	7	N2, N1
N2	6	N2
N3	0	N3
N4	4	N4
N5	7	N4, N5

N4

Dest.	Dist	Next
N1	8	N5,N2, N1
N2	7	N5, N2
N3	2	N3
N4	0	N4
N5	6	N5

N5

Dest.	Dist	Next
N1	4	N2,N1
N2	3	N2
N3	6	N4,N3
N4	4	N4
N5	0	N5

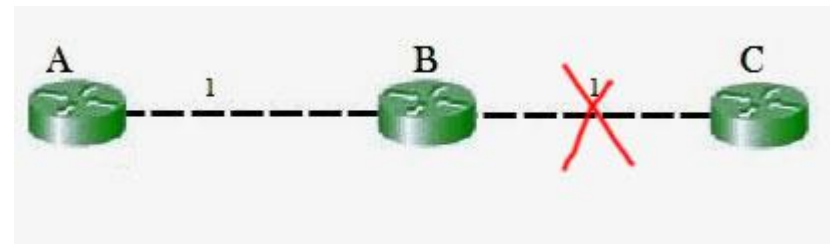
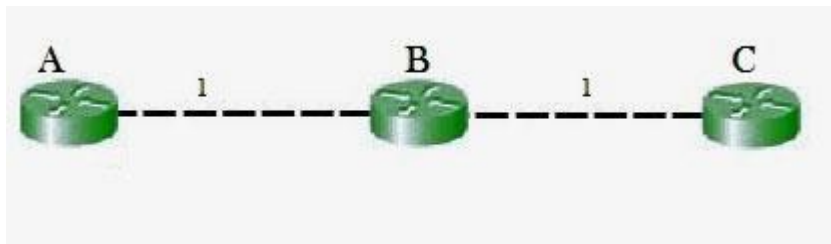
Third Pass

# Distance Vector routing

- **Advantages of Distance Vector routing –**
  - It is **simpler to configure and maintain** than link state routing.
- **Disadvantages of Distance Vector routing –**
  - It is **slower to converge** than link state.
  - It is at risk from the **count-to-infinity problem**.
  - **It creates more traffic than link state** since a hop count change must be propagated to all routers and processed on each router. **Hop count updates take place on a periodic basis, even if there are no changes in the network topology**, so bandwidth-wasting broadcasts still occur.
  - For **larger networks, distance vector routing results in larger routing tables than link state** since each router must know about all other routers. This can also lead to congestion on WAN links.
- **Note – Distance Vector routing uses UDP(User datagram protocol) for transportation.**

# Count to infinity problem in Routing

- Its The main issue with **Distance Vector Routing (DVR)** protocols is Routing Loops, since [Bellman-Ford Algorithm](#) cannot prevent loops. This routing loop in DVR network causes Count to Infinity Problem. **Routing loops usually occur when any interface goes down or two-routers send updates at the same time.**
- **Counting to infinity problem:**



# Link State Routing

# Link State Routing

- Also called shortest path first (SPF) forwarding
  - Named after Dijkstra's algorithm (1959) which it uses to compute routes
- **All routers have tables which contain a representation of the entire network topology.**
- **Each router creates a *link state packet (LSP)* which contains names (e.g. network addresses) and cost to each of its neighbours**
  - The **LSP is transmitted to *all* other routers (Flooding)**, who each update their own records
  - When a routers receives LSPs from all routers, it can use (collectively) that information to make topology-level decisions

# Link State Packets

- LSP are essentially a list of tuples, containing:
  - The name of a neighbour to a router
    - Which may be a router or a network
  - The cost of the link to that neighbour
- LSPs are generated and distributed when:
  - A time period passes
  - New neighbours connect to the router
  - The link cost of a neighbour has changed
  - A link to a neighbour has failed (link failure)
  - A neighbour has failed (node failure)

# Link State Packets

- Distribution of LSPs can be difficult
  - Routers themselves are the means for delivering messages
  - How do routers deliver their own messages, particularly when routers are in an inconsistent state
    - e.g. During link failure, before each router has been notified of the problem



# Link State Packets

- One method for LSP distribution: Flooding
  - Each LSP received is transmitted to every direct neighbour (except the neighbour where the LSP came from)
  - This creates an exponential number of packets on the network (similar to  $O(2^R)$ , where  $R$  is the number of routers)
  - It does, however, guarantee that the LSP will be received by every router
    - Assuming that node or link failure does not occur, and LSPs are not somehow lost

# Link State Packets

- An improvement on this scheme is as follows:
- When an LSP is received, it is compared with the stored copy
  - If it is identical to the stored copy, it is dropped
  - If it is different, the stored LSP is overwritten with the new LSP and the LSP is transmitted to every direct neighbour (except the source of the LSP)
- This scheme works because if a given router has already received a LSP from another neighbour, it will have also already distributed the LSP to all of its neighbours
- This scheme has a network complexity similar to  $O(R^2)$

# Link State Routing Algorithm

- Ok, now that we know how to distribute LSPs, how are they used to determine routes?
  - The algorithm used (mostly) was developed by Dijkstra
  - Essentially, the algorithm runs at each router, computing each possible path to the destination, adding up each cost
    - The path with the lowest cost is used

# Link State Routing Algorithm

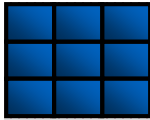
- The algorithm requires the following information:
  - **Link state database:** List of all the latest LSPs from each router on the network
  - **Path:** Tree structure storing previously computed best paths
    - Consider this a sort of cache
    - Data type for nodes: (ID, path cost, port)
  - **Tent:** Tree structure storing paths currently being tested and compared (tentative)
    - Consider this a sort of rough workspace
    - Data type for nodes: (ID, path cost, port)

# Link State Routing Algorithm

- **Forwarding database:** Table storing all IDs that can be reached, and the port to which messages should be sent
  - This is simply a reduced version of the 'Path', which contains (destination , port) pairs
  - This can be used by the router to quickly forward packets for which the best path has already been determined
  - Data type for table rows: (ID, port)

# Dijkstra Algorithm

- Remove the Loops
- Remove the parallel paths higher weights.
- Create Matrix with all vertices. And Set 0 to source and Infinity to other vertices.
- Mark the smallest valued vertex.
- Find all the vertices connected to lowest valued vertex and update the values of connected vertex.
- New Destination= $\min(\text{old value}, \text{marked value} + \text{edge weight})$



**Table 11.3** *Dijkstra's Algorithm*

```
1 Dijkstra ( )
2 {
3     // Initialization
4     Path = {s}           // s means self
5     for (i = 1 to N)
6     {
7         if (i is a neighbor of s and i ≠ s)     $D_i = c_{si}$ 
8         if (i is not a neighbor of s)           $D_i = \infty$ 
9     }
10     $D_s = 0$ 
11
12 } // Dijkstra
```

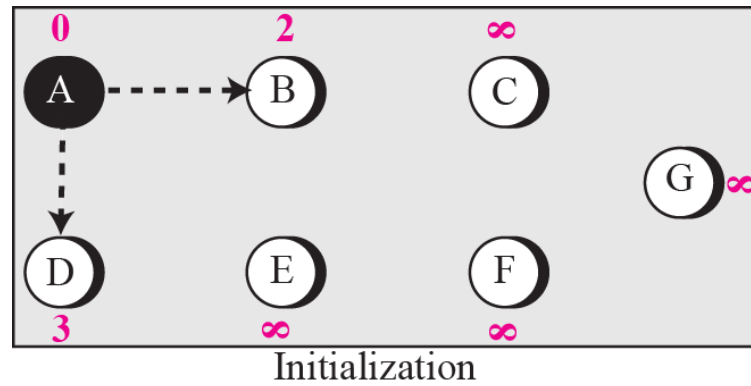
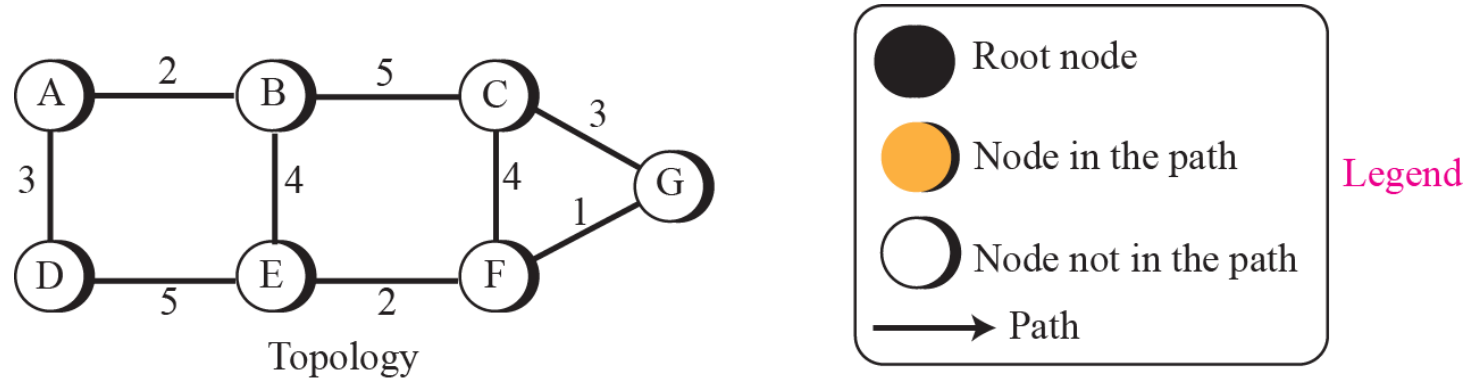


