

# Python Fundamentals

Autonise

# Objectives

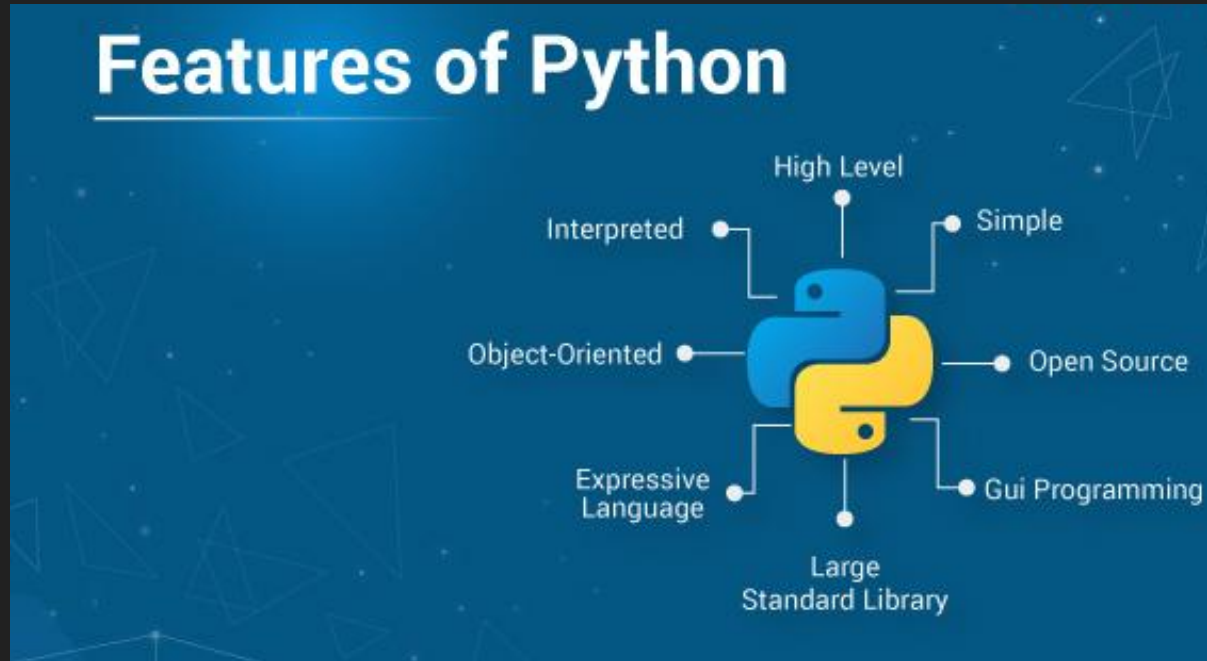
1. Introduction and Installation
2. Basic python syntax
3. Functions
4. Data structures(List,Tuple,Dict)

# BRIEF History of Python

- Created by [Guido van Rossum](#) and first released in 1991
- It is created to emphasize the code readability
- Its [language construct](#) and [object-oriented](#) approach aim to help [programmers](#) write clear, logical code



# Let's Talk about python



# Anaconda

- Anaconda is a Package Manager for python
- It pretty much manages everything required for python.



# Installation

## Anaconda Installers

### Windows

#### Python 3.7

64-Bit Graphical Installer (466 MB)

32-Bit Graphical Installer (423 MB)

#### Python 2.7

64-Bit Graphical Installer (413 MB)

32-Bit Graphical Installer (356 MB)

### MacOS

#### Python 3.7

64-Bit Graphical Installer (442 MB)

64-Bit Command Line Installer (430 MB)

#### Python 2.7

64-Bit Graphical Installer (637 MB)

64-Bit Command Line Installer (409 MB)

### Linux

#### Python 3.7

64-Bit (x86) Installer (522 MB)

64-Bit (Power8 and Power9) Installer (276 MB)

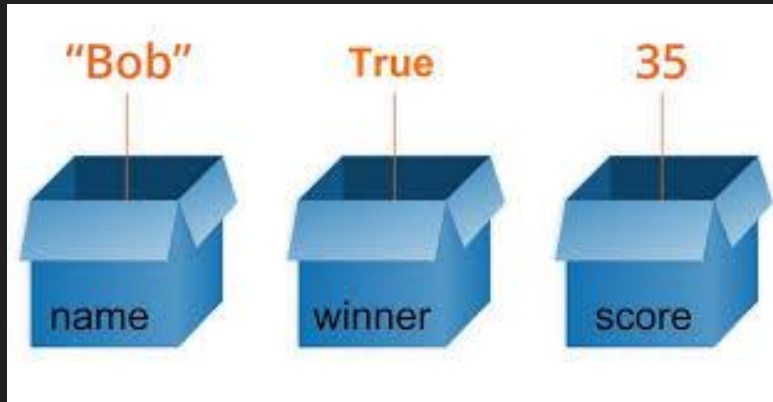
#### Python 2.7

64-Bit (x86) Installer (477 MB)

64-Bit (Power8 and Power9) Installer (295 MB)

# Variable

- Imagine Variable as a box with a label on it.
- Each Variable contains Data of specific type



# Data Types

- The Label on the box is called Data type
- These are Fundamental Data types in python
  1. Int(For Integer Numbers)
  2. float(For Real Numbers)
  3. Str(For Names)
  4. bool(For True or False)
- Conversion of one type to other is known as **TypeCasting**



# Operators

There are two types of Operators(Arithmetic/Logical):

## 1. Arithmetic operators

1.1 Addition(+)

1.2 subtraction(-)

1.3 Multiplication(\*)

1.3 Division(/)

1.4 Floor Division(//)

1.5 Modulo(%)

1.6 Power(\*\*)

# Logical Operators

- Greater than(>), Less Than (<), equals(==), Not Equals(!=),less than equals(<=),greater than equals(>=)
- Key words
  1. not
  2. and
  3. or

# String operators

There are 4 operators on strings

“+” -> Used to concatenate strings

“\*” -> Repeat the string again and concatenate

[] -> Used to get the character and particular position

[:] -> Slice characters in certain positions

[::] -> skip certain number of characters

Methods in string

# IF Else Block

If expression:

Perform a task

else:

Perform other task

# For Loop

```
for i in range(5):
```

```
    print("Hello World")
```

- Here the variable **i** is known as **iterator**
- **range(5)** is known as **iterable**

# While loop

- While loop is used to run program indefinitely until certain **condition** is met.

while condition:

    Perform the task again and again.

