

# Distributed Computing

## Module 3

### Chapter 3 - Synchronization

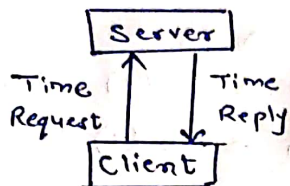
In Synchronization, there are 2 types of clock

- ① Logical clock
- ② Physical clock

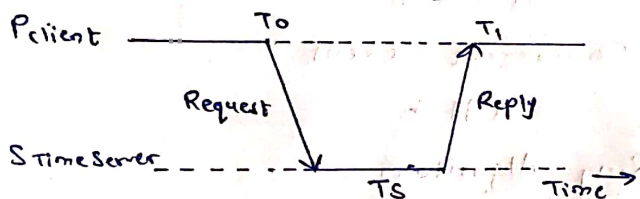
Physical clock -

- ① Cristian Algorithm
- ② Berkeley Algorithm
- ③ Network Time Protocol

Cristian's Algorithm



$$T_{new} = T_{server} + \frac{T_1 - T_0}{2}$$



Algorithm:

- Let S be the time server and  $T_s$  be its time.
- Process P requests the time from S.
- After receiving the request from P, S prepares response and append the time  $T_s$  from its own clock and then send it back to P.

Example:

Send Request  $\rightarrow 8:08:18:100 (T_0)$

Receive Response  $\rightarrow 8:08:18:900 (T_1)$

Response  $\rightarrow 8:09:28:300 (T_{server})$

$$\begin{aligned} \therefore T_{new} &= 8:09:28:300 + \frac{900-100}{2} \\ &= 8:09:28:300 + \frac{800}{2} \\ &= 8:09:28:300 + 400 \\ &= 8:09:28:700 \end{aligned}$$

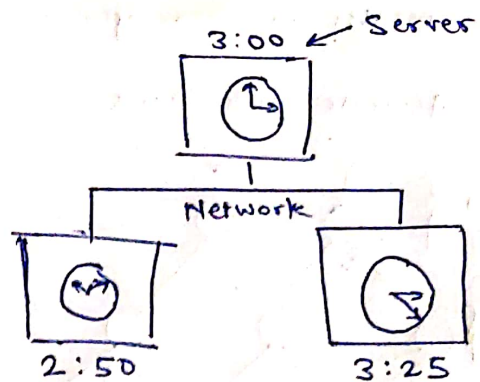
- In Cristian algorithm, client approaches server.

- In Berkeley algorithm,

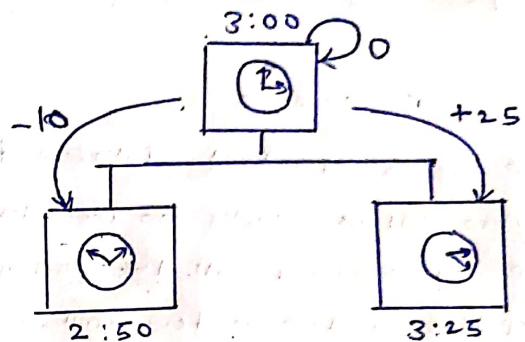
server approaches client.

Note: Both algorithms are centralized.

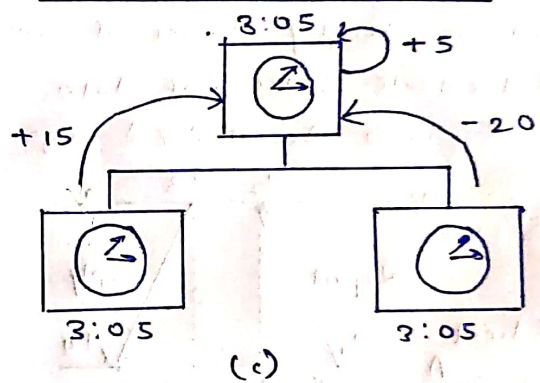
## Berkeley Algorithm



(a)



(b)



(c)

Algorithm:

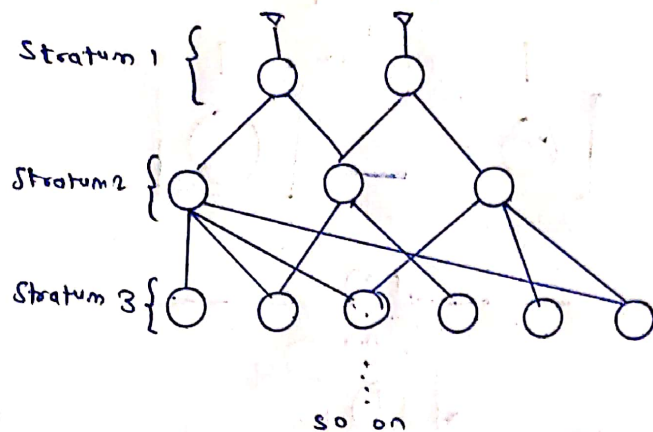
- Let  $T_m$  be the time estimate of master clock.
- Let  $T[i]$  contains the time at each 1 slave at master, where  $i = 1, \dots, N$ .
- If master
  - $\rightarrow$  Send its  $T_m$  along with query for  $t[i]$
  - $\rightarrow$  Adjust =  $\text{sum}(t[i] / N)$   
i.e.,  $(25 - 10 + 0) / 3 = 5$
  - $\rightarrow$  Send offset  $[i] = \text{Adjust} - t[i]$  to each slave,  
i.e.,  $5 - (-10) = +15$   
 $5 - 25 = -20$   
 $5 - 0 = +5$
  - $\rightarrow$  Slave sends query response at  $t[i] = T[i] - T_m$
  - $\rightarrow$  Time set to,  $t[i] = t[i] + \text{offset}[i]$ .



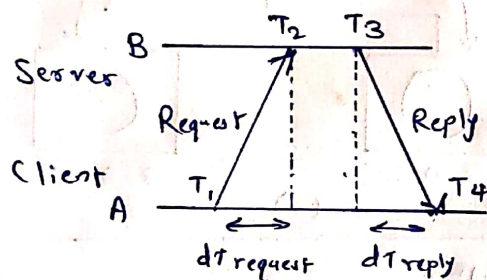
## Network Time Protocol

- NTP operates in hierarchical model.

Accurate Time Source



- NTP is a standard followed by synchronization clocks on the internet.
- NTP synchronizes all the participating computers within a few milliseconds of coordinated with UTC.
- Survive lengthy losses of connectivity.
- Authenticate source of data.
- NTP is a decentralized algorithm.

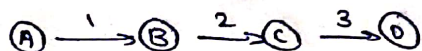


$$RTT = (T_4 - T_1) - (T_3 - T_2)$$

$$\text{Offset} = \frac{(T_2 - T_1) + (T_3 - T_4)}{2}$$

## Logical Clocks

- Logical clocks refer to implementing a protocol on all machines within your distributed systems, so that the machines are able to maintain consistent ordering of events within some virtual time span.
- Example!



Processes must be sequential.

Method 1: Direct Manipulation  
(Impossible in real world)

Method 2: Timestamps must be assigned to the events.

Causality: It is an influence by which one event contributes to the production of another event.

Happen - Before Relationship.  
 $T_s(A) < T_s(B)$

Transitive Relation

If  $T_s(A) \rightarrow T_s(B)$  and  
 $T_s(B) \rightarrow T_s(C)$  then  
 $T_s(A) \rightarrow T_s(C)$

Causality Ordered Relation

$a \rightarrow b$

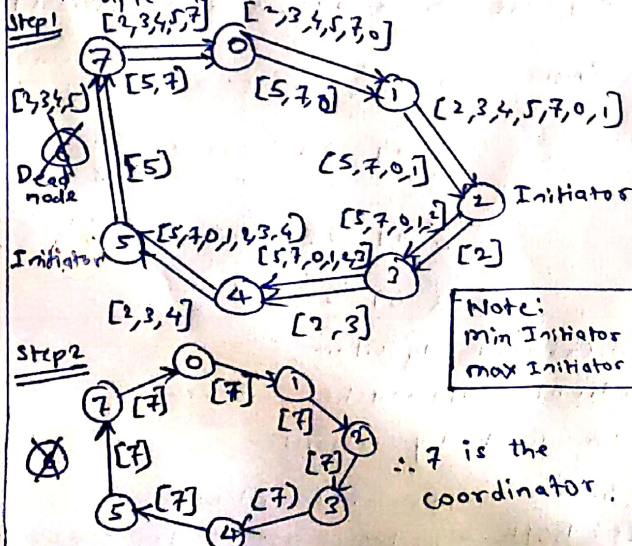
Concurrent event

$a \parallel b$

## Ring Algorithm

- When the node notices that coordinator is dead.
- Builds and sends election message to nodes.
- At every step nodes keep on adding its own id at the end of the list.
- The process stops when initiator receives the message it sent.
- After this the node with highest id is declared to be a coordinator.
- Initiator announces the coordinator by sending message to nodes.

Example!