## Continued

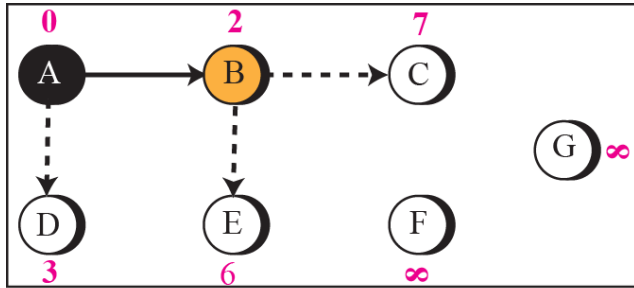
```
13      // Iteration
14      Repeat
15      {
16          // Finding the next node to be added
17          Path = Path  $\cup$   $i$    if  $D_i$  is minimum among all remaining nodes
18
19          // Update the shortest distance for the rest
20          for ( $j = 1$  to  $M$ )      //  $M$  number of remaining nodes
21          {
22               $D_j = \text{minimum} (D_j , D_j + c_{ij})$ 
23          }
24      } until (all nodes included in the path,  $M = 0$ )
25
```



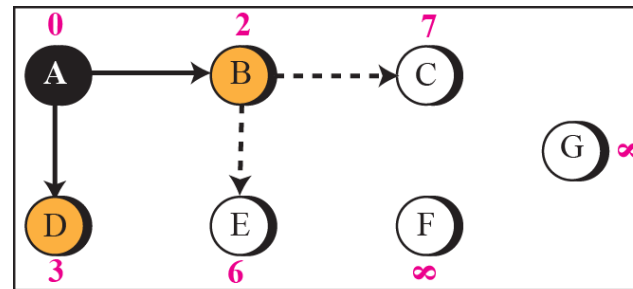
**Figure 11.19** *Forming shortest path three for router A in a graph*



