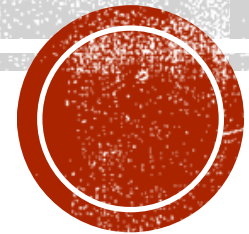


MAGAZINE SALES ANALYSIS



CLEAN DATA-

REMOVE MISSING VALUES

ENCODE QUALITATIVE DATA

```
df=pd.read_csv("/Users/sabrina/Documents/602/WK4/Casestudy2.csv")
df = df.dropna(axis=1, how='all')
df = df.dropna(axis=0, how='any')
df_encoded = pd.get_dummies(df, columns=['Opponent', 'Game Day Weather'])
df_encoded['Preseason Ticket Sales'] = df_encoded['Preseason Ticket Sales'].str.replace(',', '', regex=False)
df_encoded['Preseason Ticket Sales'] = df_encoded['Preseason Ticket Sales'].astype(float)
df_encoded
```



MODEL FIT

```
import pandas as pd
from sklearn.linear_model import LinearRegression
from sklearn.model_selection import train_test_split
from sklearn.preprocessing import StandardScaler

# Separate features and target
X = df_encoded[['Week In Season']]
y = df_encoded['Kickoff Temperature']

# Split data into training and testing sets
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.2, random_state=0)

# Initialize and train the model
model = LinearRegression()
model.fit(X_train, y_train)

# Predict on the same data (can be either training or testing data)
predictions = model.predict(X)

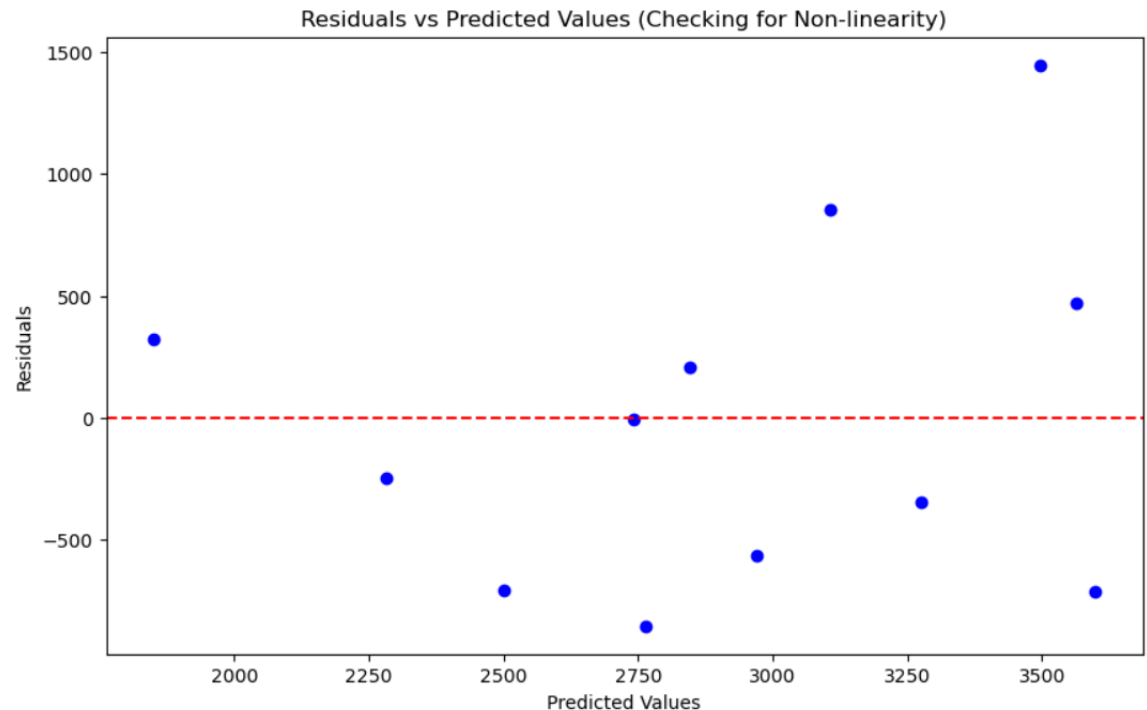
# Add predictions to the DataFrame
df_encoded['Predicted Kickoff Temperature'] = predictions

# Display the DataFrame with predictions
print(df_encoded)
```