# break/continue keywords

- Break is used to come outside of the loop.
- Continue is used to come to the beginning of the loop

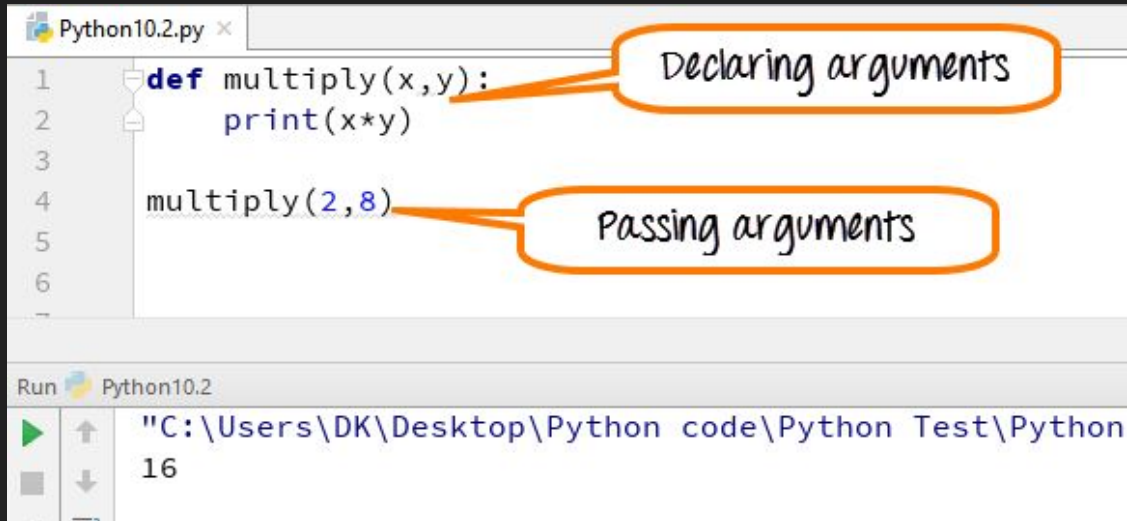
# Functions/Methods

- A Function is a pieces of reusable code.
- This make our life easier.
- Method is nothing but a function in **Object Oriented Programming**
- Some inbuilt-functions (max,min,abs,range)



# Writing own functions

- A function follows indentation rules same as if conditions and for loops
- The inputs to the function is called “**Arguments**”
- The outputs are given by **return** key word



```
Python10.2.py x
1  def multiply(x,y):
2      print(x*y)
3
4  multiply(2,8)
5
6
Run Python10.2
"C:\Users\DK\Desktop\Python code\Python Test\Python
16
```

The screenshot shows a Python IDE window titled "Python10.2.py". The code contains a function definition on lines 1 and 2: `def multiply(x,y):` followed by `print(x*y)`. Line 4 shows the function being called: `multiply(2,8)`. Two orange callout boxes are present: one pointing to the function signature `multiply(x,y):` with the text "Declaring arguments", and another pointing to the arguments `(2,8)` in the function call with the text "Passing arguments". At the bottom, a "Run" button is visible next to the text "Python10.2". Below the run button, the output of the program is shown: `"C:\Users\DK\Desktop\Python code\Python Test\Python` followed by a new line `16`.

# Range function in python

Syntax:

```
range(start, stop, step)
```

Example: `range(0,11,2)`

Iterable for all the even numbers less than 11.

**Other Inbuilt functions: `sorted,min, max`**

# List

- Sequence of Data having same data type
- Example: `lst = [1,2,3]`
- Methods: `clear()`, `append()`, `reverse()`, `sort()`, `copy()`, `pop()`
- Operators `(*,[*],+)`
- It is mutable object

# Tuple

- Has sequence of Data. Data may be of different data types
- `student = ("alice",21,True)`
- Methods: `count()`, `index()`
- Tuple is Immutable

# Set {}

Set is similar to mathematical set. It contains distinct elements. All elements should be immutable.

Methods: add, discard, pop(),clear(),copy()

A set is mutable object.

```
S1 = {1,3,5,7}
```

```
S1.add(5)
```

```
s1.remove(3)
```

# Dictionary

Dictionary is the data-structure, which stores keys, values for look-up. This is also called **Hashmap** in other languages. The keys can only be **immutable objects** i.e int, bool, String

$M = \{ \}$

$M[\text{"sunday"}] = 0$

$M[\text{"monday"}] = 1$

**Methods:** items(), pop(), copy(), clear()

# Python Data Science Packages

# IDE

Jupyter Notebook



Google Colab





# Objectives

1. What is a Python Package?
2. Numpy
3. Pandas
4. Matplotlib

# Python Package

A Package is collection python modules. Each python module contains defined set of functions, objects and variables.

Pip is used to install packages in python

```
!pip install package_name
```

```
import package_name as alias
```

A python library is collections of python packages

# Numpy

Numpy is a mathematical computing library which supports large multi-dimensional, arrays and matrices. It also contains high level mathematical functions to operate on these arrays.

```
import numpy as np
```

Eg:

```
Lst = [1,2,3]
```

```
array = np.array(Lst)
```

# Pandas

Pandas is a package written on top of numpy for data manipulation and analysis. It makes working with relational and labelled data simple and intuitive

```
import pandas as pd
```

```
Lst = [1,2,3]
```

```
Series = pd.series(Lst)
```

```
Dataframe = pd.read_excel(excel_sheet.xlsx)
```

# Matplotlib

Matplotlib is a comprehensive library for creating static, animated, and interactive visualizations in Python. It makes quality plots with very few lines of code.

Pyplot is a package under matplotlib for 2D- visualizations

```
import matplotlib.pyplot as plt
```

```
plt.plot(x)
```

# Introduction to Machine Learning

Autonise

# Objectives

1. Introduction to Machine Learning
2. Supervised Learning Fundamentals
3. Univariable Linear Regression
4. Multi-variable Linear Regression

# Introduction

Machine Learning is the set of algorithms which learn by experience of previous data.

Examples:

1. Housing Price prediction
2. Spam Email classification
3. Face Recognition
4. Recommender systems
5. Contextual ads



## **Supervised Learning:**

Learning from labelled data. Algorithms understand the patterns in the data, by learning from previous data which already has ground truth.

## **Unsupervised Learning:**

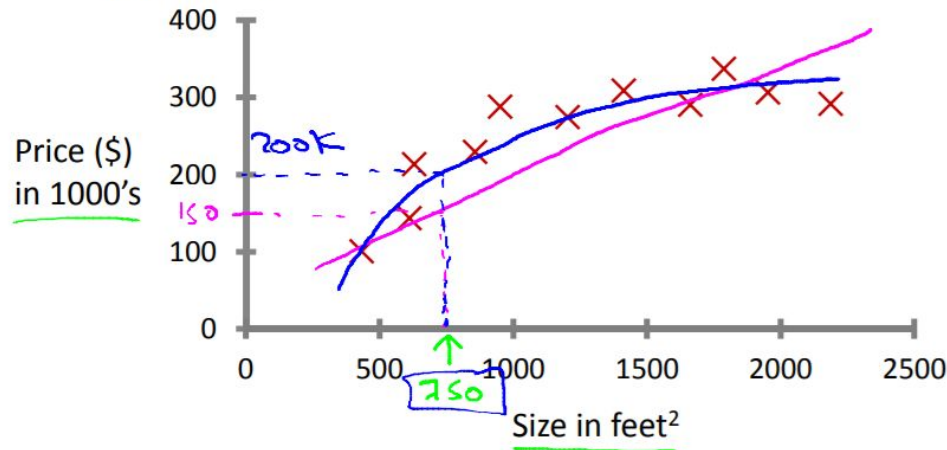
Algorithms learn from the data without having given the ground truth.