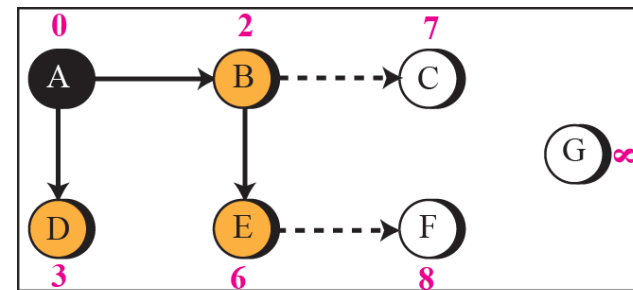
**Figure 11.19** *Continued*



Iteration 1

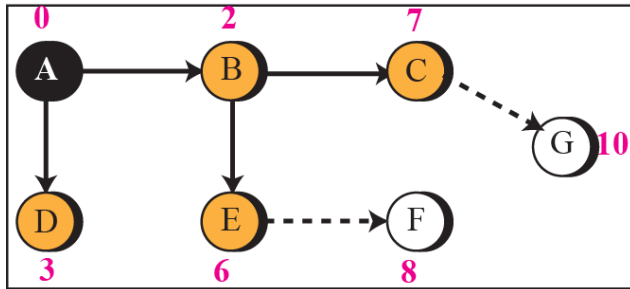


Iteration 2

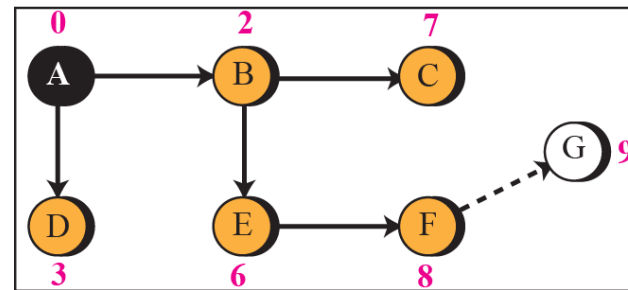


Iteration 3

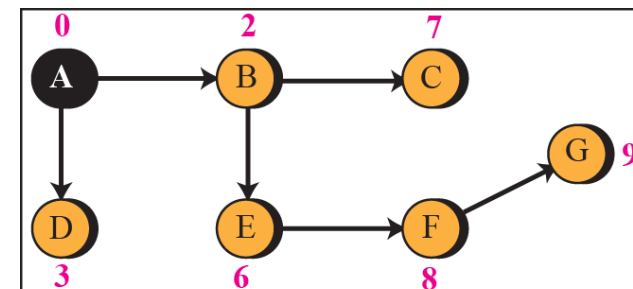
**Figure 11.19** *Continued*



Iteration 4



Iteration 5

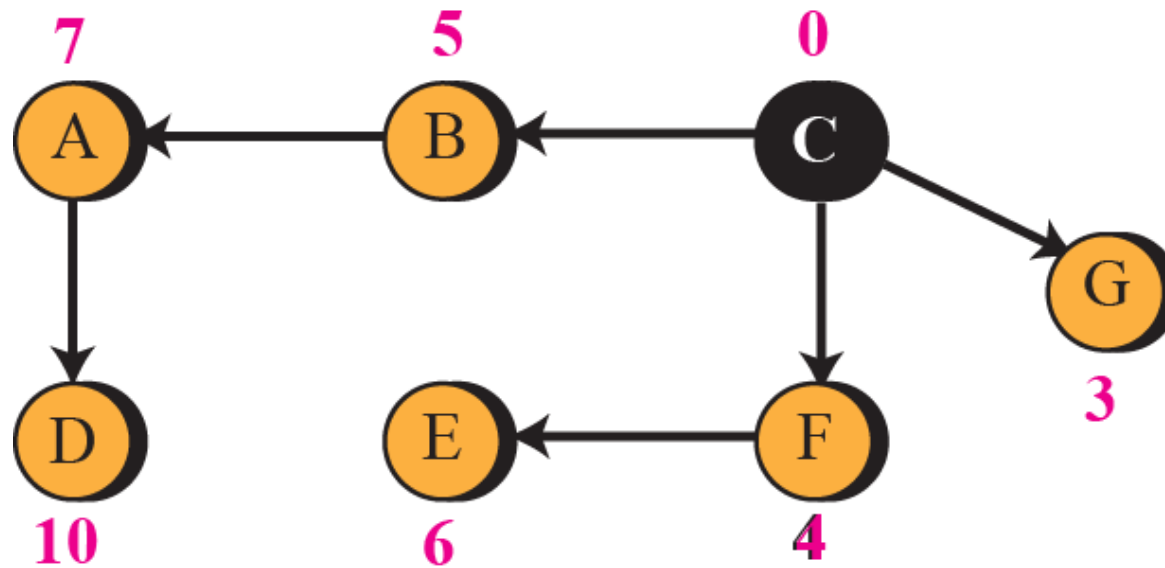


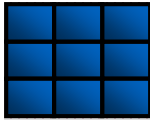
Iteration 6

## Example 11.6

To show that the shortest path tree for each node is different, we found the shortest path tree as seen by node C (Figure 11.20). We leave the detail as an exercise.

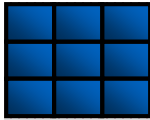
**Figure 11.20** *Example 11.6*





**Table 11.4** *Routing Table for Node A*

<i>Destination</i>	<i>Cost</i>	<i>Next Router</i>
A	0	—
B	2	—
C	7	B
D	3	—
E	6	B
F	8	B
G	9	B