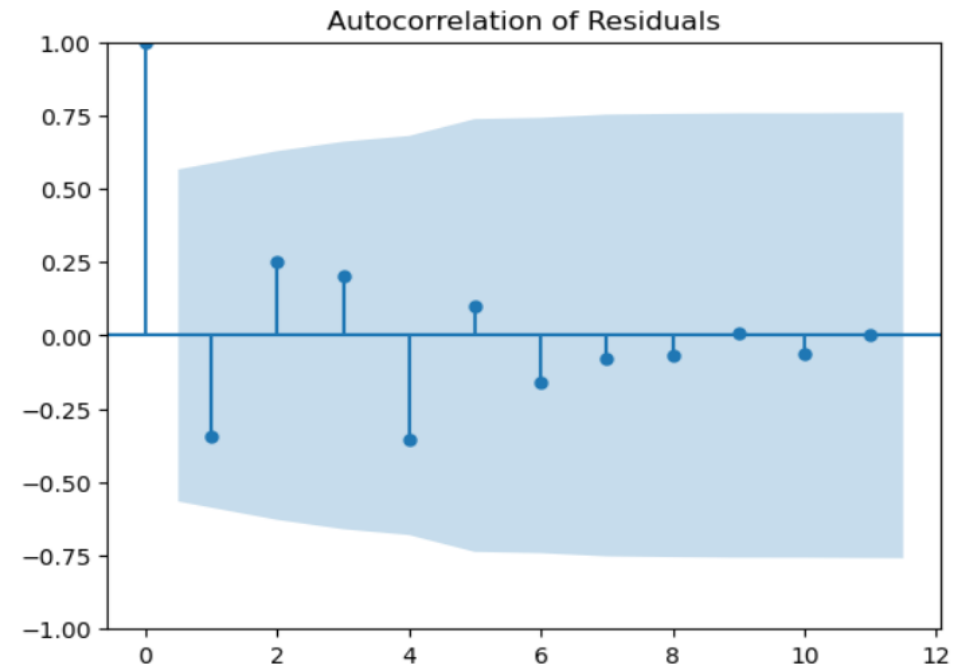
NON-LINEARITY ANALYSIS

- Pattern in Residuals: Residuals are mostly random but show some spread.
- Non-linear Pattern: No clear curved pattern, suggesting the linear assumption may hold. Larger residuals at the extremes might indicate underfitting.
- Variance of Residuals: Wider spread at higher values suggests potential heteroscedasticity.



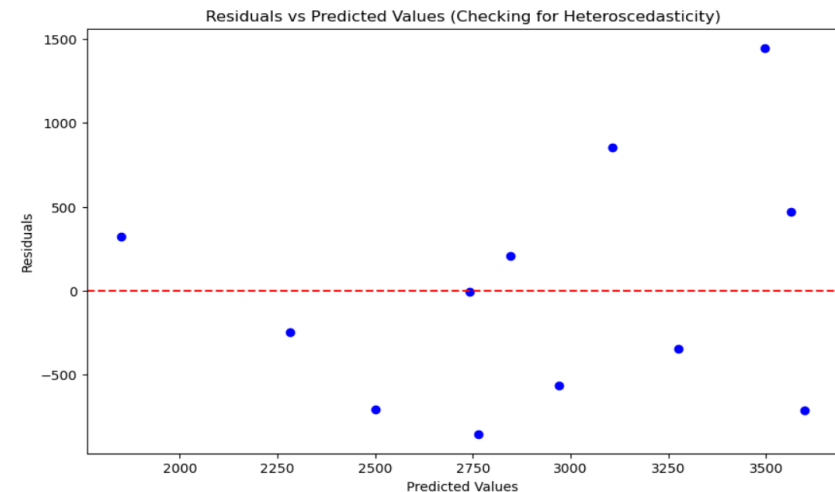
CORRELATION OF ERROR TERMS.

- Durbin-Watson (2.64): Slight negative autocorrelation, but not severe.
- Autocorrelation Plot: Minimal autocorrelation, except at lag 1—no major concern.
- Model Performance:
 - GLS & HAC: MSE: 452733.99, R^2 : 0.48—both models perform similarly, explaining 48% of the variance.
 - Lag Model: MSE: 1819242.55, R^2 : 0.37—lagged variable didn't improve performance.
- Conclusion:
 - GLS/HAC are preferable.
 - Lagged model adds complexity without benefit.
 - Focus on refining predictors and fine-tuning.



