DSP LAB MANUAL

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Sl. No . Experiment

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- 3. To develop the program for finding the DFT
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- 9. To develop a program for designing FIR Filters
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- 12. Application on speech signal processing (students will prepare project based on this experiment)
- (a) Read Speech sound file
- (b) Show the effect of sampling, e.g. over, under, aliasing effect
- (c) Show the effect of filtering- low pass, windowing

- (d) Reconstruction of signal
- (e)Add white and color noise to speech at particular SNR- show waveform, spectrogram, etc
- (f)Show the FFT with changing different parameters.
- (g) Show the effect of filters on noisy speech- adaptive
- (h) Calculation of SNR

Experiment No 1

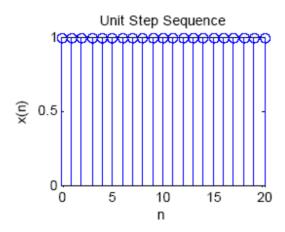
Aim of Experiment: -To develop programs for generating elementary signal functions like Unit Step, Ramp, Exponential, Sine and Cosine sequences.

Appartus: - PC installed with Matlab software.

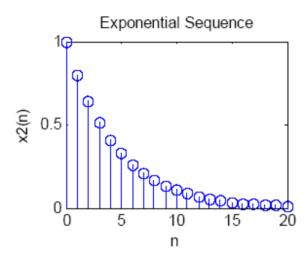
Program: -

(a) %Unit Step Sequence:-

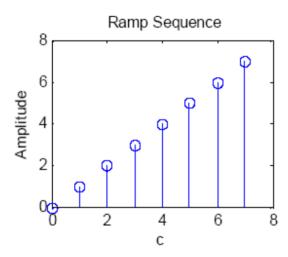
N=21; x=ones(1,N); n=0:1:N-1; subplot(2,2,1);stem(n,x); xlabel('n');ylabel('x(n)'); title('Unit Step Sequence');



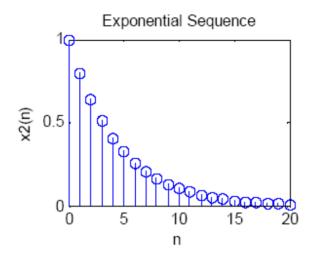
(b) %Exponential sequence: -x2=0.8.^(n); subplot(2,2,3);stem(n,x2); xlabel('n');ylabel('x(n)'); title('Exponential Sequence');



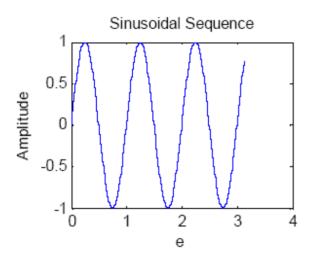
```
(c) % Ramp Sequence
x=input('enter the length of ramp sequence')
enter the length of ramp sequence
x =
7
t=0:7;
subplot(2,2,1);stem(t,t);
xlabel('c');
ylabel('Amplitude');
title(' Ramp Sequence');
```



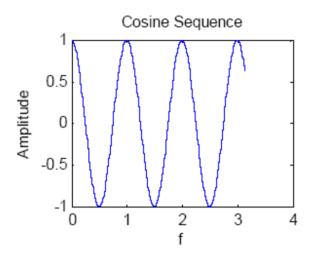
(d) %Exponential sequence: -x2=0.8.^(n); subplot(2,2,3);stem(n,x2); xlabel('n');ylabel('x(n)'); title('Exponential Sequence');

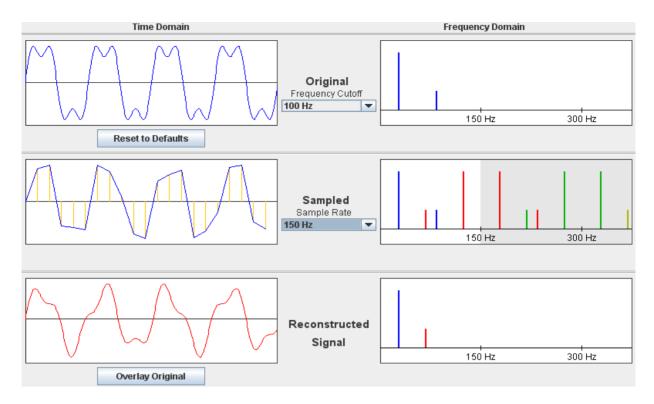


```
(e) %Sinusoidal sequence:-
t=0:0.01:pi;
y=sin(2*pi*t);
subplot(2,2,1);
plot(t,y);
ylabel('Amplitude');
xlabel('e');
title('Sinusoidal Sequence');
```