**Table 11.4** *Routing Table for Node A*

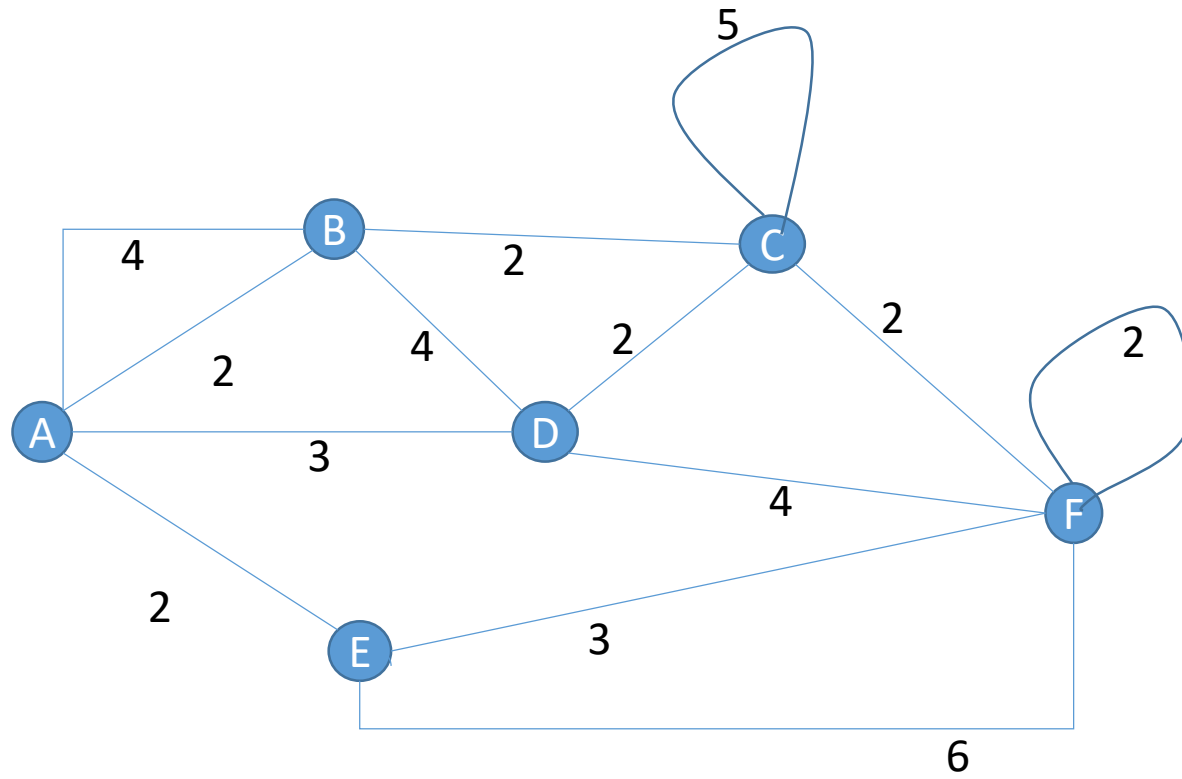
<i>Destination</i>	<i>Cost</i>	<i>Next Router</i>
A	0	—
B	2	—
C	7	B
D	3	—
E	6	B
F	8	B
G	9	B

# Dijkstra Algorithm

- Remove the Loops
- Remove the parallel paths higher weights.
- Create Matrix with all vertices. And Set 0 to source and Infinity to other vertices.
- Mark the smallest valued vertex.
- Find all the vertices connected to lowest valued vertex and update the values of connected vertex.
- New Destination= $\min(\text{old value}, \text{marked value} + \text{edge weight})$

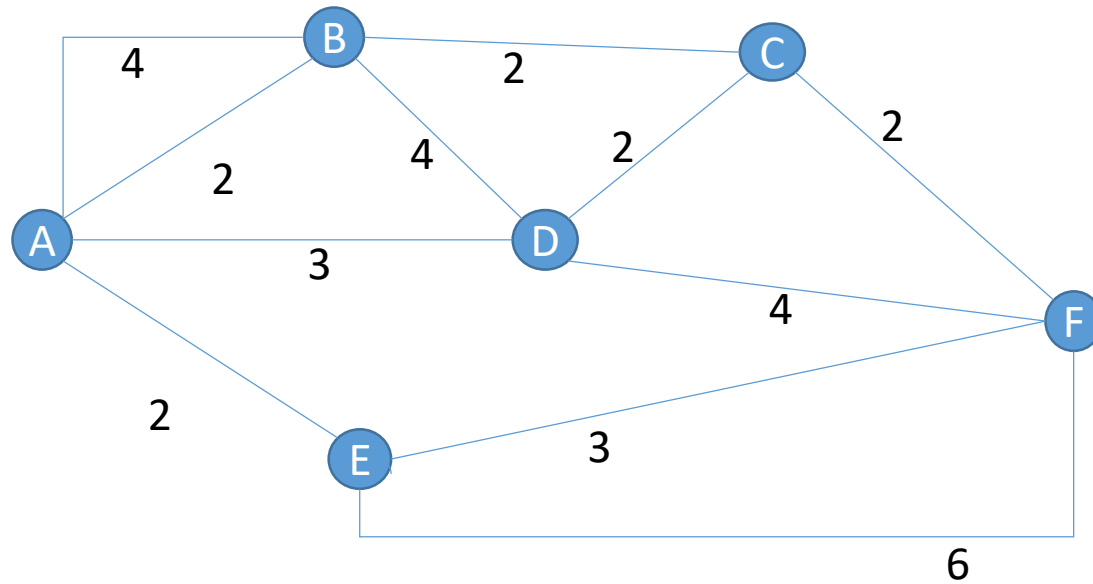


# Example



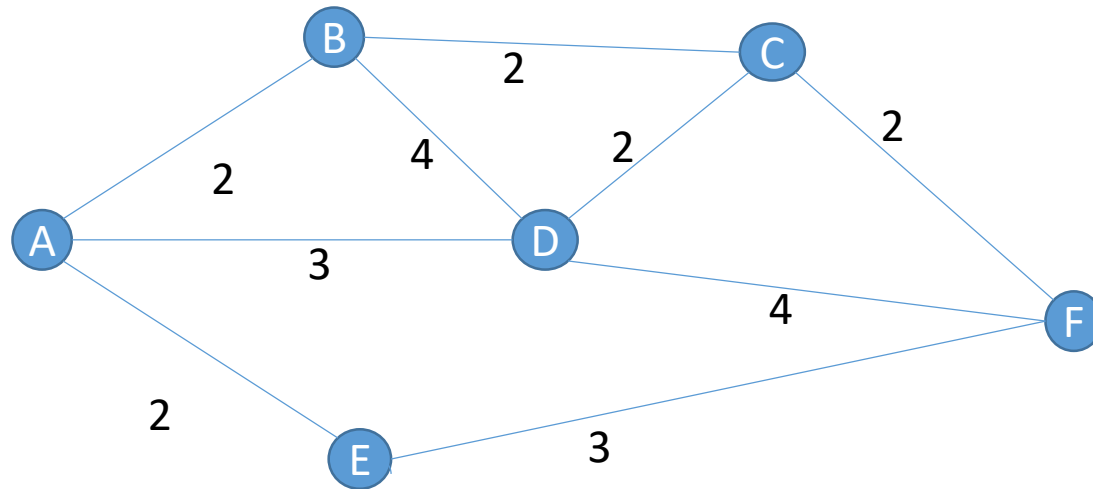
# Example

- Removed the Loops



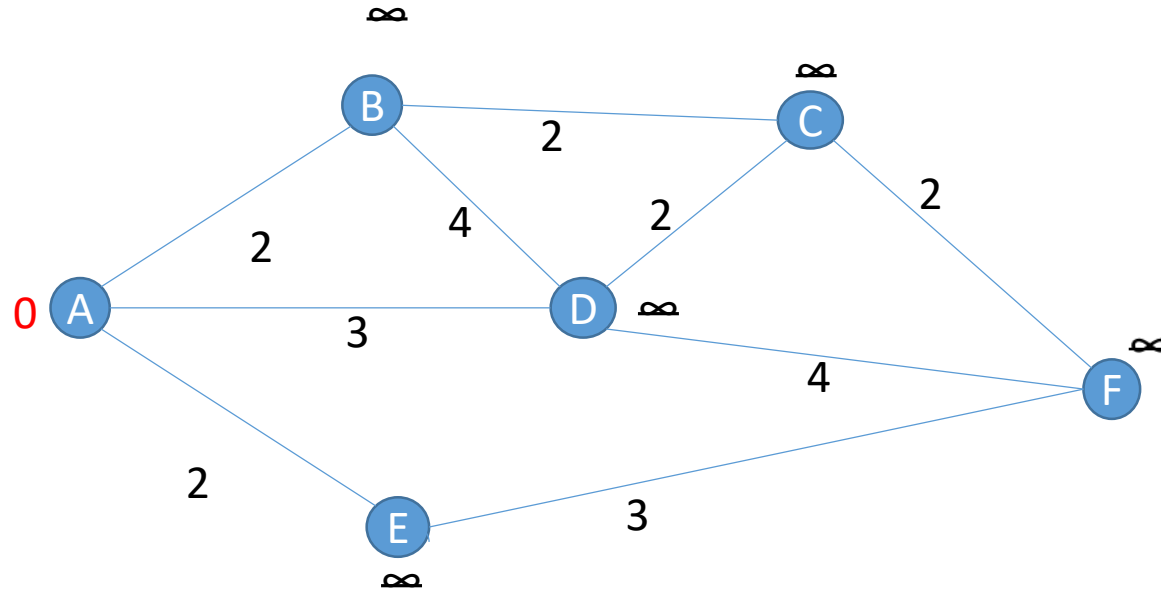
# Example

- Remove the parallel paths higher weights.