# Regression Problem

**Regression Problem:** Predicting a continuous variable.

Predicting house price given various factors like area, #rooms, location etc.,

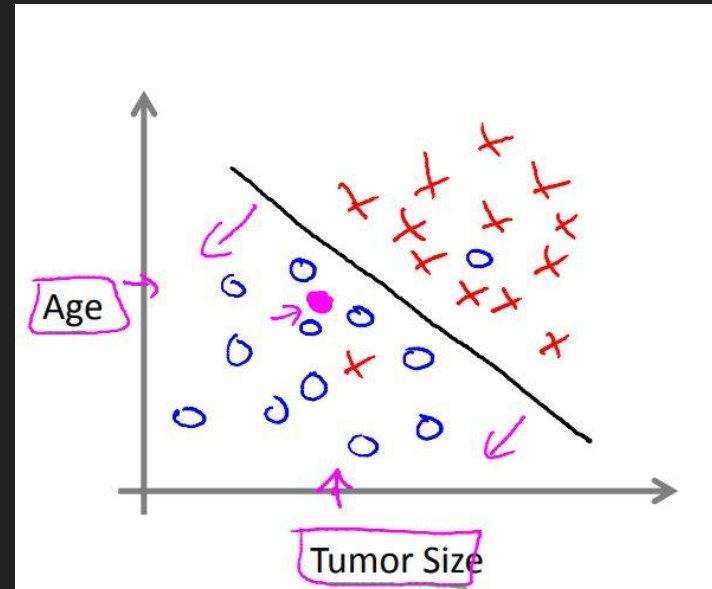
Housing price prediction.



**Classification Problem:** Predicting a categorical variable.

**Example:**

Classifying a tumour is malignant or Benign



# Features

Features are the measurable quantities which will be observed for a machine learning problem.

## Examples:

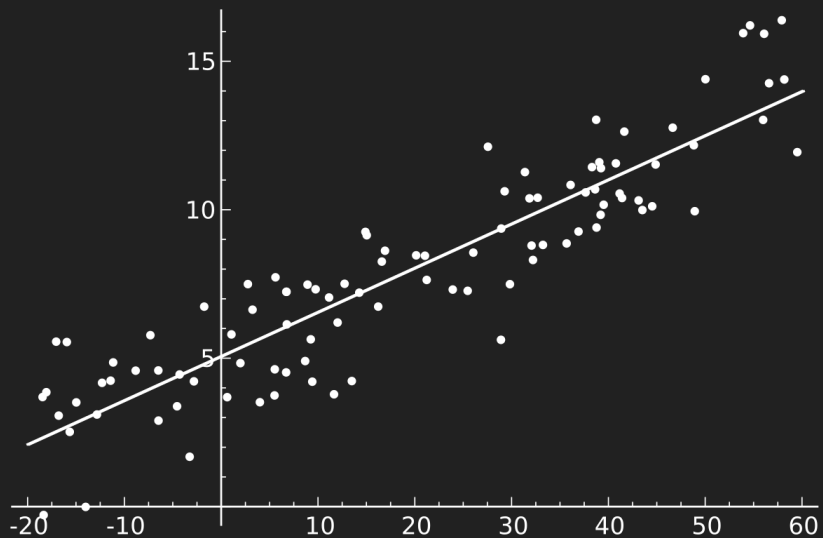
**Housing price prediction:** number of rooms, area of house, location, age

**Cancer classification:** clump thickness, uniformity of cell shape, uniformity of cell size

**Label** is a feature which needs to be predicted by the algorithm.(price of house, type of cancer(0/1))

# Linear Regression

Linear regression attempts to model the relationship between the variables by fitting a linear equation to observed data.



# Single variable Linear Regression

**Problem:** Predict the price of a house, given the area of the house.

Size in feet <sup>2</sup> (X)	Price is Lakhs(y)
2104	46
1416	25
1543	32
850	18
...	...

# Hypothesis(h)

Training Set



Learning Algorithm



Size of  
house



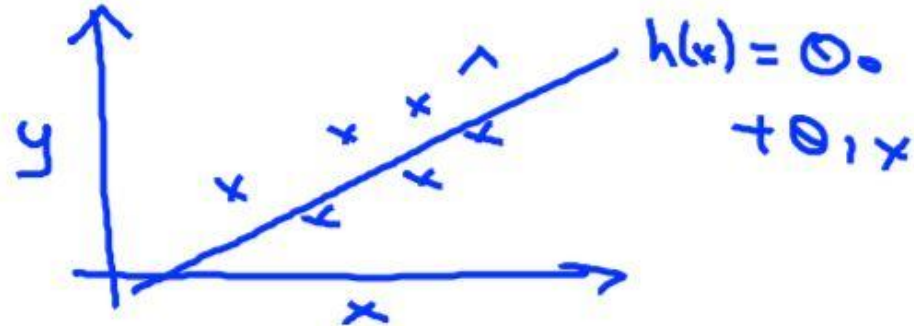
$h$



Estimated  
price

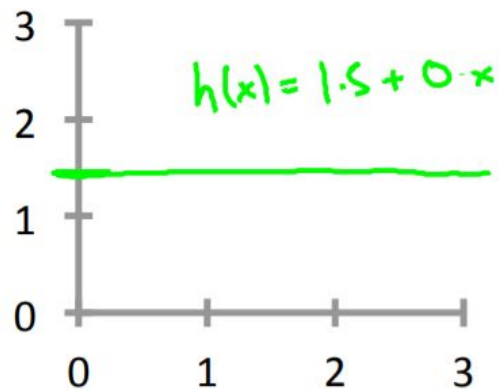
$$h_{\theta}(x) = \theta_0 + \theta_1 x$$

Shorthand:  $h(x)$



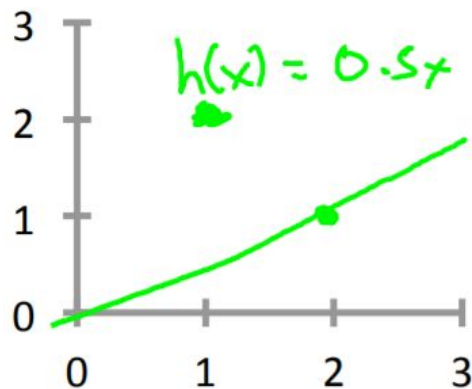
# Parameters

$$\underline{h_{\theta}(x)} = \theta_0 + \theta_1 x$$



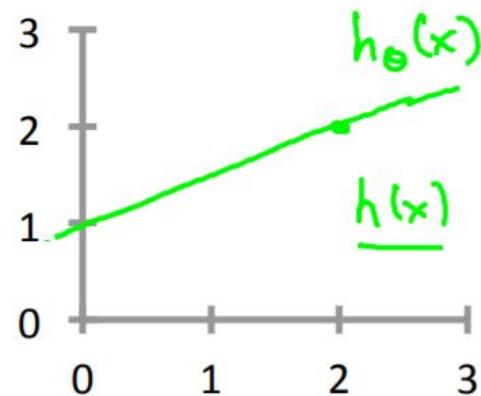
→  $\theta_0 = 1.5$

→  $\theta_1 = 0$



→  $\theta_0 = 0$

→  $\theta_1 = 0.5$



→  $\theta_0 = 1$

→  $\theta_1 = 0.5$



# Cost Function

Cost/Loss function is the measure of distance between predicted values and ground truth.