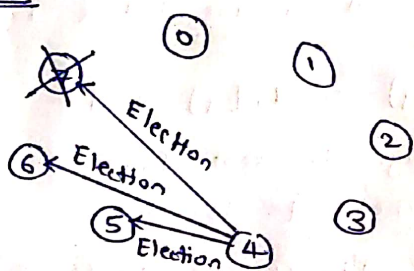
## Bully Algorithm

- Many distributed algorithms require a process to act as a coordinator.
- Each process can become coordinator which will be organizing the actions of another processes.
- What if coordinator fails?
- How the new coordinator will be elected?

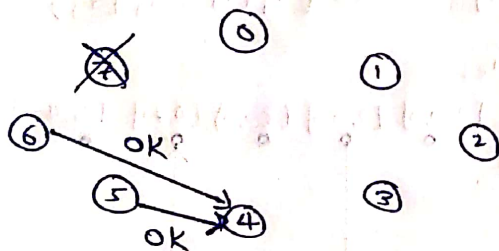
### Assumptions:

- Each process has unique id
- Each process knows the unique id of another processes.

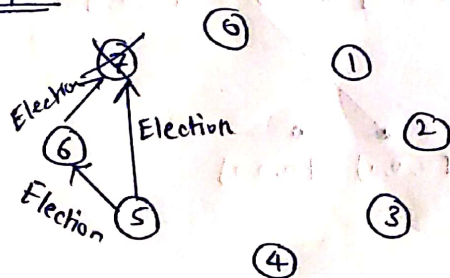
### Step 1



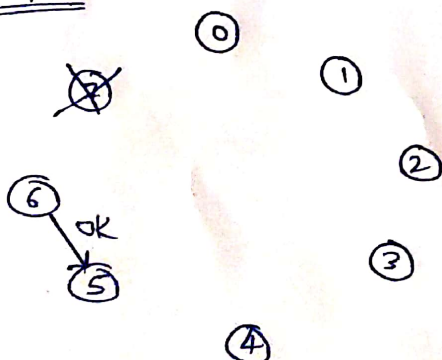
### Step 2



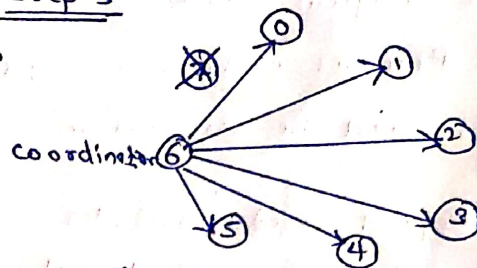
### Step 3



### Step 4



### Step 5



∴ 6 is the coordinator

- A process P notices that coordinator is no longer responding it will initiate an election.
- It will send election to all other processes with higher process id.
- If no one responds, process p wins and becomes coordinator.
- If one of the higher one answers, P's job is done and it will take over.
- When process p gets a message from one of its lower id, receiver sends an ok message to sender that it will takeover and its alive and P's job is done.
- Eventually, all processes will give up apart from one, that one is the coordinator.
- The coordinator finally wins and announces its victory by sending coordinator message to all the processes.



## Lamport's Logical Clock

Key idea: Processes exchange messages.

- Messages must be sent before received.
- Sent/Request used to order events and synchronize logical clocks.
- Assign sequence numbers to messages.
- All coordinating processes can agree on order of events.
- v/s Physical clocks - Time of delay.
- Assume that there is no central time source.
- Each system has its own local clock.
- No Total ordering of events.
- No concept of happened when.
- Lamport's Happened-Before relation if  $a \rightarrow b$  [event a happen before event b]

$$a \rightarrow b \rightarrow c$$

$$T(x) < T(y)$$

- Transitive:  
if  $a \rightarrow b$  and  $b \rightarrow c$   
 $\therefore a \rightarrow c$
- Assume clock value to each event, if  $a \rightarrow b$  then  
 $\therefore \text{clock}(A) < \text{clock}(B)$   
 $\therefore$  Time cannot go backwards.
- If a and b occurs on different processes that don't interact with other.  
 $\therefore$  Neither  $a \rightarrow b$  nor  $b \rightarrow a$  are true.

Such events are concurrent.  
 $\therefore$  all b

$\therefore$  Instead of clock synchronization Lamport's ordering of events can be done.

## Vector clocks

- In lamport's clock, if  $x \rightarrow y$  then  $T(x) < T(y)$ .
- But it does not tell about relationship between event x and y.
- Lamport clocks do not capture causality.
- The causal relationship between messages is captured through vector clocks.

Algorithm:

- Vector initialized to zero for each process.  
 $V_i[j] = 0$  for  $i, j = 1, 2, 3, \dots, N$ .
- Increment vector before timestamp event.  
 $V_i[j] = V_i[j] + 1$
- Message is sent from  $P_i$  with  $V_i$  attached to it.
- When  $P_j$  receives message  
 $V_j[i] = \max[V_j[i], V_i[i]]$

Example:

