# OPEN DATA SCIENCE CONFERENCE

Boston | May 1 - 4 2018





@ODSC

# Bayesian Hierarchical Model for Predictive Analytic

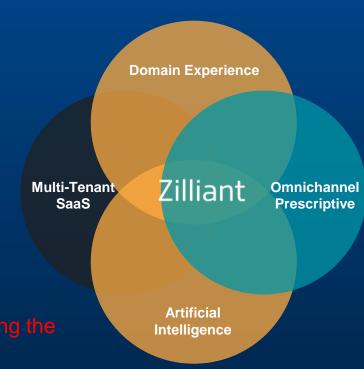
Amir Meimand
Director of R&D, Pricing Science, Zilliant



#### About Zilliant

- Founded in 1998
- Headquartered in Austin, Texas
- 200 employees & contractors
- Serving B2B Distribution, Manufacturing & Industrial Services
- 120+ customers around the world. 100's of implementations
- Investors: ABS Ventures, Houston Ventures, Trellis Partners,
- and Goldman Sachs

The world's leading Al-enriched SaaS platform for maximizing the lifetime value of B2B customer relationships.





#### **About Zilliant**

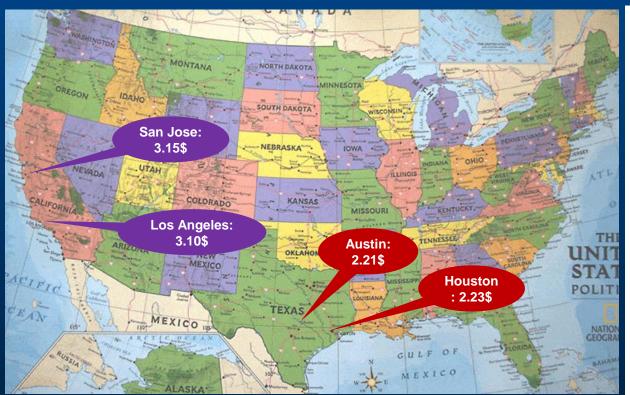
#### Zilliant IQ

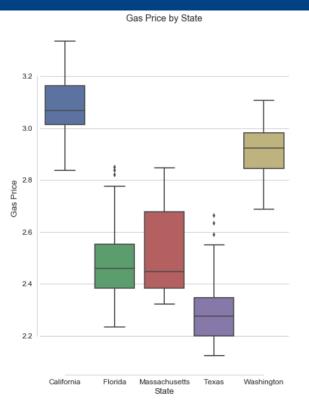
Converting Strategic Insights into Account Specific Action Plans

Ex. Data In **Product** Master Customer Master **Transaction** Data Win / Loss Data 3<sup>rd</sup> Party Data Competitor **Price Data** 

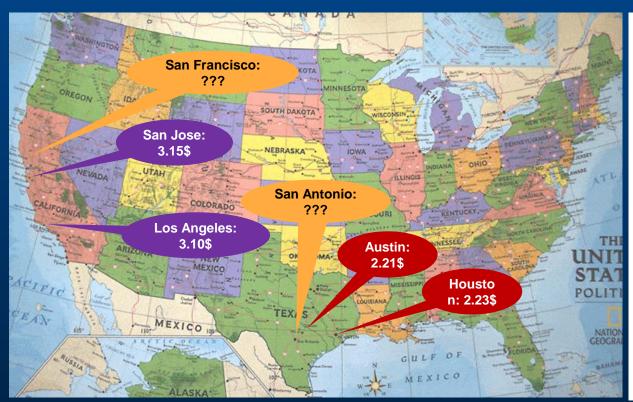
**Zilliant IQ – Multi-Tenant SaaS Platform** Cloud Infrastructure: Highly Scalable - Secure - Collaborative - In-Memory Reporting **Action IQ –** Actionable Intelligence & Sales Guidance Account Account Dashboards & **Potential** Health Collaboration **Action Plans** Quotes **Agreements** & Campaigns **IQ Engines –** Al & Prescriptive & On-Demand Insights Cart IQ **Profit IQ** Sales IQ Cost IQ Price IQ **Zilliant IQ Anywhere –** Integration & Omnichannel Activation

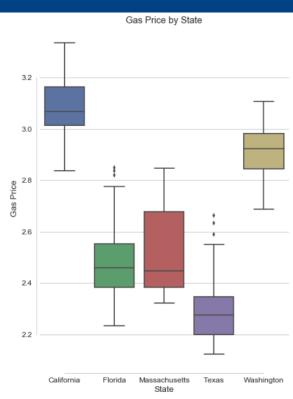




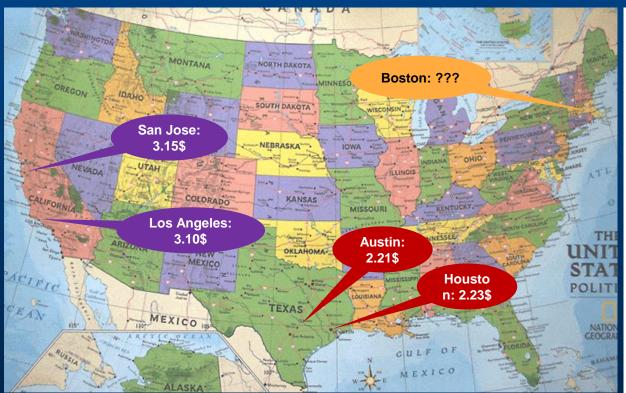


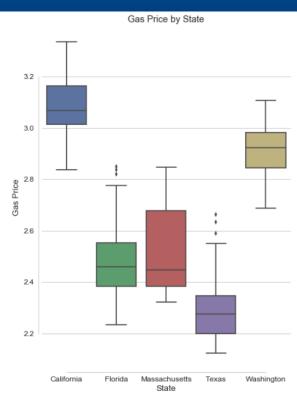




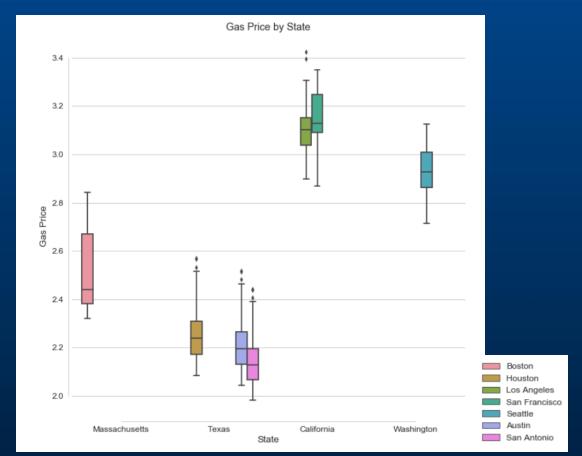














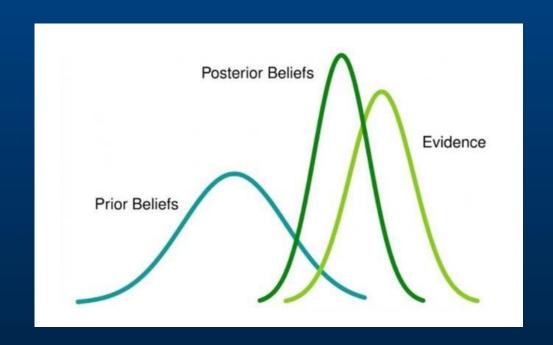


#### San Antonio:

- Station 1: 3.5\$
- Station 2: 3.8\$



### Bayesian Models

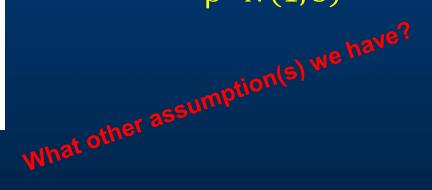






Assumed relationship:  $y = \alpha + \beta x$ 

Priors:  $\alpha \sim N(0, 10)$   $\beta \sim N(1, 5)$ 





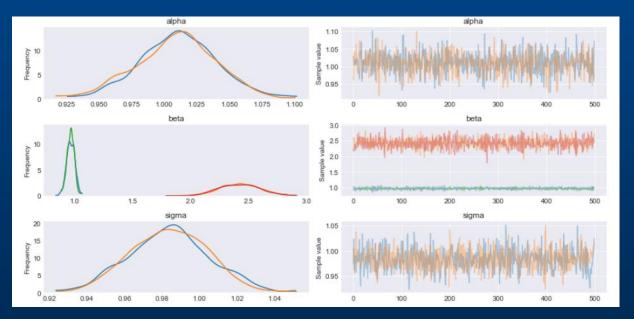
- 1- What is the target variable? Y which depends on Alpha and Beta
- 2- What is assumed (potential distribution)? Normal Distribution
- 3- Define priors

Alpha and/or Beta distribution



```
regression model = pm.Model()
with regression model:
    alpha = pm.Normal('alpha', mu=0, sd=10)
                                            Create stochastic variables
