

Q (A) i)

$$G = (\{S, A, B\}, \{a, b\}, P, S)$$

where P consists of

$$S \rightarrow aB / bA$$

$$A \rightarrow a / aS / bAA$$

$$B \rightarrow b / bS / aBB$$

"bbaaba"

Leftmost derivation

$$\begin{array}{ll} S \rightarrow bA & (S \rightarrow bA) \\ \rightarrow b bAA & (A \rightarrow bAA) \\ \rightarrow b b aA & (A \rightarrow a) \\ \rightarrow b b a aS & (A \rightarrow aS) \\ \rightarrow b b a a bA & (S \rightarrow bA) \\ \rightarrow b b a a b a & (A \rightarrow a) \end{array}$$

Rightmost derivation

$$\begin{array}{ll} S \rightarrow bA & (S \rightarrow bA) \\ \rightarrow b bAA & (A \rightarrow bAA) \\ \rightarrow b b Aa & (A \rightarrow a) \\ \rightarrow b b aSa & (A \rightarrow aS) \\ \rightarrow b b a aBa & (S \rightarrow aB) \\ \rightarrow b b a a b a & (B \rightarrow b) \end{array}$$

6 A) (i)

## Operator Precedence Parser

- It is a bottom-up parser that interprets an operator - precedence program.
- Example: Most calculators use operator precedence parsers to convert from the human readable infix notation.

The operator precedence parsing technique can be applied to operator grammars

Operator grammar are defined as grammars with following properties

- ① No epsilon in the right hand side of any production
- ② No adjacent non-terminal in the right hand side of any production.

This property enables the implementation of efficient operator - precedence parser

These parsers rely on 3 precedence relations

Relation	Meaning
$a < \cdot b$	a yields precedence to b
$a = \cdot b$	a has the same precedence as b
$a \cdot > b$	a takes precedence over b

For example,  
the following operator precedence relations  
can be introduced for simple expression.

	id	+	*	\$
id		.>	.>	.>
+	<.	.>	<.	.>
*	<.	.>	.>	.>
\$	<.	<.	<.	.>

Difference between operator precedence  
parsing and recursive descent parsing

NAME: AMEY MAHENDRA THAKUR

COMPS TE B

ROLL NO.: 50

SUBJECT: SPCC

EXAM: IAT-1

PAGE NO.: 4/4

Q (B) ;i)

Sol<sup>n</sup>:

Three address code for a given expression

while ( $a < b$ ) do

if ( $c < d$ ) then

$x = y + 2$

else

$x = y - 2$

L1: while ( $a < b$ ) goto L2

goto last

L2: if ( $c < d$ ) goto L3

goto L4

L3:  $t_1 = y$

$t_2 = 2$

$t_3 = t_1 + t_2$

$x = t_3$

L4:  $t_1 = y$

$t_2 = 2$

$t_3 = t_1 - t_2$

$x = t_3$

last

TU3F1819127

SIGNATURE:

Amey