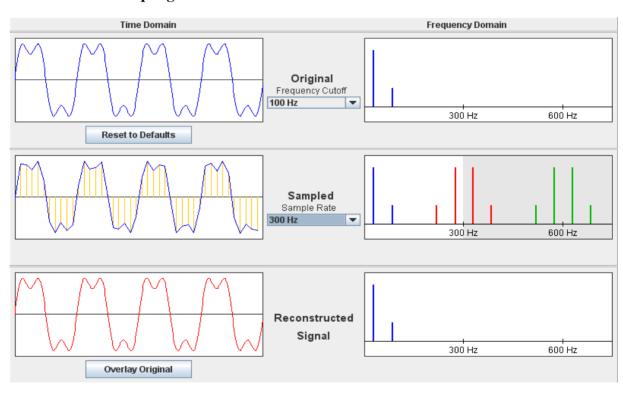


```
(f) % Cosine Sequence:-
t=0:0.01:pi;
y=cos(2*pi*t);
subplot(2,2,1);
plot(t,y);
ylabel('Amplitude');
xlabel('f');
title('Cosine Sequence');
```





Effect of under sampling



Effect of required sampling frequency

Aim of Experiment:- To develop the program for finding the convolution between two sequences.

Appartus:- PC installed with Matlab Software.

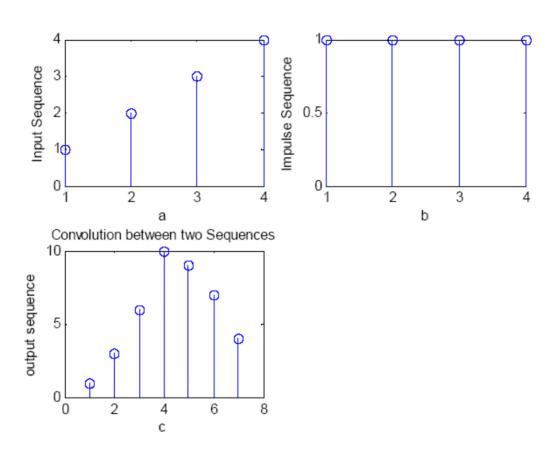
```
Program:-
```

```
x=input('enter the first sequence')
enter the first sequence [1 2 3 4]
h=input('enter the second sequence')
enter the second sequence[1 1 1 1]
y=conv(x,h);
subplot(2,2,1);
stem(x);
xlabel('a');
ylabel('Input Sequence');
subplot(2,2,2);
stem(h);
xlabel('b');
ylabel('Impulse Sequence');
subplot(2,2,3);
stem(y);
xlabel('c');
ylabel('output sequence');
title('Convolution between two Sequences');
```

Program 2:

```
clc;
close all;
clear all;
x=[1,2,1,1]; % first signal 0r input signal
h=[1,-1,1,-1]; %second signal
N1 = length(x);
N2=length(h);
X=[x,zeros(1,N2)]; %padding of N2 zeros
H=[h,zeros(1,N1)]; %padding of N1 zeros
  for i=1:N1+N2-1
    y(i)=0;
    for j=1:N1
       if(i-j+1>0)
         y(i)=y(i)+X(j)*H(i-j+1);
       else
       end
```

```
end
end
stem(y);
ylabel('y[n]');
xlabel('---->n');
title('convolution of two signal');
```



```
Use what is in the noisyC script to generate a noisy sine wave: fs = 1e4; t = 0:1/fs:5; sw = sin(2*pi*262.62*t); % Middle C n = 0.1*randn(size(sw)); swn = sw + n;

Use a simple lowpass (averaging) _lter: b=[.25 .25 .25 .25 .25]; a=[1 \ 0 \ 0 \ 0]; y=filter(b,a,swn); figure, plot(t,y), axis([0 \ 0.04 \ -1.1 \ 1.1]) h=impz(b,a); y2=conv(swn,h); figure, plot(t,y2(1:end-3)), axis([0 \ 0.04 \ -1.1 \ 1.1])
```

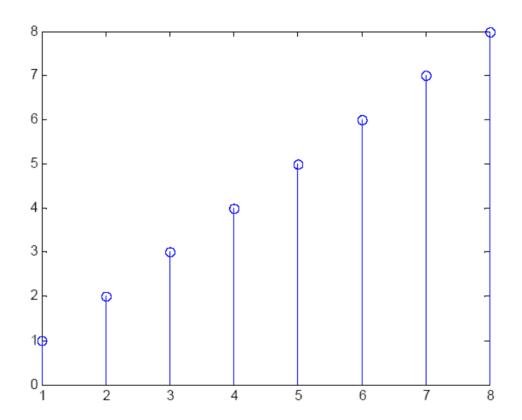
Q. How do the two outputs (y and y2) compare?

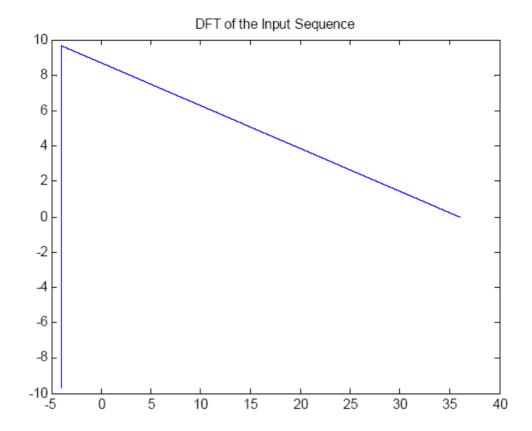
Aim of Experiment:- To develop the program for finding the DFT

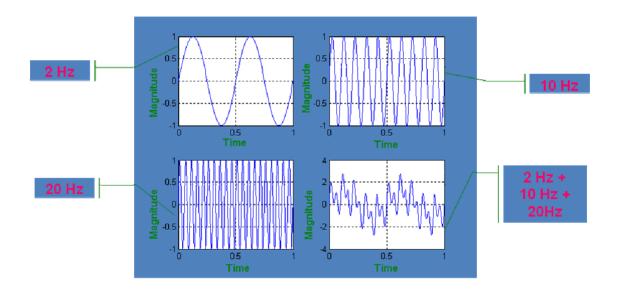
Appartus:- PC installed with Matlab Software

Program:-

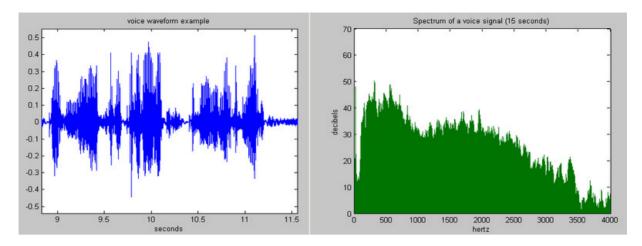
```
x=input('enter the input sequence');
enter the input sequence[1 2 3 4 5 6 7 8]
n=input('enter the length of sequence');
enter the length of sequence8
X=fft(x,n);
stem(x);
plot(x);
plot(X);
title('DFT of the Input Sequence');
```