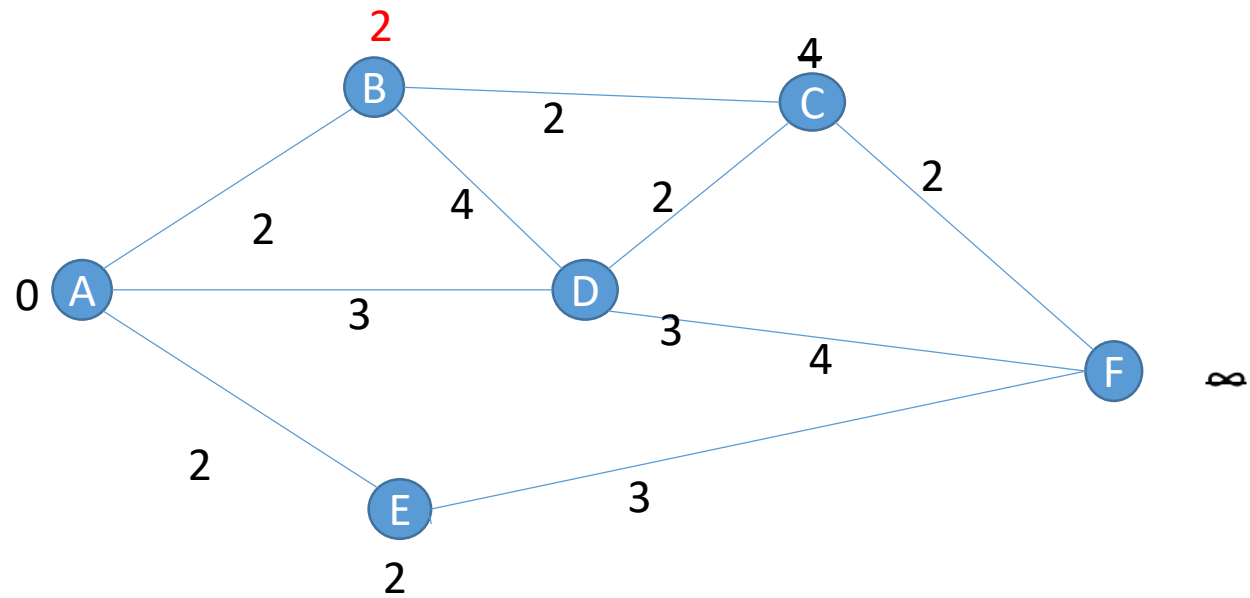


# Example

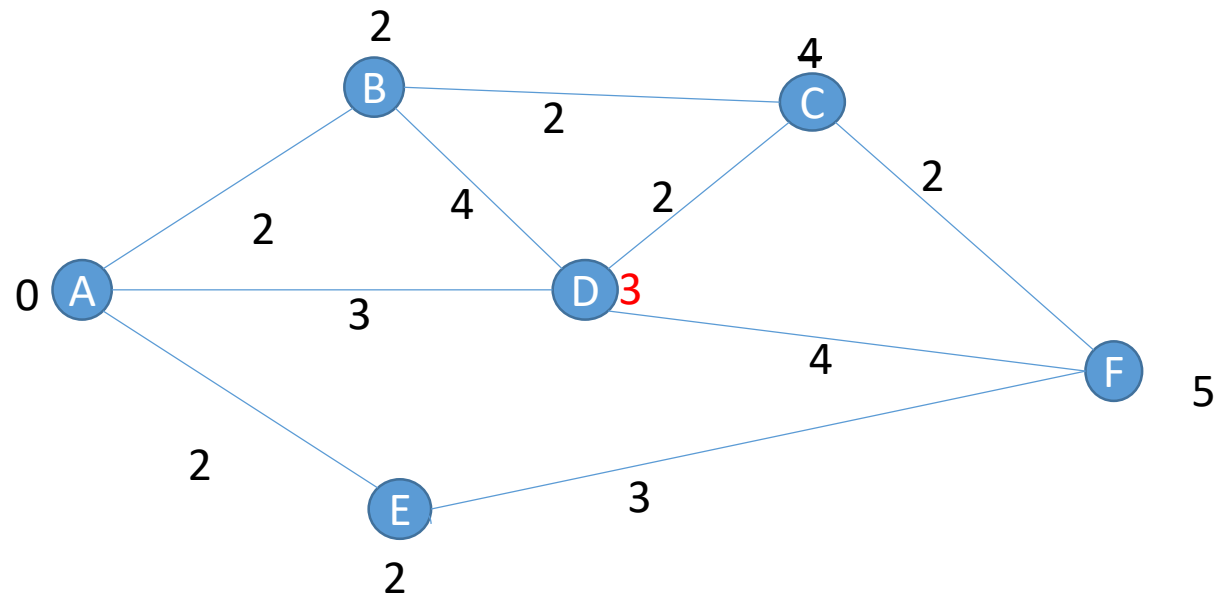
- Create Matrix with all vertices. And Set 0 to source and Infinity to other vertices.