    beta = pm.Normal('beta', mu=1, sd=5)
    sigma = pm.HalfNormal('sigma', sd=1)
                                        Create deterministic variable
   mu = alpha + beta*X1
   Y obs = pm.Normal('Y obs', mu=mu, sd=sigma, observed=Y)
```



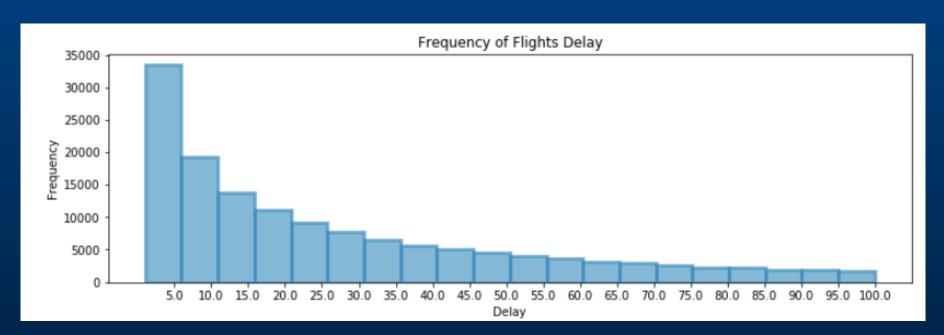


	mean	sd	mc_error	hpd_2.5	hpd_97.5	n_eff	Rhat
alpha	1.009507	0.029933	0.000790	0.950972	1.065191	1515.745188	1.000558
beta0	0.967910	0.032986	0.000856	0.905172	1.032044	1451.511508	0.999007
beta1	2.420182	0.164576	0.004431	2.120133	2.747157	1641.803594	0.999708
sigma	0.983615	0.021083	0.000603	0.945488	1.024915	1201.344314	0.999019





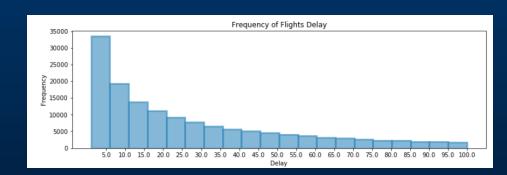
#### **Evidence (IAH Airport)**



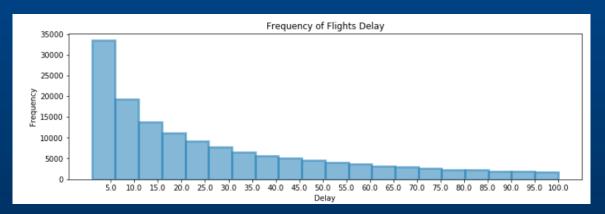


### Modeling Step

- 1- What is the target variable?
- 2- What is assumed (potential distribution)?
- 3- Define priors

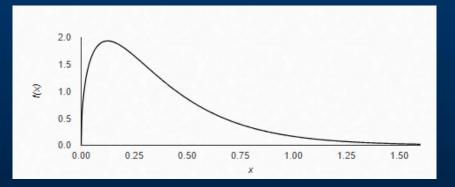






#### **Evidence (IAH Airport)**

$$f(x;\lambda)=\lambda e^{-x\lambda}$$



**Prior Belief** 



```
Flight_Delay = pm.Model()
with Flight_Delay:
    # Prior Distribution

rate = pm.Gamma('rate', 2, 2)

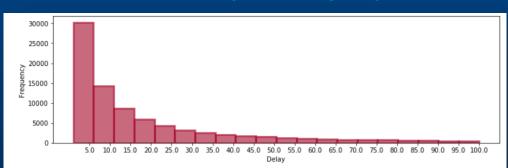
# Likelihood (sampling distribution) of observations
Y_obs = pm.Exponential('Y_obs', rate, observed=x)
```

Prior Distribution of target variable

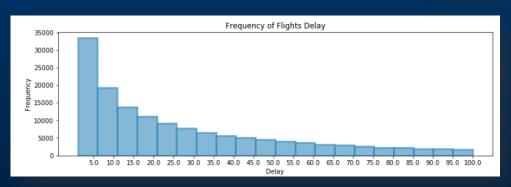
Relationship between



#### **Evidence (ORD Airport)**

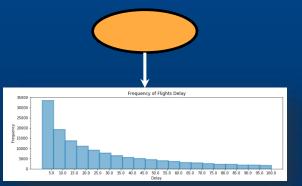


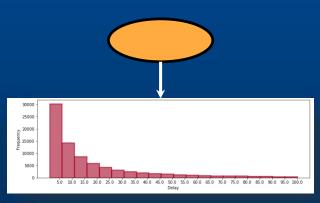
#### **Evidence (IAH Airport)**

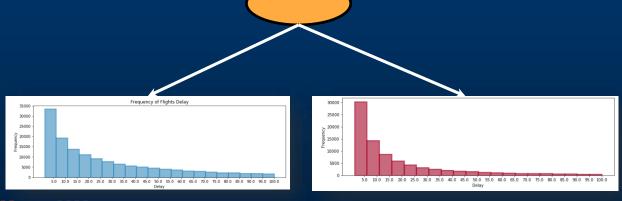


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**Every one has its own model!** 



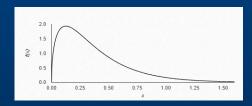




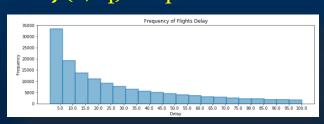
All have one model!

### ıllı zilliant

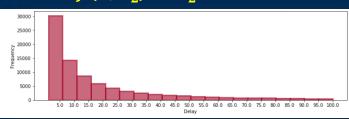
#### $Gamma(\alpha_1, \beta_1)$



$$f(x; \lambda_1) = \lambda_1 e^{-x\lambda_1}$$



$$f(x; \lambda_2) = \lambda_2 e^{-x\lambda_2}$$



```
Flight_Delay = pm.Model()
with Flight_Delay:
    # Prior Distribution
    rate = pm.Gamma('rate', alpha, beta,shape=2)

rate_hat=rate[airport]
    # Likelihood (sampling distribution) of observations
    Y_obs = pm.Exponential('Y_obs', rate_hat, observed=Delay)
```



### Artificial Intelligence – A Definition for B2B

The capability of a machine to imitate intelligent human behavior

What if your best...



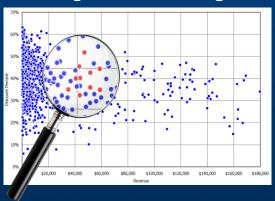
...could evaluate every customer relationship, every day and recommend action?

How would that impact customer lifespan, revenue and profit?

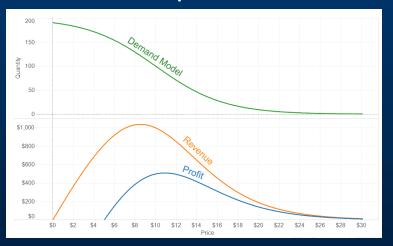
#### **Price Optimization**

Machine learning for market segmentation, price sensitivity, and price optimization.

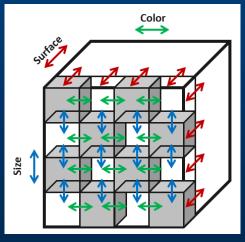
#### **Segment Clustering**



#### **Convex Optimization**

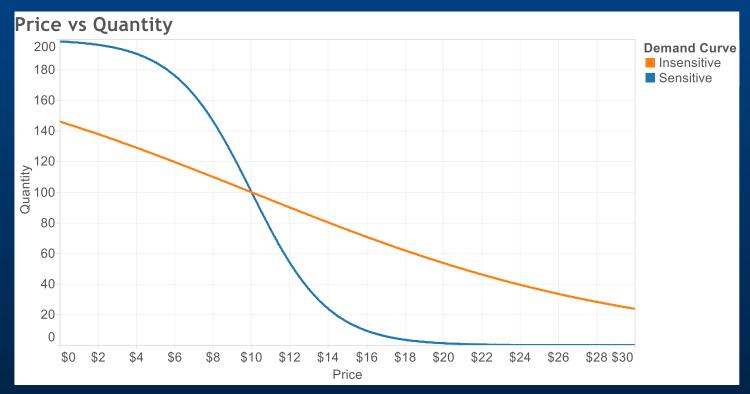


#### **Pricing Constraints**





### **Price Elasticity**



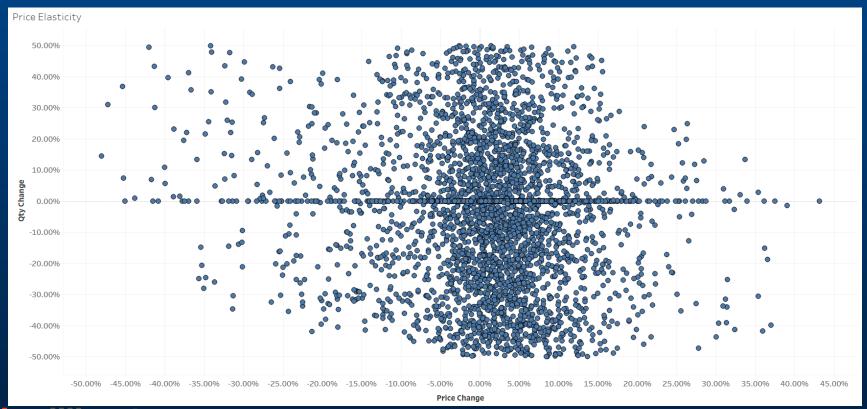


### What we hope to see (Dream)



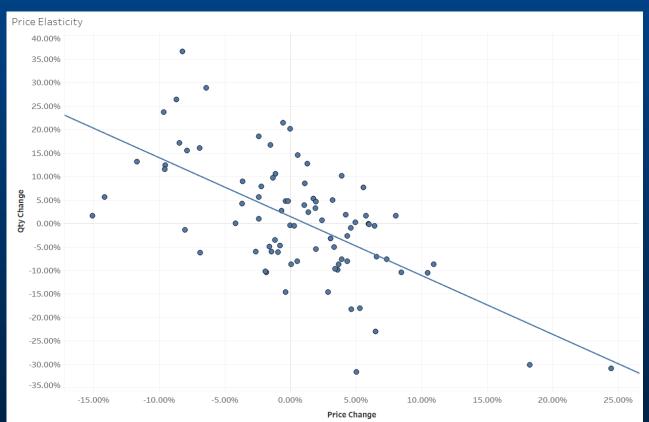


### What we see (Reality!)





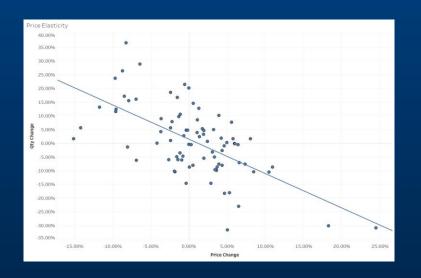
### Fix it!



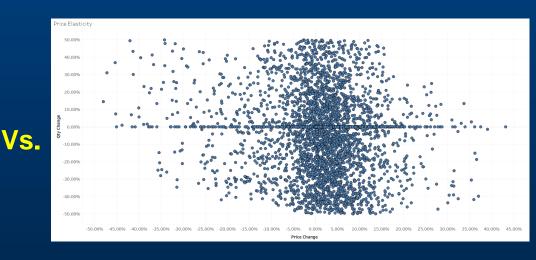


### Why Hierarchical Model?

#### **Clean Data, Less Data Points**

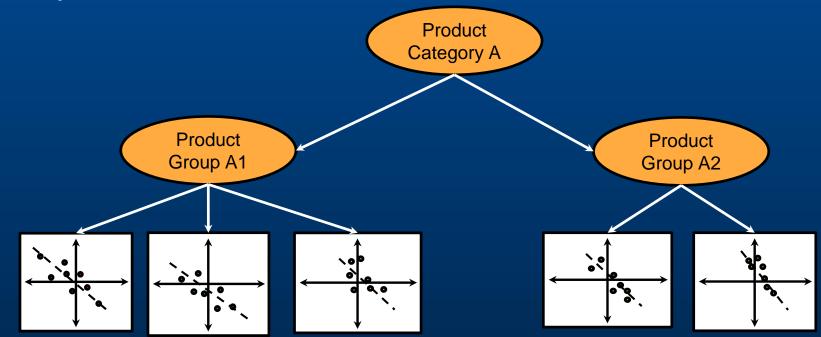


#### **Noisy Data, Many Data Points**





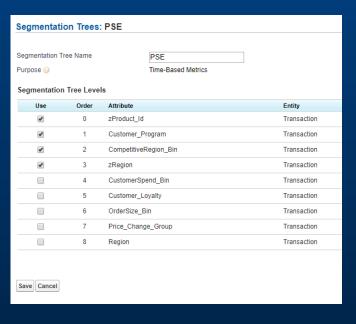
### Why Hierarchical Model?



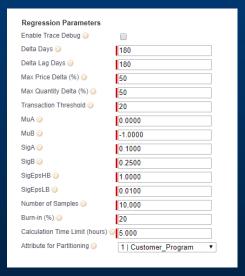


### Zilliant ML Platform (Point and Click!)

#### **Step 1- Define Hieratical Levels**



#### **Step 2- Set Model Parameters**

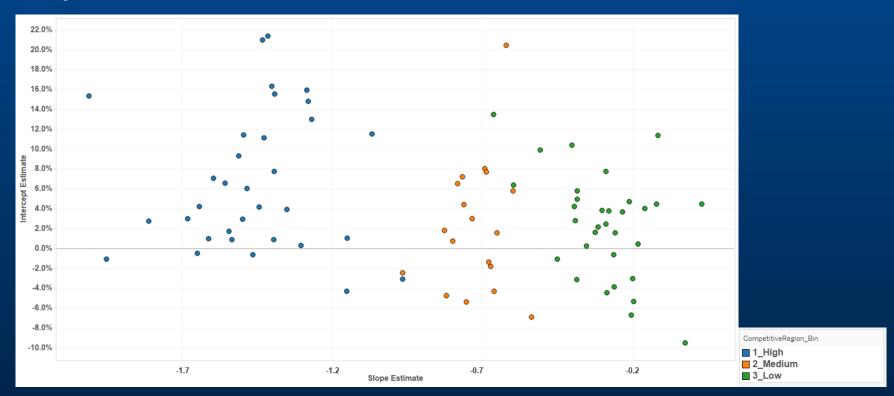


#### Step 3- Run the job!





### Output





#### Learn more?



Uses, Misuses, and Future Advances







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#### HIERARCHICAL BAYES MODELS

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include the relationship of needs to desired attributes or wants, wants to brand beliefs and consideration sets, and consideration sets to preference orderings and choice. These extended models are often conceptualized in a hierarchical manner, where movement from one model component to the next proceeds in a logical manner. Estimation of these new integrated models is not possible without Bayesian methods.