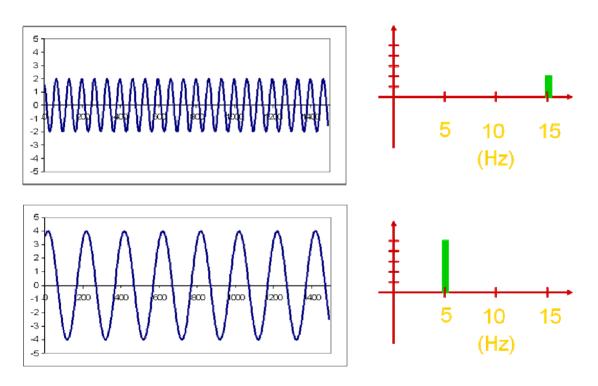




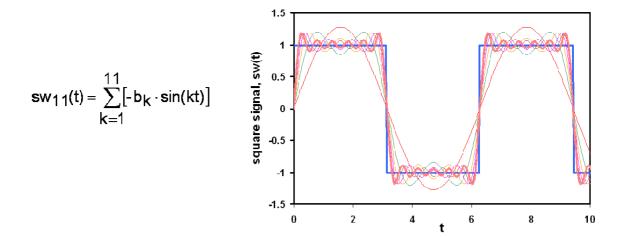
Demonstrate the addition of 3 TD signals at different frequencies, show the FFT output $\begin{tabular}{ll} \hline \end{tabular}$



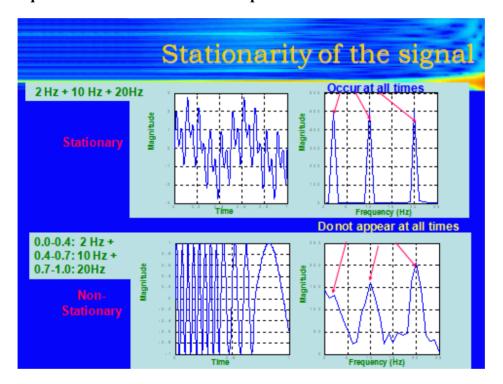
Demonstrate the power spectrum of speech signal



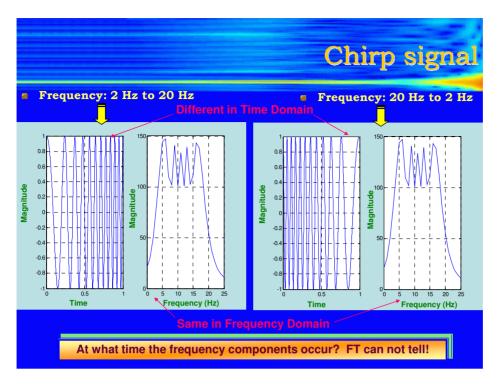
Demonstration of fourier transform



Square wave reconstruction from spectral terms



Demonstration of stationary and non stationary signals



Chirp signal

Discrete Fourier Transform

A common use of Fourier transforms is to find the frequency components of a signal buried in a noisy time domain signal. In this exercise we will create a sound signal sampled at 1000 Hz containing 50 Hz and 120 Hz and corrupt it with some zero-mean random noise.

• Use SIN function to create a 5 second sound signal with 50Hz and 120 Hz

```
t = 0.0.001.5; number of sampling points at 1000Hz for 5 seconds x = \sin(2*pi*50*t) + \sin(2*pi*120*t); Create a sound signal with 50Hz and 120Hz
```

- Use RANDN to create random noise to be added to the sound signal. y = x + 2*randn(size(t));
- Use PLOT command to plot the corrupted sound signal plot(1000*t(1:50),y(1:50)) title('Signal Corrupted with Zero-Mean Random Noise') xlabel('time (milliseconds)')
- It is difficult to identify the frequency components by looking at the original signal. Using discrete Fourier transform to convert to the signal to frequency domain. We will perform a 512-point fast Fourier transform (FFT), calculate and plot the power spectrum.

```
1. Calculate FFT Y = fft(y,512);
```

2. Calculate power spectrum (a measurement of the power at various frequencies)

```
Power spectrum = Y.* conj(Y) / 512;
```

3. Graph the first 257 points (the other 255 points are redundant) on a meaningful frequency axis:

```
f = 1000*(0:256)/512;
plot(f,Pyy(1:257))
title('Frequency content of y')
xlabel('frequency (Hz)')
```

Aim of Experiment:- To develop the program for finding the Autocorrelation of a sequence.