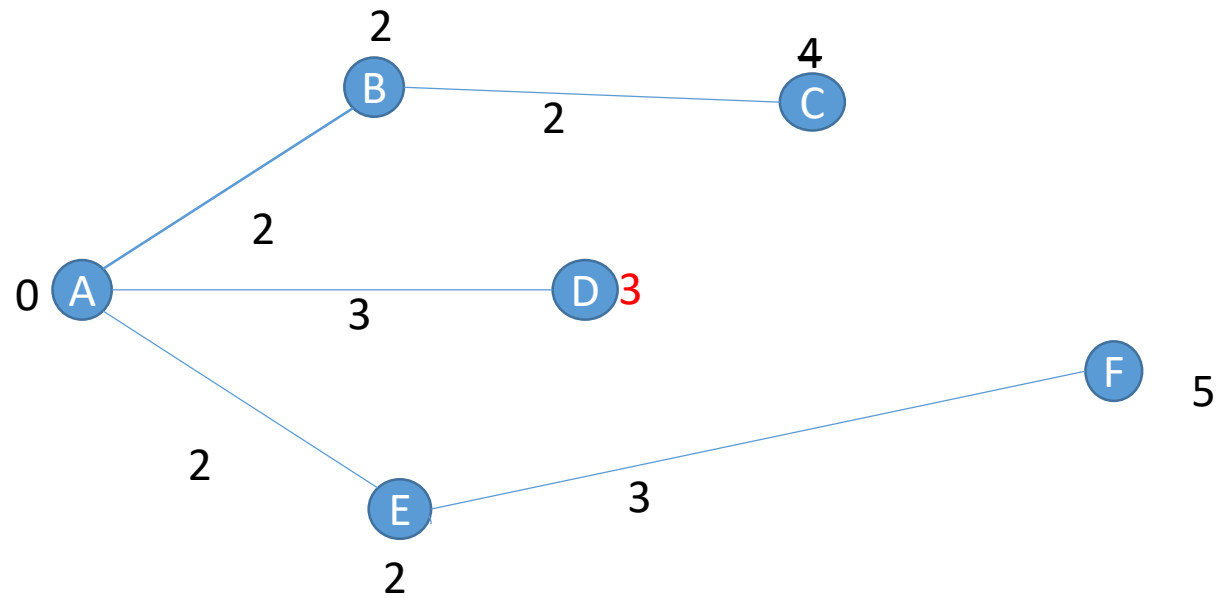
# Example



# Example



# Example



DESTINATION	COST	NEXT ROUTER
A	0	--
B	2	--
C	4	B
D	3	--
E	2	--
F	5	E



<b>Distance Vector Routing</b>	<b>Link State Routing</b>
--> Bandwidth required is less due to local sharing, small packets and no flooding.	--> Bandwidth required is more due to flooding and sending of large link state packets.
--> Based on local knowledge since it updates table based on information from neighbors.	--> Based on global knowledge i.e. it have knowledge about entire network.
--> Make use of Bellman Ford algo	--> Make use of Dijkstra's algo
--> Traffic is less	--> Traffic is more
--> Converges slowly i.e. good news spread fast and bad news spread slowly.	--> Converges faster.
--> Count to infinity problem.	--> No count to infinity problem.
--> Persistent looping problem i.e. loop will there forever.	--> No persistent loops, only transient loops.
--> Practical implementation is RIP and IGRP.	--> Practical implementation is OSPF and ISIS.

# Distance Vector Algorithm –

- **Example** – Consider 3-routers X, Y and Z as shown in figure. Each router have their routing table. Every routing table will contain distance to the destination nodes