**Mean squared error:**

$$\text{MSE} = \frac{1}{n} \sum_{i=1}^n (Y_i - \hat{Y}_i)^2$$

**MSE** = mean squared error

$n$  = number of data points

$Y_i$  = observed values

$\hat{Y}_i$  = predicted values

Hypothesis:  $h_{\theta}(x) = \theta_0 + \theta_1 x$

Parameters:  $\theta_0, \theta_1$

Cost Function:  $J(\theta_0, \theta_1) = \frac{1}{2m} \sum_{i=1}^m (h_{\theta}(x^{(i)}) - y^{(i)})^2$

Goal: minimize  $J(\theta_0, \theta_1)$   
 $\theta_0, \theta_1$

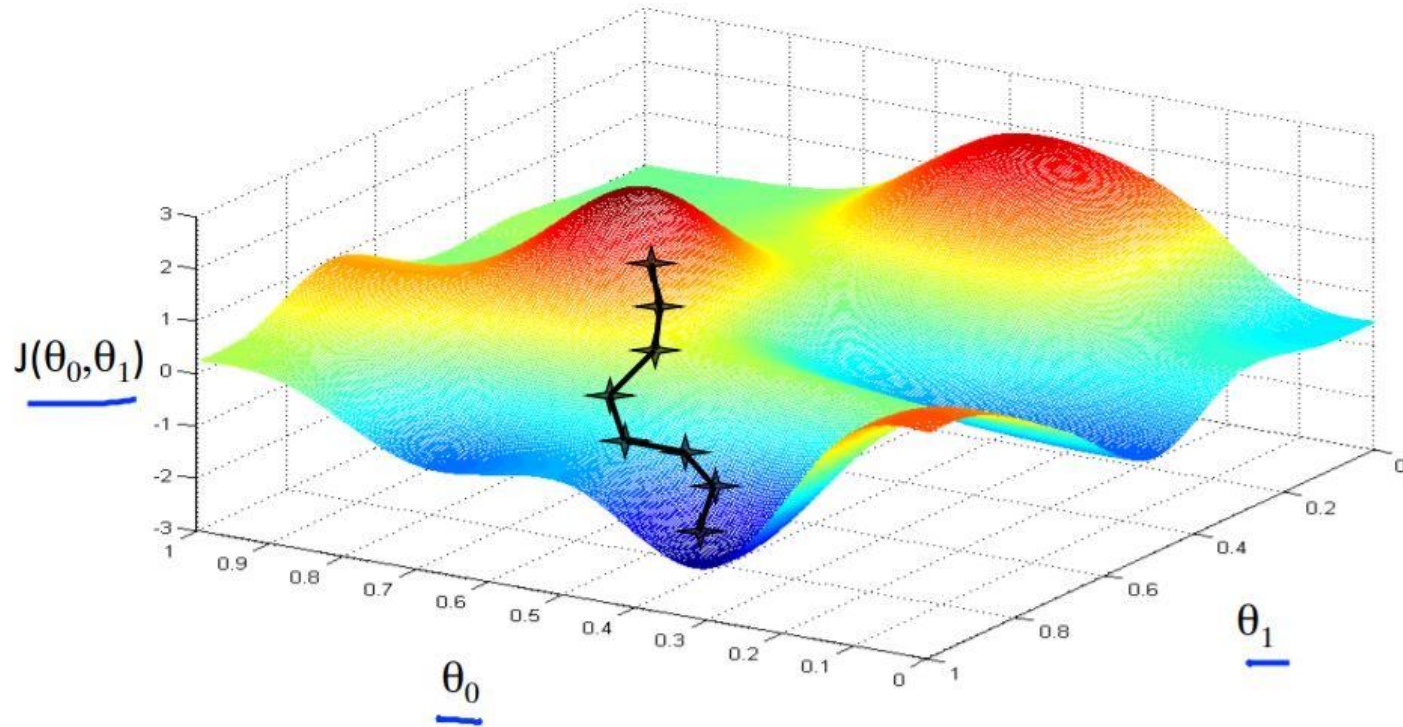
# Optimizer

Optimizer is an algorithm which finds the parameters to produce minimum cost.

1. Start with some values of  $\theta_0, \theta_1$
2. Keep changing to them to reduce the cost.

Until we hopefully find the minimum

# Parametres vs Cost



# Gradient Descent

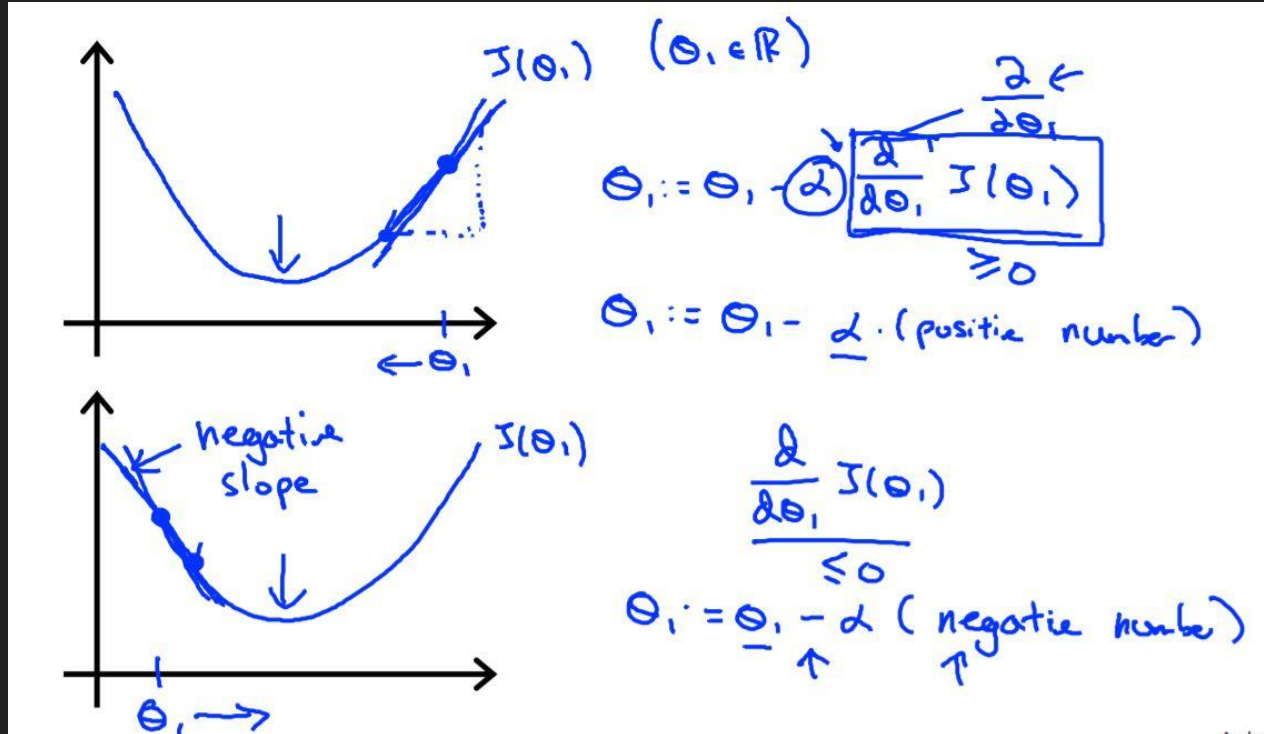
It is the most fundamental optimizer, which created the base for most of the machine learning problems.