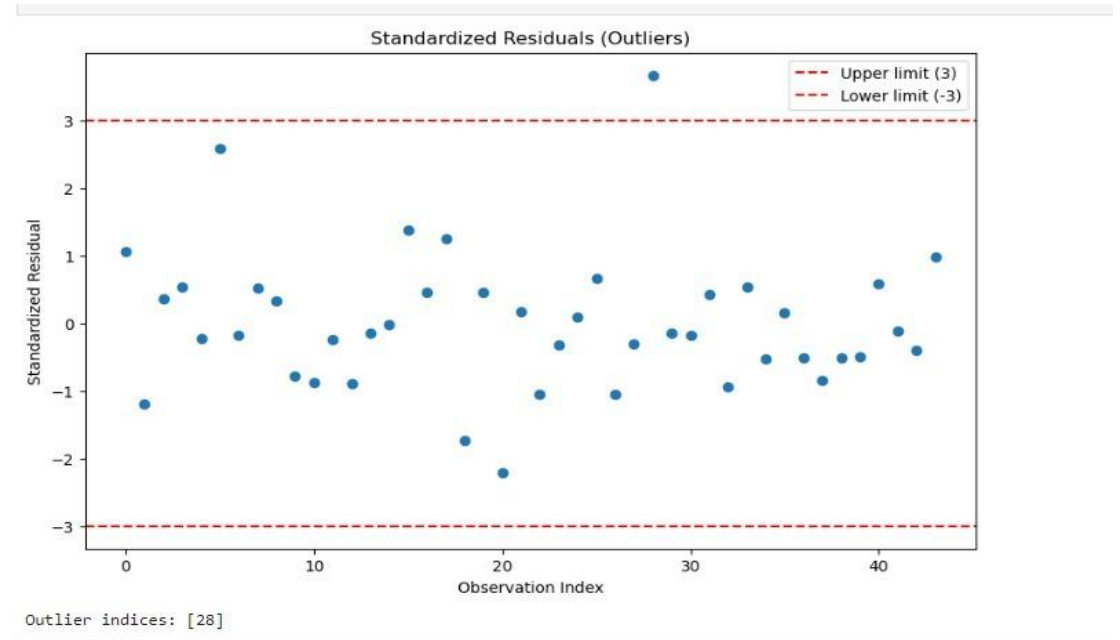
NON-CONSTANT VARIANCE OF ERROR TERMS

- No Clear Pattern: Residuals are mostly randomly scattered around zero with no discernible pattern, suggesting constant variance (homoscedasticity).
- Mild Variation: Slight spread in residuals at higher predicted values (3000-3500), but no strong cone shape, indicating no significant heteroscedasticity.
- Conclusion: No strong evidence of heteroscedasticity; the model likely satisfies the constant variance assumption.



