

Binary Search Tree data structure.

A type of binary tree. Organized in a sequential way.

why we lean this?

Ordered structure

Efficient searching.

Efficient insertion  
and deletion.

balance vs un  
balanced tree.

Memory efficiency.



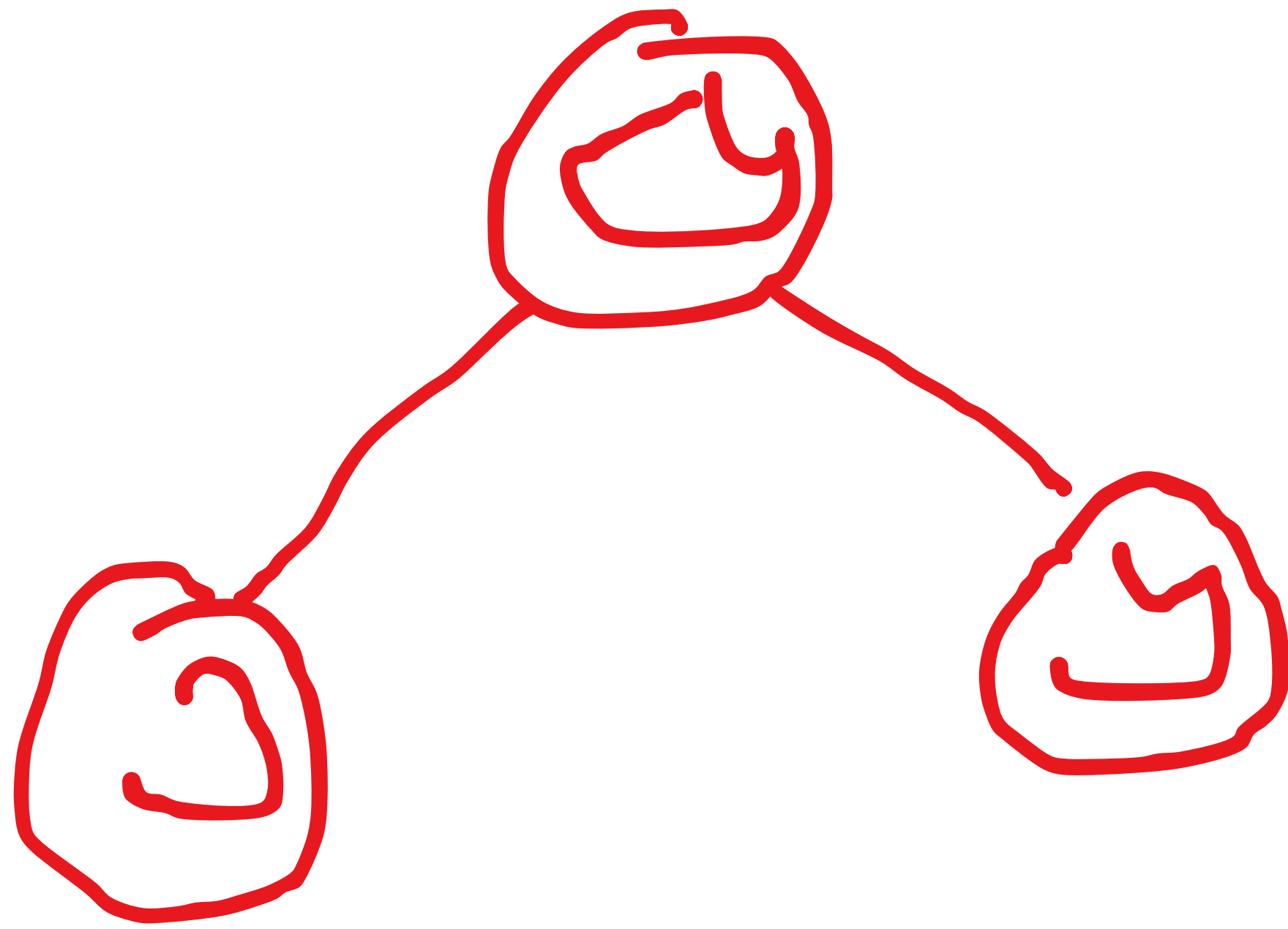
# Versatile Applications

properties

each node has two  
child, one is left and  
other is right.

Left child is always  
smaller than parent.

right child is always  
greater than parent  
node.



addition operations

find a null node?

create a new

node that time.



our inserted data

is less than the

node value  $\rightarrow$  left

node.

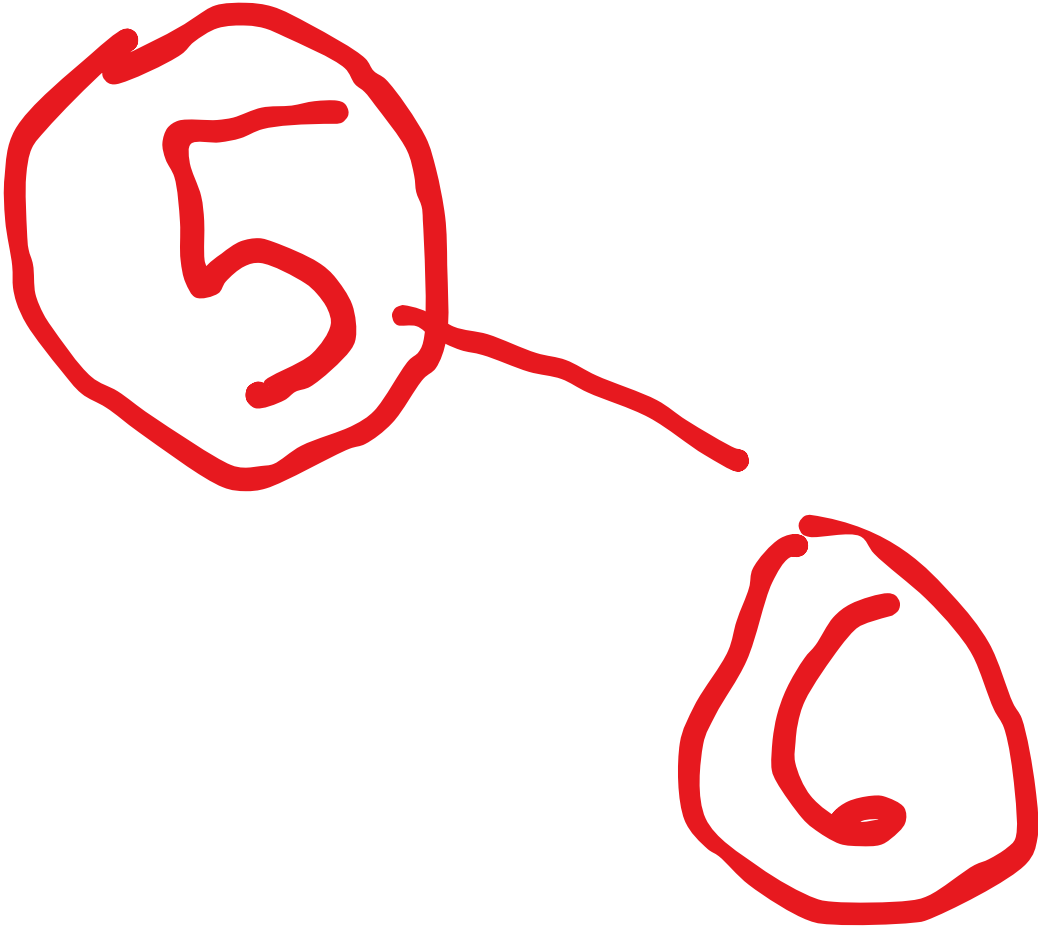
our inserted data is  
greater than the node  
data go right.

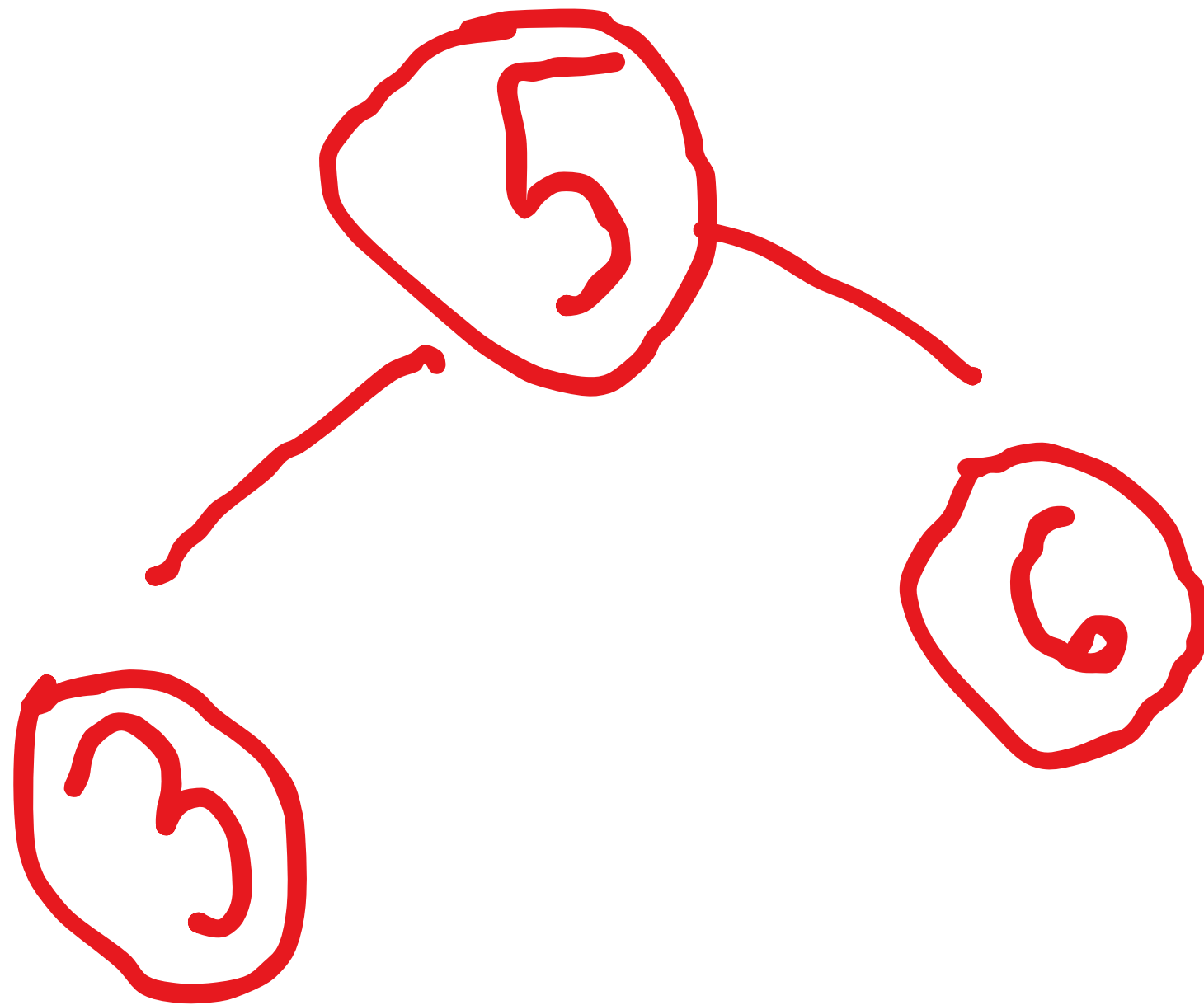
Let's solve an  
example.