**Equation:**

$$\theta_j := \theta_j - \alpha \frac{\partial}{\partial \theta_j} J(\theta_0, \theta_1)$$

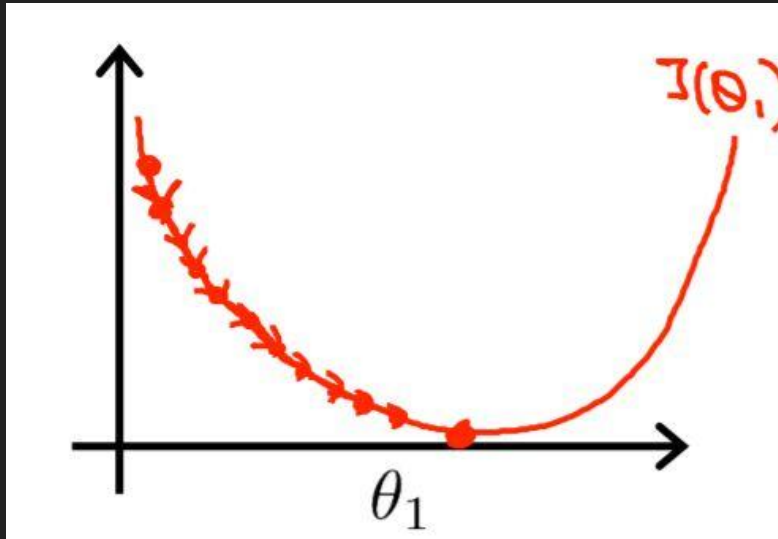
In simple terms, it is simultaneously subtracting partial derivative from each parameter. **Alpha** is the learning rate(positive quantity, which needs to be tuned)

# Gradient Descent intuition

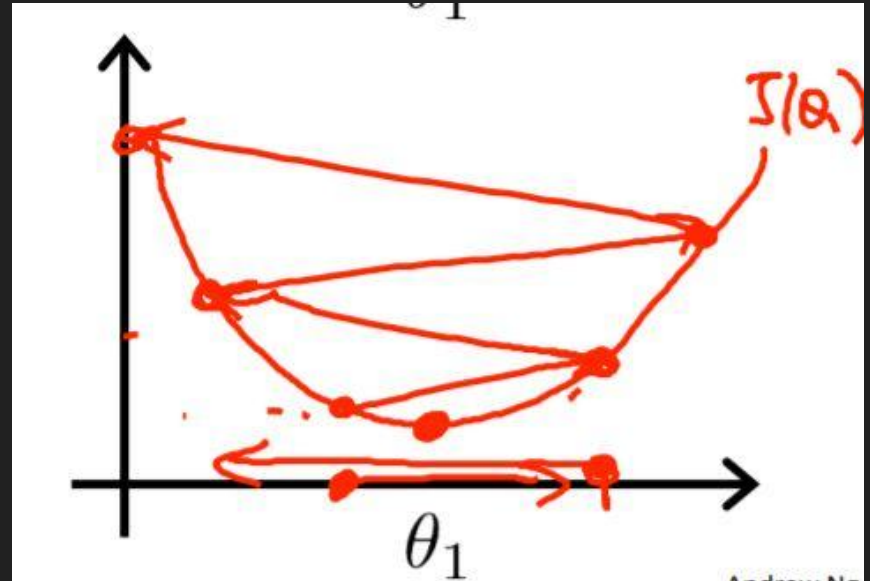


# Learning Rate

The variable alpha, in gradient descent is known as Learning Rate. It monitors the rate of convergence.



If alpha is too small



If alpha is too large

# Putting all things together

## Gradient descent algorithm

repeat until convergence {  
     $\theta_j := \theta_j - \alpha \frac{\partial}{\partial \theta_j} J(\theta_0, \theta_1)$   
    (for  $j = 1$  and  $j = 0$ )  
}

## Linear Regression Model

$$h_{\theta}(x) = \theta_0 + \theta_1 x$$

$$J(\theta_0, \theta_1) = \frac{1}{2m} \sum_{i=1}^m (h_{\theta}(x^{(i)}) - y^{(i)})^2$$



## Gradient descent algorithm

repeat until convergence {

$$\theta_0 := \theta_0 - \alpha \frac{1}{m} \sum_{i=1}^m (h_{\theta}(x^{(i)}) - y^{(i)})$$

$$\theta_1 := \theta_1 - \alpha \frac{1}{m} \sum_{i=1}^m (h_{\theta}(x^{(i)}) - y^{(i)}) \cdot x^{(i)}$$

}

$$\frac{\partial}{\partial \theta_0} J(\theta_0, \theta_1)$$

$$\frac{\partial}{\partial \theta_1} J(\theta_0, \theta_1)$$

update  
 $\theta_0$  and  $\theta_1$   
simultaneously

# Hyper Parameters

Parameters, which need to be tuned based on the performance of the algorithm are called hyper parameters.

Examples: learning rate, number of iterations

# Multivariable Linear Regression

Size in feet <sup>2</sup> (X)	Number of Bedrooms	Number of Floors	Age of Home	Price is Lakhs(y)
2104	5	1	45	46
1416	3	2	40	25
1543	3	2	30	32
850	2	1	36	18
...	...	...	...	...

# Equations

Hypothesis:

Previously:  $h_{\theta}(x) = \theta_0 + \theta_1 x$

$$h_{\theta}(x) = \theta_0 + \theta_1 x_1 + \theta_2 x_2 + \theta_3 x_3 + \theta_4 x_4$$

e.g.  $h_{\theta}(x) = \underline{80} + \underline{0.1}x_1 + \underline{0.01}x_2 + 3x_3 - 2x_4$

$\uparrow$  $\uparrow$  $\uparrow$   
age

Hypothesis:  $h_{\theta}(x) = \theta^T x = \theta_0 x_0 + \theta_1 x_1 + \theta_2 x_2 + \dots + \theta_n x_n$

Parameters:  $\theta_0, \theta_1, \dots, \theta_n$   $\underline{\theta}$   $n+1$ -dimensional vector

Cost function:

$$\underline{J(\theta_0, \theta_1, \dots, \theta_n)} = \frac{1}{2m} \sum_{i=1}^m (h_{\theta}(x^{(i)}) - y^{(i)})^2$$

$J(\theta)$

Gradient descent:

Repeat {

$$\rightarrow \theta_j := \theta_j - \alpha \left[ \frac{\partial}{\partial \theta_j} J(\theta_0, \dots, \theta_n) \right] \underline{J(\theta)}$$

}

(simultaneously update for every  $j = 0, \dots, n$ )