Appartus:- PC installed with Matlab Software.

```
Program:-
x=input('enter the first sequence')
enter the first sequence [1 2 3 4]
y=xcorr(x,x);
subplot(2,2,1);
stem(x);
xlabel('a');
ylabel('Input Sequence');
subplot(2,2,2);
stem(y);
```

title('Auto Correlation of a Sequence ');

xlabel('b');

ylabel('output sequence');

```
Program 2:
% correlation of two sequences
\% x(n)=[3,11,7,0,-1,4,2], x=[-3:3]
\% y(n)= x(n-2)+w(n), where w(n) is a random number
clc;
x=[3, 11, 7, 0, -1, 4, 2]; nx=[-3:3]; \% given x(n)
% signal shift
ny=nx+2; y=x; % implement y(n)=x(n-2)
\%\%\%\%\%\%\%\%\%\%\%\%\%\%\%\%
w=rand(1,length(y)); nw=ny; % generate white noise w(n)
% signal addition
n=min(min(nx),min(nw)):max(max(nx),max(nw))% duration of y(n)
y1=zeros(1,length(n)); y2=y1; % initialization
y1(find((n>=min(nx))\&(n<=max(nx))==1))=y; \% y \text{ with duration of } y
```

```
y2(find((n>=min(nw))\&(n<=max(nw))==1))=w; \% w with duration of y
ww=y1+y2; % sequence addition
\%\%\%\%\%\%\%\%\%\%\%\%\%
% signal folding
x=fliplr(x); nx=-fliplr(nx);
% convolution of arbitrary support sequences
nyb = nx(1) + n(1);
nye=nx(length(x))+n(length(ww));
ny=[nyb:nye];
\%\%\%\%\%\%\%\%\%\%\%\%\%\%\%\%\%\%
% convolution
N1=length(x);
N2=length(ww);
X=[x,zeros(1,N2)];% padding of N2 zeros
H=[ww,zeros(1,N1)];% padding of N1 zeros
  for i=1:N1+N2-1
    y(i)=0;
   for j=1:N1
     if(i-j+1>0)
    y(i)=y(i)+X(j)*H(i-j+1);
     else
     end
   end
  end
```

DSP LAB MANUAL

%%%%%%%%%%%%%%%%%%

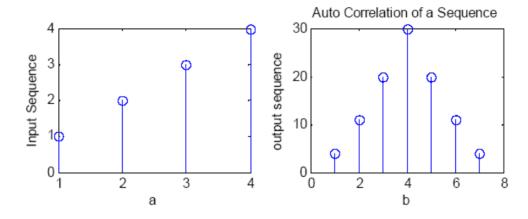
%subplot(1,1,1); subplot(2,1,1);

stem(ny,y);

%axis([-4,8,-50,250]); xlebel('lag variable 1')

%ylebel('ny');

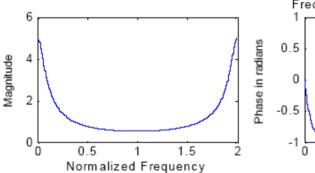
%title('cross correlation with noise sequence')

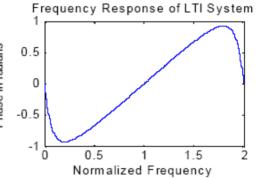


Aim of Experiment:- To develop the program for finding the magnitude and phase response of system described by system function H(s).

Appartus:- PC installed with Matlab Software.

```
Program:-
b=[1];
a=[1,-0.8];
h=freqz(b,a,w);
w=0:0.01:2*pi;
[h]=freqz(b,a,w);
subplot(2,2,1);
plot(w/pi,abs(h));
xlabel('Normalized Frequency');
ylabel('Magnitude');
subplot(2,2,2);
plot(w/pi,angle(h));
xlabel('Normalized Frequency');
ylabel('Phase in radians');
title('Frequency Response of LTI System');
```

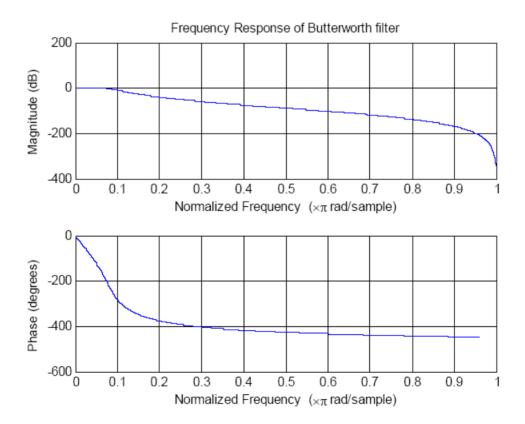




Aim of Experiment:- To develop the program for designing Low Pass Butterworth filter having passband defined from 0-40 Hz and stopband in the range of 150-500Hz having less than 3 dB of ripple in the passband and atleast 60dB of attenuation in the stopband.

