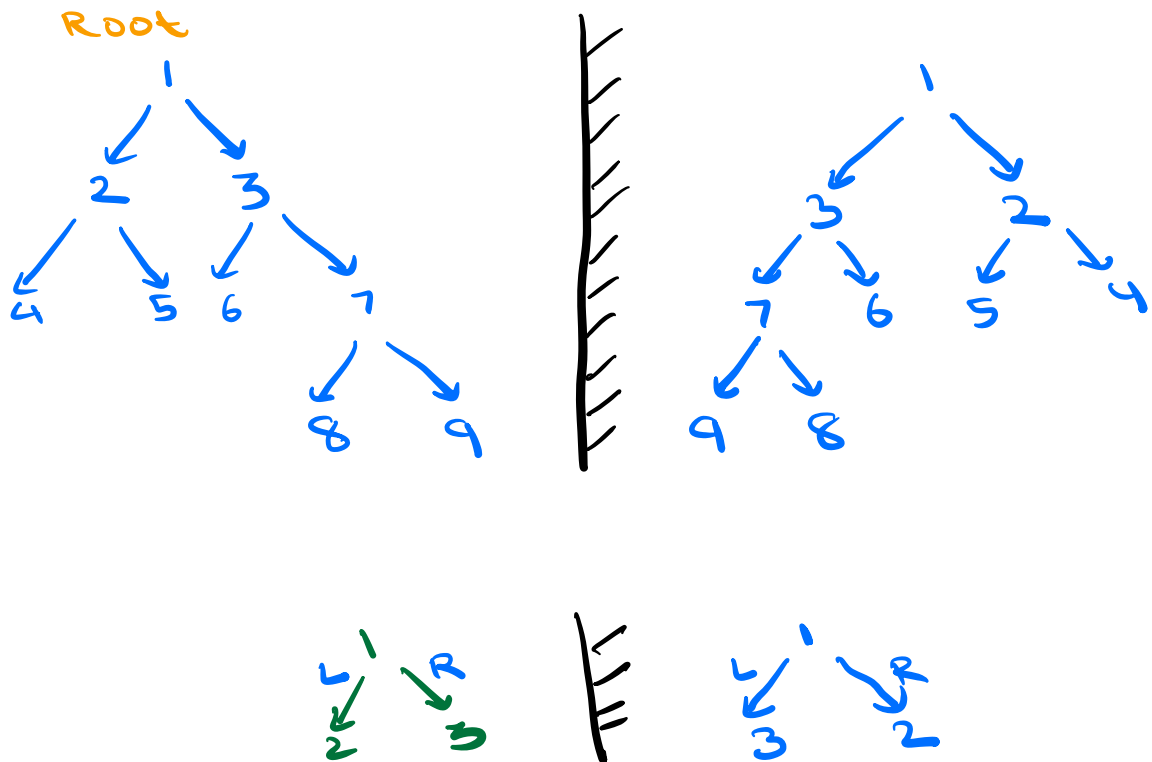


## Agenda

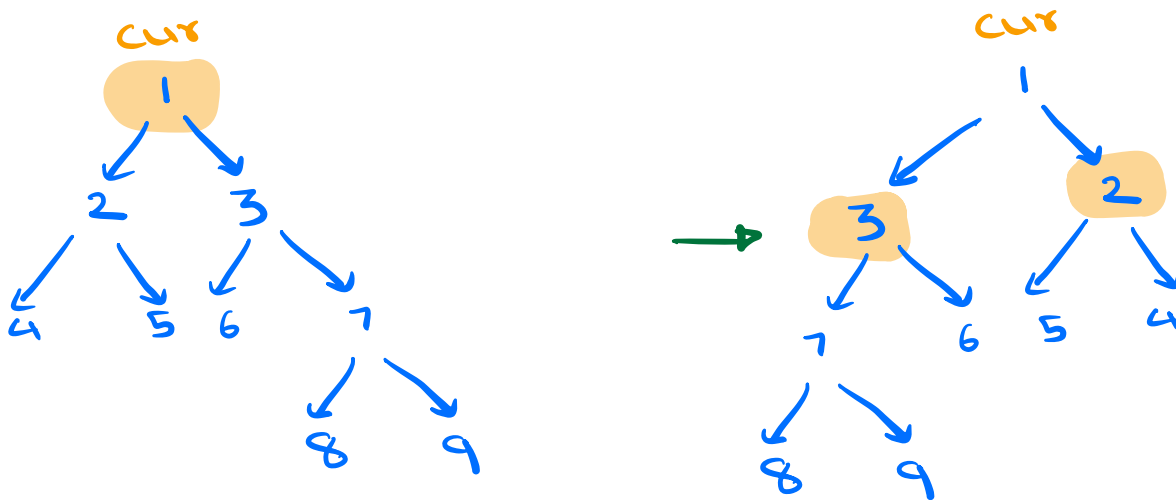
1. Invert Binary Tree
2. Equal Tree Partition
3. Next Pointer Binary Tree
4. Root to Leaf Path Sum = k
5. Diameter of Binary Tree

1. Invert a binary tree.

Input:



Observation: For every node, swap left and right child



```
void invert (Node root) {
```

```
    if (root == NULL)
```

```
        return
```

```
    Node temp = root.left
```

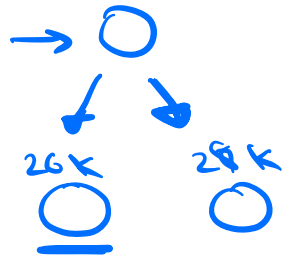
```
    root.left = root.right
```

```
    root.right = temp
```

```
    invert (root.left)
```

```
    invert (root.right)
```

```
}
```



LC  
Temp  
26k

TC:  $O(N)$

SC:  $O(H)$

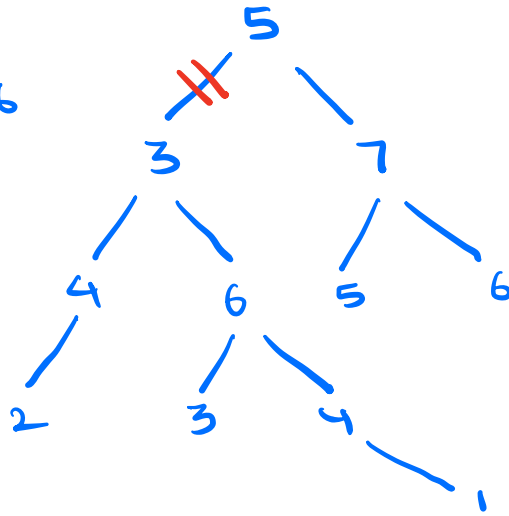
↓  
 $\log_2 N \rightarrow N$

2. Check if it is possible to remove an edge from Binary Tree s.t. sum of resultant two trees is equal.

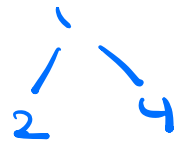
Total sum = 46

tree

↓  
sum = 23



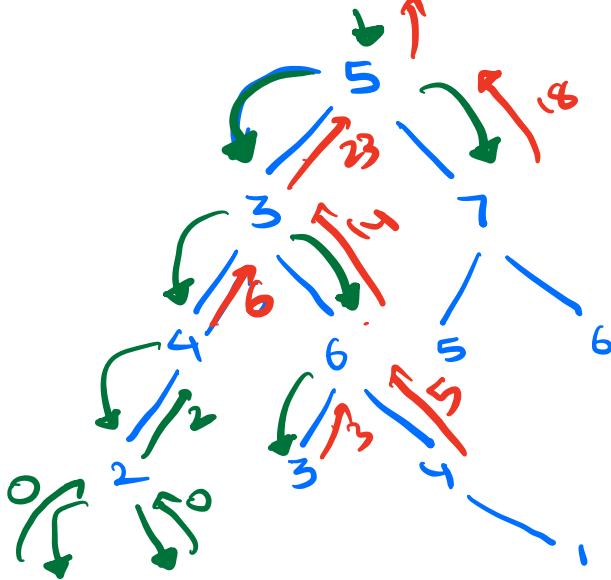
Ans = True



Ans = false

Obs 1 : If total sum is odd,  
return false

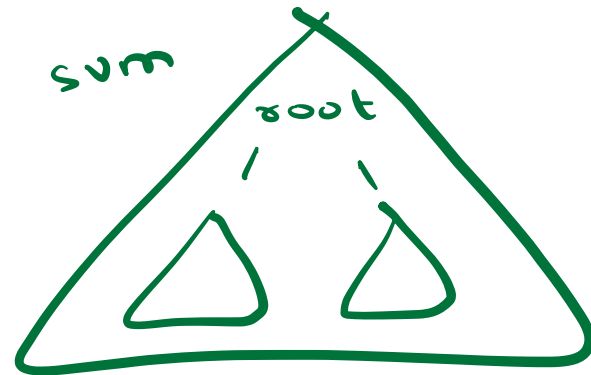
Obs 2 : If totalsum is even (s)  
then find a subtree with  
sum = s/2



ans = false true

Total sum = 46

sum = 23



$$\text{sum}(\text{root}) = \text{sum}(\text{root.left}) + \text{sum}(\text{root.right}) + \text{root.val}$$

int total sum = 0

```
void preorder(Node root) {
    if (root == NULL)
        return