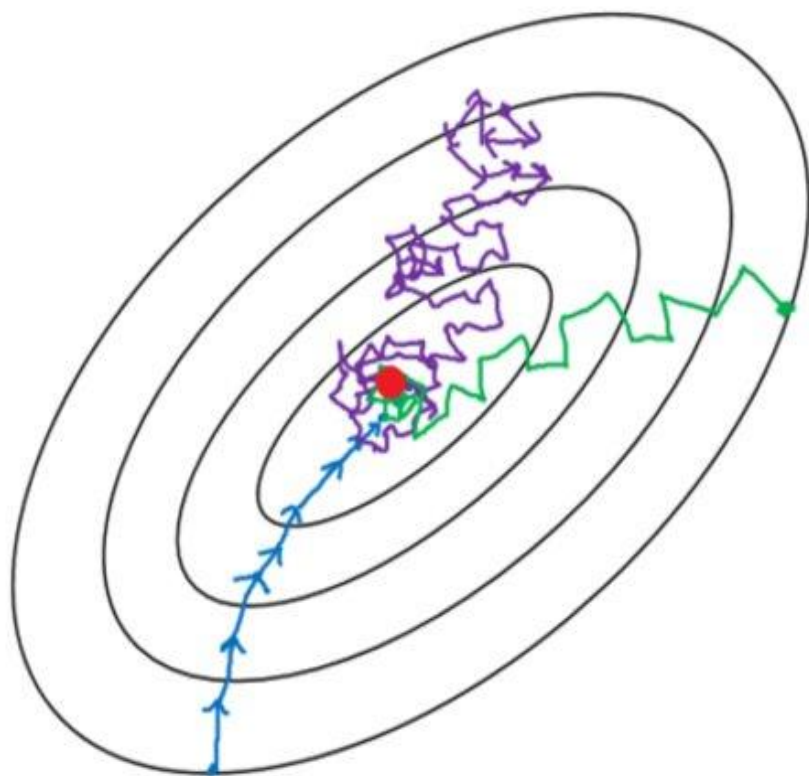
# Linear Regression

1. If we have  $N$  features, there are  $N+1$  parameters to be tuned
2. For Each parameter gradient/slope is calculated assuming other parameters are constant
3. These parameters are updated using gradient descent optimizer again and again(#iterations)
4. The trained parameters are saved and are used for predicting for future samples

# Optimizers

1. Batch Gradient Descent
2. Stochastic Gradient Descent
3. Mini-Batch Gradient Descent

Traditional gradient descent optimizer is also known as “Batch Gradient Descent”. Since, it updates the the gradient by going through



- Batch gradient descent
- Mini-batch gradient Descent
- Stochastic gradient descent

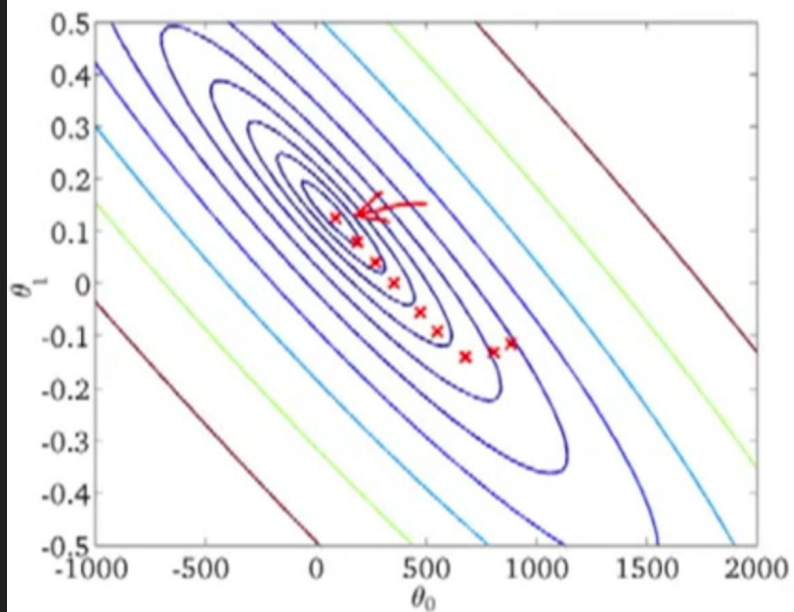


# Stochastic Gradient Descent

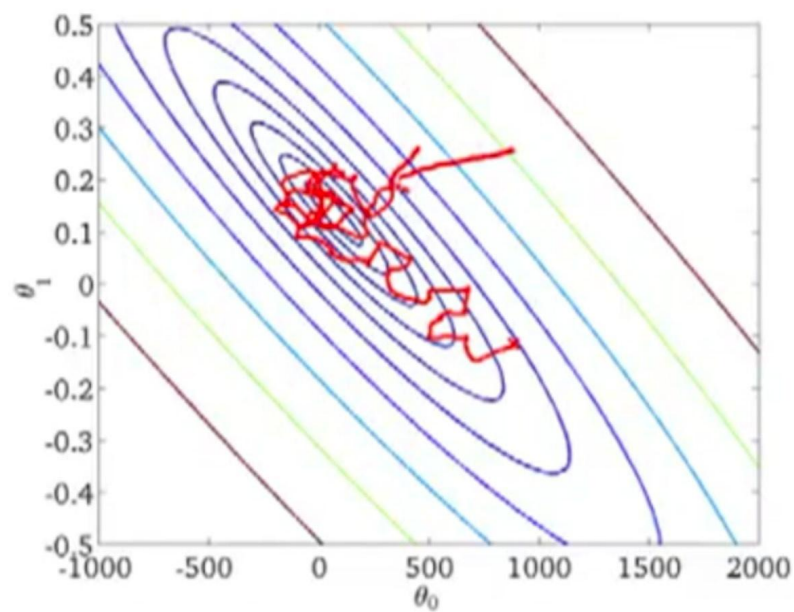
In Stochastic Gradient Descent, we calculate the gradient for each sample, and update the parameters.

If the Data has  $N$  samples, in one scan of data, we update the parameters  $N$  times.

Each step update in stochastic gradient descent may not point towards global minim. But, cumulatively, it reaches close to global minimum.



**Batch Gradient Descent**



**Stochastic Gradient Descent**

# Mini-Batch Gradient descent

Mini-Batch gradient descent is a trade-off between batch and stochastic gradient descents. It processes average gradient for batch of samples and updates the parameters.

There is a hyper parameter called, Batch size, which is generally taken in power of 2, to leverage parallel processing in CPU's and GPU's

# Epoch vs Iteration

Epoch is the no. of times the data is scanned.

Iteration is the no. of times the parameters are updated.

Batch Gradient Descent: 1 epoch = 1 iteration

Stochastic Gradient Descent: 1 epoch = N iterations

Stochastic Batch Gradient Descent: 1 epoch = p iterations( $p = N/(\text{batch\_size})$ )

# Objectives

1. Scikit learn, multivariate linear regression
2. Features-scaling, Preprocessing
3. Logistic Regression
4. Multi-class classification
5. Metrics for Evaluating models