Appartus:- PC installed with Matlab Software.

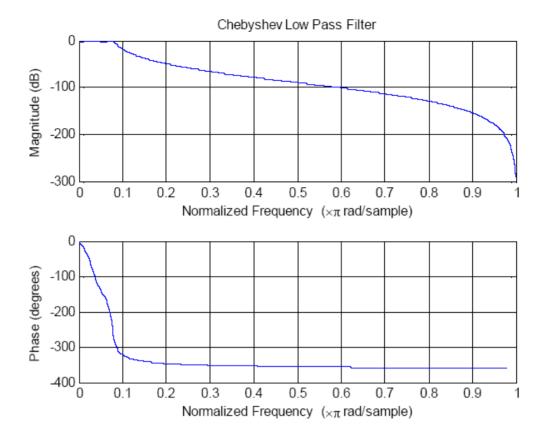
```
Program:-
wp=40/500;
ws=150/500;
[n,wn]=buttord(wp,ws,3,60);
n =
5
wn =
0.0810
(b,a)=butter(n,wn);
freqz(b,a)
title('Frequency Response of Butterworth filter')
```



Aim of Experiment:- To develop the program for designing Low pass Type 1 Chebyshev filter having passband defined from 0-40 Hz and stopband in the range of 150-500Hz having less than 3 dB of ripple in the passband and atleast 60dB of attenuation in the stopband.

Appartus: - PC installed with Matlab Software.

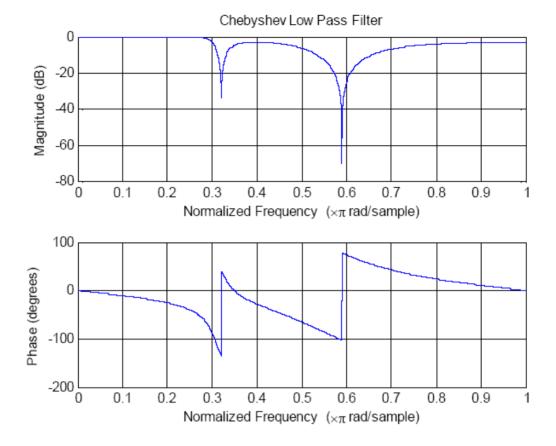
```
Program: -
wp=40/500;
ws=150/500;
[n,wn]=cheb1ord(wp,ws,3,60)
n =
4
wn =
0.0800
[b,a]=cheby1(n,3,wn);
freqz(b,a)
title('Chebyshev Low Pass Filter');
```



Aim of Experiment:- To develop the program for designing Low pass Type II Chebyshev filter having passband defined from 0-40 Hz and stopband in the range of 150-500Hz having less than 3 dB of ripple in the passband and atleast 60dB of attenuation in the stopband.

Appartus: - PC installed with Matlab Software.

```
Program: -
wp=40/500;
ws=150/500;
[n,wn]=cheb2ord(wp,ws,3,60)
n =
4
wn =
0.0800
[b,a]=cheby2(n,3,wn);
freqz(b,a)
title('Chebyshev Low Pass Filter');
```



Aim of Experiment:- To develop a program for designing FIR Filters

Appartus: - PC installed with Matlab Software.

