$g(t) = e^{irt} \longrightarrow y(t) = -e^{-irt} $
$g_1(t) = e^{-jrt} \implies y(t) = e^{jrt}$
$\frac{\cos \theta - e^{i\theta} + e^{-i\theta}}{\gamma} = \cos (\gamma + 1) = \frac{e^{-i(\gamma + 1)}}{\gamma}$
$= > cos(Y+-1) = e^{iY} + e^{-iY} + e^{-iY} + e^{iY}$
en (t) _ Y cos (Y +_1) _ Y (eixte-i + e-ixtei)
=> & (+) = eirt e-i + e-irt e i
=> y(+) = -e e + e e = -e + e + e