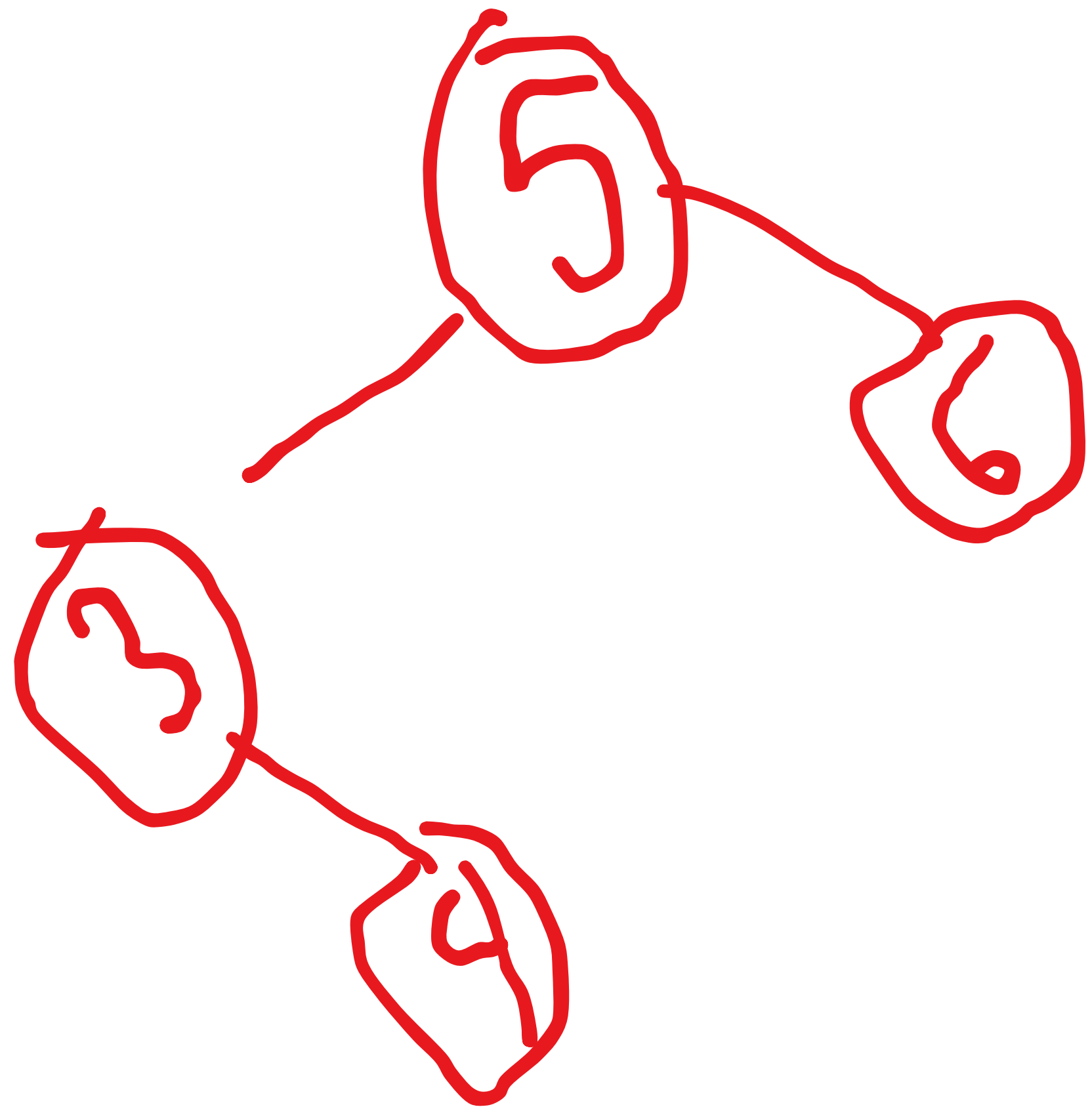
5, 6, 3, 4, 1, 2, 11, 10,

7

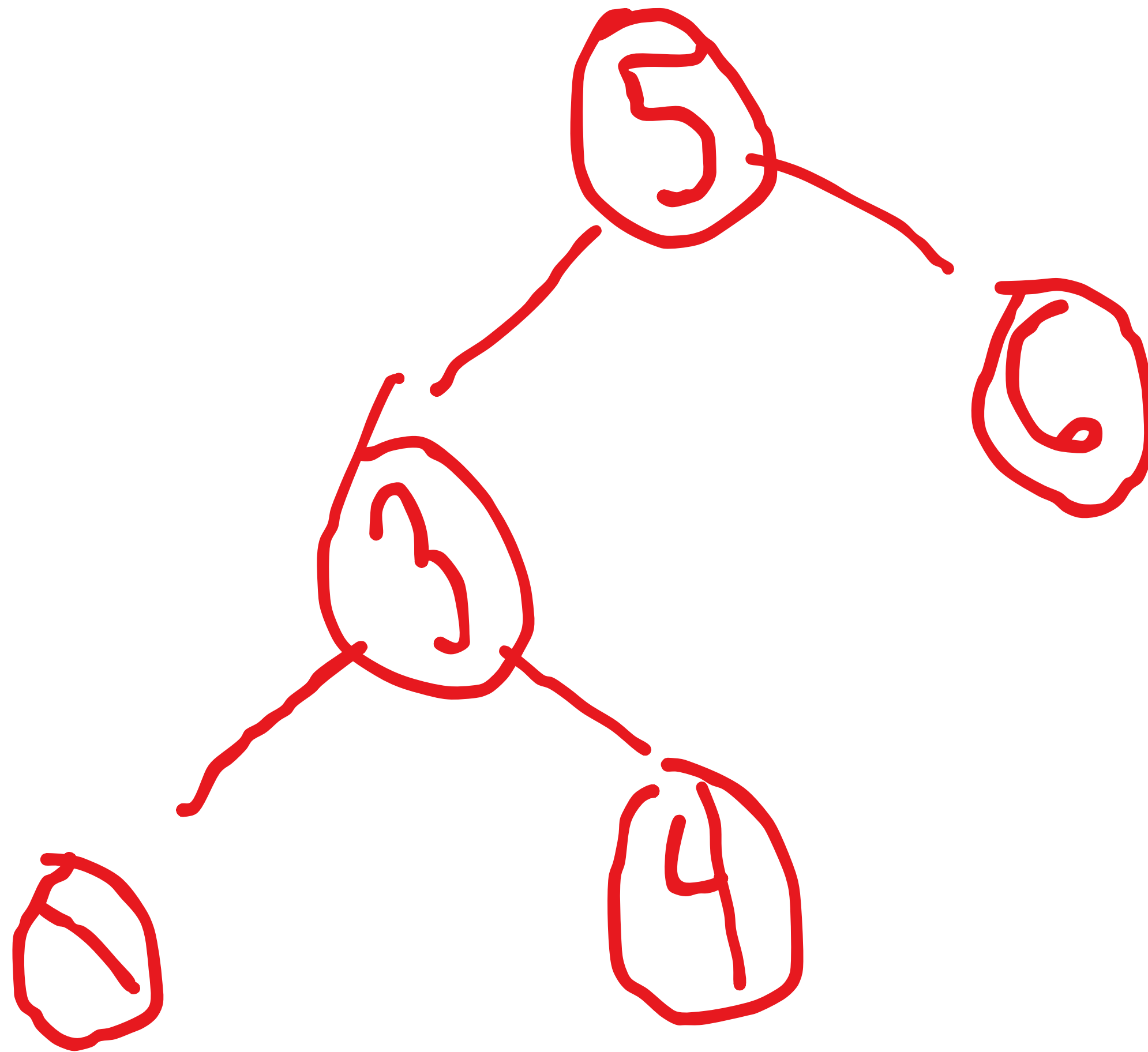


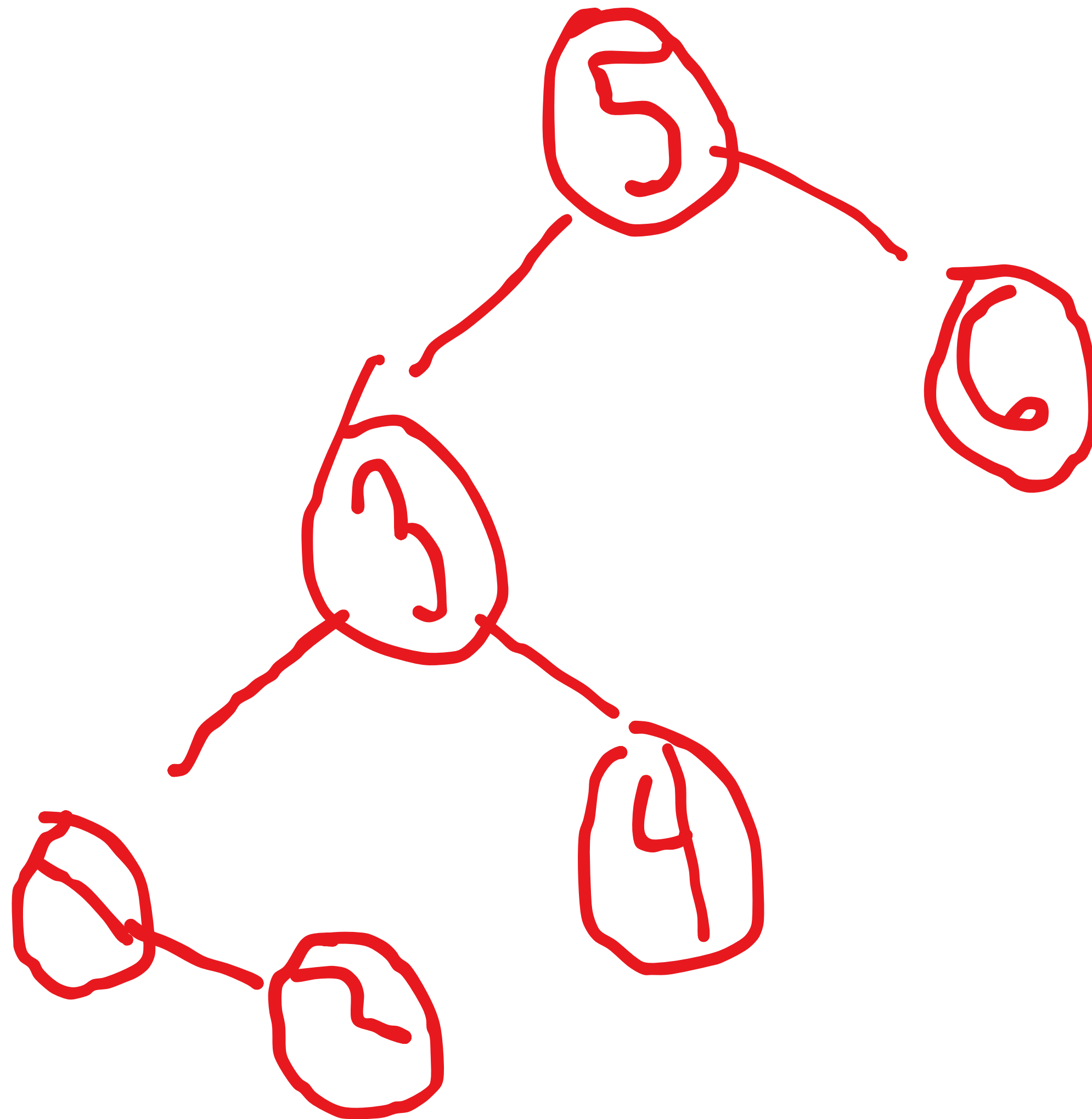


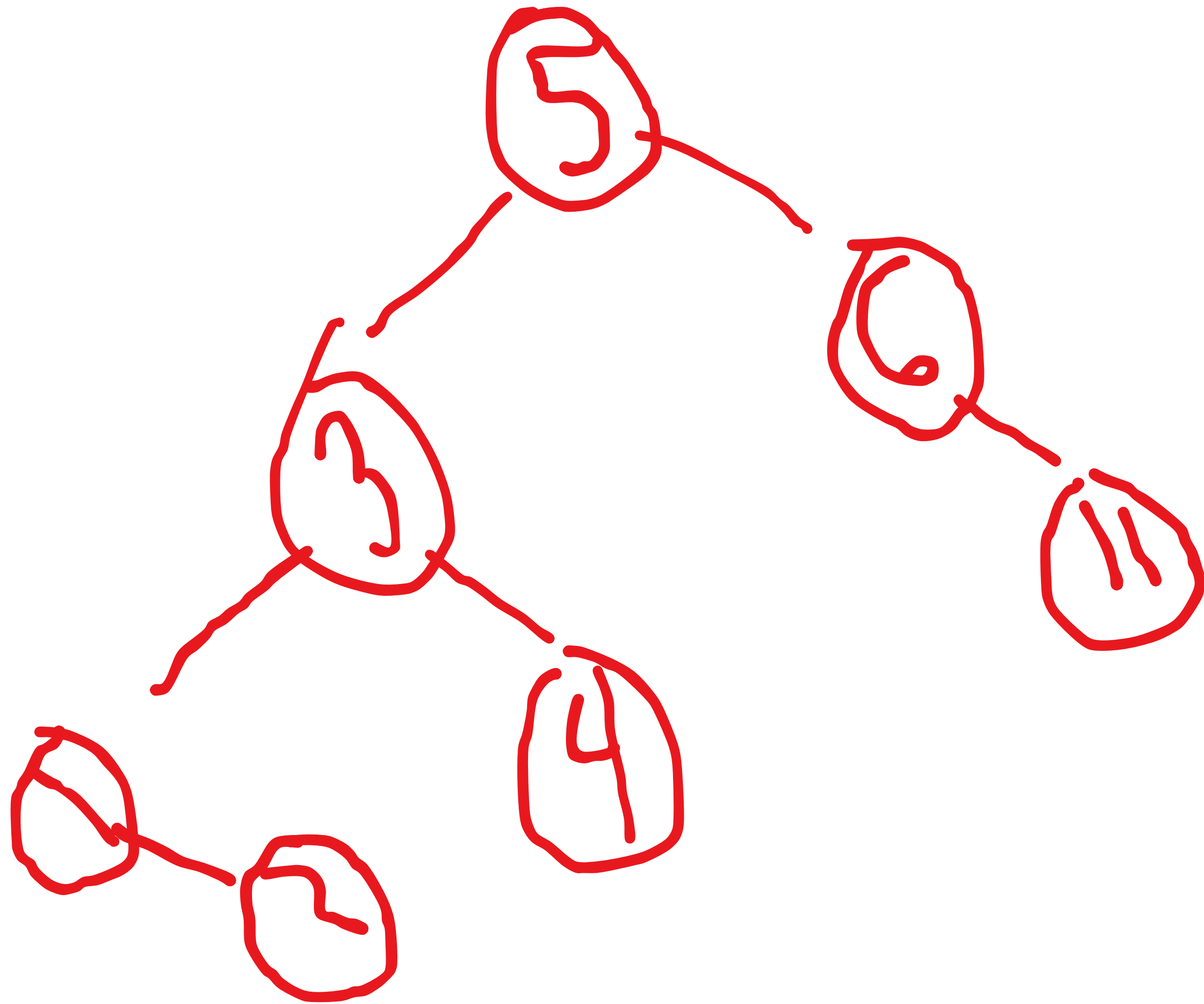


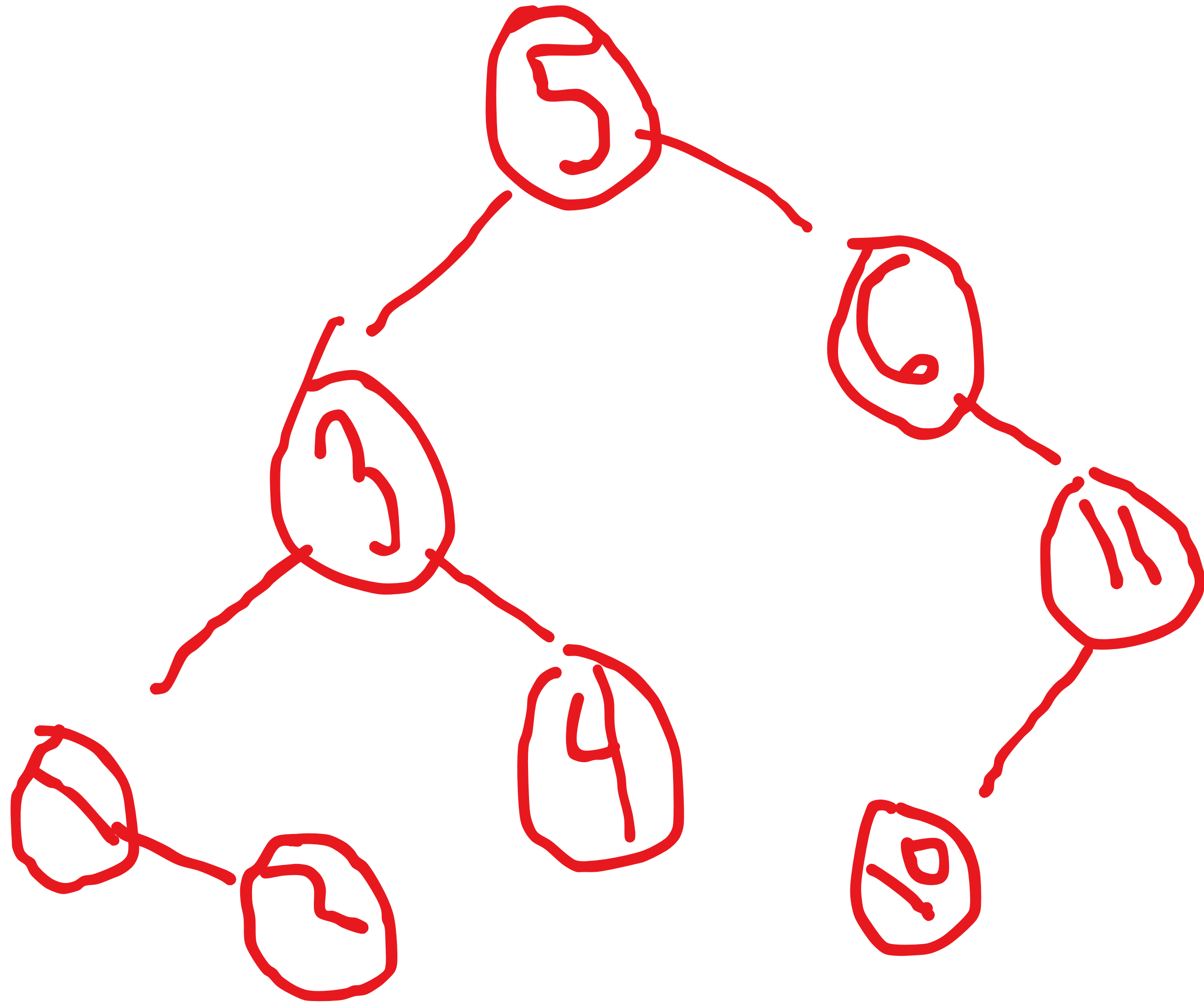


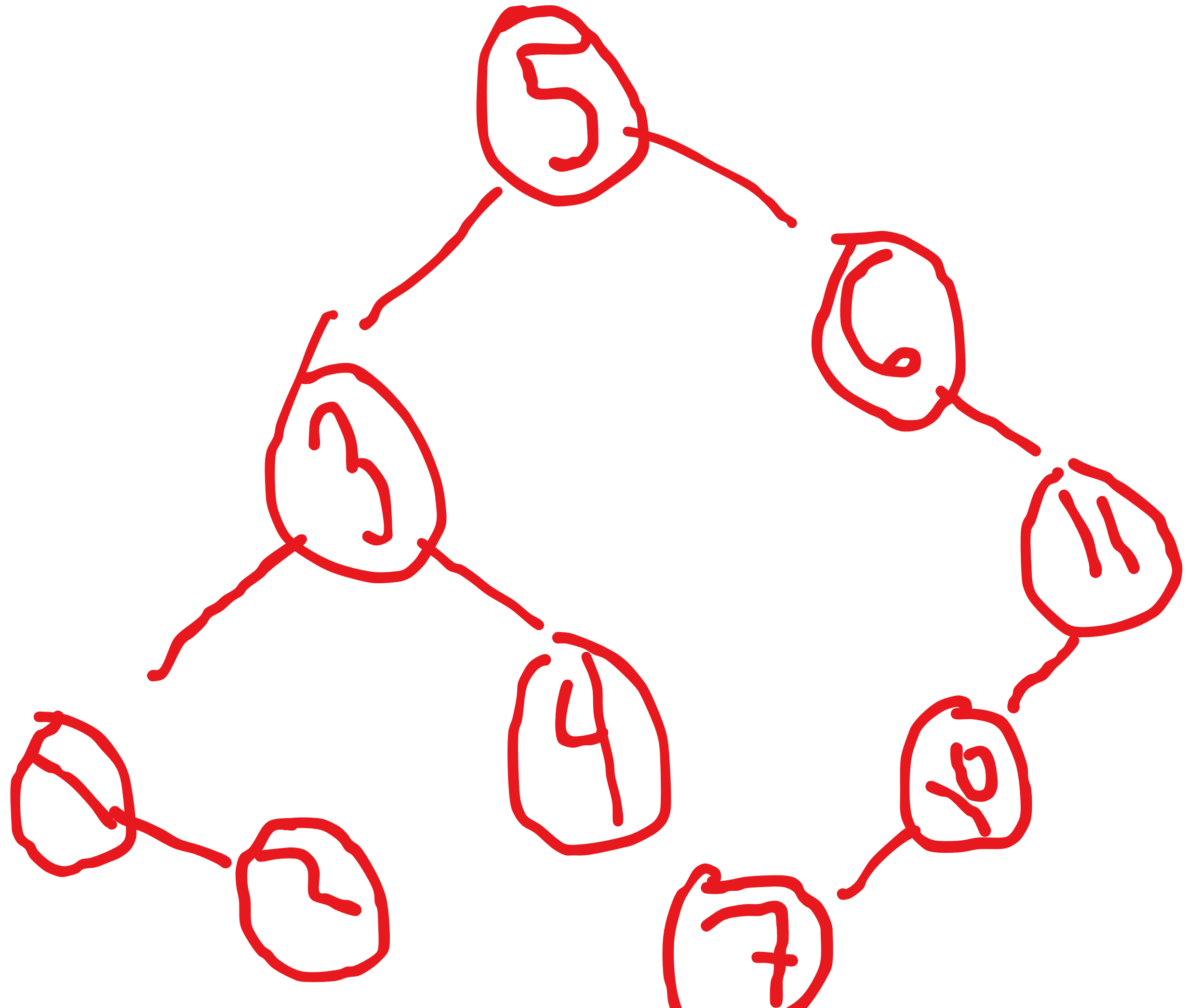












Now see for the  
search operations.

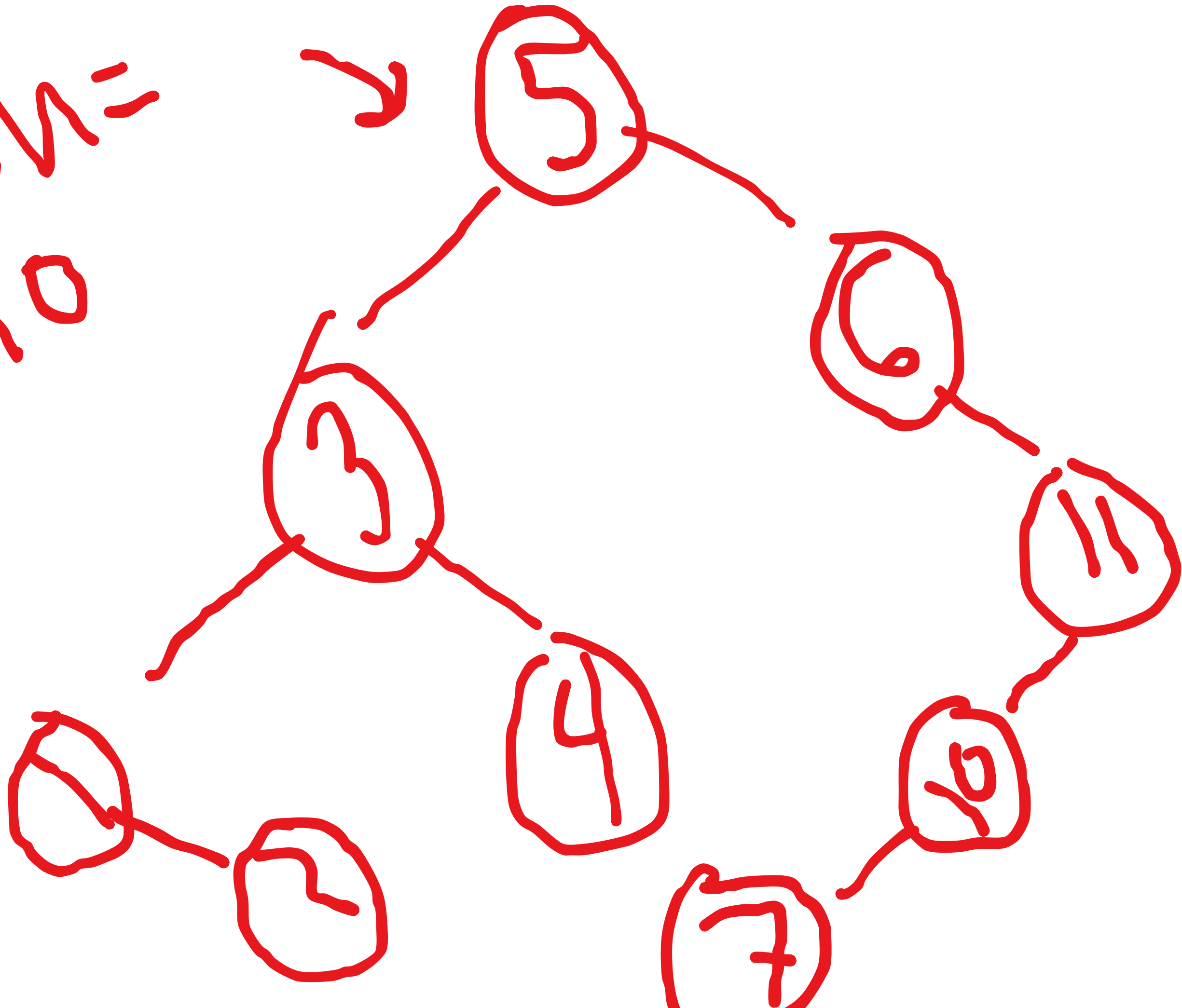
This is as like as

same as insertion.

small -> left, bigger -

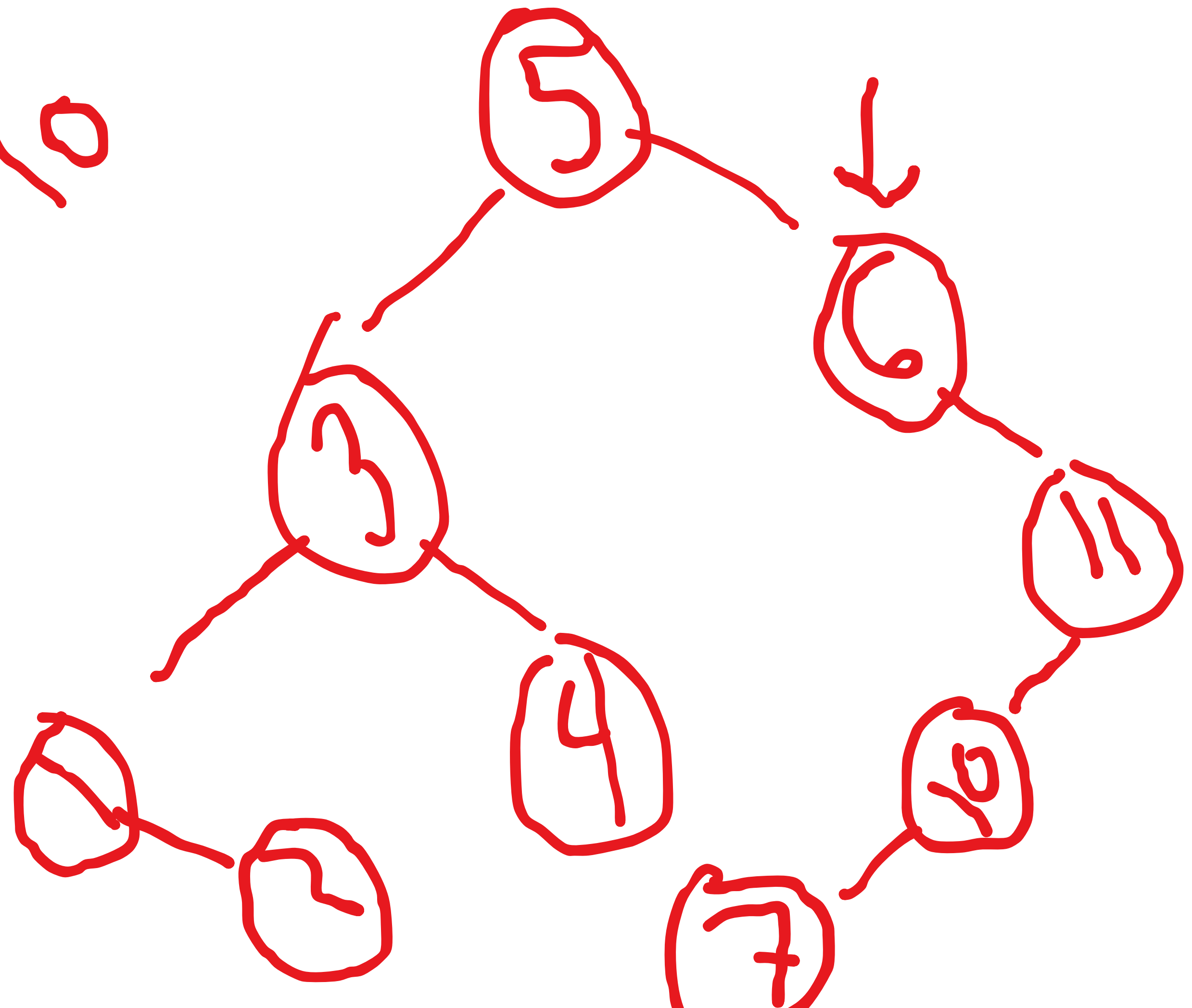
> right.

near to min = 10

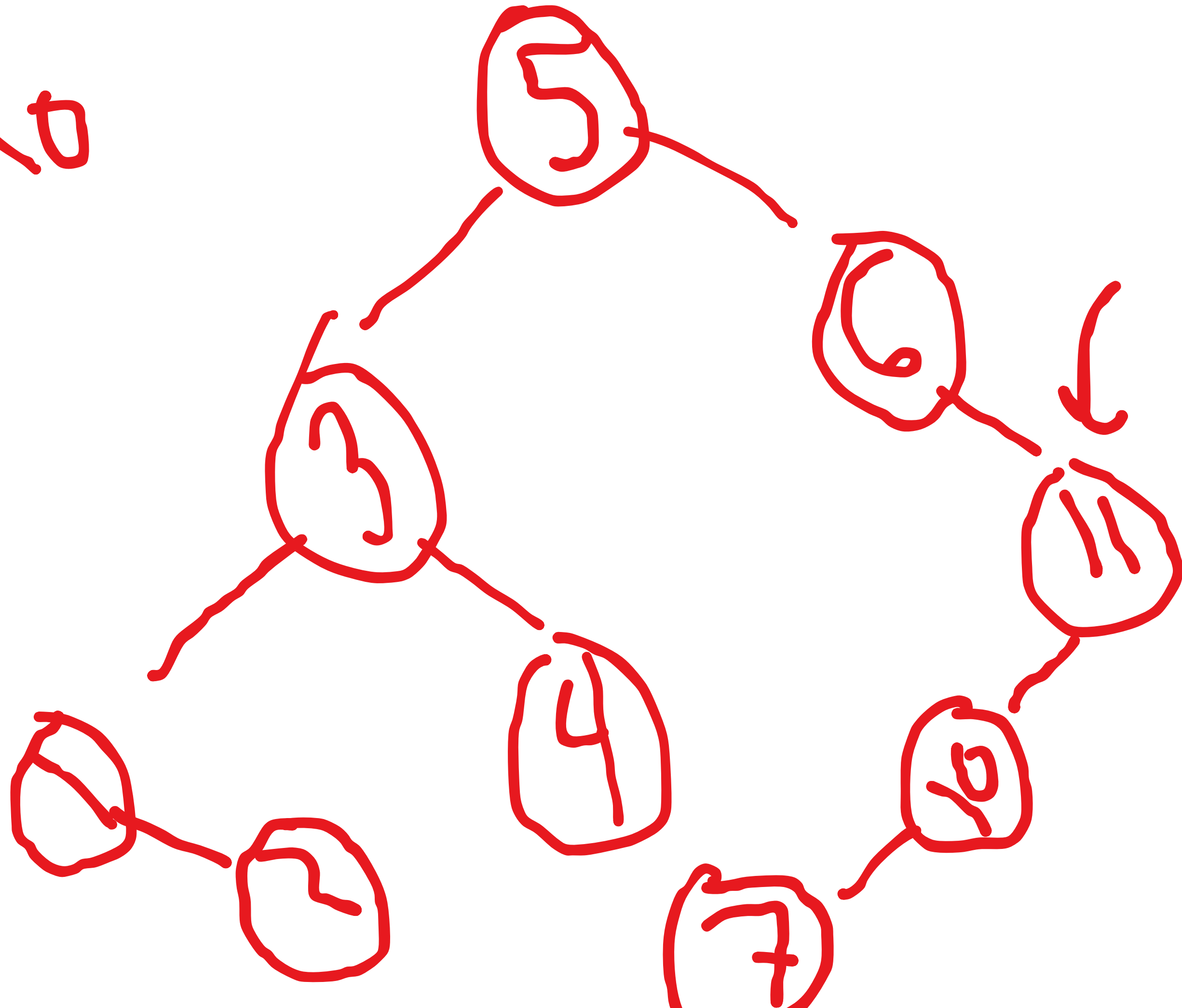




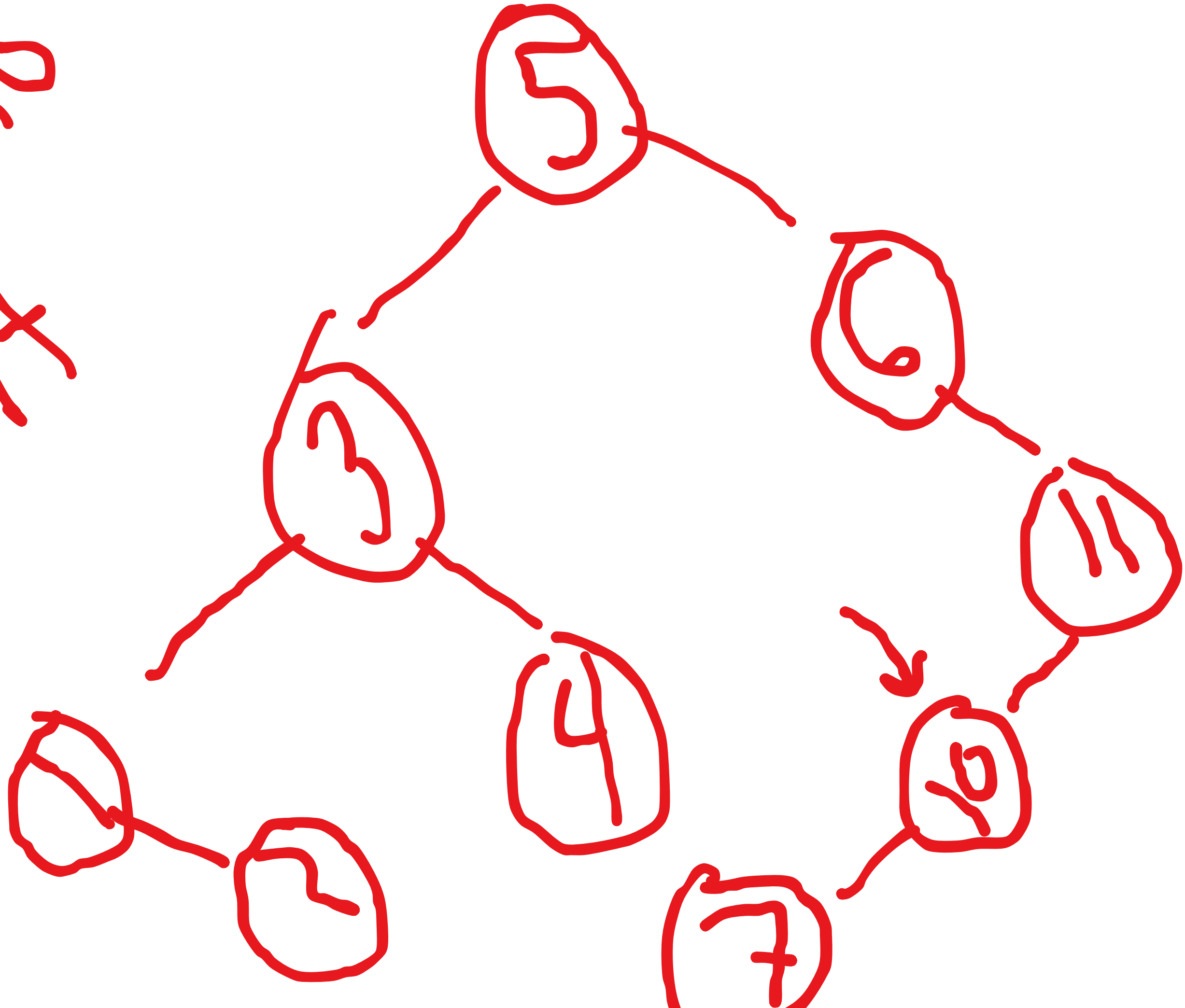
$n=10$



recursion



fix  
result



Now, let's see the  
deletion.

In deletion, we  
have three step.

First find the node.

if the node is leaf  
node, then just  
delete it.

if it has only one  
children, then just  
shift with it and  
delete that node.

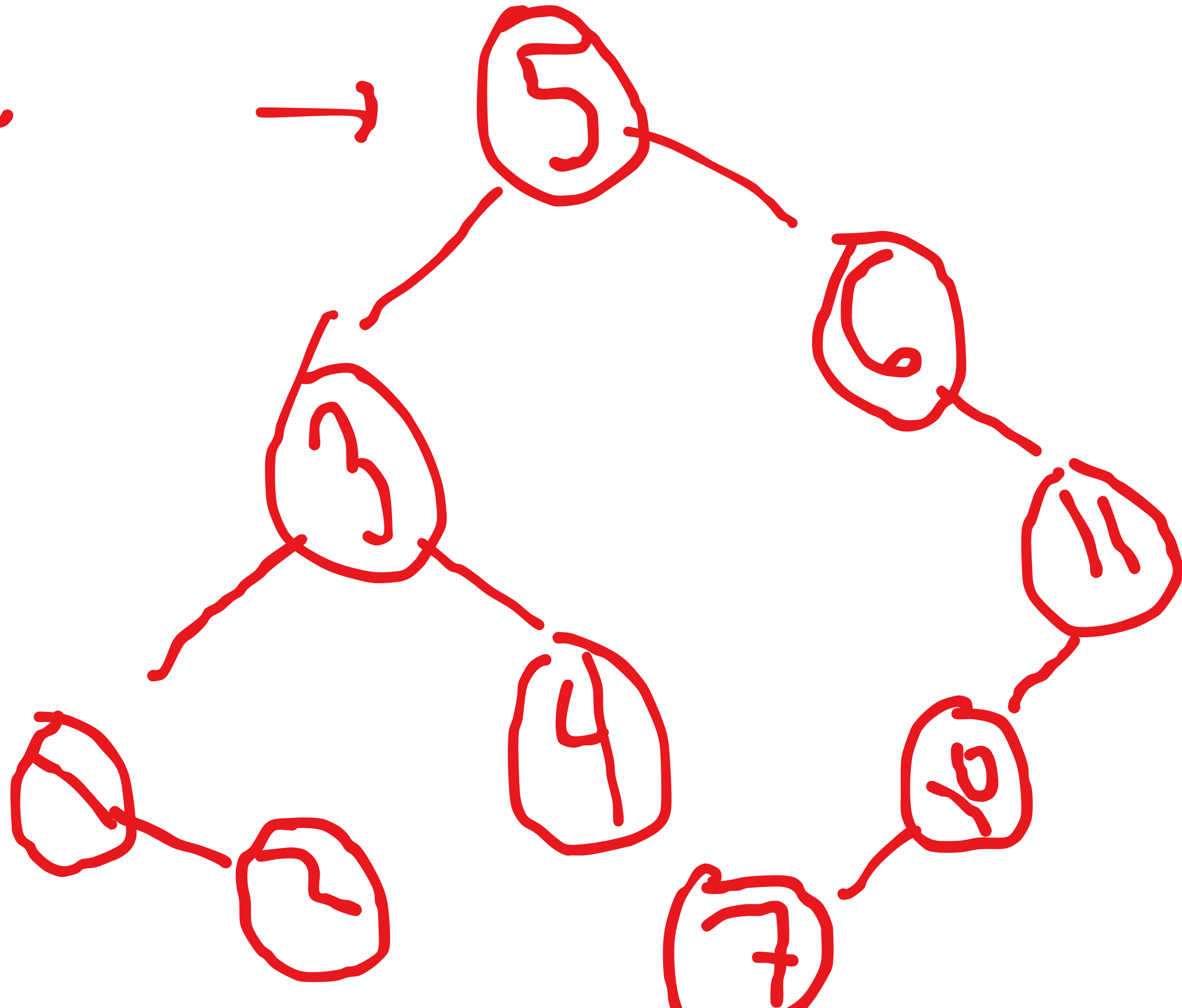


it has the two child, then  
just shift with the max  
node from the left side,  
and delete that node.

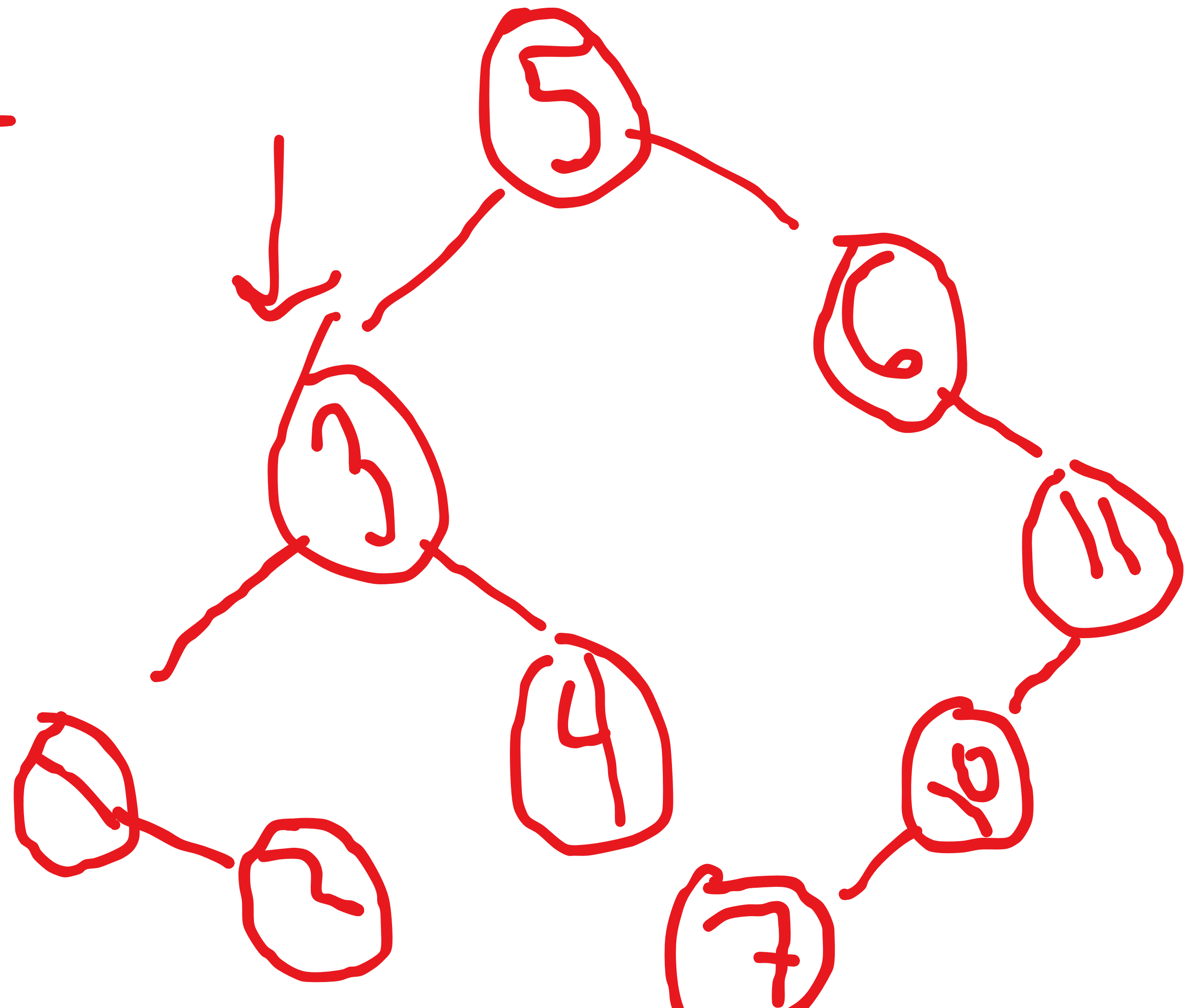
let's solve an  
example.

delete

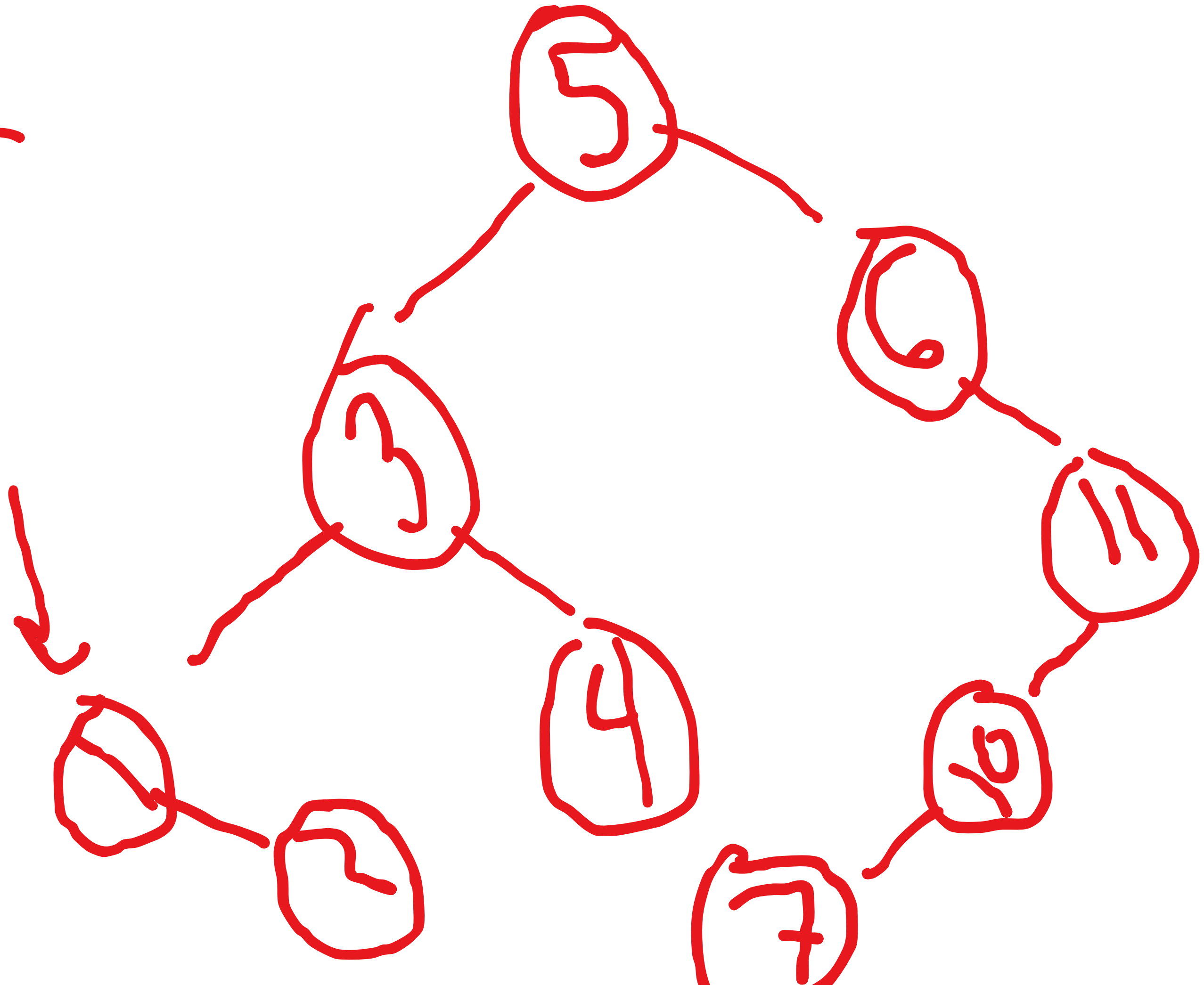
2



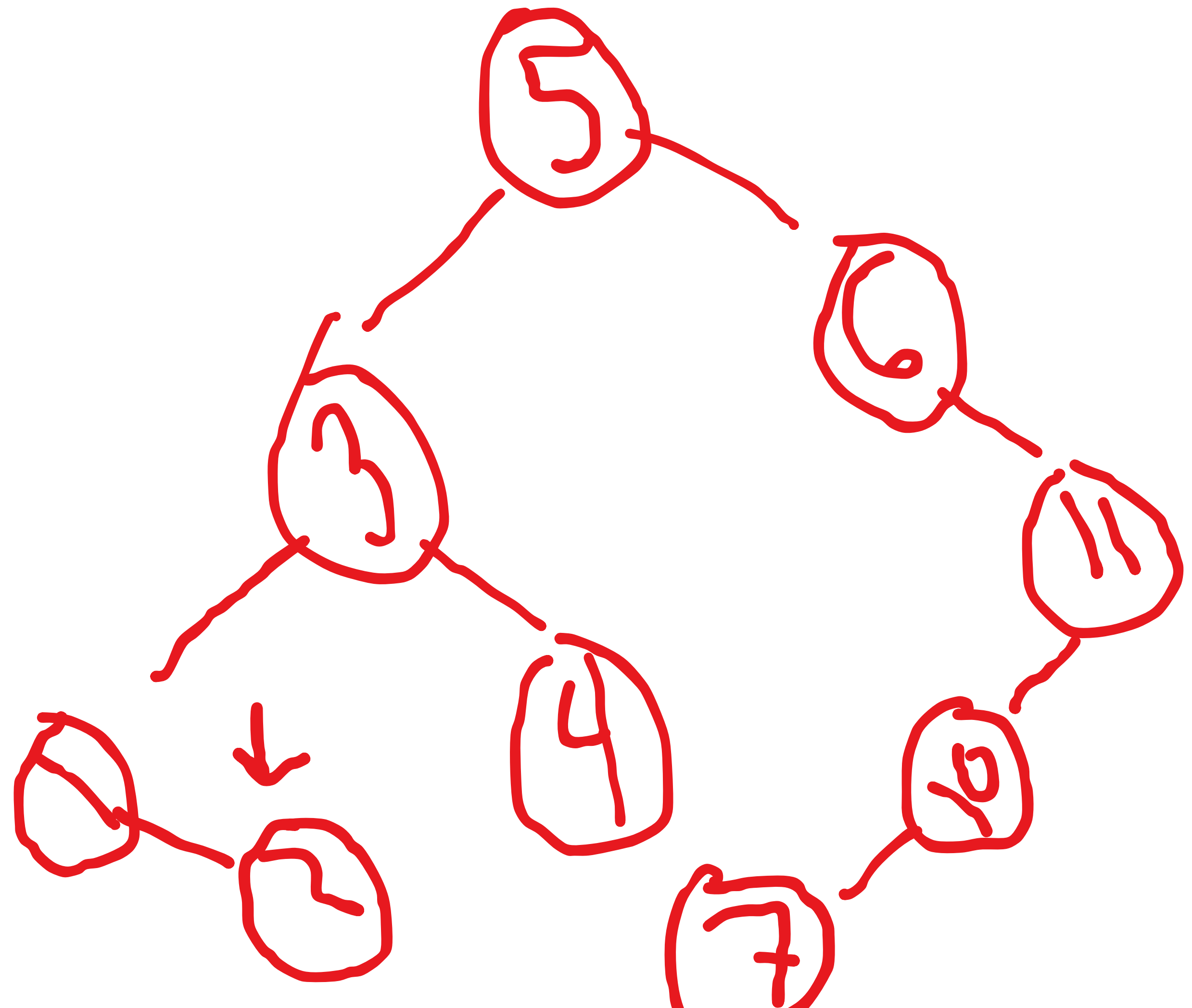
2.1

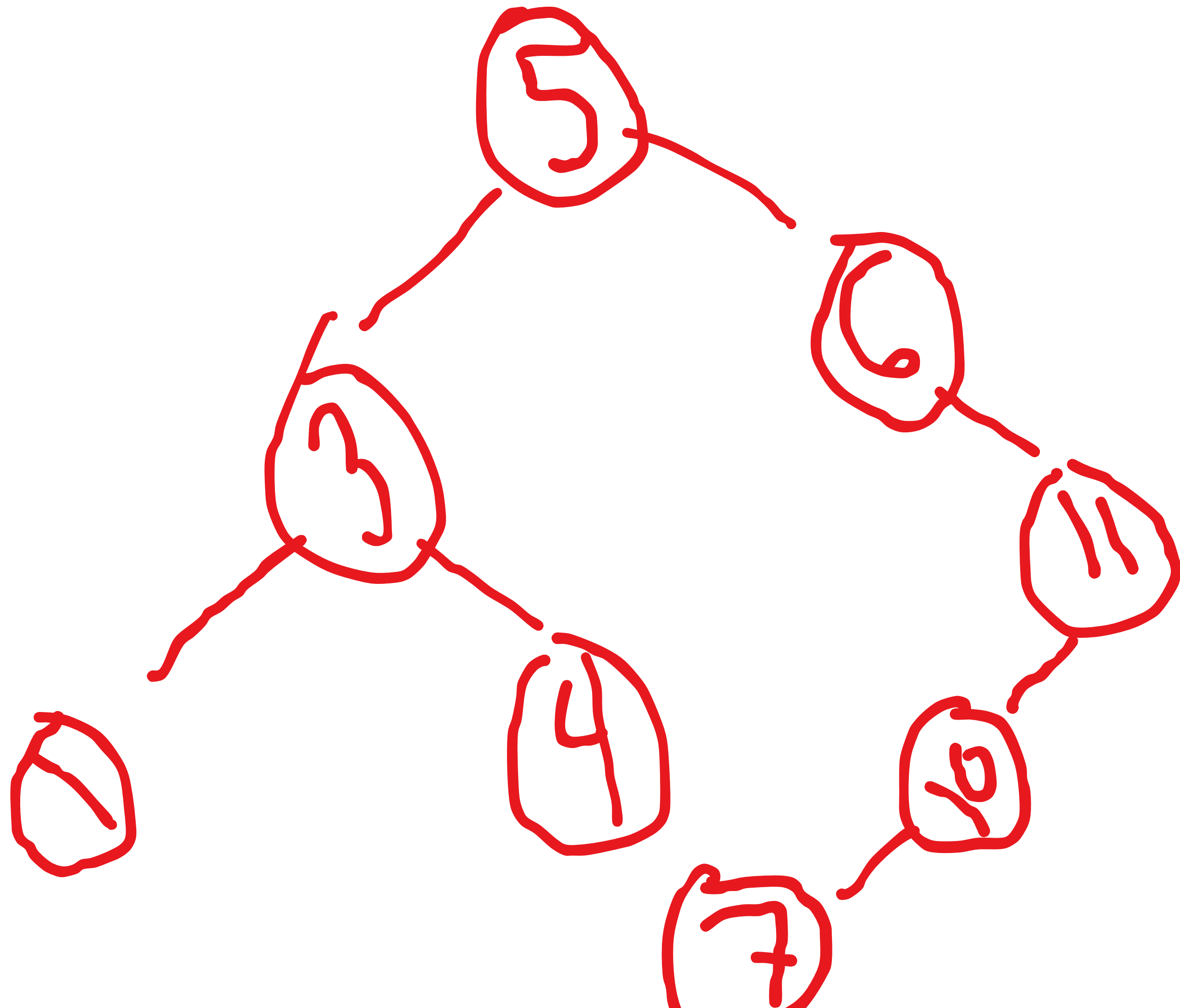


Handwritten scribbles in red ink.

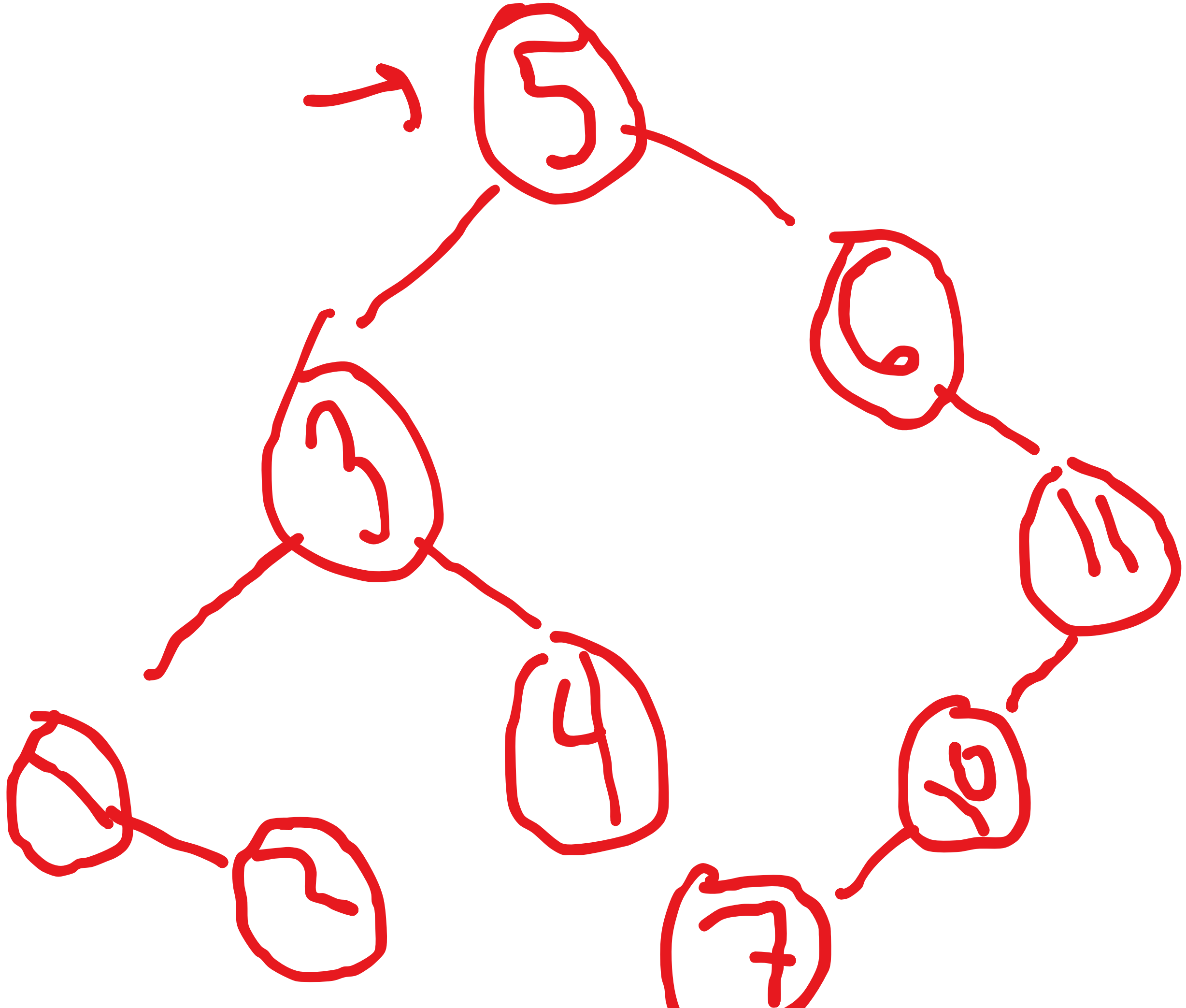


is



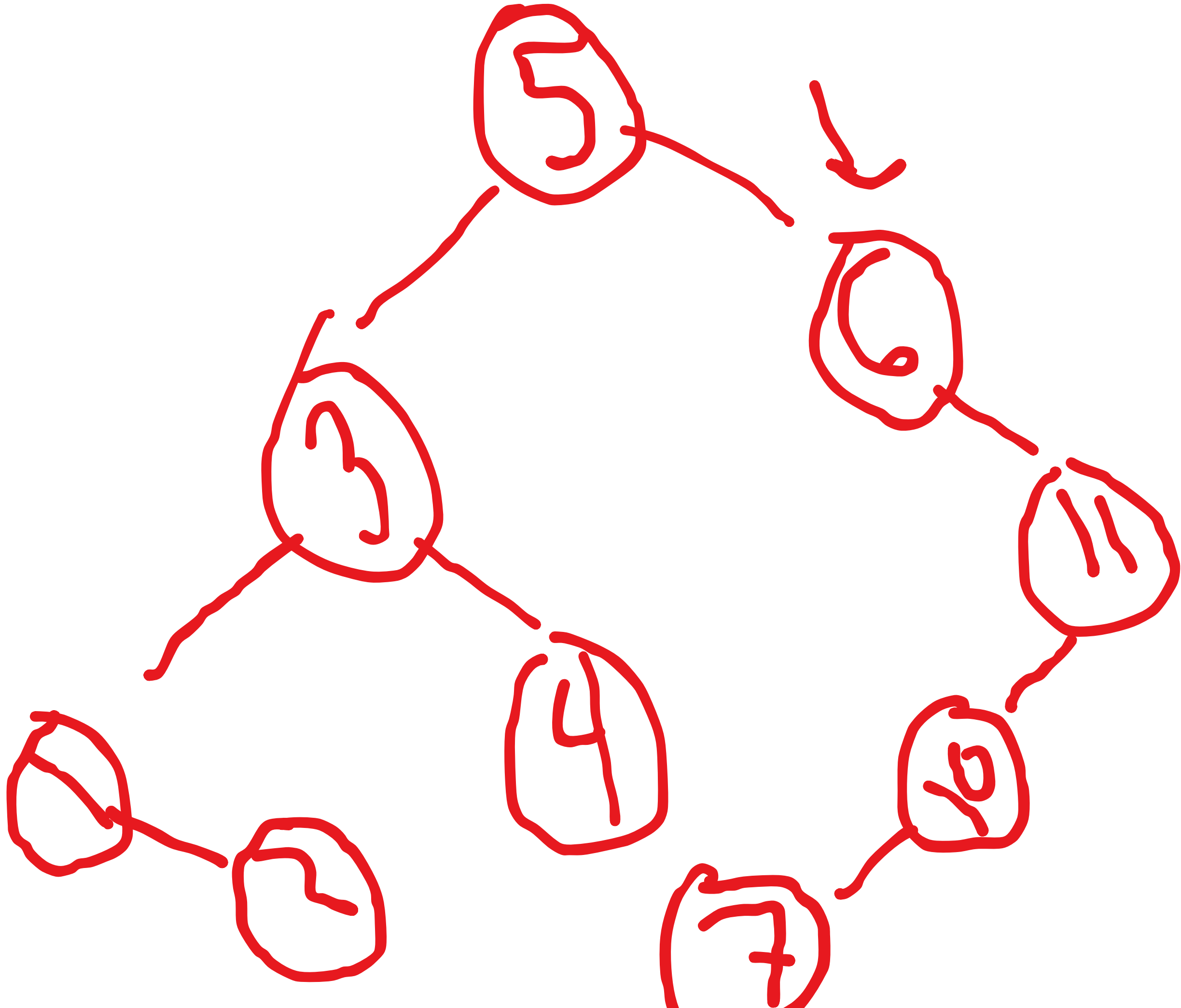


$r = 10$

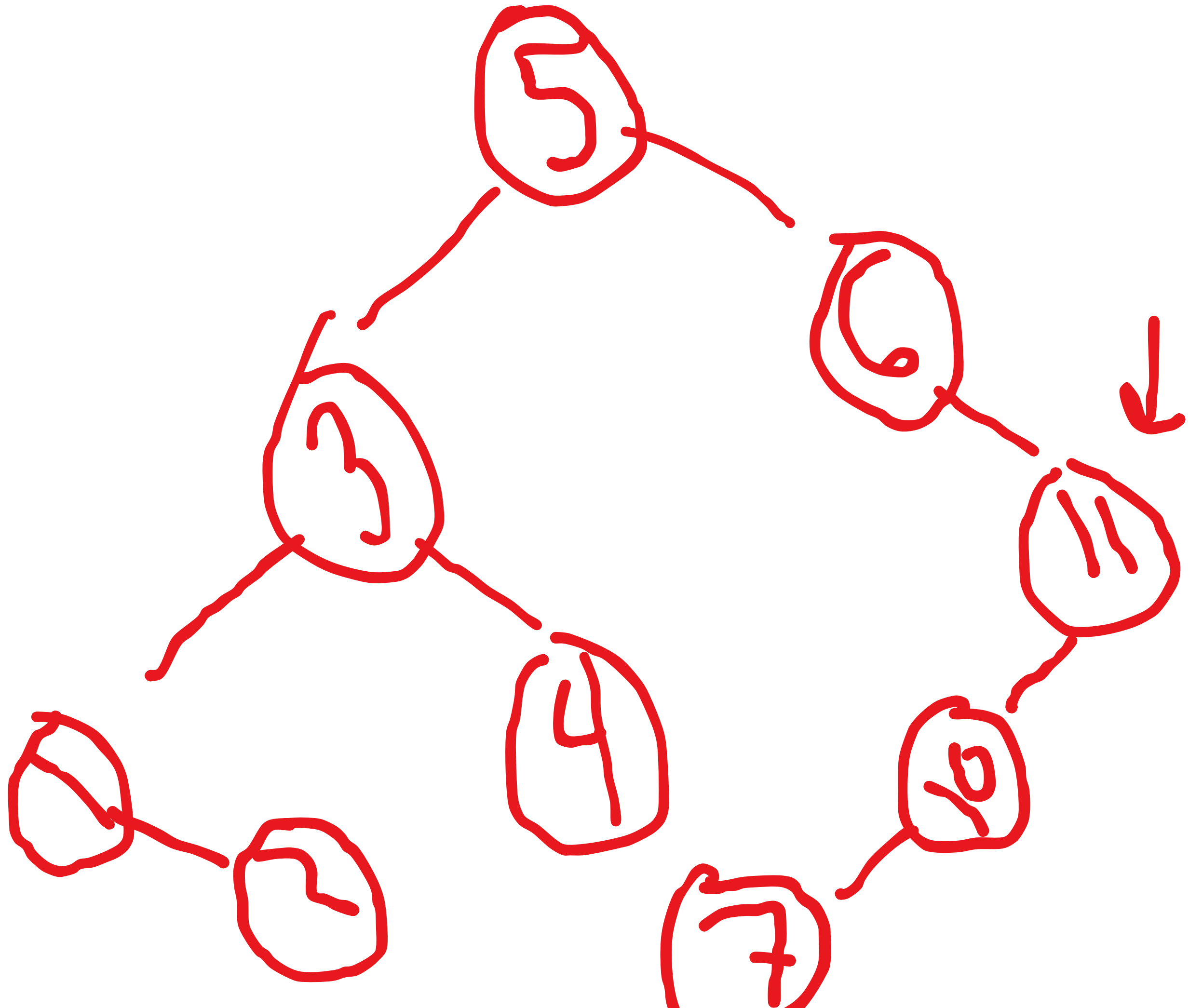




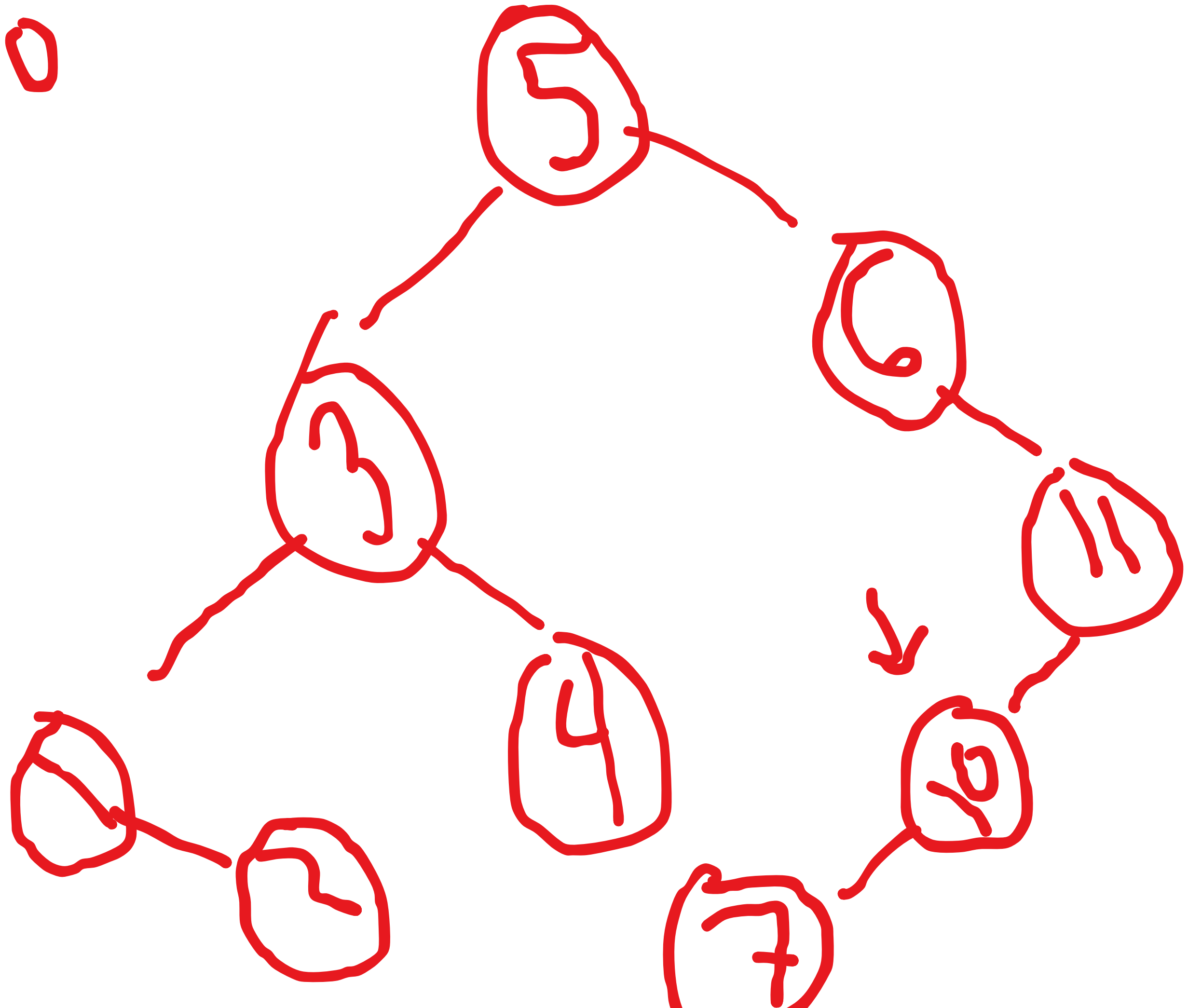
2 = 10

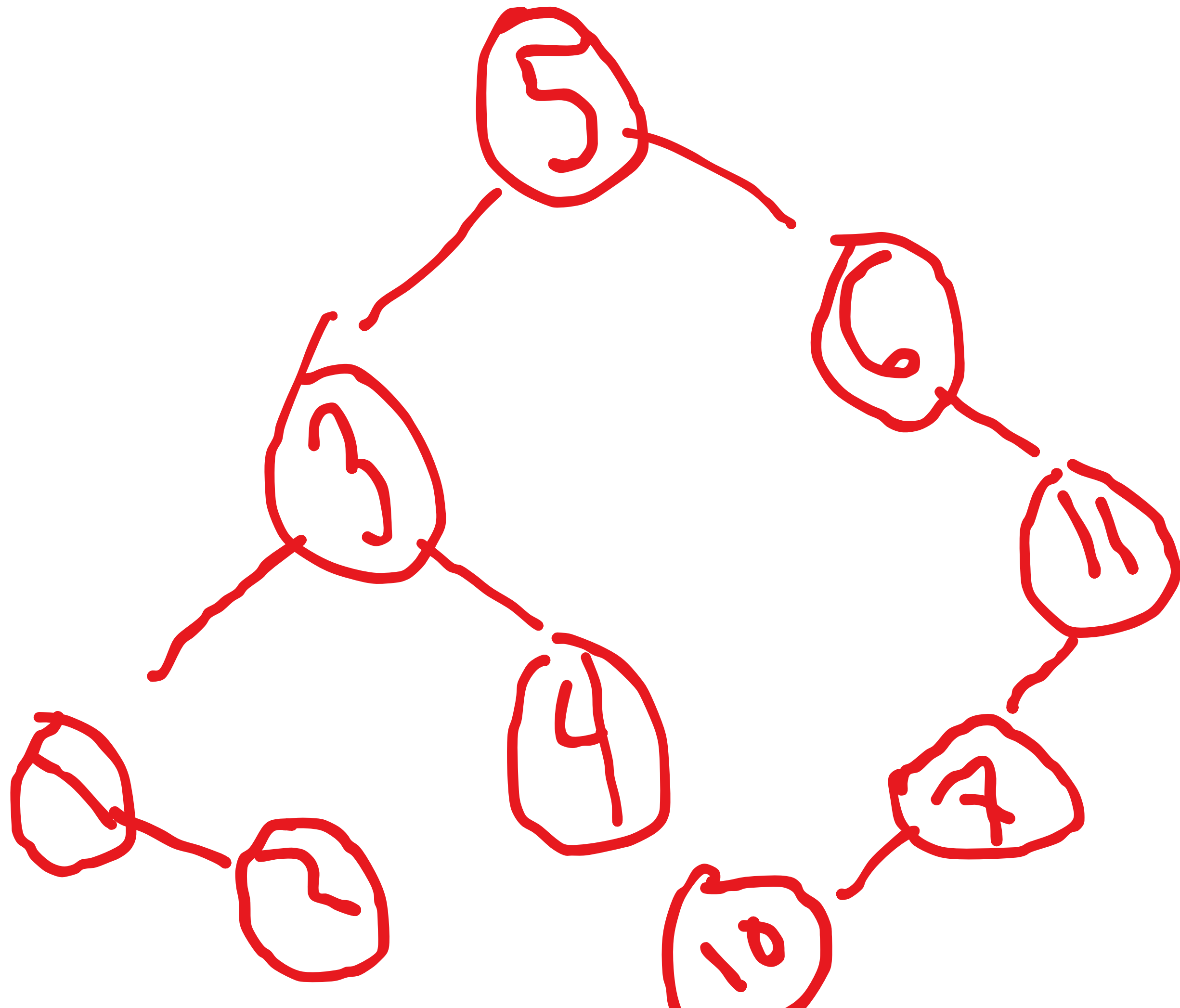


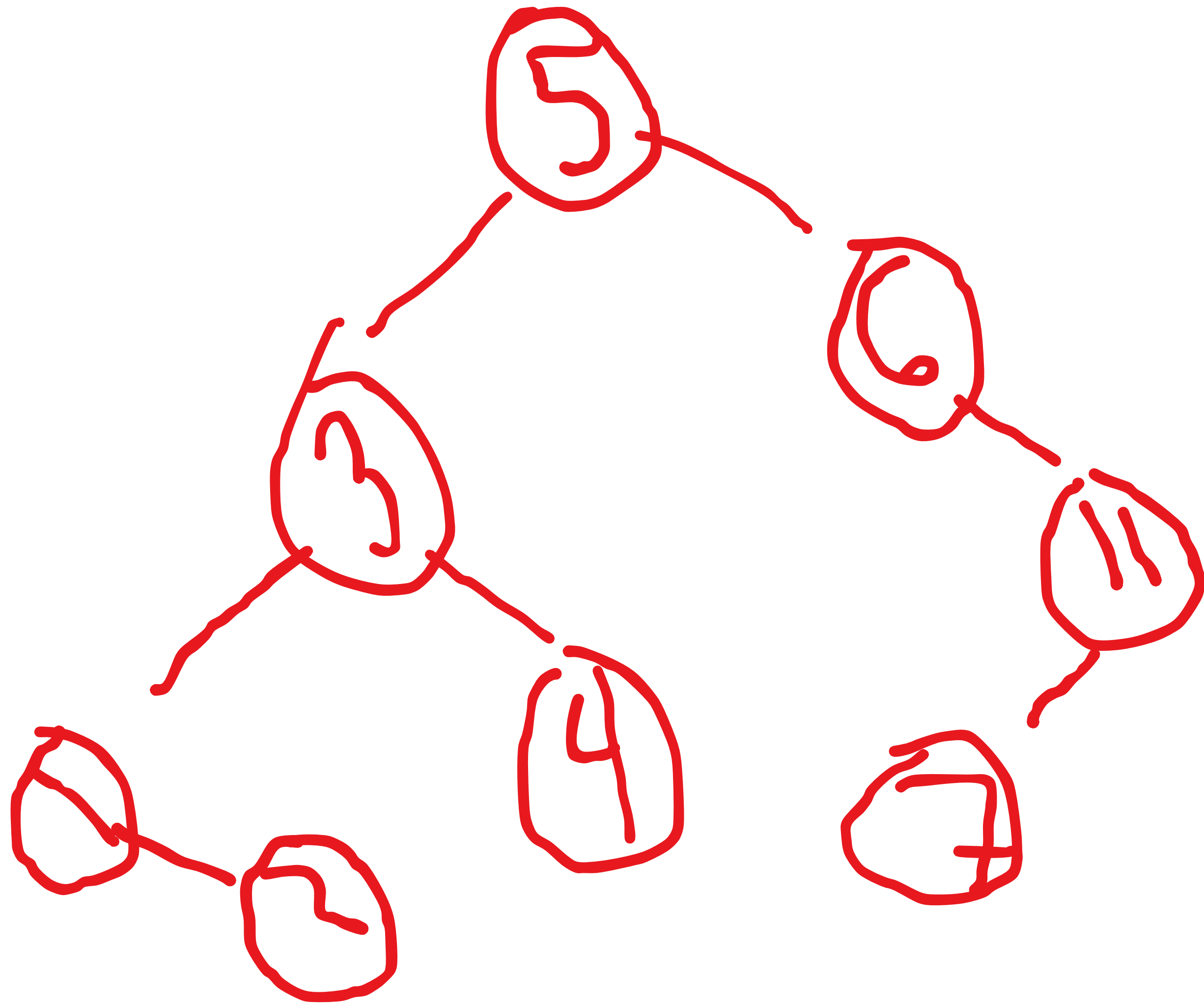
$2 = 10$



110







rec: 3



5

6

11

10

7

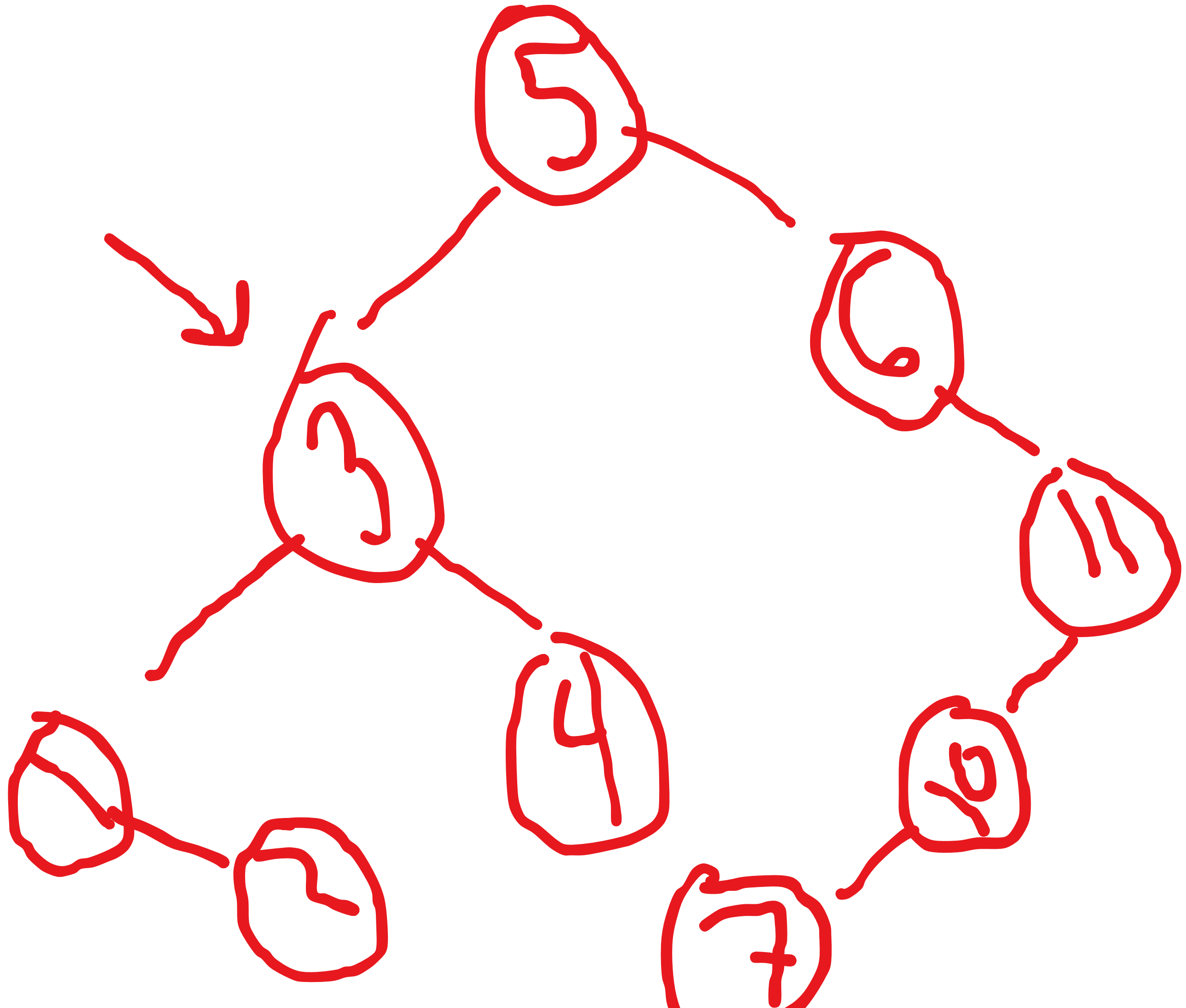
4

3

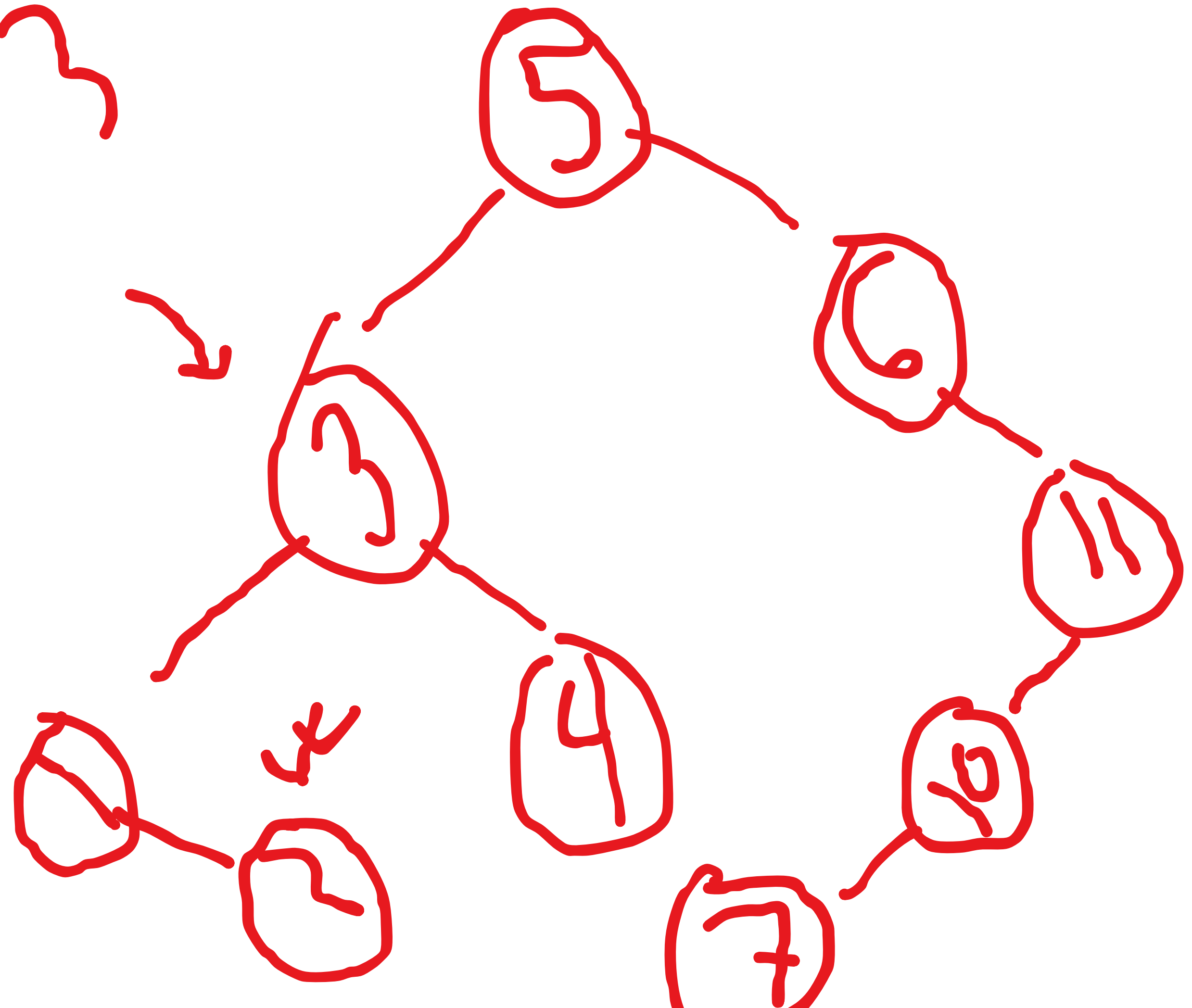
2

1

defini

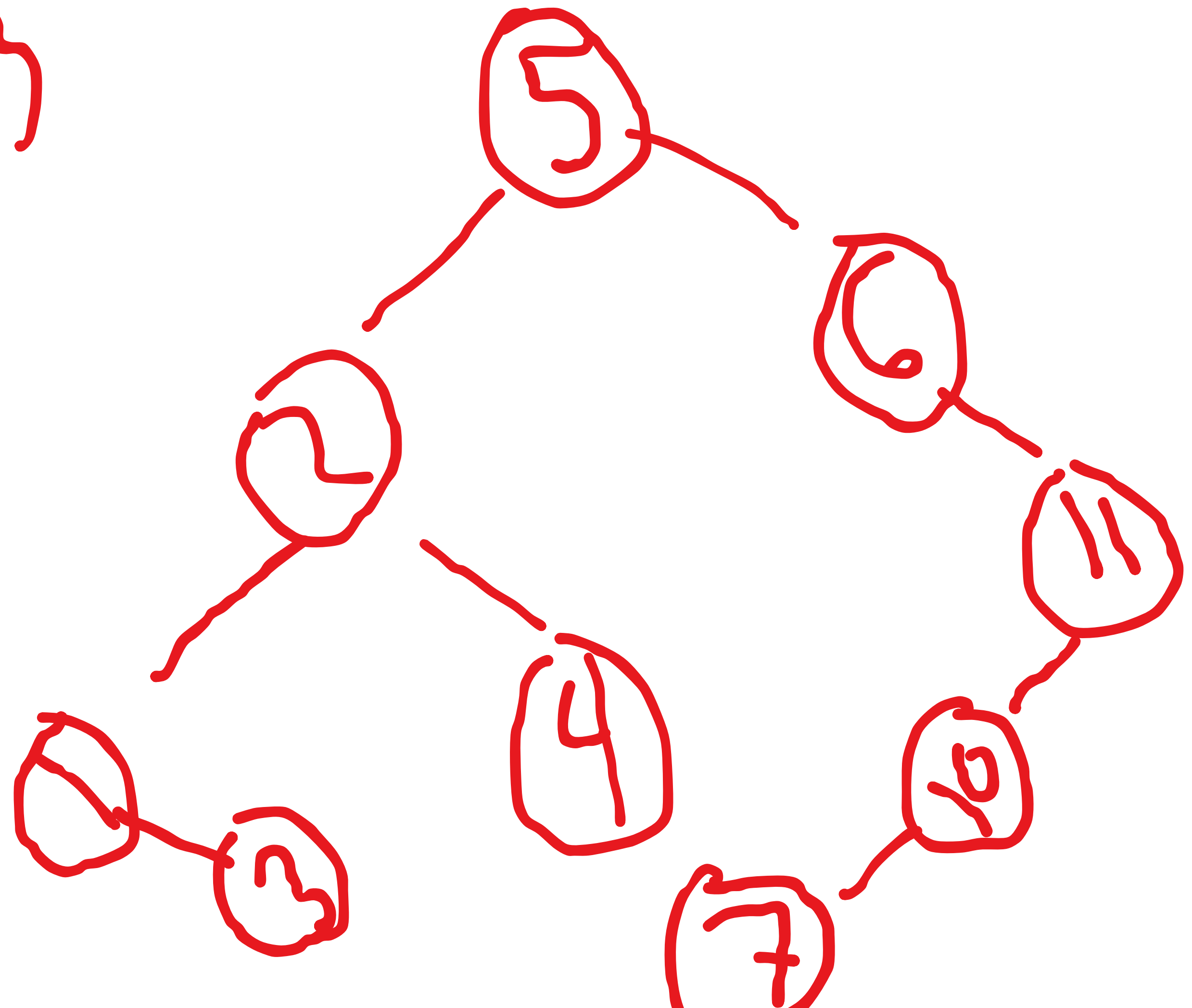


defining

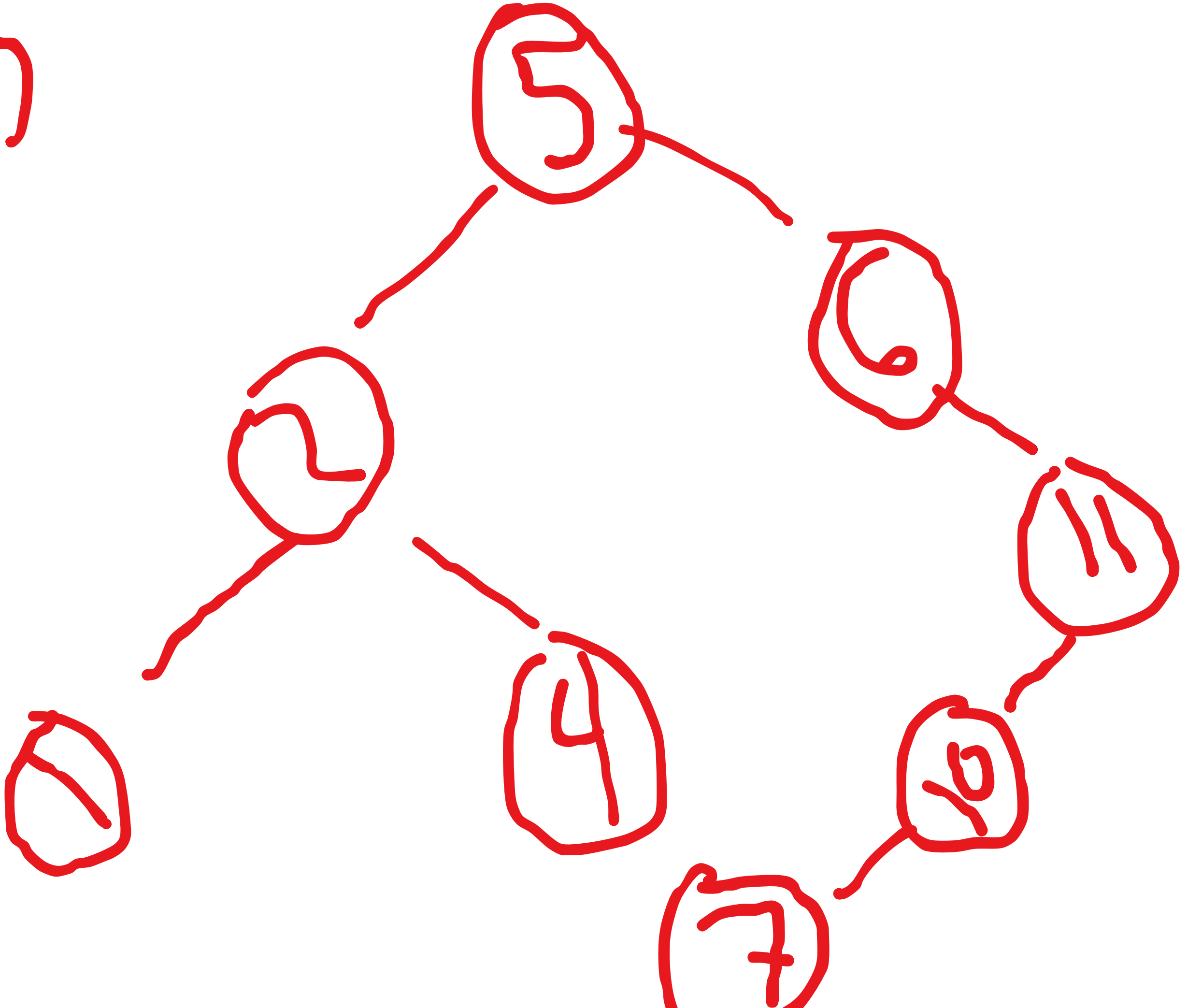




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All the issues are  
solved at here.

Let's go to the  
implementations