The nature and determinants of heterogeneity have also received much attention over the past 10 years. Across dozens of studies, the distribution of heterogeneity has been shown to be better represented by a continuous, not a discrete, distribution (e.g., from a finite mixture model) of heterogeneity (Allenby, Arora, & Ginter, 1998). This has important implications for analysis connected with market segmentation, where researchers often incorrectly assert the existence of a small number of homogeneous groups. Bayesian methods are being used to identify new basis variables that point to brand preferences (Yang, Allenby, & Fennell, 2002), new ways of dealing with respondent heterogeneity in scale usage (Rossi, Gilula, & Allenby, 2001), and new ways of characterizing social networks and their impact on demand (e.g., interdependent preferences; Yang & Allenby, 2003). These developments would again not be possible without modern Bayesian methods.

In this chapter, we provide an introduction to hierarchical Bayes models and an overview of successful applications. Underlying assumptions are discussed in the next section, followed by an introduction to the computational arm of look behind the data requires models that reflect associations of interest. Consider, for example, an analysis designed to determine the influence of price on the demand for a product or service. If the offering is available in continuous units (e.g., minutes of cell phone usage), then a regression model (see Chapter 13) can be used to measure price sensitivity using the following model:

$$y_r = \beta_0 + \beta_1 \operatorname{price}_r + \varepsilon_r$$
;  $\varepsilon_r \sim \operatorname{Normal}(0, \sigma^2)$  (1)

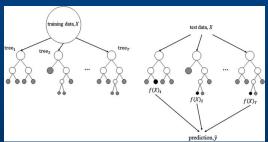
where  $y_i$  denotes demand at time t, price, is the price at time t, and  $p_i$ , and  $\sigma^2$  are parameters to be estimated from the data. The parameters  $\beta_i$  and  $\beta_i$  define the expected association between price and demand. Given the price at any time, t, one can compute  $\beta_i$ ,  $+\beta_i$ , price, and obtain the expected demand,  $y_i$ . The parameter  $\sigma^2$  is the variance of the error term  $\epsilon_i$  and reflects the uncertainty associated with relationship. Large values of  $\sigma^2$  are associated with noisy predictions, and small values of  $\sigma^2$  indicate an association without much uncertainty.

Individual-level demand, however, is rarely characterized by such a smooth, continuous association. The most frequently observed quantity of demand at the individual level is 0, and the next most frequently observed quantity is 1. Marketing data, at the individual level, are inherently discrete and noncontinuous. One approach to dealing with the discreteness of marketing data is to assume that the observed demand is a censored realization of an underlying continuous model:

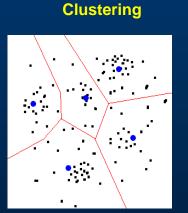


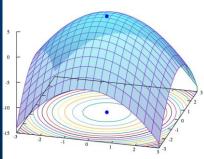
#### The Zilliant IQ Platform Brings Best-In-Class AI to B2B

#### **Random Forest**

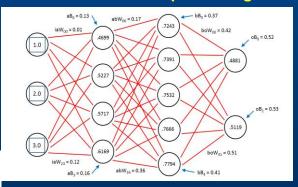


#### **Convex Optimization**

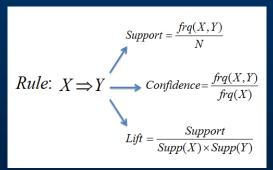




#### **Neural Network / Deep Learning**



#### **Association Rules**





#### **Codes and Slides:**

https://github.com/AmirMK/ODSC

#### **Question and/or Discussion:**

Amir.Meimand@Zilliant.com

