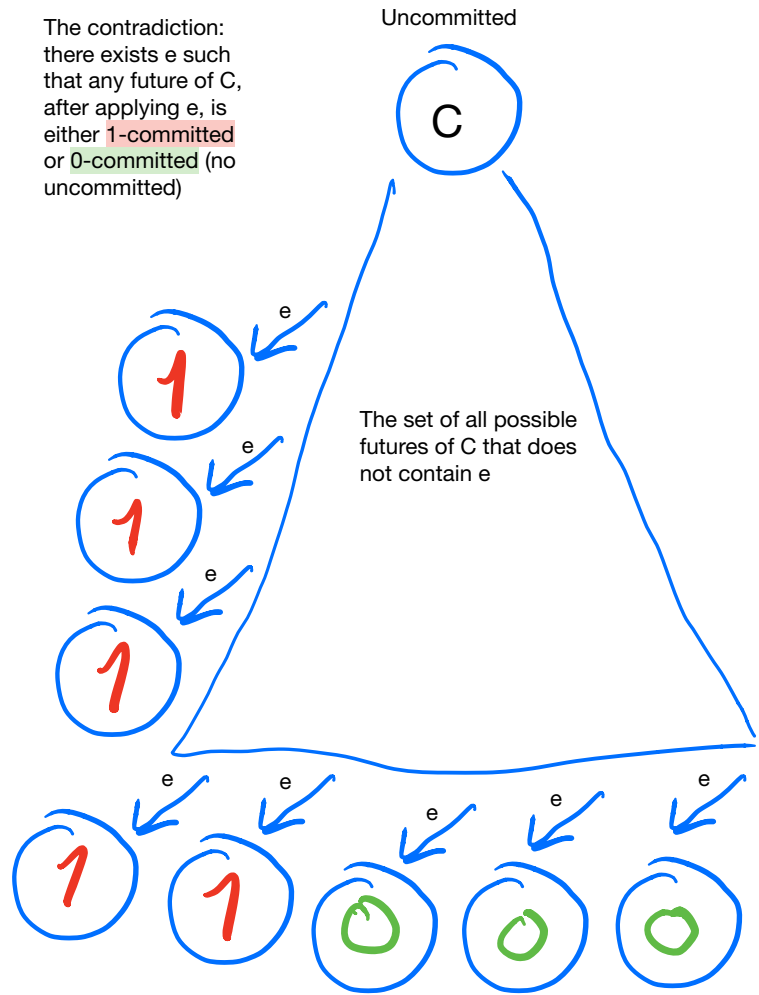


Lemma 2: if  $C$  is uncommitted and  $e$  is pending then there exists a sequence  $\pi_i$  such that after  $\pi_i$  and  $e$  the resulting configuration is uncommitted



The contradiction: there exists  $e$  such that any future of  $C$ , after applying  $e$ , is either 1-committed or 0-committed (no uncommitted)



The contradiction implies a local structure: two adjacent configurations  $Y$  and  $Y'$  such that  $Z$  is 1-committed and  $Z'$  is 0-committed