# Data set split



# Feature Scaling

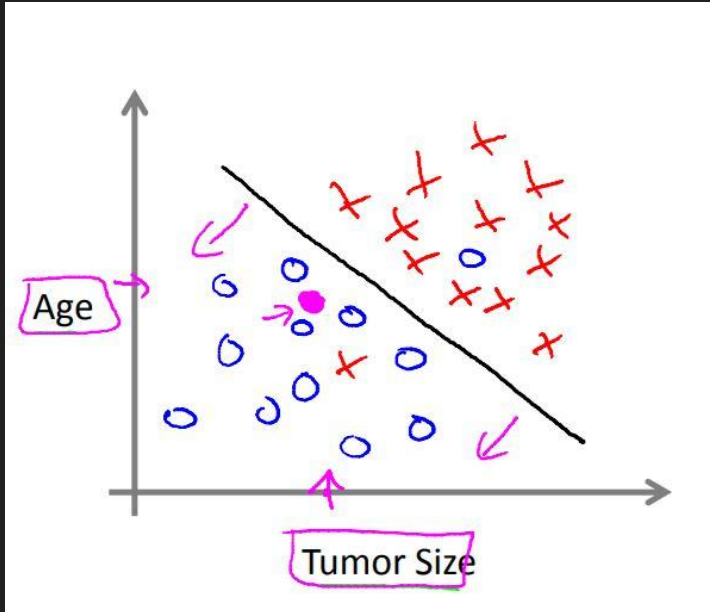
Feature scaling is used to remove the dominance of features with larger values

$$X_{\text{new}} = \frac{X_i - X_{\text{mean}}}{\text{Standard Deviation}}$$

$$X_{\text{new}} = \frac{X_i - \min(X)}{\max(x) - \min(X)}$$

# Logistic Regression

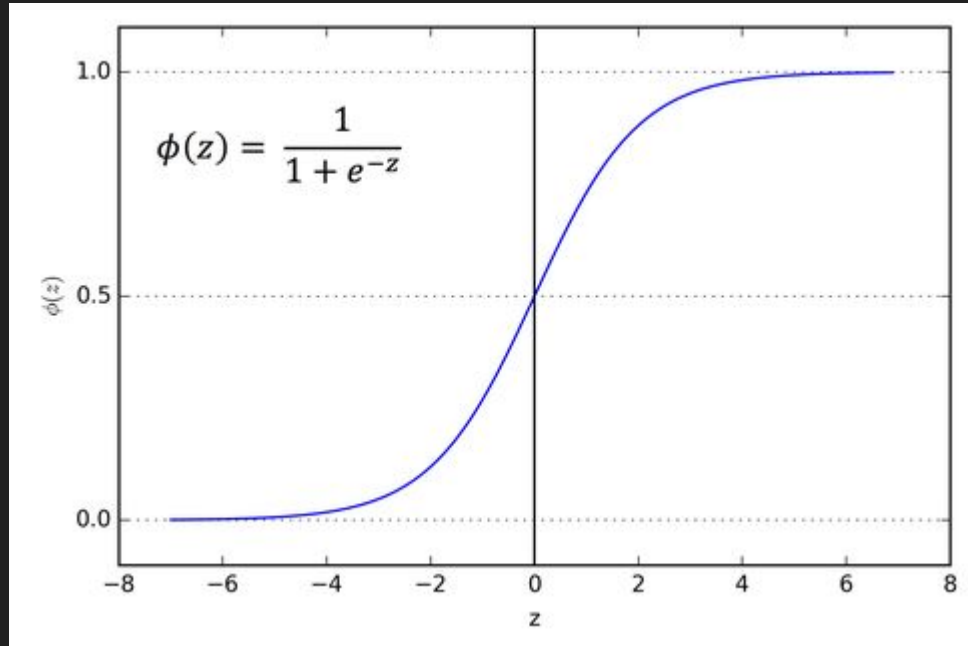
Logistic Regression is the fundamental Binary Classification algorithm.



User ID	Gender	Age	EstimatedSalary	Purchased
15624510	Male	19	19000	0
15810944	Male	35	20000	0
15668575	Female	26	43000	0
15603246	Female	27	57000	0
15804002	Male	19	76000	0
15728773	Male	27	58000	0
15598044	Female	27	84000	0
15694829	Female	32	150000	1
15600575	Male	25	33000	0
15727311	Female	35	65000	0
15570769	Female	26	80000	0
15606274	Female	26	52000	0
15746139	Male	20	86000	0
15704987	Male	32	18000	0
15628972	Male	18	82000	0
15697686	Male	29	80000	0
15733883	Male	47	25000	1
15617482	Male	45	26000	1
15704583	Male	46	28000	1



# Sigmoid activation Function



# Hypothesis Function in Logistic Regression

$$h_{\theta}(x) = \sigma(\theta^T x)$$

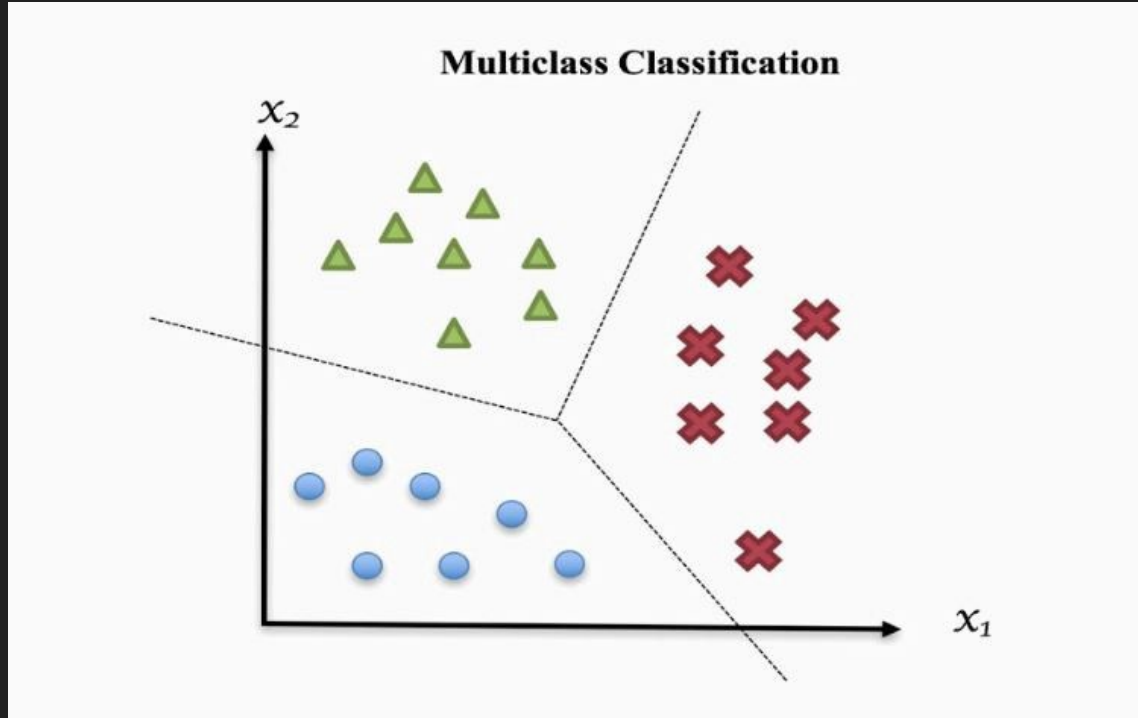
$$\sigma(z) = \frac{1}{1 + e^{-z}}$$

# Cost Function

$$J(\theta) = -\frac{1}{m} \sum_{i=1}^m [y^{(i)} \log(h_{\theta}(x^{(i)})) + (1 - y^{(i)}) \log(1 - h_{\theta}(x^{(i)}))]$$

Calculating Gradients is complex!!