    total sum += root.val
    preorder (root.left)
    preorder (root.right)
}
```

TC: O(N)  
SC: O(H)

bool ans = false

int dsum = totalsum/2

int subtreeSum (Node root) <

if (root == NULL)

return 0

int l = subtreeSum (root.left)

int r = subtreeSum (root.right)

int rootsum = root.val + l + r

if (rootsum == dsum)

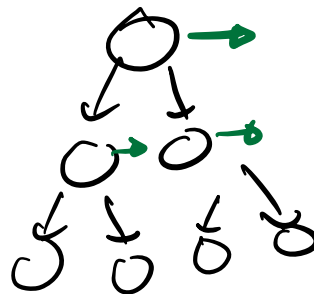
ans = true

return rootsum

}

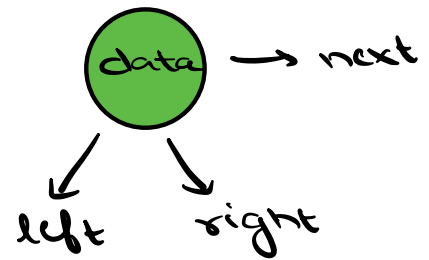
TC : O(N)

SC : O(1)



3. a) Populate next pointer in BT

```
class Node <
| int data
| Node left, right, next
>
```



Initially each node's next points to NULL.  
Update each node's next to store address of next node in same level.

```
Queue <Node> q
```

```
q.enqueue(root)
```

```
while (!q.empty()) <
```

```
int levelsize = q.size()
```

```
for (cnt = 1 ; cnt ≤ levelsize ; cnt++) <
```

```
Node cur = q.front()
```

```
q.dequeue()
```

```
if (cnt != levelsize)
    cur.next = q.front()
```

```
if (cur.left != NULL)
```

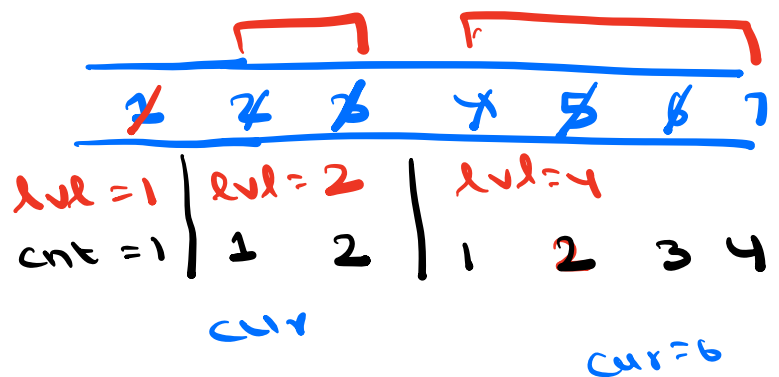
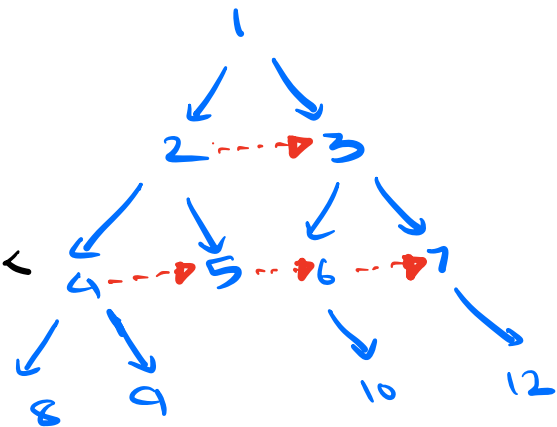
```
q.enqueue(cur.left)
```

```
if (cur.right != NULL)
```

```
q.enqueue(cur.right)
```

```
>
```

```
>
```



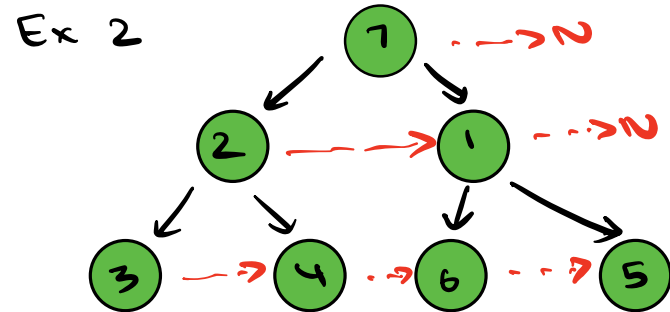
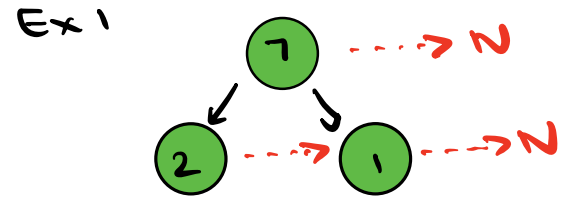
$T_C: O(N)$

$SC: O(N)$

3 b) Populate next pointer in **Perfect BT**

**Expected SC : O(1)**

```
class Node <
{
    int data
    Node left, right, next
    Node(x) <
    {
        data = x
        left = NULL
        right = NULL
        next = NULL
    }
}
```



Ex 3

$t = \text{root}$

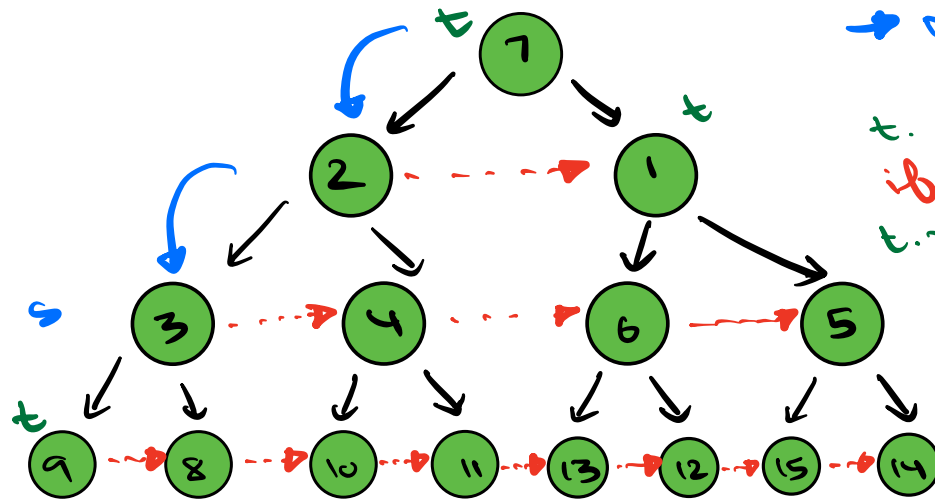
$\rightarrow \text{Node } s = t$

$t.\text{left}.\text{next} = t.\text{right}$   
 $\text{if } (t.\text{next} \neq \text{NULL})$   
 $t.\text{right}.\text{next} = t.\text{next}.\text{left}$

// Move in level  
 $t = t.\text{next}$

Make  $t$  jump to  
next level

$t = s.\text{left}$





Node t = root

while (t.left != NULL) <

Node s = t

while (t != NULL) <

t.left.next = t.right

if (t.next != null)

t.right.next = t.next.left

// Move in level  
t = t.next

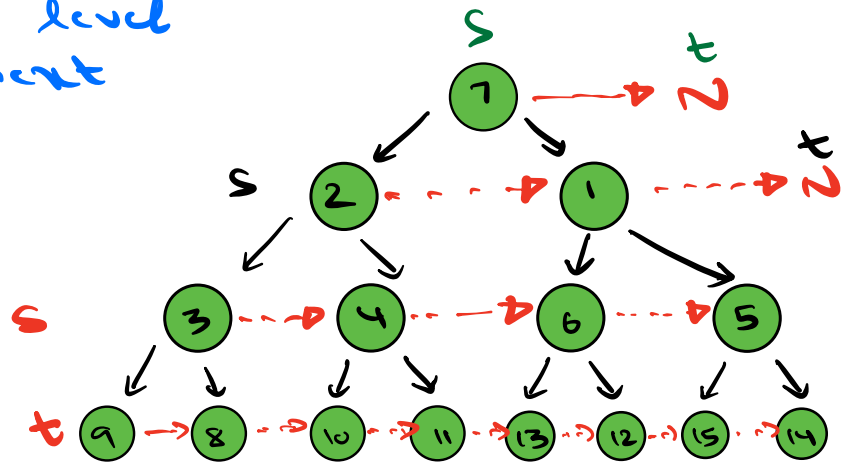
>

t = s.left

>

TC: O(N)

SC: O(1)

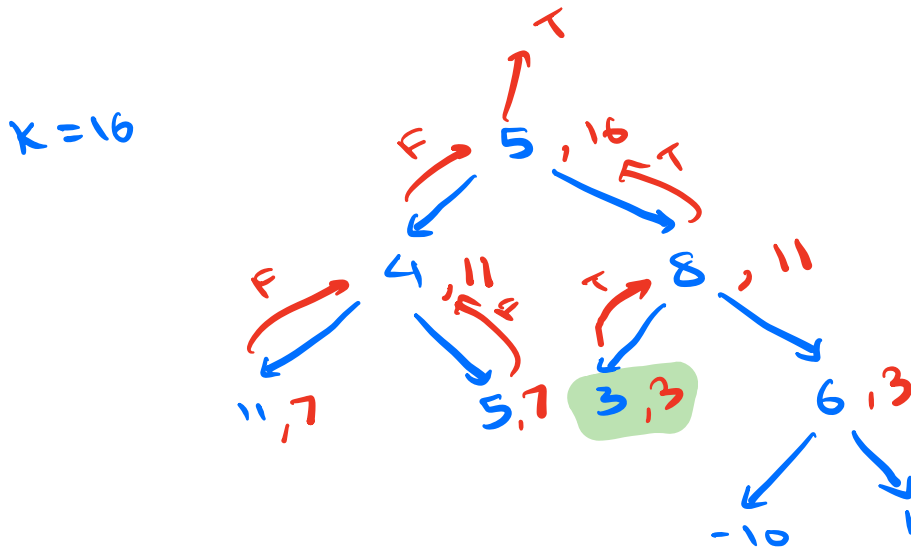
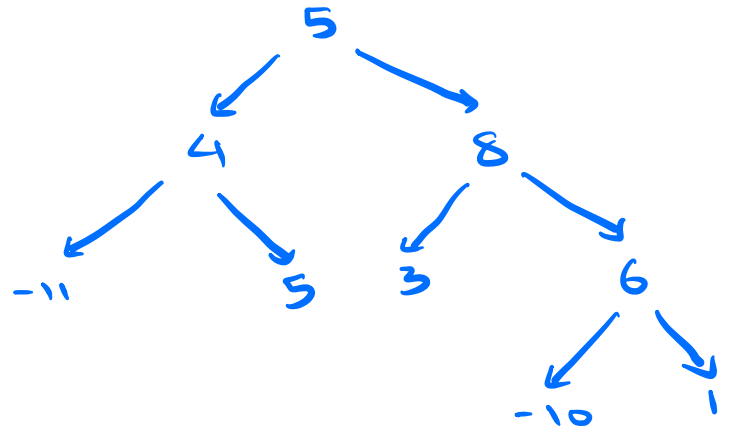


10:30



4. Check if given binary tree has any root to leaf path sum = k.

$k=16$       True  
 $k=-2$       True  
 $k=9$       True



// Given root node, check whether sum k can be formed from root to leaf

bool check (Node root, int k) {

if (root == NULL)  
     return false

TC:  $O(N)$   
 SC:  $O(H)$

// root can contribute root.val  $\rightarrow k$

// more  $\rightarrow k - \text{root.val}$

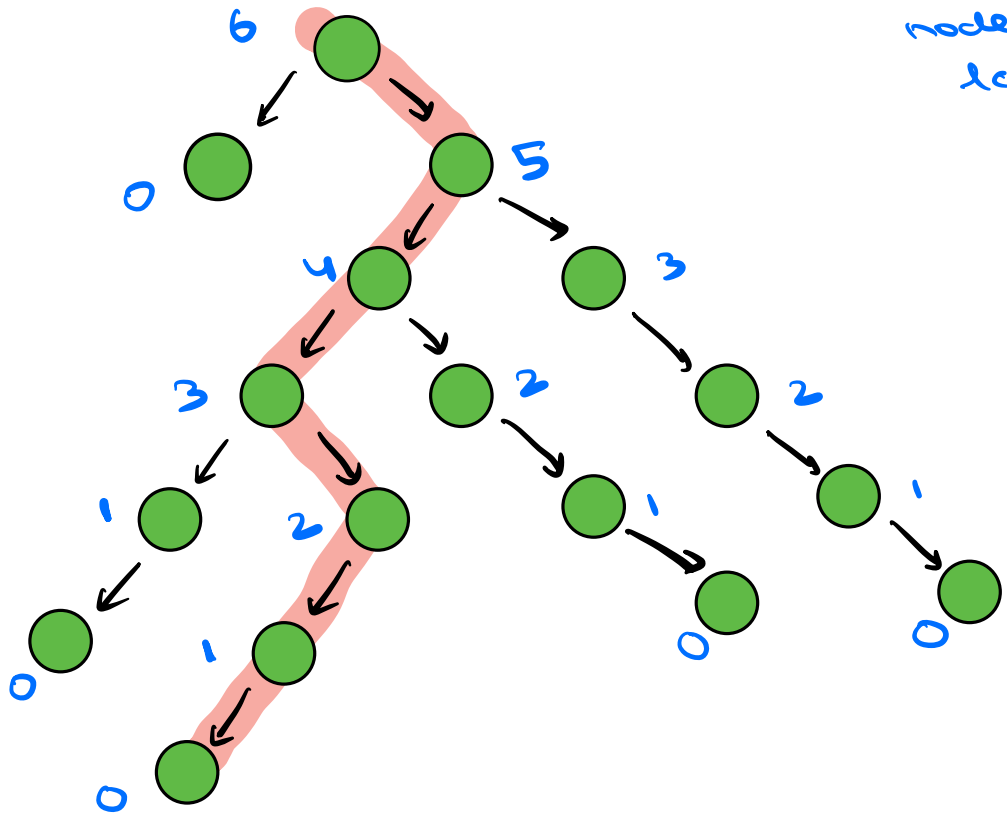
if (root.left == NULL && root.right == NULL)  
     return root.val == k

return check (root.left, k - root.val) ||

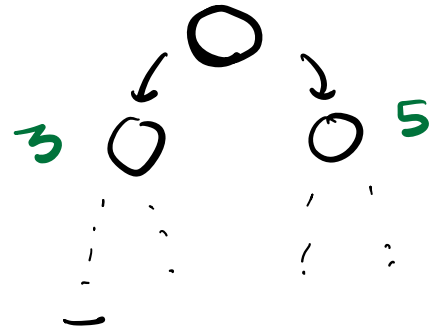
check (root.right, k - root.val)