Program:-

N=64;

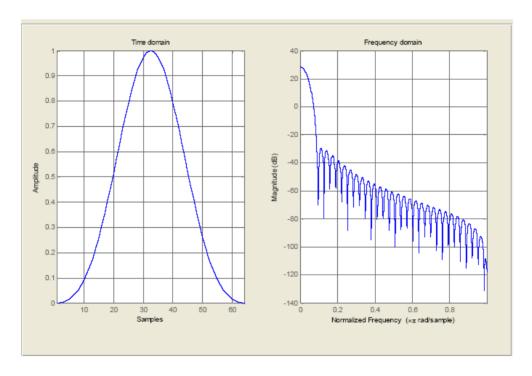
wvtool(blackman(N))

wvtool(hamming(N))

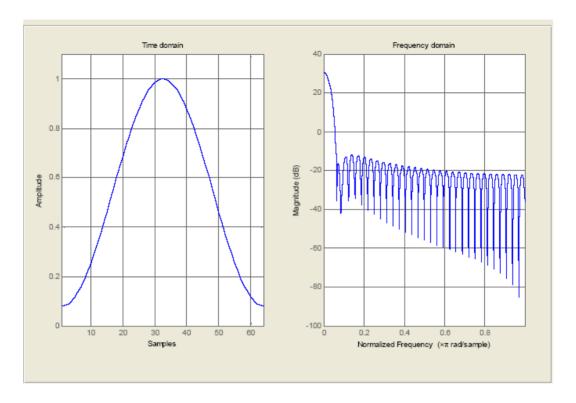
wvtool(hann(N))

wvtool(gausswin(N))

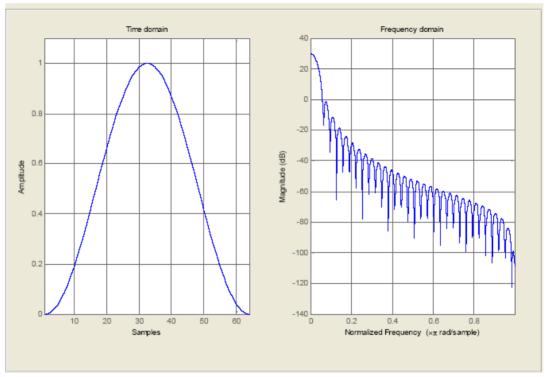
wvtool(Blackman(N),hamming(N),hann(N),gausswin(N))



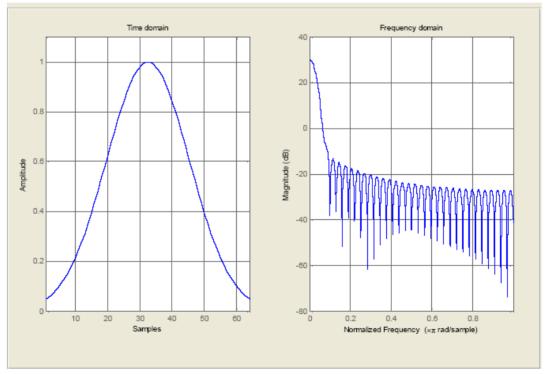
Blackman Window



Hamming Window



Hanning Window



Gaussian window

A =

1.0000 -0.5032 0.0498

Experiment:-10

Aim of Experiment:- To develop a program for designing IIR Filters .

Appartus: - PC installed with Matlab Software.

```
Program:-
(A). Using bilinear transformation.
b=[2];
a=[1,3,2];
fs=1;
[B,A]=bilinear(b,a,fs);
B =0.1667 0.3333 0.1667
A =1.0000 -0.3333 0.0000
(B). Using impulse invariant method b=[2];
a=[1,3,2];
fs=1;
[B,A]=impinvar(b,a,fs)
B =
0 0.4651
```

Aim of Experiment:- Analysis of Z transform and Inverse Z Transform.