# Multi-Class classification



# One Hot Encoding of Labels

Human-Readable

Pet
Cat
Dog
Turtle
Fish
Cat

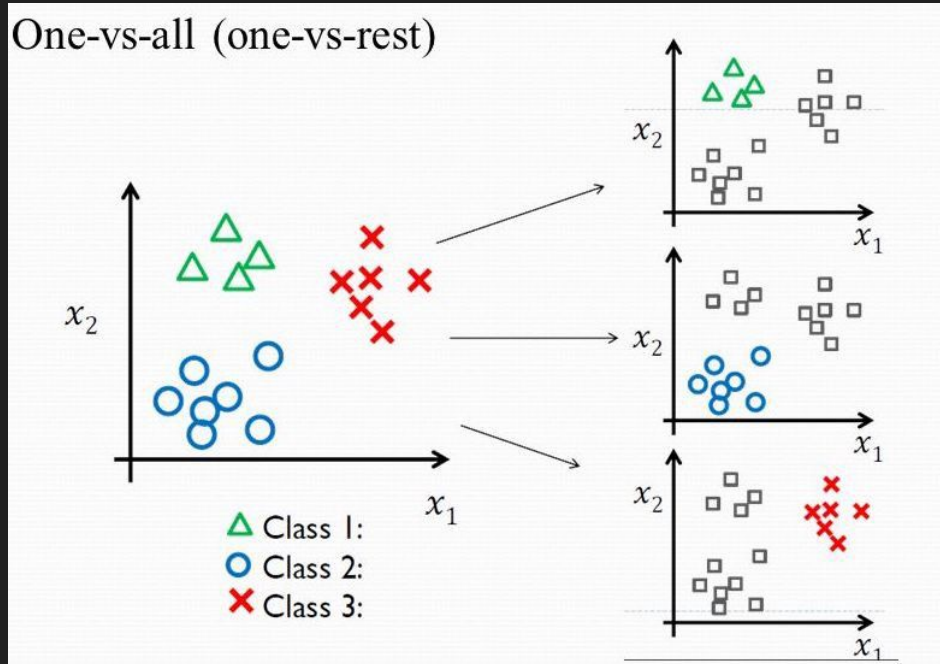


Machine-Readable

Cat	Dog	Turtle	Fish
1	0	0	0
0	1	0	0
0	0	1	0
0	0	0	1
1	0	0	0

# One Vs All classification

It Means Applying logistic Regression for each class separately



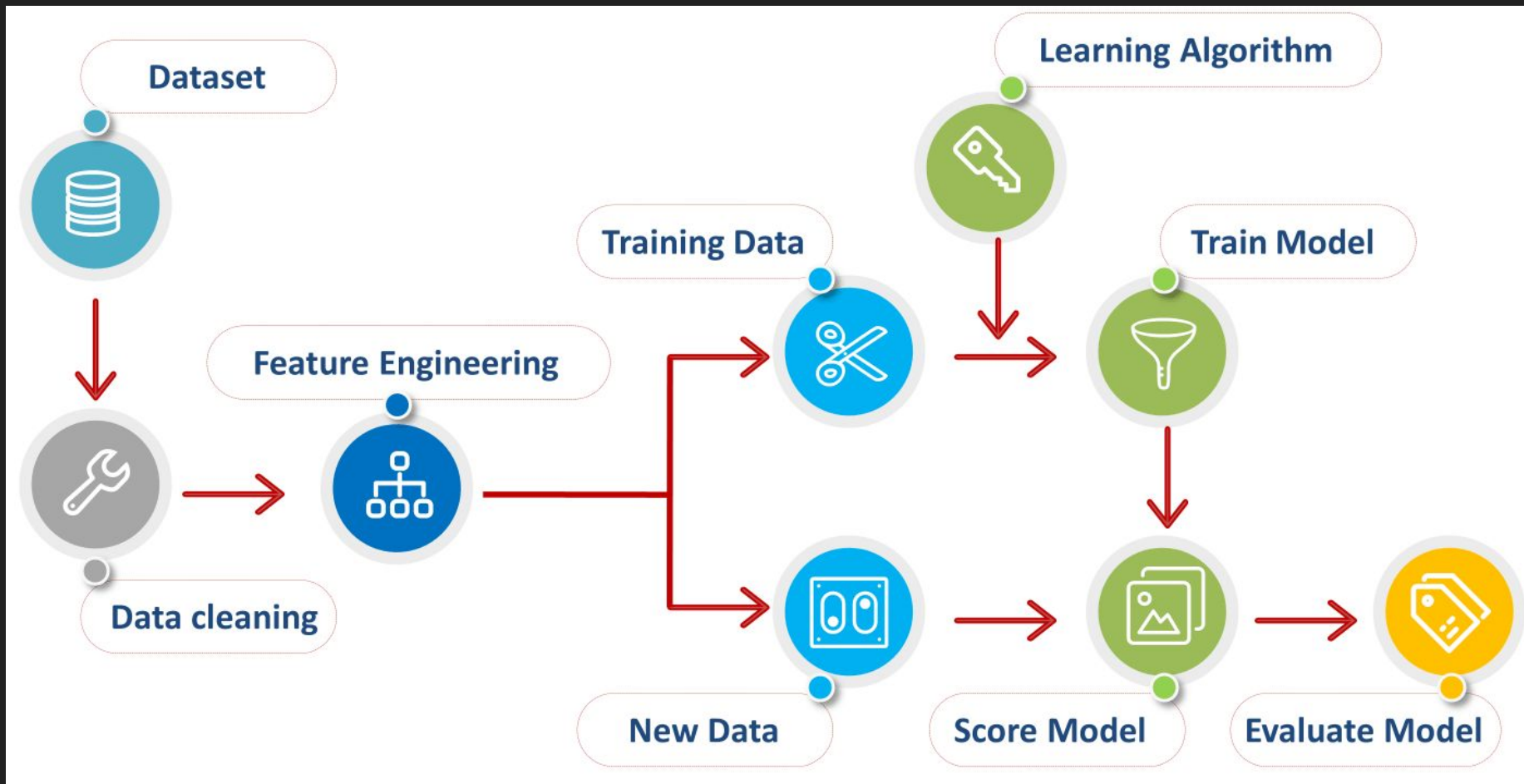
# Soft-Max function

Soft-Max returns probabilities such that, the sum of all probabilities adds to 1

$$\sigma(\vec{z})_i = \frac{e^{z_i}}{\sum_{j=1}^K e^{z_j}}$$



# Metrics and Evaluation of Machine Learning Models



# Continuous Label

Mean Squared error is a standard error for continuous variables. We calculate, test mse for different models and pick the best one.

MAE can also be used in place of MSE

# Categorical Label

There are metrics like Precision, Recall, Accuracy, F1 Score are used to evaluate the performance of the models.

$$\text{precision} = \frac{tp}{tp + fp}$$

$$\text{recall} = \frac{tp}{tp + fn}$$

$$\text{accuracy} = \frac{tp + tn}{tp + tn + fp + fn}$$

$$F_1 \text{ score} = 2 \times \frac{\text{precision} \times \text{recall}}{\text{precision} + \text{recall}}$$

Tp -> True Positives

Fp -> False Positives

# Confusion Matrix

Confusion matrix also gives give insights on the performance of the classification models.

n=165	Predicted:		
	NO	YES	
Actual: NO	TN = 50	FP = 10	60
Actual: YES	FN = 5	TP = 100	105
	55	110	