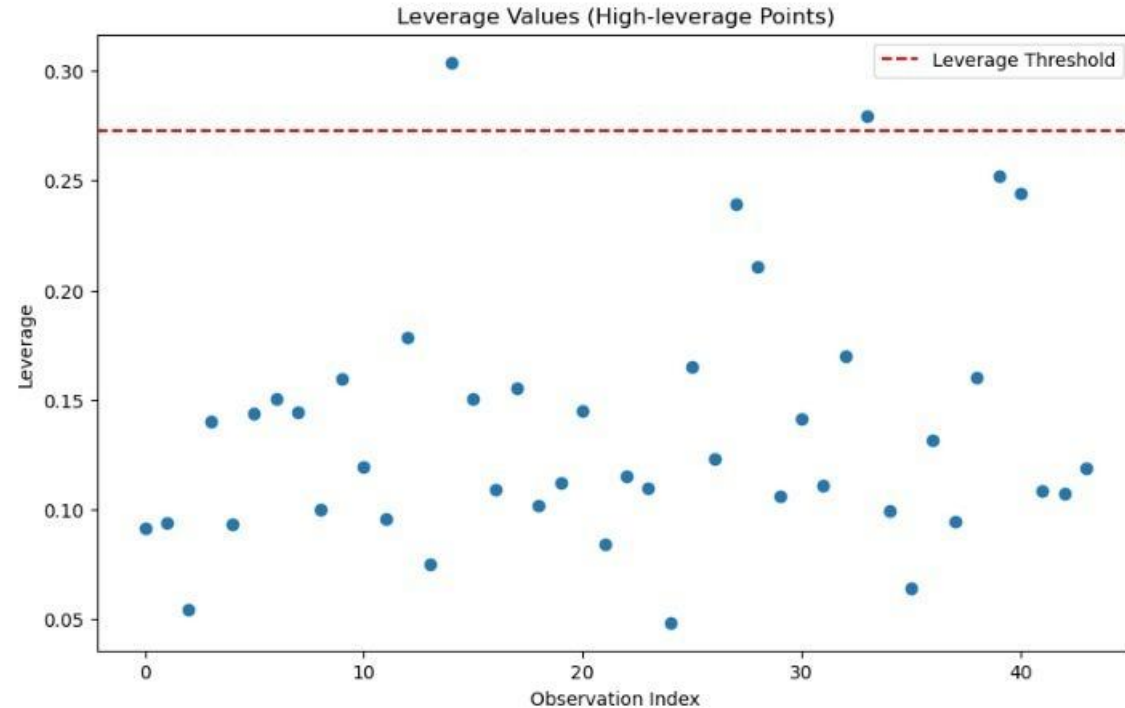
OUTLIERS

- Observation 28 behaves as an outlier and should be investigated for potential data entry errors or unusual events.
- Potential solutions: Remove the outlier if invalid or use robust regression methods (e.g., RANSAC, Huber) to minimize its influence.
- Impact: Compare model performance with and without the outlier to assess its influence; also check Cook's distance to see if it's a high-leverage point affecting the model.



HIGH-LEVERAGE POINTS

- High-Leverage Points: Observations 14 and 33 exceed this threshold, meaning they could disproportionately influence the regression model.

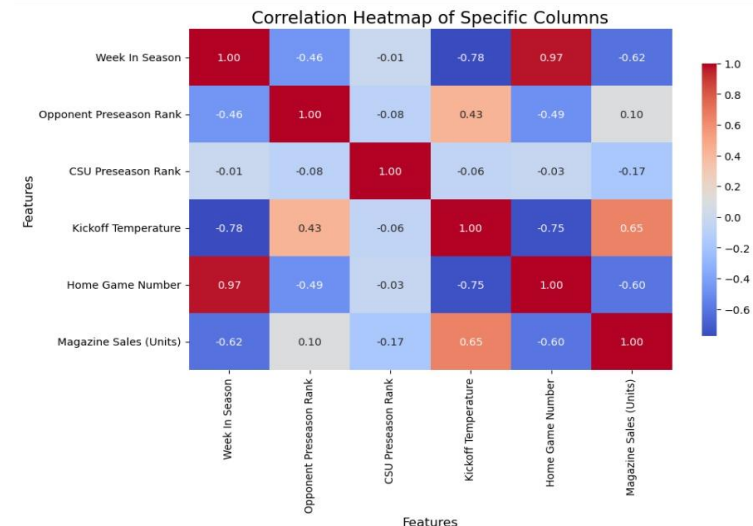


High-leverage points: [14 33]



COLLINEARITY

- Collinearity:
- Week In Season (VIF = 19.76) and Home Game Number (VIF = 20.32) show high multicollinearity.
- Other variables (VIF < 5) have no significant multicollinearity issues.
- Recommendations:
 - Remove or combine Week In Season and Home Game Number to reduce multicollinearity.
 - Rerun the model and evaluate performance changes.
 - Consider using PCA to retain variables while addressing multicollinearity.



CORRELATION ANALYSIS

```
import seaborn as sns
import matplotlib.pyplot as plt

# List the specific columns you want to include in the heatmap
specific_columns = ['Week In Season', 'Opponent Preseason Rank', 'CSU Preseason Rank',
                    'Kickoff Temperature', 'Home Game Number', 'Magazine Sales (Units)']

# Filter the DataFrame to only include those specific columns
filtered_df = df[specific_columns]

# Ensure all selected columns are numeric
filtered_df = filtered_df.select_dtypes(include=[float, int])

# Calculate the correlation matrix for the specific columns
plt.figure(figsize=(10, 6))
sns.heatmap(filtered_df.corr(), annot=True, cmap='coolwarm', fmt='.2f',
            annot_kws={"size": 10}, cbar_kws={"shrink": .8})

# Customize labels and title
plt.xlabel('Features', fontsize=12)
plt.ylabel('Features', fontsize=12)
plt.title('Correlation Heatmap of Specific Columns', fontsize=16)
plt.show()
```



PREDICTION RESULT

Assume that CSU sells each magazine for \$30, buys it for \$10, and can dispose of unsold magazines for \$5 after the season. How many magazines should CSU order? Magazines can only be ordered before the season begins.

Answer:

Mean Squared Error: 1349178.243046289

Predicted magazine sales (average across season): 2699.903022551285

Optimal number of magazines to order: 2699