(edgus)

longest  
path  
node to  
leaf



$$h(\text{node}) = \max(h(\text{LC}), h(\text{RC})) + 1$$



$$h(\text{NULL}) = -1$$

```
int height (Node root) {
```

```
if (root == NULL)
    return -1;
```

```
int ln = height (root, left)
```

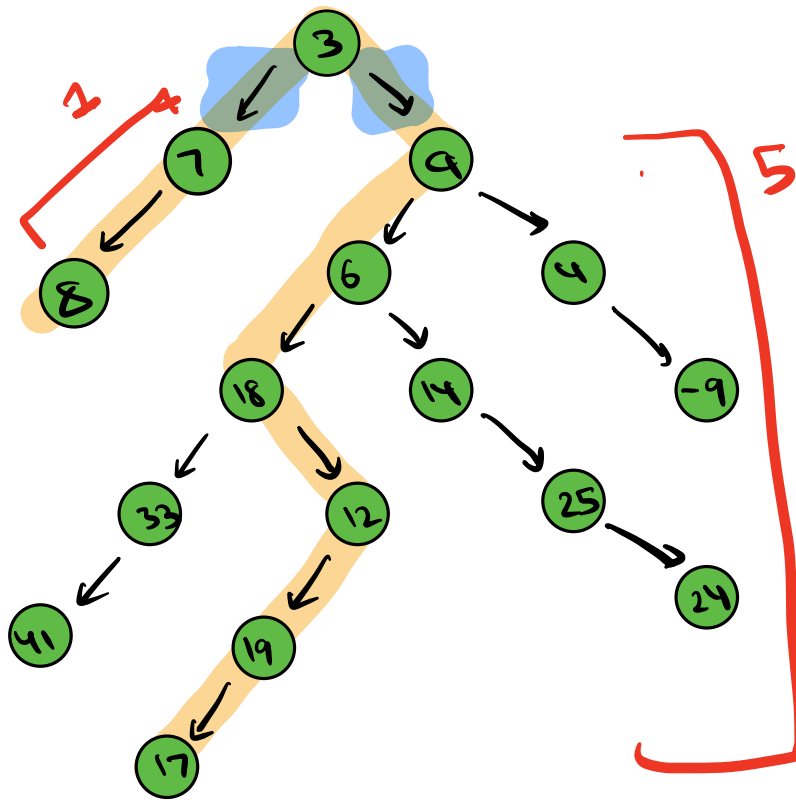
```
int rh = height(root, right)
```

return max(rh, ln) +

TC:  $O(N)$

$$SC: O(H)$$

5 a) Longest path across root (count edges)



ans = 8

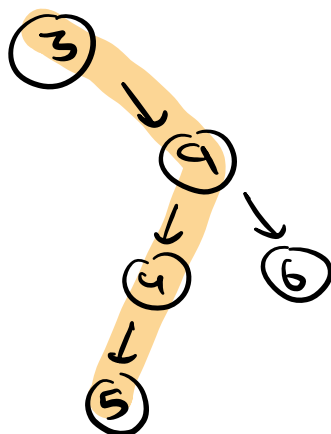
$$\text{ans} = 1 + 5 + 2 \\ \text{LC} \quad \text{RC} \\ = 8$$

