

(5.)

$$n = 52$$

$$\bar{x} = 98.2846$$

$$s = 0.6824$$

→ degree of freedom = $n - 1 = 52 - 1 = 51$

→ significance level (α) = 0.02

→ two-tail test :-

$$H_0 : \mu_0 = 98.6$$

$$H_a : \mu_1 \neq 98.6$$

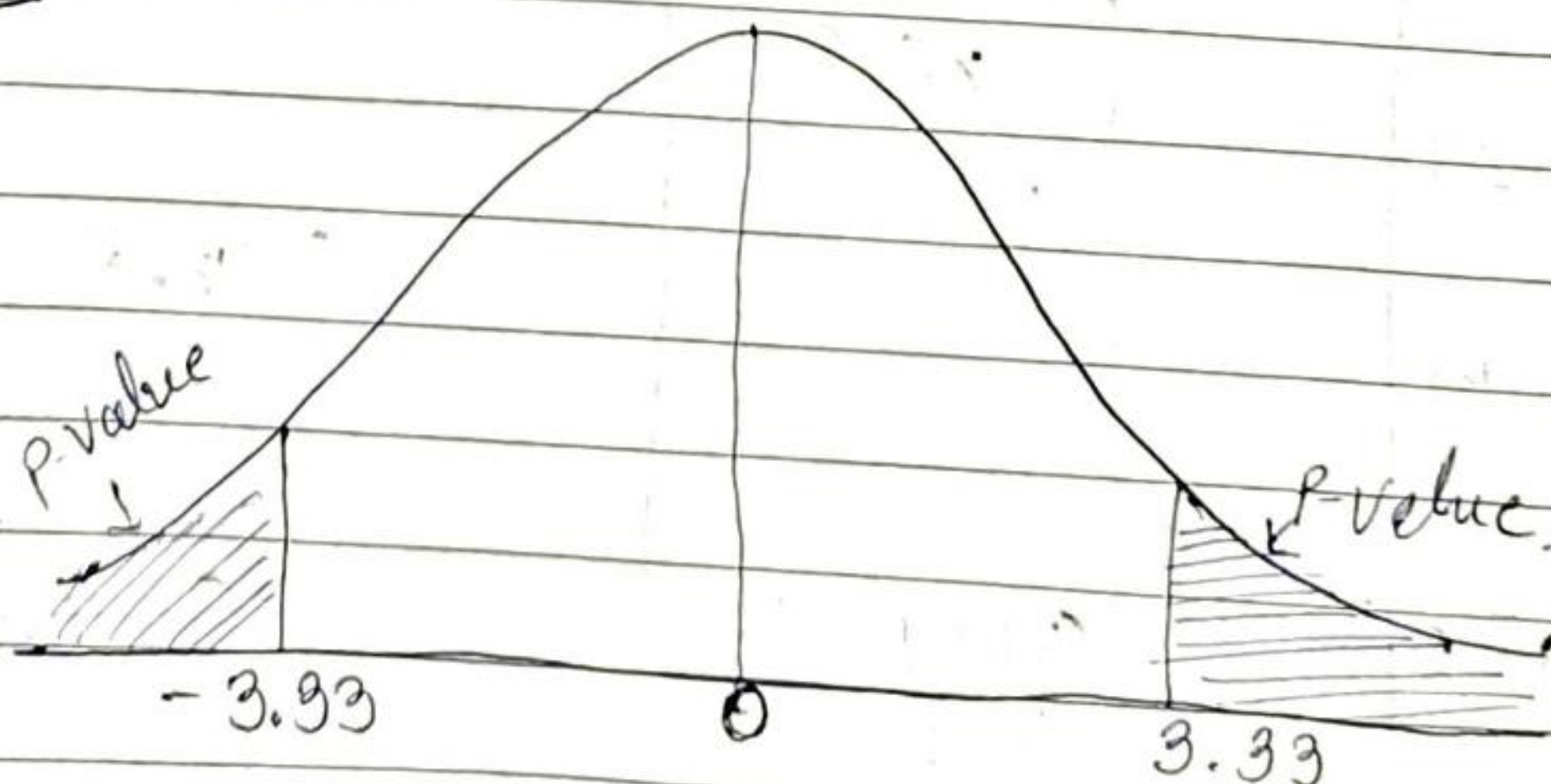
→ ~~Two~~ z-test = because $n > 30$,
so, it is qualified for the z-test