Appartus: - PC installed with Matlab Software

```
%Analysis of Z-Transforms %Definition of numerators and denominator
coefficients
num = [5 6 -44 21 32];
den=[5 13 15 18 -12]; %Conversion from rational to Factored form
[z,p,k]=tf2zp(num,den);
disp('Zeros are at');disp(z);
disp('Poles are at');disp(p);
disp('Gain Constant');disp(k); %Determination of radius of the poles
radius=abs(p);
disp('Radius of the poles');
disp(radius); %Pole Zero Map using numerator and denominator
coefficients
zplane(num, den) %Conversion from factored to second ordered factored
sos=zp2sos(z,p,k)
disp('Second Order Sections');disp(sos);
%Inverse Z-Transform using impz
%definition of numerator and denominator coefficients
num = [0.1 + .4 * i 5 .05];
den=[1 .9+0.3*i .12];
\mbox{\ensuremath{\mbox{\sc Finding}}} the inverse z transform of \mbox{\ensuremath{\mbox{\sc G}}}(z)
[a,b] = impz(num,den);
%Evaluating on Unit Circle i.e. Fourier Transform
[c,d]=freqz(num,den);
% Plotting of x[n] and it's fourier transform
subplot(2,2,1)
stem(b,real(a))
title('Real Part of g[n]')
xlabel('Samples'); ylabel('Magnitude')
grid on
subplot(2,2,2)
stem(b,imag(a))
title('Imaginary Part of g[n]')
xlabel('Samples'); ylabel('Magnitude')
grid on
subplot(2,2,3)
plot(d/pi,abs(c))
title('Magnitude Spectrum of g[n]')
xlabel('\omega/\pi'); ylabel('Magnitude')
grid on
subplot(2,2,4)
plot(d/pi,angle(c))
title('Phase Spectrum of g[n]')
xlabel('\omega/\pi'); ylabel('Phase, radians')
grid on
```

Aim of Experiment:- To develop an application with speech signal.

Appartus: - PC installed with Matlab Software

```
clc
clear
%%%%%%%%read of clean speech file%%%%%%
[x, fs]=wavread('2.wav'); %fs=sampling frequency. x=sample point(the
sampled data in y)
block=256;%floor(0.023*fs); block=number of sample data in each block.
n=floor(length(x)/block);% number of blocks
x=x(1:block*n);% x will start from 1 and go upto blockno*no of
block=total data
figure, plot(x);
title('Original signal');
%%%%%%%%%%%%%%% Generate noise using random number (white noise)
db=0; % SNR
%signal=x/max(abs(x));
sig_var=cov(x); % covariance of x
randn('state',0); % use default initial stage of random number
v1=randn(1,size(x)); % generate random number (noise), lenght is 1 to
size of x
noise_var=sig_var*10^(-db/10); % find noise variance for the particular
SNR
v=sqrt(noise_var)*v1; % modify noise with noise variance
xn=x+v'; % add noise with clean speech we have noisy speech
wavwrite(xn,11000,'nois.wav');% making wav file of noisy speech
figure, plot(xn);
```

THIS APPLICATION WILL EXTEND STEP BY STEP

SNR CALCULATION

```
function [overall_snr, segmental_snr] = snr(clean_speech,
processed_speech)
% Check the length of the clean and processed speech. Must be the
clean_length = length(clean_speech);
processed_length = length(processed_speech);
if (clean_length ~= processed_length)
 disp('Error: Both Speech Files must be same length.');
 return
end
<u>%</u> _______
% Scale both clean speech and processed speech to have same dynamic
% range. Also remove DC component from each signal
clean_speech = clean_speech - mean(clean_speech);
processed_speech = processed_speech - mean(processed_speech);
processed_speech = processed_speech.*(max(abs(clean_speech))/...
                   max(abs(processed_speech)));
overall_snr = 10*log10(sum(clean_speech.^2)/sum((processed_speech-
clean_speech).^2));
% Global Variables
% For each frame of input speech, calculate the Segmental SNR
```

```
num_frames = clean_length/skiprate-(winlength/skiprate); % number of
frames
          = 1;
                               % starting sample
start
window = 0.54 - 0.46 \cos(2 \cdot pi \cdot (1:winlength)' / (winlength+1));
for frame_count = 1:num_frames
   % (1) Get the Frames for the test and reference speech.
     Multiply by Hanning Window.
  clean_frame = clean_speech(start:start+winlength-1);
  processed_frame = processed_speech(start:start+winlength-1);
   clean_frame = clean_frame.*window;
  processed_frame = processed_frame.*window;
   % (2) Compute the Segmental SNR
  signal_energy = sum(clean_frame.^2);
  noise_energy = sum((clean_frame-processed_frame).^2);
   segmental_snr(frame_count) = 10*log10(signal_energy/noise_energy);
  segmental_snr(frame_count) =
max(segmental_snr(frame_count),MIN_SNR);
  segmental_snr(frame_count) =
min(segmental snr(frame count), MAX SNR);
   start = start + skiprate;
```

end