$$1 = h(7) \quad h(9) = 5$$

Longest path

$$\text{across root} = h(\text{root.left}) + h(\text{root.right}) + 2$$

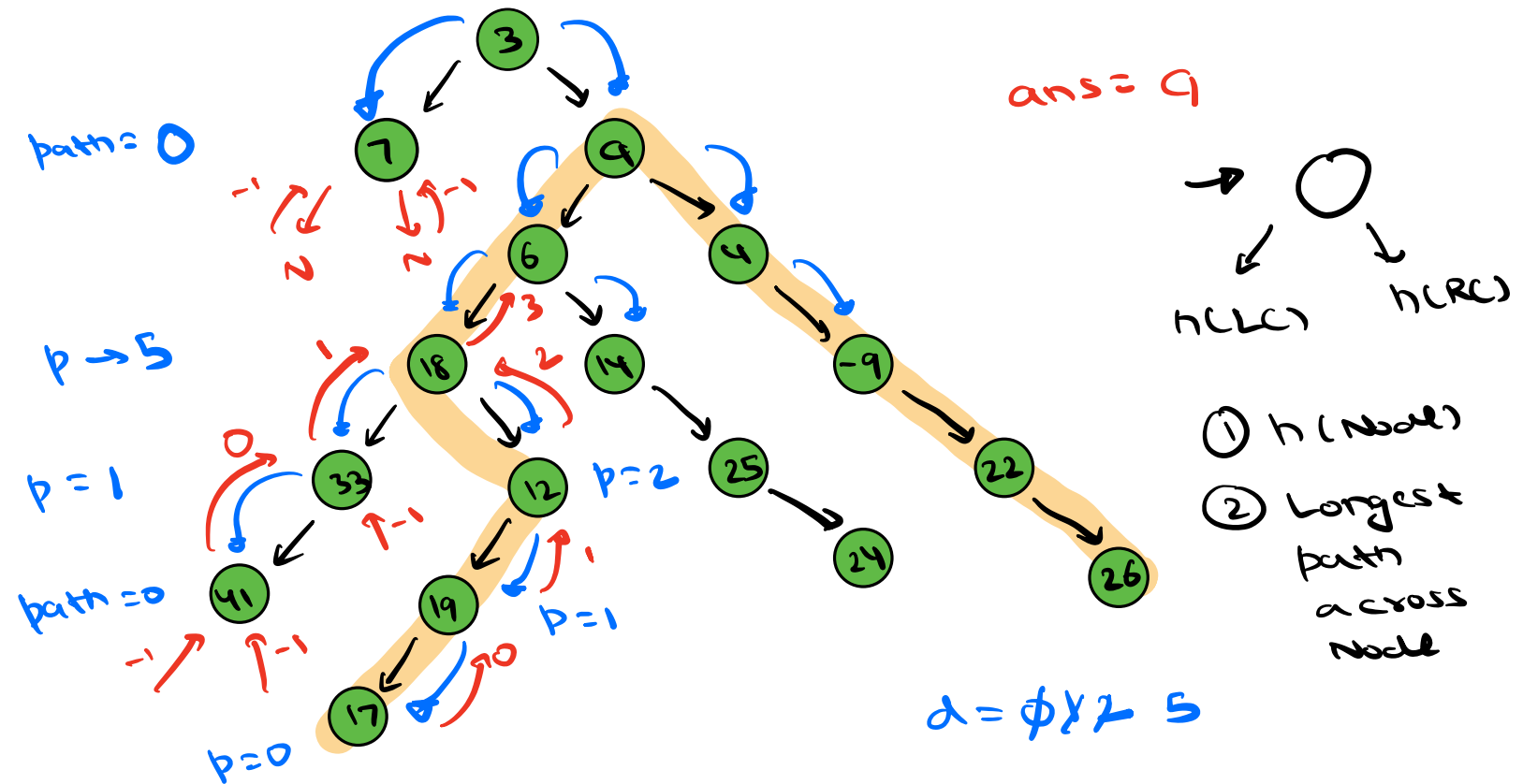
③  
ans = 0



ans = 3

$$h(\text{LC}) + h(\text{RC}) + 2 \\ = 1 + 2 + 2 \\ = 3$$

5. b) Longest Path b/w any 2 nodes in a tree  $\rightarrow$  Diameter of tree



int diam = 0

int height (Node root) {

if (root == NULL)  
return -1

int lh = height (root.left)

int rh = height (root.right)

diam = max (diam, lh + rh + 2)

return max (rh, lh) + 1

TC: O(N)

SC: O(H)