$$Z\text{-test} = \frac{\bar{x} - \mu_0}{s/\sqrt{n}}$$

$$= \frac{98.2846 - 98.6}{\frac{0.6824}{\sqrt{52}}} = \frac{-0.3154}{0.6824/\sqrt{52}}$$

$$Z_{\text{score}} = -3.9324$$

→ P-Value :-



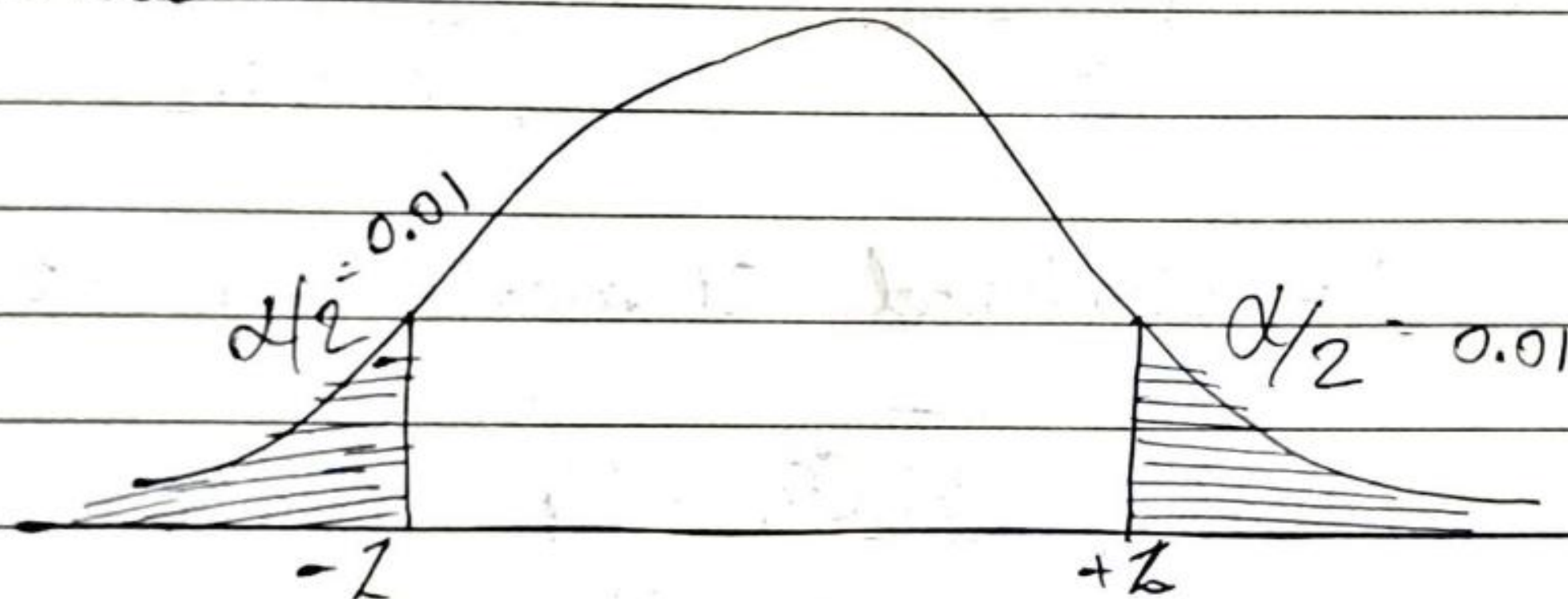
→ From Z-table p-value is 0.0004

$$\begin{aligned} \rightarrow p\text{-value} &= 2 \times P(Z \leq -3.33) \\ &= 2 \times 0.0004 \\ &= 0.0008 \end{aligned}$$

$$\begin{aligned} p\text{-value} &< \alpha \\ 0.0008 &< 0.02 \end{aligned}$$

So, we will reject the null hypothesis

→ Z_{critical} :-



From Z-table $Z_{\text{critical}} = -2.33$

$$-Z_{\alpha/2} = -2.33$$

$$Z_{\alpha/2} = 2.33$$

means $Z_{\text{critical}} = -2.33$ or $+2.33$

Rejection Rule:-

If $Z < -Z_{\alpha/2}$

$Z_{\text{critical}} > Z_{\text{score}}$: will reject the null hypothesis

$$-2.33 > -3.33$$

So, we can say that we will reject the null hypothesis.

→ Conclusion:- So, our ^{avg.} body temperature can be greater than 98.6° or sometimes may be less than 98.6°